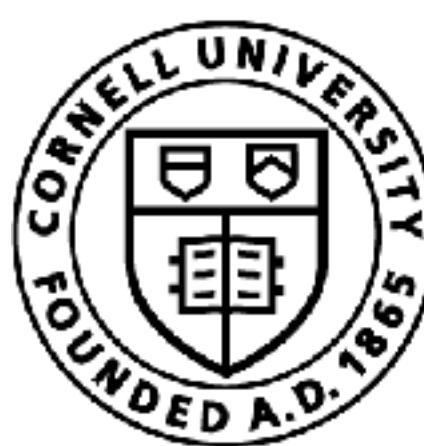


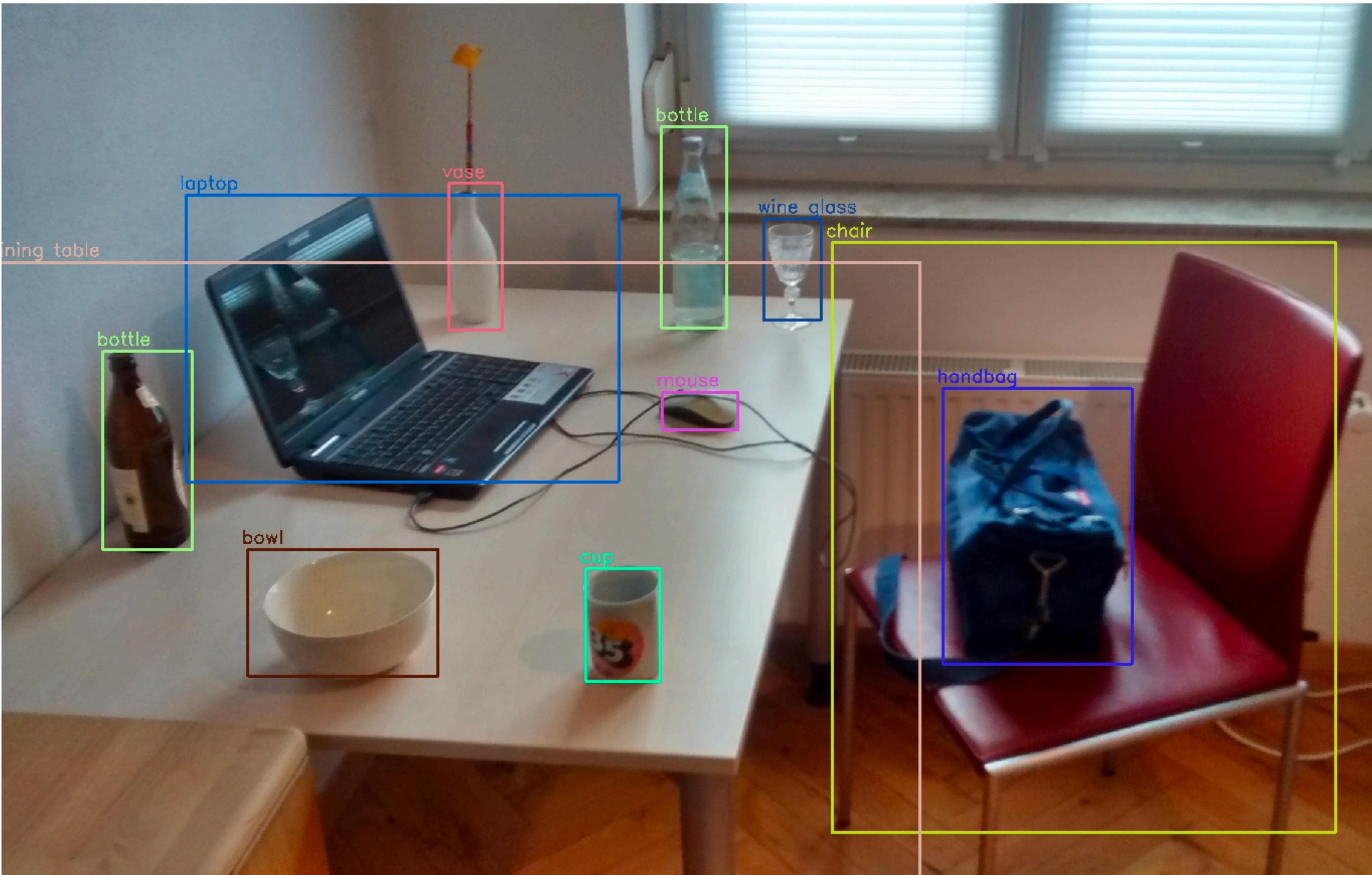
# 3D Perception: PointNet and NERFs

Sanjiban Choudhury



Cornell Bowers CIS  
**Computer Science**

# Last Class: How does a robot identify objects?



# Last Class: How does a robot identify objects?

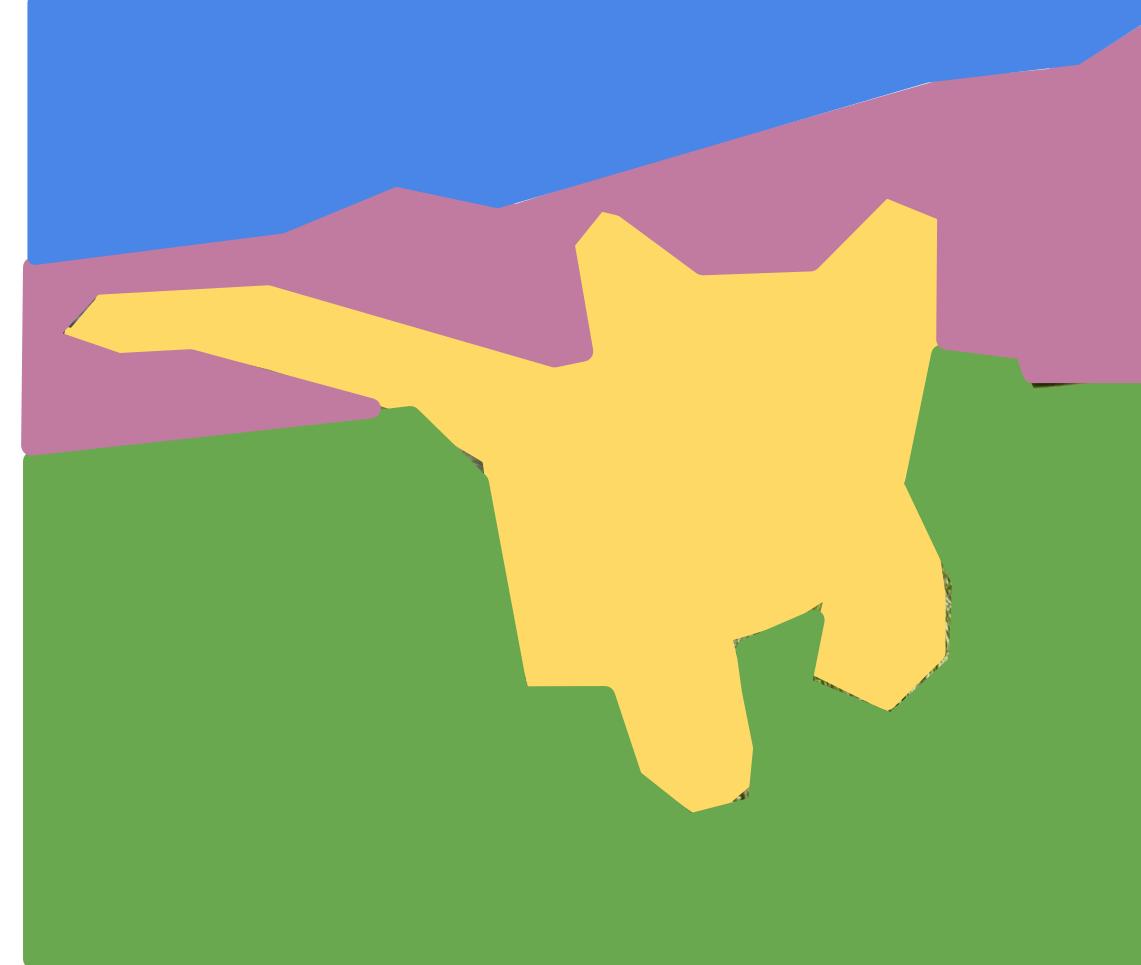
## Classification



CAT

No spatial extent

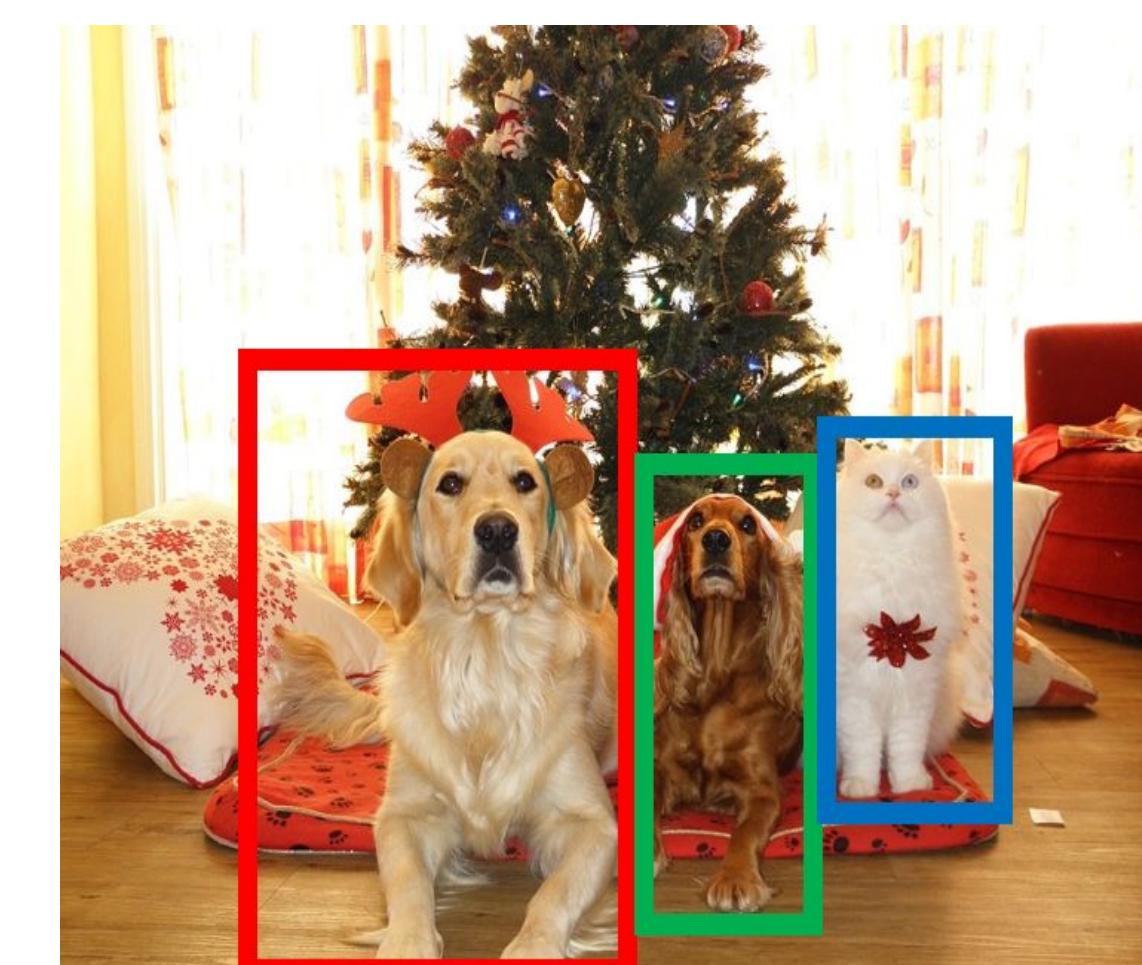
## Semantic Segmentation



GRASS, CAT,  
TREE, SKY

No objects, just pixels

## Object Detection



DOG, DOG, CAT

Multiple Object

## Instance Segmentation



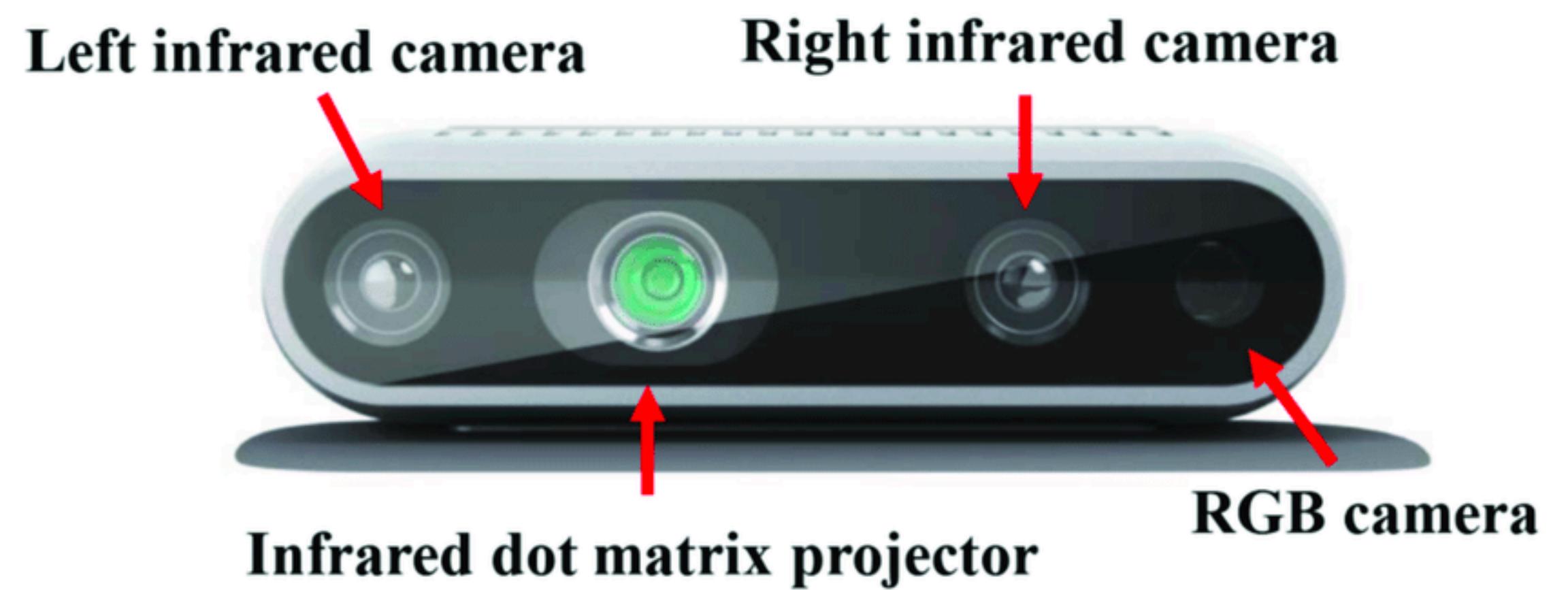
DOG, DOG, CAT

[This image is CC0 public domain](#)

But manipulating  
objects require 3D  
reasoning!



# Depth cameras give us 3D information!



+ Add Source

2D

3D



Intel RealSense D435I 3.2  
File: "20210622\_173905.bag" X

Pause Reset Lock Source Texture Shading Measure Route Export

H M H C Speed: xl

0:00:03 0:00:26

Stereo Module

Resolution: 848 x 480

Frame Rate (FPS): 30

Infrared 2

Y8

Infrared 1

Y8

Depth

Z16

Visual Preset:

0

Emitter Enabled:

1

Enable Auto Exposure:

1

► Controls

► Depth Visualization

► Post-Processing

RGB Camera

Resolution: 1280 x 720

Frame Rate (FPS): 30

Color RGB8

Enable Auto Exposure:

1

► Controls

► Post-Processing

Motion Module

Gyro stream:

Format: MOTION\_XYZ32F

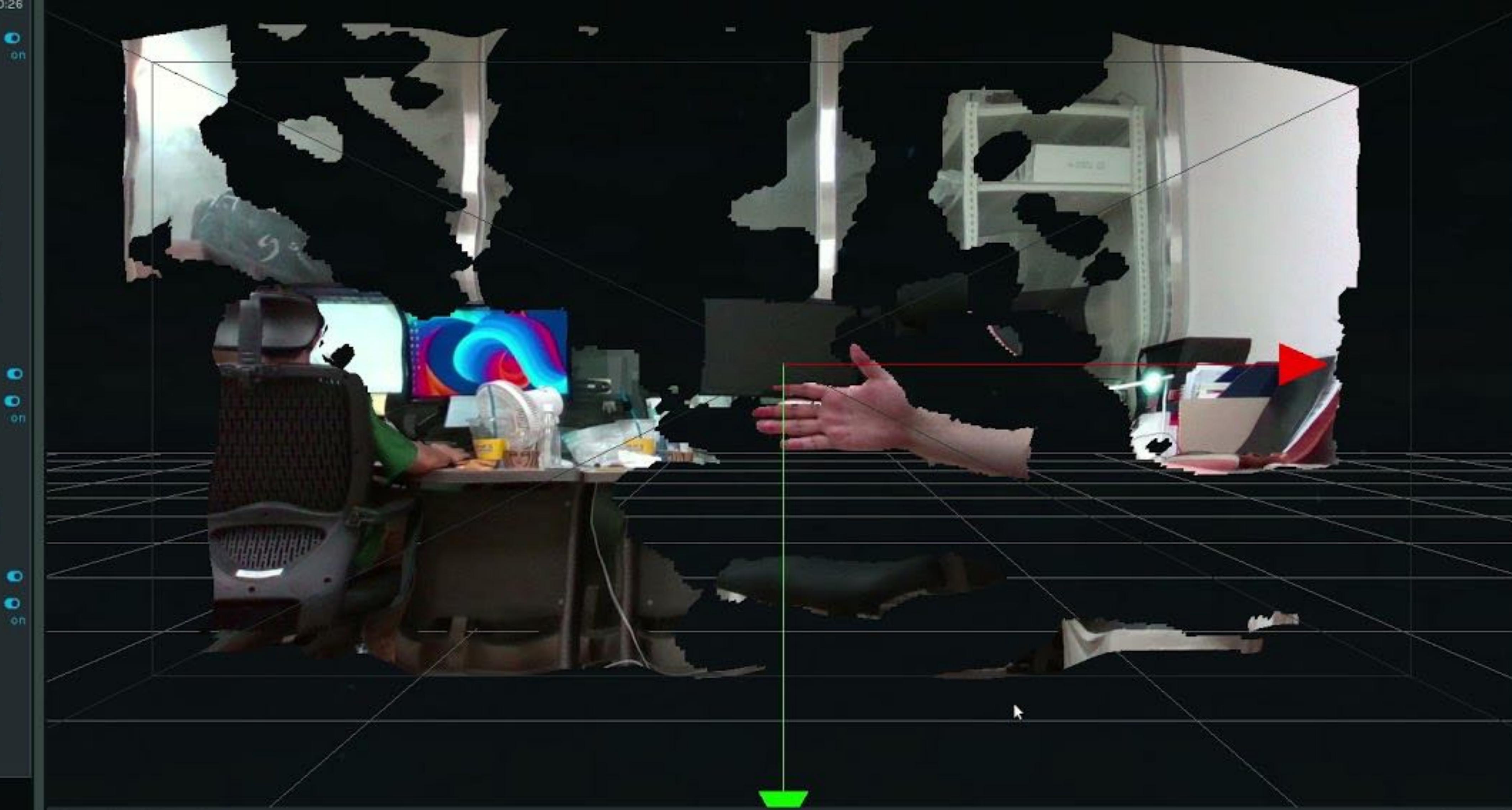
Frame Rate (FPS): 200

Accel stream:

Format: MOTION\_XYZ32F

Frame Rate (FPS): 63

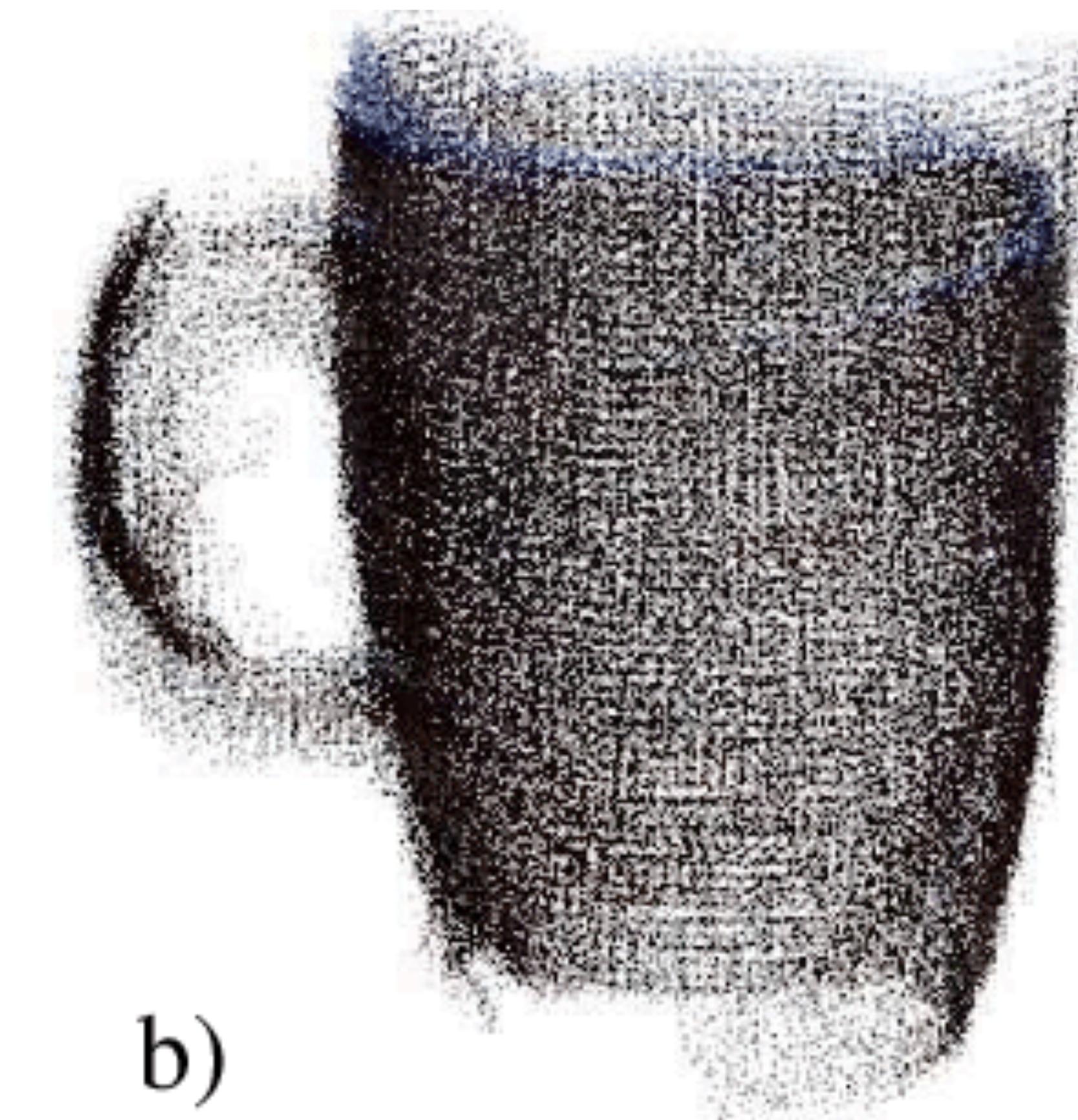
► Controls



# Masked Depth Image -> Point Cloud



a)



b)

# Activity!

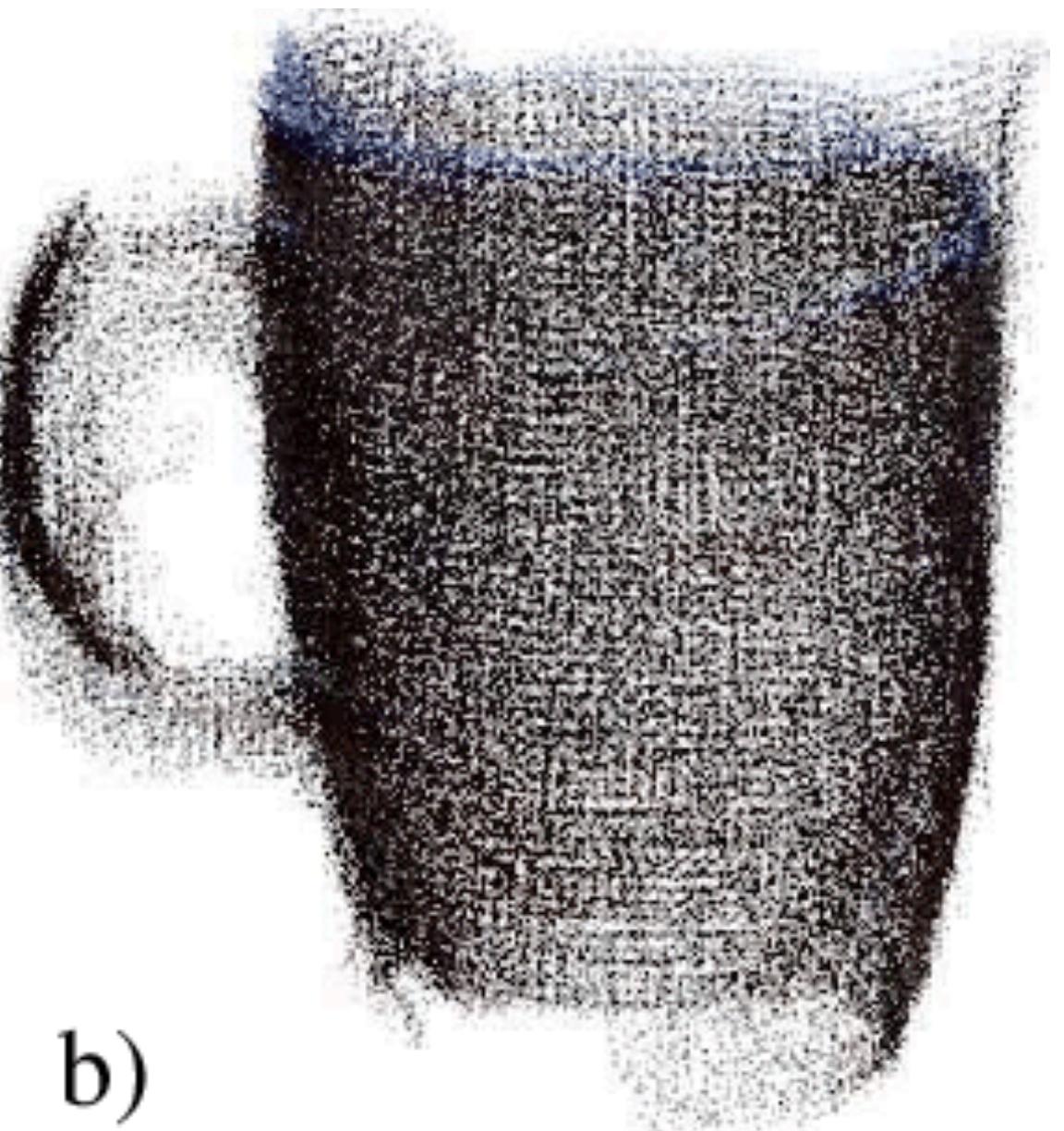


# Think-Pair-Share!

Think (30 sec): Given a point cloud of an object, how would you learn where to grasp it? What are some informative features?

Pair: Find a partner

Share (45 sec): Partners exchange ideas

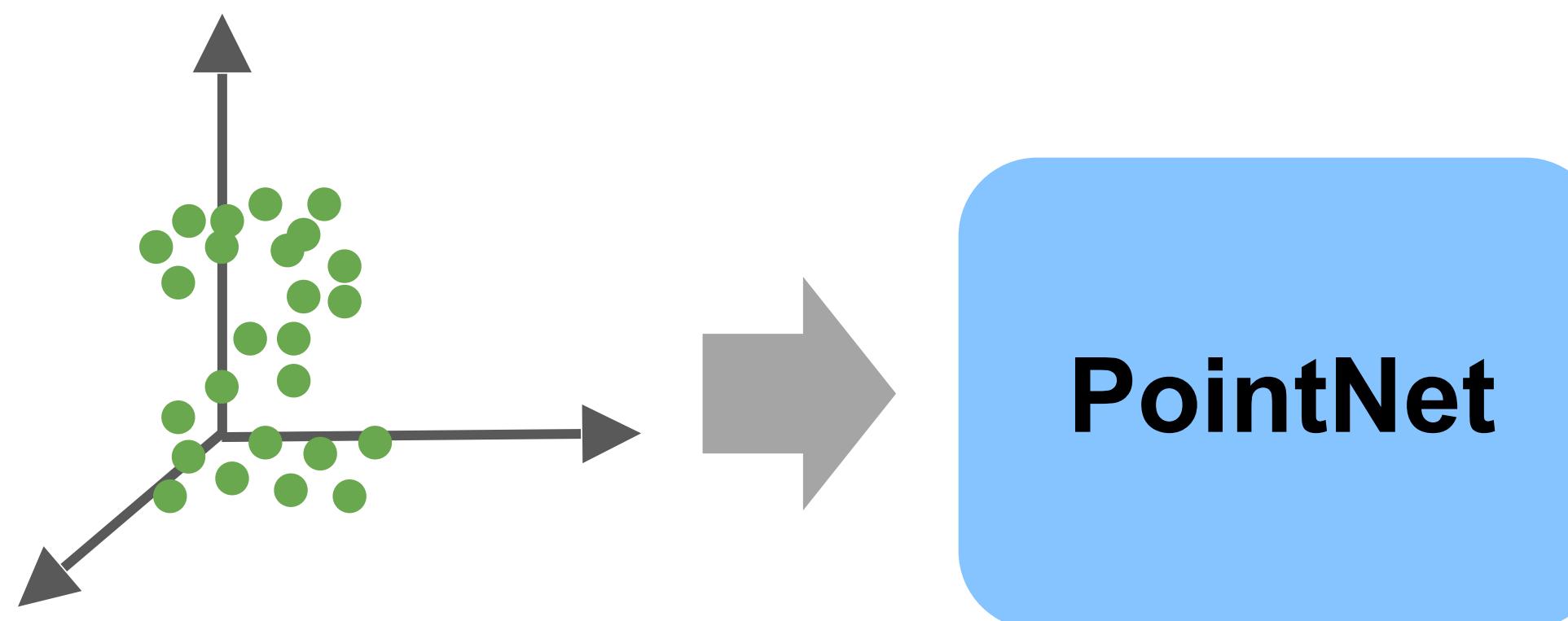


Can we learn effective  
feature learning directly  
on point clouds?



# PointNet

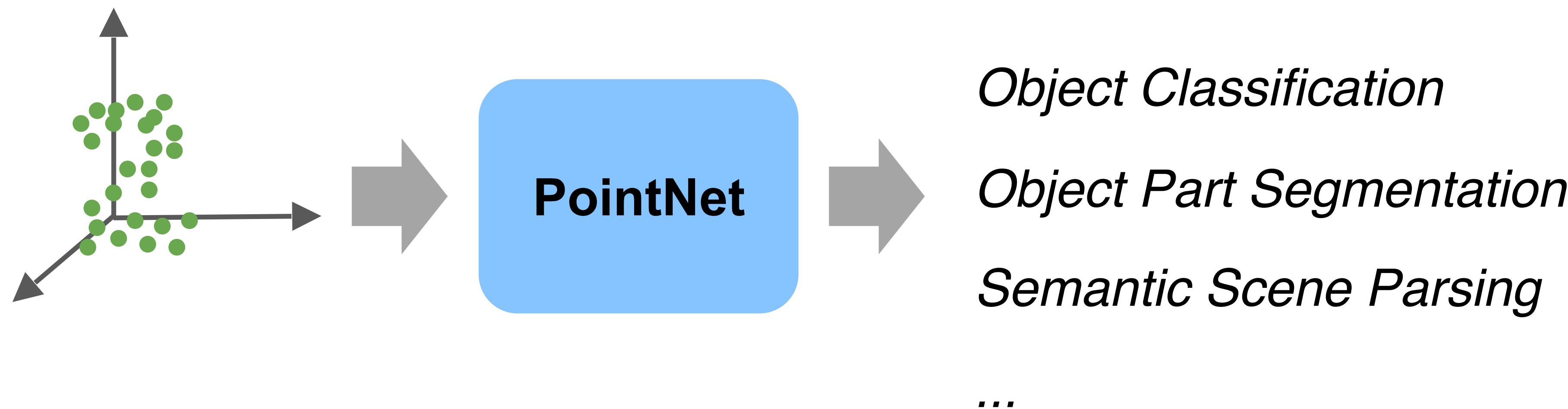
End-to-end learning for **scattered, unordered** point data



# PointNet

End-to-end learning for **scattered, unordered** point data

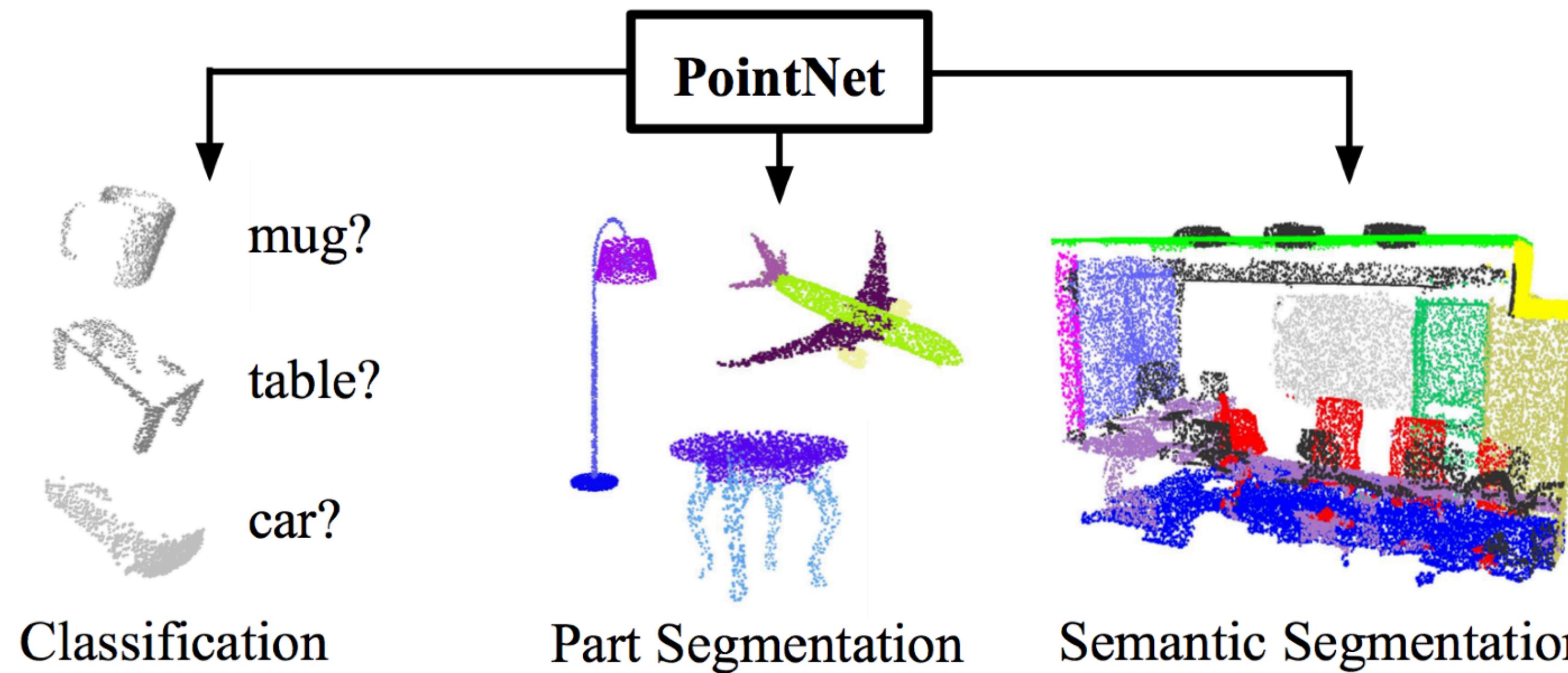
**Unified** framework for various tasks



# PointNet

End-to-end learning for **scattered, unordered** point data

**Unified** framework for various tasks



Why is learning with  
point clouds challenging?



# Two Challenges

Challenge 1: **Unordered** point set as input

*Model needs to be invariant to  $N!$  permutation*

Challenge 2: Invariance under **geometric** transformations

*Point cloud rotation should not alter classification results*

# Two Challenges

Challenge 1: **Unordered** point set as input

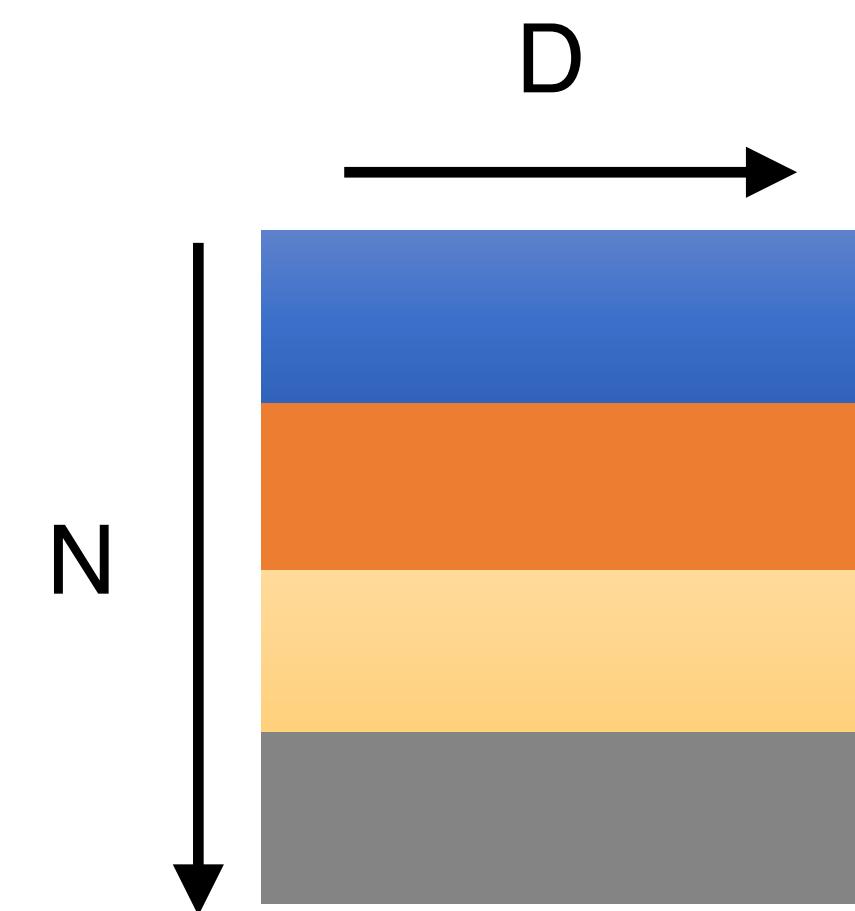
*Model needs to be invariant to  $N!$  permutation*

Challenge 2: Invariance under **geometric** transformations

*Point cloud rotation should not alter classification results*

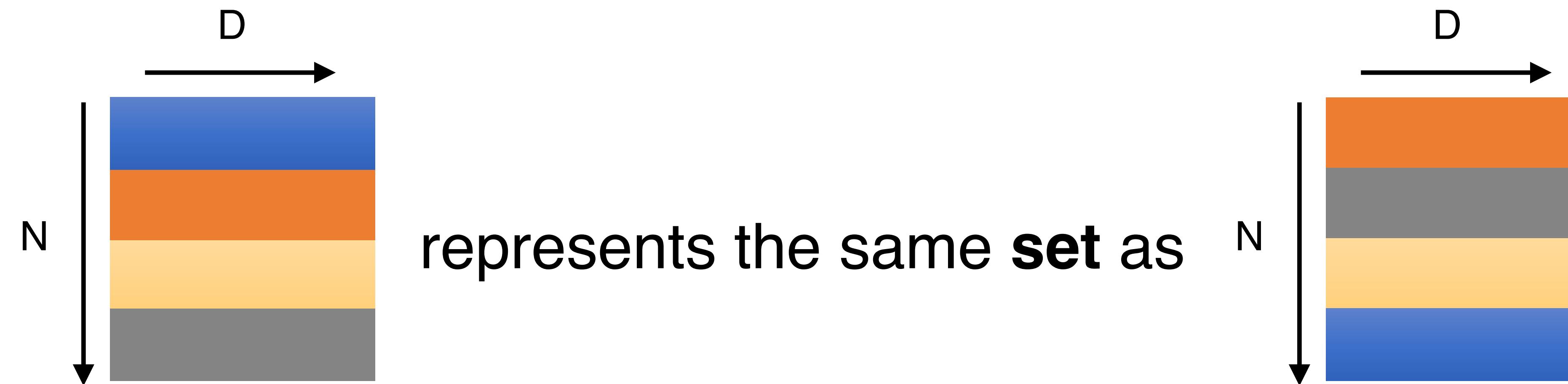
# Unordered Input

Point cloud: N **orderless** points, each represented by a D dim vector



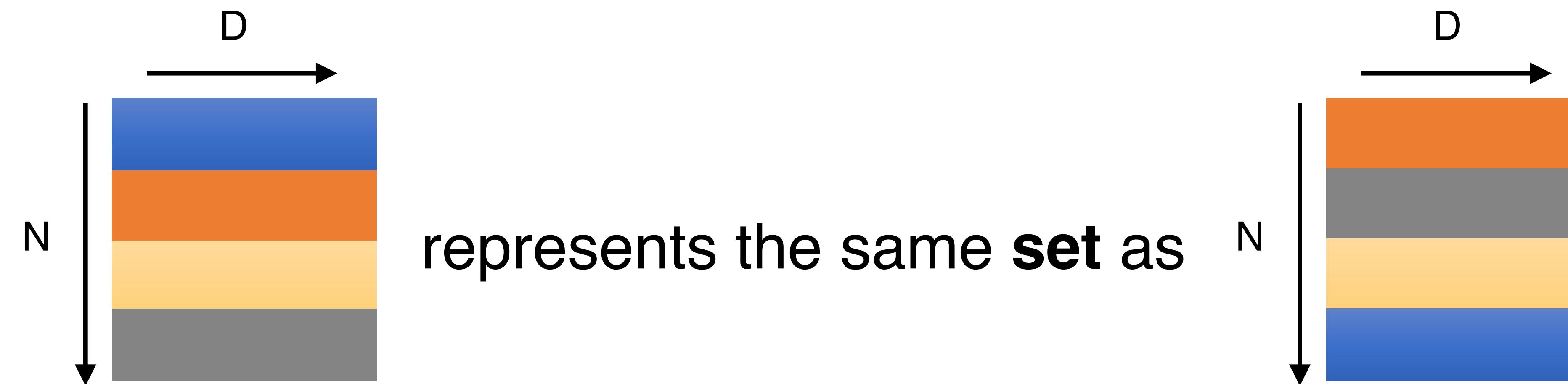
# Unordered Input

Point cloud: N **orderless** points, each represented by a D dim vector



# Unordered Input

Point cloud:  $N$  **orderless** points, each represented by a  $D$  dim vector



**Model needs to be invariant to  $N!$  permutations**

# Permutation Invariance: Symmetric Function

$$f(x_1, x_2, \dots, x_n) \equiv f(x_{\pi_1}, x_{\pi_2}, \dots, x_{\pi_n}), \quad x_i \in \mathbb{R}^D$$

# Permutation Invariance: Symmetric Function

$$f(x_1, x_2, \dots, x_n) \equiv f(x_{\pi_1}, x_{\pi_2}, \dots, x_{\pi_n}), \quad x_i \in \mathbb{R}^D$$

## Examples:

$$f(x_1, x_2, \dots, x_n) = \max\{x_1, x_2, \dots, x_n\}$$

$$f(x_1, x_2, \dots, x_n) = x_1 + x_2 + \dots + x_n$$

...

# Permutation Invariance: Symmetric Function

$$f(x_1, x_2, \dots, x_n) \equiv f(x_{\pi_1}, x_{\pi_2}, \dots, x_{\pi_n}), \quad x_i \in \mathbb{R}^D$$

## Examples:

$$f(x_1, x_2, \dots, x_n) = \max\{x_1, x_2, \dots, x_n\}$$

$$f(x_1, x_2, \dots, x_n) = x_1 + x_2 + \dots + x_n$$

...

**How can we construct a family of symmetric functions by neural networks?**

# Permutation Invariance: Symmetric Function

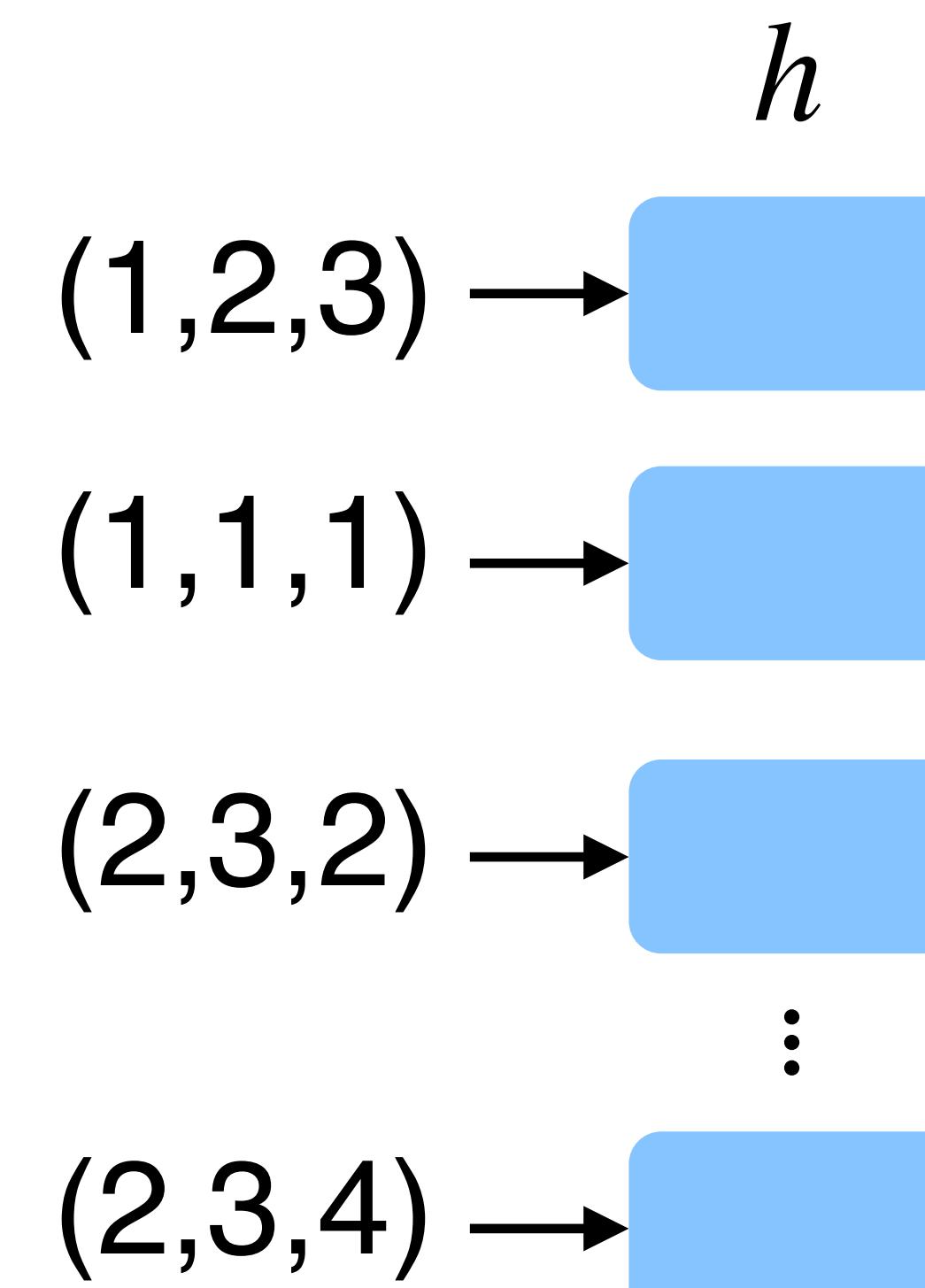
**Observe:**

$f(x_1, x_2, \dots, x_n) = \gamma \circ g(h(x_1), \dots, h(x_n))$  is symmetric if  $g$  is symmetric

# Permutation Invariance: Symmetric Function

**Observe:**

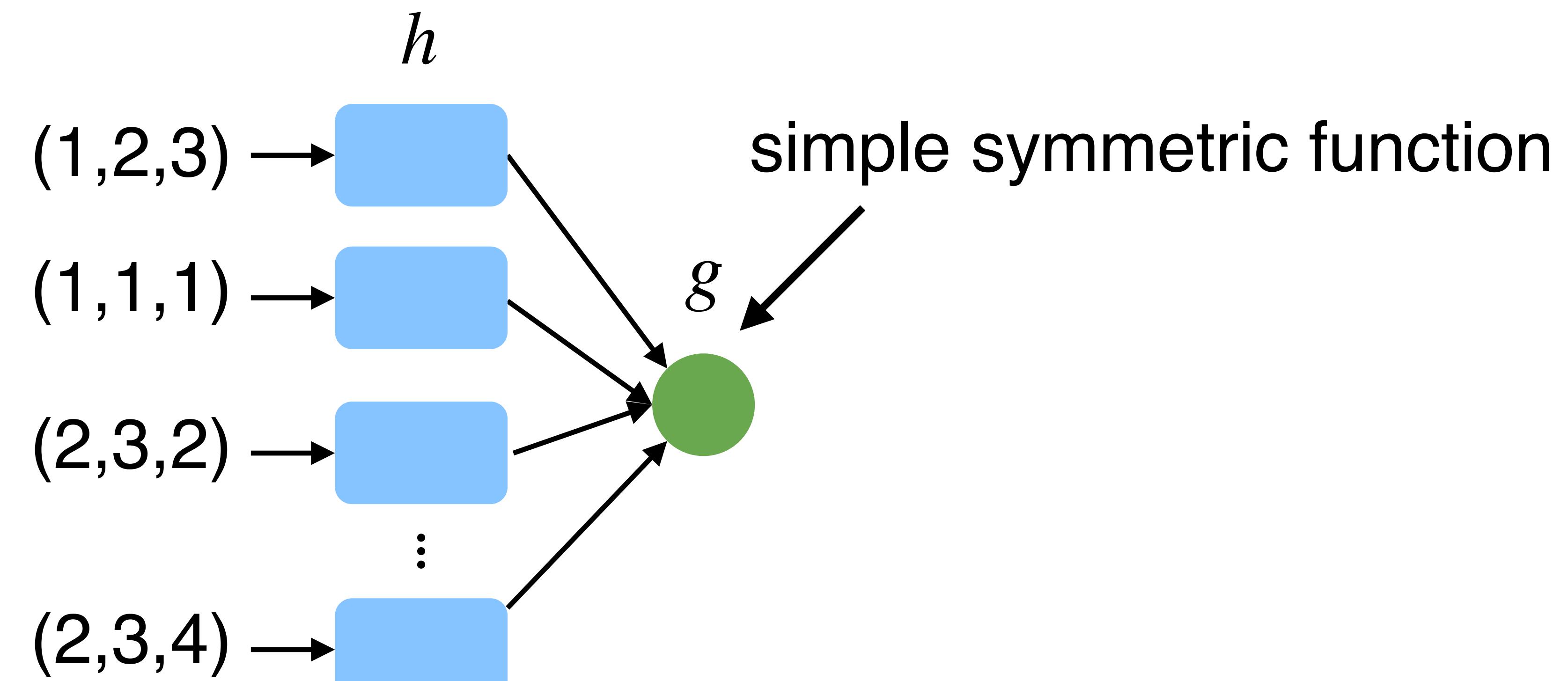
$f(x_1, x_2, \dots, x_n) = \gamma \circ g(h(x_1), \dots, h(x_n))$  is symmetric if  $g$  is symmetric



# Permutation Invariance: Symmetric Function

**Observe:**

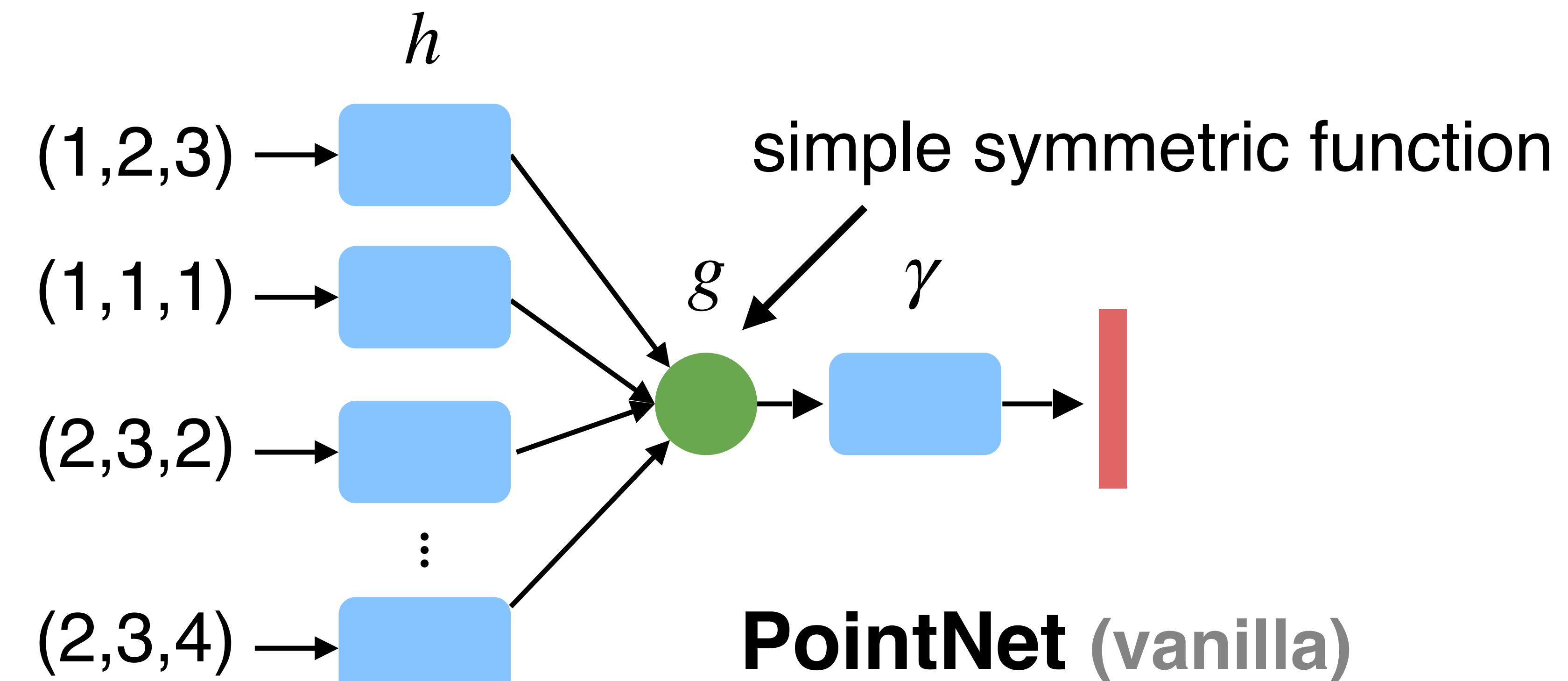
$f(x_1, x_2, \dots, x_n) = \gamma \circ g(h(x_1), \dots, h(x_n))$  is symmetric if  $g$  is symmetric



# Permutation Invariance: Symmetric Function

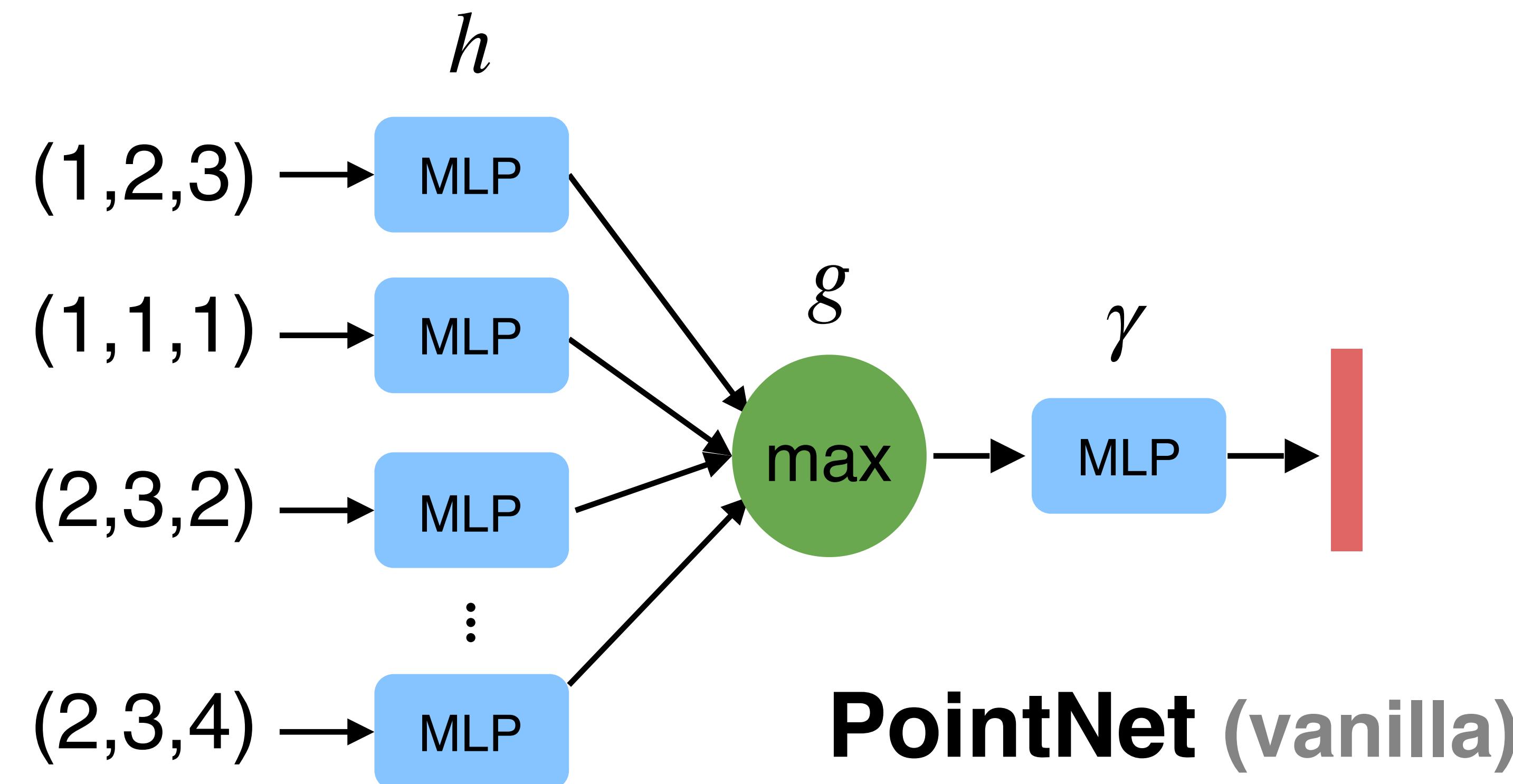
**Observe:**

$f(x_1, x_2, \dots, x_n) = \gamma \circ g(h(x_1), \dots, h(x_n))$  is symmetric if  $g$  is symmetric



# Basic PointNet Architecture

Empirically, we use **multi-layer perceptron (MLP)** and **max pooling**:



# Two Challenges

Challenge 1: **Unordered** point set as input

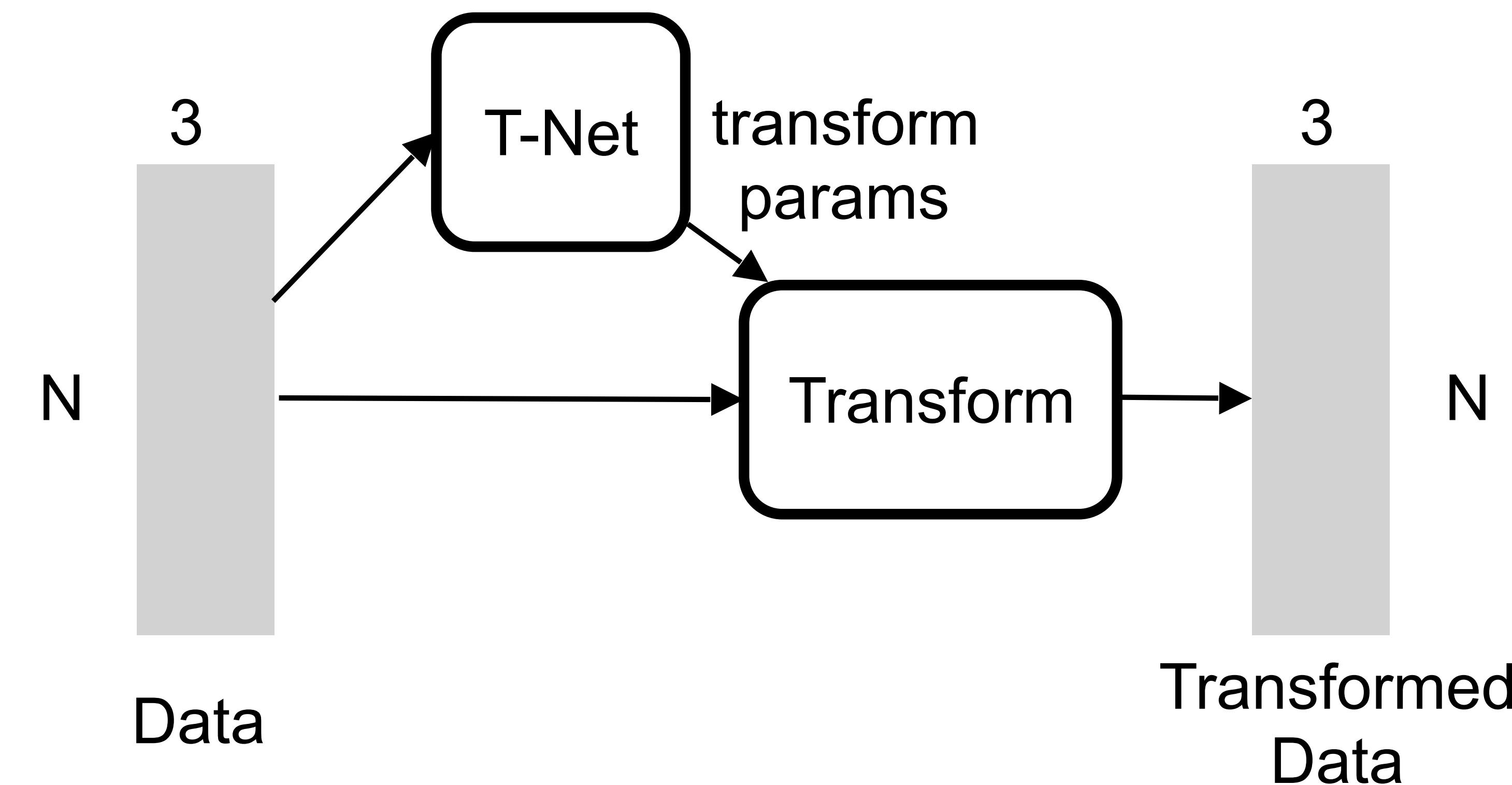
*Model needs to be invariant to  $N!$  permutation*

Challenge 2: Invariance under **geometric** transformations

*Point cloud rotation should not alter classification results*

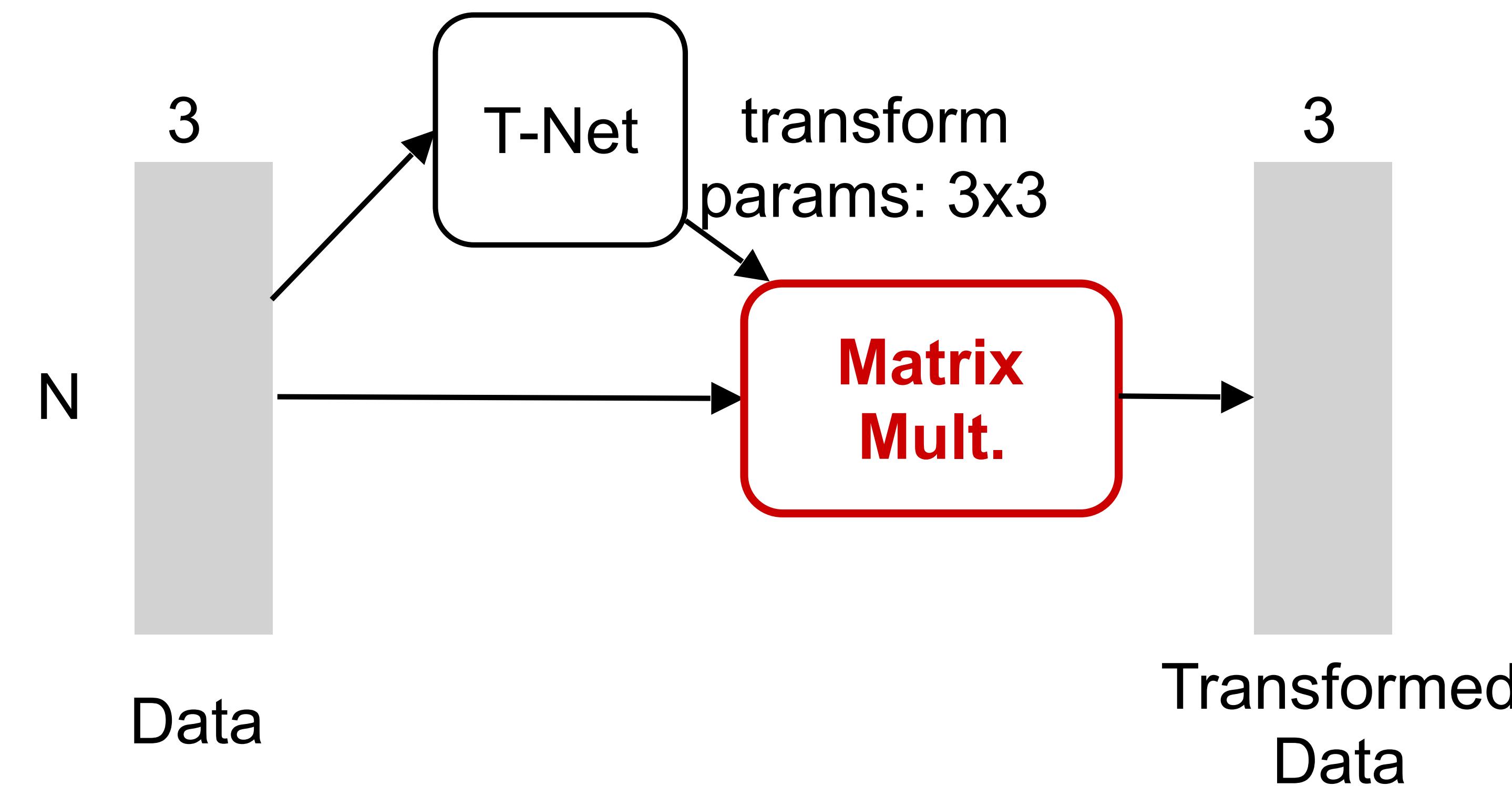
# Input Alignment by Transformer Network

Idea: Data dependent transformation for automatic alignment

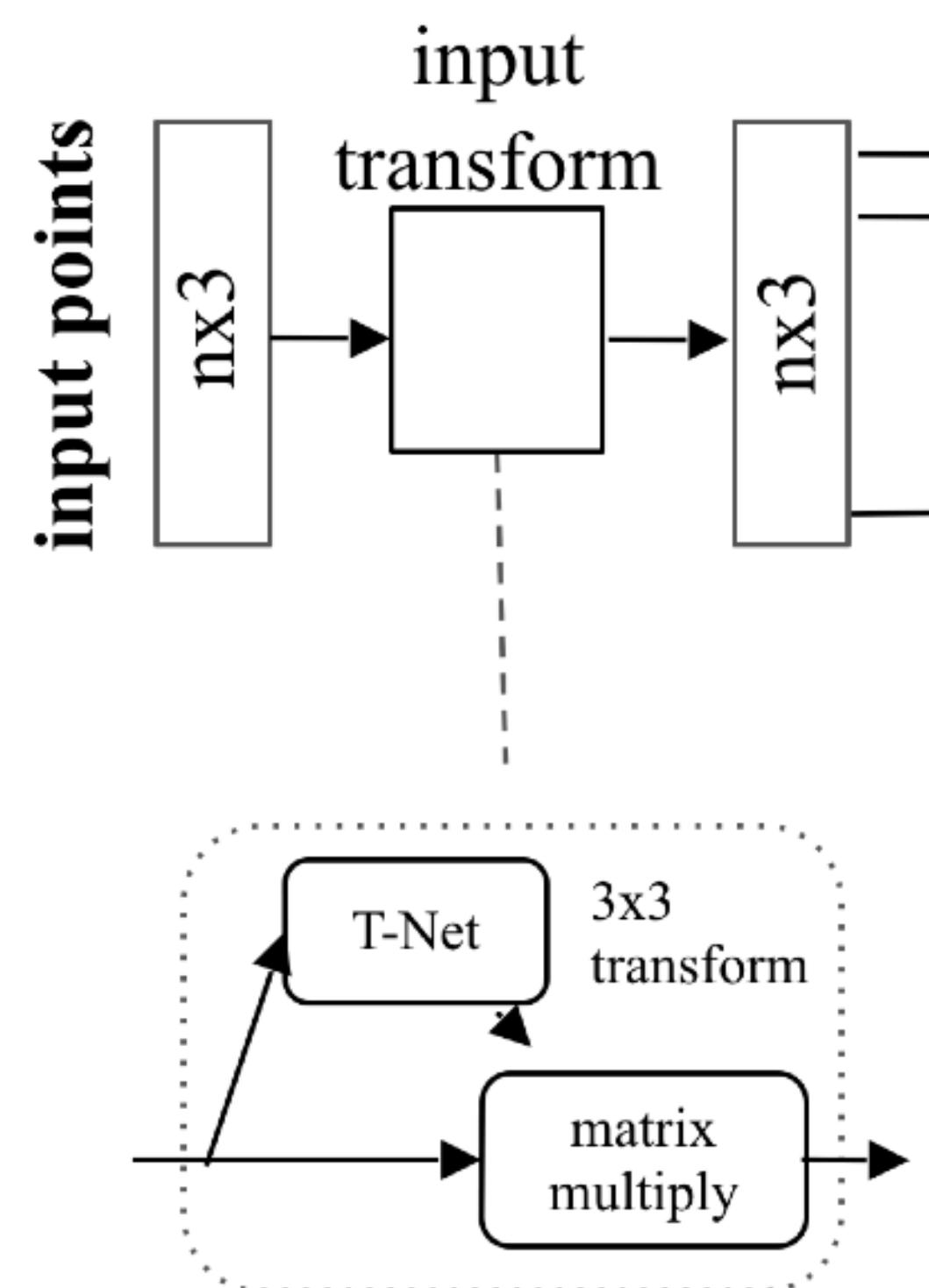


# Input Alignment by Transformer Network

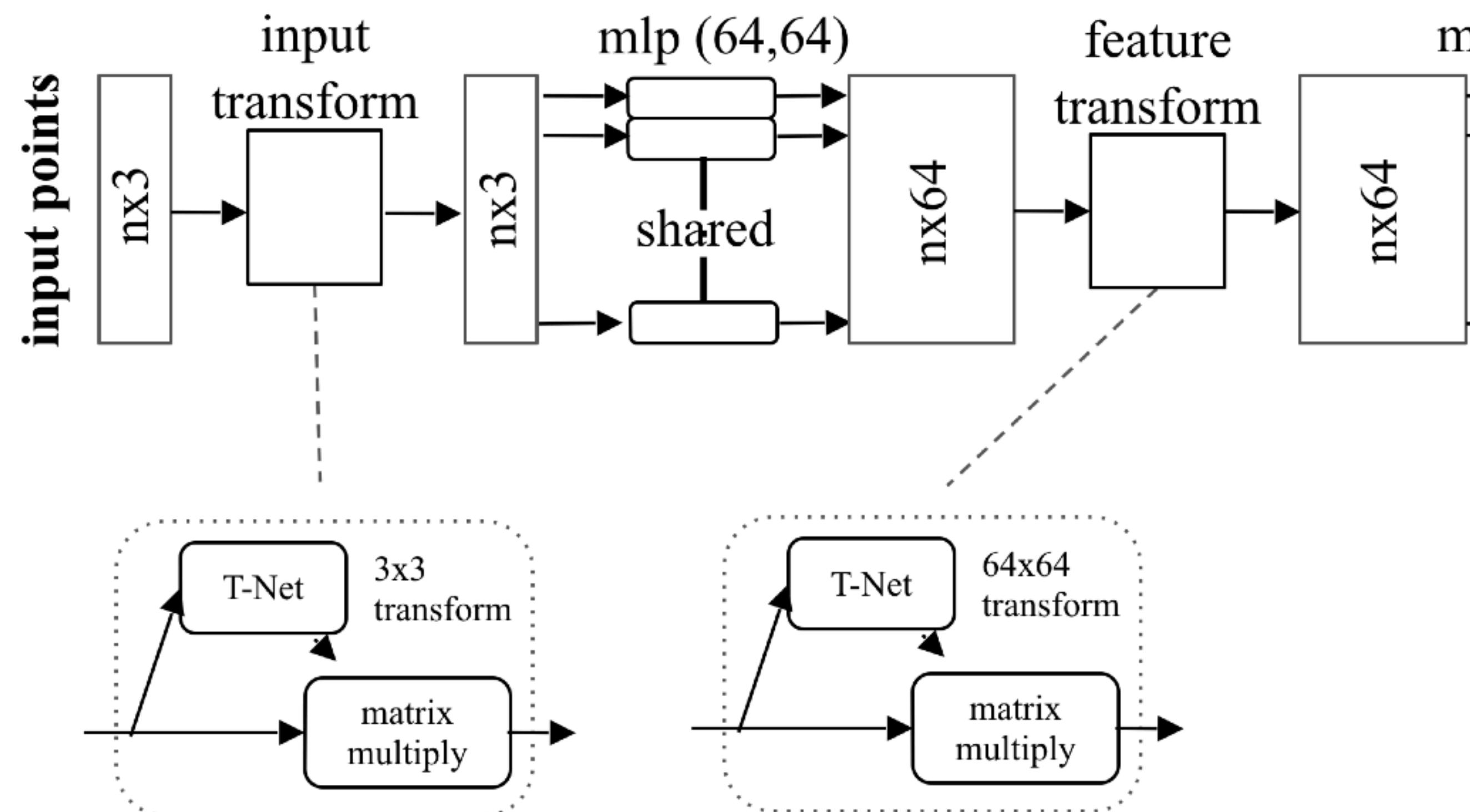
The transformation is just matrix multiplication!



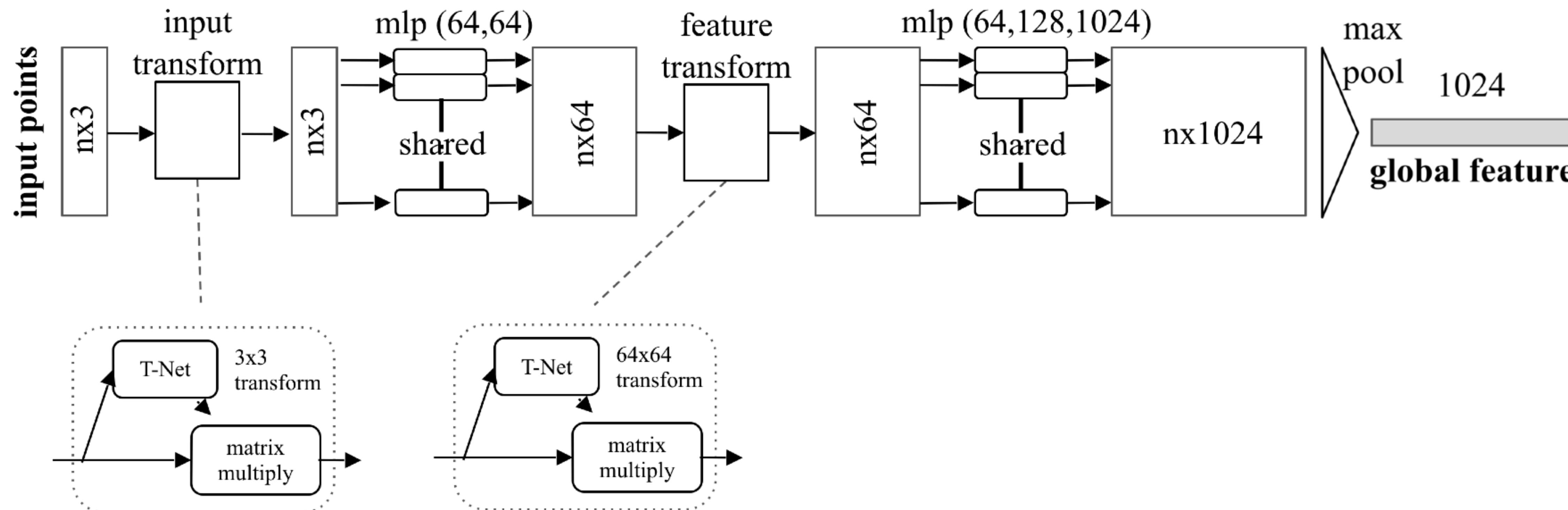
# PointNet Classification Network



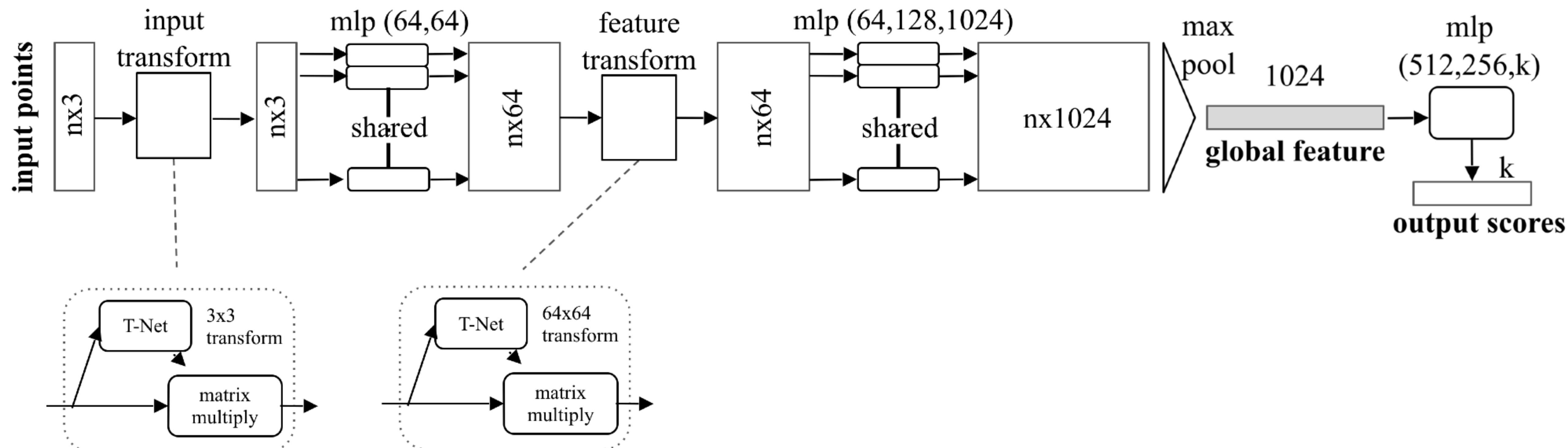
# PointNet Classification Network



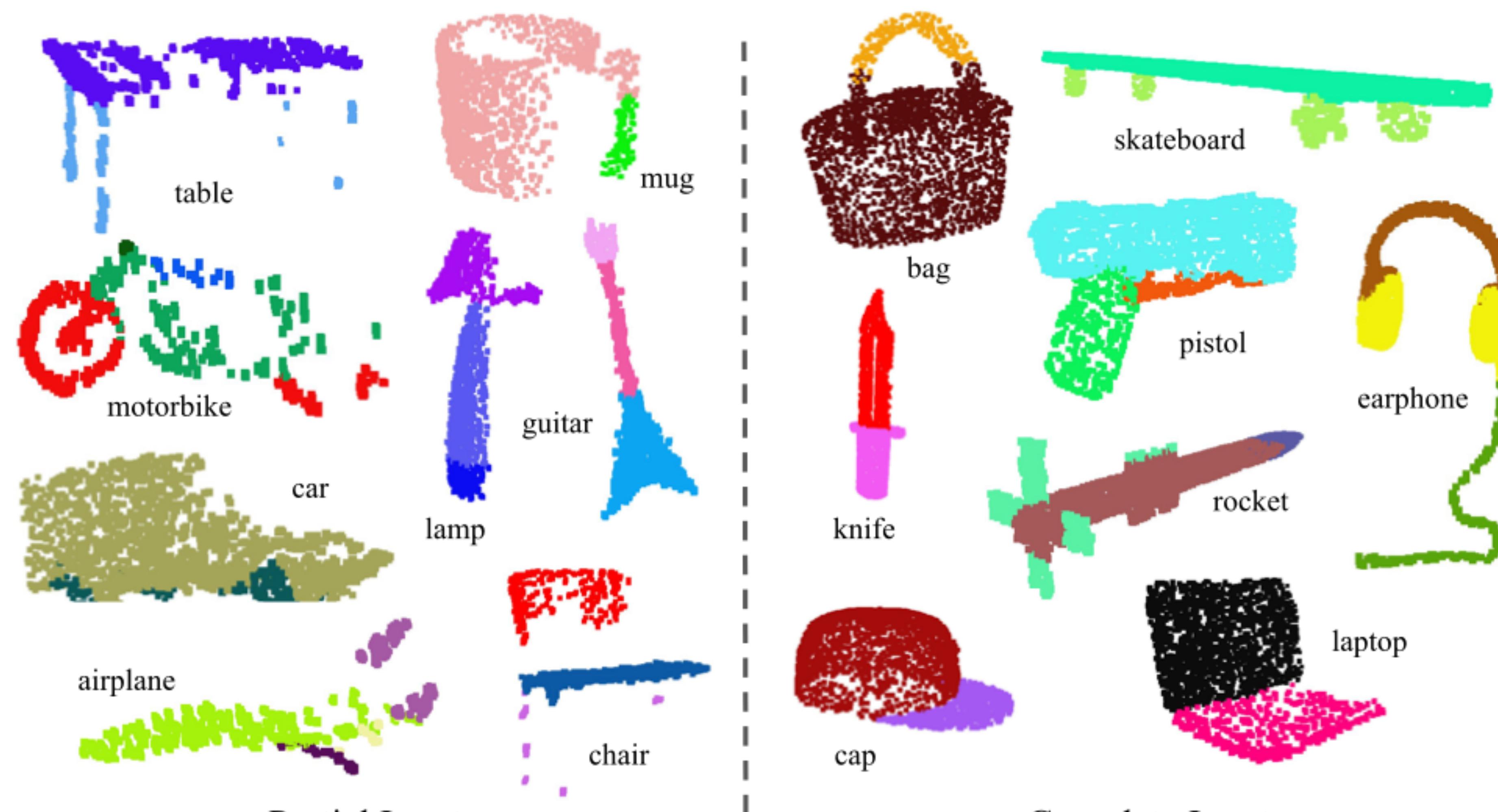
# PointNet Classification Network



# PointNet Classification Network



# Results on Object Part Segmentation



# Results on Semantic Scene Parsing

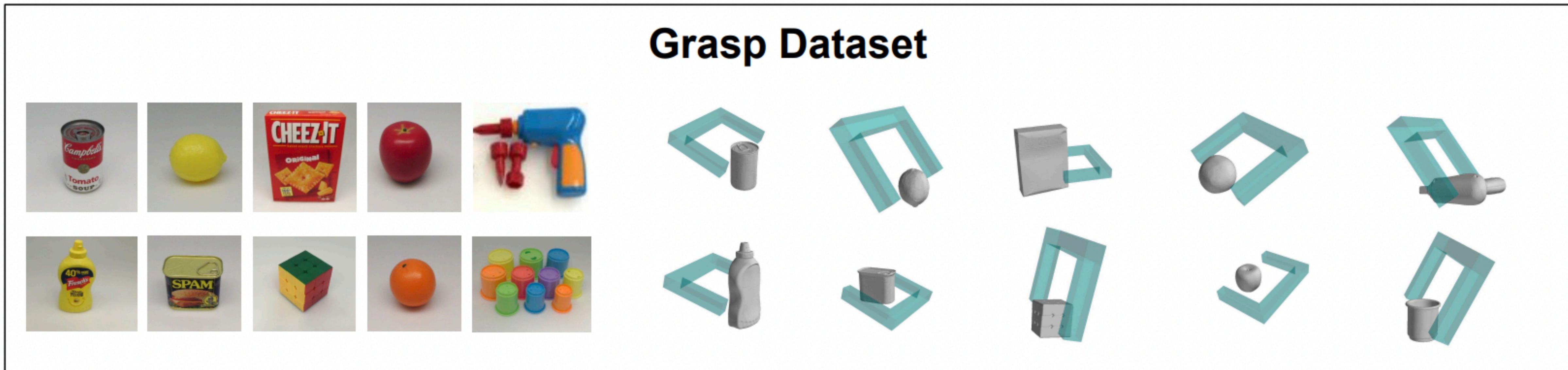


Slides from Qi et al, CVP 2017 [http://stanford.edu/~rqi/pointnet/docs/cvpr17\\_pointnet\\_slides.pdf](http://stanford.edu/~rqi/pointnet/docs/cvpr17_pointnet_slides.pdf)

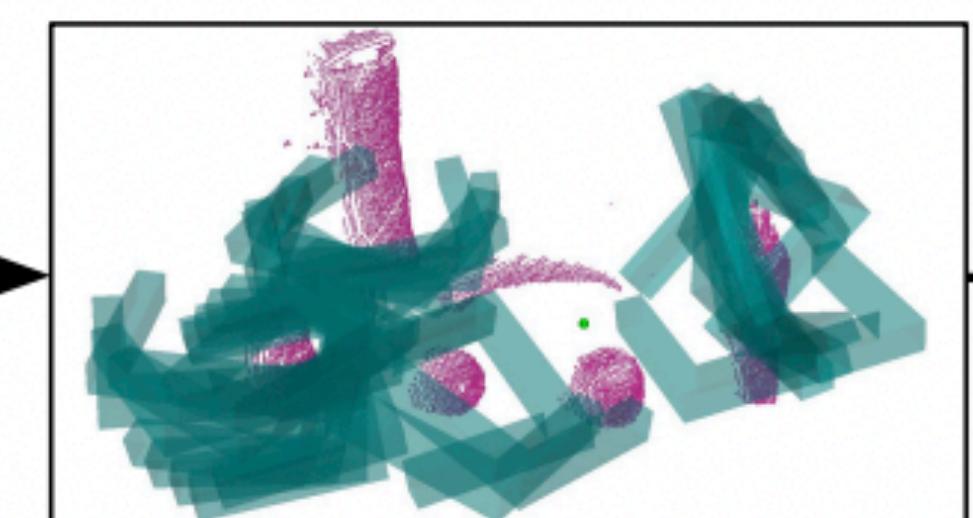
How do we use this for learning grasping?



# PointNetGPD: Detecting Grasp Configurations from Point Sets



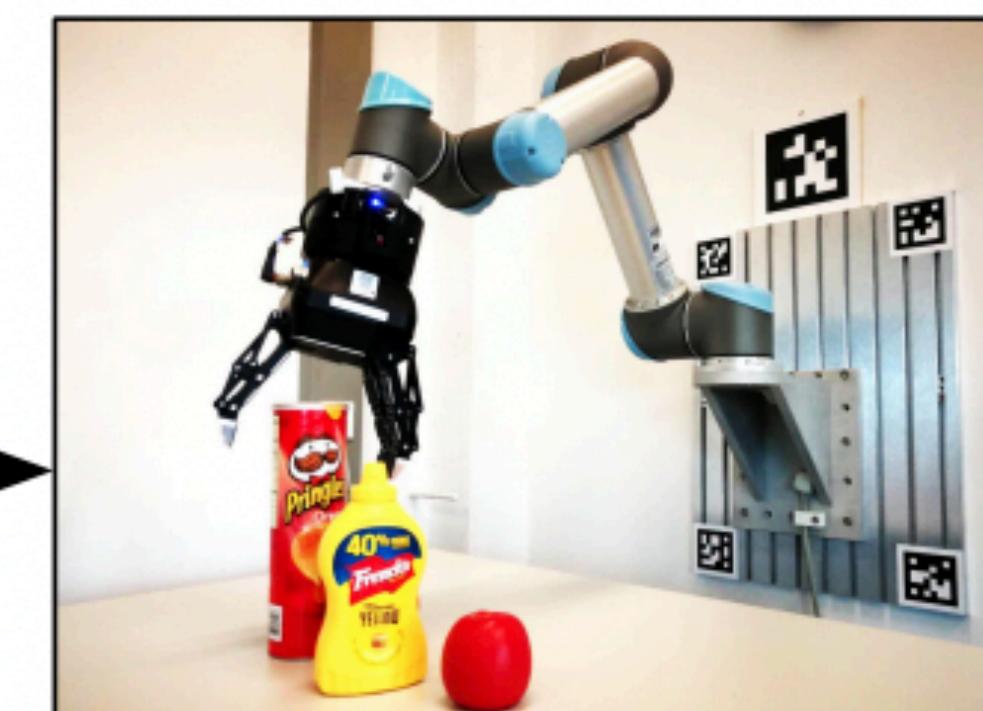
**Robot Initial State Grasp Candidates Generation**



**Quality Evaluation with PointNet**

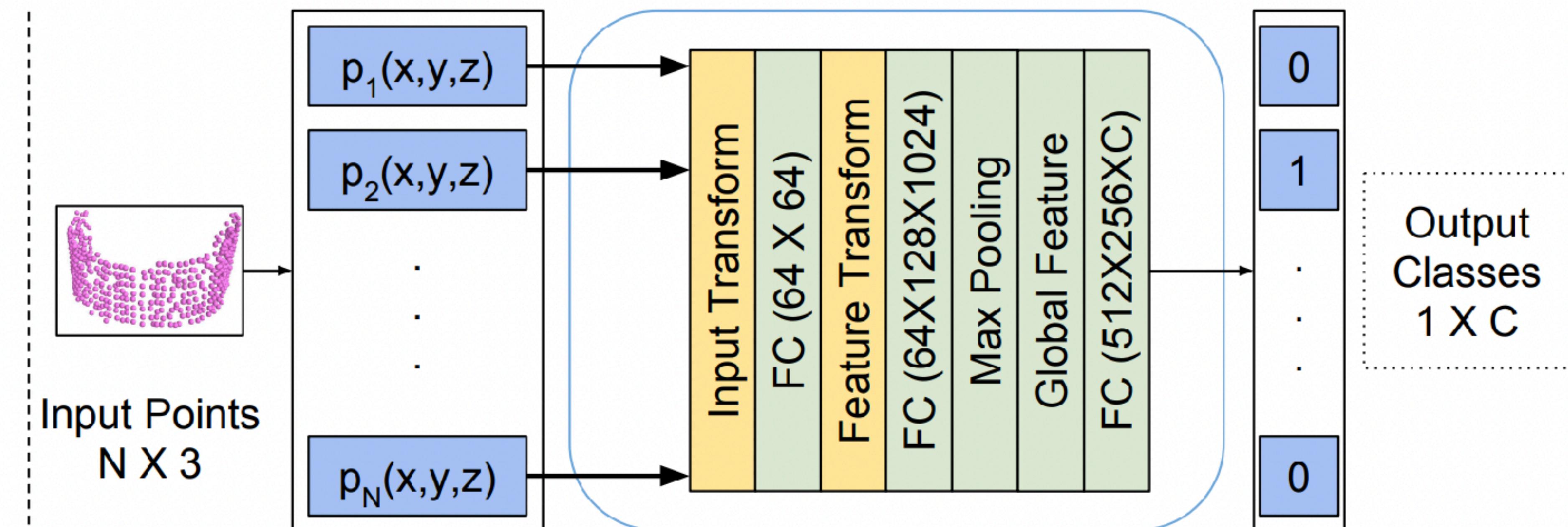
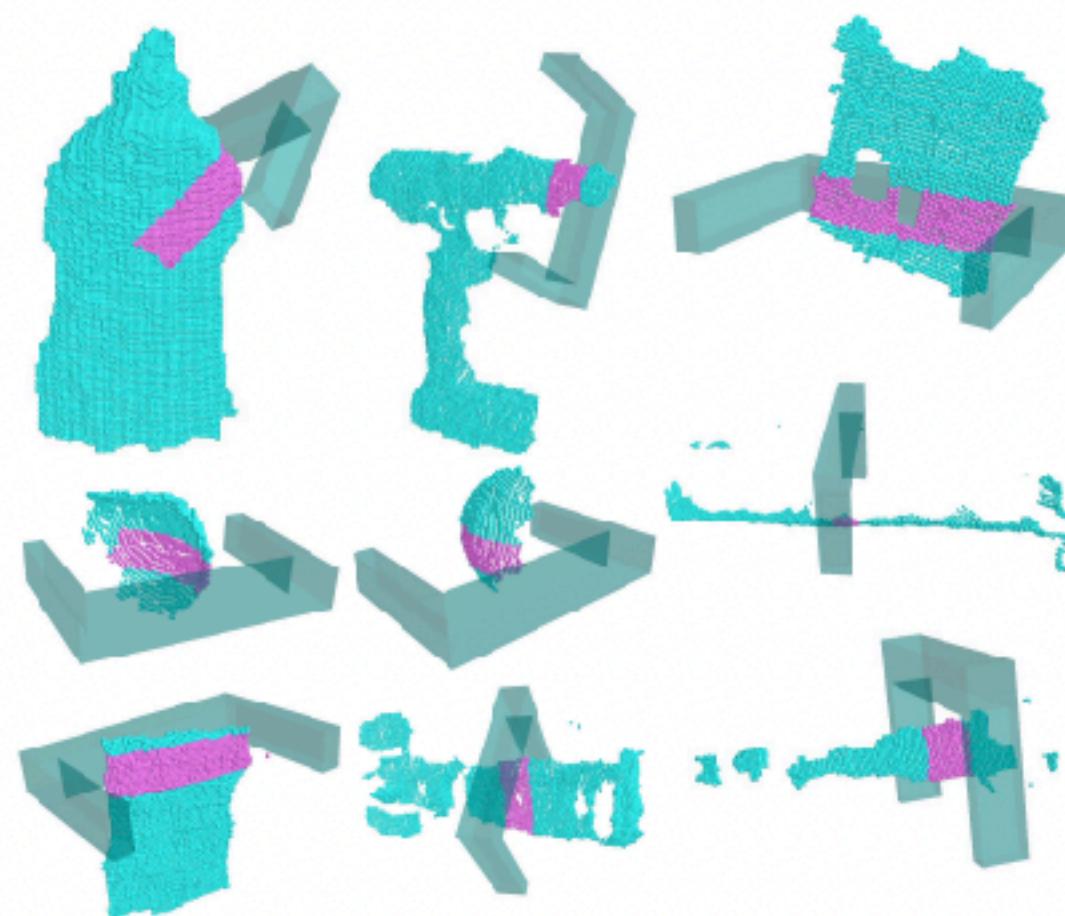


**Best Grasp**



Liang et al.

# PointNetGPD: Detecting Grasp Configurations from Point Sets



But ... what if we don't  
have RGBD data?



# Reasons for not having depth data

Don't have a depth sensor!

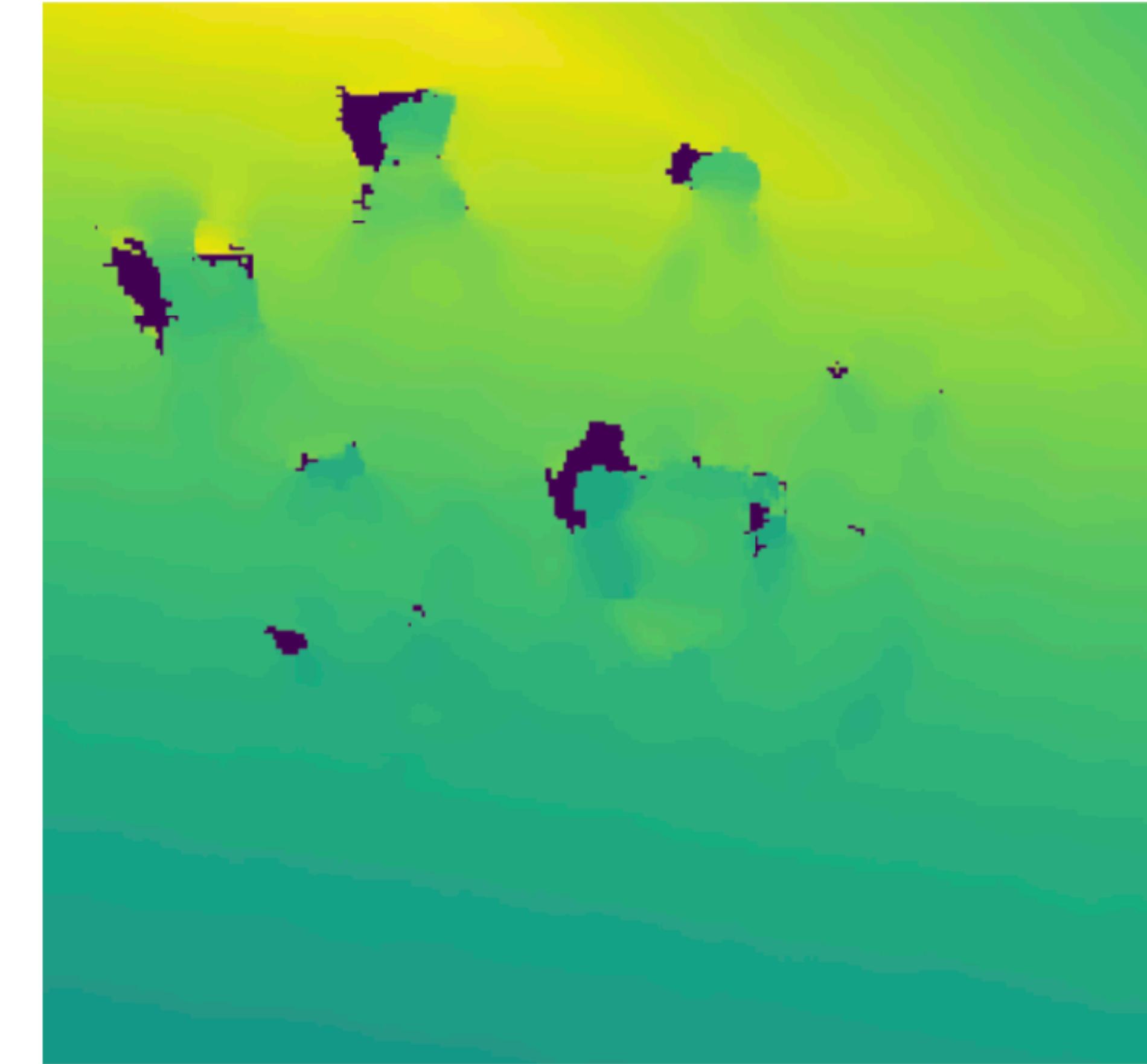
Outside in the sun / beyond maximum range

Glass or transparent objects

# Glass or transparent objects



Real-world Scene

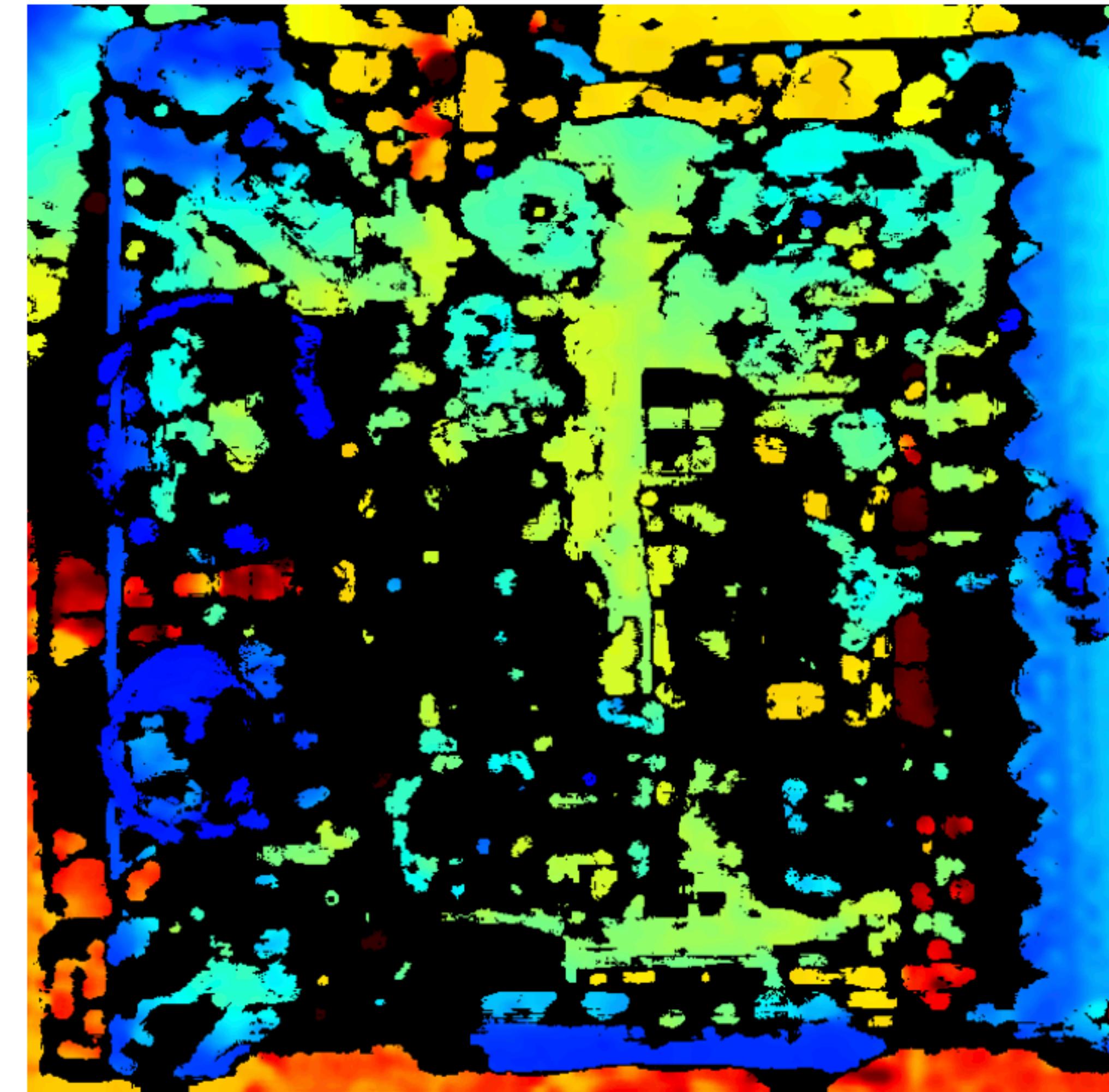


RealSense D410 Depth Image

# Glass or transparent objects



Dishwasher Real-world Scene



RealSense D410 Depth Image ↵

Let's say I just have a set of images & camera poses



$$x_1, y_1, z_1, \theta_1, \phi_1$$



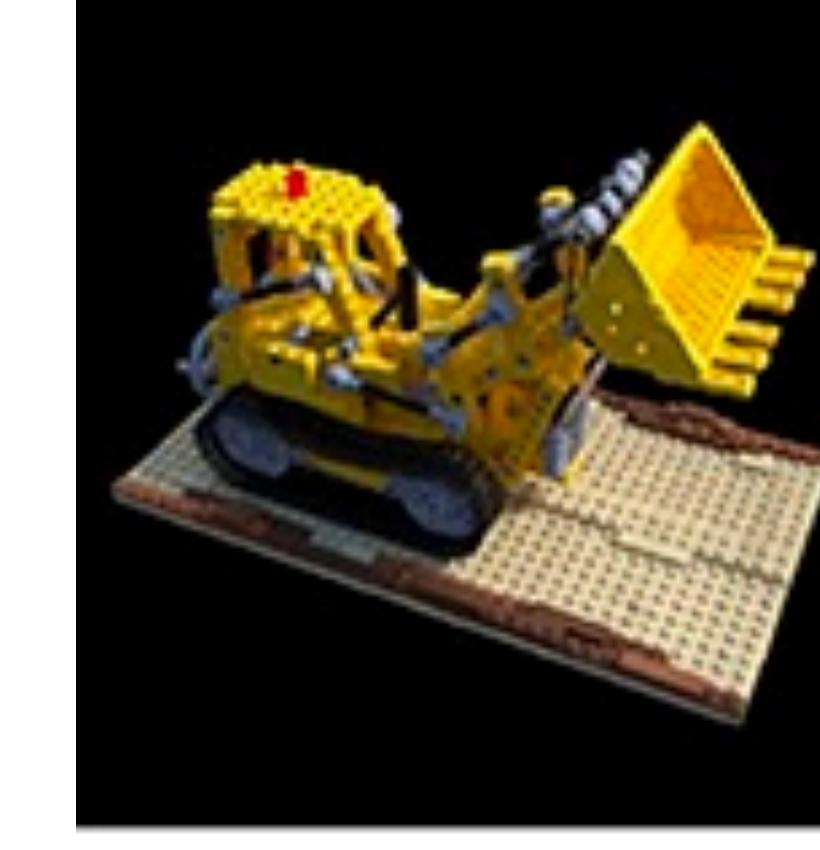
$$x_2, y_2, z_2, \theta_2, \phi_2$$



$$x_3, y_3, z_3, \theta_3, \phi_3$$

# How do we predict a 3D structure?

2D  
images



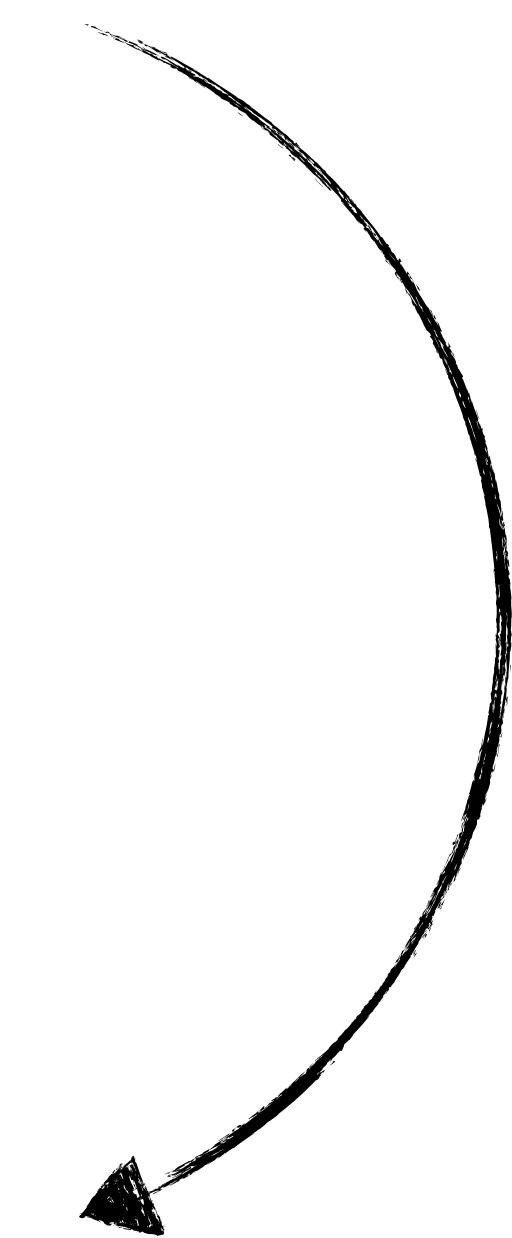
Camera  
Poses

$$x_1, y_1, z_1, \theta_1, \phi_1$$

$$x_2, y_2, z_2, \theta_2, \phi_2$$

$$x_3, y_3, z_3, \theta_3, \phi_3$$

3D structure



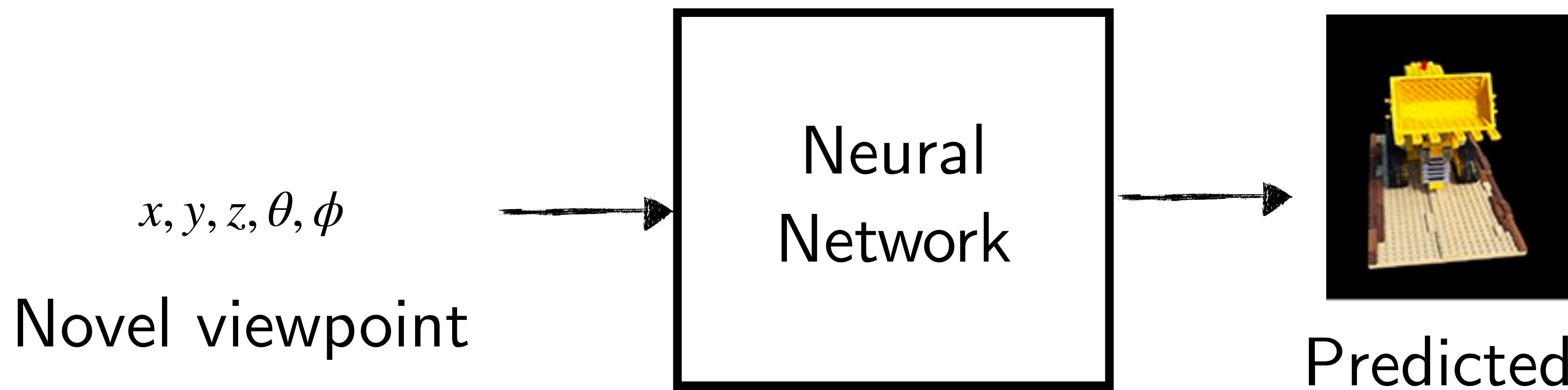
If you can predict how the object will

look from a *novel viewpoint*,

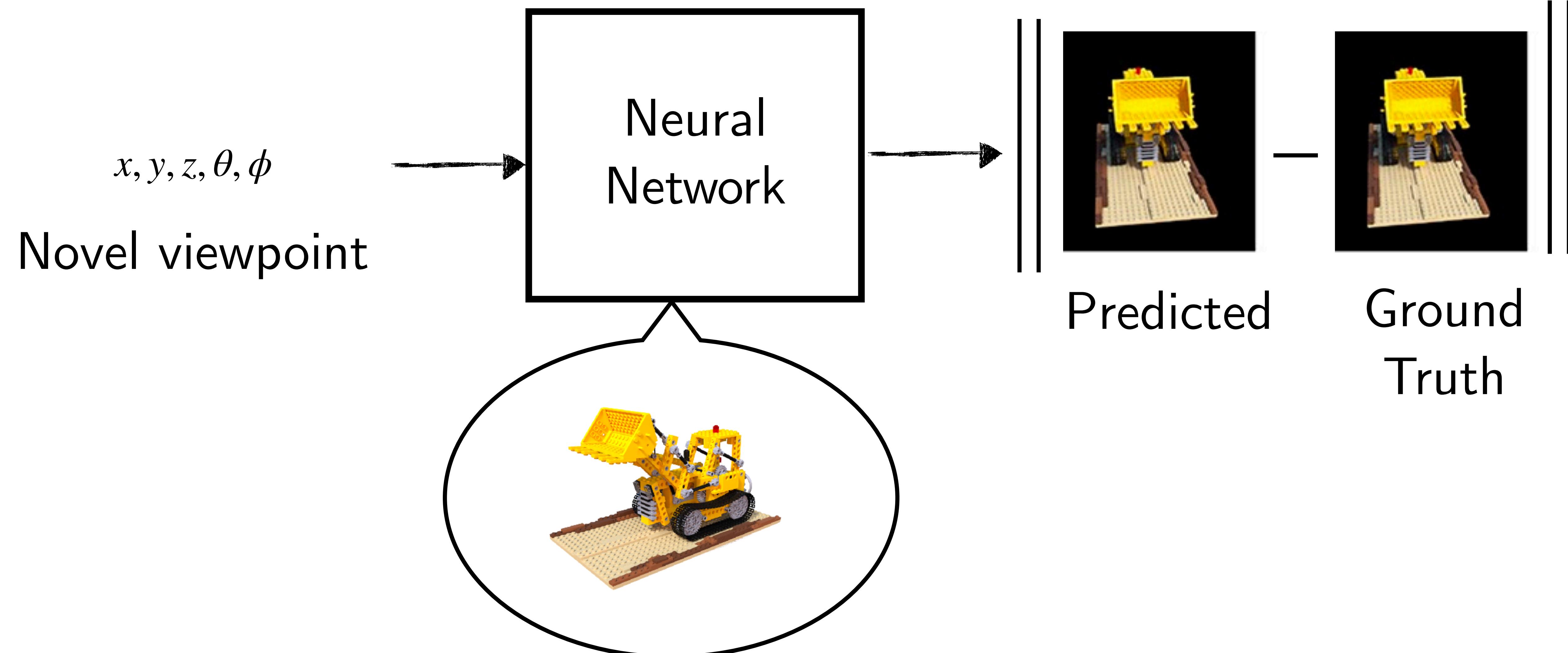
you have *implicitly* modeled the

3D structure

# Let's setup a learning problem



# Let's setup a learning problem

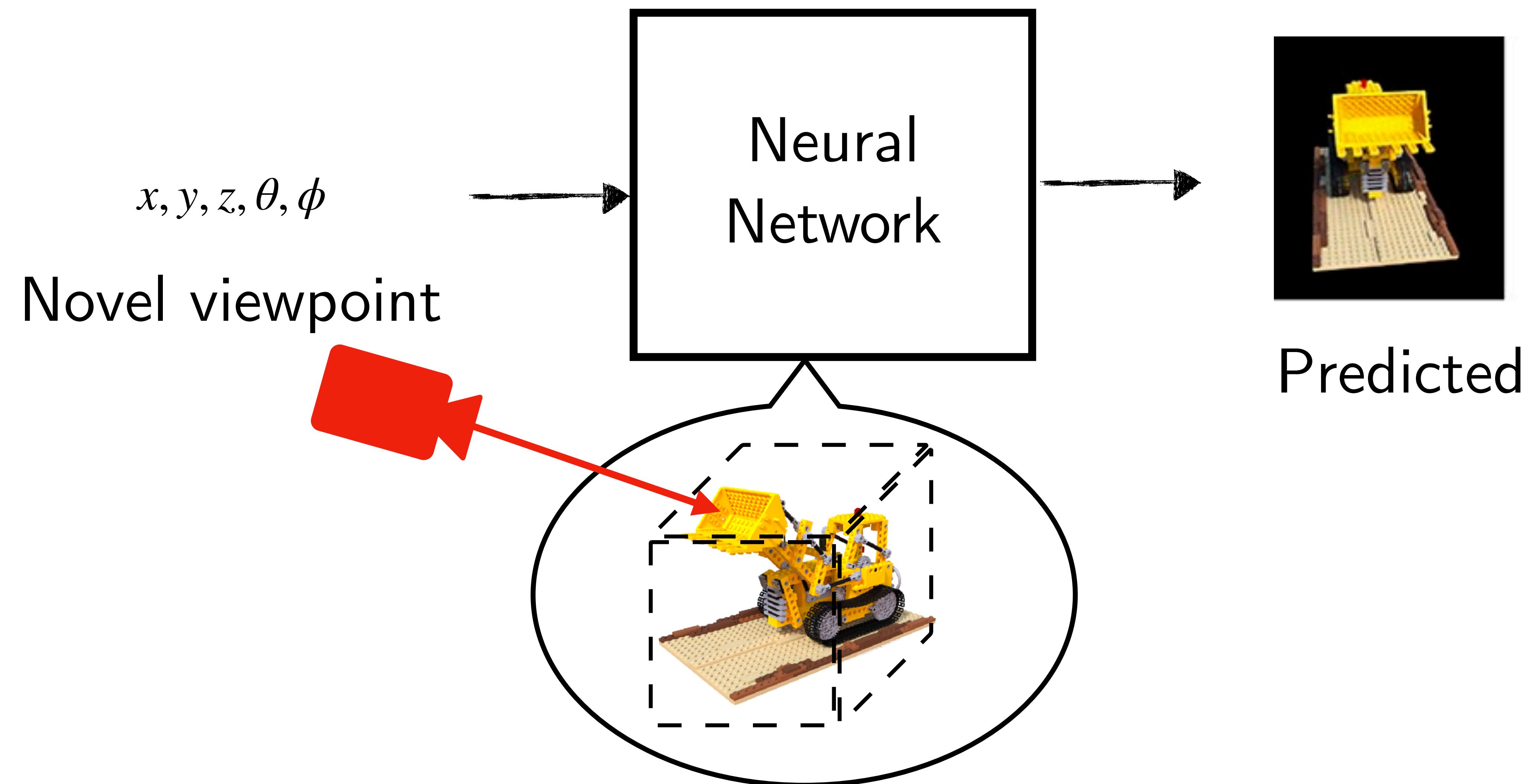


Simple idea:

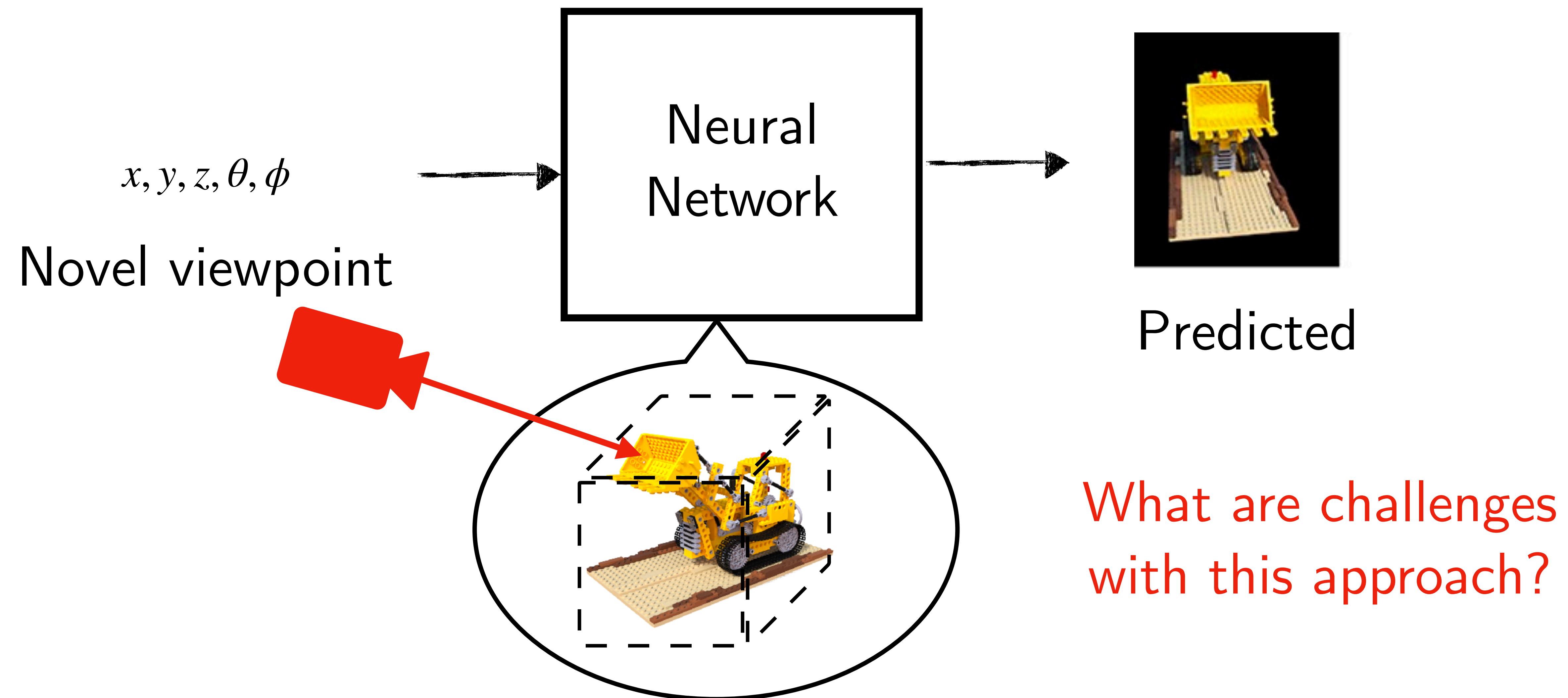
Can't we just make the  
neural network predict a  
3D voxel grid of RGB  
values?



# Predict a 3D grid, render image from viewpoint



# Predict a 3D grid, render image from viewpoint



# Challenges

Discretization loses information!

Memory Inefficient!

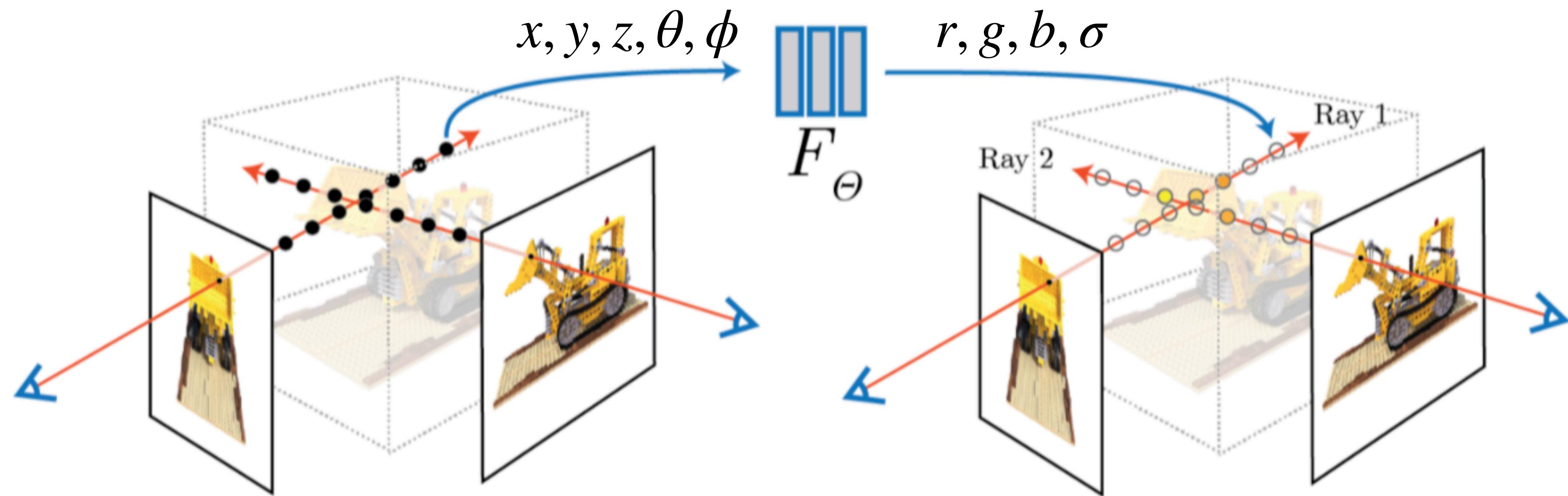
Not differentiable! (Not a continuous projection)



NERF to the rescue!

# What are Neural Radiance Fields (NeRFs)?

Idea: Use a neural network to *implicitly* represent 3D volume!



No Discretization

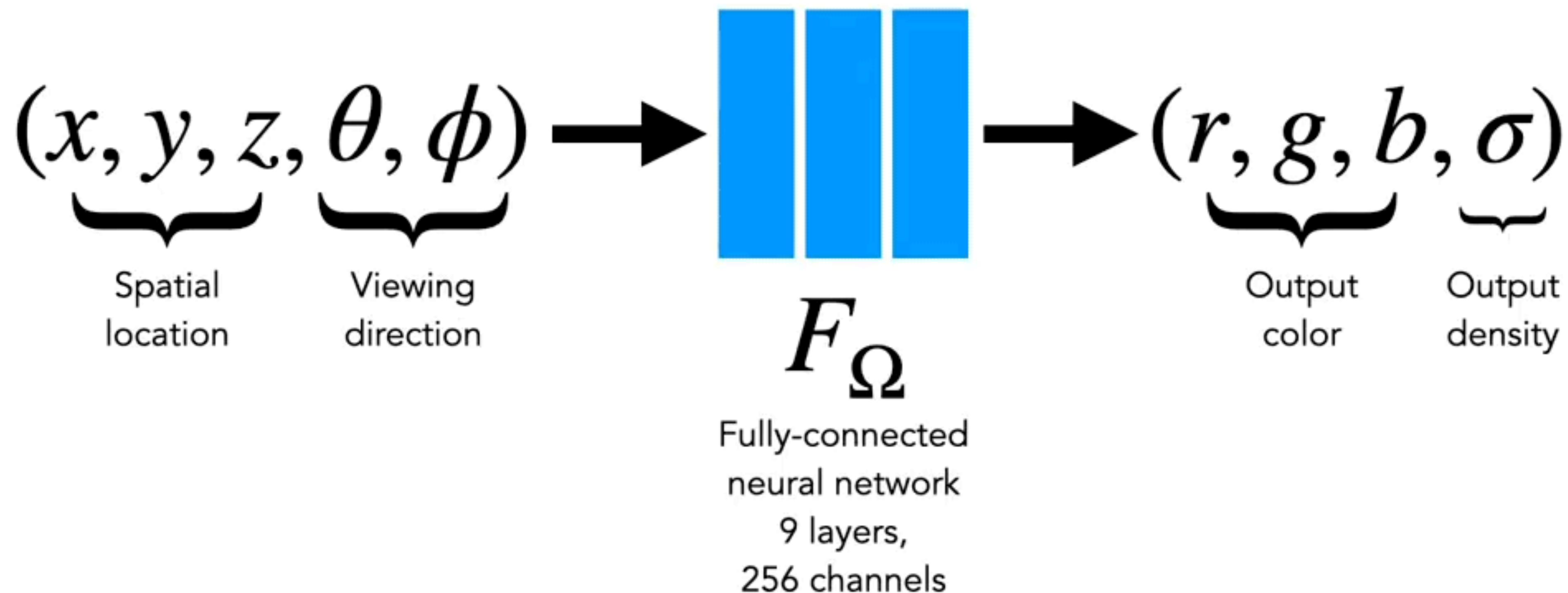


Compressible

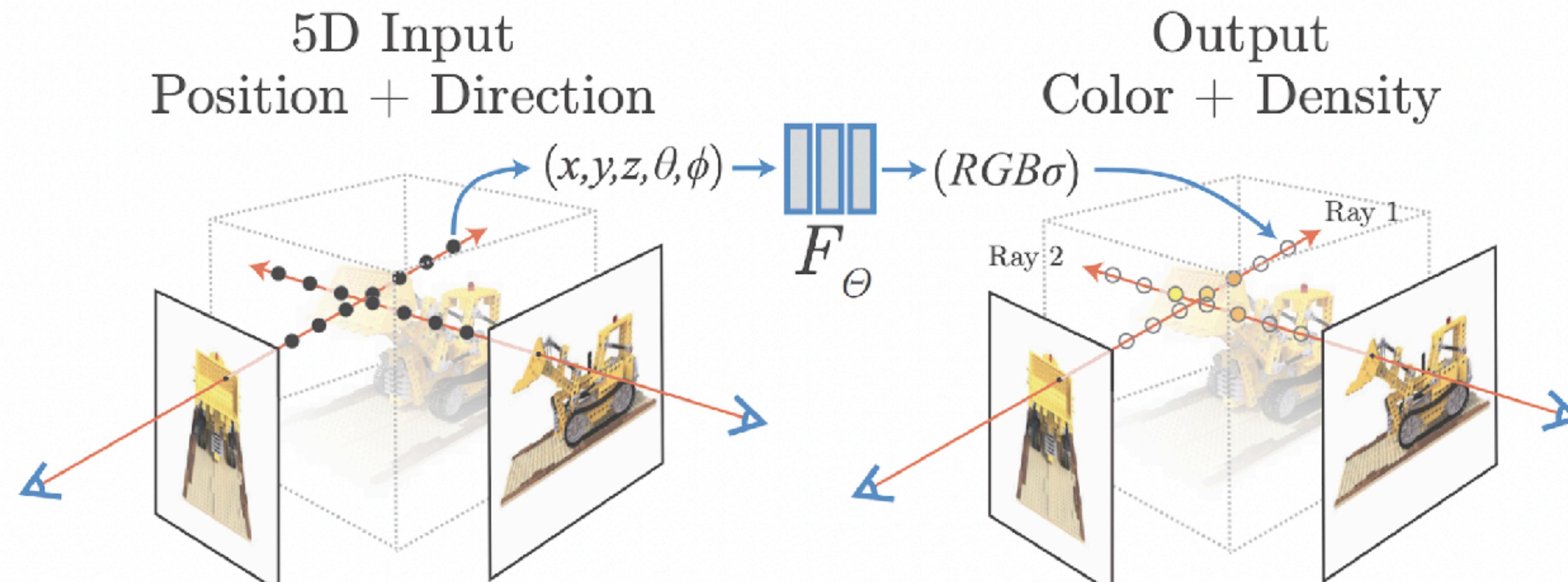


Differentiable

# NeRF scene representation



# Differentiable Loss Function



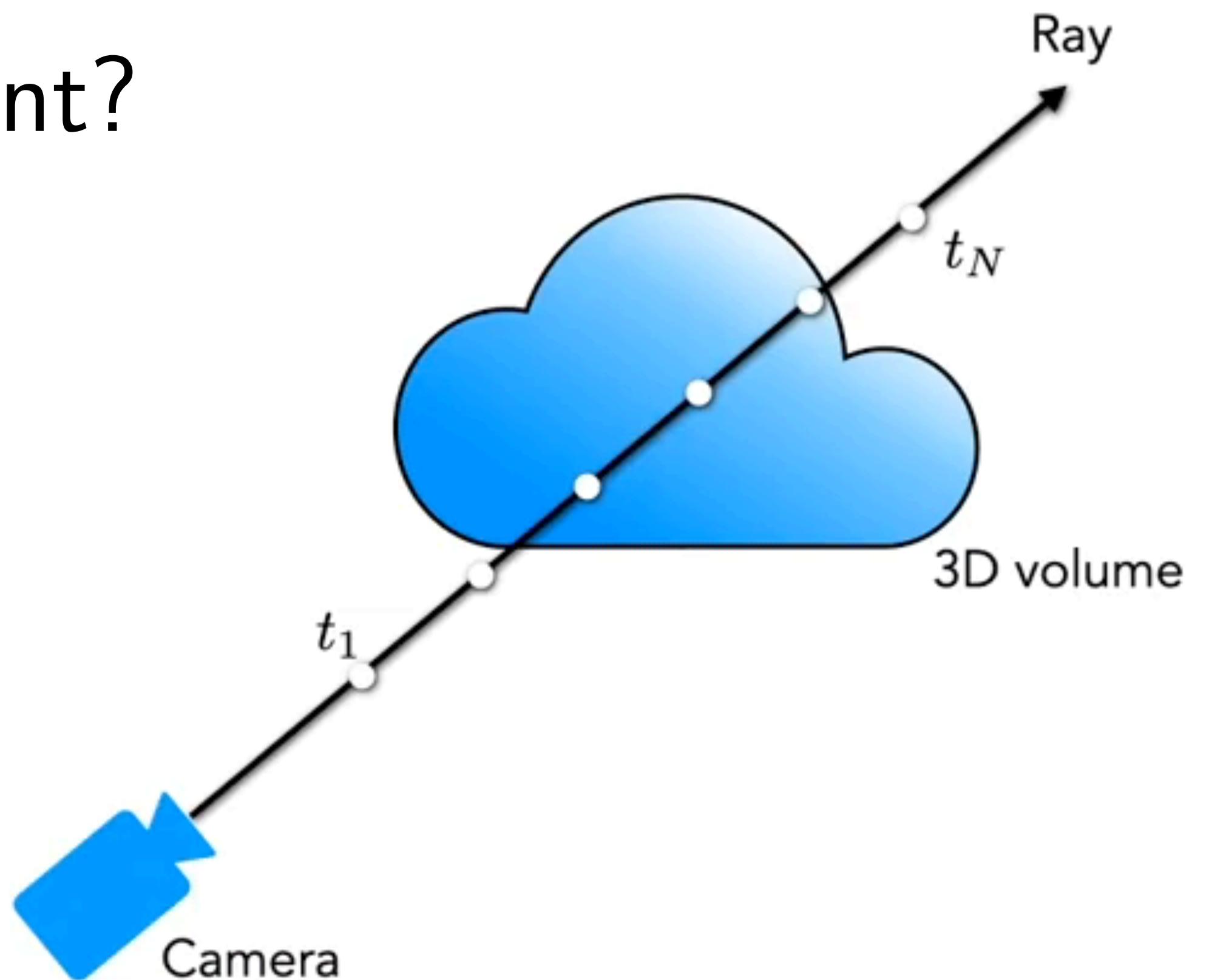
$$\min_{\Theta} \sum_i || \text{render}_i(F_{\Theta}) - I_i^{gt} ||^2$$

What is the render()  
function?  
How is it differentiable?



# Volume rendering model

What is the color from this viewpoint?



# Volume rendering model

Rendering model for ray  $r(t) = o + td$ :

$$C \approx \sum_{i=1}^N T_i \alpha_i c_i$$

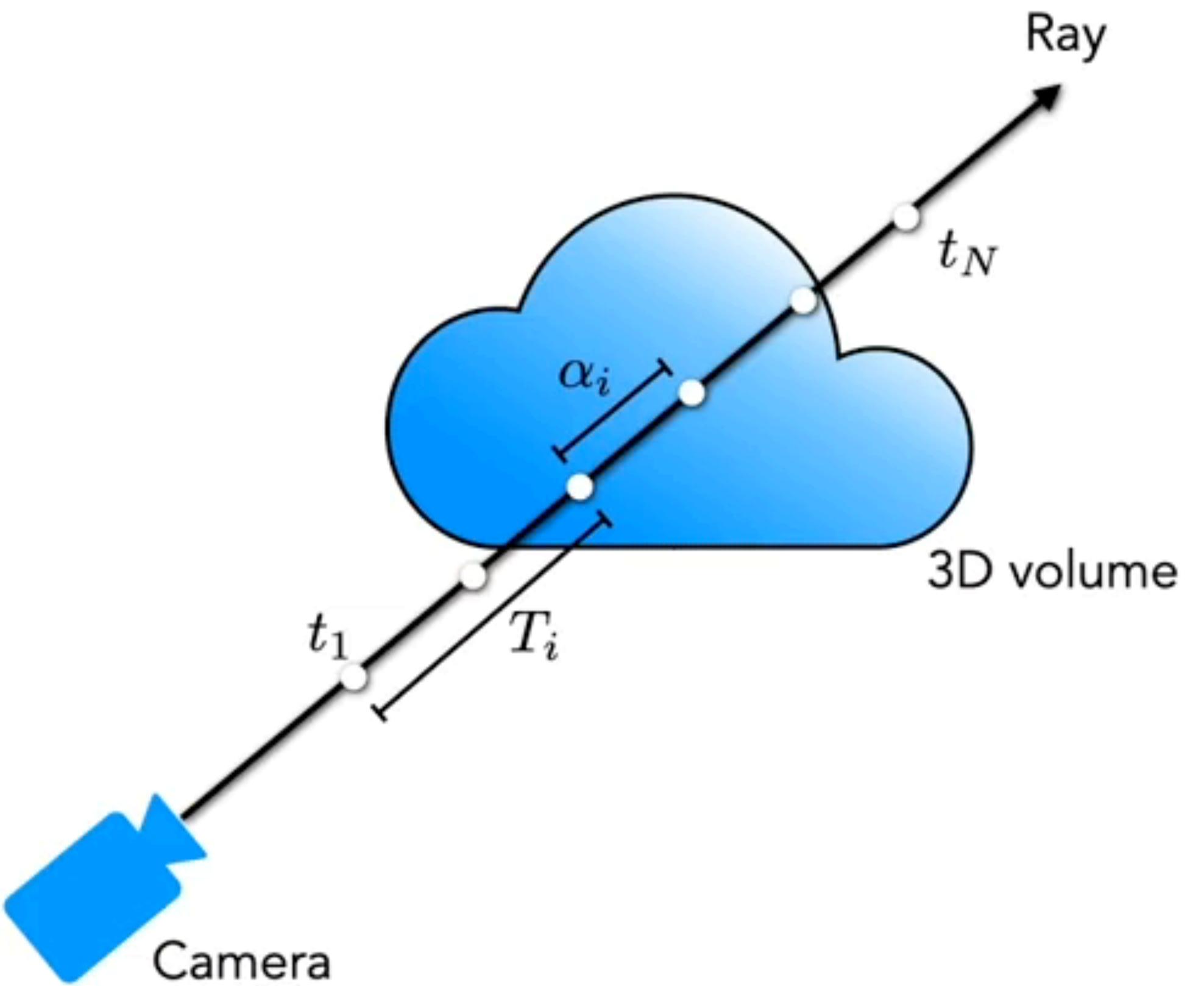
↑  
weights      colors

How much light is blocked earlier along ray:

$$T_i = \prod_{j=1}^{i-1} (1 - \alpha_j)$$

How much light is contributed by ray segment  $i$ :

$$\alpha_i = 1 - e^{-\sigma_i \delta t_i}$$



# Numerical integration step easily differentiable

Rendering model for ray  $r(t) = o + td$ :

$$C \approx \sum_{i=1}^N T_i \alpha_i c_i$$

weights                      colors

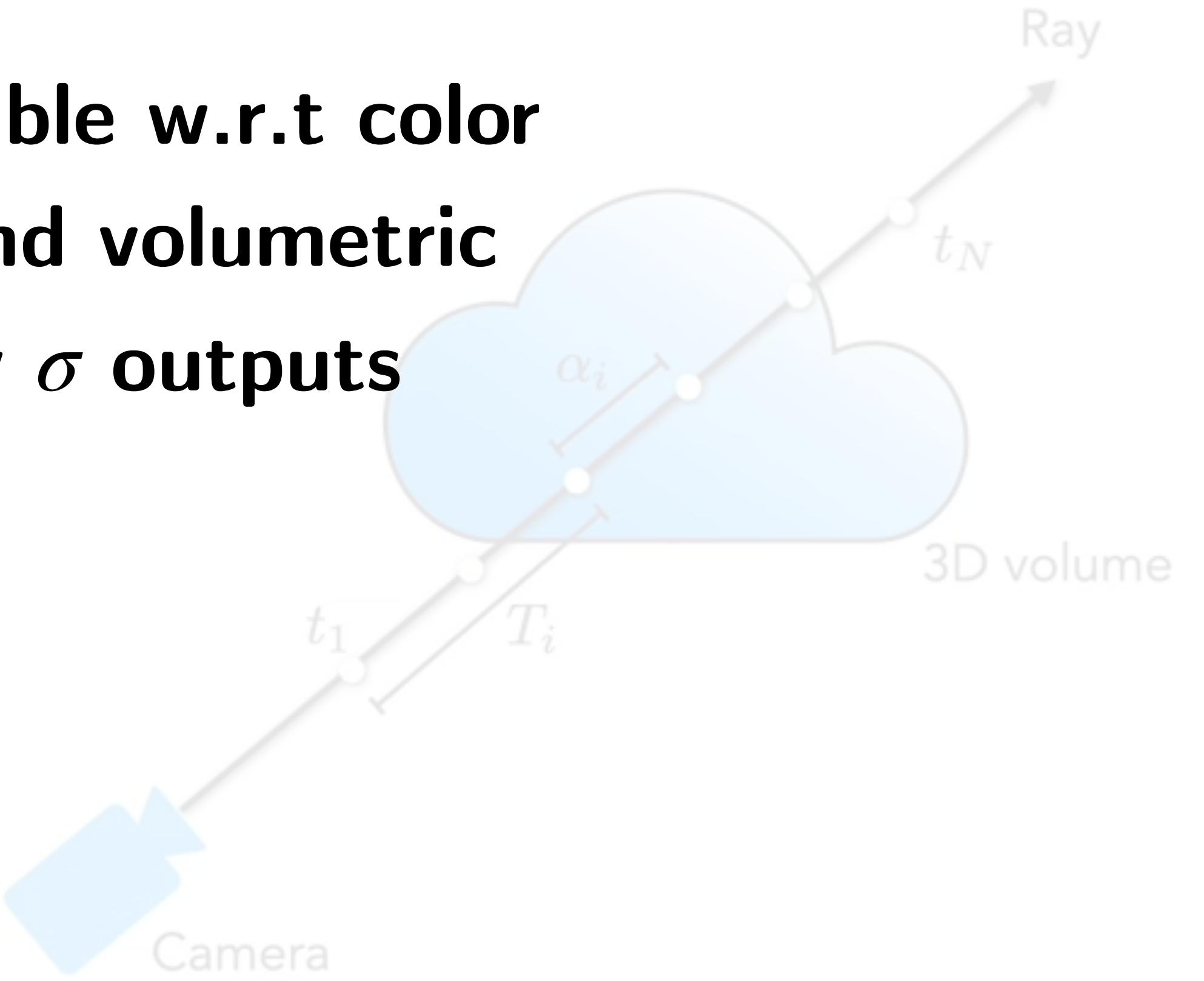
How much light is blocked earlier along ray:

$$T_i = \prod_{j=1}^{i-1} (1 - \alpha_j)$$

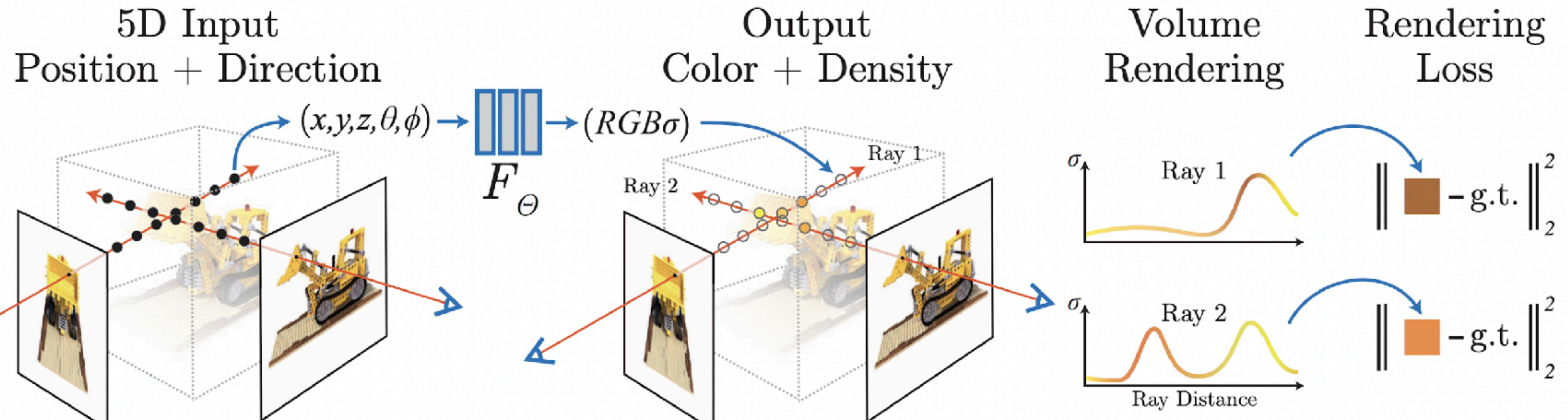
How much light is contributed by ray segment  $i$ :

$$\alpha_i = 1 - e^{-\sigma_i \delta t_i}$$

**Differentiable w.r.t color  
( $r, g, b$ ) and volumetric  
density  $\sigma$  outputs**



# NeRF Summary



# Results



# Novel View Synthesis



Inputs: sparsely sampled images of scene

Outputs: new views of same scene  
(rendered by our method)



More detailed and consistent than prior work that  
represents scene as discrete voxel grid

Neural Volumes [Lombardi 2019]



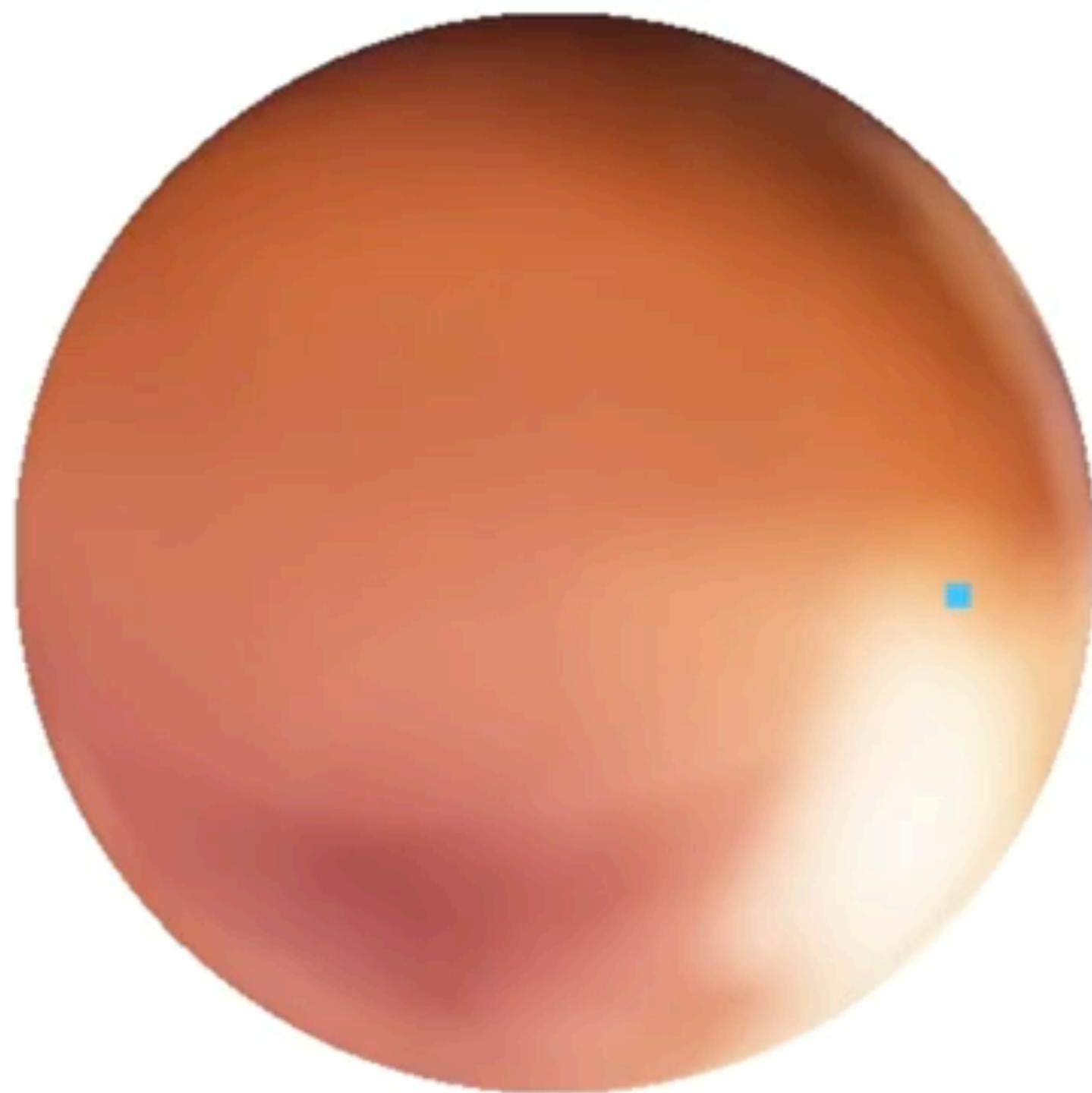
NeRF



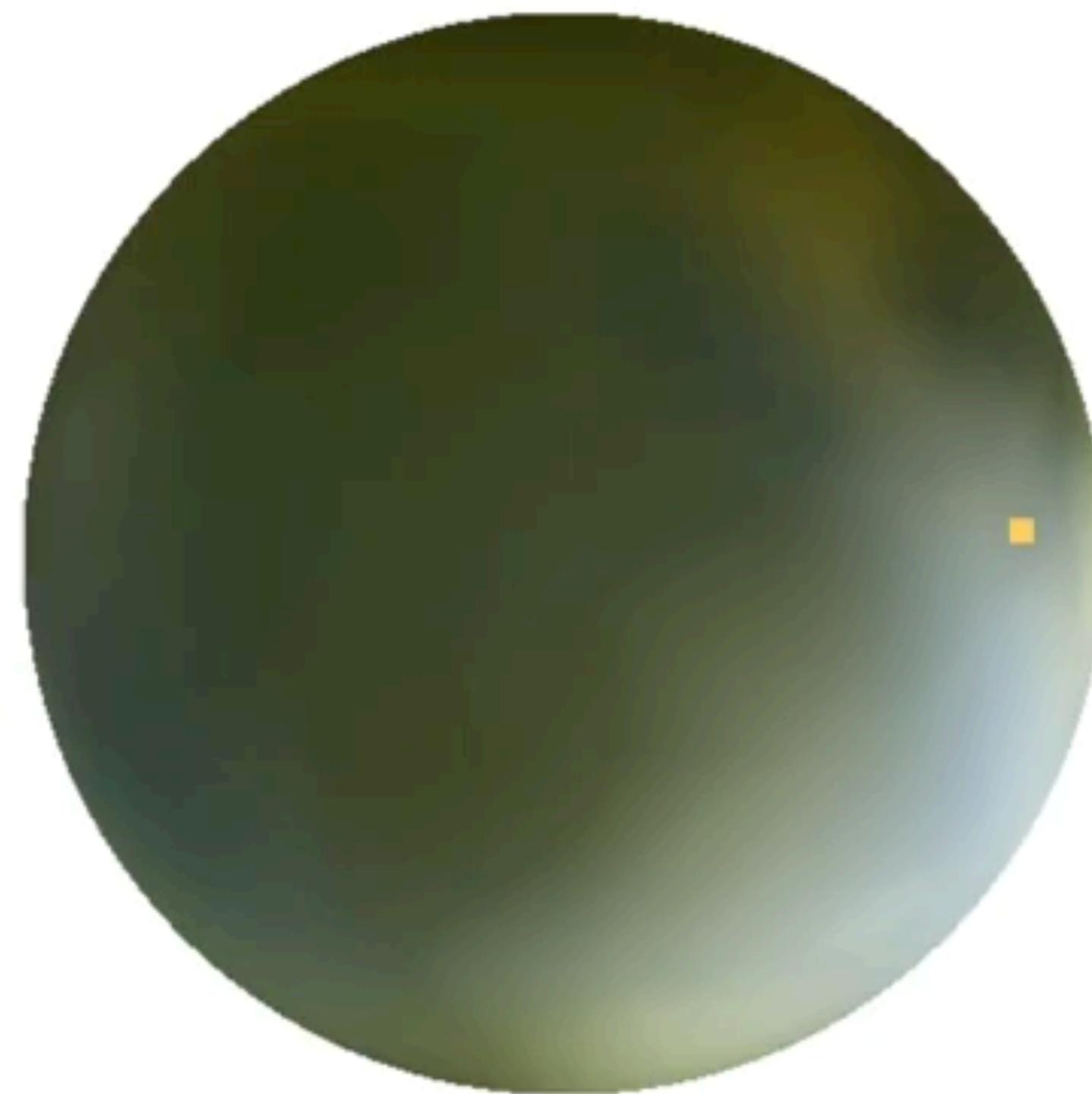
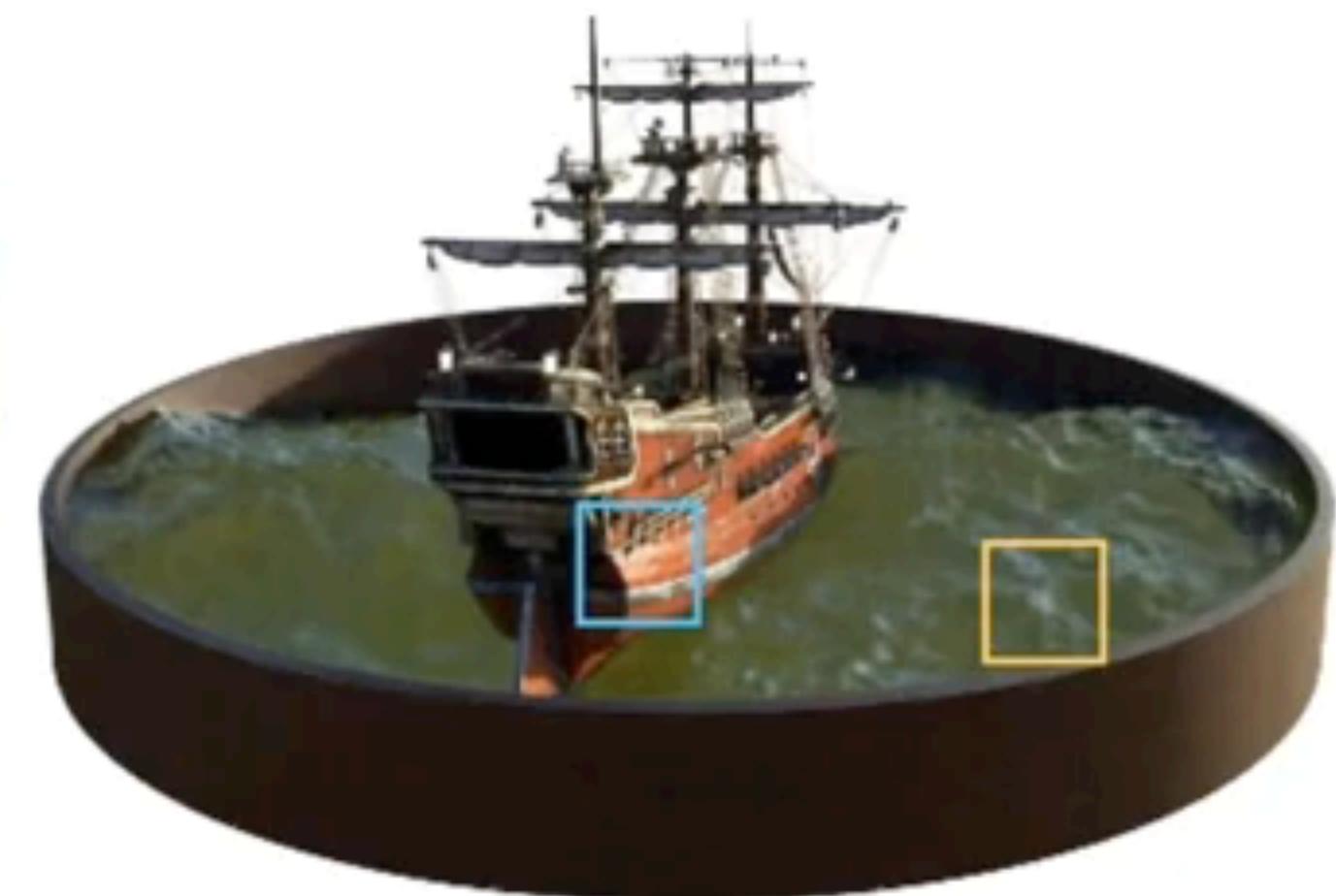
Why do we need r,g,b to  
be a function of  
viewpoint?



# Viewing directions as input



Radiance distribution for  
point on side of ship

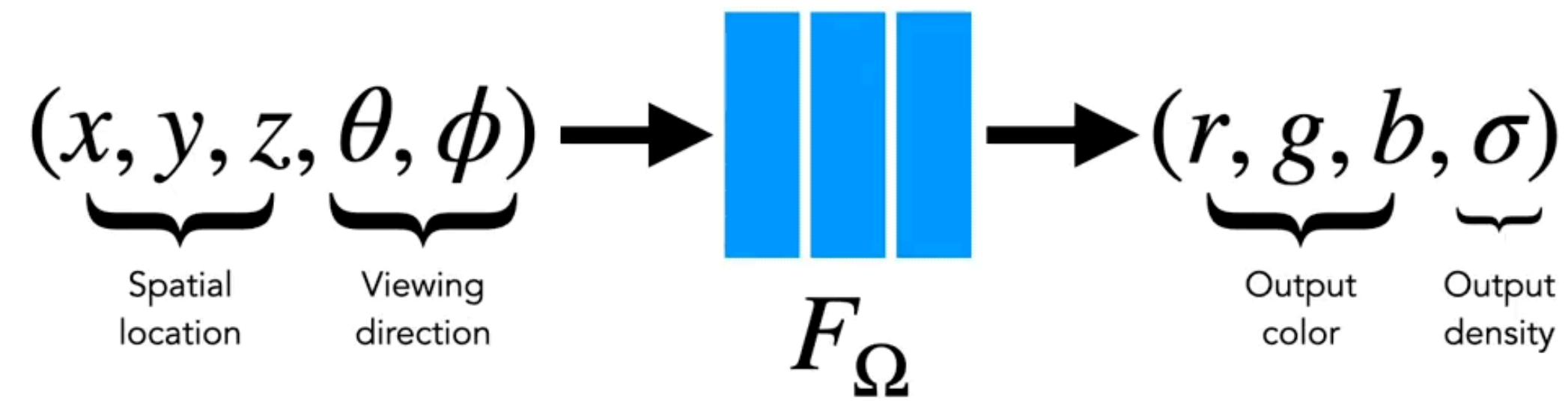
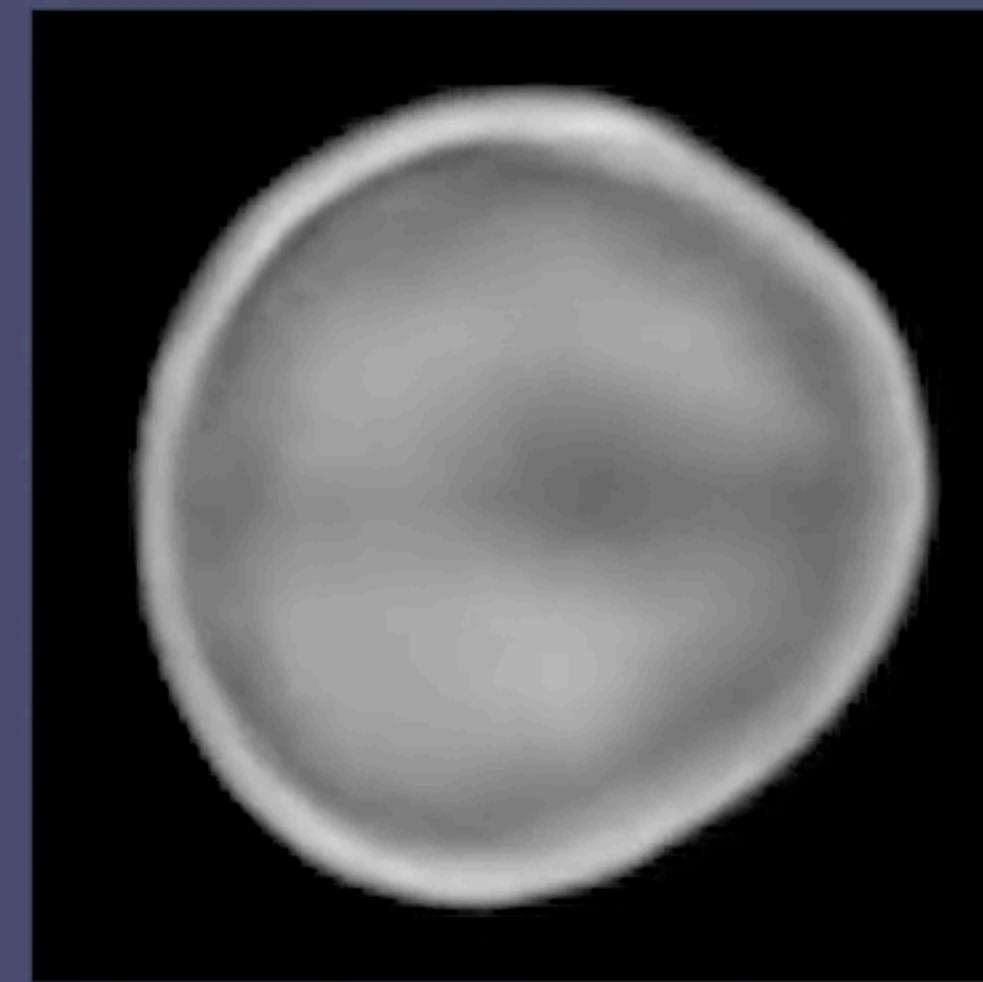


Radiance distribution for  
point on water's surface

One key trick to make it work ...

# Naively passing in position creates blurry images!

Standard input



Why?

# Activity!



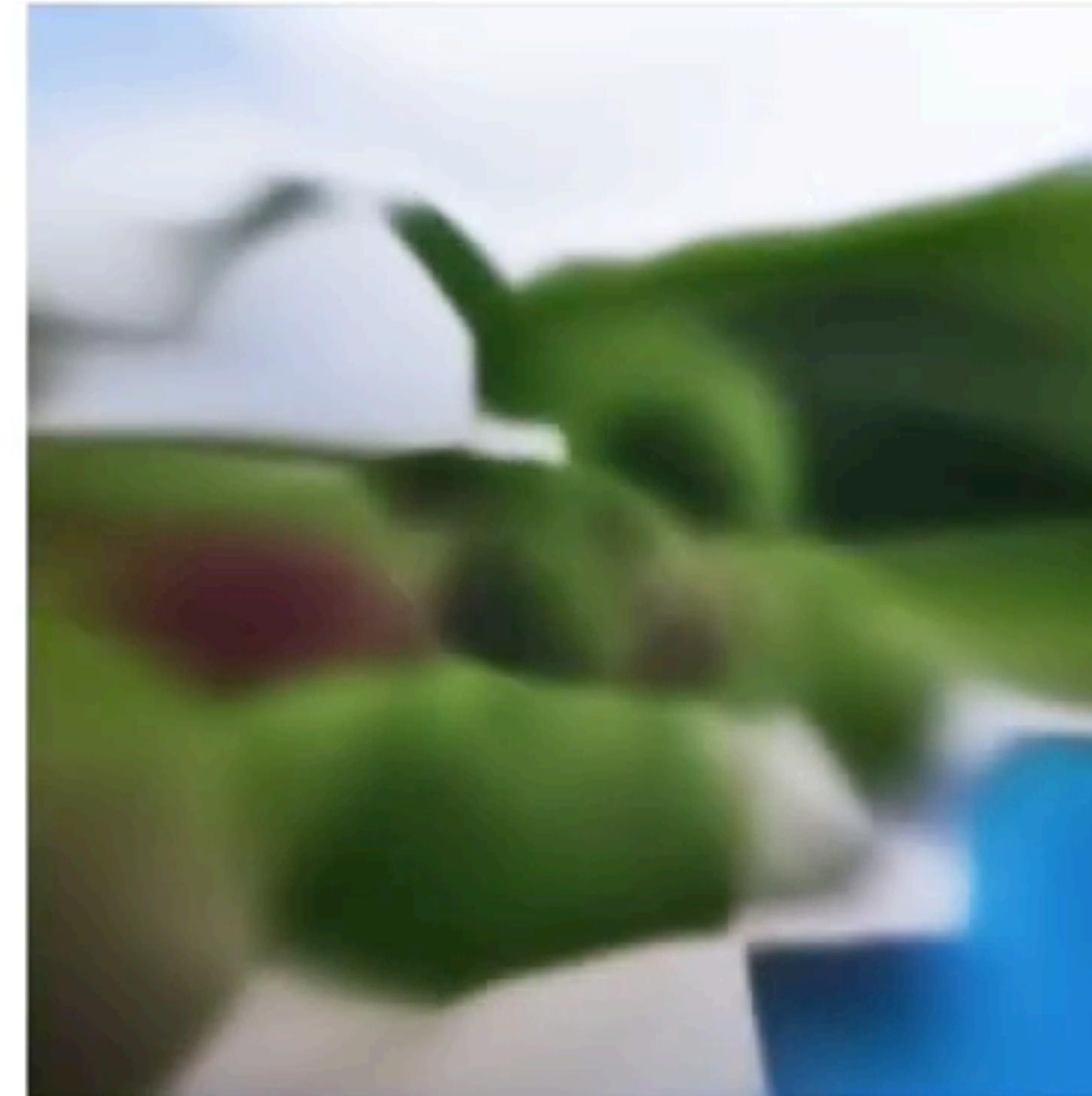
Let's say we train a network to memorize an image



Ground truth image

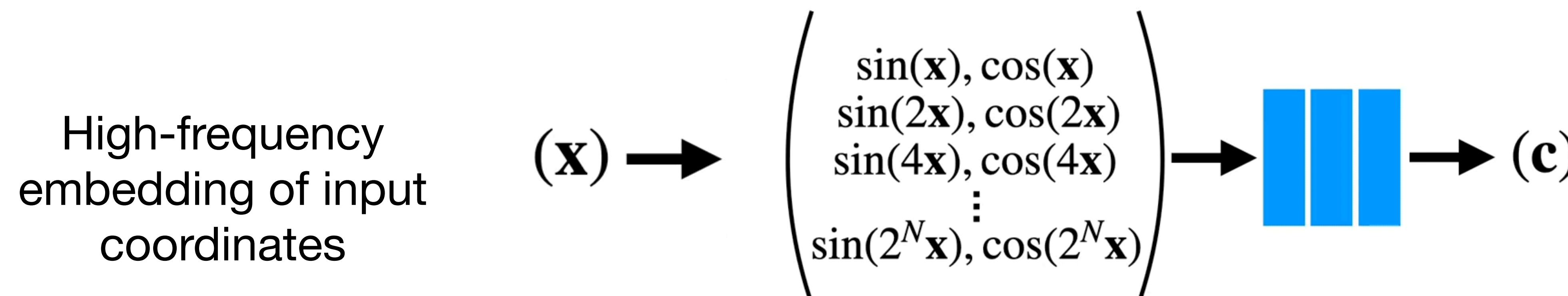


Standard fully-connected net



How do we make the image look sharper?

# Idea: Encode low-dim coordinates to high-dim features



Fourier Features Let Networks Learn High Frequency Functions in Low Dimensional Domains, Tancik et al.

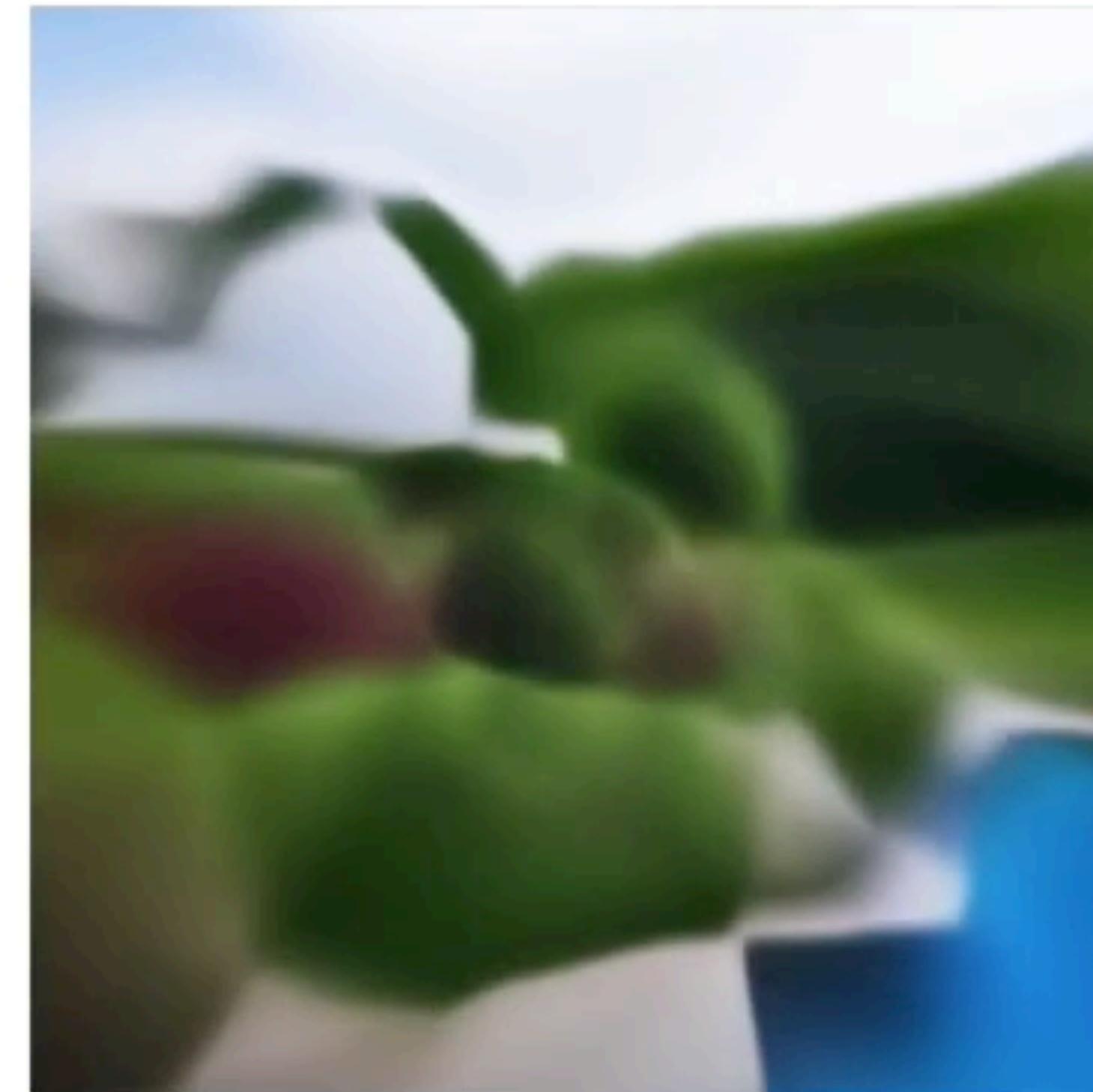
# Use positional encoding

$$\left( \begin{array}{c} \sin(\mathbf{x}), \cos(\mathbf{x}) \\ \sin(2\mathbf{x}), \cos(2\mathbf{x}) \\ \sin(4\mathbf{x}), \cos(4\mathbf{x}) \\ \vdots \\ \sin(2^N \mathbf{x}), \cos(2^N \mathbf{x}) \end{array} \right) \rightarrow \boxed{\text{III}} \rightarrow (\mathbf{c})$$

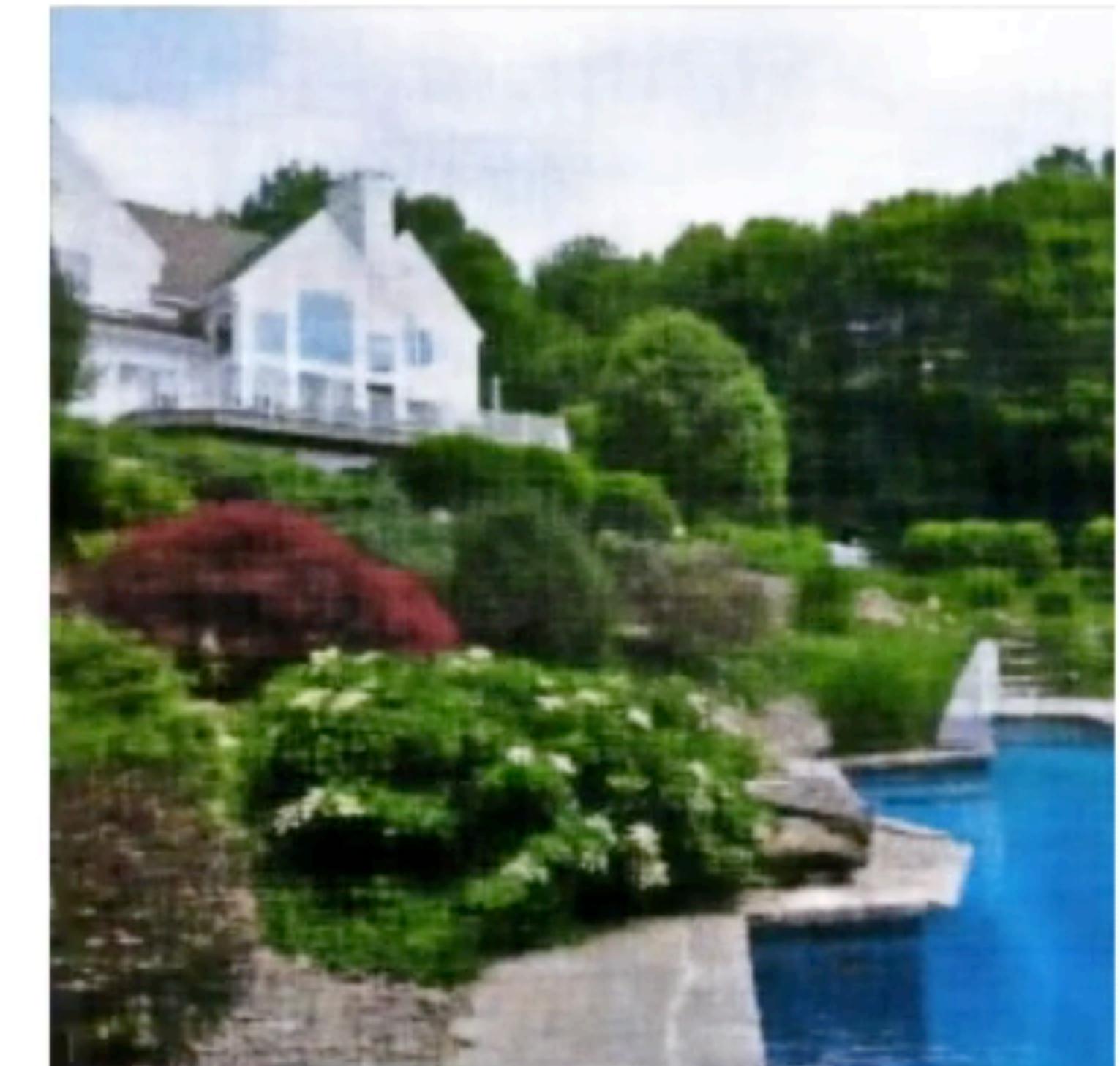
Ground truth image



Standard fully-connected net



With “positional encoding”

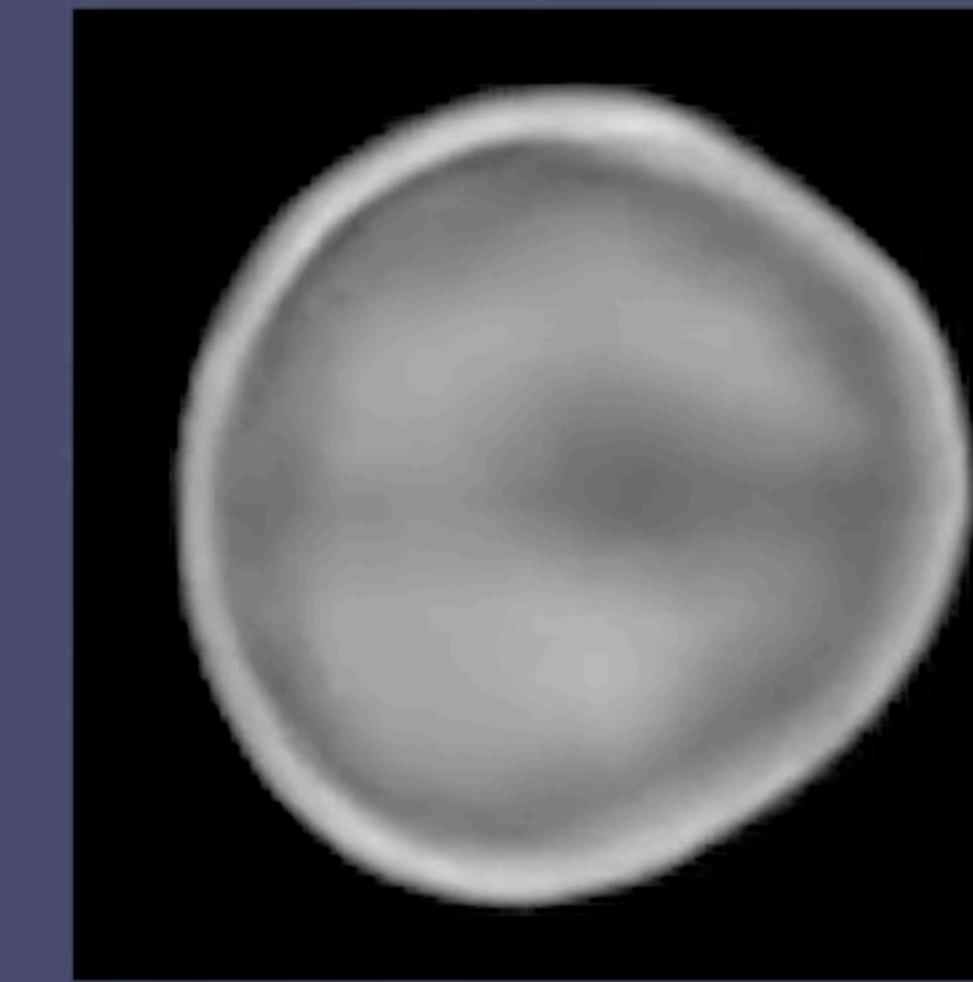


Fourier feature input

Standard input



3D Shape



3D MRI

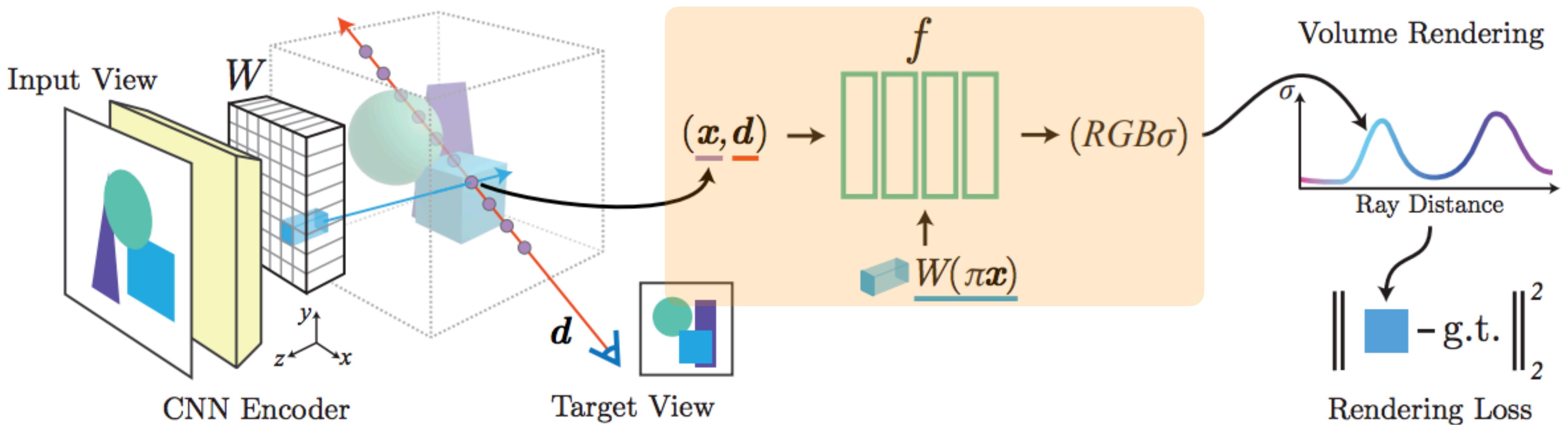


3D NeRF

Lots of extension and applications!

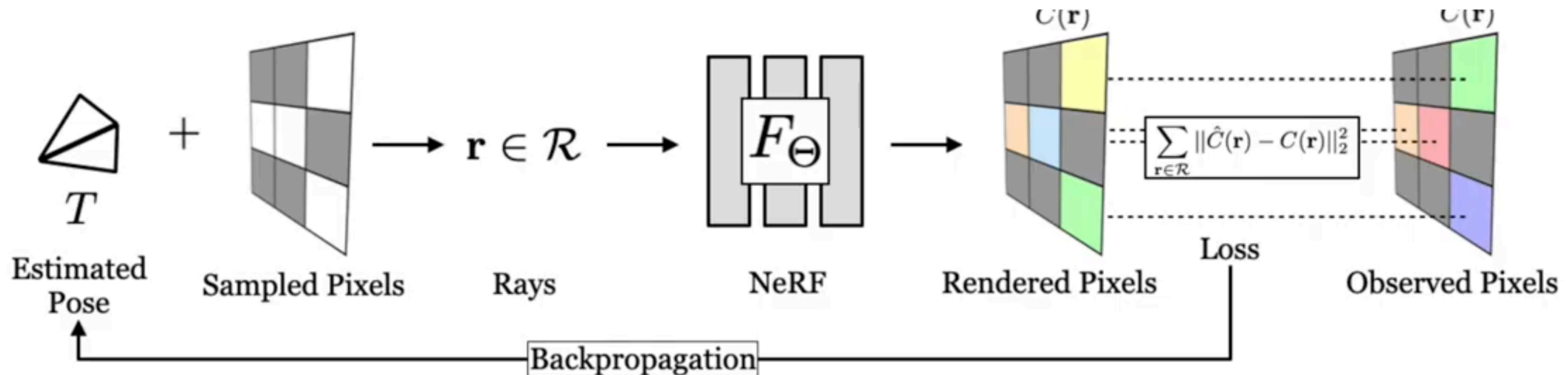
# Generalization

Goal: Train a NeRF for arbitrary new scenes with fewer images



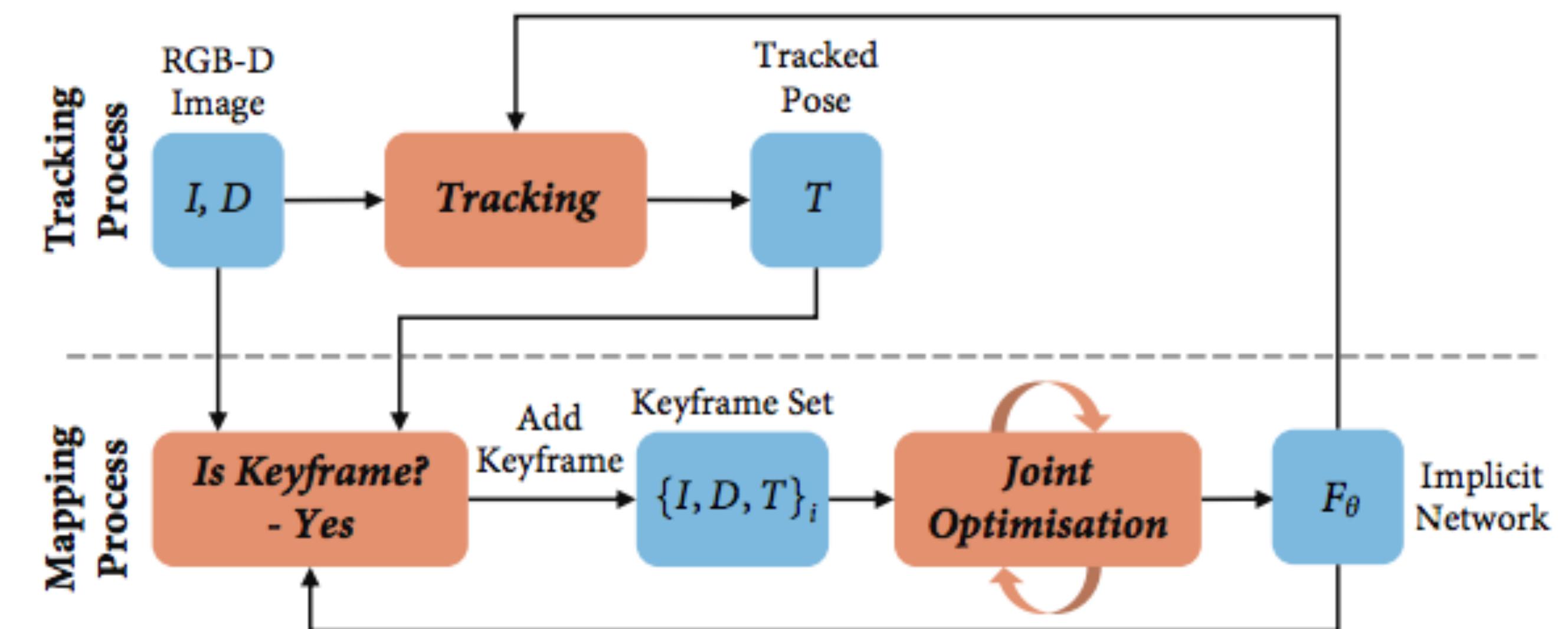
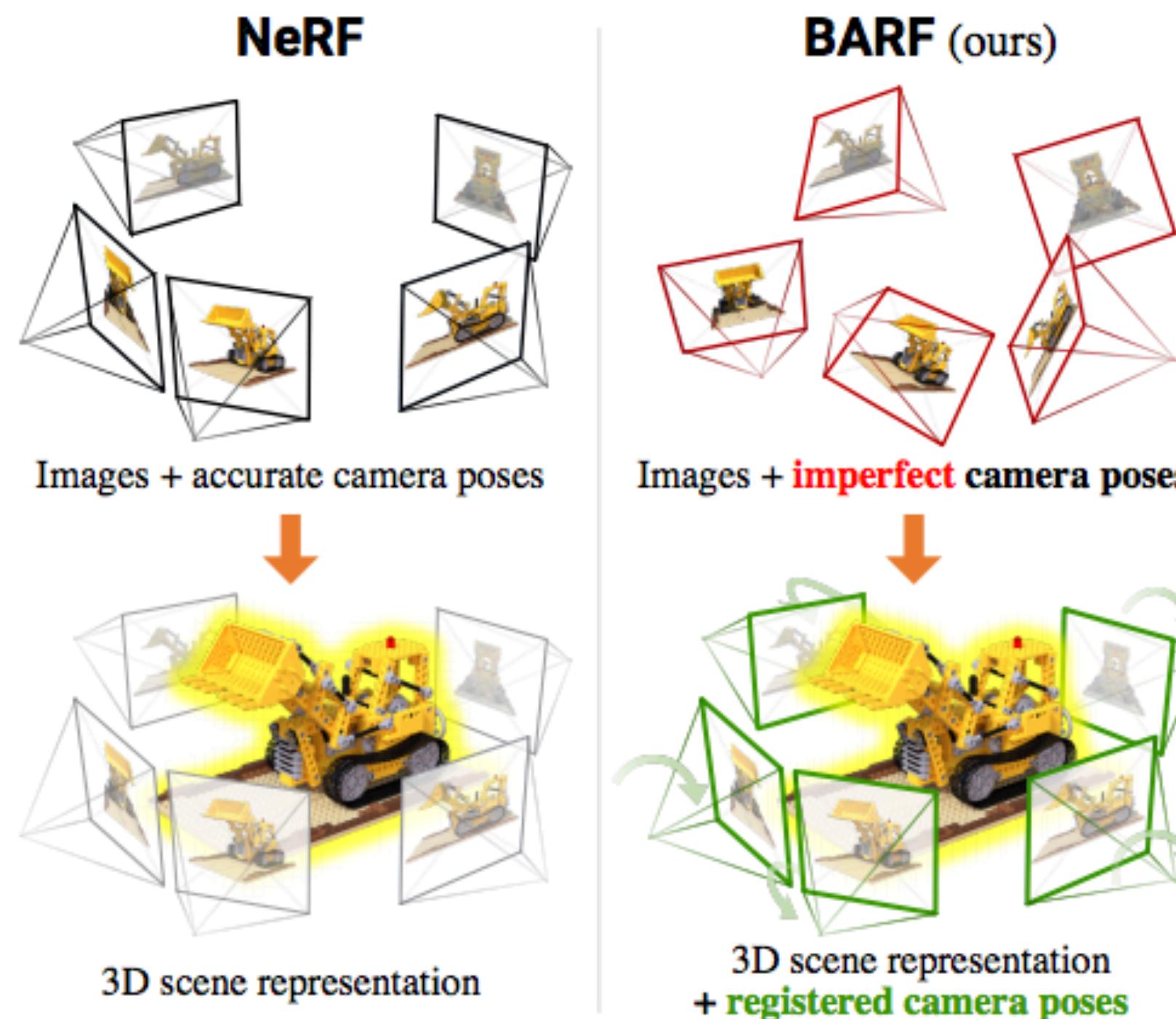
# Unknown camera poses

Goal: Estimate poses given a trained NeRF



# Unknown camera poses + Scene

Goal: Simultaneously estimate pose and scene representation



[BARF : Bundle-Adjusting Neural Radiance Fields](#)

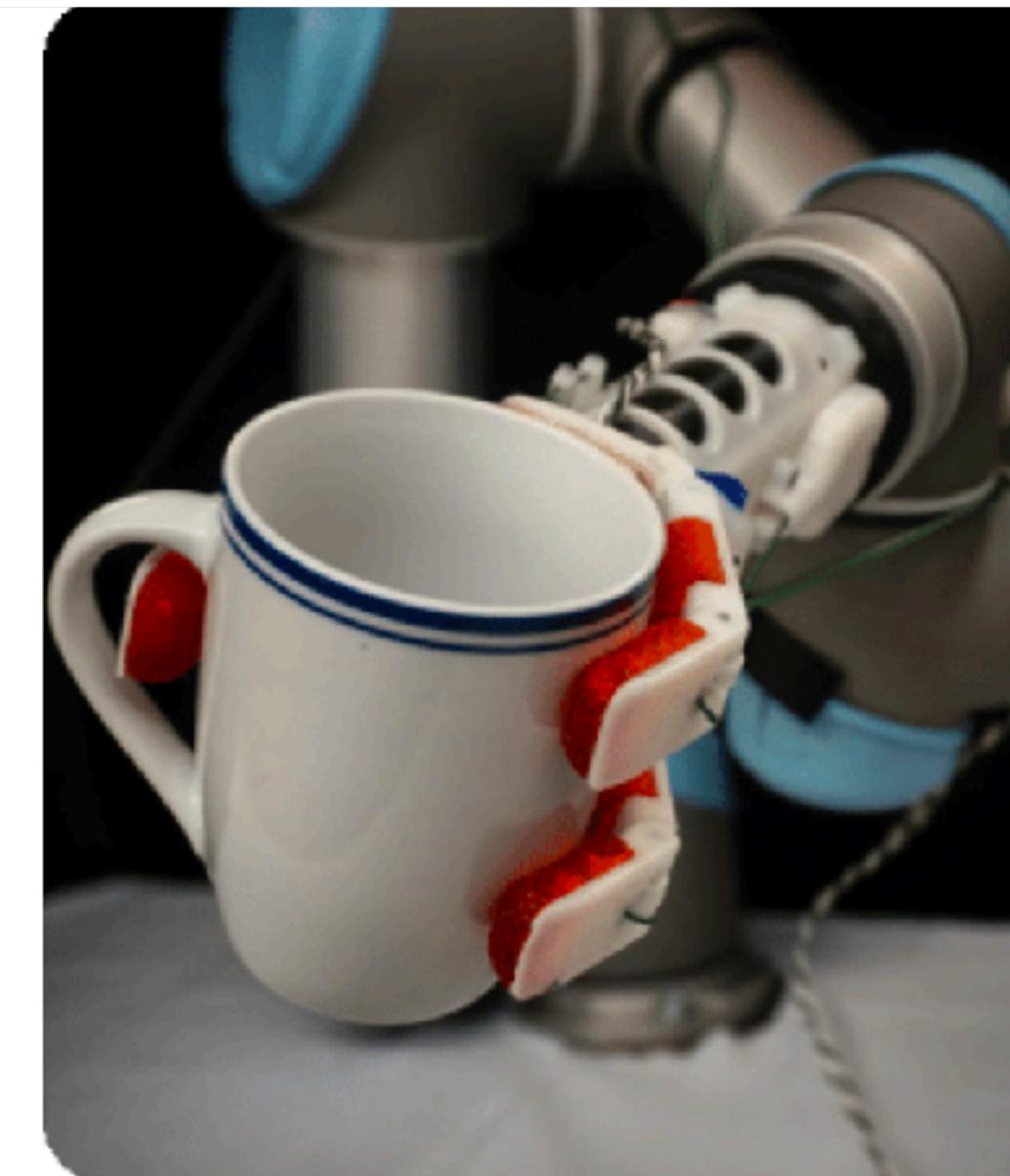
[iMAP: Implicit Mapping and Positioning in Real-Time](#)

# NERF for Grasping

**Grasping Singulated Objects**

# tl;dr

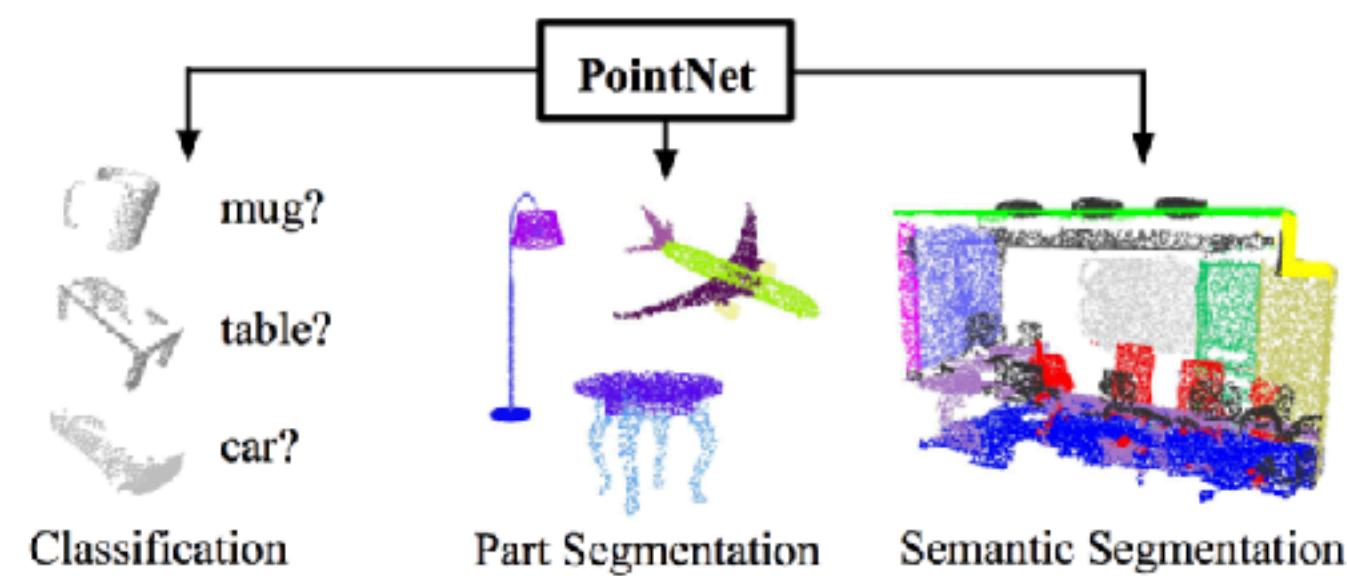
But manipulating  
objects require 3D  
reasoning!



## PointNet

End-to-end learning for **scattered, unordered** point data

**Unified** framework for various tasks

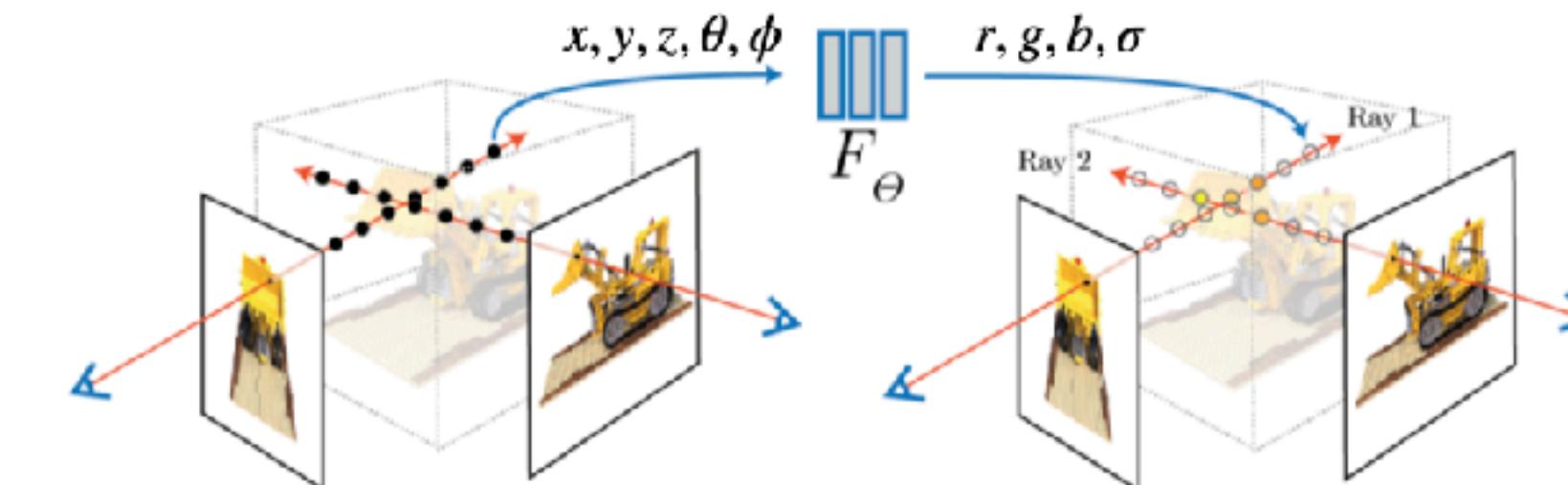


Slides from Qi et al, CVP 2017 [http://stanford.edu/~rqi/pointnet/docs/cvpr17\\_pointnet\\_slides.pdf](http://stanford.edu/~rqi/pointnet/docs/cvpr17_pointnet_slides.pdf)

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## What are Neural Radiance Fields (NeRFs)?

Idea: Use a neural network to *implicitly* represent 3D volume!



✓ No Discretization

✓ Compressible

✓ Differentiable

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