


# Lightweight Graphical Models for Selectivity Estimation Without Independence Assumptions

Kostas Tzoumas, Amol Deshpande, Christian S. Jensen

Presented by Guozhang Wang

DB Lunch, Nov 23rd, 2011



# Lightweight Graphical Models for Selectivity Estimation ~~Without~~ **With** **Little** Independence Assumptions

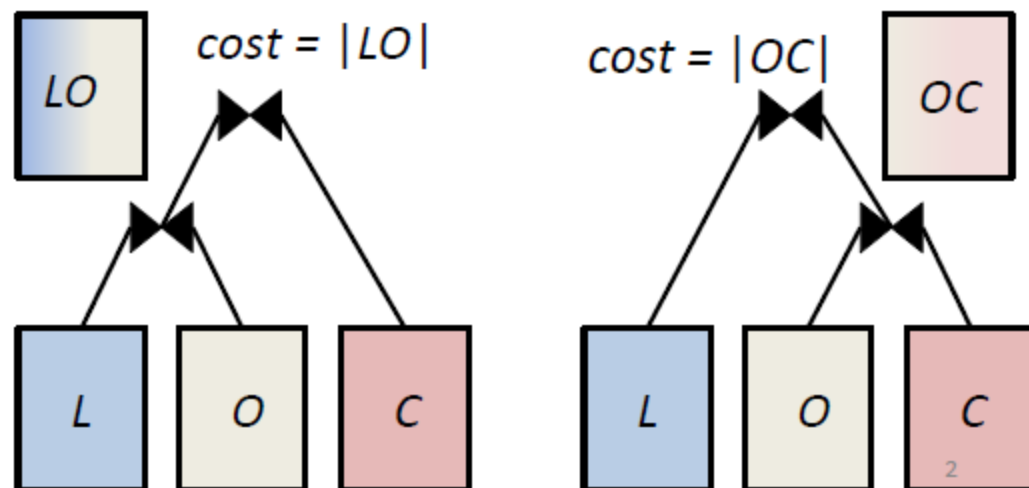
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# Motivation: Query Optimization

- The “best” join plan
  - Cost = # intermediate tuples along the path
- Errors in estimates lead to wrong plan



# Selectivity Estimation

```
select c_name, c_address
from   lineitem, orders, customer
where  l_orderkey = o_orderkey and
       o_custkey = c_custkey and
       o_totalprice in [t1, t2] and
       l_extendedprice in [e1, e2] and
       c_acctbal in [b1, b2]
```

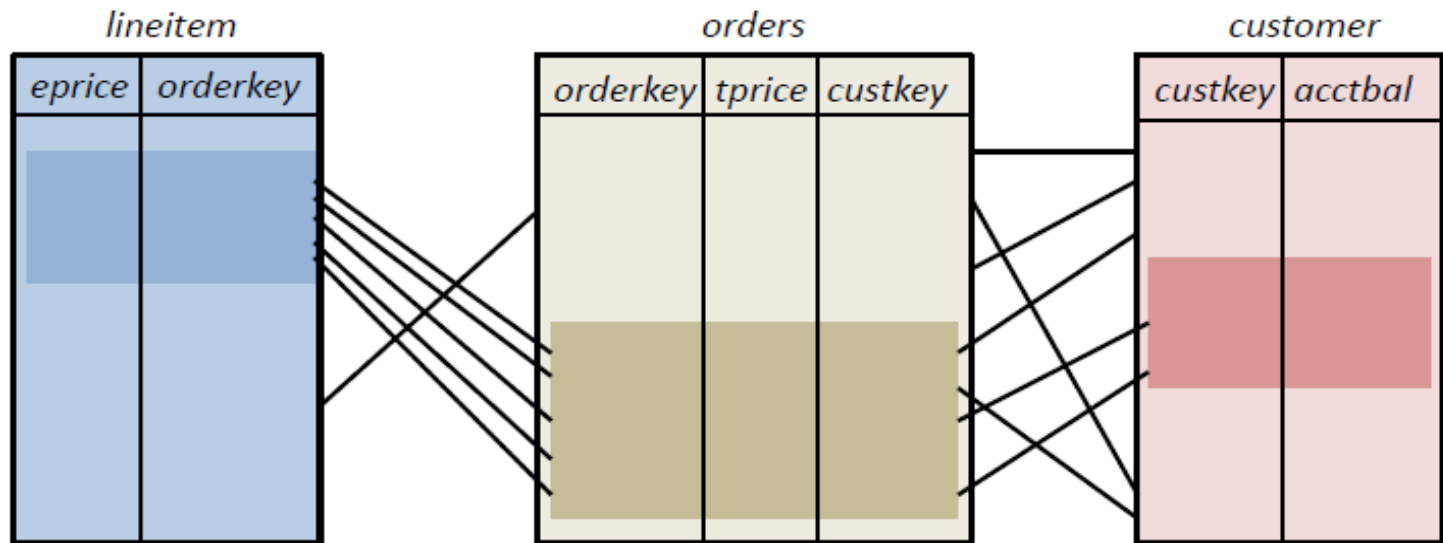
$$|LO| = |L| * |O| *$$

$$\Pr(l.orderkey = o.orderkey \\ \bigwedge o.totalprice \in [t1, t2] \\ \bigwedge l.extendedprice \in [e1, e2])$$

- Equal to distribution estimation
  - Estimation based on histograms
  - How complicated histograms we need?

# Correlations Matter in Estimation

- Need multi-dim. histograms to capture correlation between attributes



```
select c_name, c_address
from   lineitem, orders, customer
where  l_orderkey = o_orderkey and
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       o_totalprice in [t1, t2] and
       l_extendedprice in [e1, e2] and
       c_acctbal in [b1, b2]
```

# Idea #1: Full Independence

- Assume attributes are mutually indept.
  - Only need 1-D histograms, one for each attribute
- Estimates done by multiplication

$$Pr\left( l.ok = o.ok \bigwedge o.tp \in [t1, t2] \bigwedge l.ep \in [e1, e2] \right)$$

$$= Pr( l.ok = o.ok ) * Pr( o.tp \in [t1, t2] ) * Pr( l.ep \in [e1, e2] )$$

**Possible Big Error!**

# Idea #2: No Independence

- Any subsets of attributes could be correlated
  - Construct one n-Dim histogram,  $n = \#$  total attributes in the database
- Estimates done by marginalization

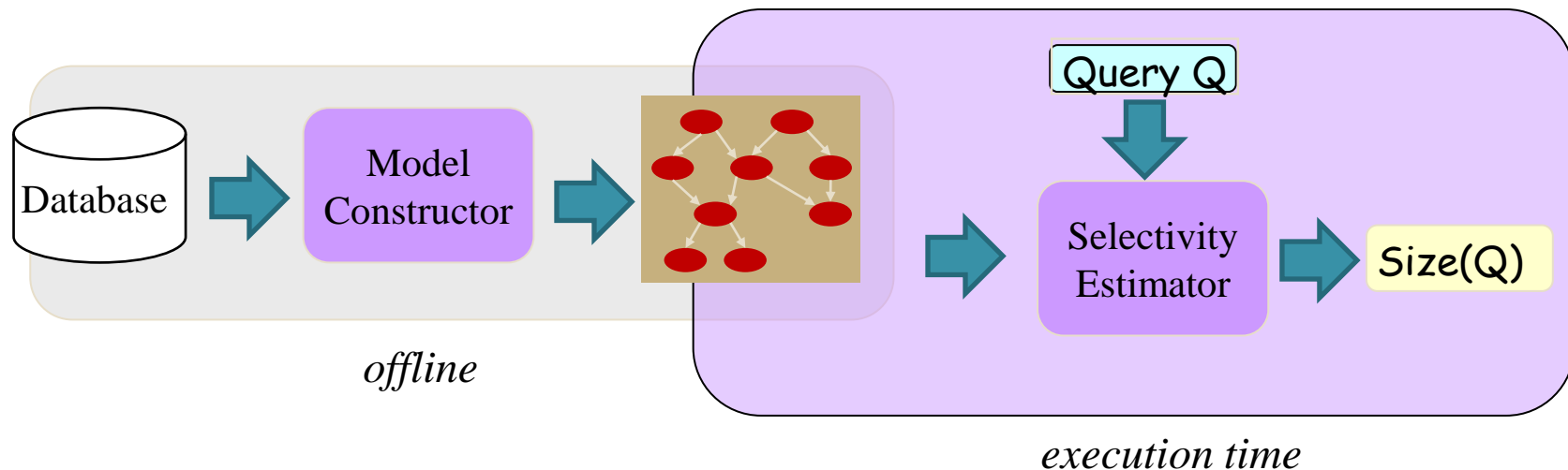
$$Pr\left(l.ok = o.ok \bigwedge o.tp \in [t1, t2] \bigwedge l.ep \in [e1, e2]\right) = \sum_{!l.ok...} Pr(..)$$

**Storage Blowup!**

# Idea #3: Cond. Independence

[SIGMOD'01]

- Capture correlation in a Bayes network
  - BN model is constructed at start
  - Estimates done by computing joint dist'n

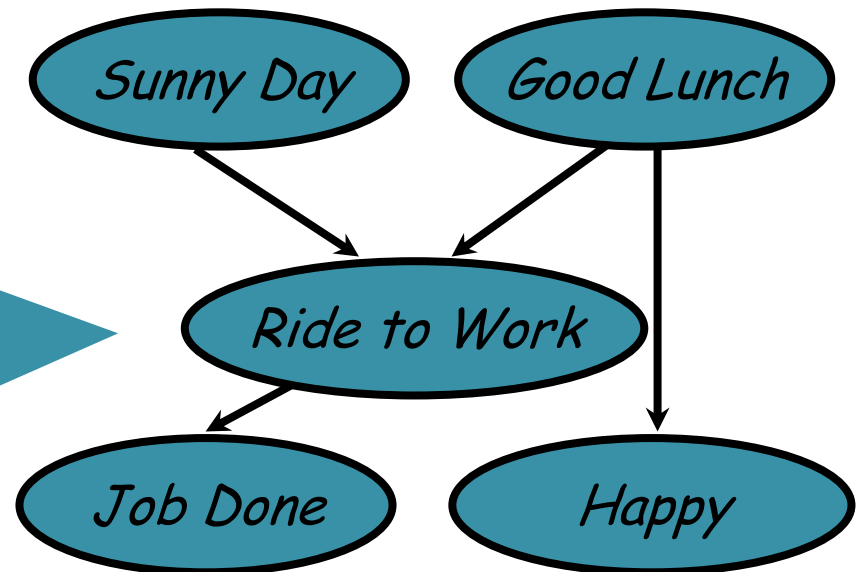




# Bayesian Network

- Each node  $x$  has a conditional probability distribution  $P(x | \text{Pa}(x))$
- Encodes independence in directed graph

<i><b>S</b></i>	<i><b>G</b></i>	<i><b><math>P(R/S, G)</math></b></i>	
<i><b>t</b></i>	<i><b>t</b></i>	<i><b>0.8</b></i>	<i><b>0.2</b></i>
<i><b>t</b></i>	<i><b>f</b></i>	<i><b>0.6</b></i>	<i><b>0.4</b></i>
<i><b>f</b></i>	<i><b>t</b></i>	<i><b>0.2</b></i>	<i><b>0.8</b></i>
<i><b>f</b></i>	<i><b>f</b></i>	<i><b>0.01</b></i>	<i><b>0.99</b></i>



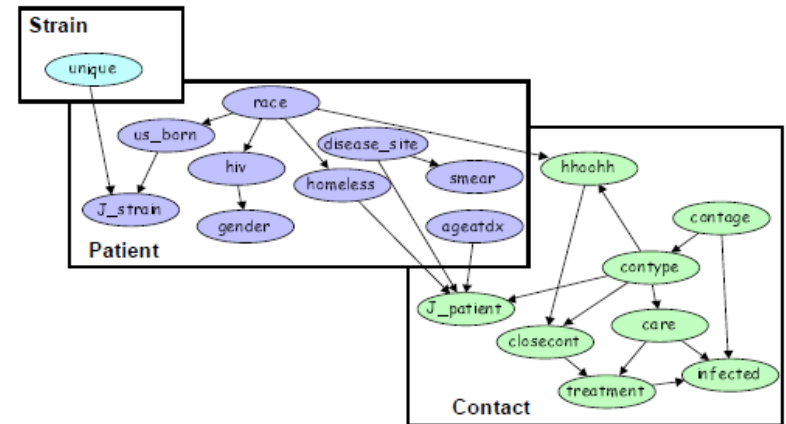
# BN Construct

- Nodes

- Each attribute:  $a$
- Each foreign key: join indicator  $J_f$

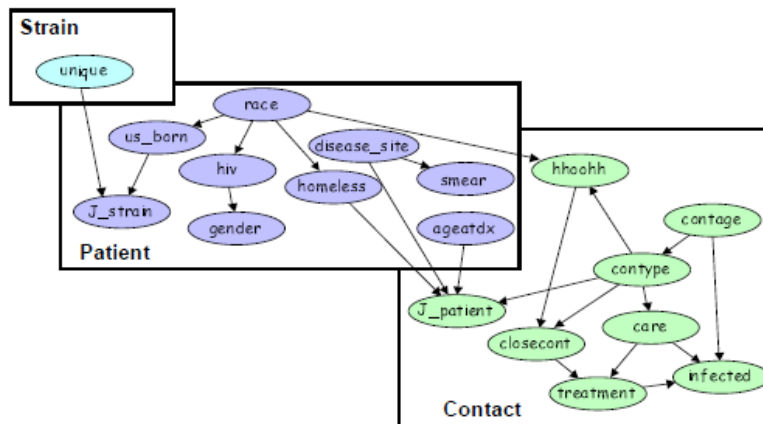
- Edges

- Find the model that maximize log-likelihood given data (greedy local structure search)
- Parameters estimation after the structure is decided

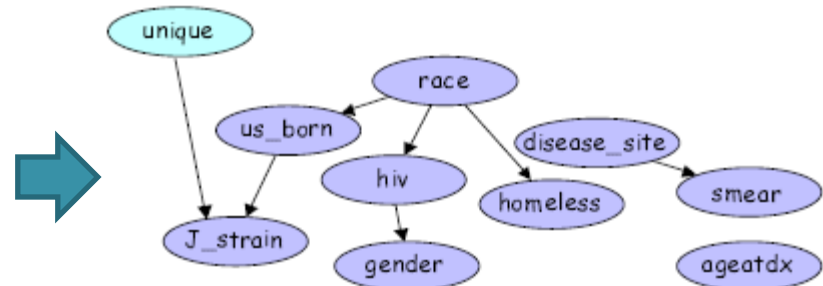


# Selectivity Estimation in BN

- Extend the query to include all the involved nodes' parents
- Multiplication along the graph to get the joint distribution

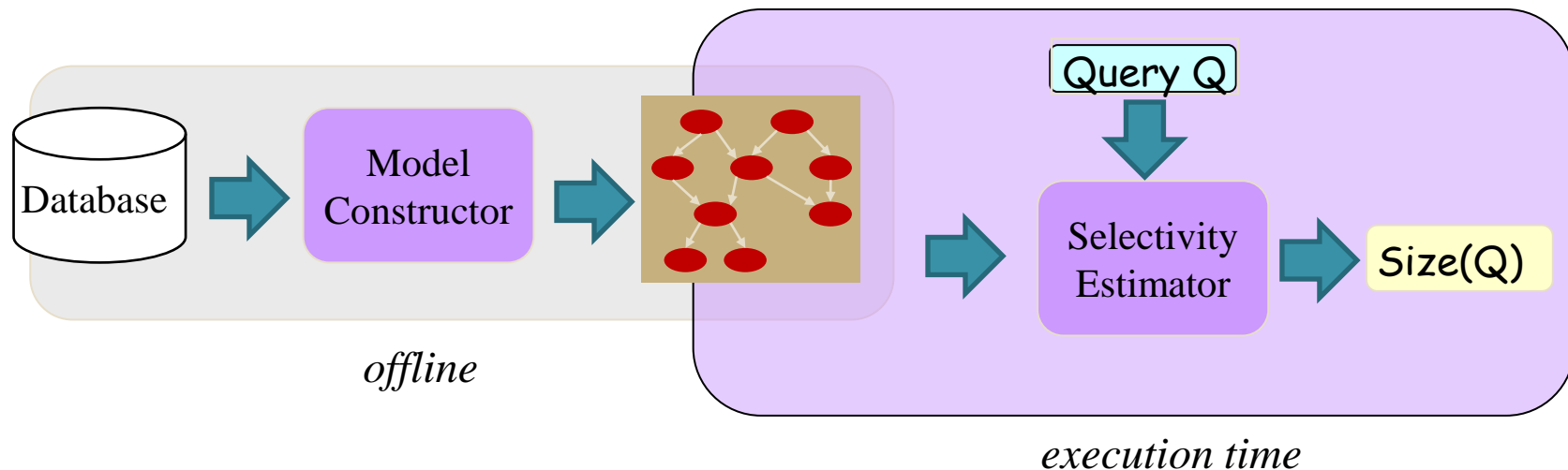


```
select *  
from P, S  
where P.Strain = Strain-ID ..
```

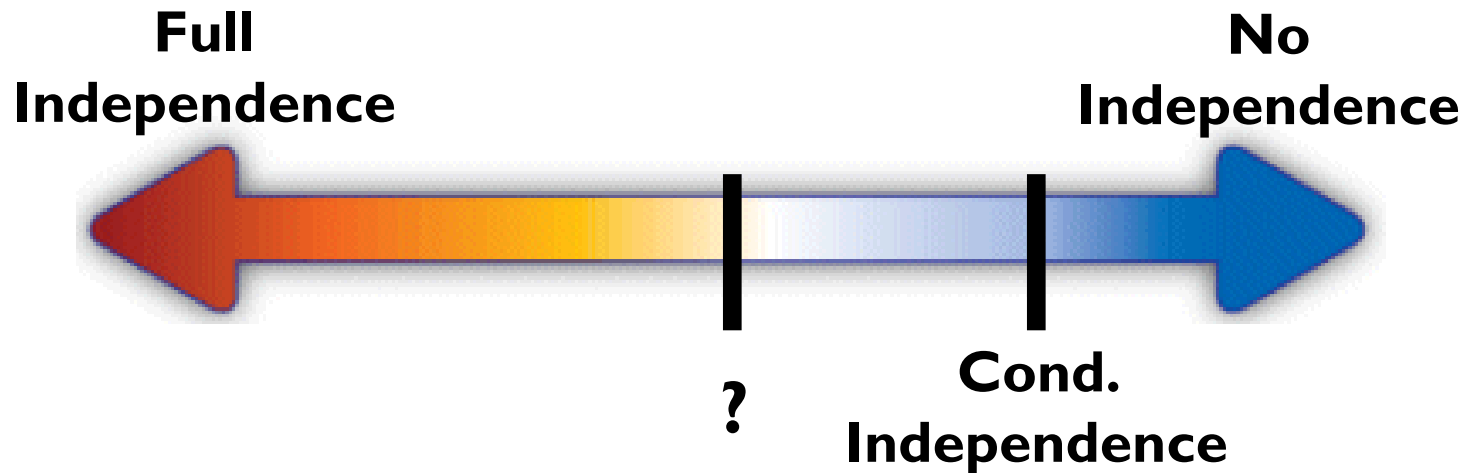


# Cons. of BN

- Model is still too complicated...
  - Construction is expensive
  - Selectivity estimation is expensive



# The Tradeoff Spectrum



- Red: better efficiency, worse accuracy
- Blue: better accuracy, worse efficiency

# Idea #4: Constraint BN Dep.

- Further restrict the structure of BN:
  - Acyclic [SIGMOD'01]
  - Fixed structure [this paper]
- Challenge: how to choose the fixed structure to get the good tradeoff in the spectrum?
  - Model simple enough for efficient algorithms
  - Model still capture important correlations

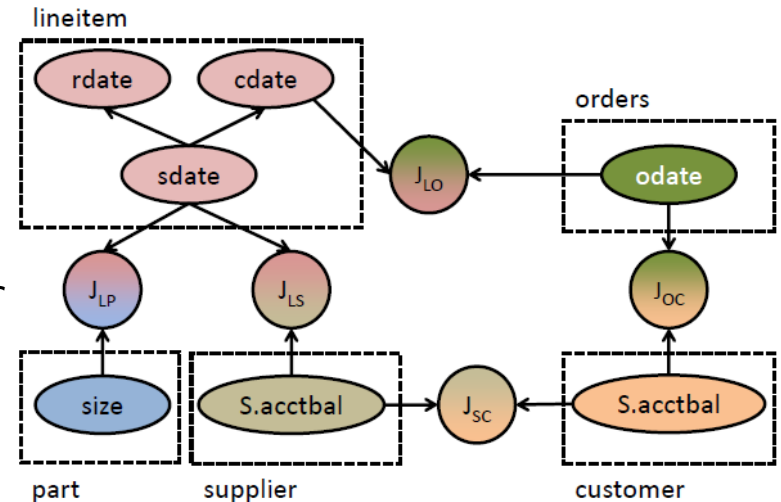
# Fixed Structure BN

- Within a table
  - Attributes have at most one parent: tree structure
- Across a table
  - Joint indicators have at most two parents
  - No other cross-table edges
- 3D histograms only, scalable construction

# Fixed Structure BN Construct

- Nodes

- Each attribute  $a$
- Each join indicator  $J_f$  based on workload



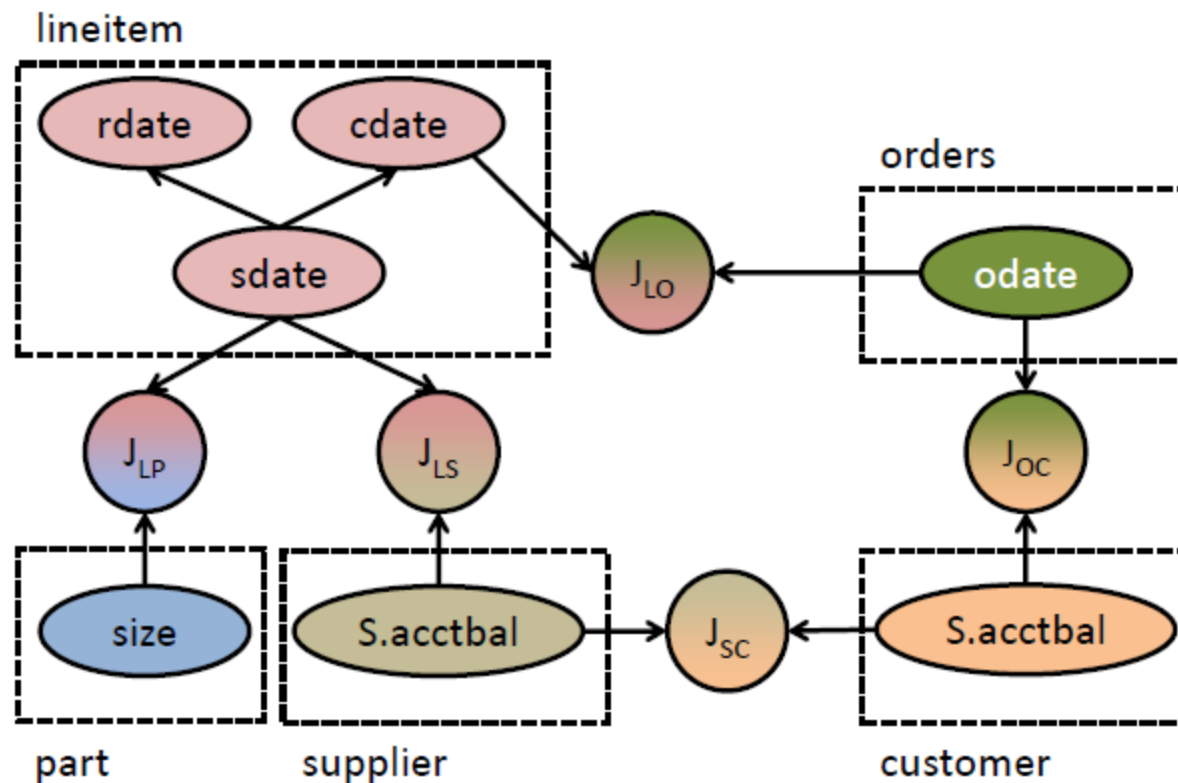
- Edges

- Within a table: maximum spanning tree
- Across tables: best parent from each table
- Weights based on mutual information



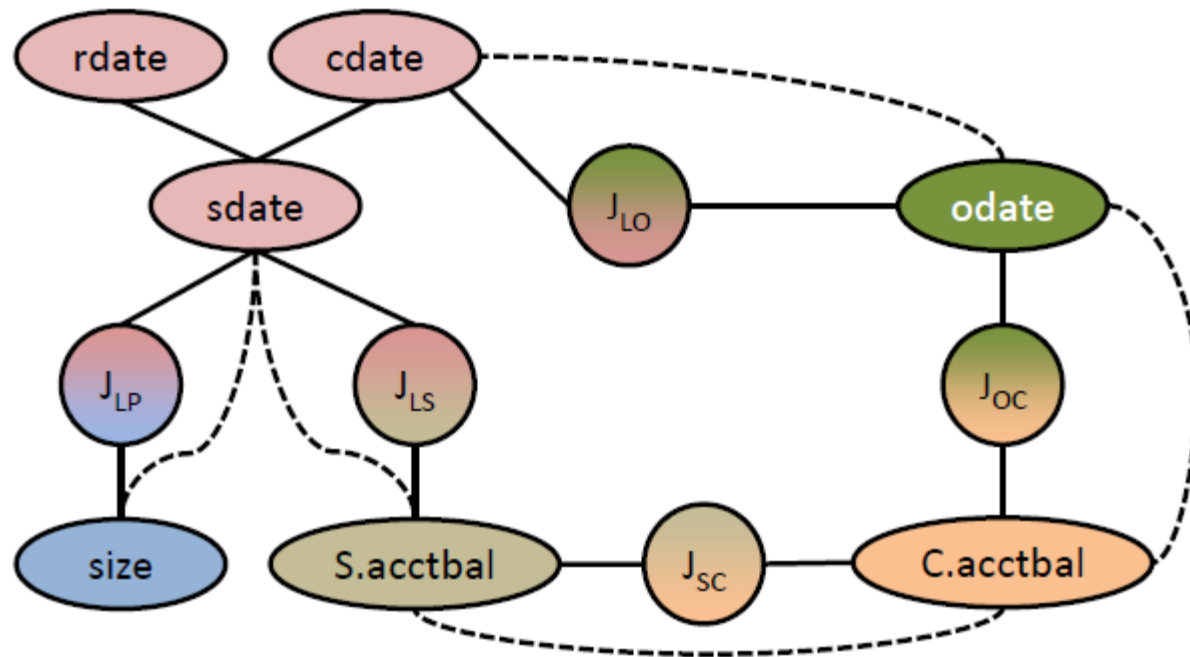
# Selectivity Est. in Fixed BN

- Transform BN into a junction tree



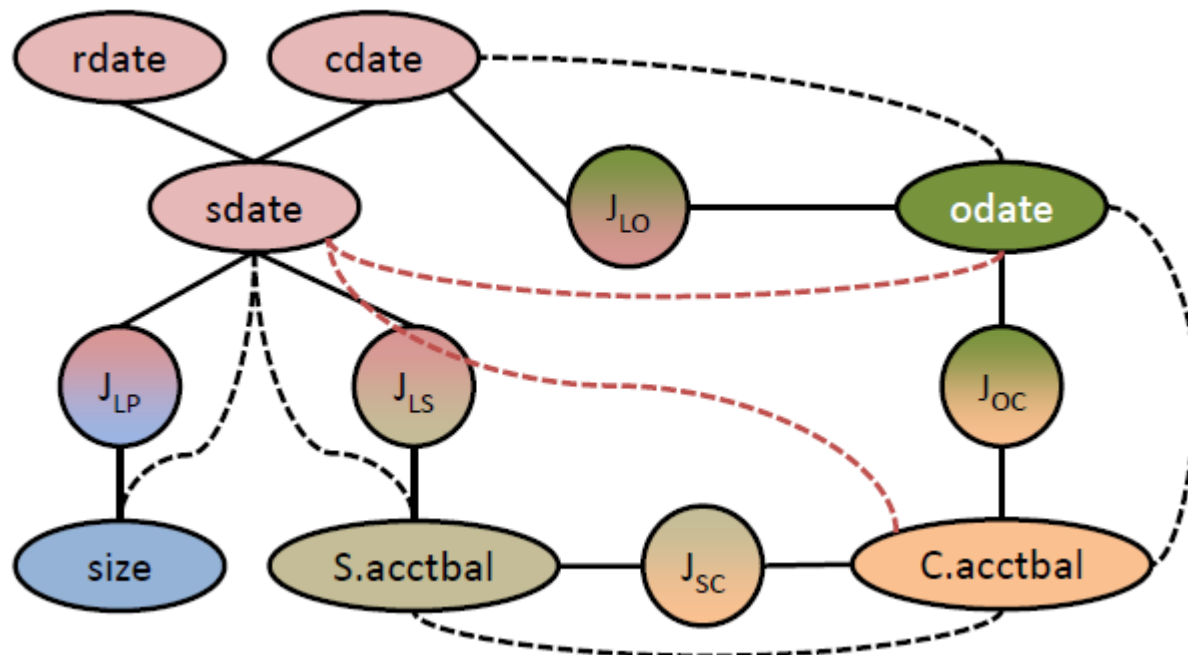
# Selectivity Est. in Fixed BN

- Transform BN into a junction tree



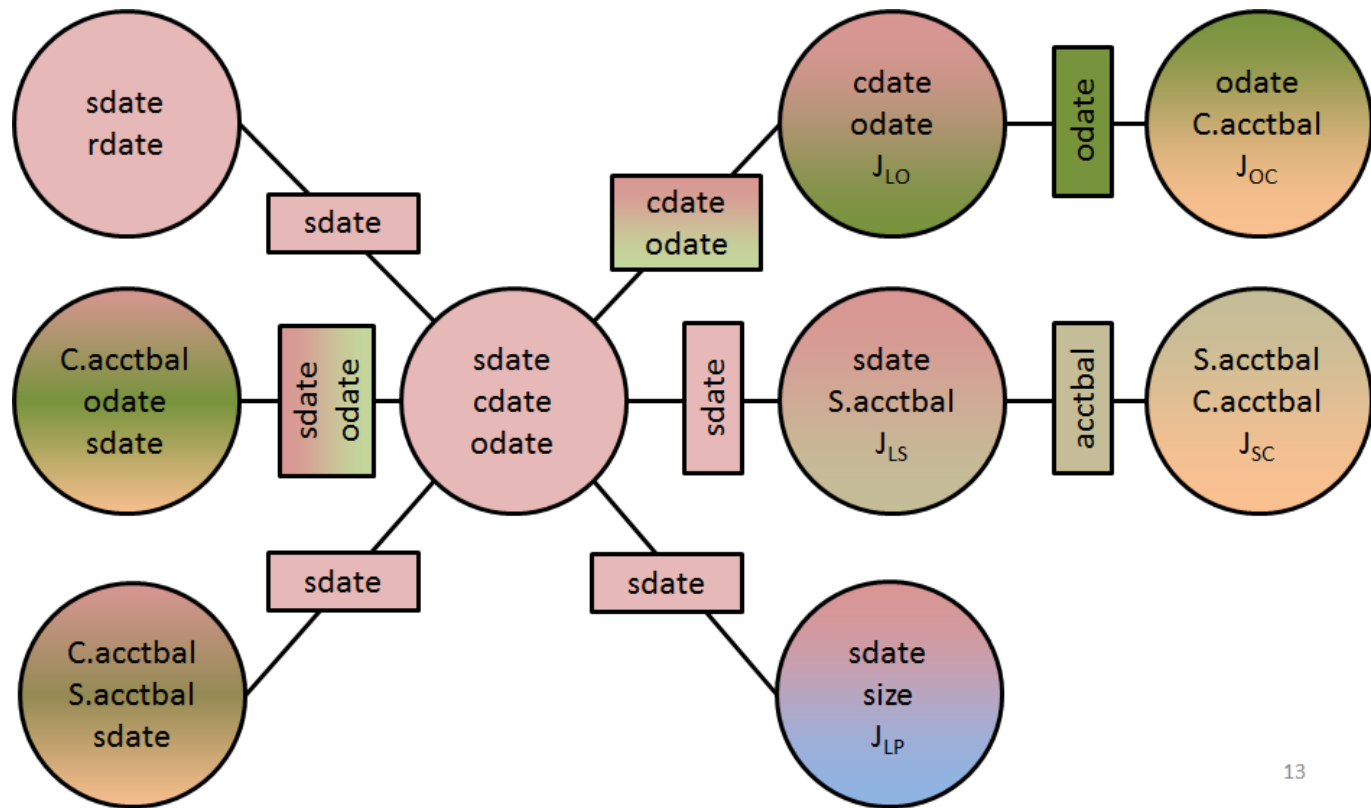
# Selectivity Est. in Fixed BN

- Transform BN into a junction tree



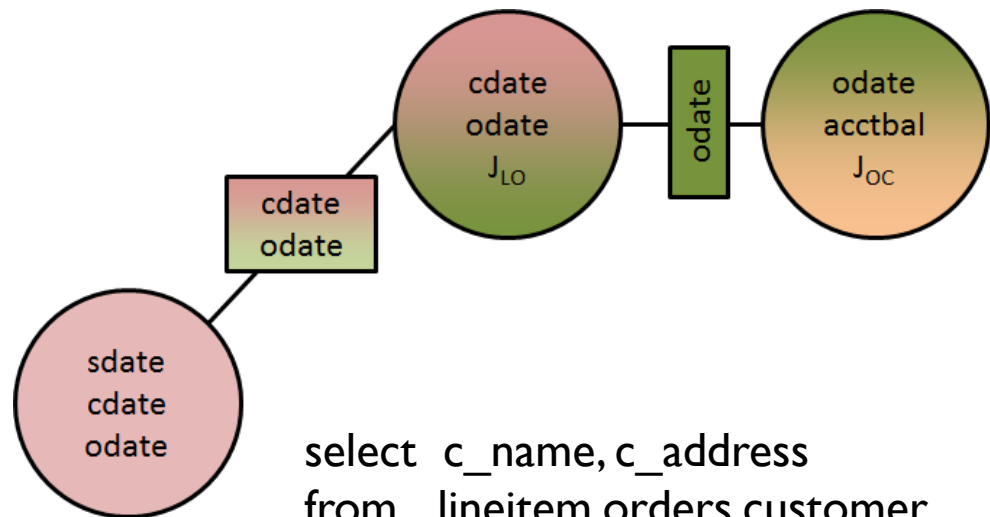
# Selectivity Est. in Fixed BN

- Transform BN into a junction tree



# Selectivity Est. in Fixed BN

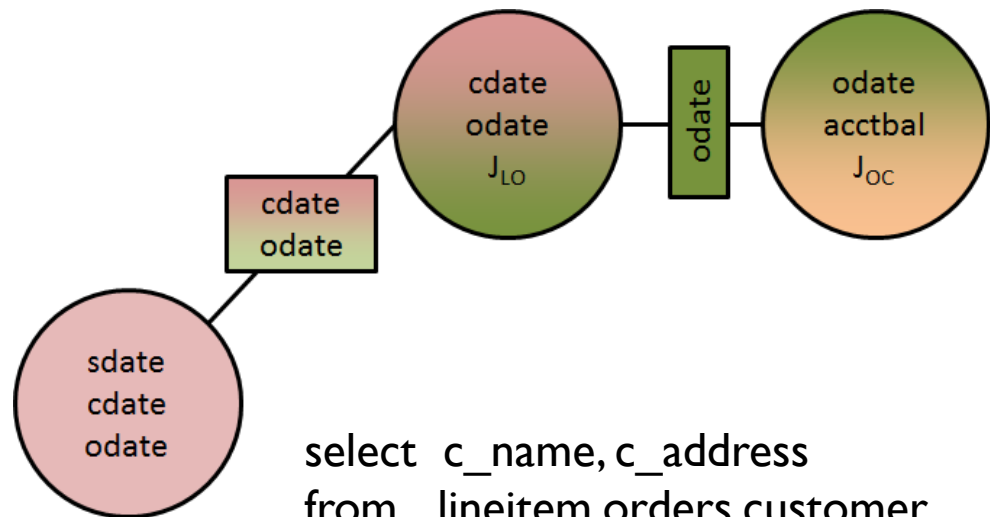
- Extract the subtree related to the query



```
select c_name, c_address
from lineitem, orders, customer
where l_orderkey = o_orderkey and
      o_custkey = c_custkey and
      l_sdate <= "25/7/2011" and
      c_acctbal <= 200000
```

# Selectivity Est. in Fixed BN

- Tree algorithms for joint distribution
  - Sum-product
  - DP



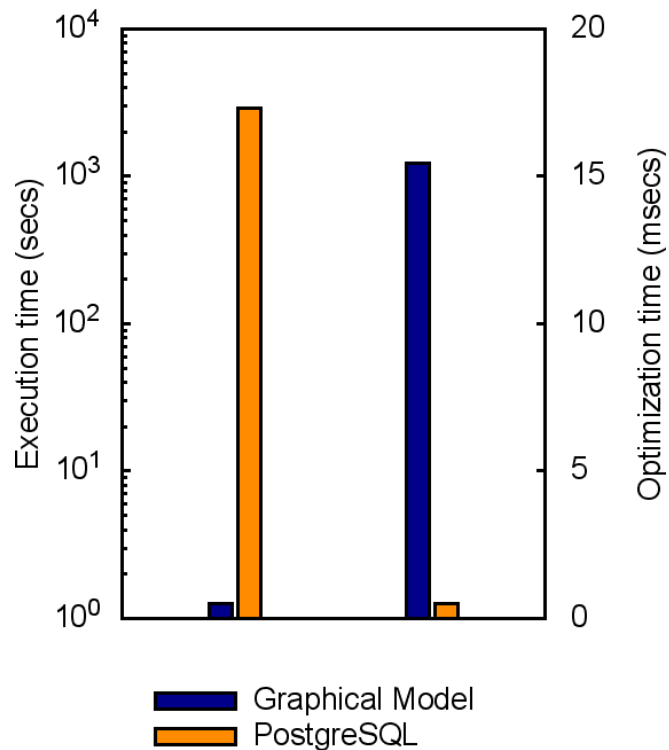
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```

# Experiments

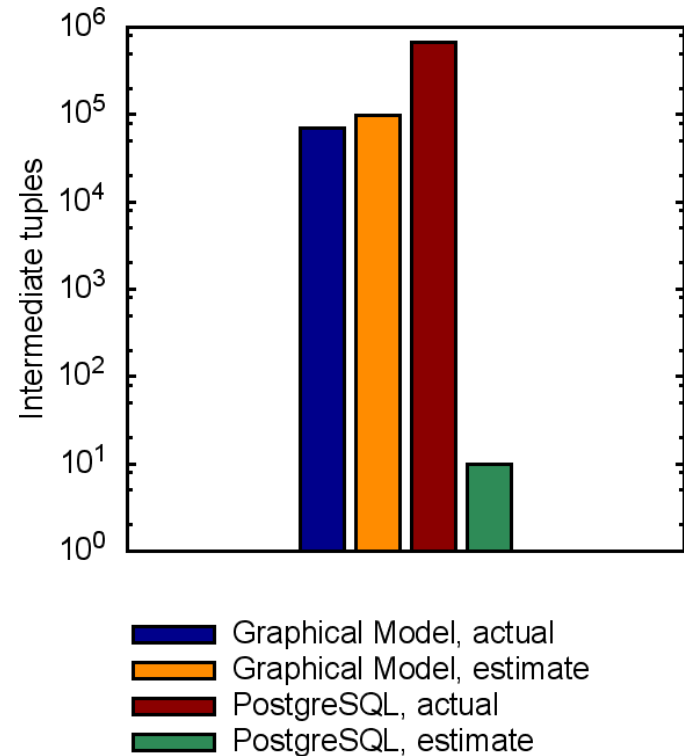
- Implementation
  - Model construction outside DBMS, use queries to get distributions
  - Stores junction tree as tables in catalog
  - Replace selectivity estimation procedure
- Compare with PostgreSQL

# Efficiency and Accuracy

Execution & optimization times

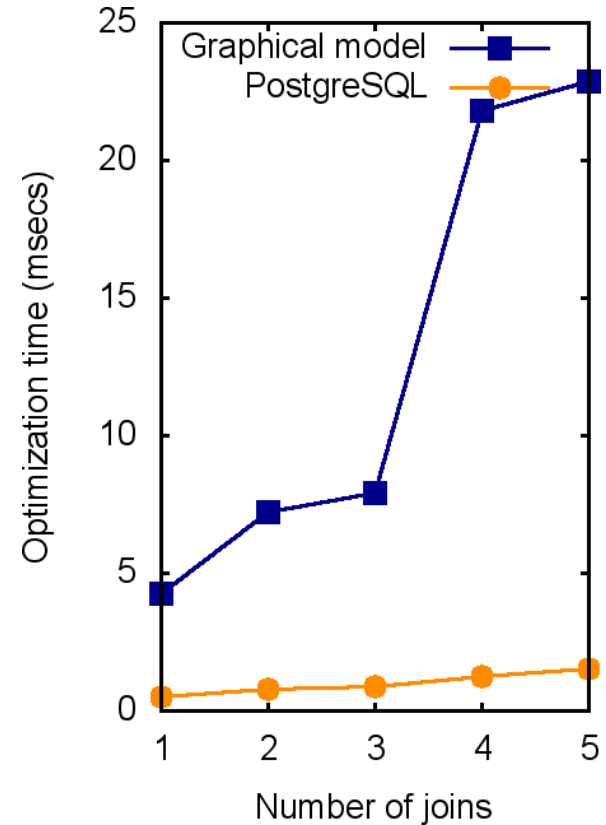
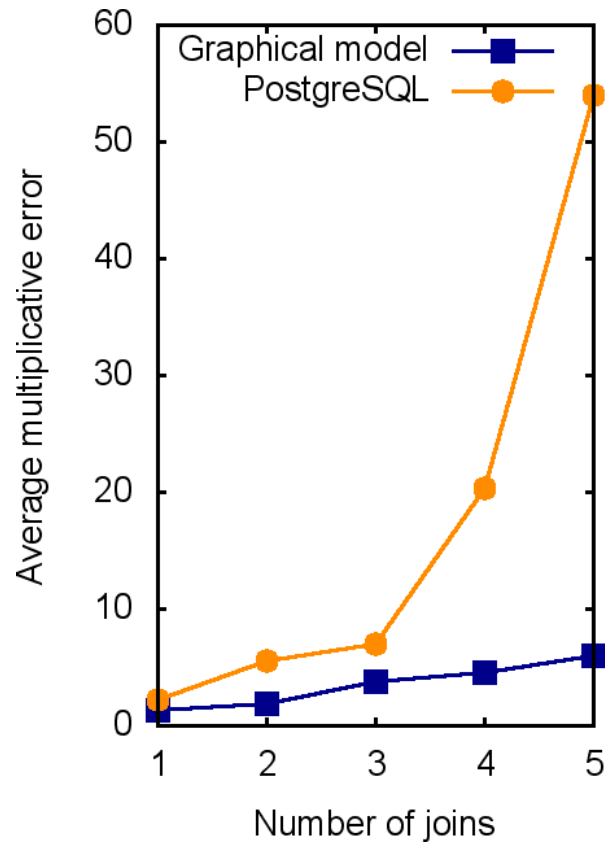


Cost of plans (intermediate tuples)





# Scalability



Error:  $\max(\text{real}, \text{estimate}) / \min(\text{real}, \text{estimate})$

# Conclusion

***Thank You!***

- Inaccurate selectivity estimation leads to bad plan
- Fixed structure BN is a good tradeoff between efficiency and accuracy (?)