



# CIS Partner Finding Social

Tuesday, February 4 Gates 310 and 3rd Floor Lounge

5-6 pm for 1000-2000 level classes 6-7pm for 3000+ level classes

#### Previous Lecture:

- Nesting if-statements
- Logical operators, short-circuiting
- Top-down design
- Today's Lecture:
  - Iteration using for
  - (at home) Watch MatTV episode "Troubleshooting for-loops"
- Announcements:
  - Discussion this week in the classrooms as listed in Student Center (Hollister 401)
  - Project I due tonight at I Ipm; late submission accepted until tomorrow I Ipm with 10% penalty
  - Read Insight §2.2 (or MatTV episode on while-loop) and Insight §3.2 before next lecture
  - Partner-finding social tonight at 5pm, Gates 3<sup>rd</sup> floor lounge

#### Question

A I meter-long stick is split into two pieces. The breakpoint is randomly selected. On average, how long is the shorter piece?



#### Question

A I meter-long stick is split into two pieces. The breakpoint is randomly selected (equally likely anywhere along the stick). On average, how long is the shorter piece?



Simulation:

use code to imitate the physical experiment

% one trial of the experiment breakPt= rand(); if breakPt < 0.5 shortPiece= breakPt; else shortPiece= 1 - breakPt; end % one trial of the experiment breakPt= rand(); shortPiece= min(breakPt, 1-breakPt);

Want to do many trials, add up the lengths of the short pieces, and then divide by the number of trials to get the average length.

Algorithm (bottom-up development)

Repeat many times:

```
% one trial of the experiment
breakPt= rand();
shortPiece= min(breakPt, 1-breakPt);
```

Take average

Print result

n= 10000; % number of trials
total= 0; % accumulated length so far

for k = 1:1:n % Repeat many times

% one trial of the experiment breakPt= rand(); shortPiece= min(breakPt, 1-breakPt); total= total + shortPiece;

end

```
avgLength= total/n; % Take average
fprintf('Average length is %f\n', ...
avgLength) % Print result
```

See stickExp.m , showForLoop.m

#### Syntax of the **for** loop



Loop header specifies all the values that the index variable will take on, one for each pass of the loop.

E.g, **k**= 3:1:7 means **k** will take on the values 3, 4, 5, 6, 7, one at a time.

for loop examples

```
for k = 2:0.5:3
     disp(k)
end
for k = 1:4
     disp(k)
end
for k = 0:-2:-6
     disp(k)
end
for k = 0:-2:-7
     disp(k)
end
for k = 5:2:1
     disp(k)
end
```

k takes on the values 2, 2.5, 3 Non-integer increment is OK

k takes on the values 1, 2, 3, 4Default increment is 1

**k** takes on the values 0, -2, -4, -6 "Increment" may be negative

**k** takes on the values 0, -2, -4, -6 Colon expression specifies *bounds* 

The set of values for k is the empty set: the loop body won't execute

#### Pattern for doing something *n* times



#### **Accumulation Pattern**

## Accumulator variable

% Average 10 numbers from user input

n= 10; % number of data values

total= 0; % current sum (initialized to zero)

for k = 1:n

% read and process input value num= input('Enter a number: '); total= total + num;

end

avg= total/n; % average of n numbers
fprintf('Average is %f\n', avg)

#### Example: "Accumulate" a solution

% Average 10 numbers from user input clear % clear workspace n= 10; % number of data values

```
for k = 1:n
% read and process input value
   num= input('Enter a number: ');
   total= total + num;
```

#### end

ave= total/n; % average of n numbers
fprintf('Average is %f\n', ave)

How many passes through the loop will be completed?



#### Remember to initialize

% Average 10 numbers from user input

```
n= 10; % number of data values
total= 0; % current sum (initialized to zero)
for k = 1:n
    % read and process input value
    num= input('Enter a number: ');
    total= total + num;
end
ave= total/n; % average of n numbers
fprintf('Average is %f\n', ave)
```

### Monte Carlo methods

- Derive a relationship between some desired quantity and a probability
- 2. Use simulation to estimate the probability
  - Computer-generated random numbers
- 3. Approximate desired quantity based on prob. estimate



#### Monte Carlo Approximation of $\pi$



Throw N darts

Sq. area =  $L \times L$ 

Circle area =  $\pi L^2/4$ 

Prob. landing in circle = (circle area)/(sq. area) =  $\pi/4$  $\cong N_{in}/N$ 

#### Monte Carlo Approximation of $\pi$



#### Throw *N* darts

$$\pi \cong \mathbf{4} \ \mathbf{N}_{in} \ \mathbf{/} \ \mathbf{N}$$

Monte Carlo Approximation of  $\pi$ 

For each of N trials Throw a dart If it lands in circle add 1 to total # of hits

Pi is 4\*hits/N

Monte Carlo  $\pi$  with N darts on L-by-L board

$$N = _;$$
  
for k = 1:N

end
myPi= 4\*hits/N;

