CS5670: Computer Vision Noah Snavely

Panoramas



What's inside your fridge?

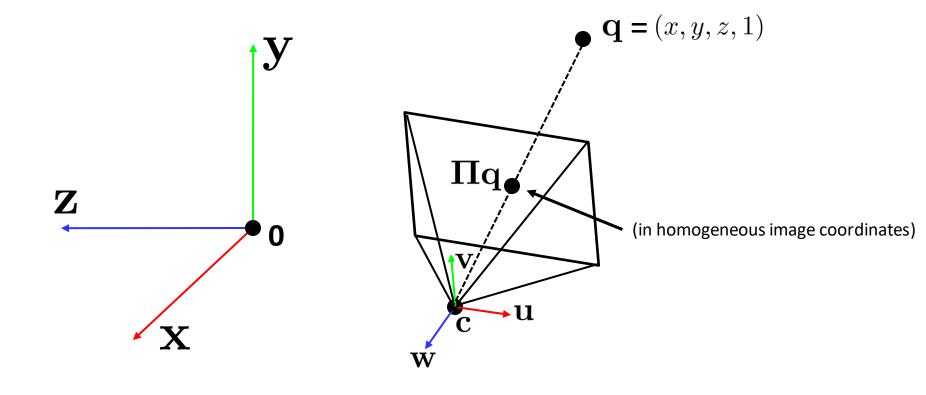
Announcements

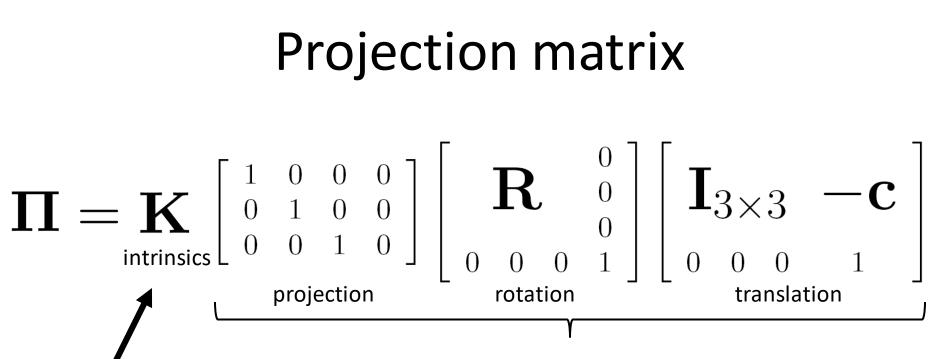
- Project 3 (Autostitch) is out, due next Thursday, March 28 by 11:59pm
 - Artifact due Friday, March 29 by 11:59pm

Project to be done in pairs

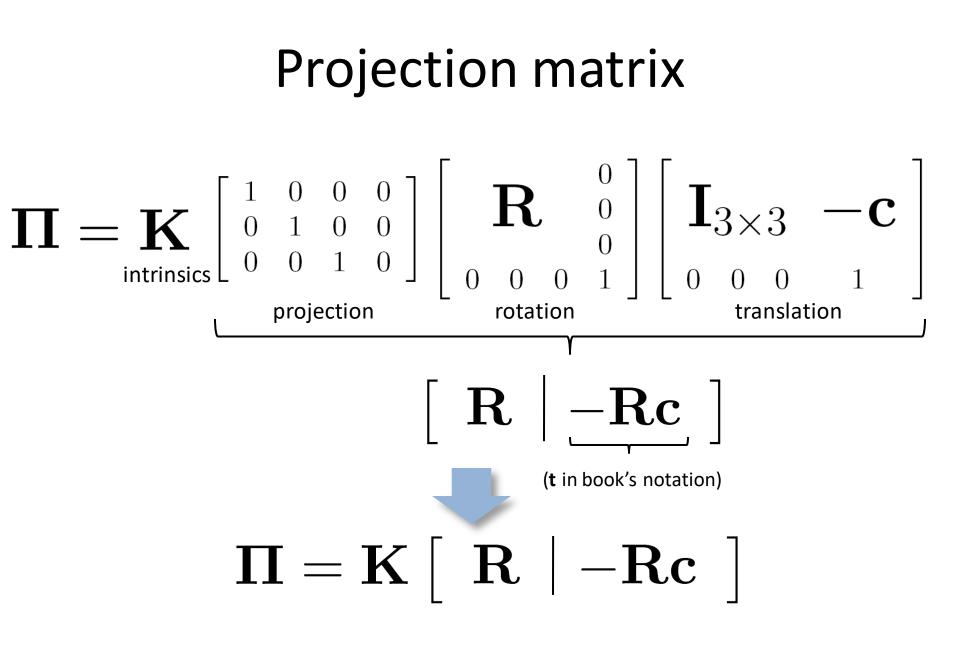
- Take-home midterm
 - To be distributed at the end of class
 - Due at the beginning of class in one week,
 Wednesday, March 20

Camera projection matrix: recap

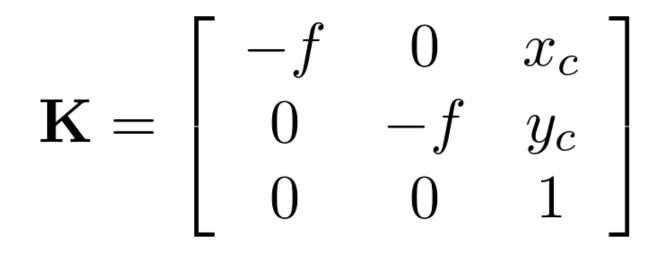




The **K** matrix converts 3D rays in the camera's coordinate system to 2D image points in image (pixel) coordinates. This part converts 3D points in world coordinates to 3D rays in the camera's coordinate system. There are 6 parameters represented (3 for position/translation, 3 for rotation).



Typical intrinsics matrix



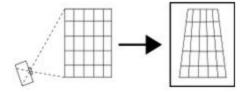
 2D affine transform corresponding to a scale by *f* (focal length) and a translation by (*x_c*, *y_c*) (principal point)

Questions?

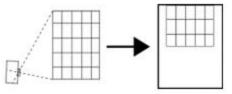
 Problem for architectural photography: converging verticals



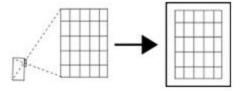
 Problem for architectural photography: converging verticals



Tilting the camera upwards results in converging verticals



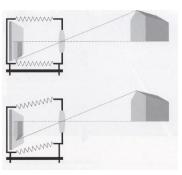
Keeping the camera level, with an ordinary lens, captures only the bottom portion of the building



Shifting the lens upwards results in a picture of the entire subject

• Solution: view camera (lens shifted w.r.t. film)

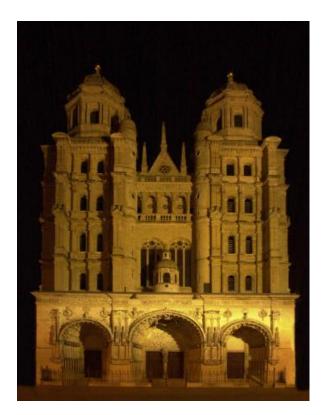




(Corresponds to shifting the *principal point*)

http://en.wikipedia.org/wiki/Perspective_correction_lens

- Problem for architectural photography: converging verticals
- Result:



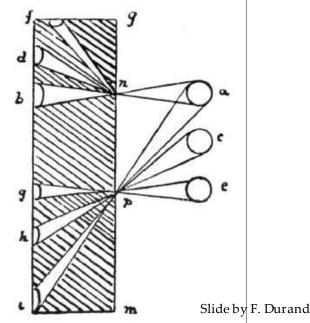
• What does a sphere project to?



Image source: F. Durand

- The exterior columns appear bigger
- The distortion is not due to lens flaws
- Problem pointed out by Da Vinci





Perspective distortion: People

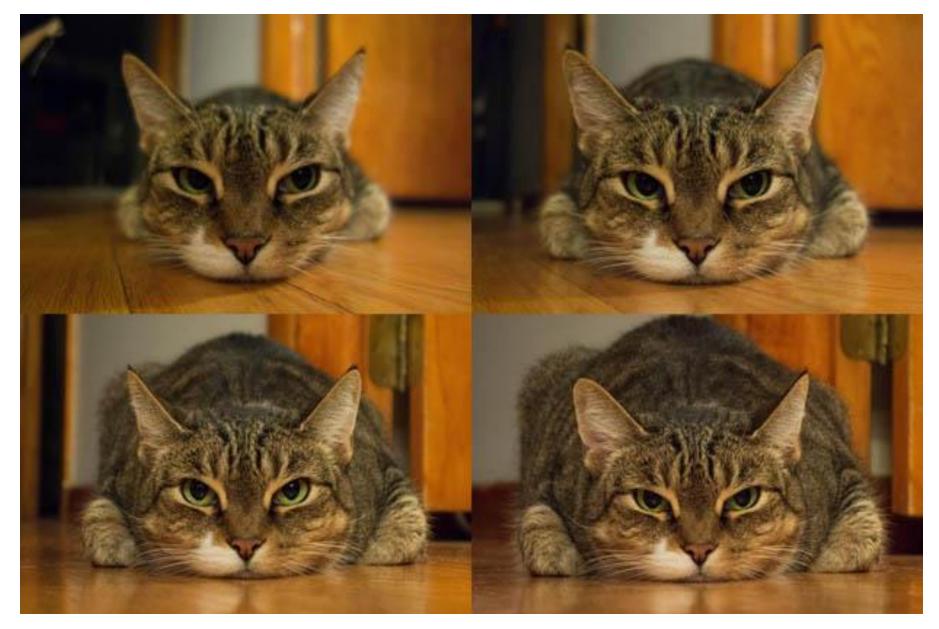




Wide angle

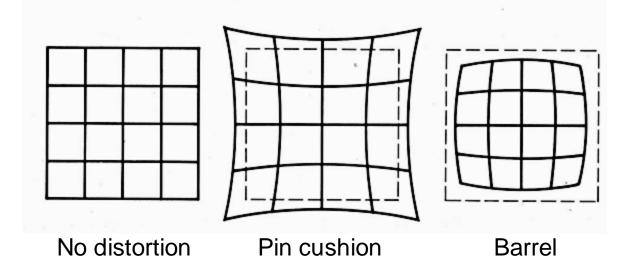
Standard

Telephoto

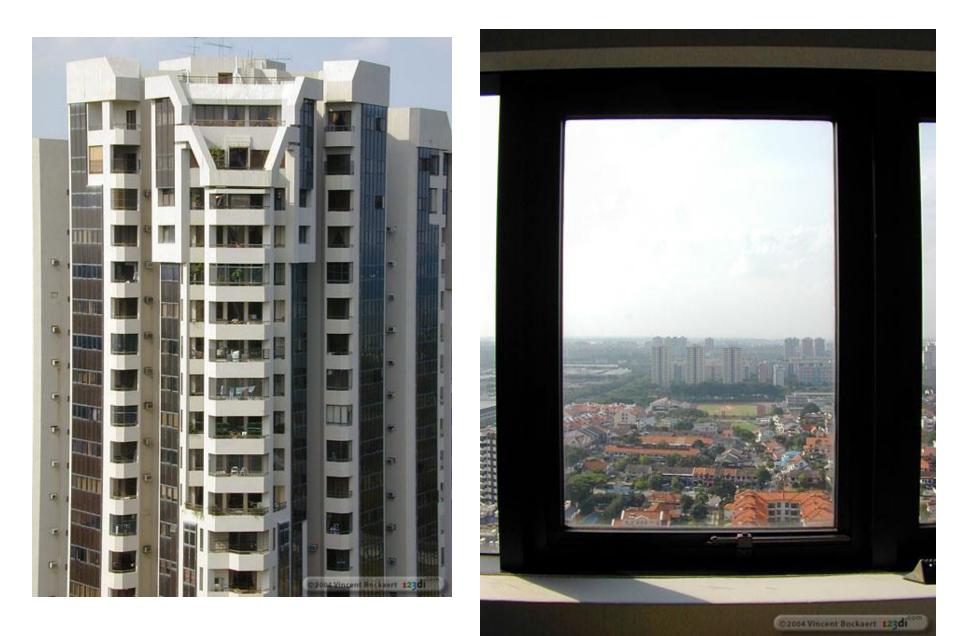


http://petapixel.com/2013/01/11/how-focal-length-affects-your-subjects-apparent-weight-as-seen-with-a-cat/

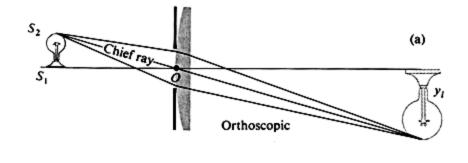
Lens distortion

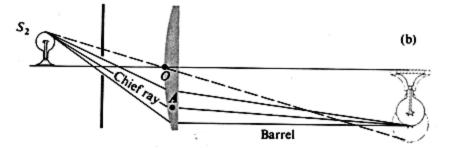


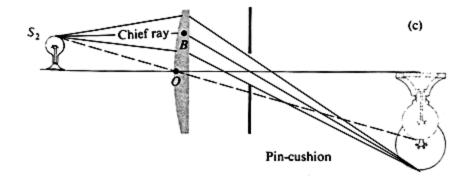
- Radial distortion of the image
 - Caused by imperfect lenses
 - Points are distorted along radial lines
 - Deviations are most noticeable for rays that pass through the edge of the lens



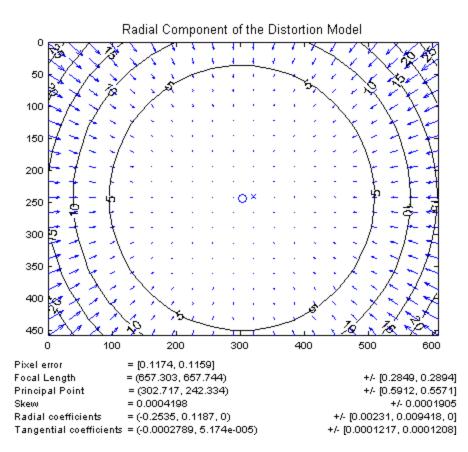
Radial distortion







Radial distortion



 Arrows show motion of projected points relative to an ideal (distortion-free lens)

[Image credit: J. Bouguet http://www.vision.caltech.edu/bouguetj/calib_doc/htmls/example.html]

Correcting radial distortion





from Helmut Dersch

Modeling distortion

Project $(\hat{x}, \hat{y}, \hat{z})$ to "normalized" image coordinates

$$\begin{array}{rcl} x'_n &=& \hat{x}/\hat{z} \\ y'_n &=& \hat{y}/\hat{z} \end{array}$$

Apply radial distortion by approximating with a (low-degree) polynomial

$$r^{2} = x'_{n}^{2} + y'_{n}^{2}$$

$$x'_{d} = x'_{n}(1 + \kappa_{1}r^{2} + \kappa_{2}r^{4})$$

$$y'_{d} = y'_{n}(1 + \kappa_{1}r^{2} + \kappa_{2}r^{4})$$

Apply focal length & translate image center

$$\begin{aligned} x' &= fx'_d + x_c \\ y' &= fy'_d + y_c \end{aligned}$$

- To model lens distortion
 - Use the above conversion of rays to pixels, rather than simply multiplying by the intrinsics matrix

Other types of projection

- Lots of intriguing variants...
- (I'll just mention a few fun ones)

360 degree field of view...



Basic approach

- Take a photo of a parabolic mirror with an orthographic lens (Nayar)
- Or buy one a lens from a variety of omnicam manufacturers...
 - see <u>http://www.cis.upenn.edu/~kostas/omni.html</u>

Tilt-shift



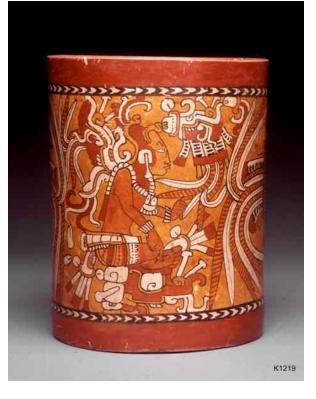
http://www.northlight-images.co.uk/article pages/tilt and shift ts-e.html





Titlt-shift images from <u>Olivo Barbieri</u> and Photoshop <u>imitations</u>

Rotating sensor (or object)

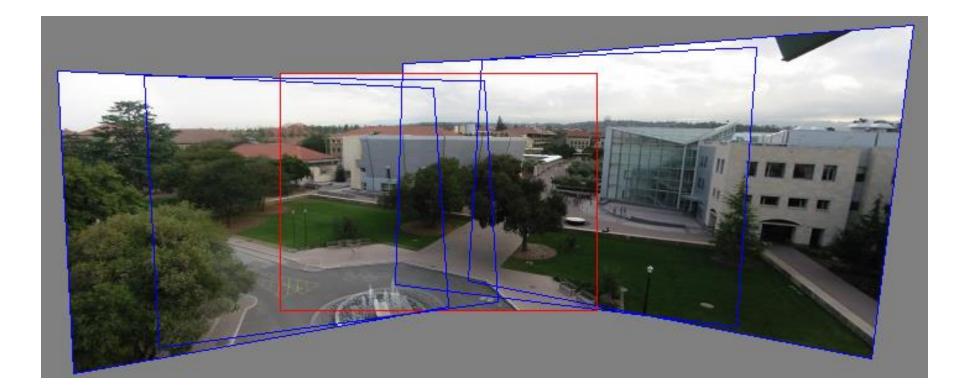




Rollout Photographs © Justin Kerr http://research.famsi.org/kerrmaya.html

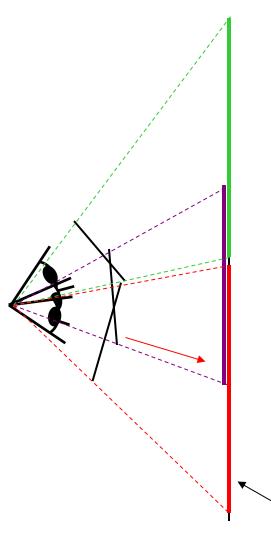
Also known as "cyclographs", "peripheral images"

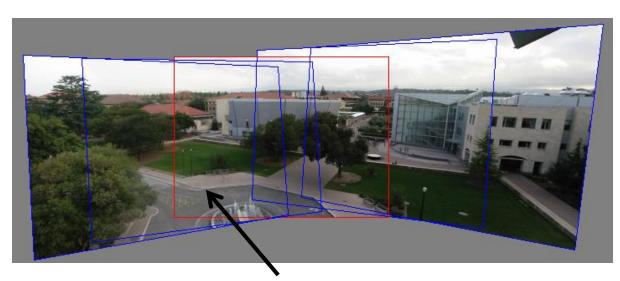
Back to panoramas



Can we use homographies to create a 360 panorama?

Idea: projecting images onto a common plane





each image is warped with a homography ${f H}$

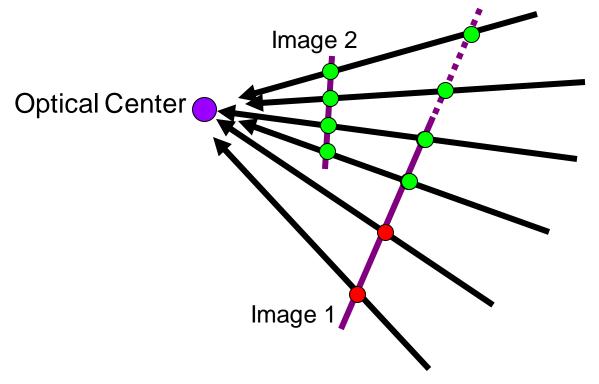
We'll see what this homography means next Can't create a 360 panorama this way... we'll fix this shortly

mosaic projection plane

Creating a panorama

- Basic Procedure
 - Take a sequence of images from the same position
 - Rotate the camera about its optical center
 - Compute transformation between second image and first
 - Transform the second image to overlap with the first
 - Blend the two together to create a mosaic
 - If there are more images, repeat

Geometric Interpretation of Mosaics



- If we capture all 360° of rays, we can create a 360° panorama
- The basic operation is *projecting* an image from one plane to another
- The projective transformation is scene-INDEPENDENT
 - This depends on all the images having the same optical center

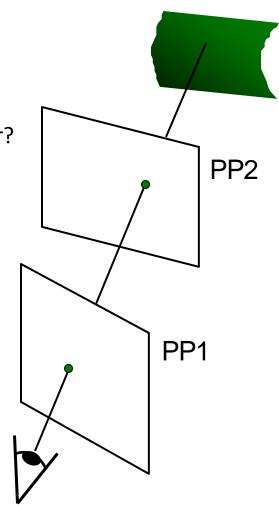
Image reprojection

Basic question

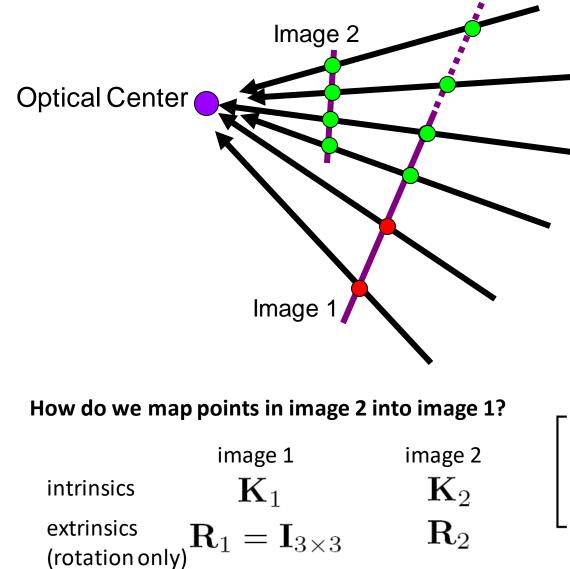
- How to relate two images from the same camera center?
 - how to map a pixel from PP1 to PP2

Answer

- Cast a ray through each pixel in PP1
- Draw the pixel where that ray intersects PP2



What is the transformation?



Step 1: Convert pixels in image 2 to rays in camera 2's coordinate system.

$$\begin{bmatrix} X_2 \\ Y_2 \\ Z_2 \end{bmatrix} = \mathbf{K}_2^{-1} \begin{bmatrix} x_2 \\ y_2 \\ 1 \end{bmatrix}$$

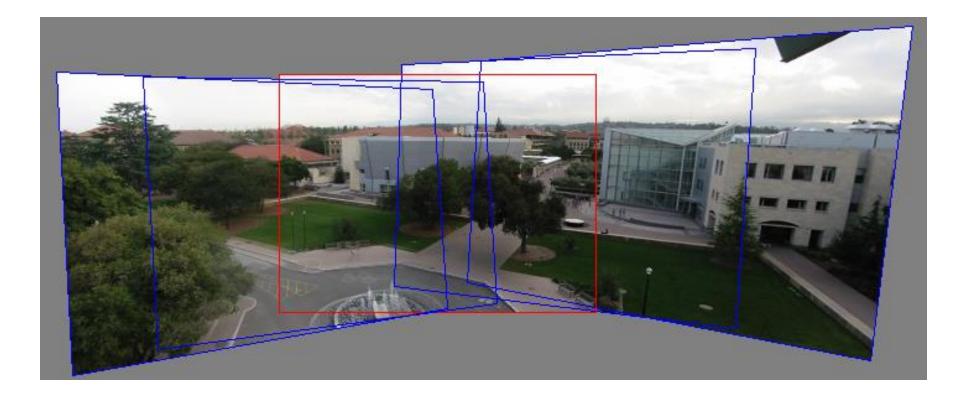
Step 2: Convert rays in camera 2's coordinates to rays in camera 1's coordinates.

$$\begin{bmatrix} X_1 \\ Y_1 \\ Z_1 \end{bmatrix} = \mathbf{R}_2^T \mathbf{K}_2^{-1} \begin{bmatrix} x_2 \\ y_2 \\ 1 \end{bmatrix}$$

Step 3: Convert rays in camera 1's coordinates to pixels in image 1's coordinates.

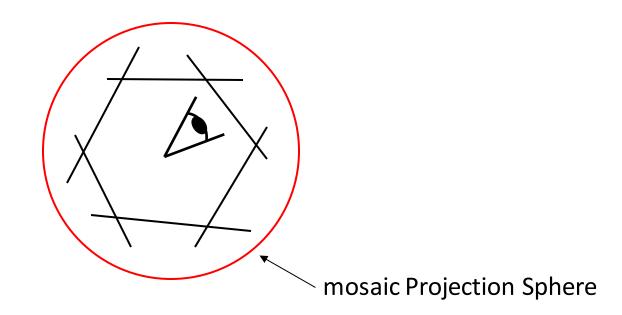
$$\begin{bmatrix} x_1 \\ y_1 \\ 1 \end{bmatrix} \sim \mathbf{K}_1 \mathbf{R}_2^T \mathbf{K}_2^{-1} \begin{bmatrix} x_2 \\ y_2 \\ 1 \end{bmatrix}$$
3x3 homography

Can we use homography to create a 360 panorama?

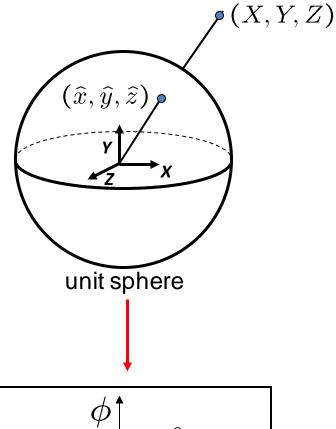


Panoramas

• What if you want a 360° field of view?



Spherical projection



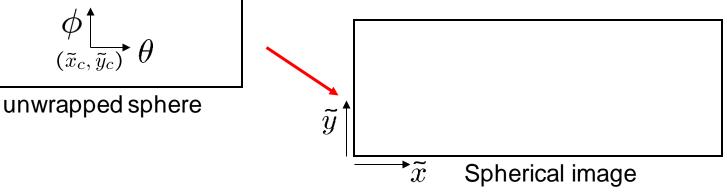
– Map 3D point (X,Y,Z) onto sphere

$$(\hat{x}, \hat{y}, \hat{z}) = \frac{1}{\sqrt{X^2 + Y^2 + Z^2}} (X, Y, Z)$$

- Convert to spherical coordinates $(sin\theta cos\phi, sin\phi, cos\theta cos\phi) = (\hat{x}, \hat{y}, \hat{z})$
- Convert to spherical image coordinates

 $(\tilde{x}, \tilde{y}) = (s\theta, s\phi) + (\tilde{x}_c, \tilde{y}_c)$

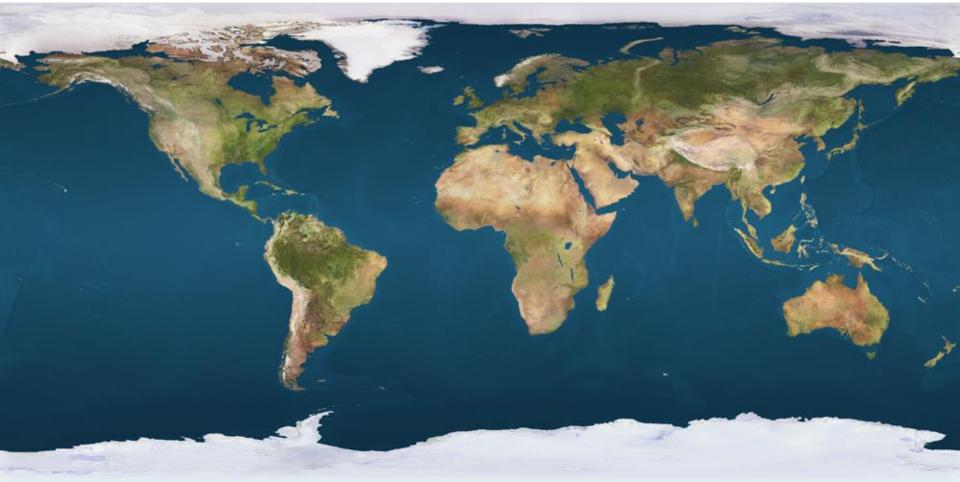
s defines size of the final image
» often convenient to set s = camera focal length



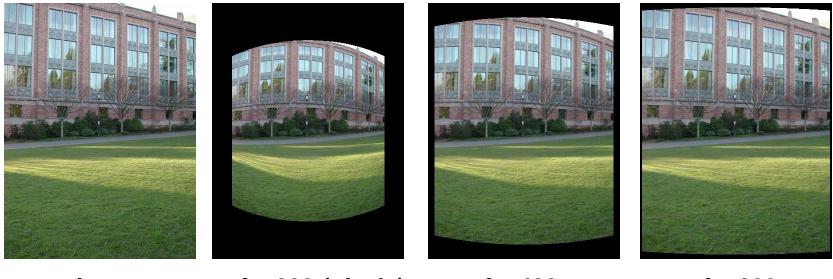


Unwrapping a sphere

Credit: JHT's Planetary Pixel Emporium



Spherical reprojection



input f = 200 (pixels) f = 400 f = 800

Map image to spherical coordinates
 – need to know the focal length

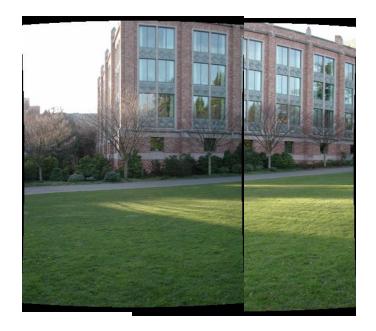
Aligning spherical images





- Suppose we rotate the camera by $\boldsymbol{\theta}$ about the vertical axis
 - How does this change the spherical image?

Aligning spherical images



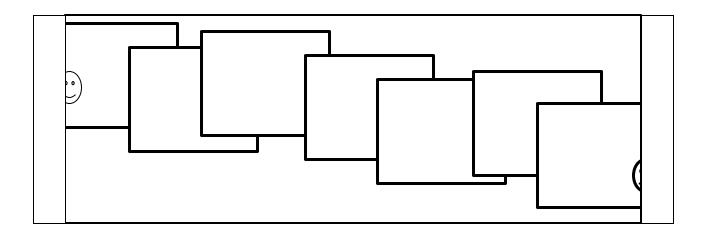
- Suppose we rotate the camera by $\boldsymbol{\theta}$ about the vertical axis
 - How does this change the spherical image?
 - Translation by θ
 - This means that we can align spherical images by translation

Assembling the panorama

|--|

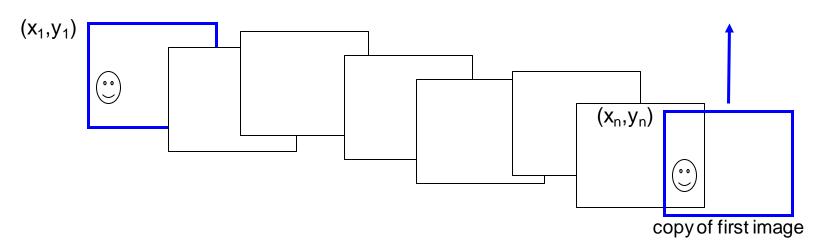
• Stitch pairs together, blend, then crop

Problem: Drift



- Error accumulation
 - small errors accumulate over time

Problem: Drift



- Solution
 - add another copy of first image at the end
 - this gives a constraint: $y_n = y_1$
 - there are a bunch of ways to solve this problem
 - add displacement of $(y_1 y_n)/(n 1)$ to each image after the first
 - apply an affine warp: y' = y + ax [you will implement this for P3]
 - run a big optimization problem, incorporating this constraint
 - best solution, but more complicated
 - known as "bundle adjustment"

Project 3

- Take pictures on a tripod (or handheld)
- Warp to spherical coordinates (optional if using homographies to align images)
- Extract features
- Align neighboring pairs using RANSAC
- Write out list of neighboring translations
- Correct for drift
- Read in warped images and blend them
- Crop the result and import into a viewer
- Roughly based on **Autostitch**
 - By Matthew Brown and David Lowe
 - <u>http://www.cs.ubc.ca/~mbrown/autostitch/autostitch.html</u>

Spherical panoramas



Microsoft Lobby: http://www.acm.org/pubs/citations/proceedings/graph/258734/p251-szeliski

Different projections are possible



Cube-map

Blending

• We've aligned the images – now what?

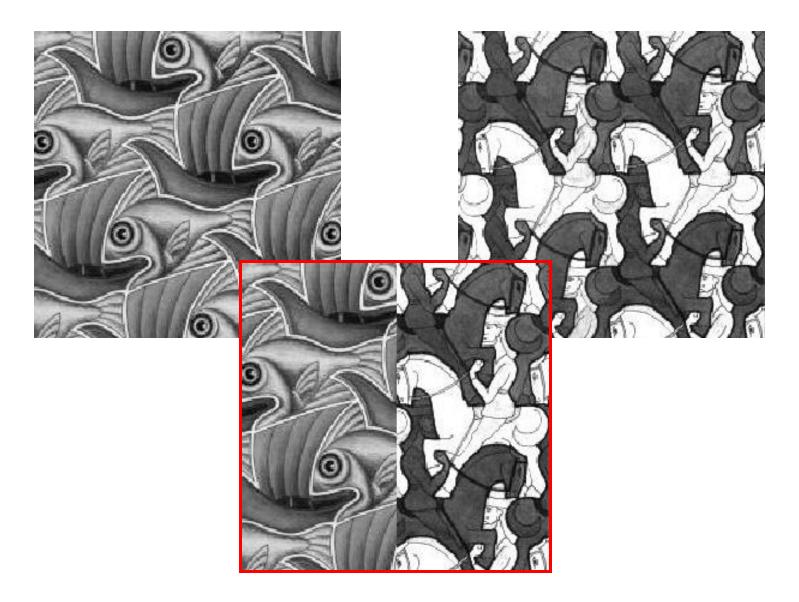


Blending

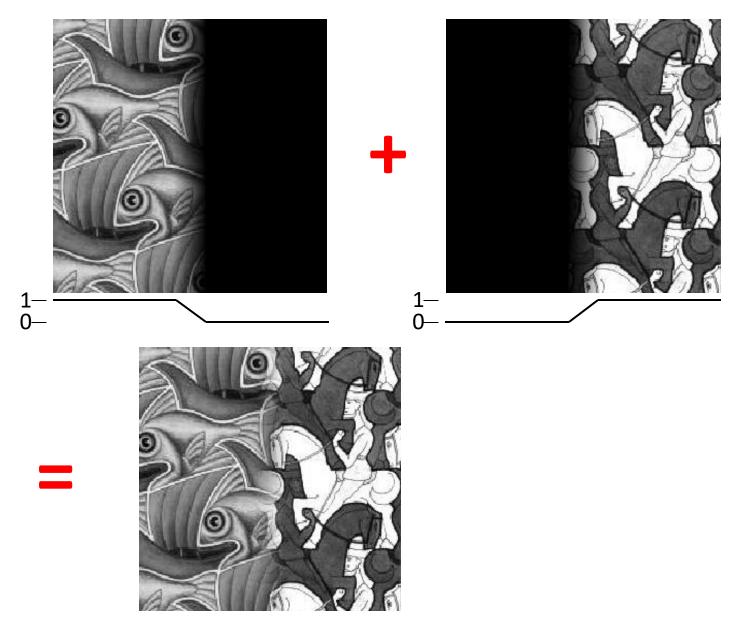
• Want to seamlessly blend them together



Image Blending

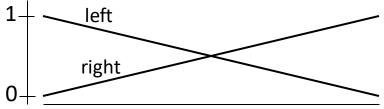


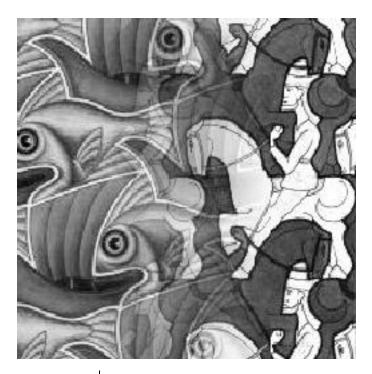
Feathering

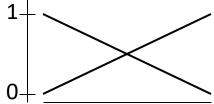


Effect of window size





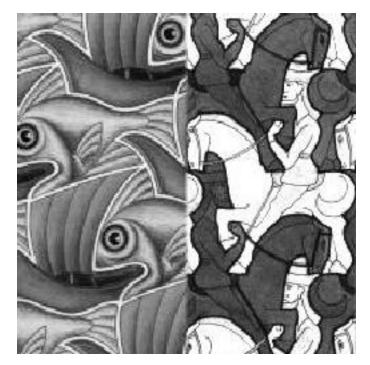




Effect of window size

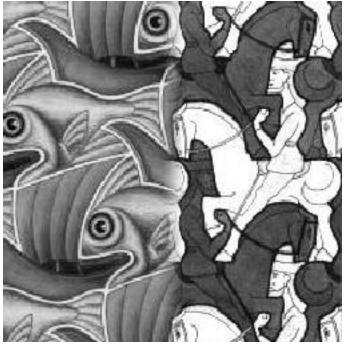








Good window size

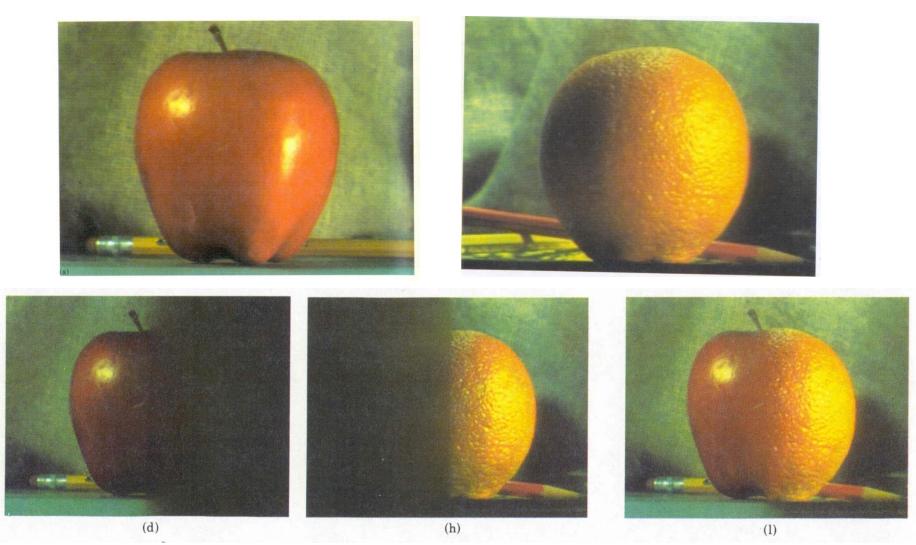


1+ \bigvee 0+ \square

"Optimal" window: smooth but not ghosted

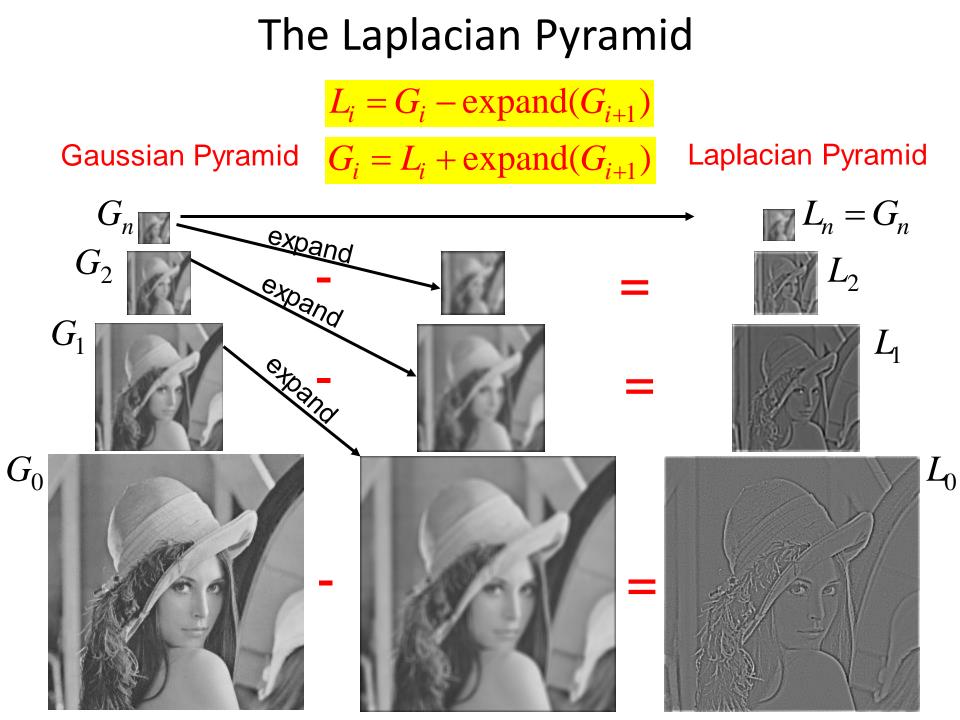
• Doesn't always work...

Pyramid blending

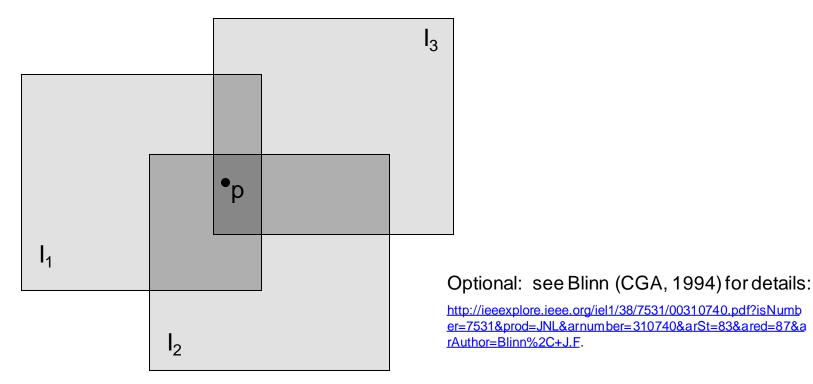


Create a Laplacian pyramid, blend each level

• Burt, P. J. and Adelson, E. H., <u>A multiresolution spline with applications to image mosaics</u>, ACM Transactions on Graphics, 42(4), October 1983, 217-236.



Alpha Blending



Encoding blend weights: $I(x,y) = (\alpha R, \alpha G, \alpha B, \alpha)$ color at $p = \frac{(\alpha_1 R_1, \alpha_1 G_1, \alpha_1 B_1) + (\alpha_2 R_2, \alpha_2 G_2, \alpha_2 B_2) + (\alpha_3 R_3, \alpha_3 G_3, \alpha_3 B_3)}{\alpha_1 + \alpha_2 + \alpha_3}$

Implement this in two steps:

- 1. accumulate: add up the (α premultiplied) RGB α values at each pixel
- 2. normalize: divide each pixel's accumulated RGB by its α value

Q: what if $\alpha = 0$?

Poisson Image Editing



sources/destinations

cloning

seamless cloning

- For more info: Perez et al, SIGGRAPH 2003
 - <u>http://research.microsoft.com/vision/cambridge/papers/perez_siggraph03.pdf</u>

Some panorama examples



"Before SIGGRAPH Deadline" Photo credit: Doug Zongker

Some panorama examples

• Every image on Google Streetview





Magic: ghost removal



M. Uyttendaele, A. Eden, and R. Szeliski.

Eliminating ghosting and exposure artifacts in image mosaics.

In Proceedings of the Interational Conference on Computer Vision and Pattern Recognition, volume 2, pages 509--516, Kauai, Hawaii, December 2001.

Magic: ghost removal



M. Uyttendaele, A. Eden, and R. Szeliski.

Eliminating ghosting and exposure artifacts in image mosaics.

In Proceedings of the Interational Conference on Computer Vision and Pattern Recognition, volume 2, pages 509--516, Kauai, Hawaii, December 2001.

Other types of mosaics



- Can mosaic onto *any* surface if you know the geometry
 - See NASA's <u>Visible Earth project</u> for some stunning earth mosaics
 - <u>http://earthobservatory.nasa.gov/Newsroom/BlueMarble/</u>
 - Click for <u>images</u>...

Questions?

Alternative to feathering

• Cut and fuse

Interactive Digital Photomontage



Aseem Agarwala, Mira Dontcheva Maneesh Agrawala, Steven Drucker, Alex Colburn Brian Curless, David Salesin, Michael Cohen

