CS6670: Computer Vision

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Lecture 14: Introduction to Recognition



Announcements

- Project 2 due Sunday at 11:59pm
 - Voting for artifacts will begin soon after

What do we mean by "object recognition"?

Next 15 slides adapted from Li, Fergus, & Torralba's excellent short course on category and object recognition



Verification: is that a lamp?



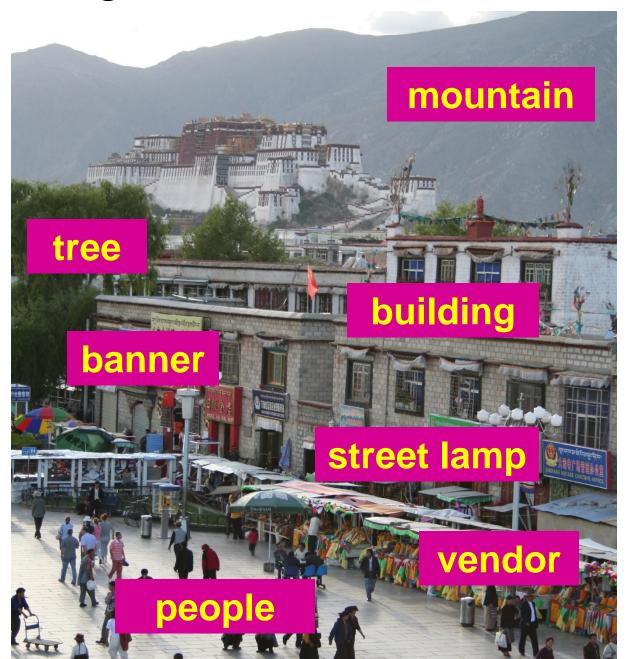
Detection: are there people?



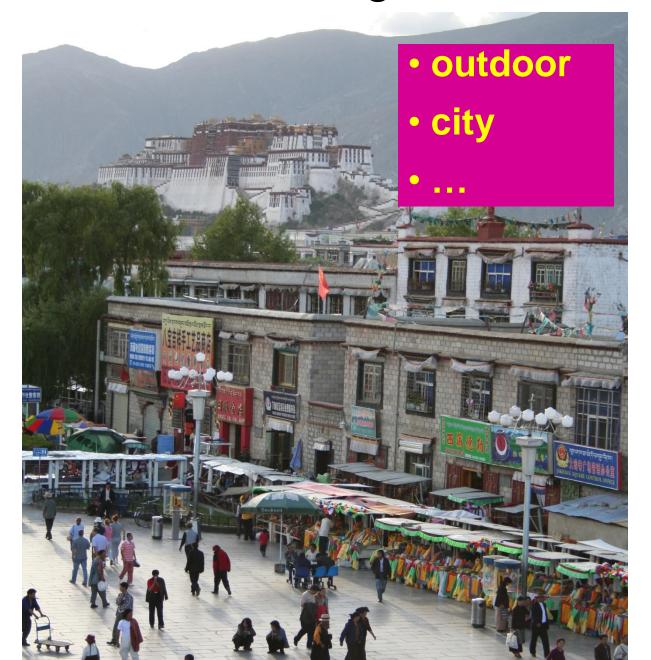
Identification: is that Potala Palace?



Object categorization



Scene and context categorization

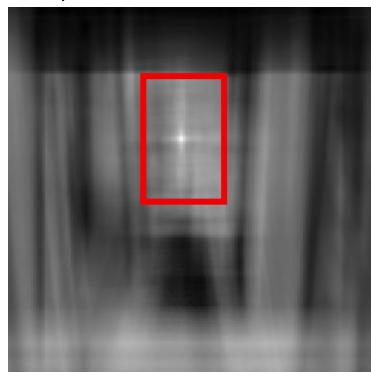


Object recognition Is it really so hard?

Find the chair in this image



Output of normalized correlation



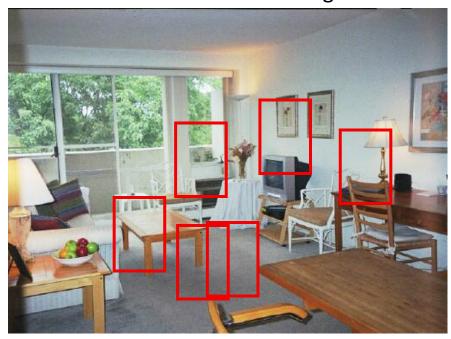
This is a chair

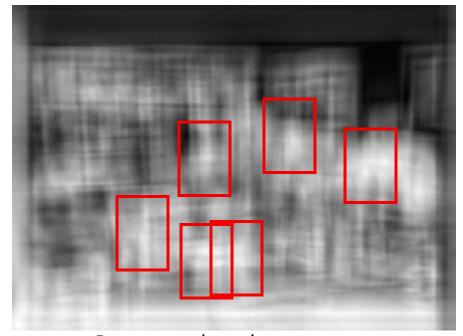




Object recognition Is it really so hard?

Find the chair in this image





Pretty much garbage
Simple template matching is not going to make it



Object recognition Is it really so hard?

Find the chair in this image





A "popular method is that of template matching, by point to point correlation of a model pattern with the image pattern. These techniques are inadequate for three-dimensional scene analysis for many reasons, such as occlusion, changes in viewing angle, and articulation of parts." Nivatia & Binford, 1977.

Why not use SIFT matching for everything?

Works well for object instances







Not great for generic object categories







Applications: Computational photography



Canon

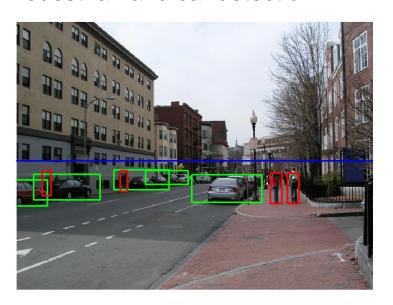


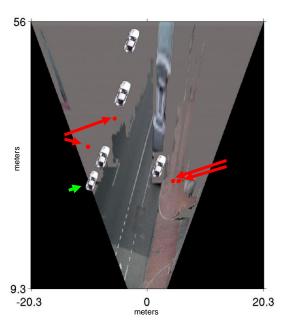


[Face priority AE] When a bright part of the face is too bright

Applications: Assisted driving

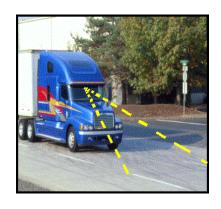
Pedestrian and car detection







Lane detection





- Collision warning systems with adaptive cruise control,
- Lane departure warning systems,
- Rear object detection systems,

Applications: image search



Search images

Places

<u>London</u> <u>New York</u> <u>Egypt</u> <u>Forbidden City</u>

Celebrities

Michael Jordan Angelina Jolie Halle Berry Seth Rogan Rihanna

Art

impressionism Keith Haring cubism Salvador Dalí pointillism

Shopping evening gown necklace shoes

Refine your image search with visual similarity

Similar Images allows you to search for images using pictures rather than words. Click the "Similar images" link under an image to find other images that look like it. Try a search of your own or click on an example below.

paris



Similar images



Similar images



Similar images



Similar images

temple



Similar images



Similar images



Similar images



Similar images

How do human do recognition?

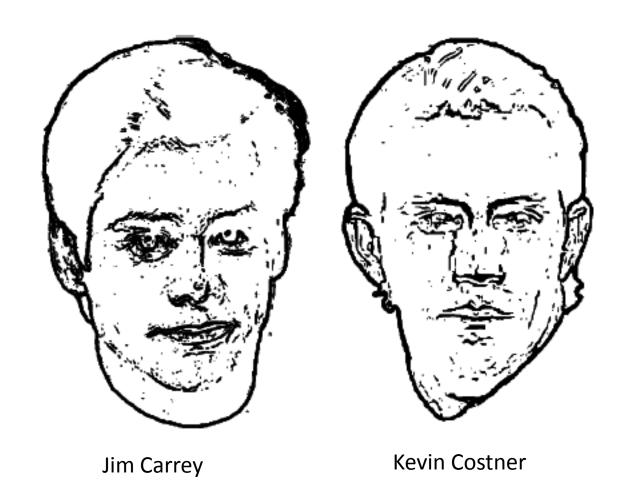
- We don't completely know yet
- But we have some experimental observations.

Observation 1



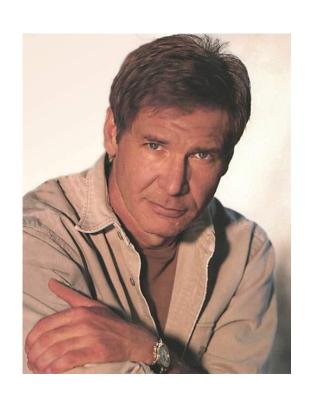
 We can recognize familiar faces even in lowresolution images

Observation 2:



• High frequency information is not enough

What is the single most important facial features for recognition?





Observation 4:



• Image Warping is OK

The list goes on

Face Recognition by Humans: Nineteen Results All Computer Vision Researchers Should Know About

 http://web.mit.edu/bcs/sinha/papers/19resul ts sinha etal.pdf

Let's start simple

- Today
 - skin detection
 - eigenfaces

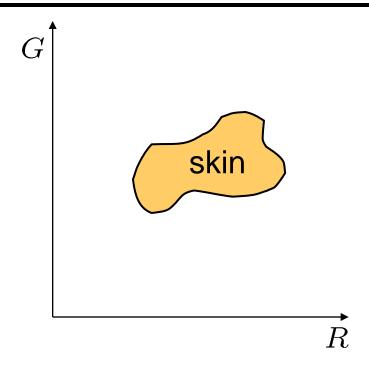
Face detection





Do these images contain faces? Where?

One simple method: skin detection



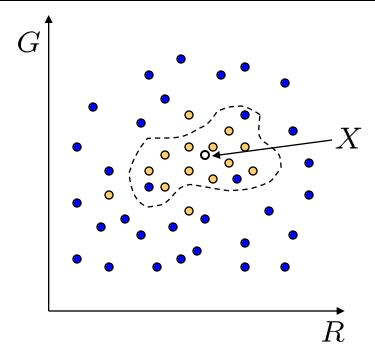
Skin pixels have a distinctive range of colors

- Corresponds to region(s) in RGB color space
 - for visualization, only R and G components are shown above

Skin classifier

- A pixel X = (R,G,B) is skin if it is in the skin region
- But how to find this region?

Skin detection



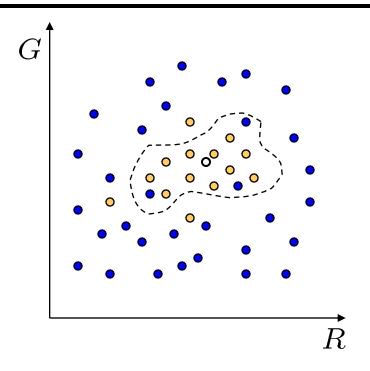
Learn the skin region from examples

- Manually label pixels in one or more "training images" as skin or not skin
- Plot the training data in RGB space
 - skin pixels shown in orange, non-skin pixels shown in blue
 - some skin pixels may be outside the region, non-skin pixels inside. Why?

Skin classifier

Given X = (R,G,B): how to determine if it is skin or not?

Skin classification techniques



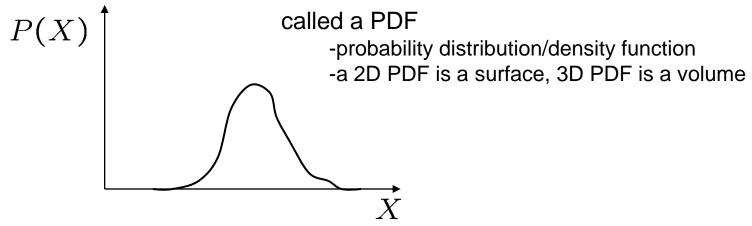
Skin classifier

- Given X = (R,G,B): how to determine if it is skin or not?
- Nearest neighbor
 - find labeled pixel closest to X
 - choose the label for that pixel
- Data modeling
 - fit a model (curve, surface, or volume) to each class
- Probabilistic data modeling
 - fit a probability model to each class

Probability

Basic probability

- X is a random variable
- P(X) is the probability that X achieves a certain value

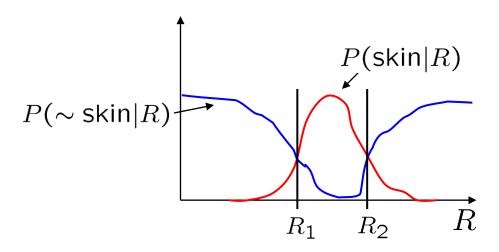


•
$$0 \le P(X) \le 1$$

•
$$\int_{-\infty}^{\infty} P(X)dX = 1$$
 or $\sum P(X) = 1$ continuous **X** discrete **X**

- Conditional probability: P(X | Y)
 - probability of X given that we already know Y

Probabilistic skin classification



Now we can model uncertainty

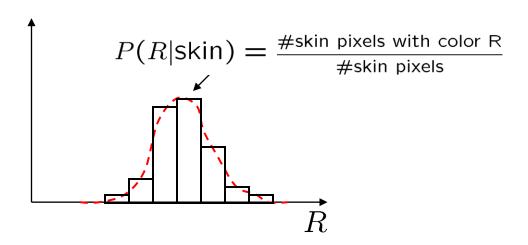
- Each pixel has a probability of being skin or not skin
 - $P(\sim \text{skin}|R) = 1 P(\text{skin}|R)$

Skin classifier

- Given X = (R,G,B): how to determine if it is skin or not?
- Choose interpretation of highest probability
 - set X to be a skin pixel if and only if $R_1 < X \le R_2$

Where do we get P(skin|R) and $P(\sim \text{skin}|R)$?

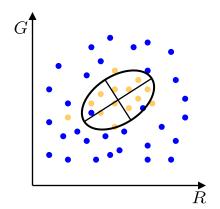
Learning conditional PDF's



We can calculate **P(R | skin)** from a set of training images

- It is simply a histogram over the pixels in the training images
 - each bin R_i contains the proportion of skin pixels with color R_i

This doesn't work as well in higher-dimensional spaces. Why not?

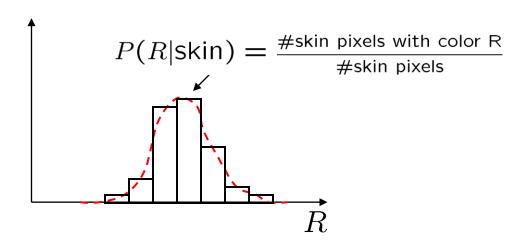


Approach: fit parametric PDF functions

- common choice is rotated Gaussian
 - center $\mathbf{c} = \overline{X}$
 - covariance $\sum_{X} (X \overline{X})(X \overline{X})^T$

» orientation, size defined by eigenvecs, eigenvals

Learning conditional PDF's



We can calculate **P(R | skin)** from a set of training images

- It is simply a histogram over the pixels in the training images
 - each bin R_i contains the proportion of skin pixels with color R_i

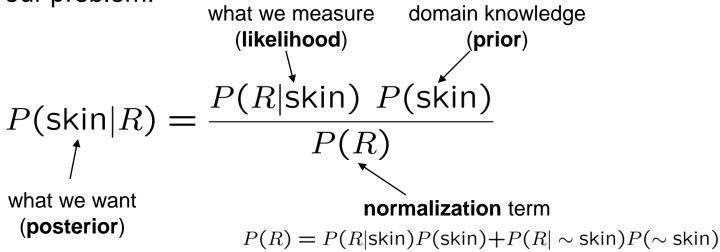
But this isn't quite what we want

- Why not? How to determine if a pixel is skin?
- We want P(skin | R), not P(R | skin)
- How can we get it?

Bayes rule

$$P(X|Y) = \frac{P(Y|X)P(X)}{P(Y)}$$

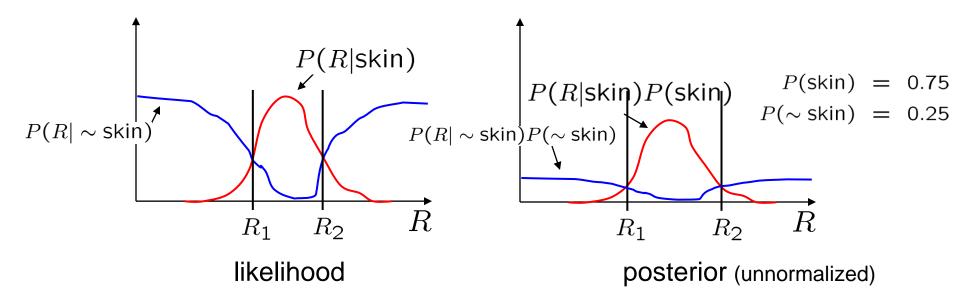
In terms of our problem:



The prior: **P(skin)**

- Could use domain knowledge
 - P(skin) may be larger if we know the image contains a person
 - for a portrait, P(skin) may be higher for pixels in the center
- Could learn the prior from the training set. How?
 - P(skin) could be the proportion of skin pixels in training set

Bayesian estimation



Bayesian estimation

= minimize probability of misclassification

- Goal is to choose the label (skin or ~skin) that maximizes the posterior
 - this is called Maximum A Posteriori (MAP) estimation
- Suppose the prior is uniform: P(skin) = P(~skin) = 0.5
 - in this case $P(\text{skin}|R) = cP(R|\text{skin}), P(\sim \text{skin}|R) = cP(R|\sim \text{skin})$
 - maximizing the posterior is equivalent to maximizing the likelihood
 - » $P(\text{Skin}|R) > P(\sim \text{Skin}|R)$ if and only if $P(R|\text{Skin}) > P(R|\sim \text{Skin})$
 - this is called Maximum Likelihood (ML) estimation

Skin detection results

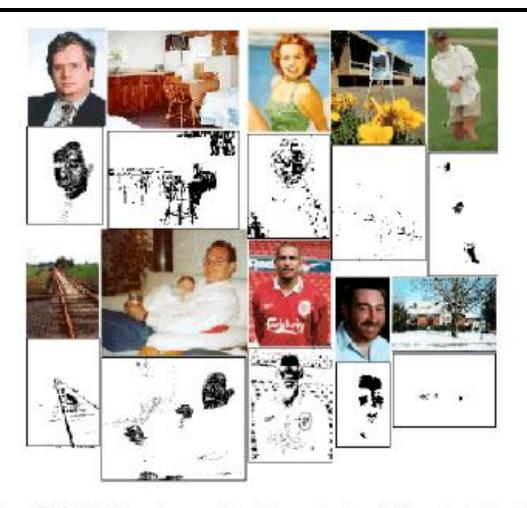
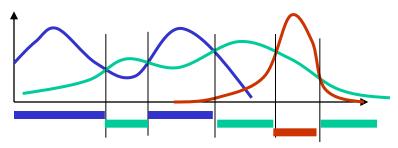


Figure 25.3. The figure shows a variety of images together with the output of the skin detector of Jones and Rehg applied to the image. Pixels marked black are skin pixels, and white are background. Notice that this process is relatively effective, and could certainly be used to focus attention on, say, faces and hands. Figure from "Statistical color models with application to skin detection," M.J. Jones and J. Rehg, Proc. Computer Vision and Pattern Recognition, 1999 © 1999, IEEE

General classification

This same procedure applies in more general circumstances

- More than two classes
- More than one dimension



Example: face detection

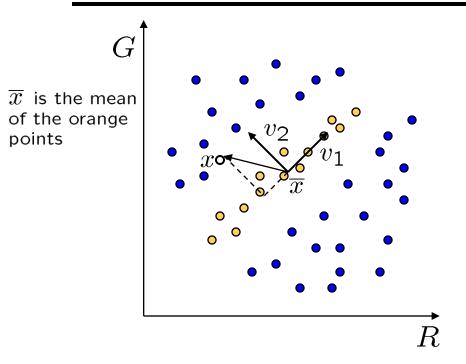
- Here, X is an image region
 - dimension = # pixels
 - each face can be thought of as a point in a high dimensional space



H. Schneiderman and T.Kanade

H. Schneiderman, T. Kanade. "A Statistical Method for 3D Object Detection Applied to Faces and Cars". IEEE Conference on Computer Vision and Pattern Recognition (CVPR 2000) http://www-2.cs.cmu.edu/afs/cs.cmu.edu/user/hws/www/CVPR00.pdf

Linear subspaces



convert \mathbf{x} into $\mathbf{v_1}$, $\mathbf{v_2}$ coordinates

$$\mathbf{x} \to ((\mathbf{x} - \overline{x}) \cdot \mathbf{v_1}, (\mathbf{x} - \overline{x}) \cdot \mathbf{v_2})$$

What does the \mathbf{v}_2 coordinate measure?

- distance to line
- use it for classification—near 0 for orange pts

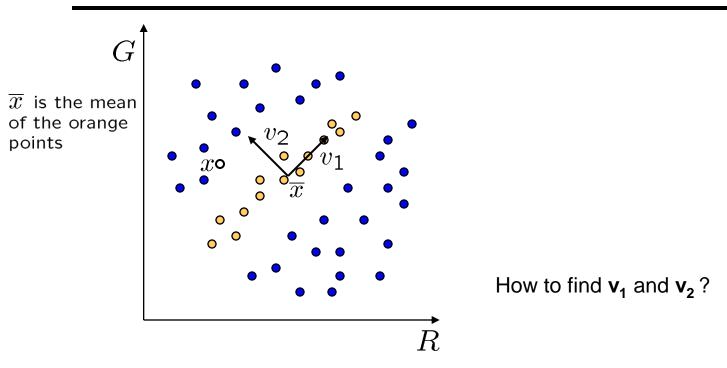
What does the **v**₁ coordinate measure?

- position along line
- use it to specify which orange point it is

Classification can be expensive

- Must either search (e.g., nearest neighbors) or store large PDF's Suppose the data points are arranged as above
 - Idea—fit a line, classifier measures distance to line

Dimensionality reduction

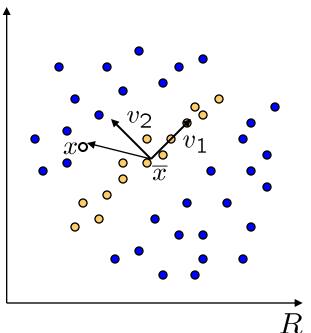


Dimensionality reduction

- We can represent the orange points with *only* their \mathbf{v}_1 coordinates
 - since v₂ coordinates are all essentially 0
- This makes it much cheaper to store and compare points
- A bigger deal for higher dimensional problems

Linear subspaces

 \overline{x} is the mean of the orange points



Consider the variation along direction **v** among all of the orange points:

$$var(\mathbf{v}) = \sum_{\text{orange point } \mathbf{x}} \|(\mathbf{x} - \overline{\mathbf{x}})^{\mathbf{T}} \cdot \mathbf{v}\|^2$$

What unit vector **v** minimizes *var*?

$$\mathbf{v}_2 = min_{\mathbf{v}} \{var(\mathbf{v})\}$$

What unit vector **v** maximizes *var*?

$$\mathbf{v}_1 = max_{\mathbf{v}} \{var(\mathbf{v})\}$$

$$\begin{split} \mathit{var}(\mathbf{v}) &= \sum_{\mathbf{x}} \| (\mathbf{x} - \overline{\mathbf{x}})^{\mathrm{T}} \cdot \mathbf{v} \|^2 \\ &= \sum_{\mathbf{x}} \mathbf{v}^{\mathrm{T}} (\mathbf{x} - \overline{\mathbf{x}}) (\mathbf{x} - \overline{\mathbf{x}})^{\mathrm{T}} \mathbf{v} \\ &= \mathbf{v}^{\mathrm{T}} \left[\sum_{\mathbf{x}} (\mathbf{x} - \overline{\mathbf{x}}) (\mathbf{x} - \overline{\mathbf{x}})^{\mathrm{T}} \right] \mathbf{v} \\ &= \mathbf{v}^{\mathrm{T}} \mathbf{A} \mathbf{v} \quad \text{where } \mathbf{A} = \sum_{\mathbf{x}} (\mathbf{x} - \overline{\mathbf{x}}) (\mathbf{x} - \overline{\mathbf{x}})^{\mathrm{T}} \end{split}$$

Solution: **v**₁ is eigenvector of **A** with *largest* eigenvalue **v**₂ is eigenvector of **A** with *smallest* eigenvalue

Principal component analysis

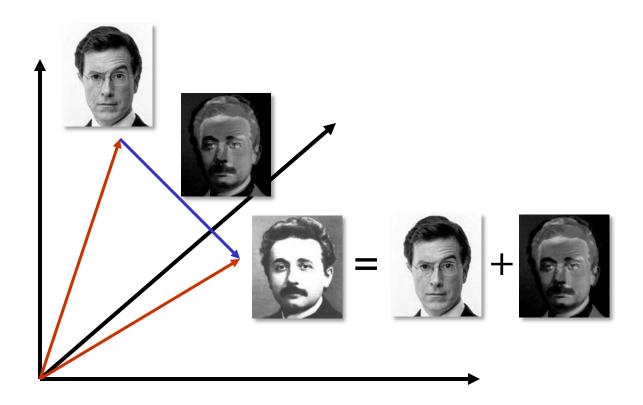
Suppose each data point is N-dimensional

Same procedure applies:

$$var(\mathbf{v}) = \sum_{\mathbf{x}} \|(\mathbf{x} - \overline{\mathbf{x}})^{\mathrm{T}} \cdot \mathbf{v}\|$$
$$= \mathbf{v}^{\mathrm{T}} \mathbf{A} \mathbf{v} \text{ where } \mathbf{A} = \sum_{\mathbf{x}} (\mathbf{x} - \overline{\mathbf{x}}) (\mathbf{x} - \overline{\mathbf{x}})^{\mathrm{T}}$$

- The eigenvectors of A define a new coordinate system
 - eigenvector with largest eigenvalue captures the most variation among training vectors x
 - eigenvector with smallest eigenvalue has least variation
- We can compress the data by only using the top few eigenvectors
 - corresponds to choosing a "linear subspace"
 - » represent points on a line, plane, or "hyper-plane"
 - these eigenvectors are known as the *principal components*

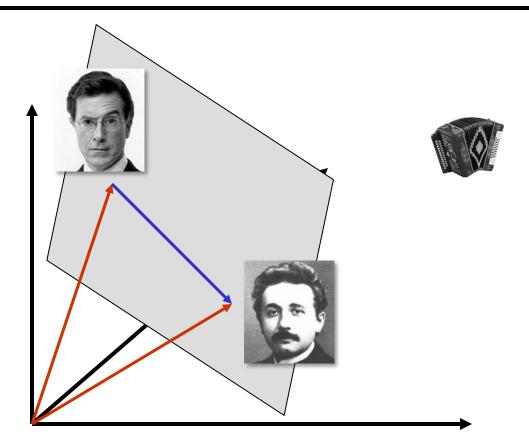
The space of faces



An image is a point in a high dimensional space

- An N x M intensity image is a point in R^{NM}
- We can define vectors in this space as we did in the 2D case

Dimensionality reduction



The set of faces is a "subspace" of the set of images

- Suppose it is K dimensional
- We can find the best subspace using PCA
- This is like fitting a "hyper-plane" to the set of faces
 - spanned by vectors v₁, v₂, ..., v_K
 - any face $\mathbf{x} \approx \overline{\mathbf{x}} + a_1 \mathbf{v_1} + a_2 \mathbf{v_2} + \ldots + a_k \mathbf{v_k}$