

# CS664 Computer Vision

## 1. Introduction


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## Computer Vision


- Machines that “see”
  - Broad field, any course will cover a subset of problems and techniques
- Closely related fields of study
  - Artificial intelligence and machine learning (CS)
  - Spatial statistics (Math/Stats)
  - Image processing (EE/CE)
  - Algorithms and optimization (CS/OR)
  - Optics and reflectance models (Physics)
  - Human visual perception and cognition (Psych)
  - Animal vision (Neuroscience)



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## Preparation


- Background in
  - Algorithms and data structures
  - Writing code with attention to efficiency
  - Basic probability
  - Linear algebra
- Some degree of mathematical sophistication
  - Ability to learn new math along the way without too much effort



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## Course Requirements


- Readings for class
- Short in-class quizzes
- Two programming assignments
  - Probably easiest in C/C++ because of libraries such as OpenCV
- Open ended final project on topic of your choice



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## Applications of Computer Vision




- Computer vision increasingly useful as digital images become ubiquitous
  - But still many simple-seeming problems still beyond state of art
- Wide range of areas
  - Image and video enhancement for consumer and entertainment applications
  - Automatic detection of faces and license plates for privacy, recognition for security
  - Automated inspection for industrial applications
  - Robotic automation and user assistance



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## Applications

- Industrial inspection
  - Wide range of industries from electronics to product labels to food
  - Match images to ideal prototypes
    - Highly controlled imaging conditions

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## Applications

- License plate reading
  - Roads and parking
    - E.g., garages, central London
  - License plate finding and character recognition
  - Structured location of plate



## Applications

- Face detection and recognition
  - Finding faces in cluttered images
  - Recognizing faces (more controlled conditions)
  - Obscuring for privacy
    - E.g., Google's Streetview



## Applications

- Image cleanup (inpainting)
  - Replace pixels by filling in surrounding image
  - Model as diffusion or spatial statistical process
  - Texture challenging



## Applications

- Image compositing and synthesis
  - Image/video insertion
  - Panoramic images by stitching together multiple photos
  - Merging best of several photos together



## Applications

- Robotics
  - Ego-based and environment-based cameras
  - Integration of different sensing modalities
    - Lidar, radar, ir



## Active Sensing Helps But...

- Lidar data provides cloud of points
  - Still "image-like" but with distances instead of intensities (or both)
- Still a vision problem
  - Analogous to working with stereo data



## Applications

- Driving assistance (limited)
  - Monitor freeway lane change and forward vehicles



## Visual Road Following

- Mobileye lane departure warning product



## Computer Vision Algorithms

- Making things run fast an important part of practical computer vision techniques
  - Both algorithms and attention to coding details
- Dynamic programming (DP) common
  - Methods that cache solutions to sub-problems rather than re-computing them
- Applies to problems that can be decomposed into sequence of stages
  - Each stage expressed in terms of results of fixed number of previous stages

## Basic Example

- Consider following problem
  - For every pixel in an  $m \times n$  image, sum all the pixel values in a  $w \times h$  window around the pixel

$$\begin{bmatrix} 2 & 1 & 2 & 3 \\ 1 & 0 & 1 & 2 \\ 1 & 0 & 1 & 2 \\ 2 & 1 & 2 & 3 \end{bmatrix} \quad 3 \times 3 \text{ sum} \Rightarrow \begin{bmatrix} 4 & 7 & 9 & 8 \\ 5 & 9 & 12 & 11 \\ 5 & 9 & 12 & 11 \\ 4 & 7 & 9 & 8 \end{bmatrix}$$

- Naive method takes  $O(mnwh)$  time
  - 4 nested loops
- Solve in  $O((m+w)(n+h))$  time
  - Low constants, faster even for small windows

## Simplify: What About 1D?

- For every element in an  $n$ -vector sum all elements in a width  $w$  interval

$$\begin{array}{cccccccc} 1 & 0 & 1 & 2 & 3 & 2 & 0 & 1 & 1 \\ 1 & 2 & 3 & 6 & 7 & 5 & 3 & 2 & 2 \end{array} \quad w=3$$

$$\begin{array}{cccccccc} +0 & +1 & +2 & +3 & +2 & +0 & +1 & +1 & +0 \\ -0 & -0 & -1 & -0 & -1 & -2 & -3 & -2 & -0 \end{array}$$

- Running sum – slide window of width  $w$ 
  - Add entering element, subtract exiting one
  - Time independent of width  $w$

## 2D Sums from 1D Sums

- Compute horizontal sums using sliding window
- On result compute vertical sums
  - This gives overall sum

$$\begin{array}{cccc} 2 & 1 & 2 & 3 \\ 1 & 0 & 1 & 2 \\ 1 & 0 & 1 & 2 \\ 2 & 1 & 2 & 3 \end{array} \quad \begin{array}{ccc} 3 & 5 & 6 & 5 \\ 1 & 2 & 3 & 3 \\ 1 & 2 & 3 & 3 \\ 3 & 5 & 6 & 5 \end{array} \quad \begin{array}{cccc} 4 & 7 & 9 & 8 \\ 5 & 9 & 12 & 11 \\ 5 & 9 & 12 & 11 \\ 4 & 7 & 9 & 8 \end{array}$$

- Running time independent of  $w, h$ 
  - Just add 2 and subtract 2 elements per pixel
- Extension to variable size windows

## Using Integral Images

- Fast summations over arbitrary sized rectangles (intervals) – consider 1D

- Cumulative sum

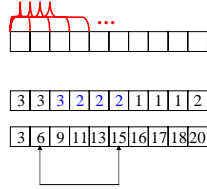
$$- S[x] = f[0] + \dots + f[x]$$

- DP recurrence  $O(n)$  time

$$- S[x] = S[x-1] + f[x]$$

- Sum over region of  $f$  independent of size  $k$

$$- F[x] + \dots + F[x+k-1] = S[x+k-1] - S[x-1]$$



## N-Dimensional Integral Images

- Analogous for higher dimensions, 2D:

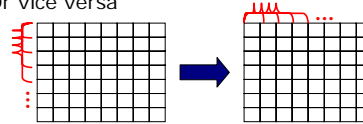
$$- S[x,y] = f[0,0] + \dots + f[0,y] + \dots + f[x,0] + \dots + f[x,y]$$

- Separate recurrence per dimension

$$- C[x,y] = C[x,y-1] + f[x,y] \quad (\text{column sum})$$

$$- S[x,y] = S[x-1,y] + C[x,y] \quad (\text{total sum})$$

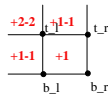
- Or vice versa



## Fast Sums Using Integral Images

- Sum over arbitrary rectangle in constant time – with integral image preprocessing

$$- S[b_r] + S[t_l-(1,1)] - S[b_l-(1,0)] - S[t_r-(0,1)]$$



- Also sum over arbitrary region, linear time
  - Running time proportional to length of boundary not area

## Fast Detection With II

- Features formed from combinations of sums over rectangles

- For example positive and negative regions
- Running time independent of rectangle size

- Viola and Jones use for face detection at approximately video rates



## Fast Object Detection

- Classifier (set of rectangles) learned from examples



## Course Outline

- Filtering
- Edge detection
- Corner Detection
- Interest points – SIFT features
- 2D Geometry/Transforms
- Matching, Chamfer and Hausdorff
- Distance Transforms
- 3D camera geometry
- Multiview geometry
- Image Panoramas
- Image stitching/mosaicing

## Course Outline

- Visual motion/optical flow
- Parametric motion
- Structure from motion
- Stereo
- Markov Random Fields for stereo
- MRF Inference
- Image segmentation
- Face Recognition, Subspace Methods
- Object Category Recognition
- Flexible template models
- Tracking by Matching