

Two Approximate- Programmability Birds, One Statistical- Inference Stone

Adrian Sampson

University of Washington

APPROX 2014



sallipa



EnerJ, the Language of Good-Enough Computing (spectrum.ieee.org)

submitted 8 months ago by [jms_nh](#)

[23 comments](#) [share](#) [save](#) [hide](#) [give gold](#) [report](#) [instapaper](#)

...



[\[-\]](#) [jtra](#) 3 points 8 months ago

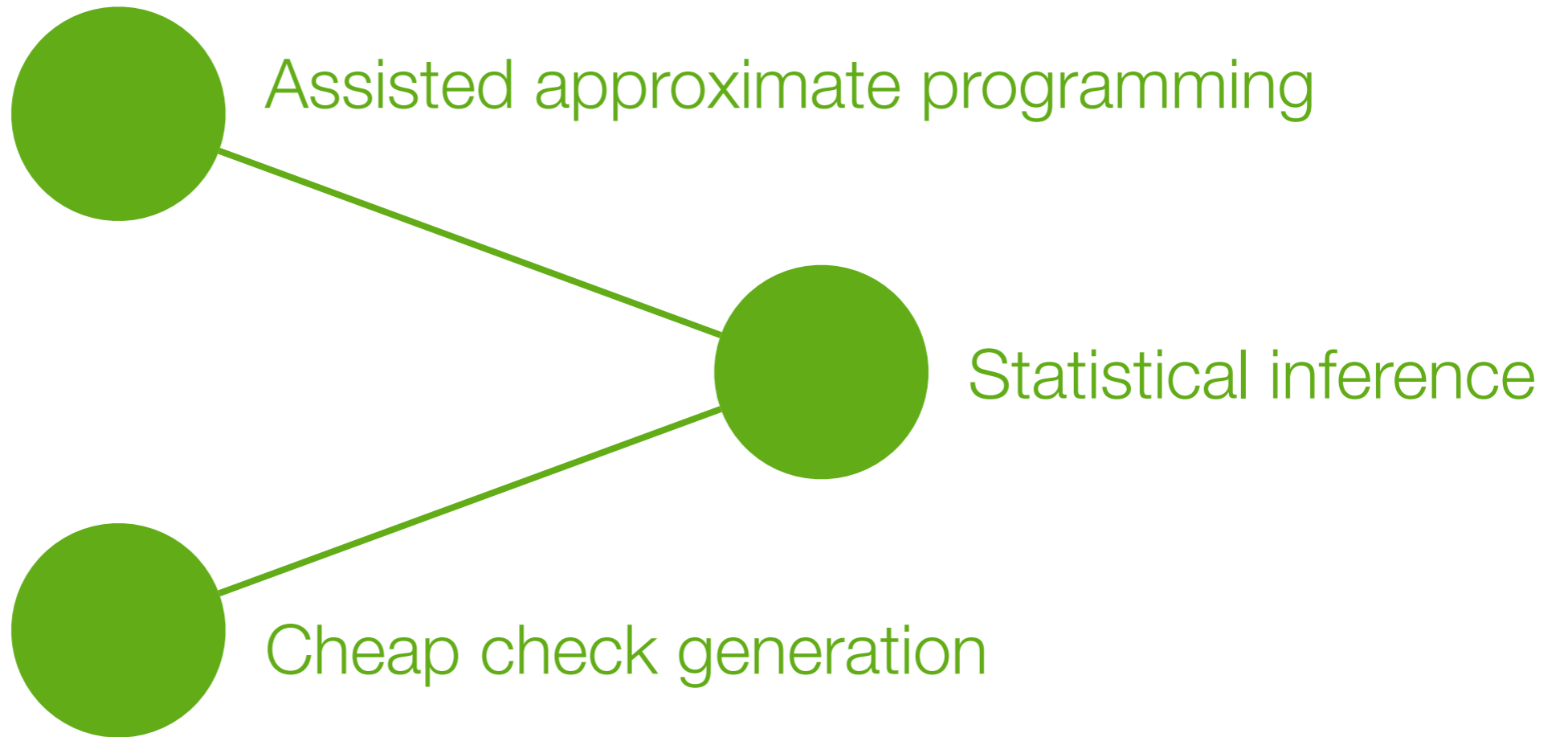
Good luck debugging that...

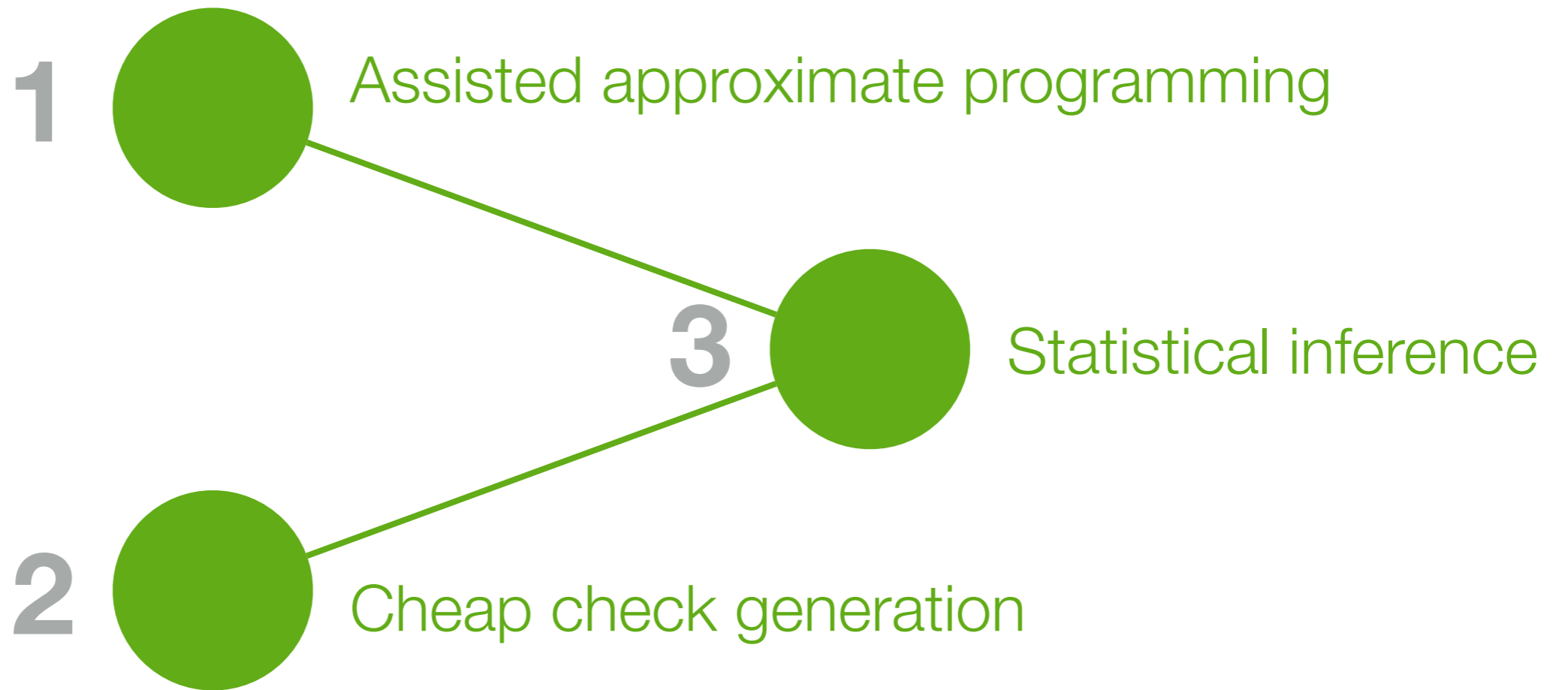
[permalink](#) [save](#) [give gold](#)



[\[-\]](#) [MorePudding](#) 10 points 8 months ago

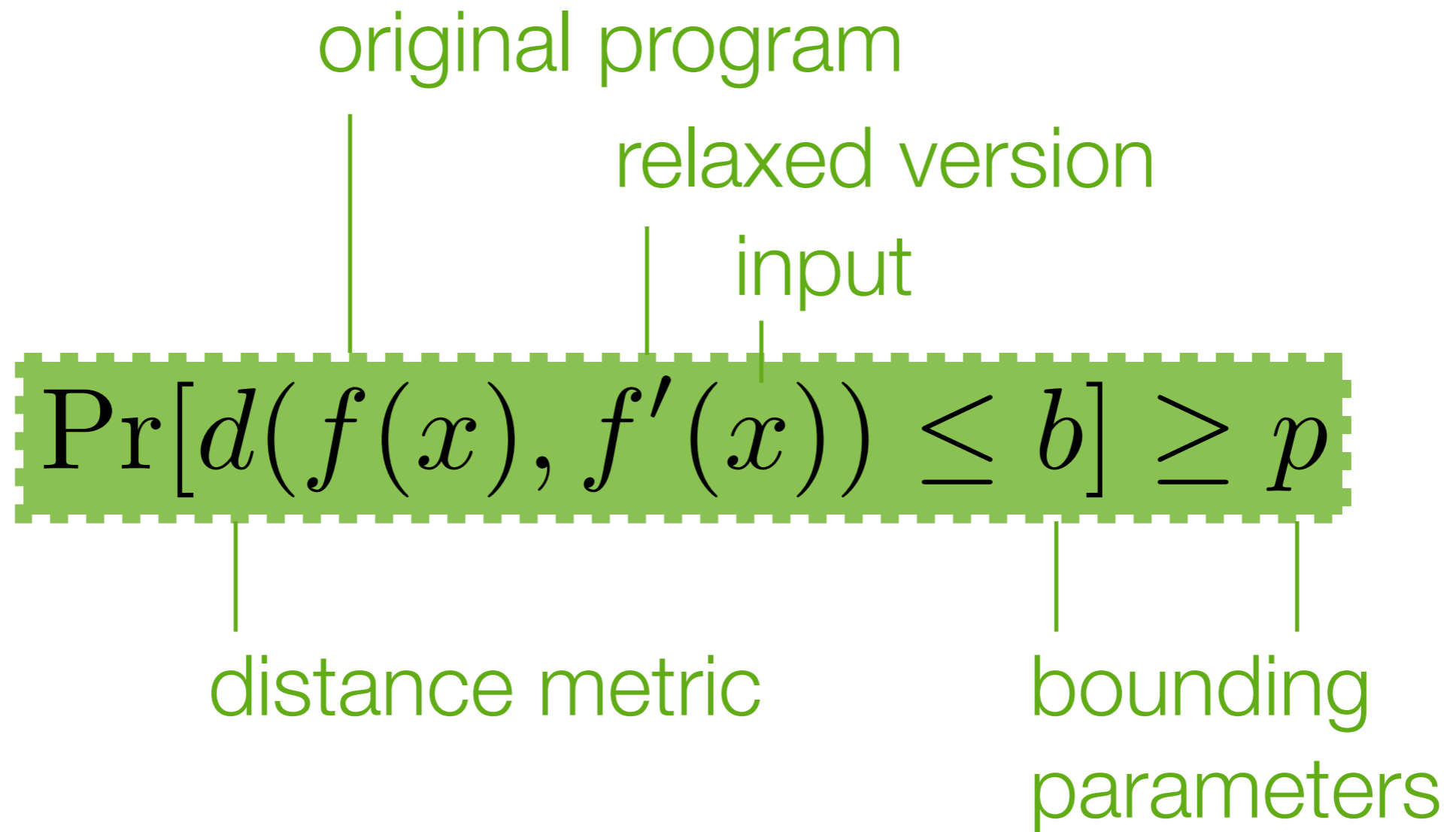
Oh god, this sounds awful .. and it has enough potential to actually be shoving it down our throats by force (i.e. people recalculating things standard/"unofficial" hardware that tries to work around the limitations that).





4 Next steps

Expressing quality



Assisted approximate programming

$$f \longrightarrow f'$$

Manual approximate programming



```
int p = 5;
int a = 7;
for (int x = 0..) {
    a += func(2);
    int z;
    z = p * 2;
    p += 4;
}
a /= 9;
func2(p);
a += func(2);
int y;
z = p * 22 + z;
p += 10;
```

```
int p = 5;
@Approx int a = 7;
for (int x = 0..) {
    a += func(2);
    @Approx int z;
    z = p * 2;
    p += 4;
}
a /= 9;
func2(p);
a += func(2);
@Approx int y;
z = p * 22 + z;
p += 10;
```

Assisted approximate programming

$$f \longrightarrow f'$$

+

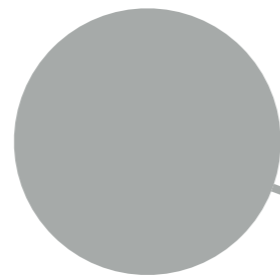
$$\Pr[d(f(x), f'(x)) \leq b] \geq p$$

ExpAX [Esmaeilzadeh+]

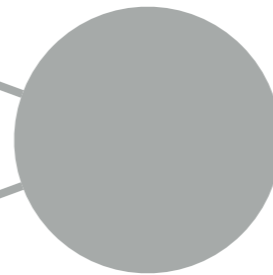
Syndy [Misailovic and Rinard, WACAS]

Optimization in Rely [Misailovic+]

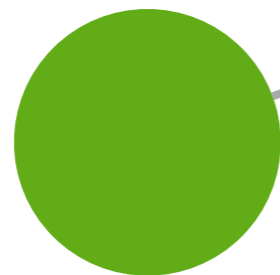
⋮



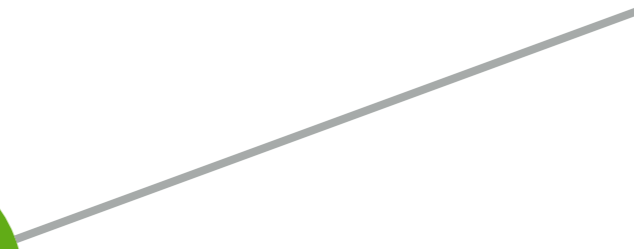
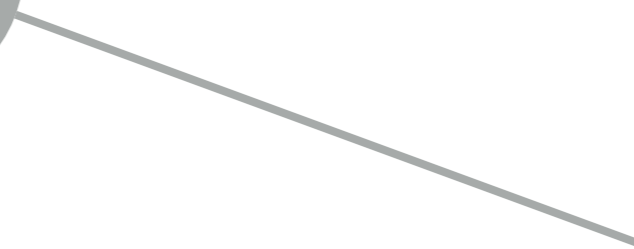
Assisted approximate programming



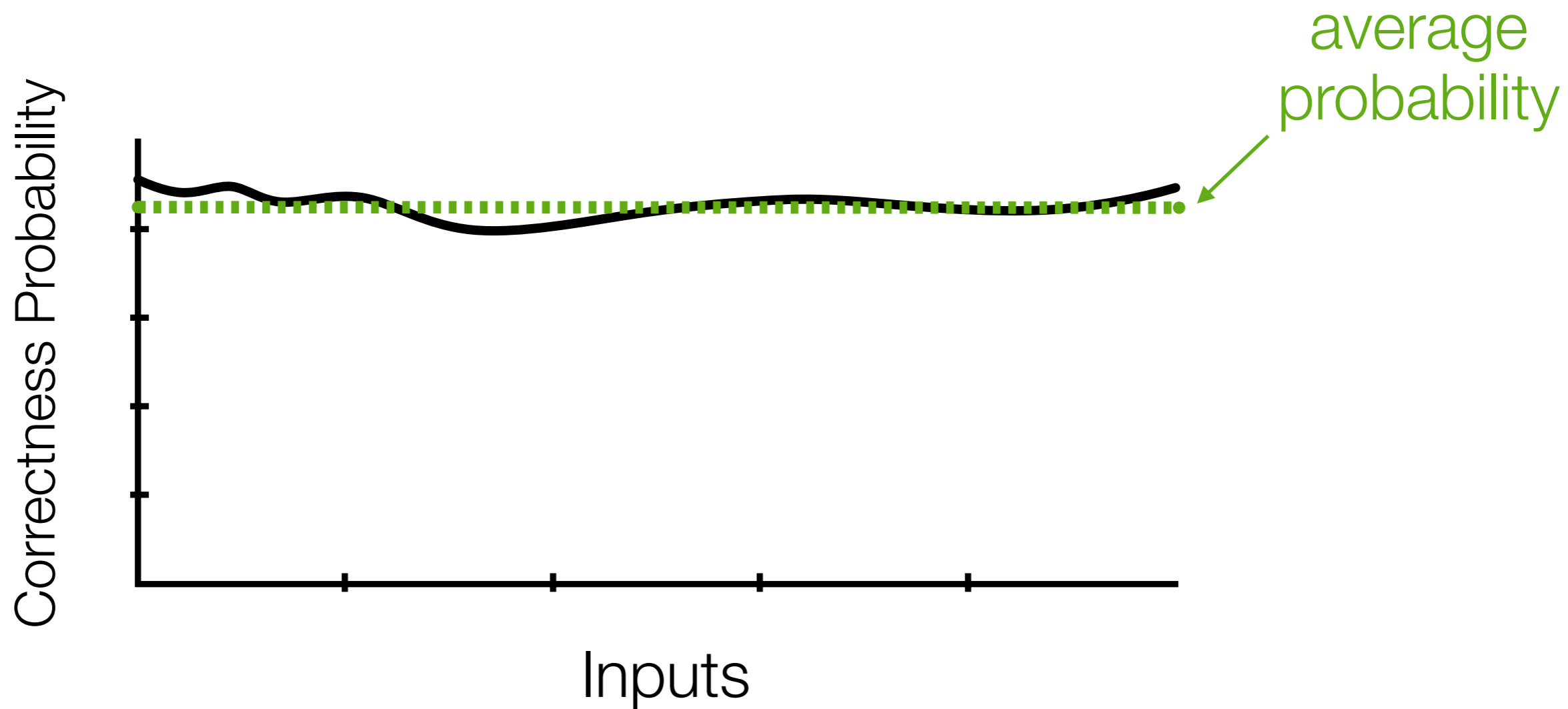
Statistical inference



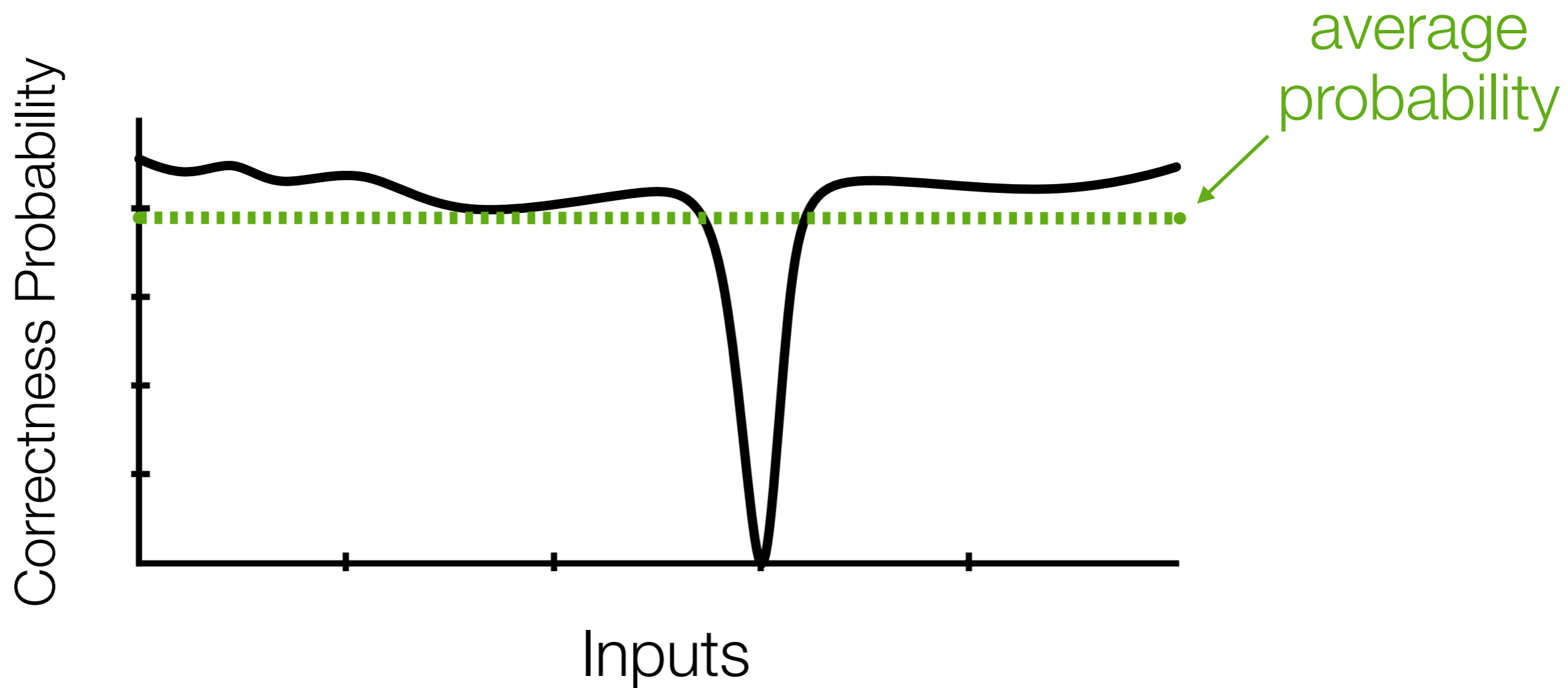
Cheap check generation



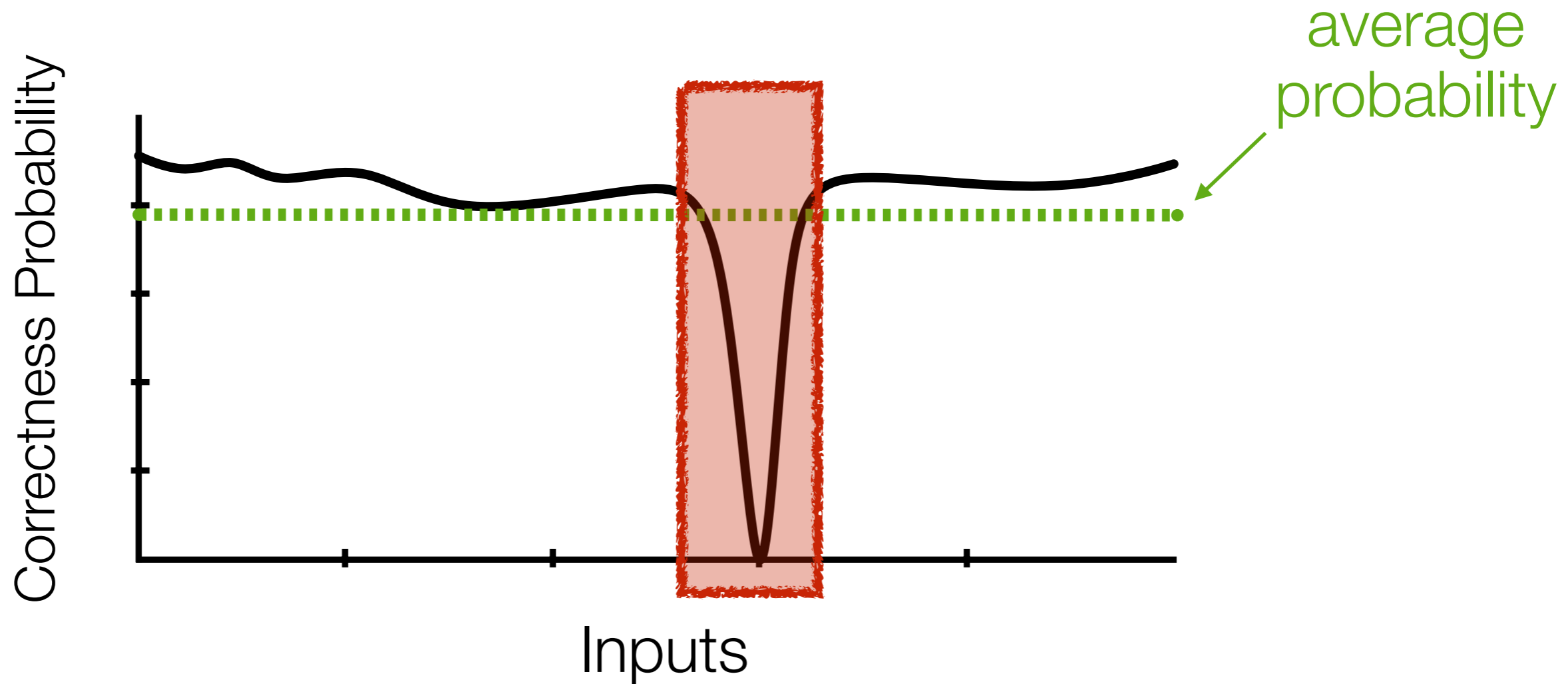
Quality: the fantasy



Quality: the reality



Cheap checks to fall back to precise execution

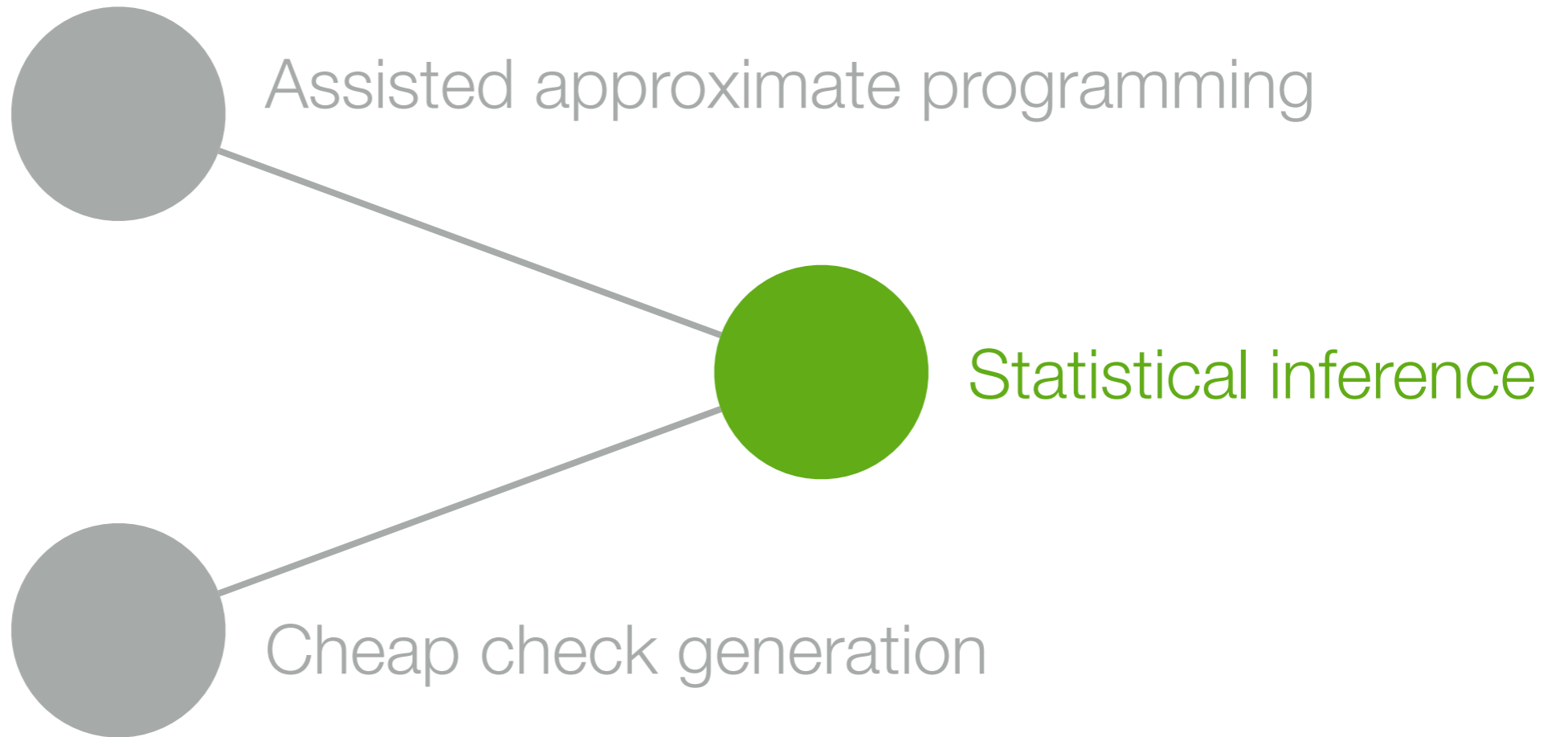


Cheap checks

$$f \quad f' \quad \Pr[d(f(x), f'(x)) \leq b] \geq p$$



$$x \text{ s.t.} \quad \Pr[d(f(x), f'(x)) \leq b] \geq p$$



Approximate program

```
def dist(x1, y1, x2, y2):  
    return sqrt((x1 - x2) ** 2 + (y1 - y2) ** 2)
```

approximate operations



Approximate program → probabilistic program

```
def dist(x1, y1, x2, y2):  
    return sqrt((x1 - x2 + error()) ** 2  
                + (y1 - y2 + error()) ** 2)  
                + error()
```


Assisted approximate programming as statistical inference

```
def dist(x1, y1, x2, y2):  
    return sqrt((x1 - x2 + error(?)) ** 2  
                + (y1 - y2 + error(?)) ** 2)  
                + error(?))
```

S.t. $\Pr[d(f(x), f'(x)) \leq b] \geq p$

Cheap check generation as statistical inference

```
x1 = dist(?)
```

```
y1 = dist(?)
```

```
x2 = dist(?)
```

```
y2 = dist(?)
```

```
def dist(x1, y1, x2, y2):
```

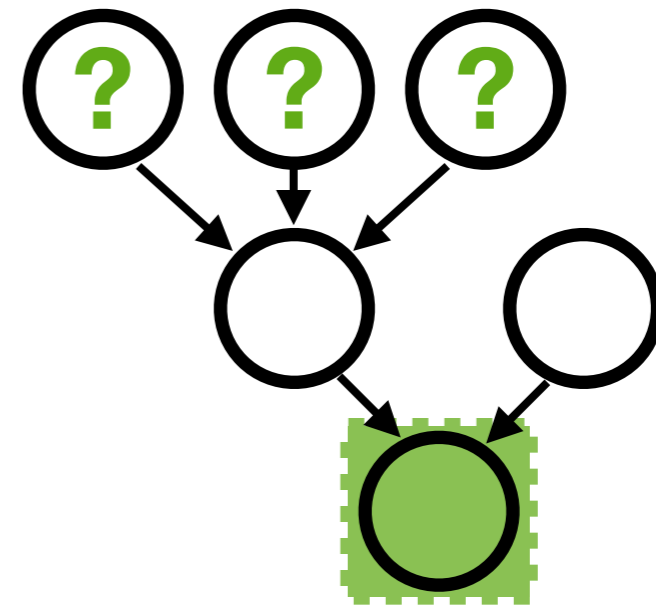
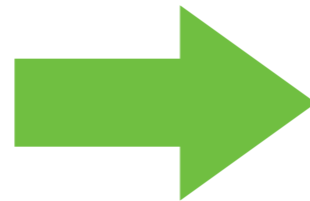
```
    return sqrt((x1 - x2 + error()) ** 2  
                + (y1 - y2 + error()) ** 2)  
                + error()
```

S.t. $\Pr[d(f(x), f'(x)) \leq b] \geq p$

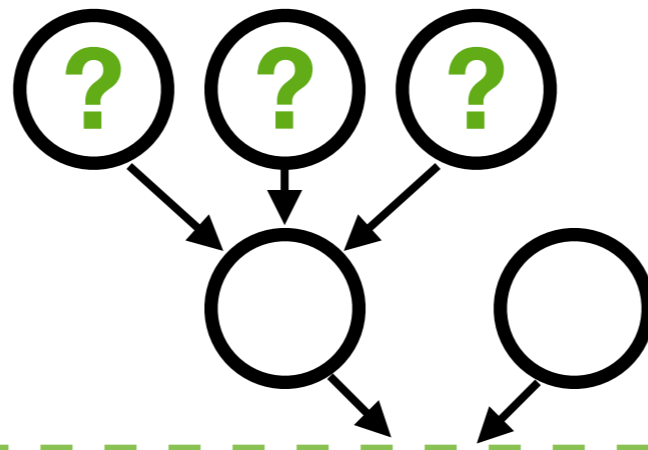
First steps

First steps: translate to a probability distribution

```
int p = 5;
int a = 7;
for (int x = 0..) {
    a += func(2);
    int z;
    z = p * 2;
    p += 4;
}
a /= 9;
func2(p);
a += func(2);
int y;
z = p * 22 + z;
p += 10;
```

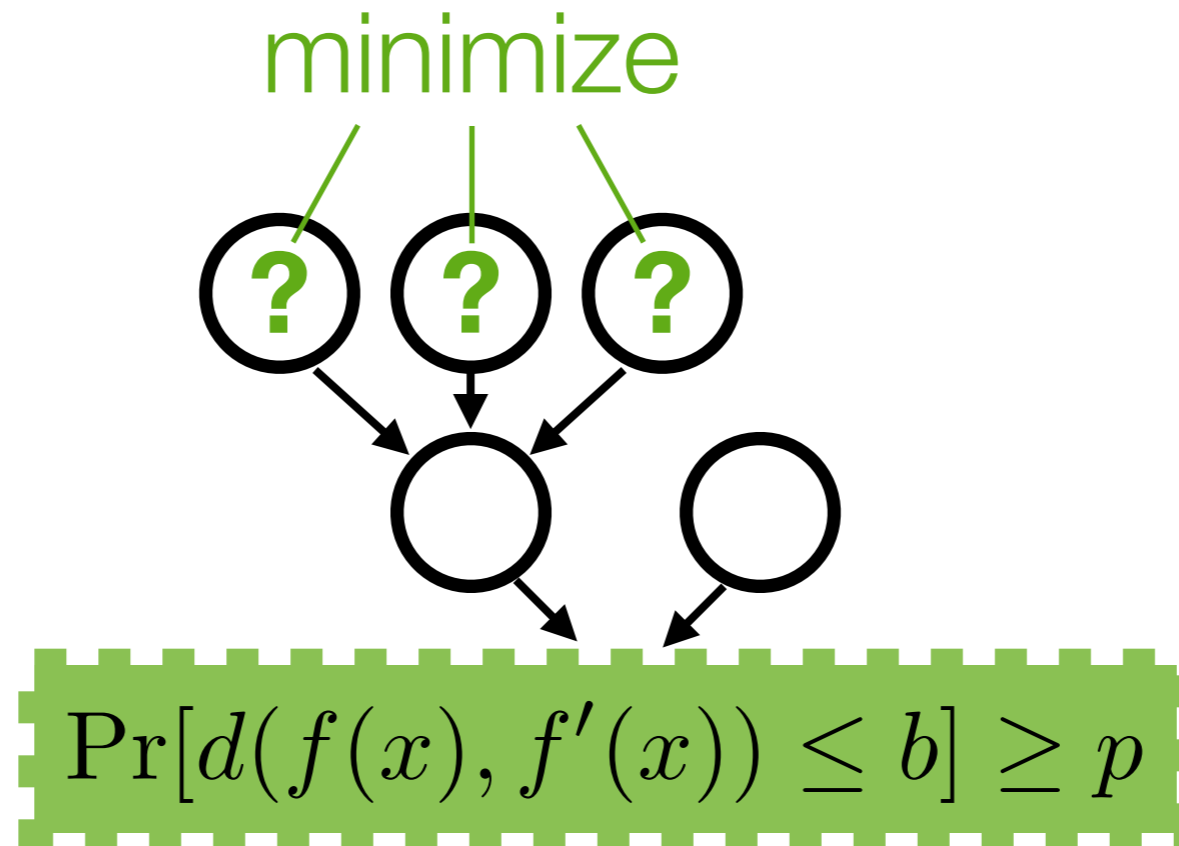


First steps: statistical inference with constraints?



$$\Pr[d(f(x), f'(x)) \leq b] \geq p$$

First steps: statistical inference with constraints and objectives?



First steps:
statistical inference with constraints
and objectives
scalably?

