

Application Directions

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Cloud Computing for the Smart Grid

Current target:

- ▶ High-throughput data from SCADA and PMUs
- ▶ Cloud-based collection, processing, archival
- ▶ And access to public sources (NOAA, USGS)?

One goal: Faster/cheaper versions of current applications.

Question: What new applications does this enable?

Challenges

- ▶ Current clouds \neq HPC clusters
 - ▶ More dynamic resource provisioning
 - ▶ Different failure model
 - ▶ High variance in effective latency
 - ▶ Good for pleasingly parallel vs. highly coupled
- ▶ High performance for coupled simulations is not trivial
 - ▶ See e.g. “Making Time-stepped Applications Tick in the Cloud” (SOCC 2011)
 - ▶ Trade-offs are evolving!

Killer apps?

- ▶ Grid radar: understand wide-area grid stress, disturbances
- ▶ Analysis apps: search past experiences, analyze current state, and explore “what-if” scenarios for future evolution
- ▶ Collaborative tools for operators
- ▶ Mining of realistic scenarios for education and research

Idea: Diagnostic Fingerprints

- ▶ Goal: Fast identification of relevant events
- ▶ Steady state fingerprints (now)
 - ▶ Measurement: Change in steady-state voltage
 - ▶ Events considered: Failure of one or two lines
 - ▶ Fingerprints derived computationally
- ▶ Transient fingerprints (next)
 - ▶ Measurement: Time-aligned windowed PMU transient data
 - ▶ Events considered: Line failures, problems in neighbors?
 - ▶ Fingerprints derived from computation or recordings

Steady state fingerprints

Concrete case: fingerprint for line failures in the network

- ▶ State: complex bus voltage vector v
- ▶ Fast observation: subset of voltage vector Ev
- ▶ Fingerprint: change $E\delta v$

Question: Can we find a line failure (ΔY) that explains $E\delta v$?

Steady state fingerprint test

Line (i, j) fails, $Y \mapsto Y + \Delta Y_{ij}$. Power flow equations:

$$A_{ij}\delta v = (A + U_{ij}CU_{ij}^T)\delta v = b_{ij} + O(\|\delta v\|^2)$$

where $U_{ij} \in \mathbb{R}^{n \times 4}$ and $b_{ij} \in \mathbb{R}^n$ are simple functions of (i, j) .

Linearize in δv to get fingerprint:

- ▶ Fingerprint: $E\delta v_{ij} = EA_{ij}^{-1}b_{ij}$.
- ▶ Fingerprint distance: $t_{ij} = \|E\delta v_{ij} - \delta v\|$

Computing t_{ij} may require two linear solves with A . Can avoid with cheap lower bounds (filtering).

Fingerprints for Transient Analysis

- ▶ Transients travel through network.
- ▶ PMUs can observe transients, create a fingerprint.
- ▶ Use fingerprint to analyze transient.
 - ▶ Have I seen something like this before?
 - ▶ What is its likely effect?
 - ▶ How quickly will it transit to a neighboring operator?
- ▶ Goal: Fast lookup for data streaming from GridCloud

Summary

- ▶ A smart grid cloud offers interesting application opportunities
 - ▶ High capacity for pleasingly parallel analysis
 - ▶ Responsive apps based on offline/online work split
 - ▶ Fingerprints and grid radar are one idea
 - ▶ Opportunities for more data fusion, data-driven models
- ▶ Synergy between platform and app development at Cornell

Questions

We need help to make our work relevant!

- ▶ What apps will actually excite power engineers?
- ▶ What are the reliability and noise characteristics of PMUs?
- ▶ What are test cases (topologies, PMU deployments, etc)?

My student coming to ISO-NE in fall to further this discussion.