## The Need for Special Purpose Algorithms

So...We have a formalism for expressing goals and plans and we can use resolution theorem proving to find plans.

#### Problems:

- Frame problem
- Time to find plan can be exponential
- Logical inference is semi-decidable
- Resulting plan could have many irrelevant steps

#### We'll need to:

- Restrict language
- Use a special purpose algorithm called a planner

## The STRIPS Language

**States and Goals:** Conjunctions of positive, function-free literals. No variables (i.e. "ground").

Have (Milk)  $\land$  Have (Bananas)  $\land$  Have (Drill)  $\land$  At (Home)

**Closed World Assumption:** any conditions that are not mentioned in a state are assumed false.

#### **Actions:**

- Preconditions: conjunction of positive, function-free literals that must be true before the operator can be applied.
- Effects: conjunction of function-free literals; add list and delete list.

## **STRIPS** Assumption

Assumption: Every literal not mentioned in the effect remains unchanged in the resulting state when the action is executed.

→ Avoids the representational frame problem.

Solution for the planning problem:

An action sequence that, when executed in the initial state, results in a state that satisfies the goal.

## **STRIPS** Actions

Move block x from block y to block z (Put(x,y,z)) Preconds:  $On(x,y) \wedge Block(x) \wedge Block(z)$ 

 $On(x,y) \land Block(x) \land Block(x) \land Clear(x) \land Clear(z)$ 

Effects: Add: On(x,z), Clear(y)

**Delete: On(x,y), Clear(z)** 

Move block x from block y to Table (PoT(x,y))

**Preconds:**  $On(x,y) \wedge Block(x) \wedge Block(y) \wedge Clear(x)$ 

**Effects:** Add: On(x,Table), Clear(y)

Delete: On(x,y)

Move block x from Table to block z (TtB(x,z)) Preconds:  $On(x, Table) \wedge Block(x) \wedge Block(z)$ 

 $\land \hat{Clear}(x) \land \hat{Clear}(z)$ 

Effects: Add: On(x,z)

Delete: On(x,Table), Clear(z

# A D B C D Initial situation Goal situation

# Plan by Searching for a Satisfactory Sequence of Actions

### Planning via State-Space Search

- Progression planner searches forward from the initial situation to the goal situation.
- Regression planner search backwards from the goal state to the initial state.
- Heuristics:
  - derive a relaxed problem
  - employ the subgoal independence assumption.

## Searching Plan Space

#### **Planning via Plan-Space Search:**

- Alternative is to search through the space of *plans* rather than the original state space.
- Start with simple, incomplete partial plan; expand until complete.
- Operators: add a step, impose an ordering on existing steps, instantiate a previously unbound variable.
- Refinement Operators take a partial plan and add constraints
- Modification Operators are anything that is not a refinement operator; take an incorrect plan and debug it.

# Representation for Plans

Goal:  $RightShoeOn \wedge LeftShoeOn$ 

**Initial state: λ** 

#### **Operators:**

Action	Preconds	Effect
	RightSockOn	RightShoeOn
RightSock	$\lambda$	RightSockOn
LeftShoe	LeftSockOn	LeftShoeOn
LeftSock	$\lambda$	LeftSockOn

## **Partial Plans**

Partial Plan: RightShoe LeftShoe

**Partial order planner** – can represent plans in which some steps are ordered and others are not.

Total order planner considers a plan a simple list of steps

**A linearization of a plan P** is a totally ordered plan that is derived from a plan P by adding ordering constraints.

