#### Previous Lecture:

- Acoustic data: frequency computation
- Touchtone phone

### Today's Lecture:

Search: Linear Search

Sort: Bubble Sort and Insertion Sort

Efficiency Analysis

#### Announcements:

 Prelim 3 scores will be posted on Sunday; paper will be returned next Tues

### Searching for an item in a collection

Is the collection organized? What is the organizing scheme?

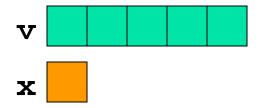


Indiana Jones and the Raiders of the Lost Ark

Lecture 24 3

## Searching for an item in an unorganized collection?

- May need to look through the whole collection to find the target item
- E.g., find value x in vector v



Linear search

Lecture 24

```
% f is index of first occurrence
% of value x in vector v.
% f is -1 if x not found.
k=1;
while k \le length(v) \&\& v(k) = x
    k = k + 1;
end
if k>length(v)
    f= -1; % signal for x not found
else
    f = k;
end
```

```
% Linear Search
% f is index of first occurrence
% of value x in vector v.
% f is -1 if x not found.
k=1;
while k \le length(v) \&\& v(k) = x
    k = k + 1;
end
if k>length(v)
    f= -1; % signal for x not found
else
    f = k;
                    12 | 35 | 33 | 15 | 42 | 45
end
```

Lecture 24

```
% Linear Search
% f is index of first occurrence
 of value x in vector v.
% f is -1 if x not found.
k=1;
while k \le length(v) \&\& v(k) = x
                                          A. squared
    k = k + 1;
end
                                          B. doubled
if k>length(v)
                                          C. the same
    f= -1; % signal for x not found
else
                                          D. halved
    f = k;
end
```

Suppose another vector is twice as long as v. The expected "effort" required to do a linear search is ...

```
% Linear Search
% f is index of first occurrence
% of value x in vector v.
% f is -1 if x not found.
k=1;
while k \le length(v) \&\& v(k) = x
    k = k + 1;
end
if k>length(v)
    f= -1; % signal for x not found
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% Linear Search
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if k>length(v)
    f= -1; % signal for x not found
else
    f = k;
                     12 | 15 | 33 | 35 | 42 | 45
end
                                    What if v is sorted?
                  \mathbf{X}
```

### Sorting data allows us to search more easily

Name

Jorge

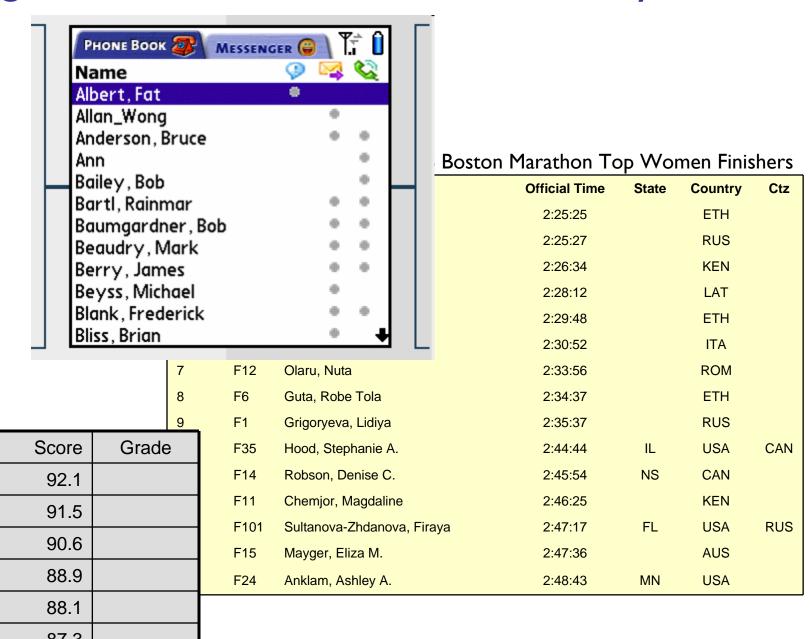
Ahn

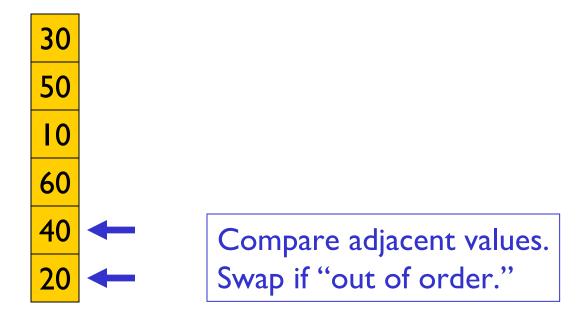
Chi

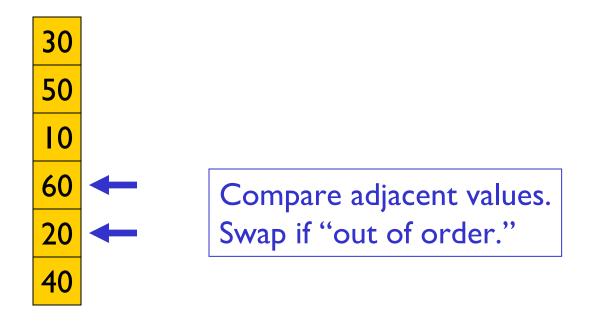
DAII

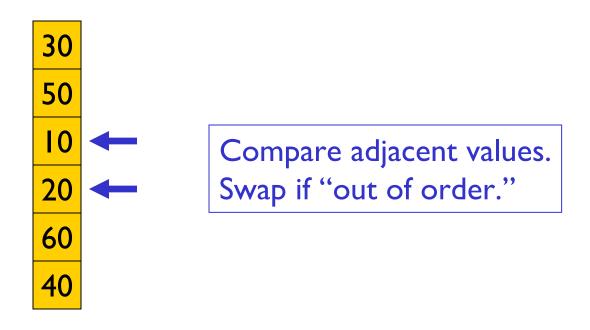
Oluban

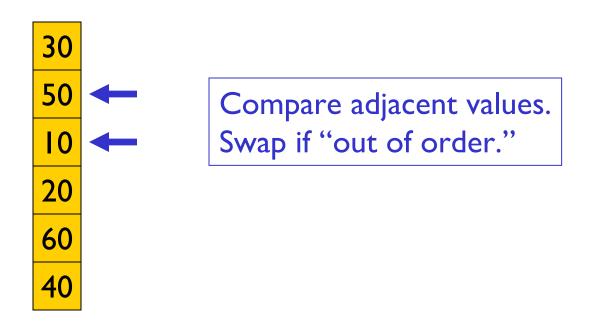
Minale

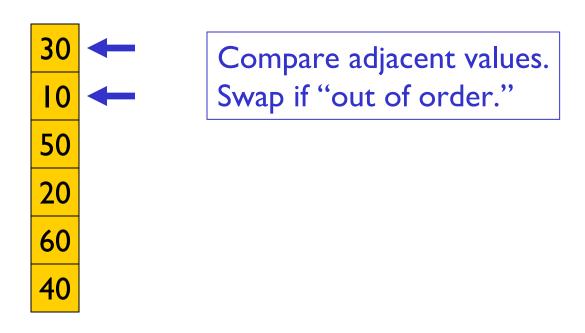










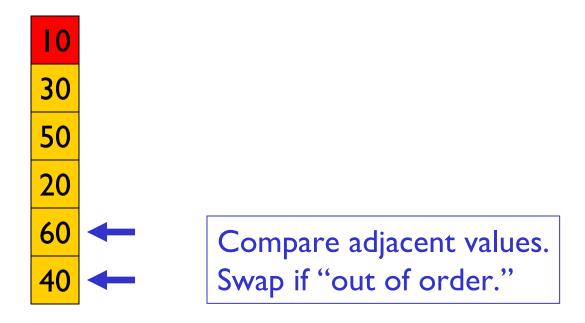


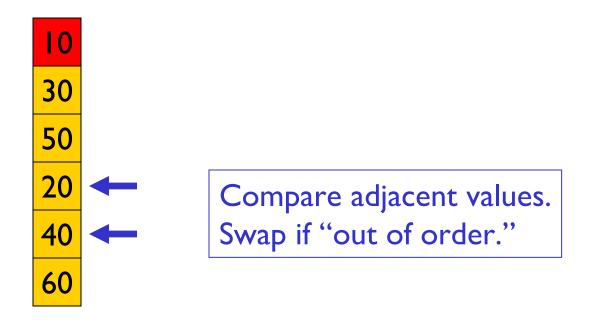


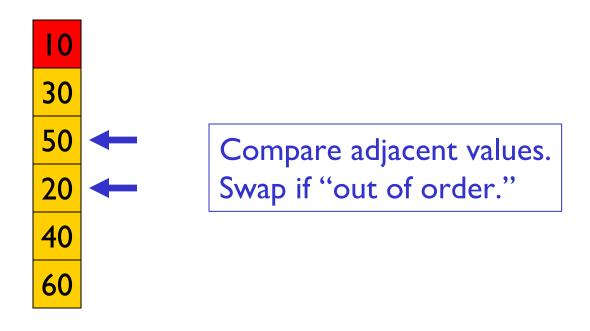
The smallest (lightest) value "bubbles" to the top

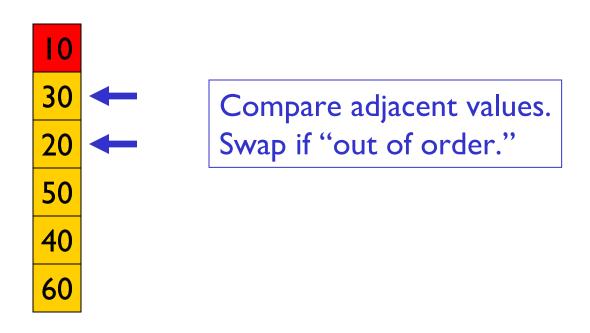
Done in one pass through the vector

Bubble.m











After two bubble processes, the first two components are sorted.

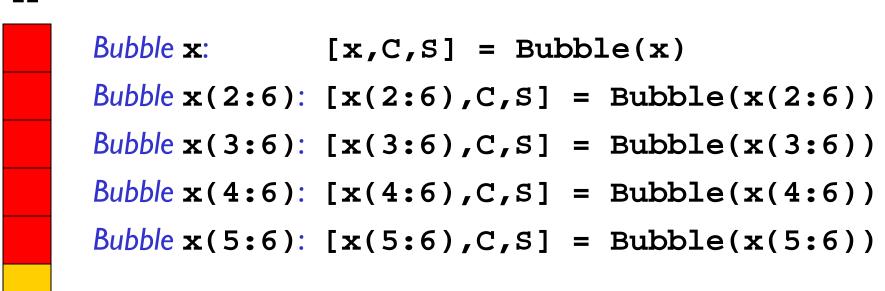
Repeatedly apply the bubble process to sort the whole array

# Sort vector x using the Bubble Sort algorithm

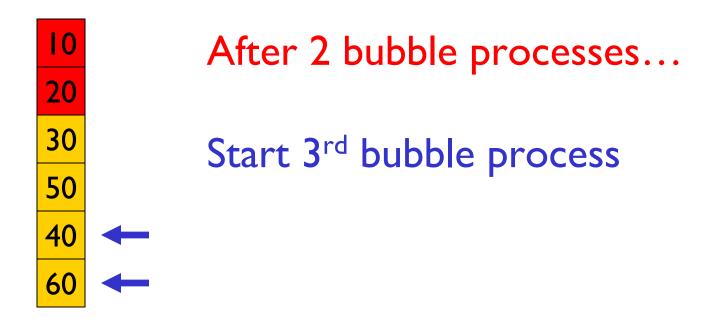
Apply Bubble to x: [x,C,S] = Bubble(x)

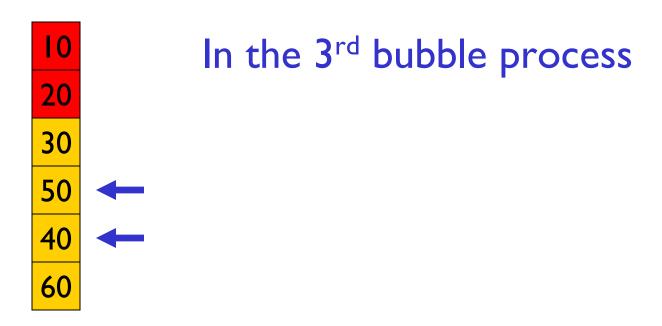
## Sort vector x using the Bubble Sort algorithm

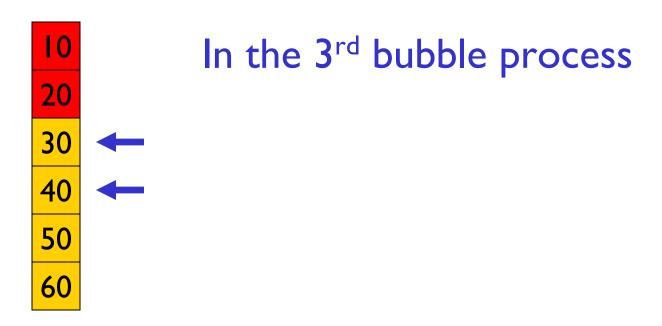
X

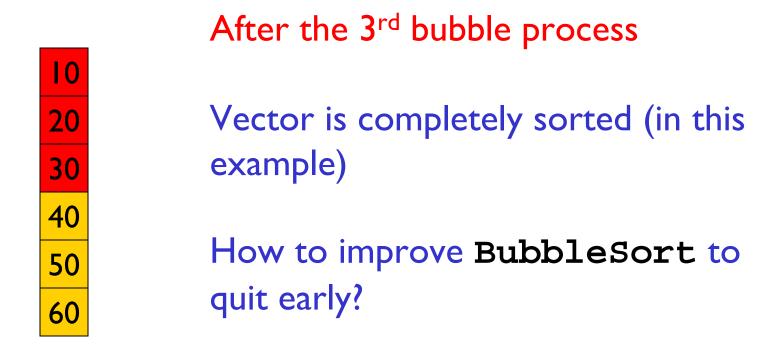


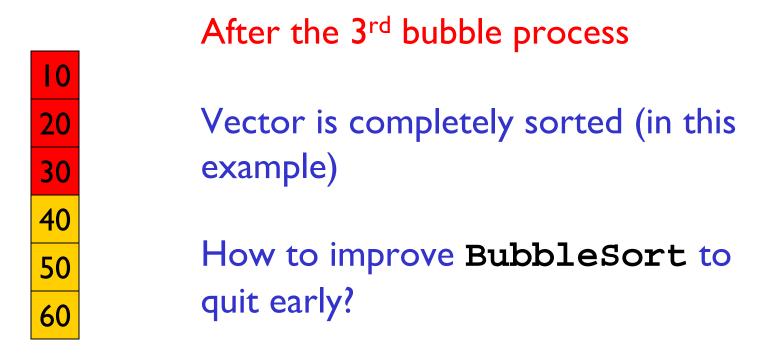
#### BubbleSort1.m









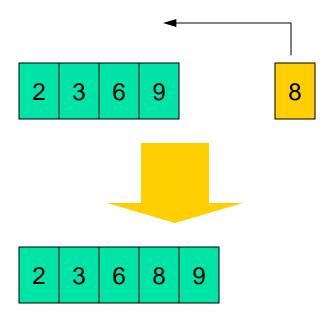


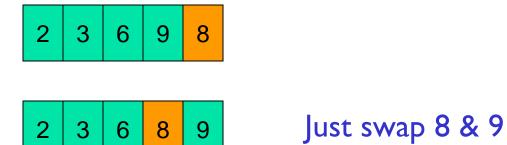
Keep track of the swaps! No swap is done when vector is sorted.

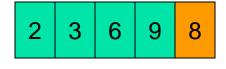
BubbleSort.m

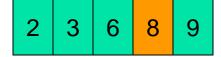
### The Insertion Process

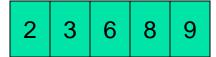
 Given a sorted array x, insert a number y such that the result is sorted

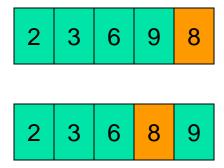






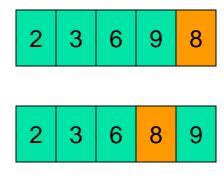


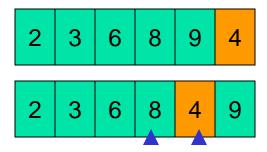




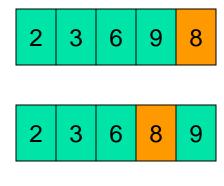


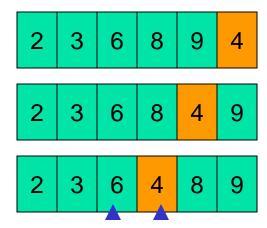
Compare adjacent components: swap 9 & 4



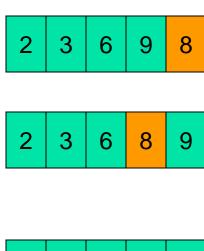


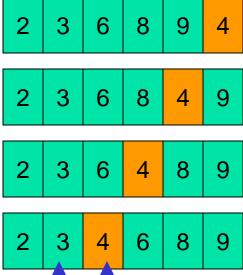
Compare adjacent components: swap 8 & 4





Compare adjacent components: swap 6 & 4





Compare adjacent components: DONE! No more swaps.

Insert.m

### Sort vector x using the Insertion Sort algorithm

Need to start with a sorted subvector. How do you find one?

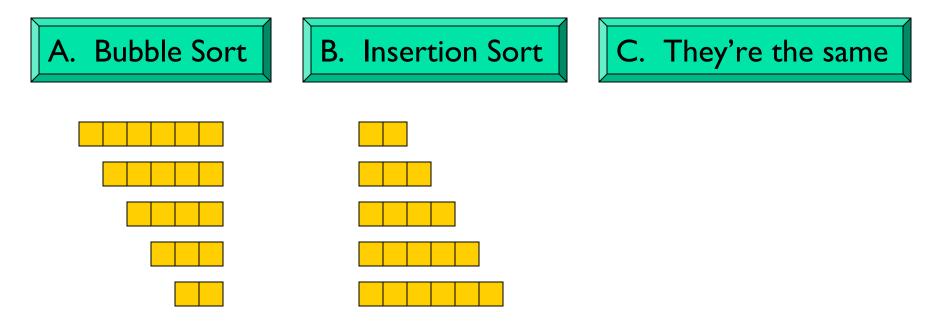
```
Length | subvector is "sorted"

| Insert x(2): [x(1:2),C,S] = Insert(x(1:2))
| Insert x(3): [x(1:3),C,S] = Insert(x(1:3))
| Insert x(4): [x(1:4),C,S] = Insert(x(1:4))
| Insert x(5): [x(1:5),C,S] = Insert(x(1:5))
| Insert x(6): [x(1:6),C,S] = Insert(x(1:6))
```

InsertionSort.m

### **Bubble Sort vs. Insertion Sort**

- Both involve comparing adjacent values and swaps
- On average, which is more efficient?



## Other efficiency considerations

- Worst case, best case, average case
- Use of subfunction incurs an "overhead"
- Memory use and access

- Example: Rather than directing the insert process to a subfunction, have it done "in-line."
- Also, Insertion sort can be done "in-place," i.e., using "only" the memory space of the original vector.

```
function x = insertSort(x)
% Sort vector x in ascending order with insertion sort
n = length(x);
for i= 1:n-1
        % Sort x(1:i+1) given that x(1:i) is sorted
```

end

```
function x = insertSort(x)
% Sort vector x in ascending order with insertion sort
n = length(x);
for i = 1:n-1
      % Sort x(1:i+1) given that x(1:i) is sorted
      j= i;
      need2swap=
      while need2swap
          % swap x(j+1) and x(j)
          j = j - 1;
          need2swap=
      end
```

end

```
function x = insertSort(x)
% Sort vector x in ascending order with insertion sort
n = length(x);
for i = 1:n-1
      % Sort x(1:i+1) given that x(1:i) is sorted
      j= i;
      need2swap= x(j+1) < x(j);
      while need2swap
          % swap x(j+1) and x(j)
          j = j - 1;
          need2swap= j>0 && x(j+1)< x(j);
      end
```

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end

```
function x = insertSort(x)
% Sort vector x in ascending order with insertion sort
n = length(x);
for i = 1:n-1
      % Sort x(1:i+1) given that x(1:i) is sorted
      j= i;
      need2swap= x(j+1) < x(j);
      while need2swap
          % swap x(j+1) and x(j)
            temp= x(j);
            x(j) = x(j+1);
            x(j+1) = temp;
          j = j - 1;
          need2swap= j>0 && x(j+1)< x(j);
      end
```

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end