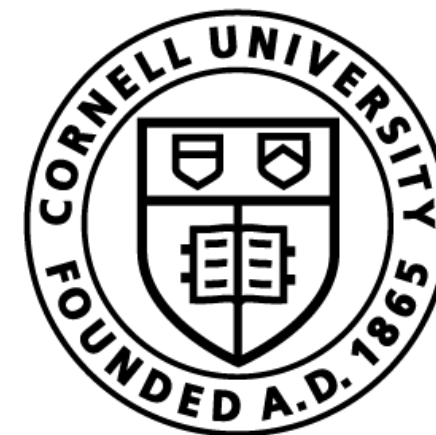


SLAM as Graph Optimization II

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Computer Science

Today's goal

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Toy Example with Linear Observations, Linear Dynamics

- Localization: When Pose is **unknown**, but Landmarks are **known**
- SLAM: When Pose is **unknown**, Landmarks are **unknown**
- Both result in Linear Least Squares

Today's goal

Toy Example with Linear Observations, Linear Dynamics

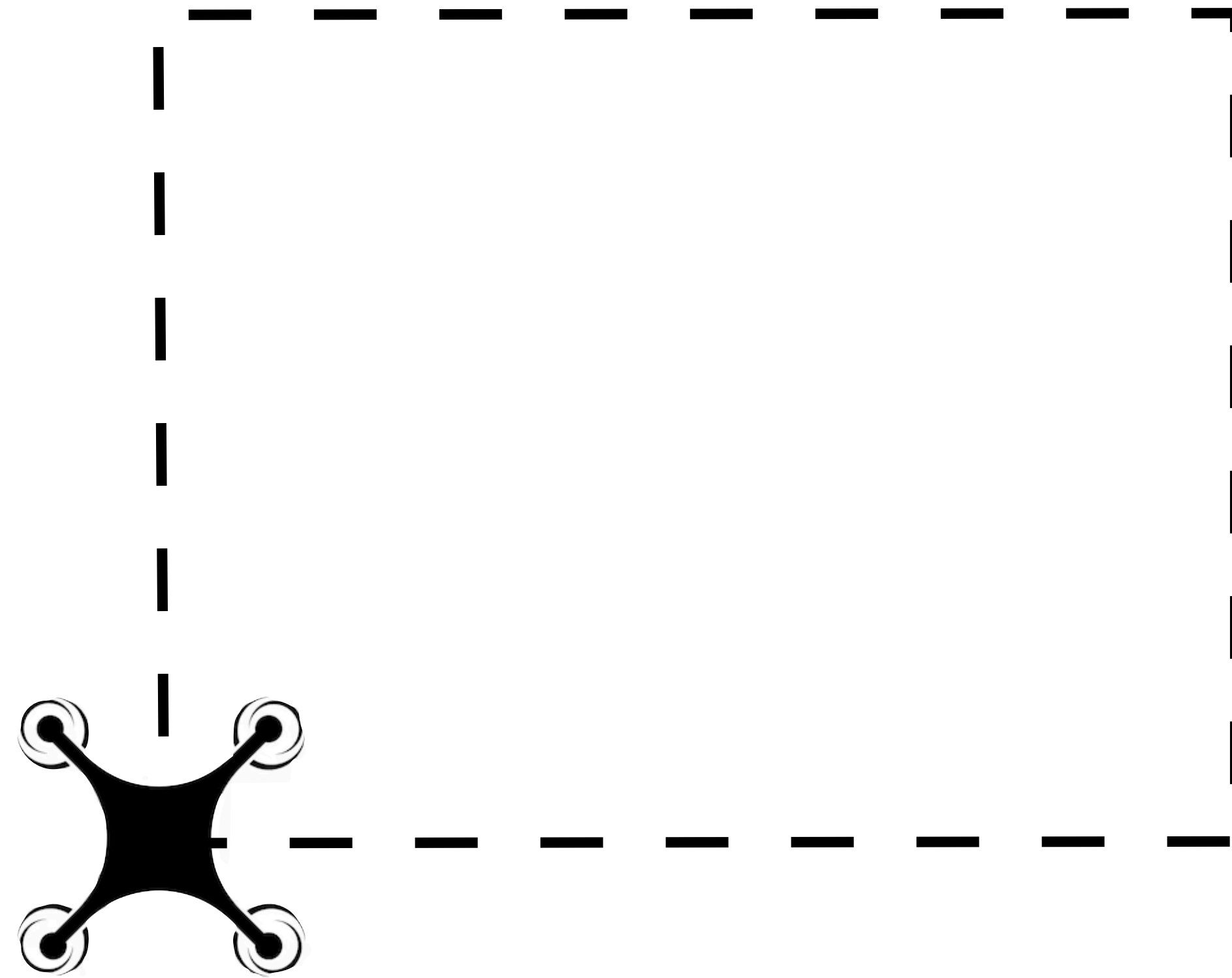
- Localization: When Pose is **unknown**, but Landmarks are **known**
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General Example with Nonlinear Observations, Nonlinear Dynamics

- Define a **Factor Graph**
- Non-linear Least Squares
- Practical Application

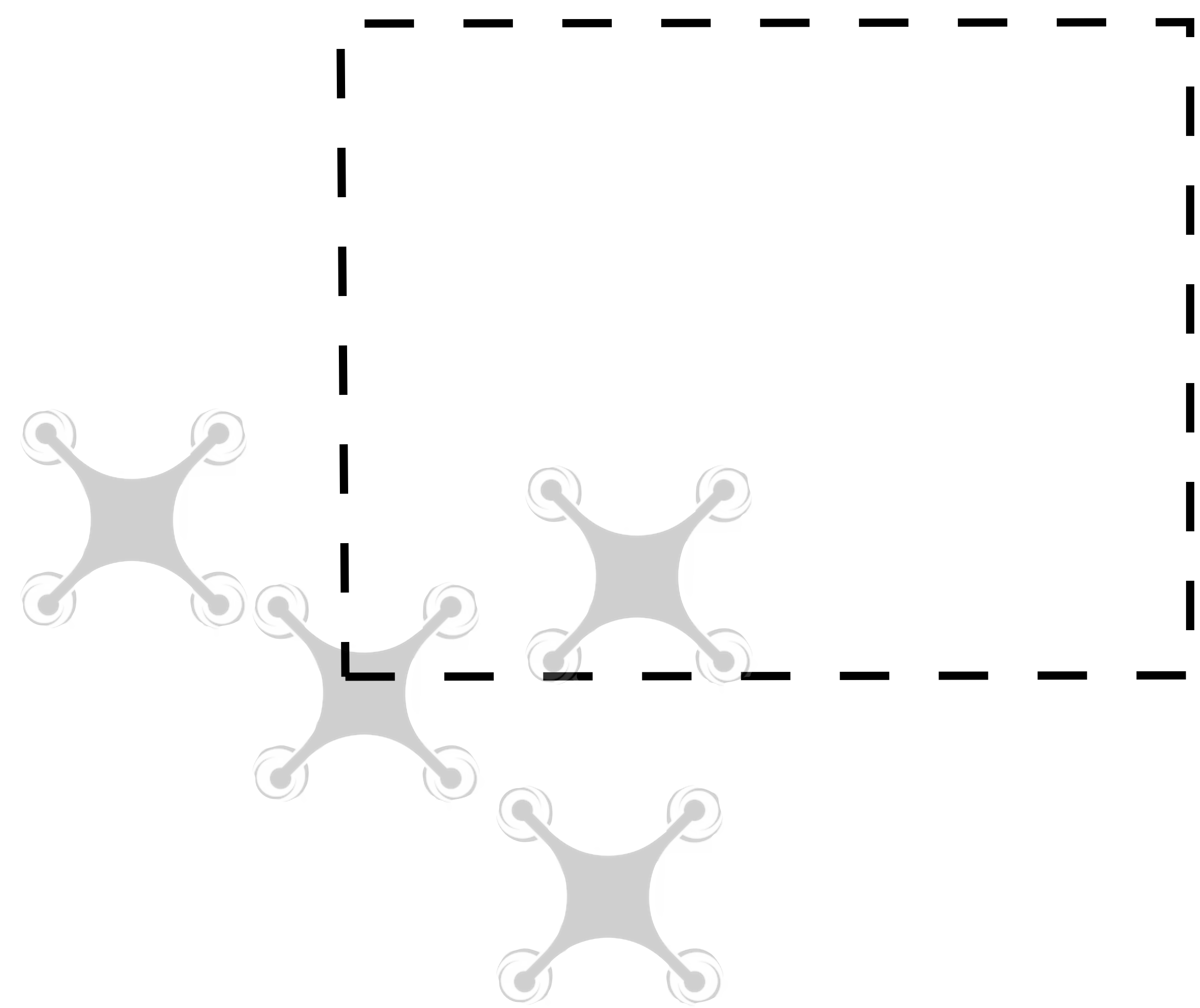
Recap

A Toy Example



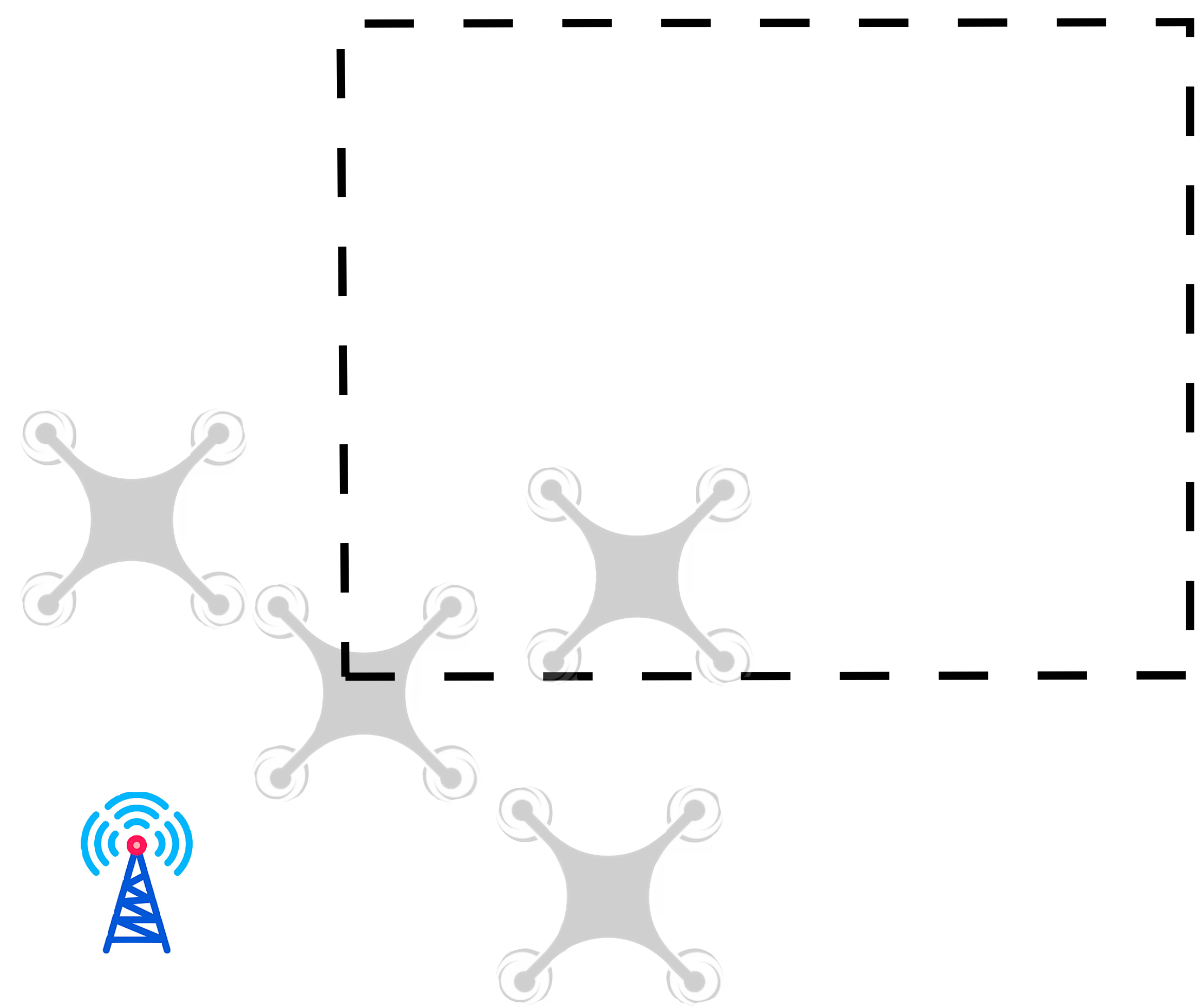
We have a drone that we are flying around in a circuit

$T=0$



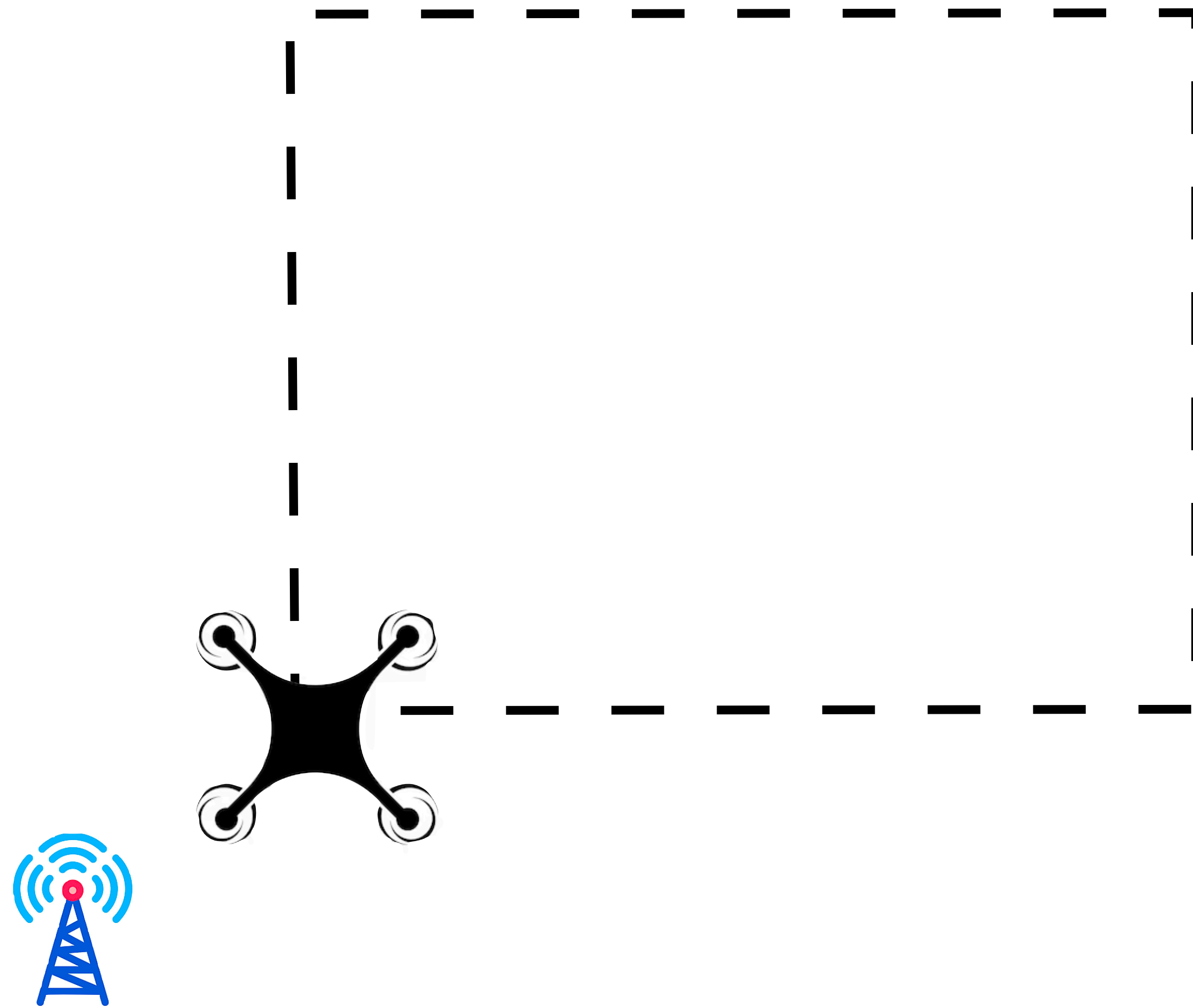
The 2D position is **unknown**

$T=0$



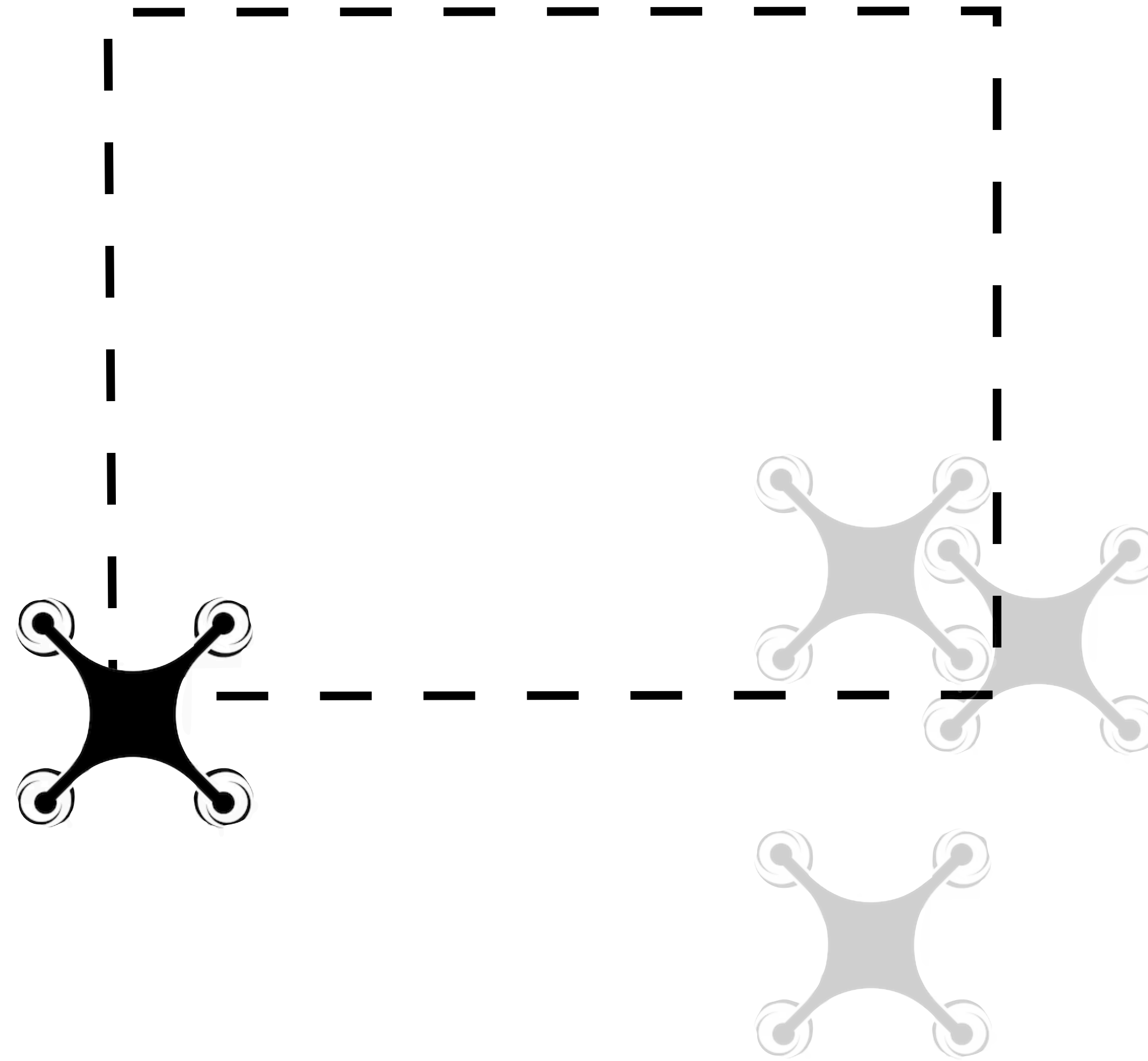
It observes a **landmark** whose position is **known**

$T=0$



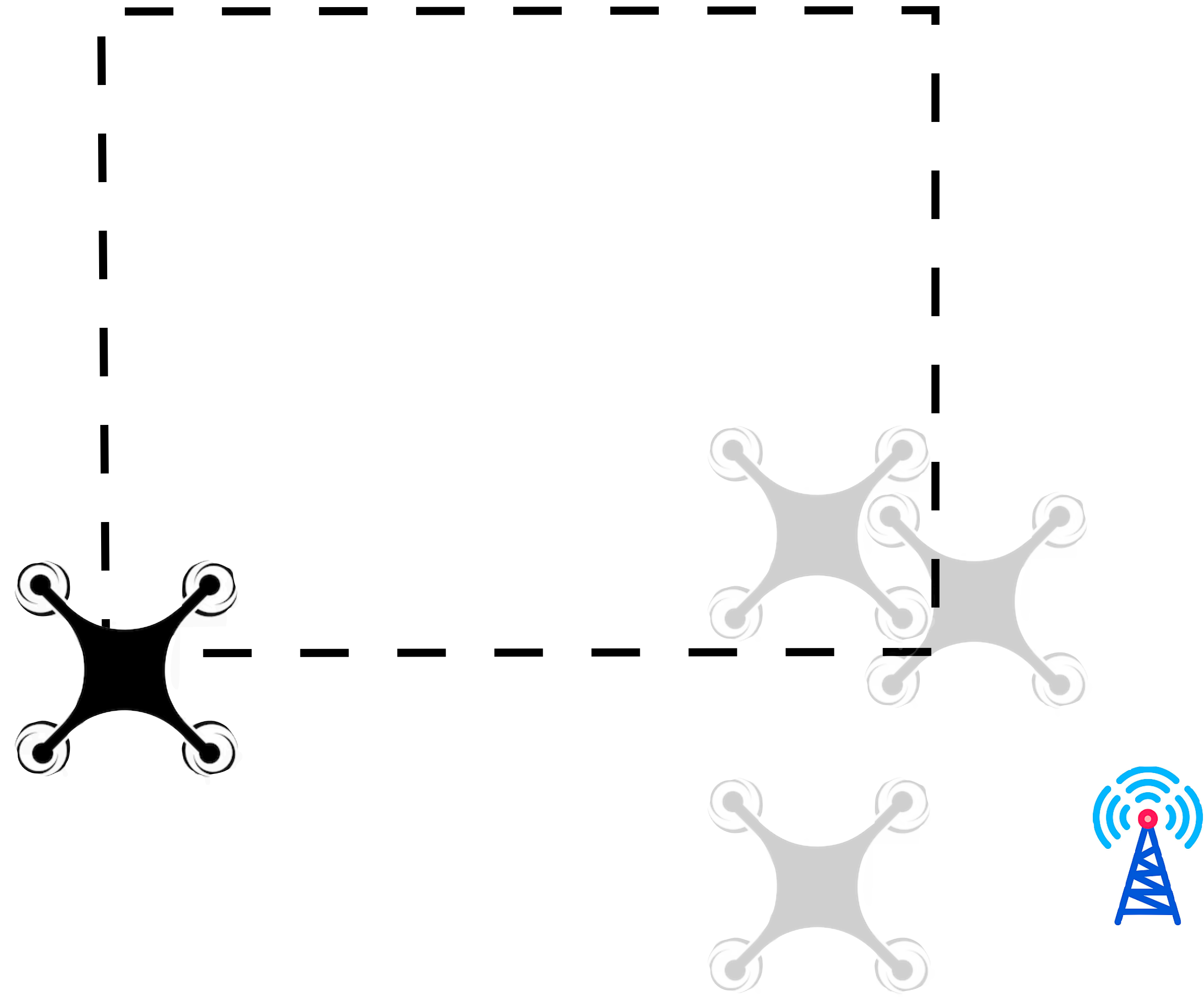
Using this observation, the robot updates it's position

$T=1$



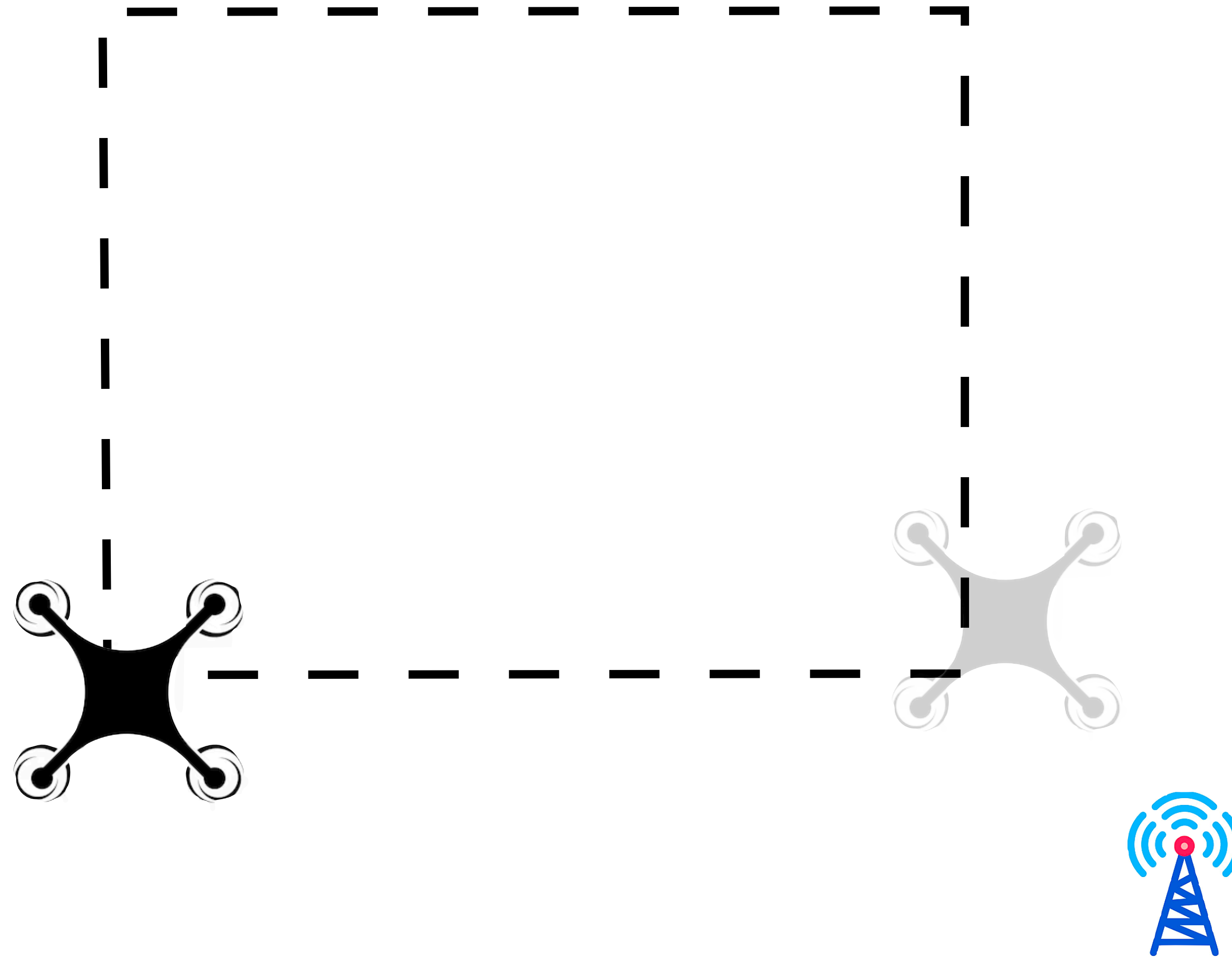
Predict the next pose based on dynamics

$T=1$



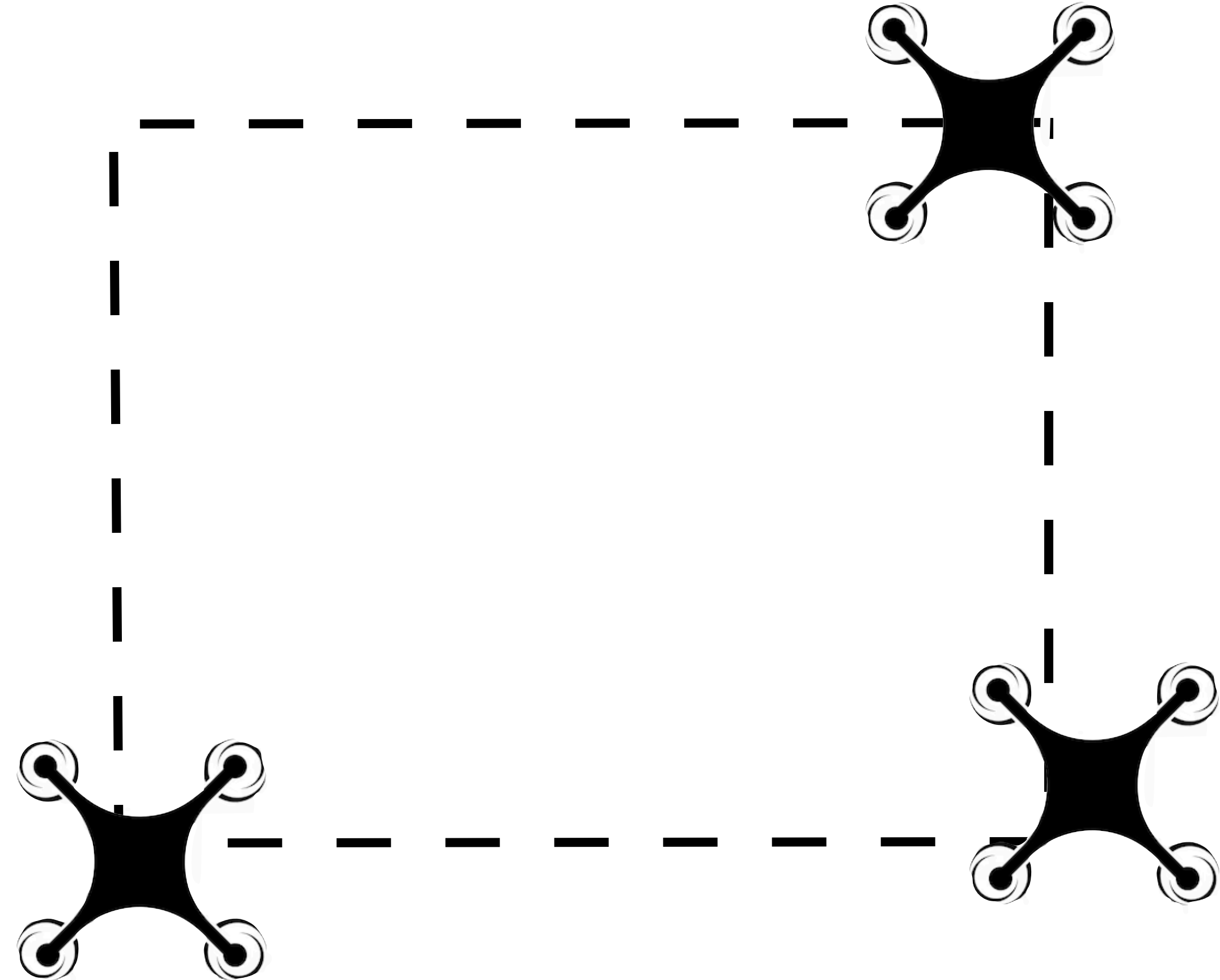
Observe a landmark

$T=1$



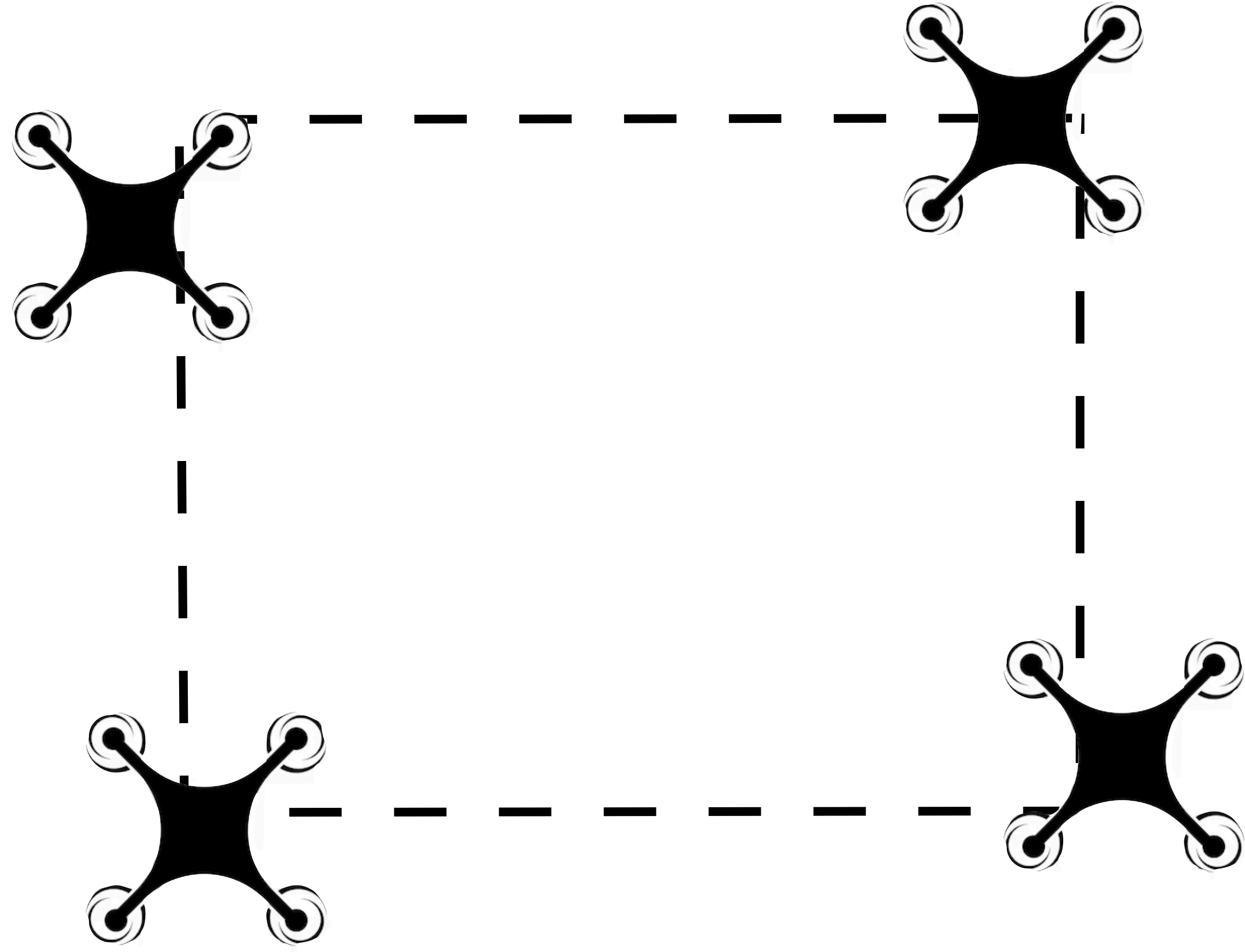
Update pose

$T=2$

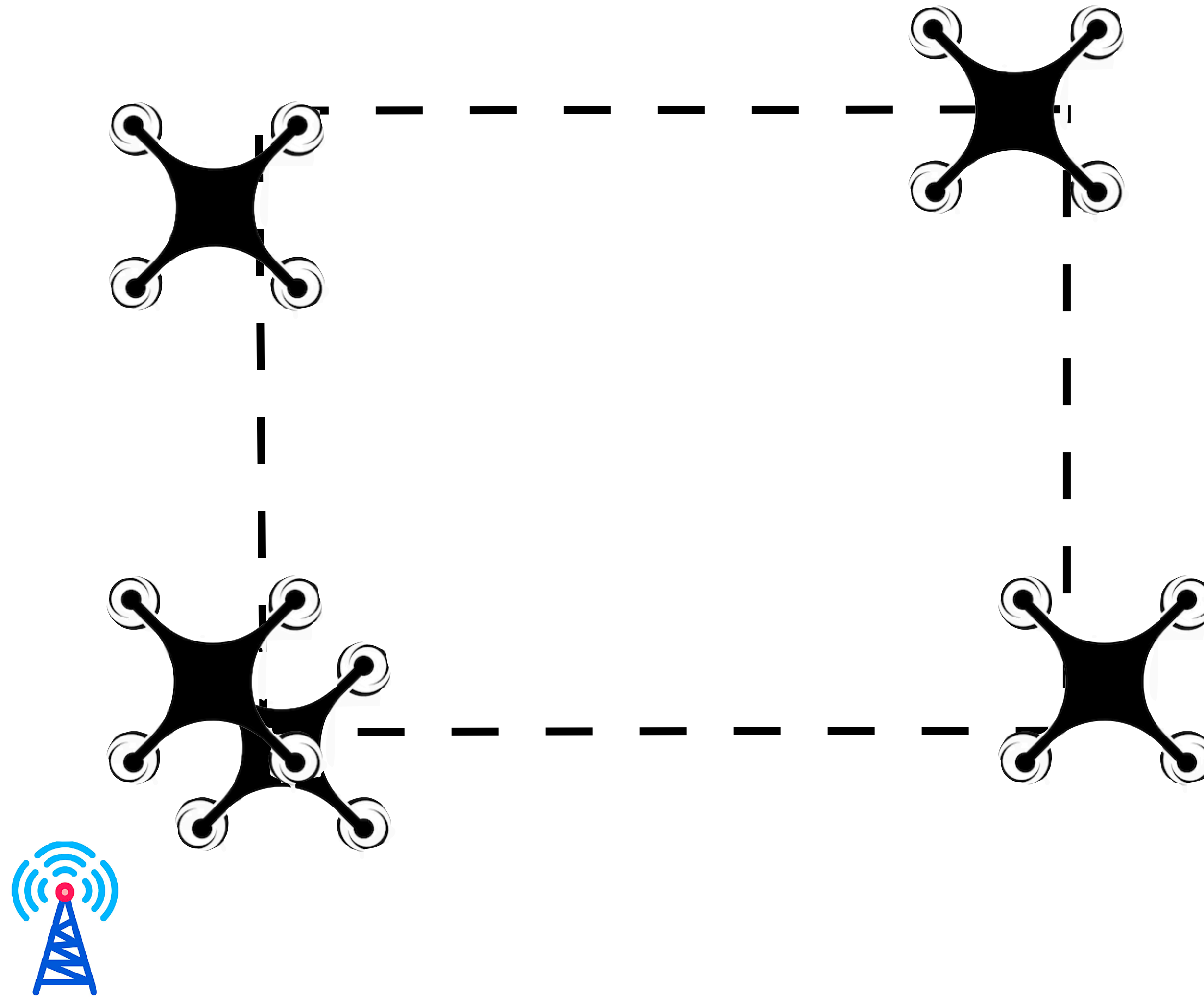




$T=3$

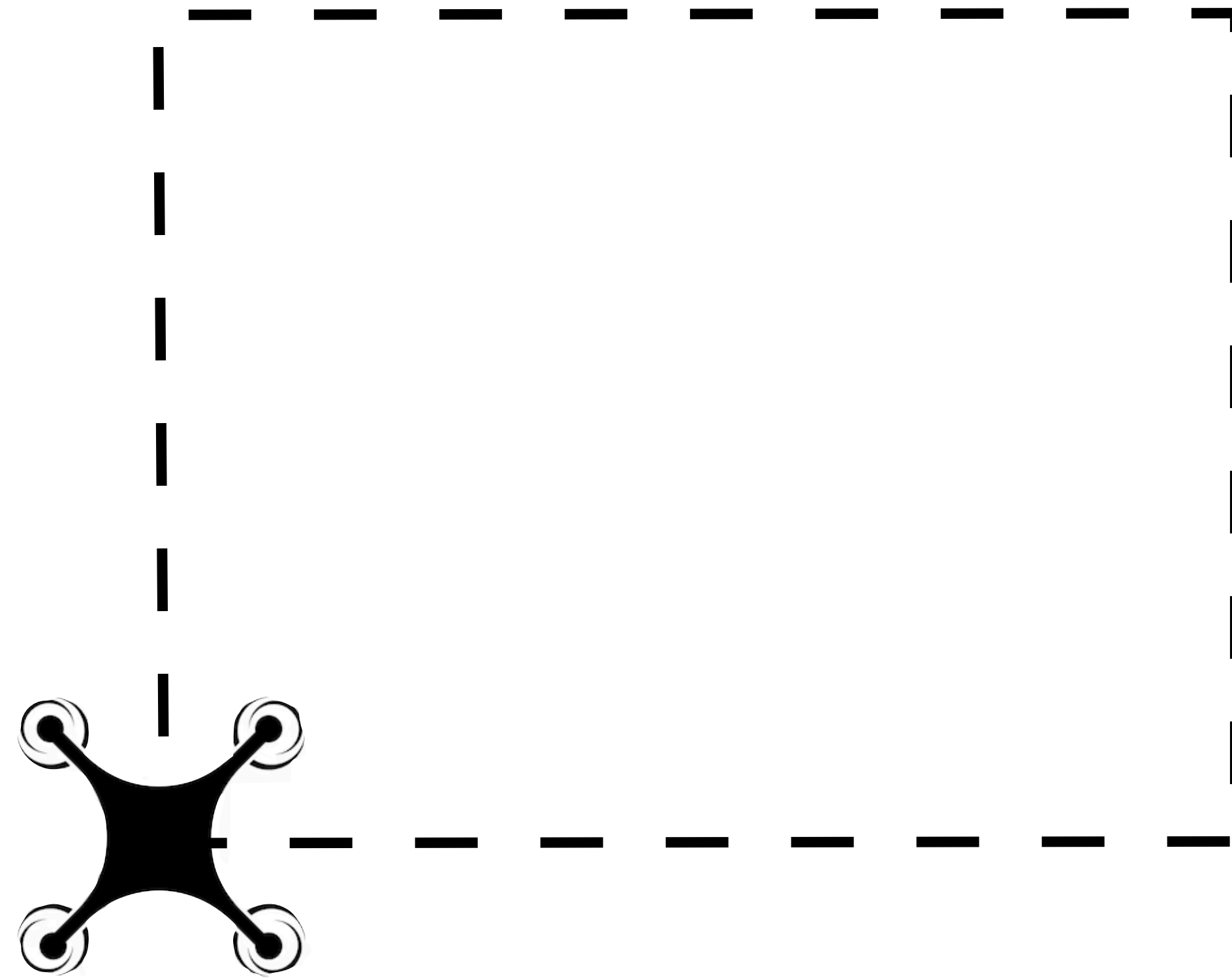


$T=4$



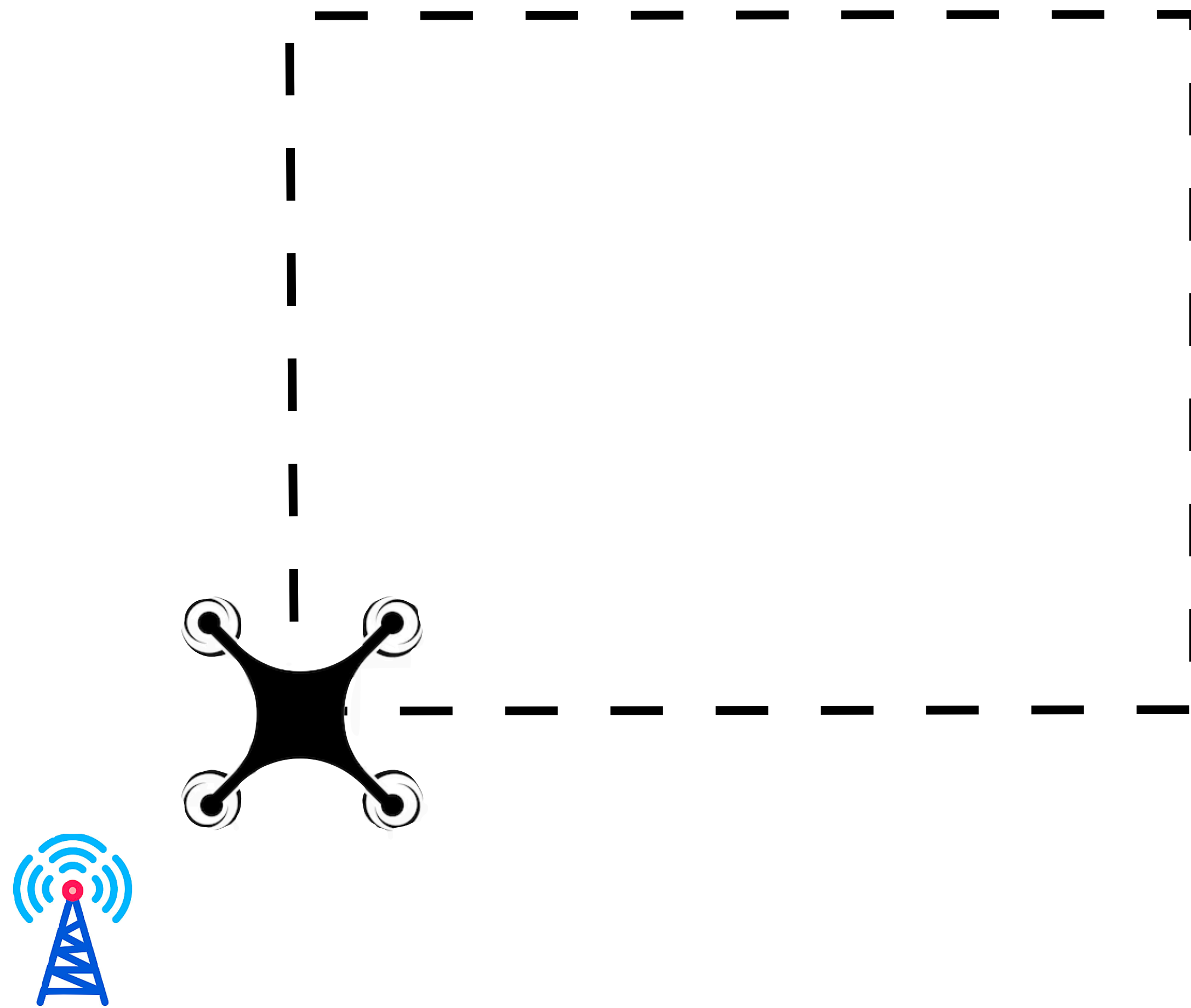
How do we mathematically solve for the poses at $t=0,1,2,3,4$?

Now ... what if we
don't know all the landmarks?



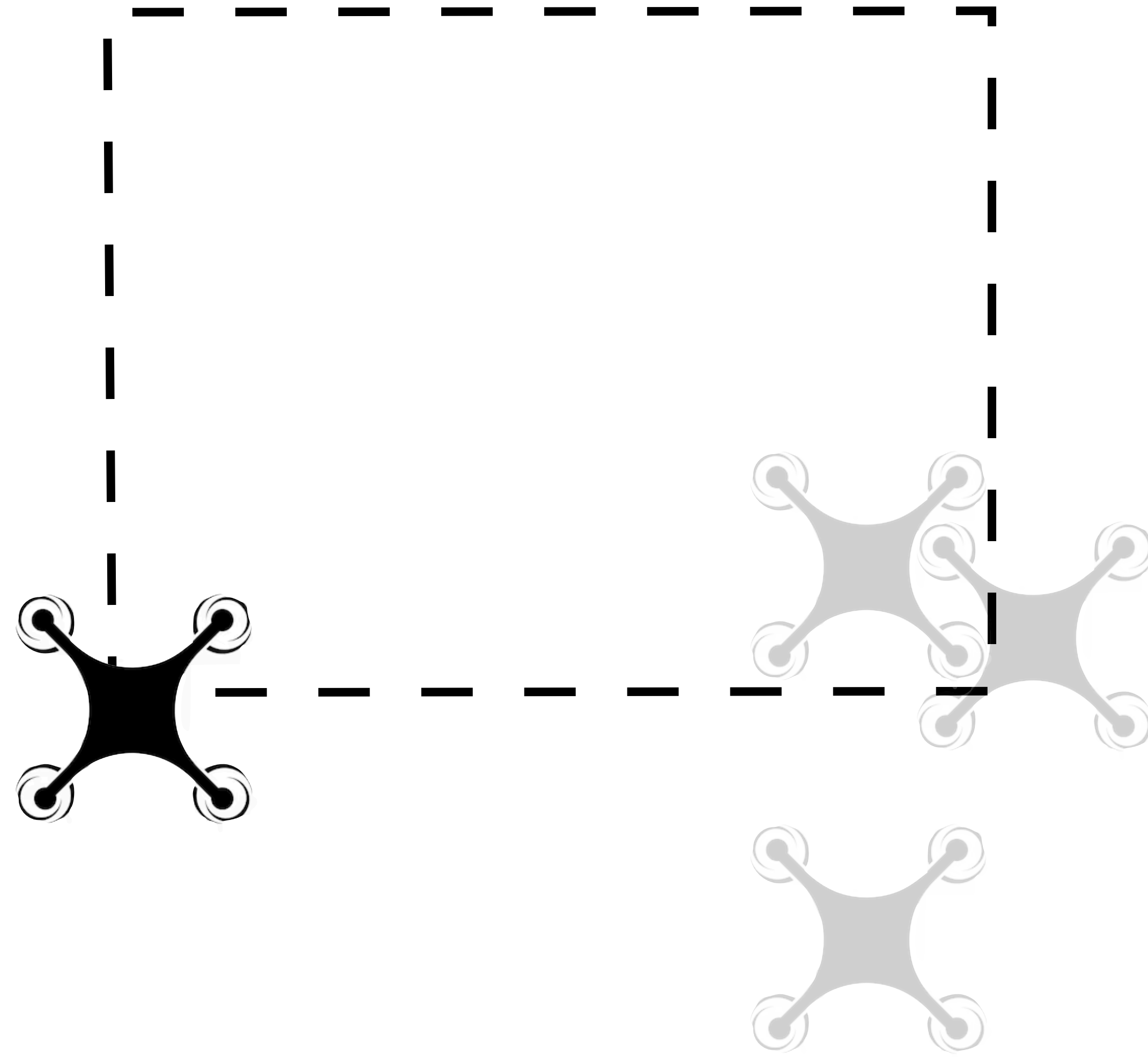
We have a drone that we are flying around in a circuit

$T=0$



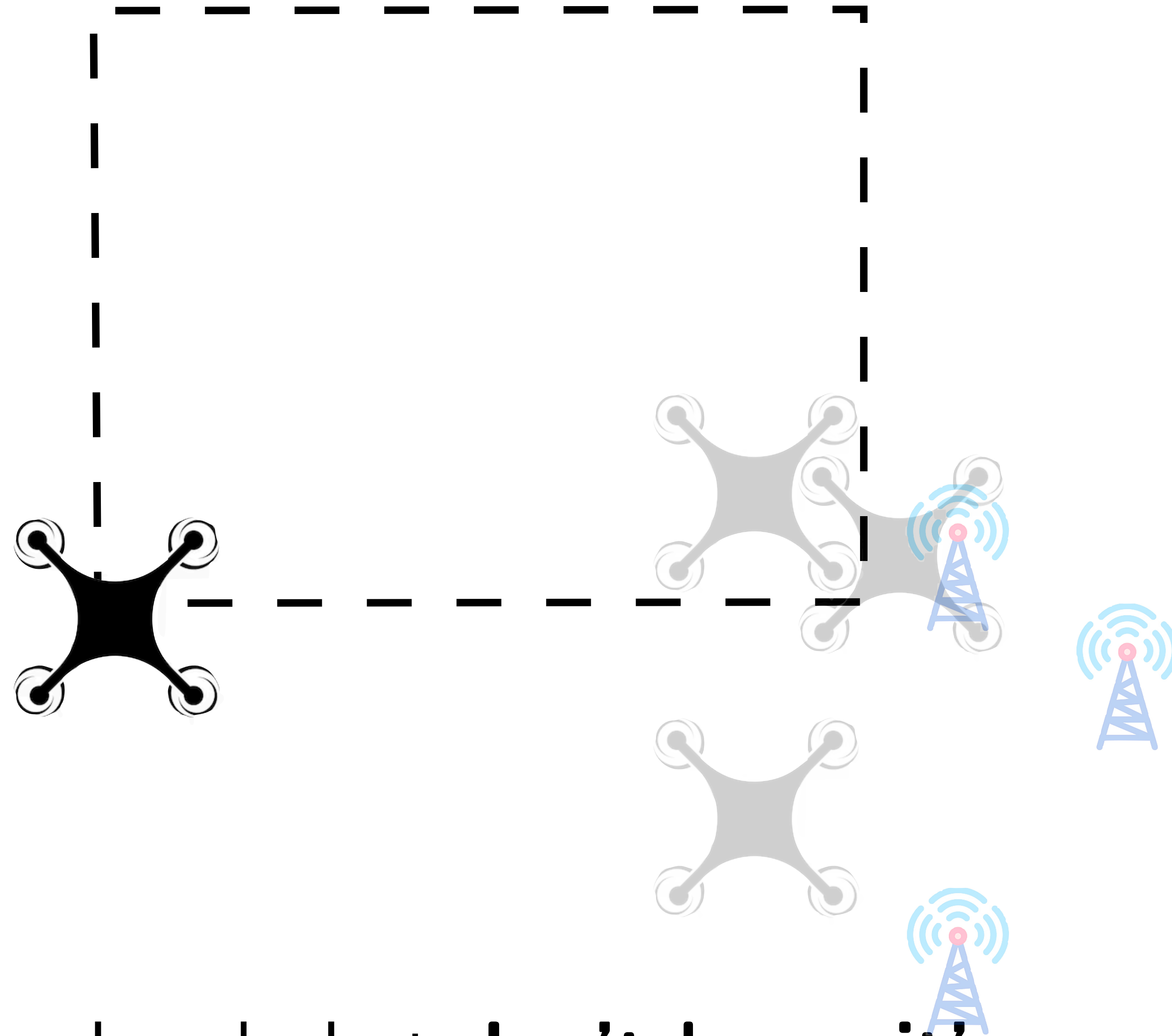
Let's say we know the pose at $t=0$, landmark at $t=0$

$T=1$



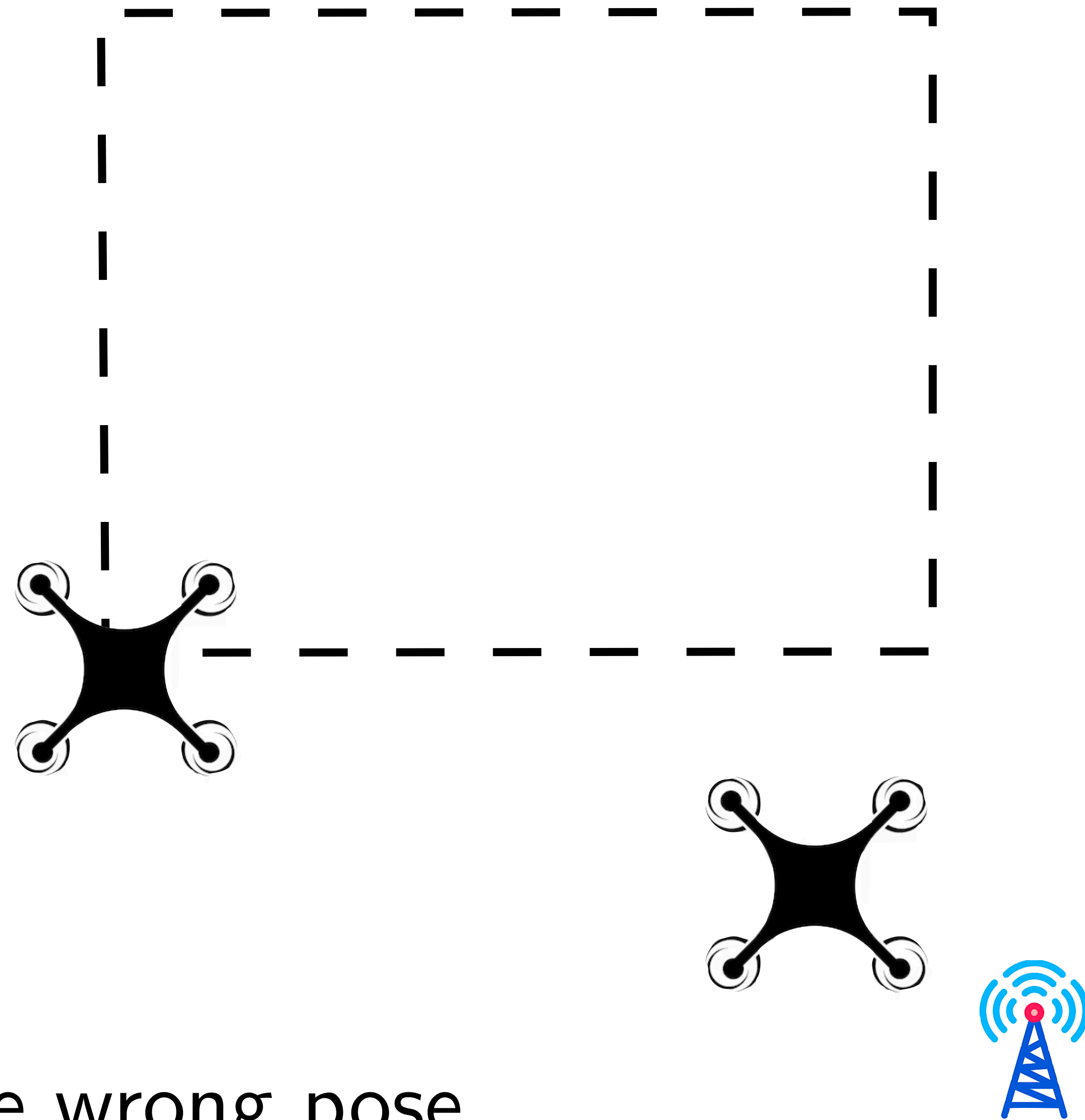
The pose at $t=1$ is **unknown**.

$T=1$



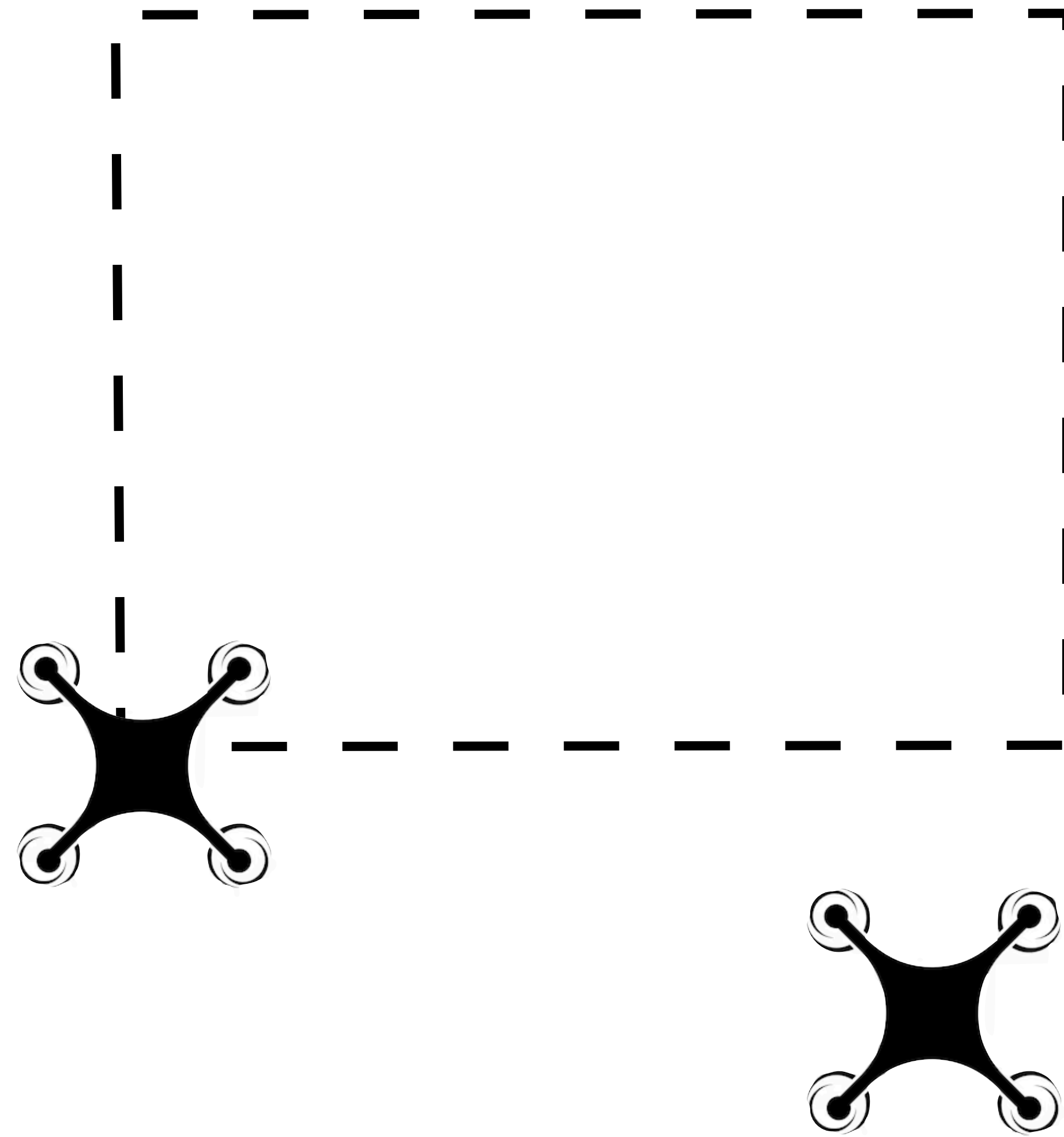
We observe a landmark. but **don't know it's pose either.**

$T=1$

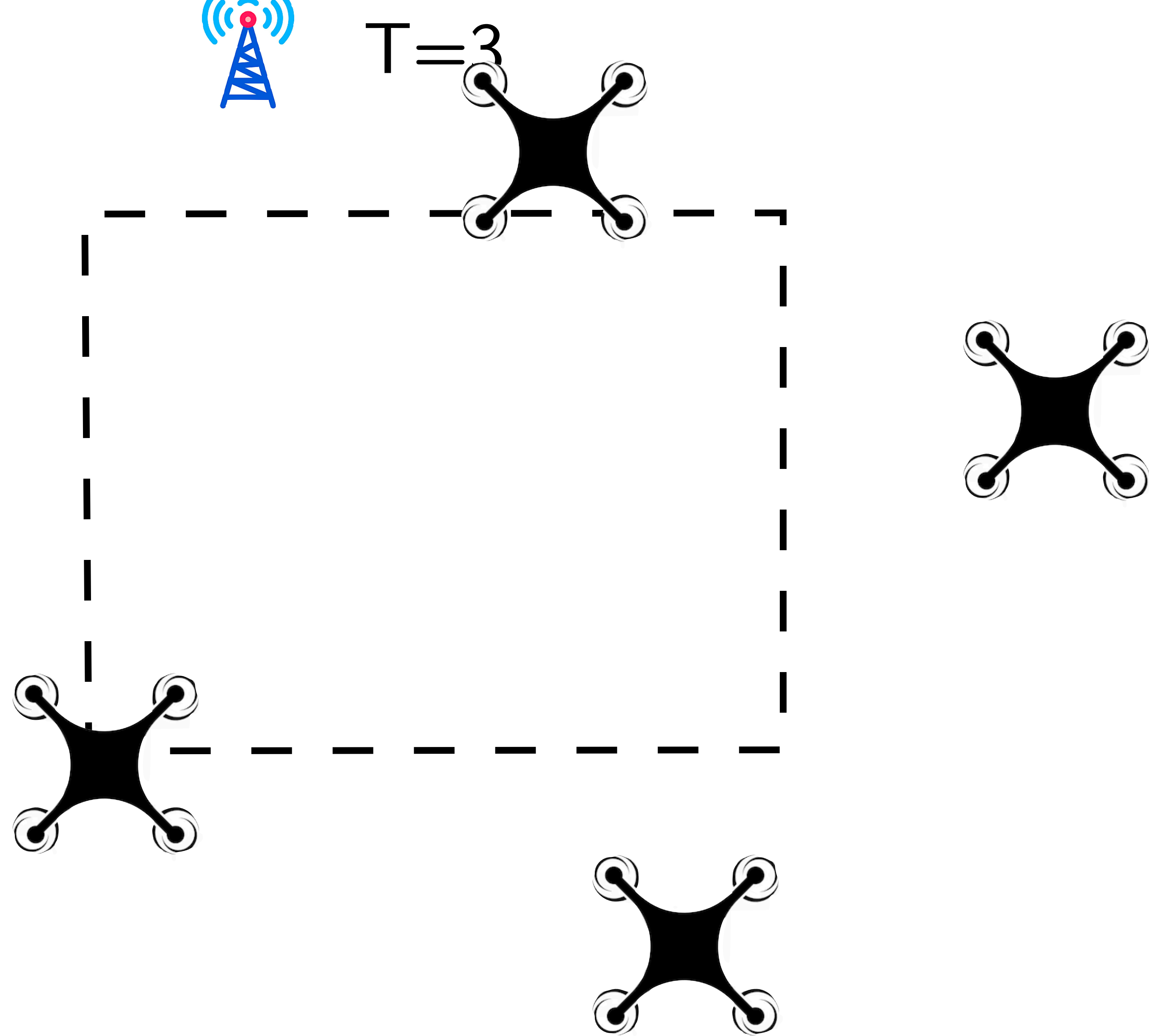


We latch on to the wrong pose

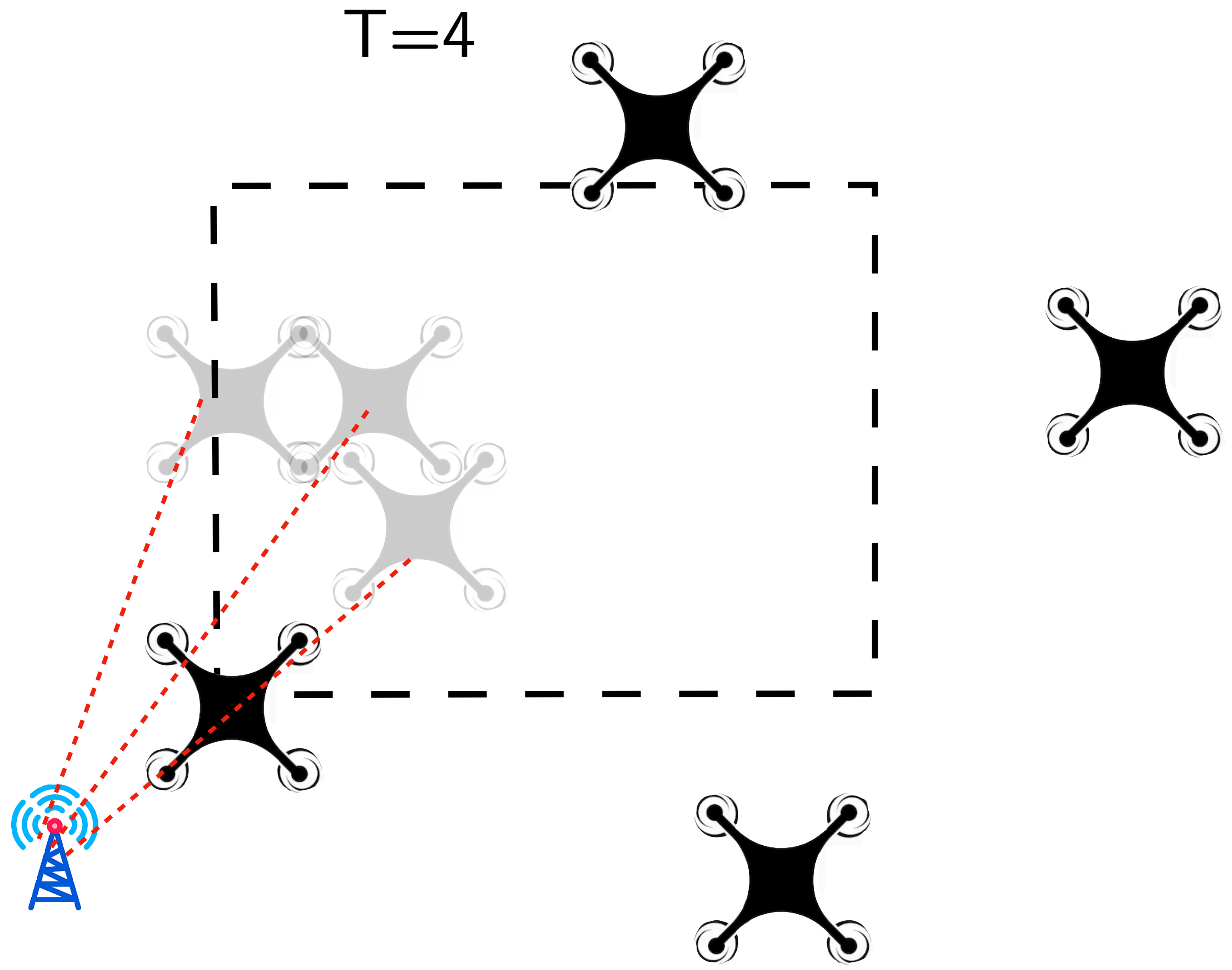
$T=2$



Continue deviating further ..

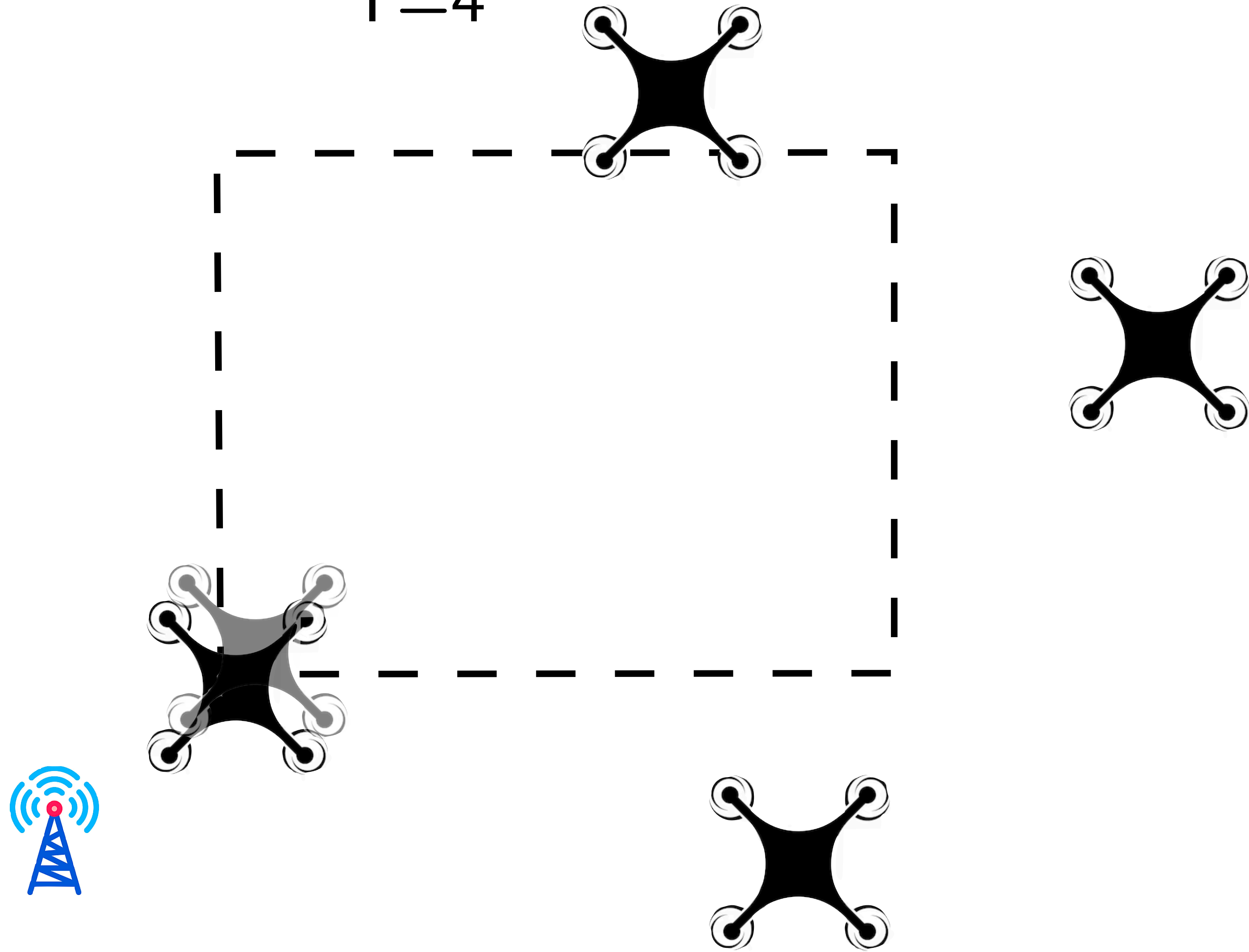


Continue deviating further ..

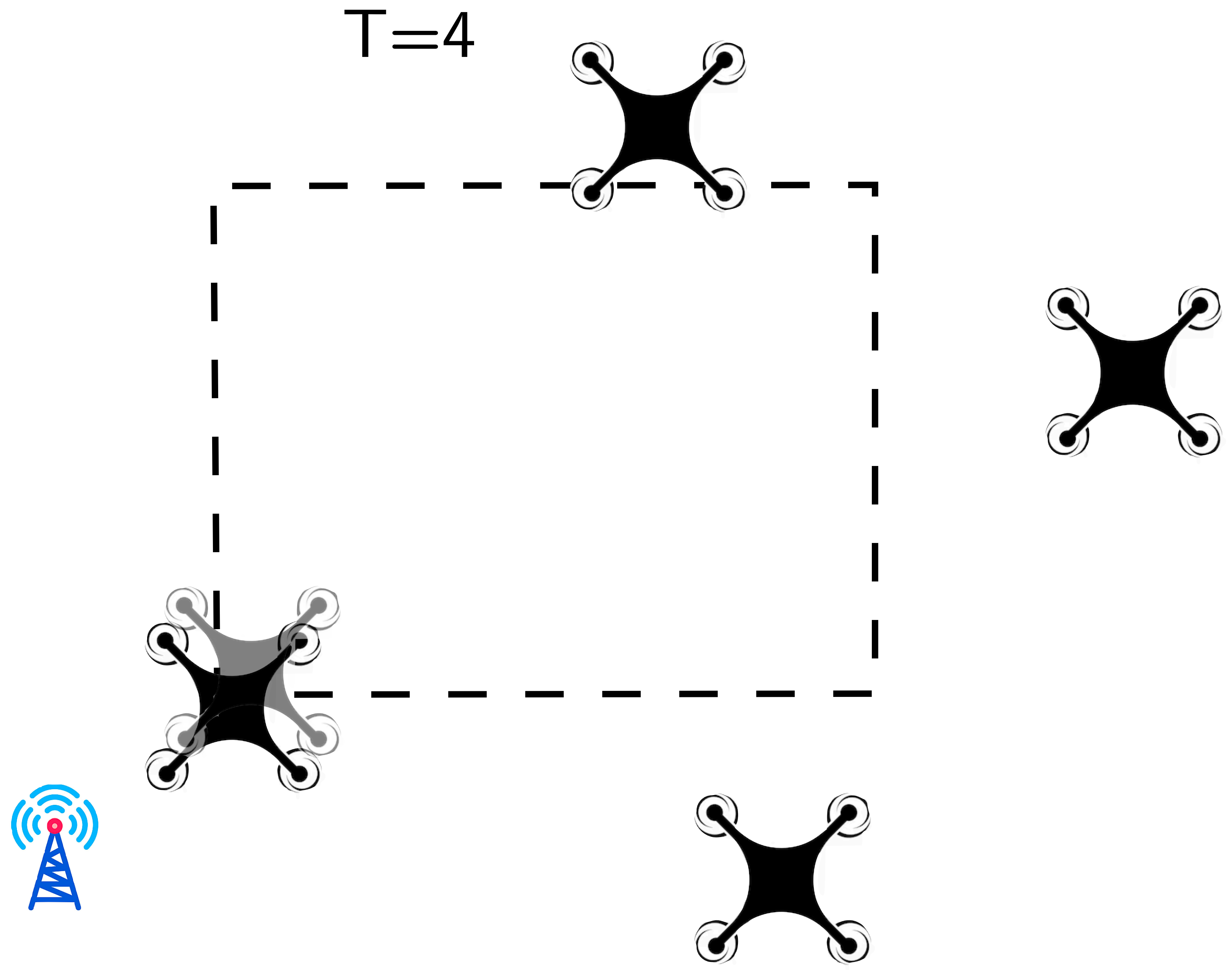


Now at $t=4$, we see the **same landmark** as $t=0$

$T=4$

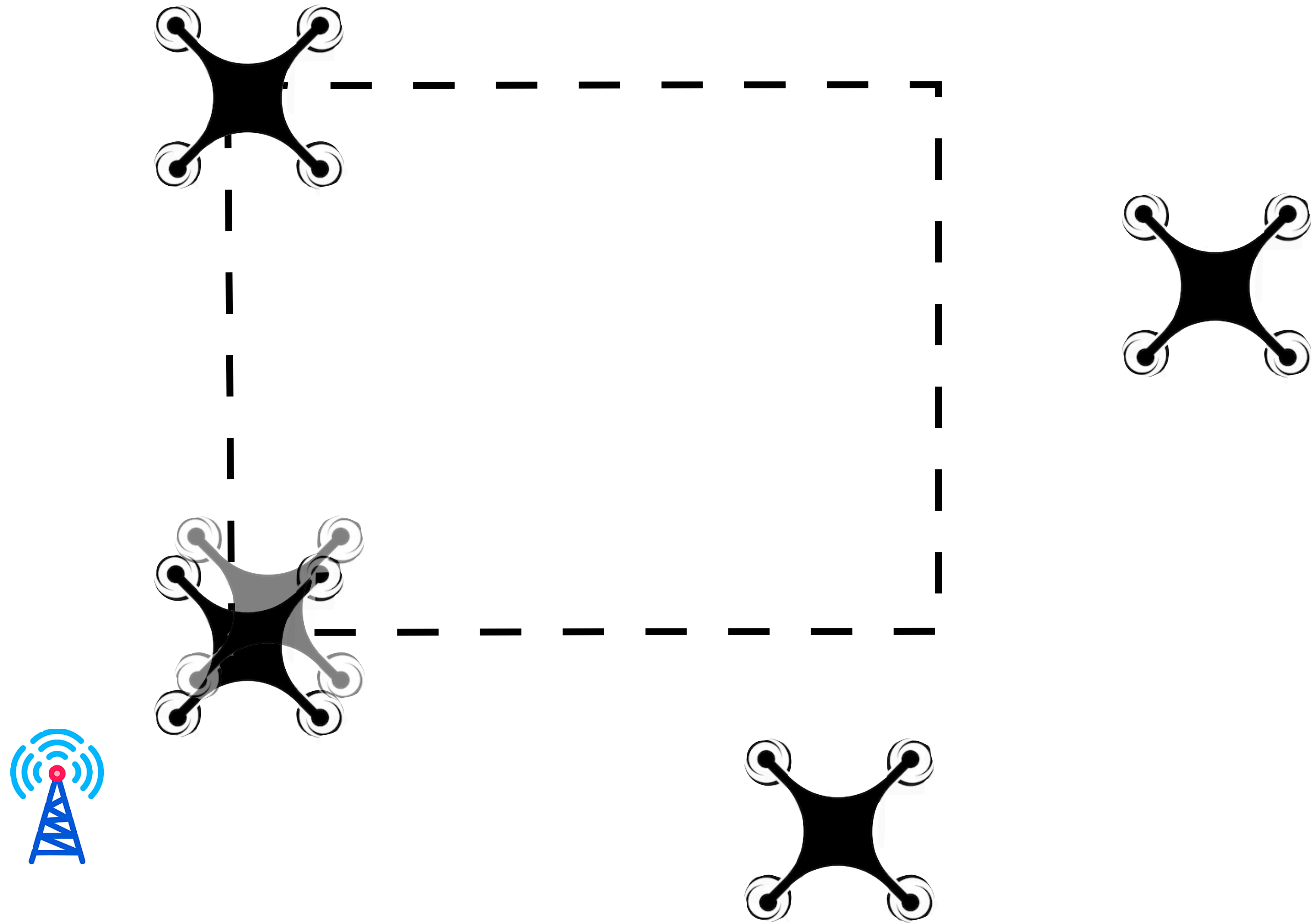


This should “snap” us to the correct position!



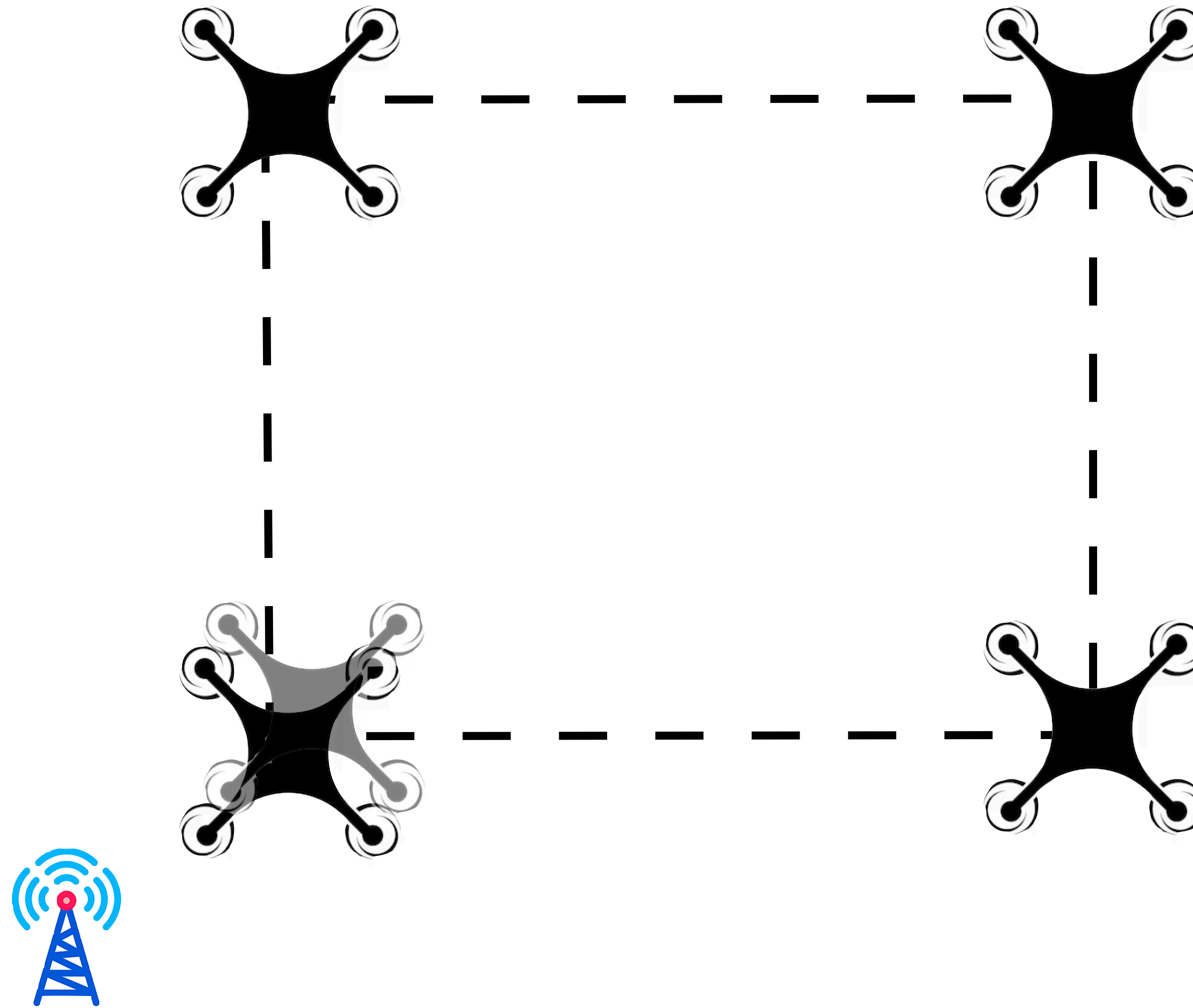
Now the estimate at $T=3$ is inconsistent

$T=4$



We correct that one as well

$T=4$



Correct $t=2, t=1!$

Let's do math!



Application:
SLAM for *self-driving*



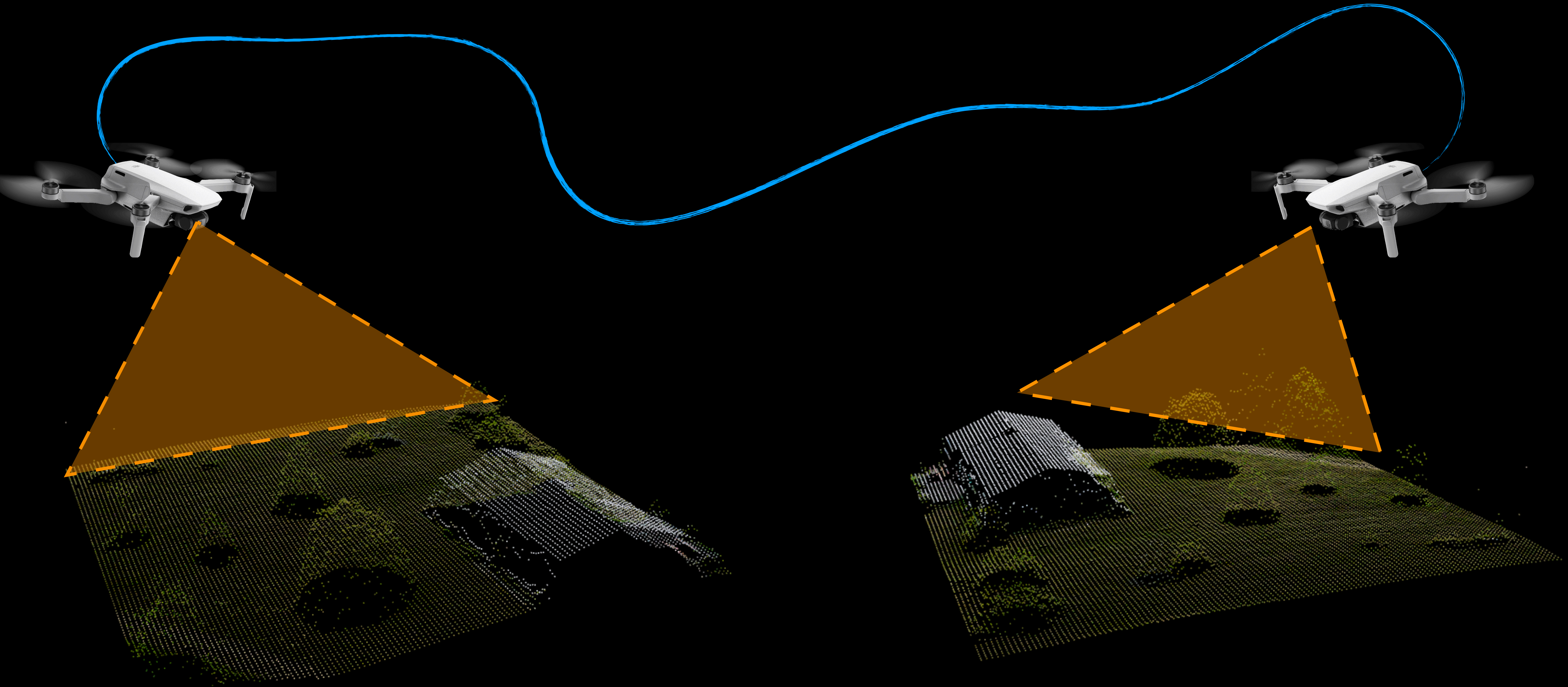
TRACKING - KFs: 703 , MPs: 49427 , Tracked: 157



Application:

SLAM for UAV Mapping

Rotation? Translation?



Let's formulate



Takeaways

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