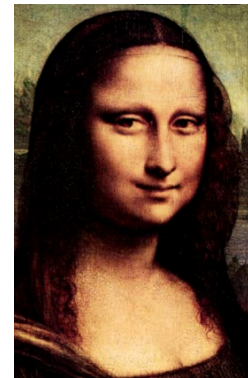
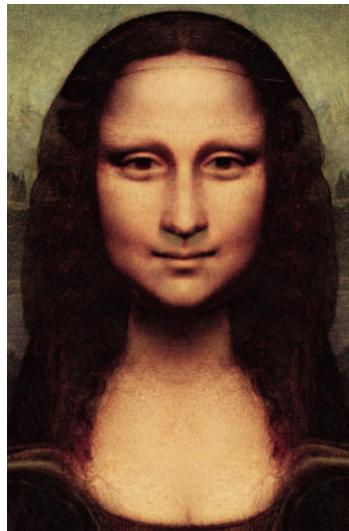
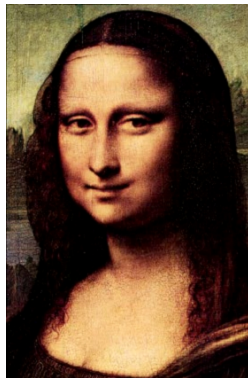


CS4670: Computer Vision

Kavita Bala

Lecture 5: Image Interpolation and Features



Announcements

- Tell us if conflicts on PA 1 grading
- iclickerGo
 - Tell us if you don't have it

Upsampling


- This image is too small for this screen: 
- How can we make it 10 times as big?
- Simplest approach:
repeat each row
and column 10 times



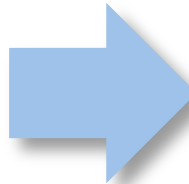
Image interpolation

Original image:  x 10



Image interpolation

Also used for *resampling*



Upsampling


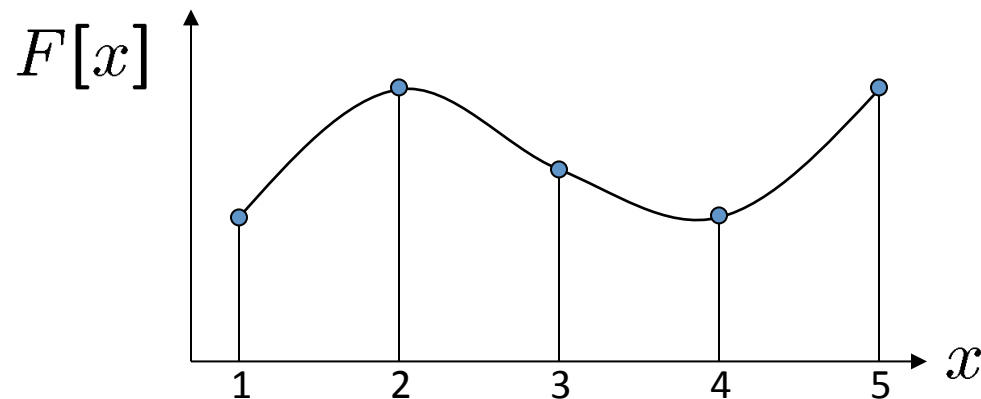
- This image is too small for this screen: 
- How can we make it 10 times as big?
- Simplest approach:
 - repeat each row
 - and column 10 times
- (“Nearest neighbor interpolation”)



Image interpolation



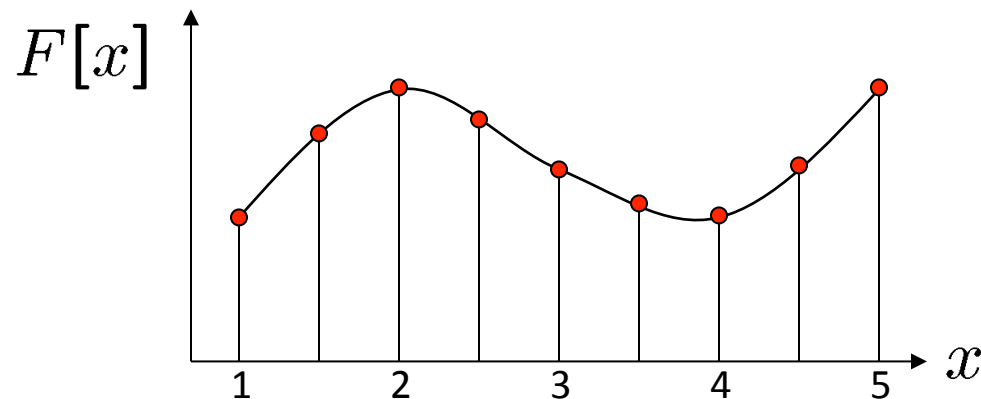
$d = 1$ in this example

Recall how a digital image is formed

$$F[x, y] = \text{quantize}\{f(xd, yd)\}$$

- It is a discrete point-sampling of a continuous function
- If we could somehow reconstruct the original function, any new image could be generated, at any resolution and scale

Image interpolation



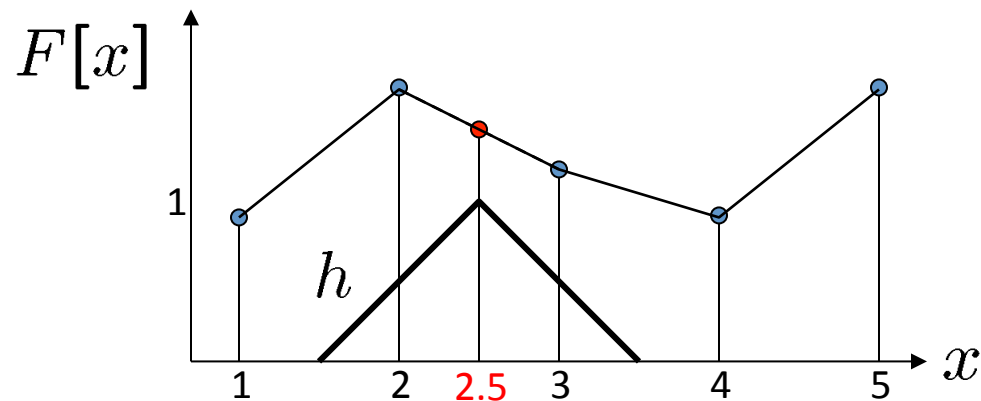
$d = 1$ in this example

Recall how a digital image is formed

$$F[x, y] = \text{quantize}\{f(xd, yd)\}$$

- It is a discrete point-sampling of a continuous function
- If we could somehow reconstruct the original function, any new image could be generated, at any resolution and scale

Image interpolation



$d = 1$ in this example

- What if we don't know f ?

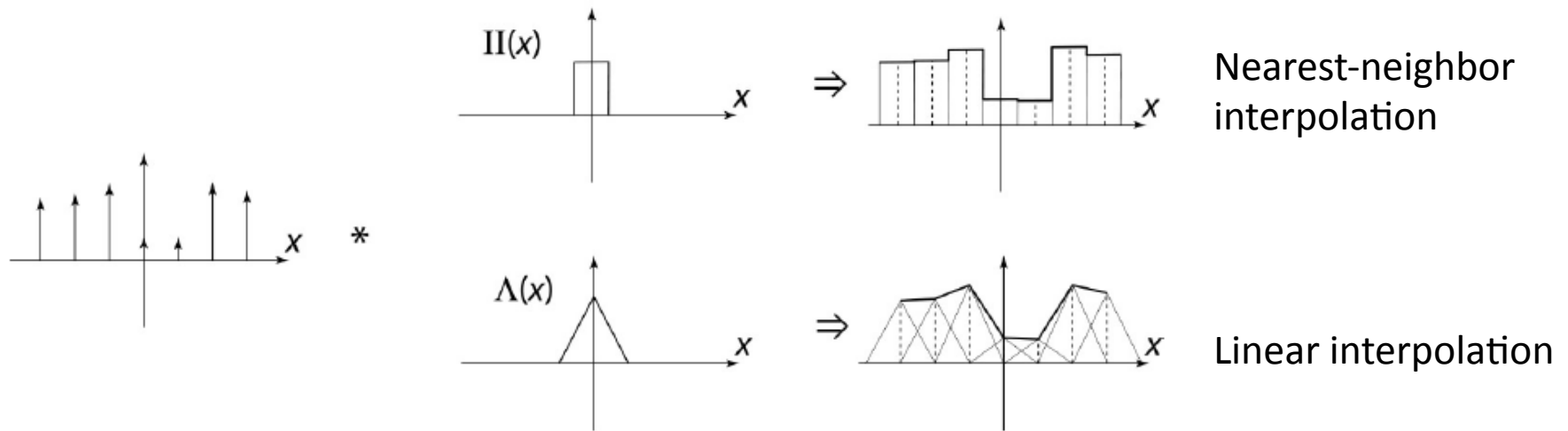
- Guess an approximation: \tilde{f}
- Can be done in a principled way: filtering
- Convert F to a continuous function:

$$f_F(x) = F\left(\frac{x}{d}\right) \text{ when } \frac{x}{d} \text{ is an integer, } 0 \text{ otherwise}$$

- Reconstruct by convolution with a *reconstruction filter*, h

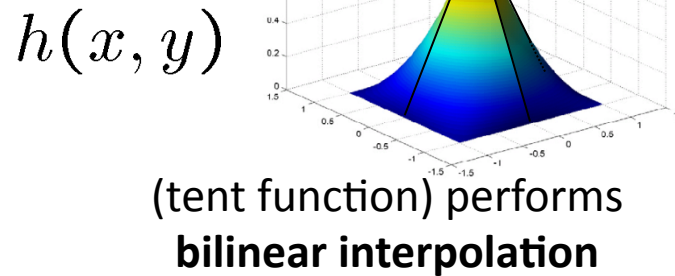
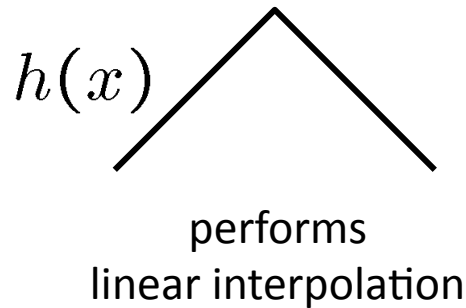
$$\tilde{f} = h * f_F$$

Image interpolation



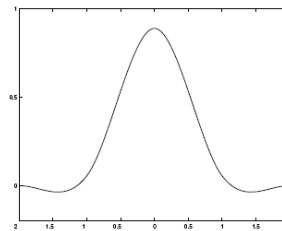
Reconstruction filters

- What does the 2D version of this hat function look like?



Better filters give better resampled images

- Bicubic** is common choice



Cubic reconstruction filter

$$r(x) = \frac{1}{6} \begin{cases} (12 - 9B - 6C)|x|^3 + (-18 + 12B + 6C)|x|^2 + (6 - 2B) & |x| < 1 \\ ((-B - 6C)|x|^3 + (6B + 30C)|x|^2 + (-12B - 48C)|x| + (8B + 24C)) & 1 \leq |x| < 2 \\ 0 & \text{otherwise} \end{cases}$$

Image interpolation

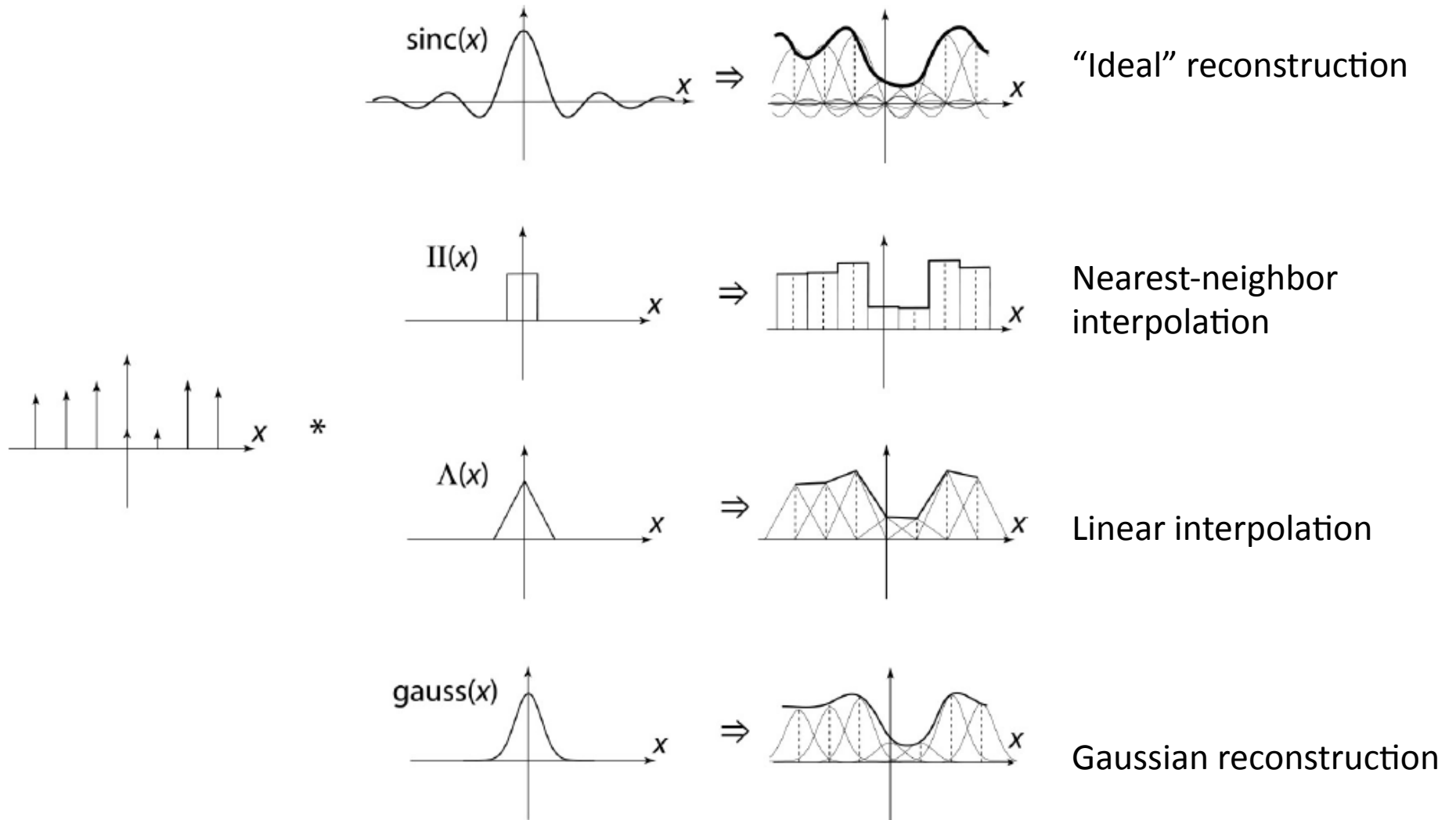


Image interpolation

Original image:  x 10



Nearest-neighbor interpolation



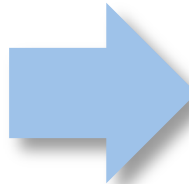
Bilinear interpolation



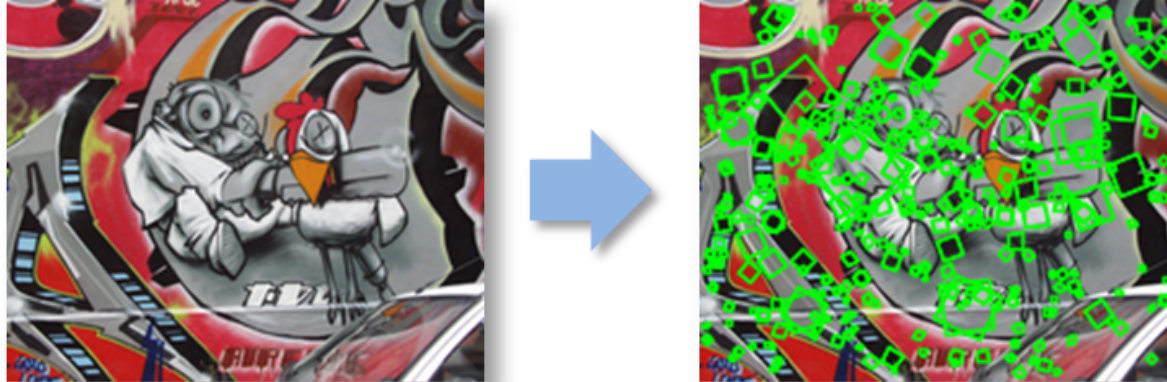
Bicubic interpolation

Image interpolation

Also used for *resampling*



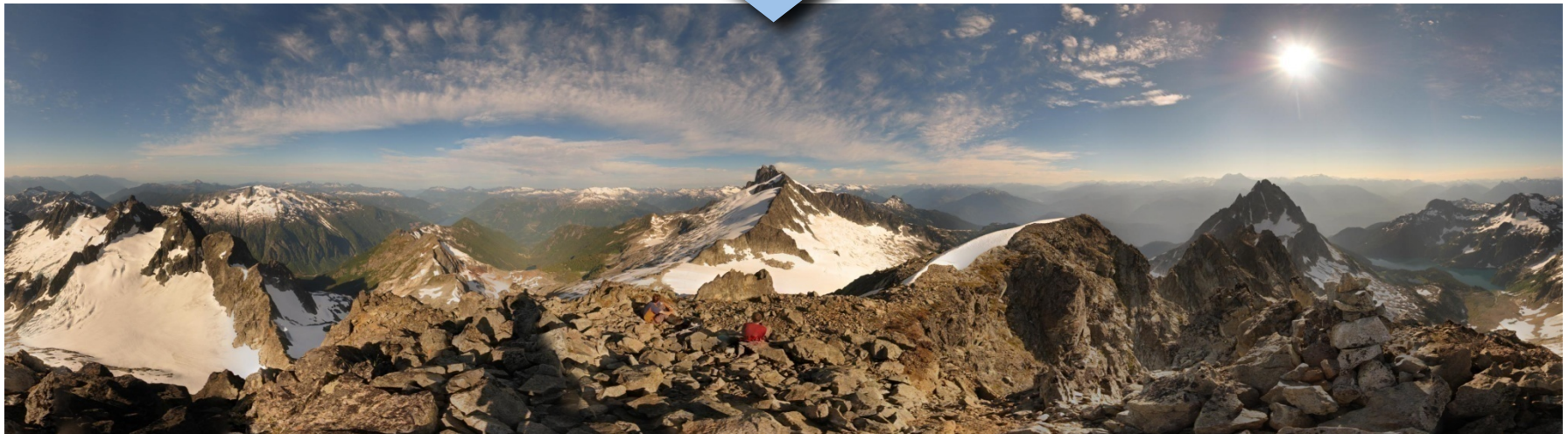
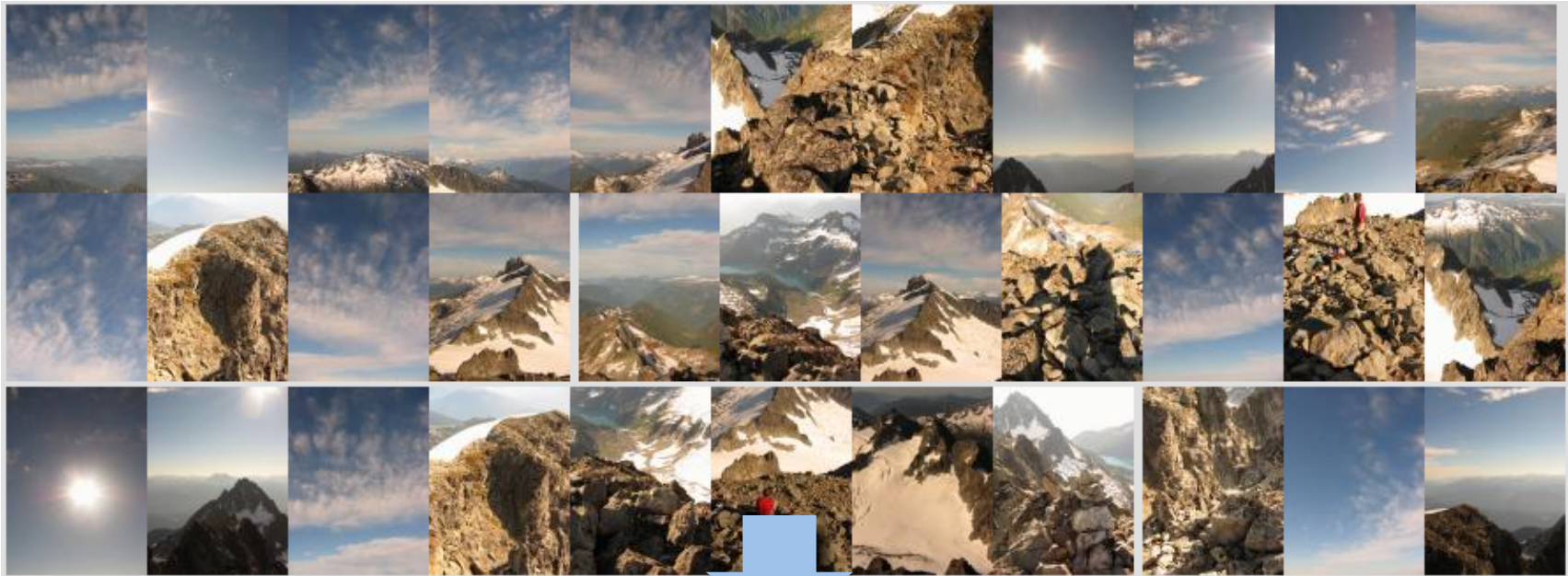
Feature detection and matching



Reading

- Szeliski: 4.1

Motivation: Automatic panoramas



Credit: Matt Brown

Motivation: Automatic panoramas



HD View

<http://research.microsoft.com/en-us/um/redmond/groups/ivm/HDView/HDGigapixel.htm>

Also see GigaPan:

<http://gigapan.org/>

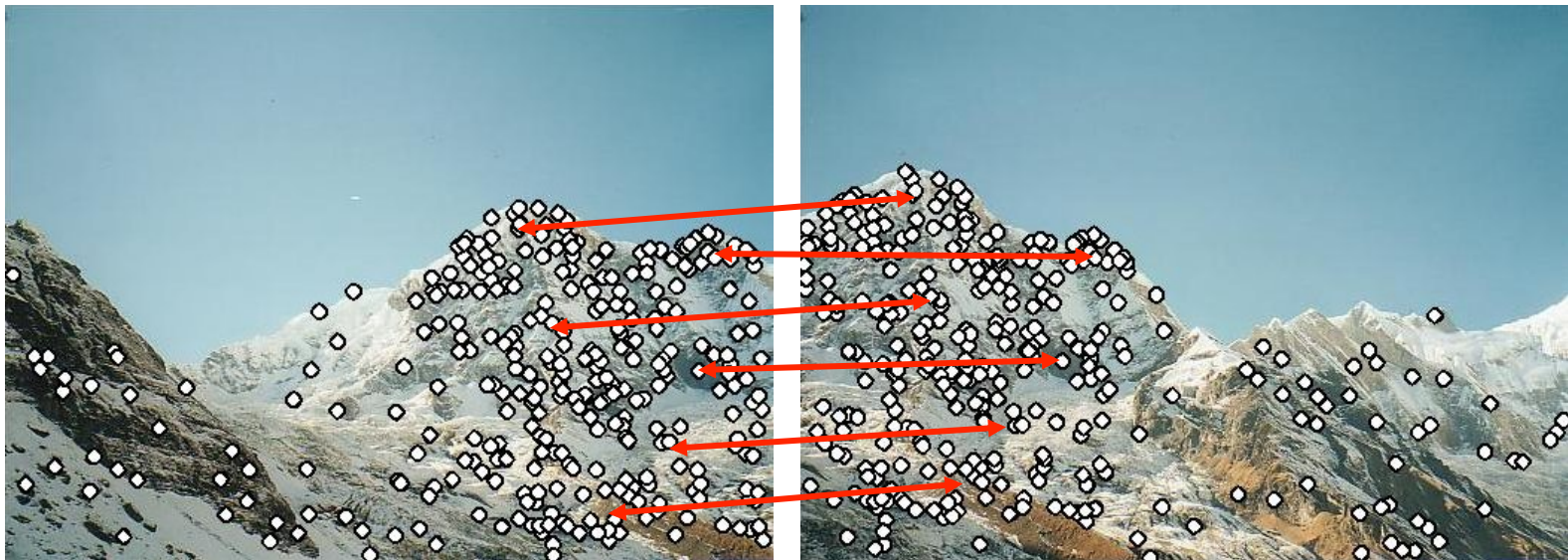
Why extract features?

- Motivation: panorama stitching
 - We have two images – how do we combine them?



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 - We have two images – how do we combine them?



Step 1: extract features

Step 2: match features

Why extract features?

- Motivation: panorama stitching
 - We have two images – how do we combine them?

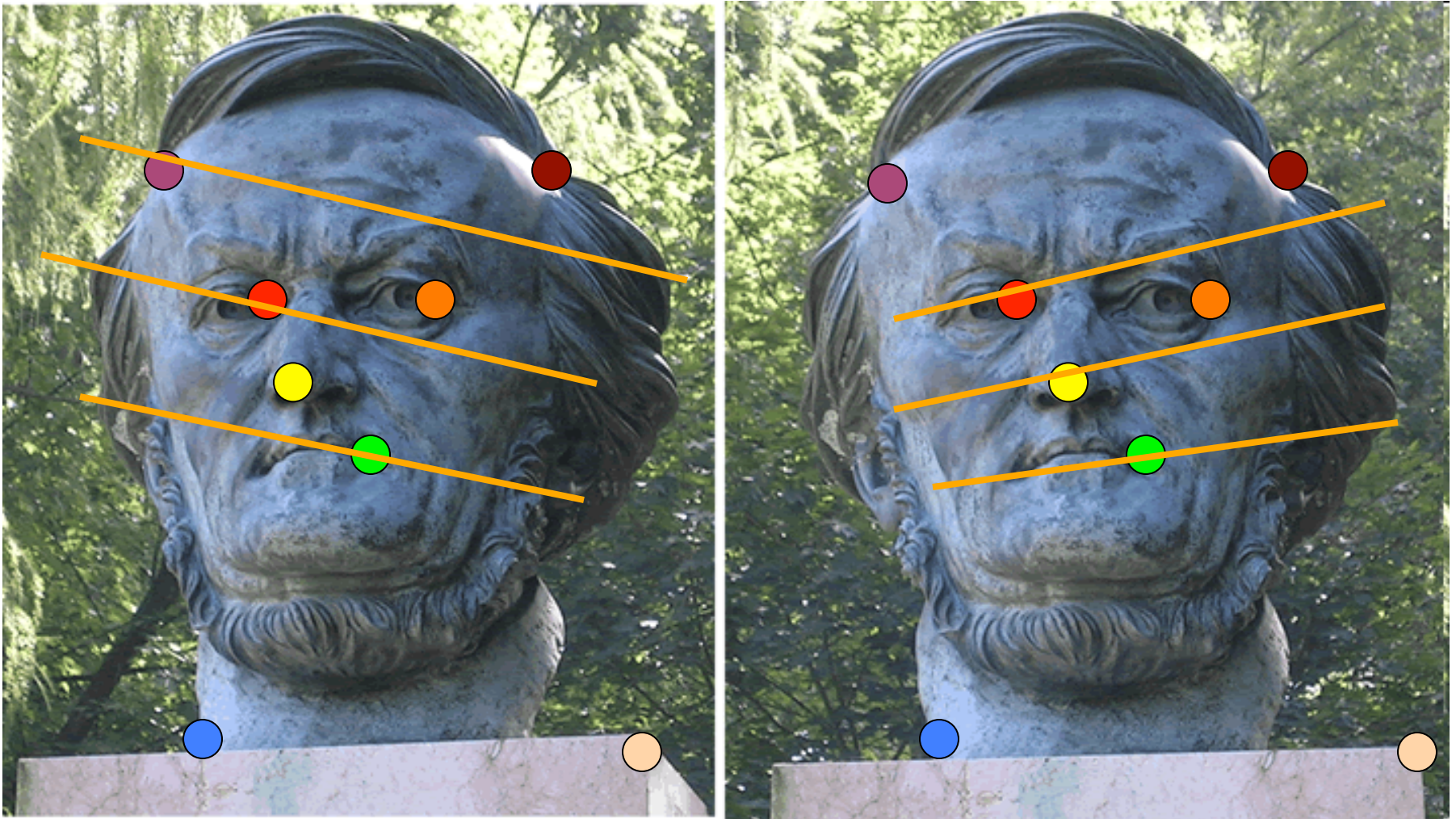


Step 1: extract features

Step 2: match features

Step 3: align images

Example: estimating “fundamental matrix” that corresponds two views



Example: structure from motion



Applications

- Feature points are used for:
 - Image alignment
 - 3D reconstruction
 - Motion tracking
 - Robot navigation
 - Indexing and database retrieval
 - Object recognition



Matching can be challenging



Image matching



by [Diva Sian](#)



by [swashford](#)

Harder case

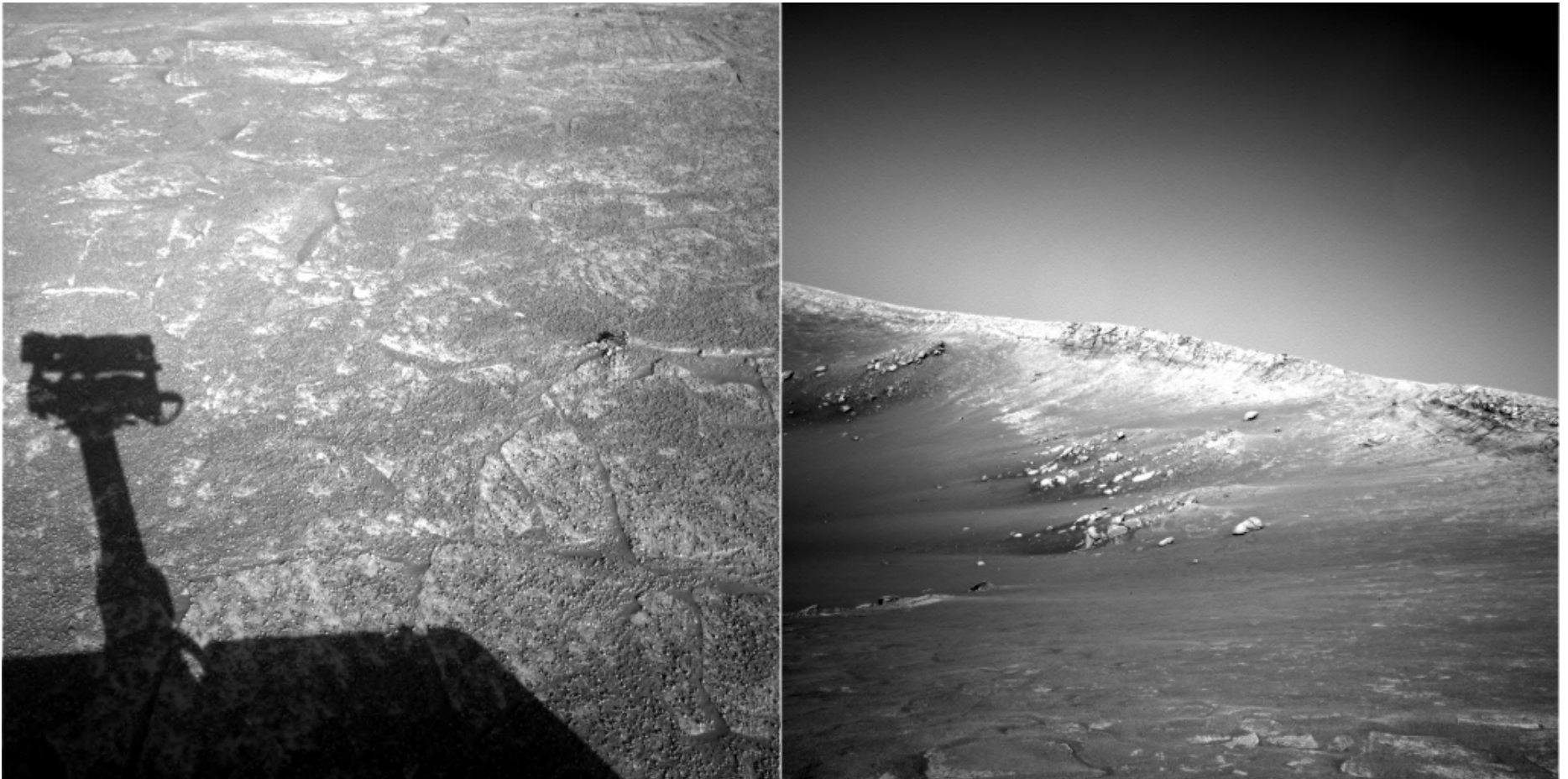


by [Diva Sian](#)

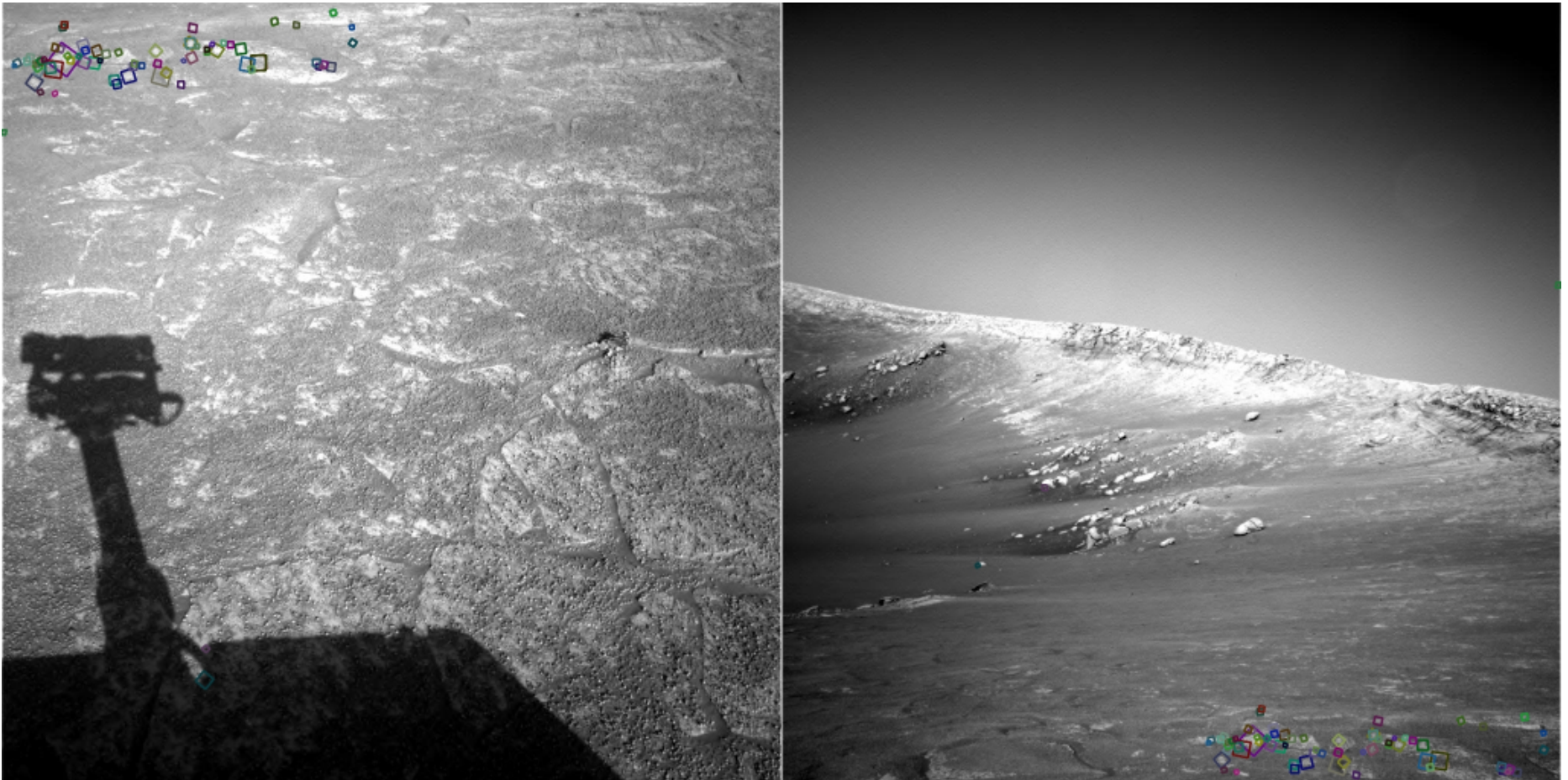


by [scgbt](#)

Harder still?



Answer below (look for tiny colored squares...)



NASA Mars Rover images
with SIFT feature matches

Approach

Feature detection: find it

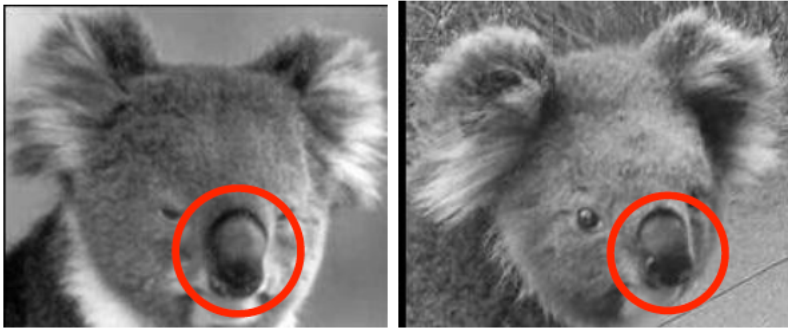
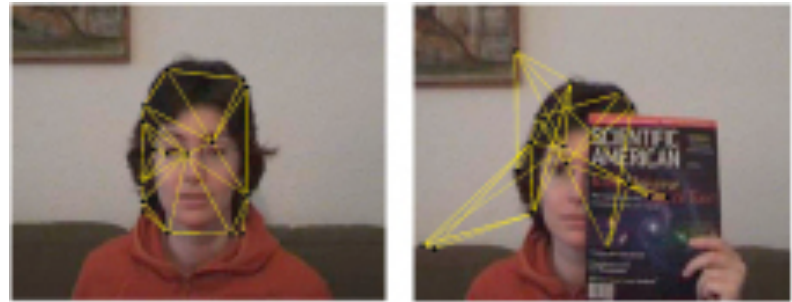
Feature descriptor: represent it

Feature matching: match it

Feature tracking: track it, when motion

Features

- Global vs. local representations
- Local: describe and match local regions
- Robust to
 - Occlusions
 - Articulation
 - Intra-category variation



Fei-Fei Li



Advantages of local features

Locality

- features are local, so robust to occlusion and clutter

Quantity

- hundreds or thousands in a single image

Distinctiveness:

- can differentiate a large database of objects

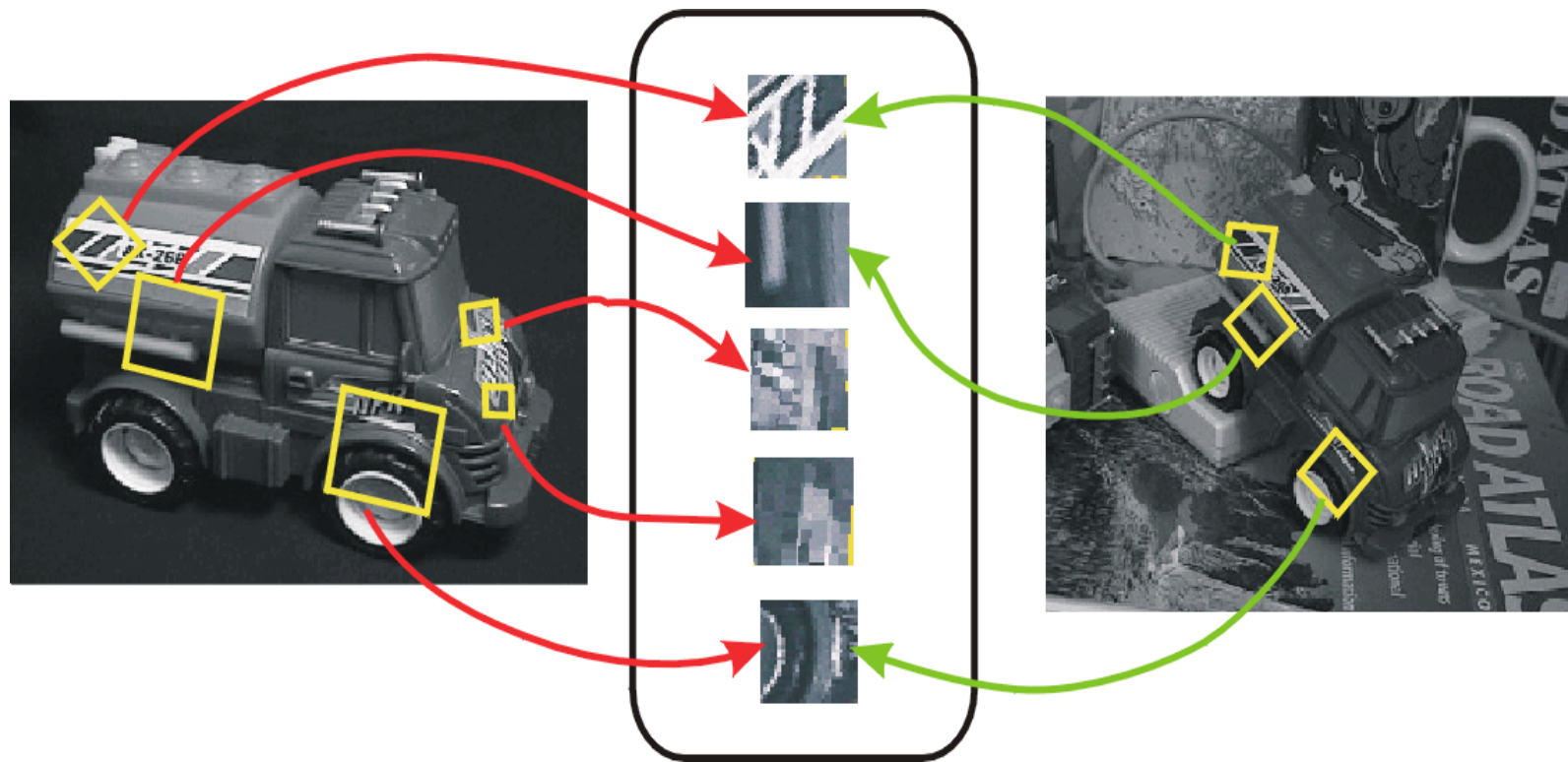
Efficiency

- real-time performance achievable

Invariant local features

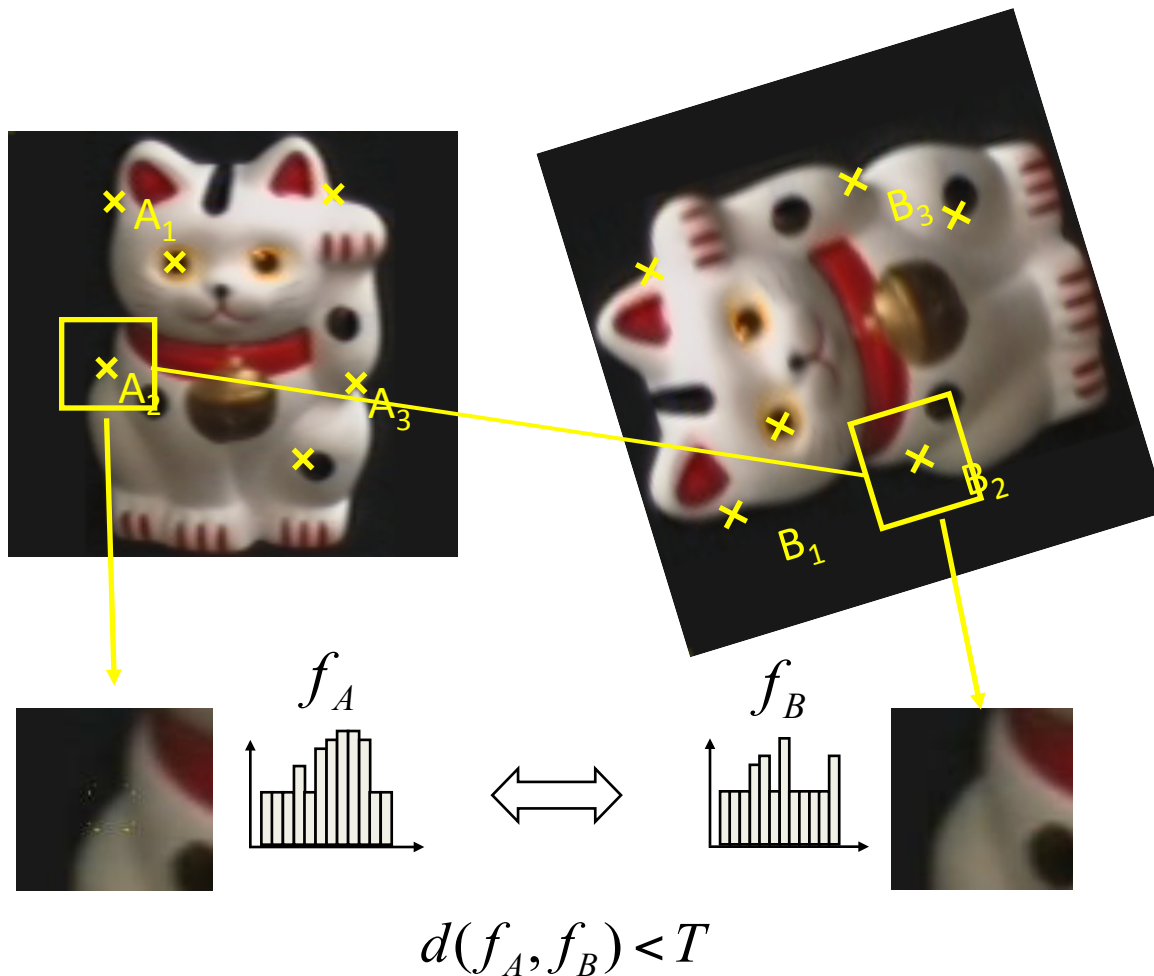
Find features that are invariant to transformations

- geometric invariance: translation, rotation, scale
- photometric invariance: brightness, exposure, ...



Feature Descriptors

Overview



1. Find a set of distinctive features
2. Define a region around each feature
3. Extract and normalize the region content
4. Compute a local descriptor from the normalized region
5. Match local descriptors

Goals for Features



Detect points that are *repeatable* and *distinctive*