

CS412/CS413

Introduction to Compilers  
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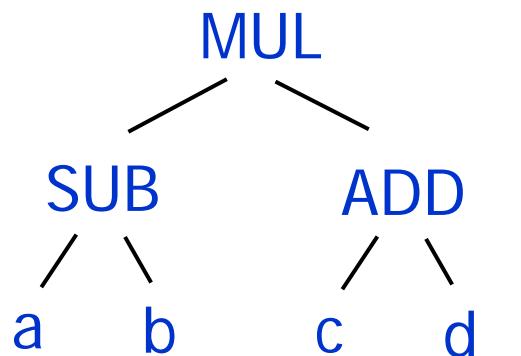
Lecture 19: Efficient IL Lowering  
5 March 08

# IR Lowering

- Use temporary variables for the translation
  - Temporary variables in the Low IR store intermediate values corresponding to the nodes in the High IR

# High IR

# Low IR



## lowering

```
t1 = a - b  
t2 = c + d  
t = t1 * t2
```

# Lowering Methodology

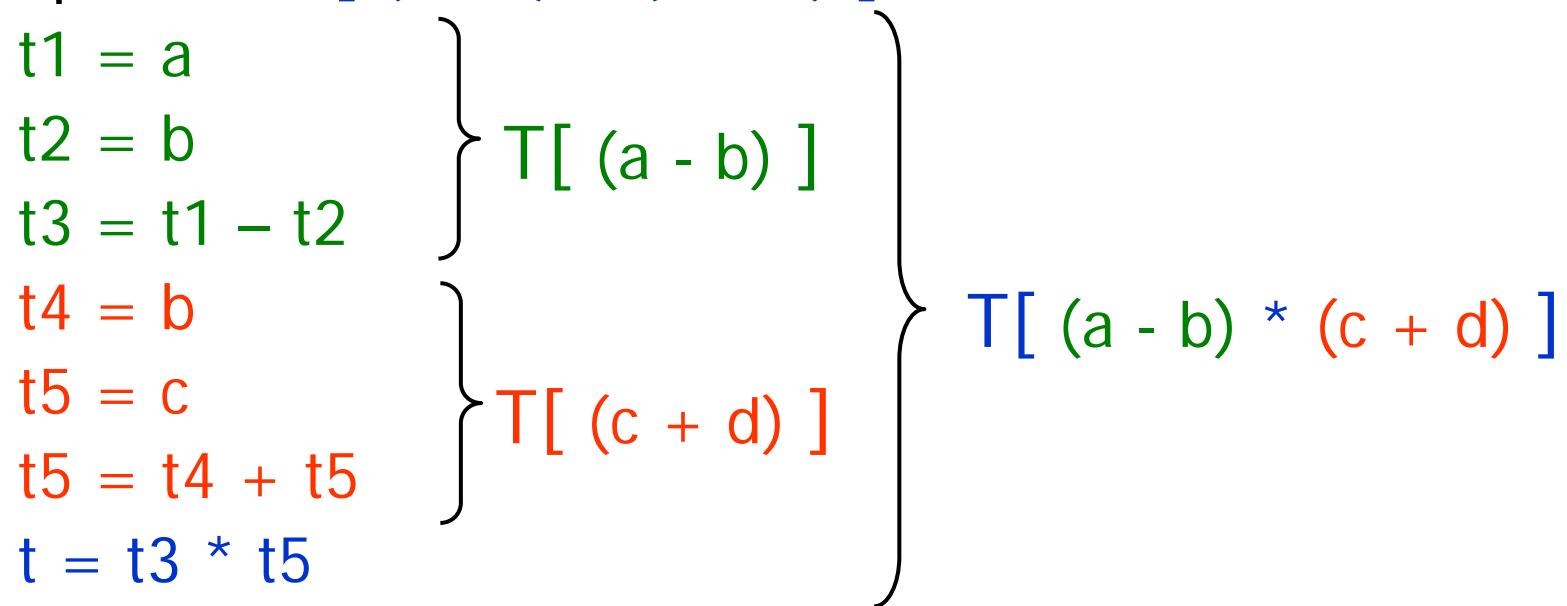
- Define simple translation rules for each High IR node
  - Arithmetic:  $e_1 + e_2$ ,  $e_1 - e_2$ , etc.
  - Logic:  $e_1 \text{ AND } e_2$ ,  $e_1 \text{ OR } e_2$ , etc.
  - Array access expressions:  $e_1[e_2]$
  - Statements: if ( $e$ ) then  $s_1$  else  $s_2$ , while ( $e$ )  $s_1$ , etc.
  - Function calls  $f(e_1, \dots, e_N)$
- Recursively traverse the High IR trees and apply the translation rules
- Can handle nested expressions and statements

# Notation

- Use the following notation:  
 $T[e]$  = the low-level IR representation of high-level IR construct e
- $T[e]$  is a sequence of Low-level IR instructions
- If e is an expression (or a statement expression),  $T[e]$  computes a value
- Denote by  $t = T[e]$  the low-level IR representation of e, whose result value is stored in t
- For variable v:  $t = T[v]$  is the copy instruction  $t = v$

# Nested Expressions

- In these translations, expressions may be nested;
- Translation recurses on the expression structure
- Example:  $t = T[ (a - b) * (c + d) ]$



# Nested Statements

- Same for statements: recursive translation
- Example:  $T[ \text{if } c \text{ then if } d \text{ then } a = b ]$

$t1 = c$

$\text{fjump } t1 \text{ Lend1}$

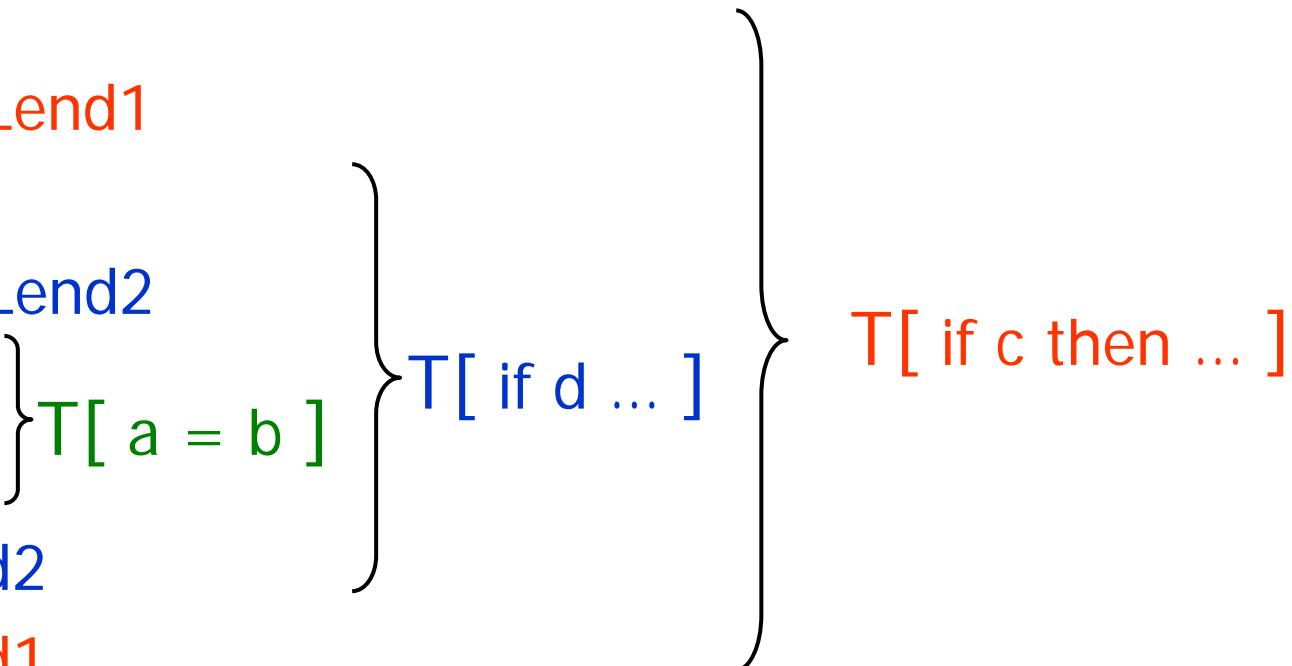
$t2 = d$

$\text{fjump } t2 \text{ Lend2}$

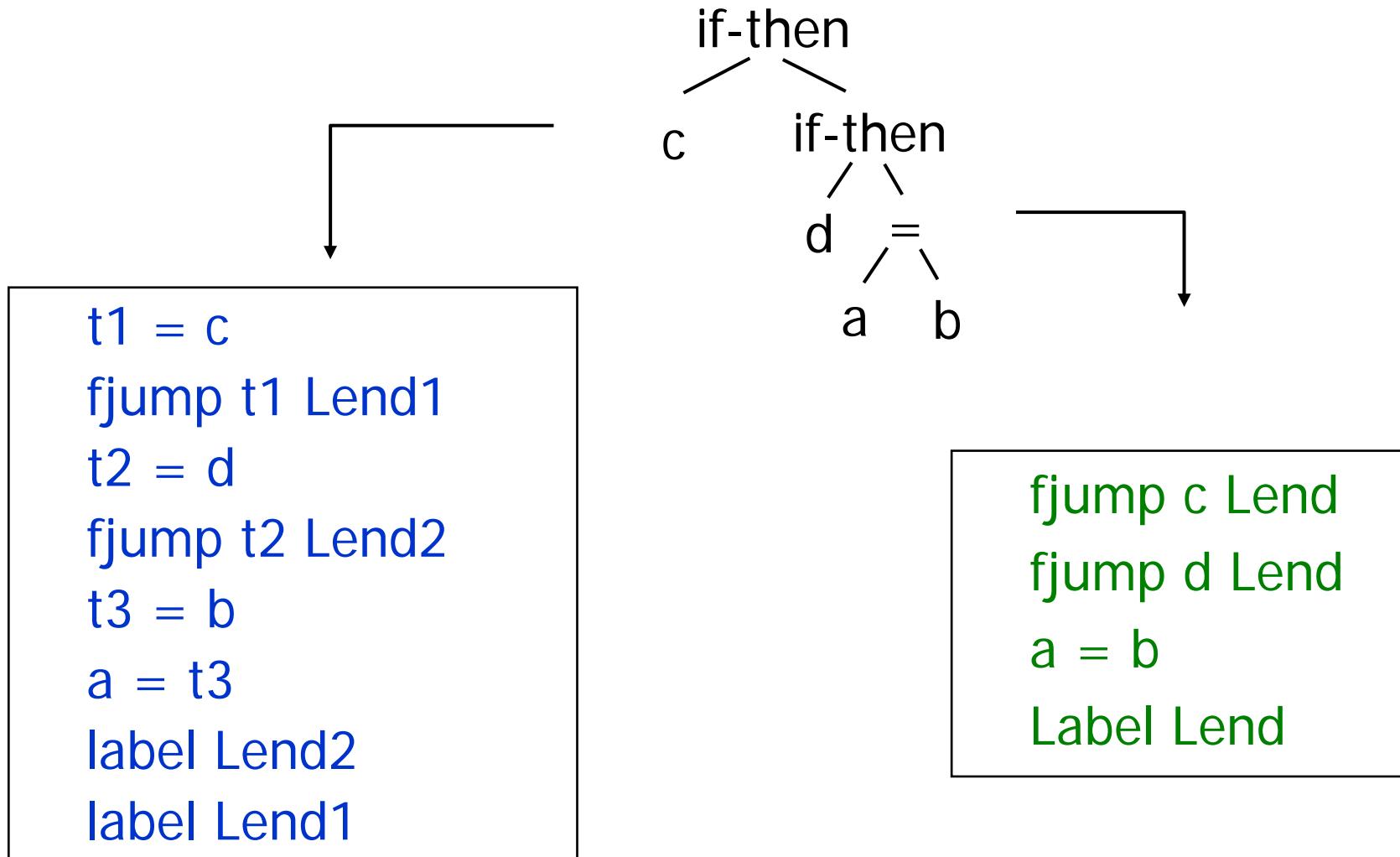
$t3 = b$   
 $a = t3$

$\text{label Lend2}$

$\text{label Lend1}$



# IR Lowering Efficiency



# Efficient Lowering Techniques

- How to generate efficient Low IR:
  1. Reduce number of temporaries
    - a) Don't use temporaries that duplicate variables
    - b) Use "accumulator" temporaries
    - c) Reuse temporaries in Low IR
  2. Don't generate multiple adjacent label instructions
  3. Encode conditional expressions in control flow
  4. Eliminate jumps to unconditional jumps

# No Duplicated Variables

- Basic algorithm:
  - Translation rules recursively traverse expressions until they reach terminals (variables and numbers)
  - Then translate  $t = T[v]$  into  $t = v$  for variables
  - And translate  $t = T[n]$  into  $t = n$  for constants
- Better:
  - Terminate recursion one level before terminals
  - Need to check at each step if expressions are terminals and only recursively generate code for child if it is a non-terminal expression

# No Duplicated Variables

- $t = T[ e1 \text{ OP } e2 ]$   
 $t1 = T[ e1 ],$  if  $e1$  is not terminal  
 $t2 = T[ e2 ],$  if  $e2$  is not terminal  
 $t = x1 \text{ OP } x2$

where:

$$x1 = \begin{cases} \text{if } e1 \text{ is terminal then } e1 \text{ else } t1 & \\ \text{if } e2 \text{ is terminal then } e2 \text{ else } t2 & \end{cases}$$

- Similar translation for statements with conditional expressions: if, while, switch

# Example

- $t = T[ (a+b)*c ]$
- Operand  $e_1 = a+b$ , is not terminal
- Operand  $e_2 = c$ , is terminal
- Translation:  
$$t_1 = T[ e_1 ]$$
$$t = t_1 * c$$
- Recursively generate code for  $t_1 = T[ e_1 ]$
- For  $e_1 = a+b$ , both operands are terminals
- Code for  $t_1 = T[ e_1 ]$  is  $t_1 = a+b$
- Final result:  
$$t_1 = a + b$$
$$t = t_1 * c$$

# Accumulator Temporaries

- Use the same temporary variables for operands and result
- Translate  $t = T[ e1 \text{ OP } e2 ]$  as:

$t = T[ e1 ]$

$t1 = T[ e2 ]$

$t = t \text{ OP } t1$

- Example:  $t = T[ (a+b)*c ]$

$t = a + b$

$t = t * c$

# Reuse Temporaries

- **Idea:** in the translation of  $t = T[ e1 \text{ OP } e2 ]$  as:  
 $t = T[ e1 ], t' = T[ e2 ], t = t \text{ OP } t'$   
temporary variables from the translation of  $e1$  can  
be reused in the translation of  $e2$
- **Observation:** temporary variables compute  
intermediate values, so they have limited lifetime
- **Algorithm:**
  - Use a stack of temporaries
  - This corresponds to the stack of the recursive invocations  
of the translation functions  $t = T[ e ]$
  - All the temporaries on the stack are alive

# Reuse Temporaries

- **Implementation:** use counter  $c$  to implement the stack
  - Temporaries  $t(0), \dots, t(c)$  are alive
  - Temporaries  $t(c+1), t(c+2), \dots$  can be reused
  - Push means increment  $c$ , pop means decrement  $c$
- In the translation of  $t(c) = T[ e1 \text{ OP } e2 ]$

$$t(c) = T[ e1 ]$$

$$\cdots \quad c = c + 1$$

$$t(c) = T[ e2 ]$$

$$\cdots \quad c = c - 1$$

$$t(c) = t(c) \text{ OP } t(c+1)$$

# Example

- $t0 = T[ ((c^*d) - (e^*f)) + (a^*b) ]$

-----  $c = 0$

$t0 = T[ e0 ]$

-----  $c = c+1$

$t1 = a * b$

-----  $c = c-1$

$t0 = t0+t1$

$t0 = c^*d$

-----  $c = c+1$

$t1 = e^*f$

-----  $c = c-1$

$t0 = t0 - t1$

# Trade-offs

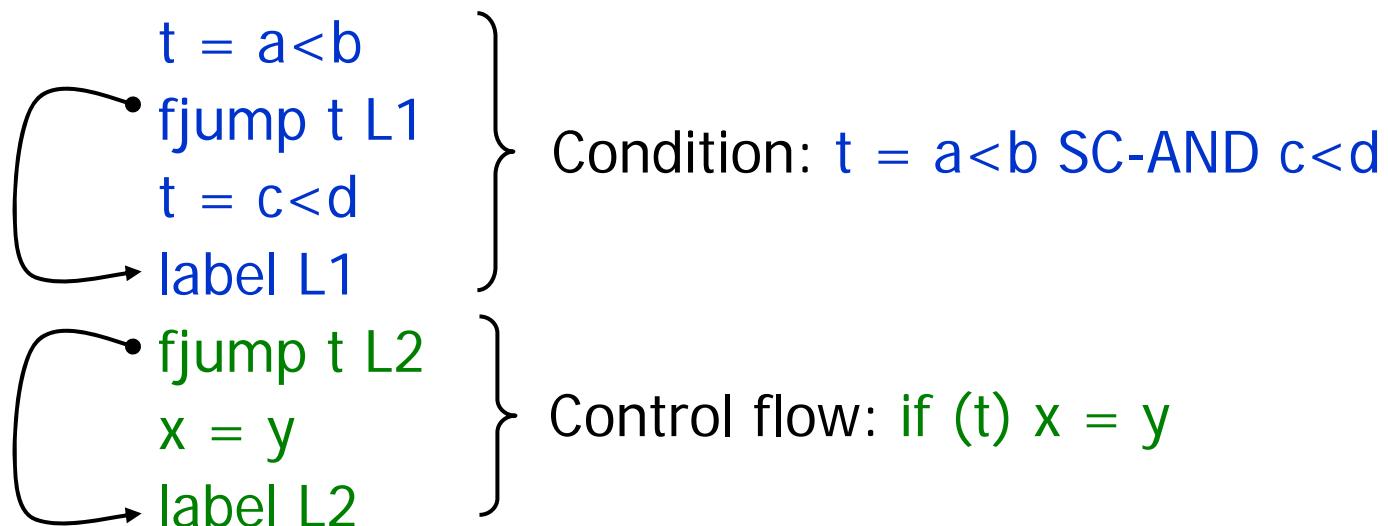
- Benefits of fewer temporaries:
  - Smaller symbol tables
  - Smaller analysis information propagated during dataflow analysis
- Drawbacks:
  - Same temporaries store multiple values
  - Some analysis results may be less precise
  - Also harder to reconstruct expression trees (albeit, possibly more convenient for instruction selection)
- Possible compromise:
  - Different temporaries for intermediate values in each statement
  - Reuse temporaries for different statements

# No Adjacent Labels

- Translation of control flow constructs (if, while, switch) and short-circuit conditionals generates label instructions
- Nested if/while/switch statements and nested short-circuit AND/OR expressions may generate adjacent labels
  - And a third pass to adjust the branch instructions
- More efficient: **backpatching**
  - Directly generate code without adjacent label instructions
  - Code has placeholders for jump labels, fill in labels later

# Encode Booleans in Control-Flow

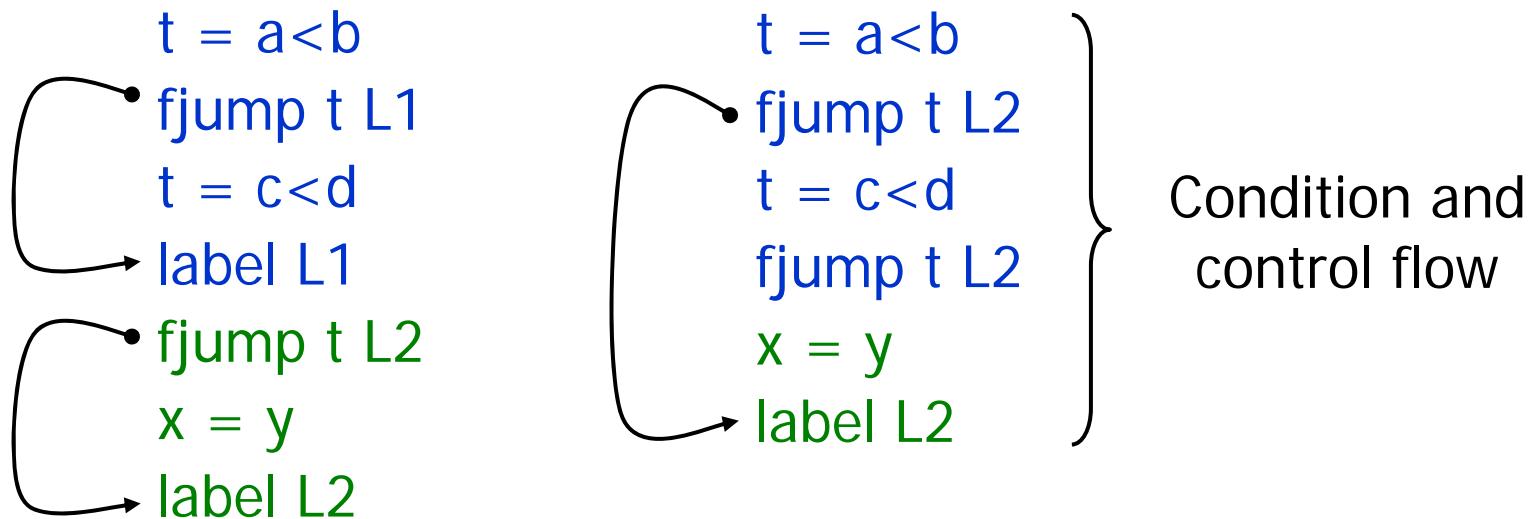
- Consider  $T[ \text{if } (\text{a} < \text{b} \text{ SC-AND } \text{c} < \text{d}) \text{ then } \text{x} = \text{y}; ]$



- ... can we do better?

# Encode Booleans in Control-Flow

- Consider  $T[ \text{if } (\text{a} < \text{b} \text{ SC-AND } \text{c} < \text{d}) \text{ then } \text{x} = \text{y}; ]$



- If  $t = a < b$  is false, program branches to label L2

# How It Works

- For each boolean expression  $e$ , and  $b$  either true or false:

$T[ e, L, b ]$

is the code that computes  $e$  and branches to  $L$  if  $e$  evaluates to  $b$ , and falls through to the next sequential instruction on  $\neg b$

- Must redefine  $T[ s ]$  for if and while statements to use  $T[ e, L, b ]$  for Boolean expressions

# Define New Translations

- $T[ \text{if}(e) \text{ then } s1 \text{ else } s2 ]$

$T[ e, L, \text{false} ]$

$T[ s1 ]$

jump Lend

label L

$T[ s2 ]$

label Lend

- $T[ \text{if}(e) \text{ then } s ]$

$T[ e, L, \text{false} ]$

$T[ s ]$

label L

# While Statement

- $T[ \text{while } (e) s ]$

label Ltest

$T[ e, L, \text{false} ]$

$T[ s ]$

jump Ltest

label L

# SC-Boolean Expression Translations

- $T[ v, L, b ]$  : if  $b$  then tjump  $v$ ,  $L$  else fjump  $v$ ,  $L$
- $T[ !e, L, b ]$  :  $T[ e, L, !b ]$
- $T[ e1 \text{ SC-OR } e2, L, \text{true} ]$ 
  - $T[ e1, L, \text{true} ]$
  - $T[ e2, L, \text{true} ]$
- $T[ e1 \text{ SC-AND } e2, L, \text{false} ]$ 
  - $T[ e1, L, \text{false} ]$
  - $T[ e2, L, \text{false} ]$
- $T[ e1 \text{ SC-OR } e2, L, \text{false} ]$ 
  - $T[ e1, L_{\text{next}}, \text{true} ]$
  - $T[ e2, L, \text{false} ]$
  - label  $L_{\text{next}}$
- $T[ e1 \text{ SC-AND } e2, L, \text{true} ]$ 
  - $T[ e1, L_{\text{next}}, \text{false} ]$
  - $T[ e2, L, \text{true} ]$
  - label  $L_{\text{next}}$

# Eliminate Jumps to Unconditional Jumps

- Example

T[ if a then if b then c=d  
else e=f  
else g=h ]

fjump a L1

fjump b L2

c = d

jump Lend2

label L2

e = f

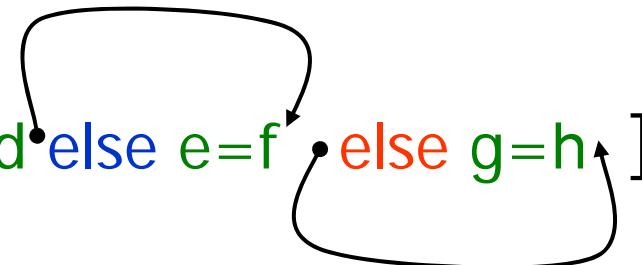
label Lend2

jump Lend1

label L1

g = h

label Lend1



# Eliminate Jumps to Unconditional Jumps

- Example

T[ if a then if b then c=d else e=f else g=h ]

fjump a L1

fjump b L2

c = d

jump Lend1

label L2

e = f

jump Lend1

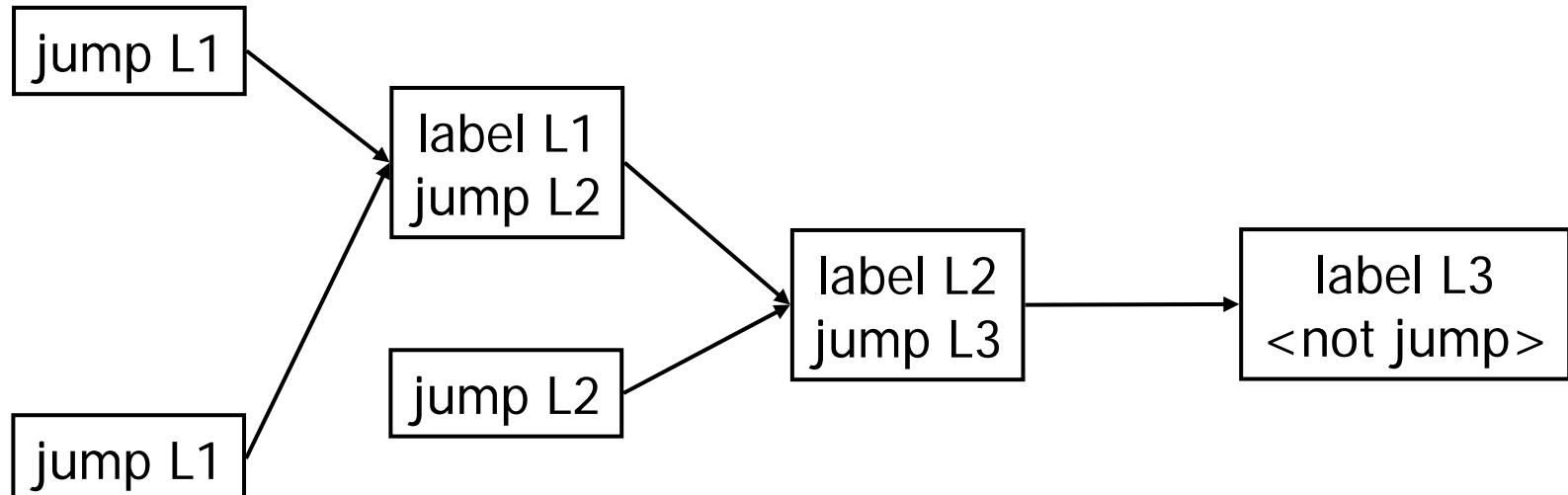
label L1

g = h

label Lend1

# Eliminate Jumps to Unconditional Jumps

- Each set of jumps to jumps that end in the same label form a tree (with the ultimate label as root)
- Traverse tree and retarget all jumps to the root label



# Eliminate Jumps to Jumps

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