Planning

A planning agent will construct plans to achieve its goals, and then execute them.

Analyze a situation in which it finds itself and develop a strategy for achieving the agent's goal.

Achieving a goal requires finding a sequence of actions that can be expected to have the desired outcome.

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Planning Example Talk to Parrot Buy a Dog Go To School Go To Supermarket Buy Tuna Fish Buy Arugula Buy Arugula Buy Arugula Buy Milk Sit in Chair Sit Some More Etc. Etc. ... Read A Book

GOAL: Get a quart of milk and a bunch of bananas and a variable-speed cord-less drill.

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Problem Solving

Representation of actions – actions generate successor states

Representation of states – all state representations are complete

Representation of goals – contained in goal test and heuristic function

Representation of plans – unbroken sequence of actions leading from initial to goal state.

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Planning Versus Problem Solving

- (1) Open up the representation of states, goals and actions.
- States and goals represented by sets of sentences Have(Milk)
- Actions represented by rules that represent their preconditions and effects: Buy(x) achieves Have(x)

This allows the planner to make direct connections between states and actions.

Planning Versus Problem Solving

- (2) Planner is free to add actions to the plan wherever they are needed, rather than in an incremental sequence starting at the initial state.
 - No connection between the order of planning and the order of execution.
 - Representation of states as sets of logical sentences makes this freedom possible.

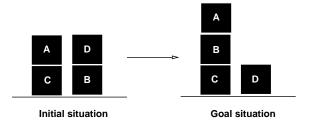
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Planning Versus Problem Solving

- (3) Most parts of the world are independent of most other parts.
 - Can solve $Have(Milk) \wedge Have(Bananas) \wedge Have(Drill)$ using divide-and-conquer strategy.
 - Can re-use subplans (go to supermarket)

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Planning as a Logical Inference Problem



Axioms:

On(A,C), On(C,Table), On(D,B), On(B,Table), Clear(A), Clear(D)

plus rules for moving things around...

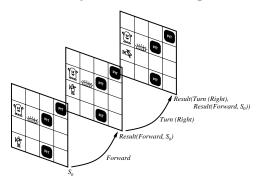
Prove: On $(A,B) \wedge On(B,C)$

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Planning as Deduction: Situation Calculus

In first-order logic, once a statement is shown to be true, it remains true forever.

Situation calculus: way to describe change in first-order logic.



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Situation Calculus

fluents: functions and predicates that vary from one situation to the next

$$on(A, C)$$
 $on(A, C, S_0)$
 $at(agent, [1, 1])$ $at(agent, [1, 1], S_0)$

atemporal functions and predicates are also allowed

block(A)

 $gold(G_1)$

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Situation Calculus: Action Sequences

Result([],s)=s.

Result([a|seq], s) = Result(seq, Result(a, s)).

We'd like to be able to prove:

 $\exists seq \ On(A, B, Result(seq, S_0)) \land On(B, C, Result(seq, S_0))$

which would produce, for example, the following:

 $On(A, B, Result([PoT(A), PoT(D), Put(B, C), Put(A, B)], S_0))$ $\land On(B, C, Result([PoT(A), PoT(D), Put(B, C), Put(A, B)], S_0))$

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Situation Calculus: Actions

Actions are described by stating their effects.

possibility axiom: preconditions $\Rightarrow Poss(a, s)$.

 $\forall s \forall x \neg On(x, Table, s) \land Clear(x, s) \Rightarrow$

Poss(PlaceOnTable(x), s)]

effect axiom: $Poss(a, s) \Rightarrow$ Changes that result from taking the action.

 $\forall s \forall x Poss(PlaceOnTable(x), s)) \Rightarrow$

On(x, Table, Result(PlaceOnTable(x), s))

 $\forall s \forall y \forall z On(y, z, s) \land (z \neq Table) \Rightarrow \neg On(y, Table, s)$

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The Frame Problem

Actions don't specify what happens to objects not involved in the action, but the logic framework requires that information.

 $\forall s \forall x Poss(PoT(x), s)) \Rightarrow On(x, Table, Result(PoT(x), s))$

Frame axioms: Inform the system about preserved relations.

 $\forall s \forall x \forall y \forall z [(On(x, y, s) \land (x \neq z)) \Rightarrow On(x, y, Result(PoT(z), s))]$

... and Its Relatives

representational frame problem: proliferation of frame axioms.

Solution: use successor-state axioms

Action is possible \Rightarrow (Fluent is true in result state \Leftrightarrow (Action's effect made it true \vee It was true before and action left it alone)).

inferential frame problem: have to carry each property through all intervening situations during problemsolving, even if the property remains unchanged throughout

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ramification problem: proliferation of implicit

qualification problem: difficult, in the real world, to

guaranteed to work

consequences of actions.

define the circumstances under which a given action is

The Need for Special Purpose Algorithms

So...We have a formalism for expressing goals and plans and we can use resolution theorem proving to find plans.

Problems:

- frame problem
- time to find plan can be exponential
- logical inference is semi-decidable
- resulting plan could have many irrelevant steps

We'll need to:

- restrict language
- use a special purpose algorithm called a planner

The STRIPS Language

States and Goals: Conjunctions of positive, function-free literals. No variables.

Have (Milk) \wedge Have (Bananas) \wedge Have (Drill) \wedge At (Home)

Closed world assumption: any conditions that are not mentioned in a state are assumed false.

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Actions:

preconditions: conjunction of positive, function-free literals that must be true before the operator can be applied.

effects: conjunction of function-free literals; add list and delete list.

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STRIPS Actions

Move block x from block y to block z

preconds: $On(x,y) \wedge Block(x) \wedge Block(z)$

 $\land Clear(x) \land Clear(z)$

effects: Add: On(x,z), Clear(y)

Delete: On(x,y), Clear(z)

Move block x from block y to Table

preconds: $On(x,y) \wedge Block(x) \wedge Block(y) \wedge Clear(x)$

effects: Add: On(x,Table), Clear(y)

Delete: On(x,y)

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STRIPS assumption

Every literal not mentioned in the effect remains unchanged in the resulting state when the action is executed.

Avoids the representational frame problem.

Solution for the planning problem: an action sequence that, when executed in the initial state, results in a state that satisfies the goal.

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Move block x from Table to block z

preconds: $On(x, Table) \wedge Block(x) \wedge Block(z)$

 $\wedge Clear(x) \wedge Clear(z)$

effects: Add: On(x,z)

Delete: On(x,Table), Clear(z)

Plan by Searching for a Satisfactory Sequence of Actions

progression planner searches forward from the initial situation to the goal situation

regression planner search backwards from the goal state to the initial state

Heuristics: derive a **relaxed problem**; employ the **subgoal independence** assumption.

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Representation for Plans

Goal: $RightShoeOn \wedge LeftShoeOn$

Initial state: λ

Operators:

Action	Preconds	Effect
RightShoe	RightSockOn	RightShoeOn
RightSock	λ	RightSockOn
LeftShoe	LeftSockOn	LeftShoeOn
LeftSock	λ	LeftSockOn

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Searching Plan Space

Alternative is to search through the space of *plans* rather than the original state space.

Start with simple, incomplete **partial plan**; expand until complete.

Operators: add a step, impose an ordering on existing steps, instantiate a previously unbound variable.

Refinement Operators take a partial plan and add constraints

Modification Operators are anything that is not a refinement operator; take an incorrect plan and debug it.

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Partial Plans

Partial Plan: RightShoe LeftShoe

Principle of **Least Commitment** says to only make choices about things that you currently care about.

Partial order planner – can represent plans in which some steps are ordered and others are not.

Total order planner considers a plan a simple list of steps

A linearization of P is a totally ordered plan that is derived from a plan P by adding ordering constraints.

Defer Variable Binding

Planners must commit to bindings for variables

Example: Goal: Have(Milk) Action: Buy(item,store)

Principle of Least Commitment: Only make choices about things that you care about, leaving other details to be worked out later.

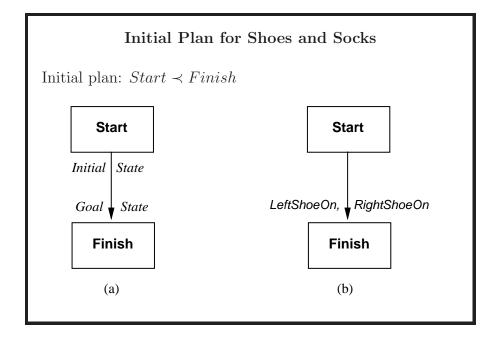
Buy(Milk,K-MART) versus Buy(Milk,store)

Fully instantiated plan: every variable is bound to a constant.

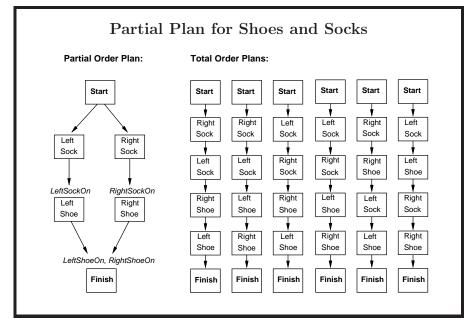
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Definition of a Plan

- A set of plan steps (actions).
- A set of step ordering constraints of the form $S_i \prec S_j$
- A set of variable binding constraints
- A set of causal links, written as $S_i \stackrel{c}{\longrightarrow} S_j$



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Planner Output

A solution is a complete, consistent plan.

A complete plan: every precondition of every step is achieved by some other step.

A consistent plan: there are no contradictions in the ordering or binding constraints. Contradiction occurs when both $S_i \prec S_j$ and $S_j \prec S_i$.

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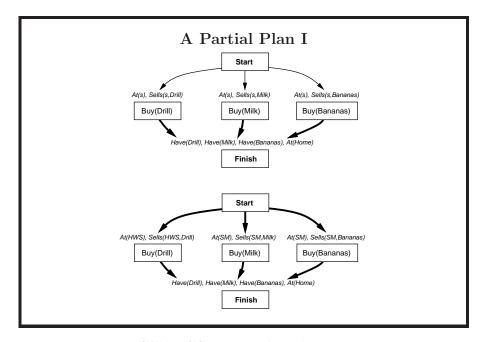
POP Example: Initial Plan Start At(Home) Sells(SM,Banana) Sells(SM,Milk) Sells(HWS,Drill) Have(Drill) Have(Milk) Have(Banana) At(Home) Finish

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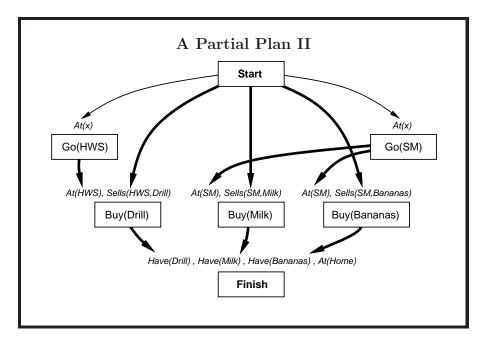
POP Example: STRIPS Actions

Action	PreCond	Effect
Go(there)	At(here)	$At(there) \wedge \neg At(here)$
Buy(x)	$At(store) \land Sells(store, x)$	Have(x)

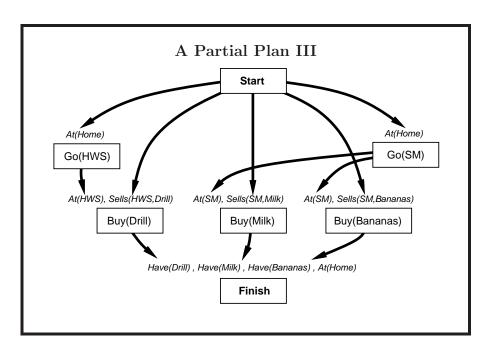
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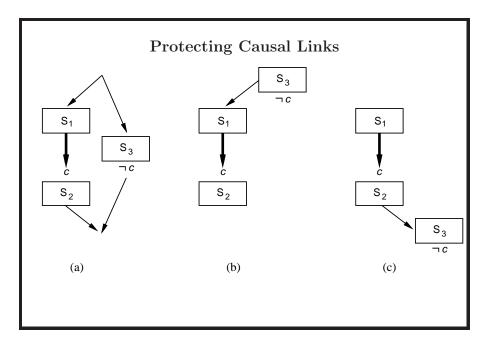
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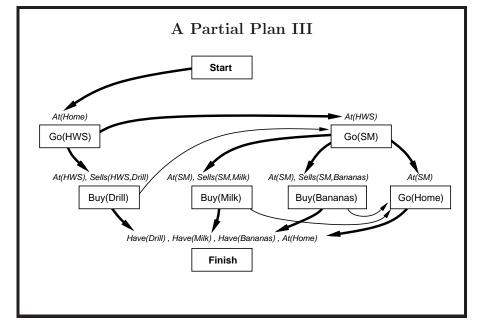
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Achieving At(Home)

Candidate link Threats

At(x) to initial state Go(HWS), Go(SM)

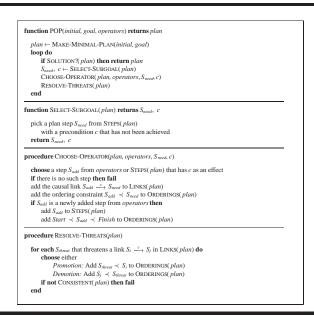
At(x) to Go(HWS) Go(SM)

At(x) to Go(SM) At(SM) preconds of Buy(Milk),

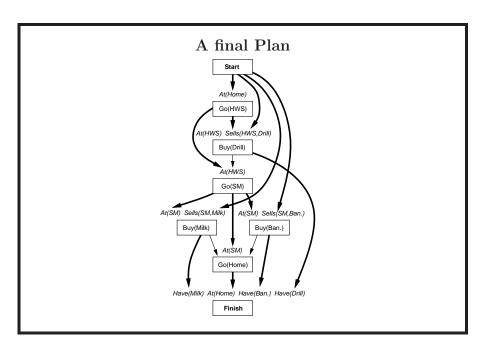
Buy(Bananas)

Solution: Link At(x) to Go(SM), but order Go(Home) to come after Buy(Bananas) and Buy(Milk).

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Strengths of Partial-Order Planning Algorithms

- Takes a huge state space problem and solves in only a few steps.
- Least commitment strategy means that search only occurs in places where sub-plans interact.
- Causal links allow planner to recognize when to abandon a doomed plan without wasting time exploring irrelevant parts of the plan.

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Practical Planners

STRIPS approach is insufficient for many practical planning problems. Can't express:

resources: Operators should incorporate resource consumption and generation. Planners have to handle constraints on resources efficiently.

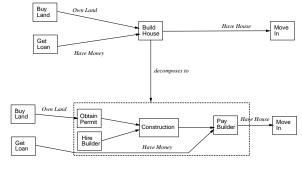
time: Real-world planners need a better model of time.

hierarchical plans: Need the ability to specify plans at varying levels of detail.

Also need to incorporate heuristics for guiding search.

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Hierarchical Planning



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Planning Graphs

- Data structure (graphs) that represents plans, and can be efficiently constructed, and that allows for better heuristic estimates.
- Graphplan: algorithm that processes the planning graph, using backward search, to extract a plan.
- **SATPlan**: algorithm that translates a planning problem into propositional axioms and applies a CSP algorithm to find a valid plan.

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Spacecraft Assembly, integration and verification (AIV)

- OPTIMUM-AIV used by the European Space Agency to AIV spacecraft.
- Generates plans and monitors their execution ability to re-plan is the principle objective.
- Uses O-Plan architecture like partial-order planner, but can represent time, resources and hierarchical plans. Accepts heuristics for guiding search and records its reasons for each choice.

Scheduling for Space Missions

- Planners have been used by the ground teams for the Hubble space telescope and for the Voyager, Uosat-II and ERS-1.
- Goal: coordinate the observational equipment, signal transmitters and altitude and velocity-control mechanism in order to maximize the value of the information gained from observations while obeying resource constraints on time and energy.