

Lecture 22: Image-based Rendering

Fall 2004
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Announcements

- In-class exam next week Nov 18th
 - Will post last year's exam on CMS
- HW 3
 - First, make it work
 - Then optimize
 - Use results reported as guide

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Complexity

- Lighting: many lights, environment maps
 - Global illumination, shadows
- Materials: BRDFs, textures
- Geometry: Level-of-detail, point-based representations
- All: image-based rendering

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Idea

- Can we use photographs?

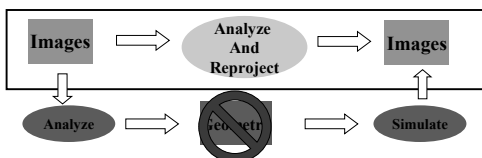


- Photographs capture
 - High geometric complexity
 - High lighting and material (BRDF) complexity
- How do we use them?

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Image-based Approaches

- Combine vision and graphics
- Given images and *some* geometry
 - Render new images from existing images
 - New idea: Image is input *and* rendering primitive
 - No (or very little) geometry recovery



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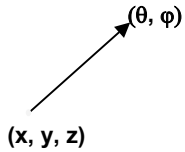
Pros

- Promising approach to handle complexity
- Benefits:
 - No labor-intensive modeling
 - Captures high geometric/material complexity
 - Rendering time constant: proportional to image size, independent of scene complexity

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The Plenoptic Function

- $P(x, y, z, \theta, \phi)$: radiance over all points in space and in all directions
 - 5D function: theoretical concept
- Why do we care? Rendering computes P

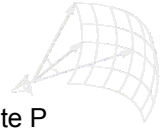


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Images are subset of P

- Think of an image in a new way!!!
- Image = radiance for each ray in image
 - = radiance through a collection of rays
 - = subset of plenoptic function P

- 1 Input image = subset of P
- Several input images approximate P
- All possible images = P



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IBR idea

- Idea: Replace scene by images
- Output: new viewpoint
 - Look up plenoptic fn. → look up input images
- What are the assumptions?
 - Existing scene
 - Static scene
 - Fixed lighting

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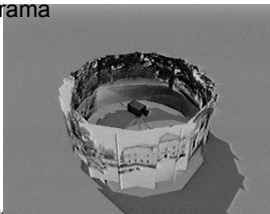
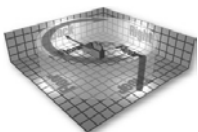
Approaches

- Systems that have no depth
 - Quicktime VR
 - Plenoptic Modeling
 - Lightfields/Lumigraphs
 - Image-based visual hulls
- Systems that have full geometry
 - Surface Lightfields
- Systems that have partial geometry: Image-Based Modeling
 - Façade
- Synthetic systems: impostors

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QuickTime VR

- Fixed viewpoint + full range of viewing directions (360°)
- Panoramic images:
 - Stitch image to form panorama
 - Can look around panorama



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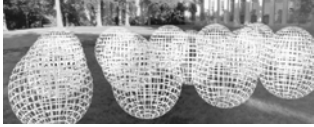
Quicktime VR

- Demo
- Pros
 - Simple, fast, effective
- Cons
 - Camera position is confined to predefined observer positions
 - Distortion when user deviates from position

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McMillan's IBR

- Input: set of images (panoramic)
- Output: images from new viewpoint
 - Removes constraint on new viewpoint position

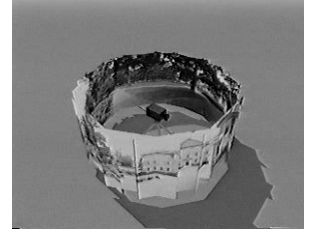


- How?
 - Reconstruct the plenoptic function from the images
 - Assumes depth/disparity information

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McMillan's IBR

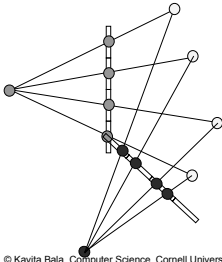
- Construct panorama from one viewpoint
- Collect many such panoramas



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Pixel Reprojection

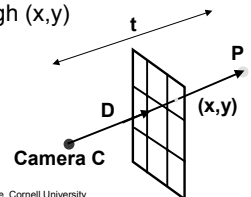
- Goal: Want image at new viewpoint
- Reproject points from input images



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Pixel Reprojection

- Assume have depth/disparity per pixel
- If pixel (x,y) sees point P ,
 - $P = C + t D$
 - C is camera position,
 - D is direction from C through (x,y)
 - t is distance along D



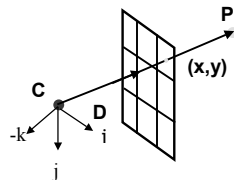
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Pixel Reprojection

- Direction D

$$D = C + x i + y j + d k$$

(x, y) = pixel



- C = camera center
- d = distance of image plane from C
- C, d are known

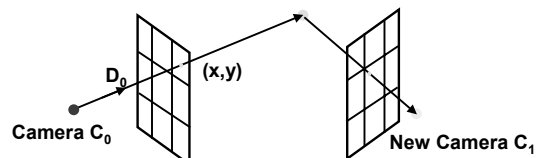
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Reprojection

$$P = C_0 + t_0 D_0(x,y)$$

$$C_0 + t_0 D_0 = C_1 + t_1 D_1$$

$$t_1 D_1 = (C_0 - C_1) + t_0 D_0$$



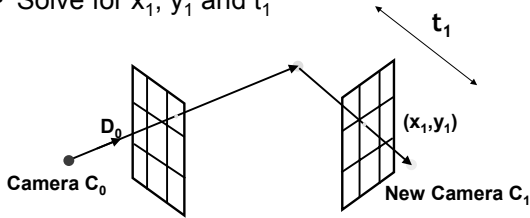
C_0, C_1, D_0, t_0 are known

$t_1 D_1$ defines the reprojected pixel

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Pixel Reprojection

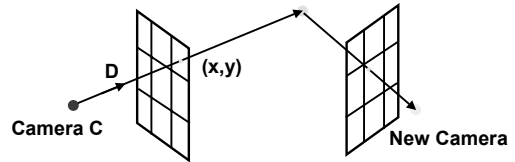
- $D_1 = C_1 + x_1 i + y_1 j + d_1 k$
- Solve for x_1, y_1 and t_1



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Pixel Reprojection

- Reproject points from input panoramas
 - Project points onto the new image plane
 - Color pixel upon intersection with new image plane



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Reprojection Example



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Problems with Reprojection

- Holes: Information in new view not in original (disocclusion)
- Solutions:
 - Interpolation
 - Multiple images
 - Re-render missing pixels (only for synthetic scenes!)



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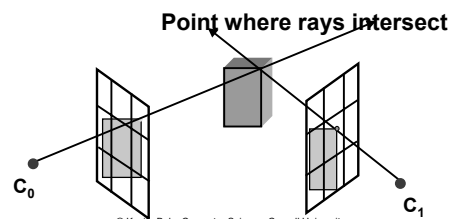
Problems with Reprojection

- Aliasing: pixels do not project to pixel centers
 - Solution: Splatting
- Multiple pixels project to same pixel in new view
 - Solution: z-buffer

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How to compute depth/disparity?

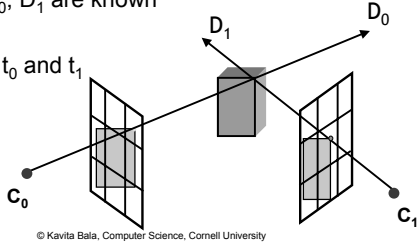
- Assumption: disparity is known
- Correspondences specified by user
- Recover point (depth/disparity)



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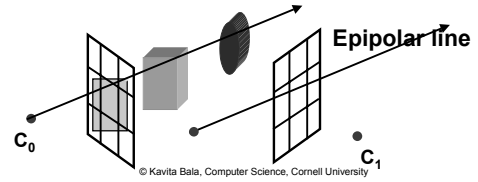
Computing depth/disparity

- $P = C_0 + t_0 D_0(x,y)$
- $C_0 + t_0 D_0 = C_1 + t_1 D_1$
- C_0, C_1, D_0, D_1 are known
- Solve for t_0 and t_1



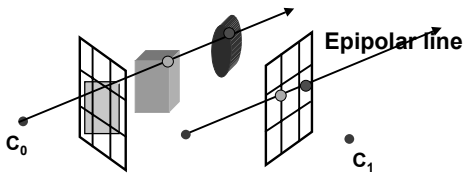
Epipolar geometry

- Specifying correspondence: tedious
- Disparity/depth recovery using epipolar geometry
- Ray corresponds to epipolar line in C_1 's image plane



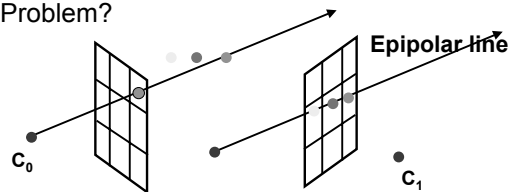
Epipolar geometry

- Different depths correspond to different points on epipolar line



Epipolar geometry

- We don't know depth, but we know the ray
- Given color at pixel (x,y) search along epipolar line for pixel of same color
- Find match, recover depth/disparity
- Problem?



Demo

- Cylindrical epipolar geometry

Plenoptic Issues

- Hard to get accurate depth/disparity
 - View-dependence
- From new viewpoints have holes to fill
 - Interpolation blurs

Lumigraph / Light field

- Idea: capture many photographs from different views

- No depth information

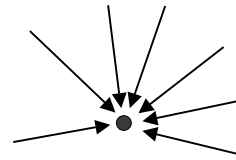


- Render image from new viewpoint using existing images
 - Have to lie outside object

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What is an image?

- Image = rays going through one point

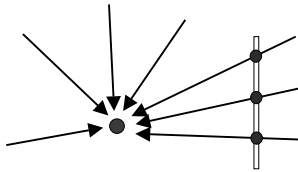


- Usually restricted to viewing frustum, but can also be panoramic

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What is an image?

- Image = rays going through 1 point + image plane

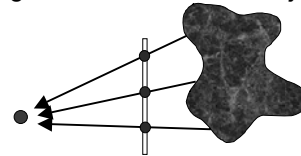


- 2D function (position on image plane)

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What is an object?

- Outgoing radiance field of an object

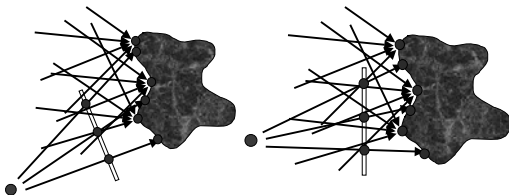


- Radiance varies at points on surface
 - 2D function (position on surface)
- Radiance varies in all directions
 - 2D function

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What is an object?

- All possible images of an object

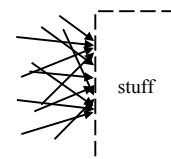


- We don't really need the object

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Replace object by images

- Object is only defined by its radiance field
- Images capture all information about object



- New viewpoint: look up appropriate images

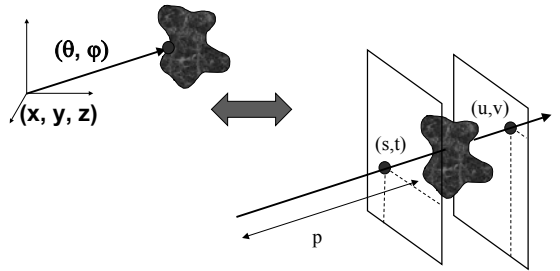
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Questions

- How to capture the input images?
- How to store the images efficiently for retrieval?
- How to render new images?

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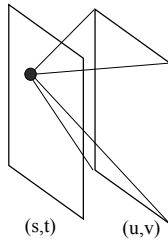
Rays: 2 plane parameterization



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Lumigraph organization

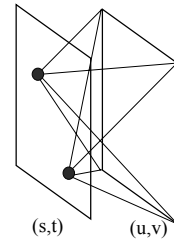
- Hold (s,t) constant: an image



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Lumigraph organization

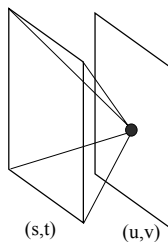
- Hold (s,t) constant: an image



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Lumigraph organization

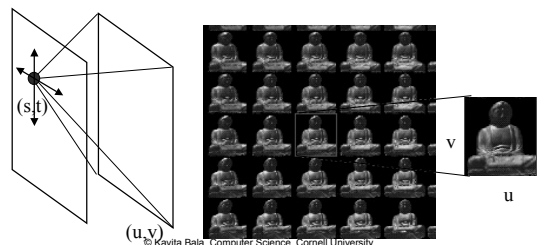
- Is this an image?



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LightField/Lumigraph Idea

- Move camera carefully in (s,t) plane
- Each image is a 2D slice of 4D function
- Hold (s,t) constant and get an image



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Fish LightField

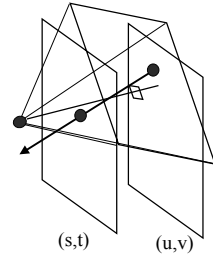
- Images are a database of rays
 - store in 4D array
- Demo (1,2)



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Lumigraph - rendering

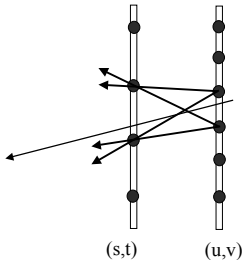
- Look for closest (s,t,u,v) tuple



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Lumigraph - rendering

- Interpolation of 16 values



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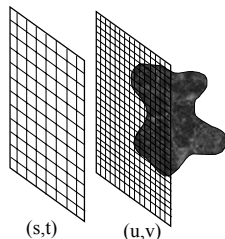
Lumigraph - rendering

- From the new viewpoint
 - Cast a ray for each pixel of image
 - Intersect it with the (s,t) and (u,v) plane
 - Find the closest (s,t) point as a reference image
 - Select closest (u,v) point (i.e., ray whose orientation is closest to desired orientation)
 - Do quadrilinear interpolation
- Demo 1
- Demo 2

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Lumigraph organization

- Higher resolution near object
 - captures texture
- Lower resolution far away
 - captures direction



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LightField/Lumigraph Pros/Cons

- Pros
 - No depth information at all
 - Interactive performance
- Cons
 - Lots of images!!! (w/ compression 100s MB)
 - Specialized hardware to compute images
 - Constrained to lie outside the object
 - Works for small objects
 - Blurry results

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