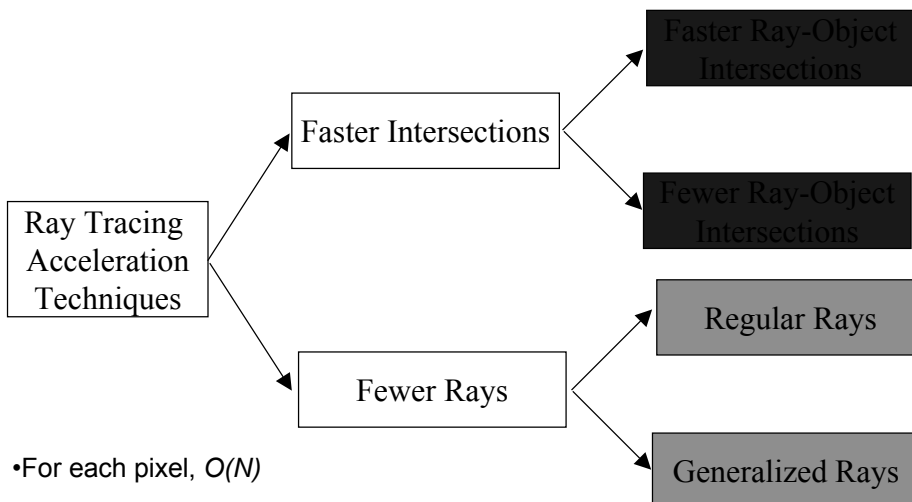


Lecture 13: Acceleration Structures

Fall 2004
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Computer Science
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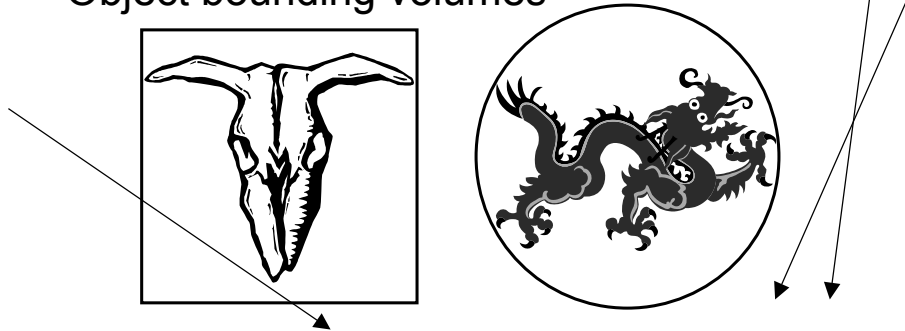
Making RT faster



- For each pixel, $O(N)$
- For each light, k shadow rays
- For GI and antialiasing: many rays per pixel

Faster Ray-Object Intersections

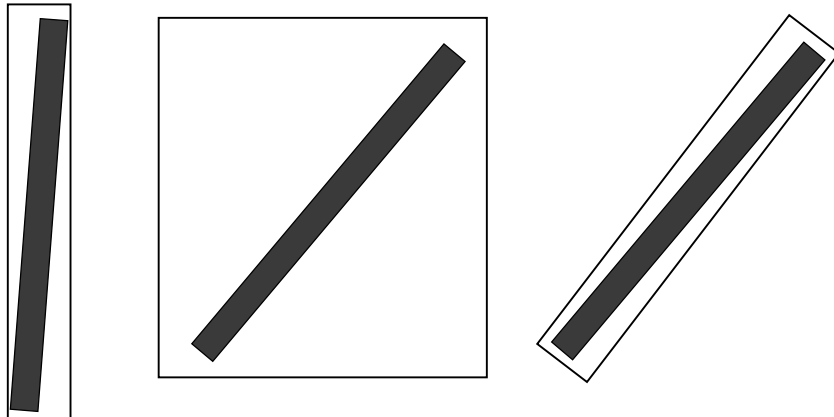
- Object bounding volumes



- Avoid intersection tests for expensive objects: e.g., polygon sets, spline surfaces
 - Ray/sphere or ray/cuboid test is fast

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Tight Fit to Bounding Volume



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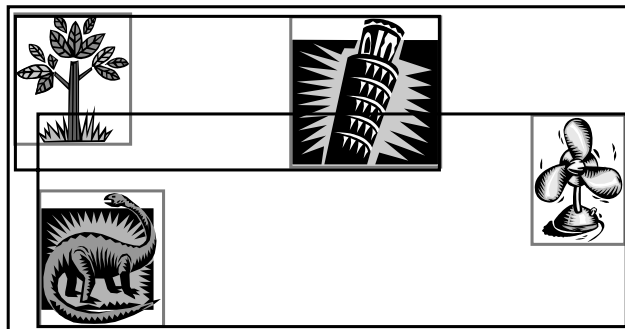
Fewer Ray-Object Intersections

- From $O(N)$ to $O(\log N)$
- How?
 - Apply the idea of bounding boxes hierarchically
 - Cluster objects hierarchically
 - Single intersection might eliminate cluster
- Bounding volume hierarchy
- Space subdivision
 - Octree, Kd-tree, BSP-trees

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Bounding Volume Hierarchy

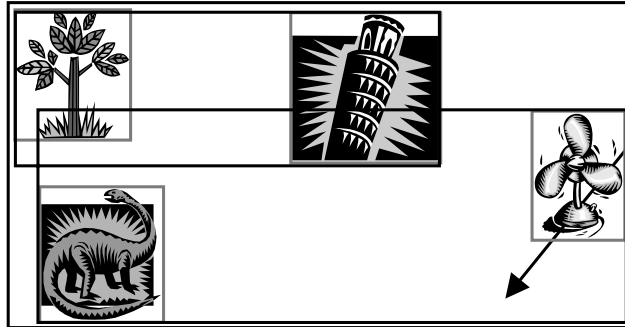
- Hierarchical object bounding volumes
- Spheres, axis-aligned bounding boxes (AABB), oriented bounding boxes(OBB): fast



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Intersection Acceleration

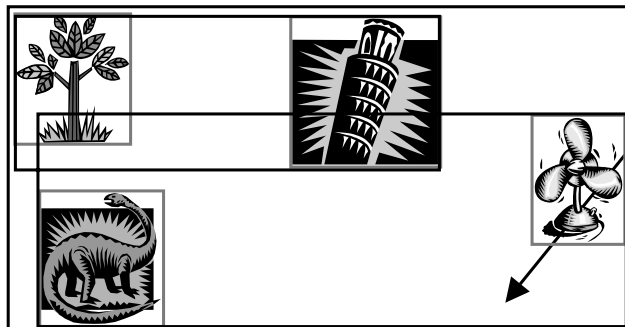
- Trace ray against root node
- If ray intersects node
 - Trace ray against ALL children (Recurse)



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Intersection Acceleration

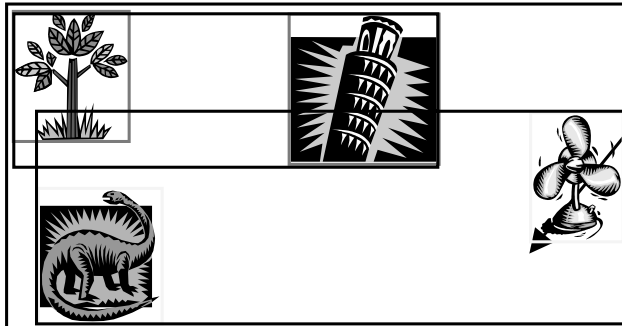
- Trace ray against root node
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Intersection Acceleration

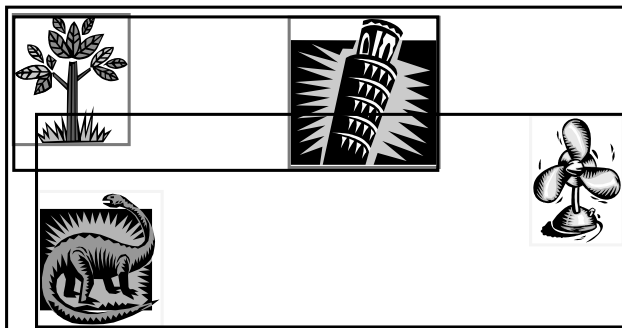
- If no intersection, eliminate tests with all children!



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BVH: Construction

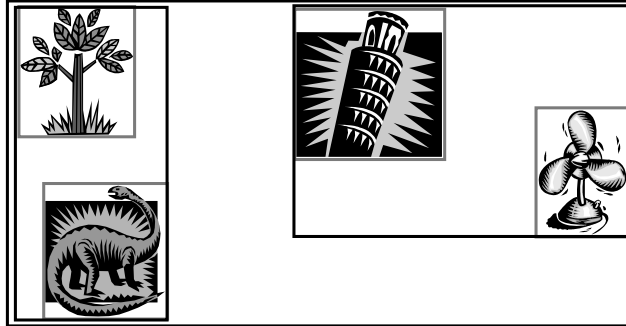
- Group objects together
 - Top-down: how to split?
 - Bottom-up: minimize surface area?



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BVH: Construction

- Group objects together
 - Top-down: how to split?
 - Bottom-up: minimize surface area?



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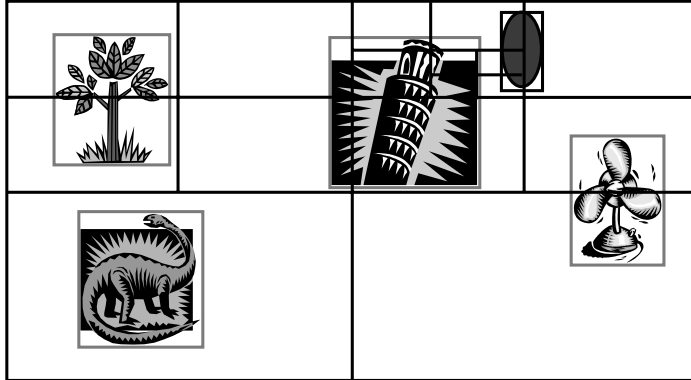
Fewer Ray-Object Intersections

- From $O(N)$ to $O(\log N)$
- Bounding volume hierarchy
- Space subdivision
 - Octree (Quadtree in 2D)
 - Non-uniform (kd-tree)
 - BSP-tree

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Spatial Hierarchy

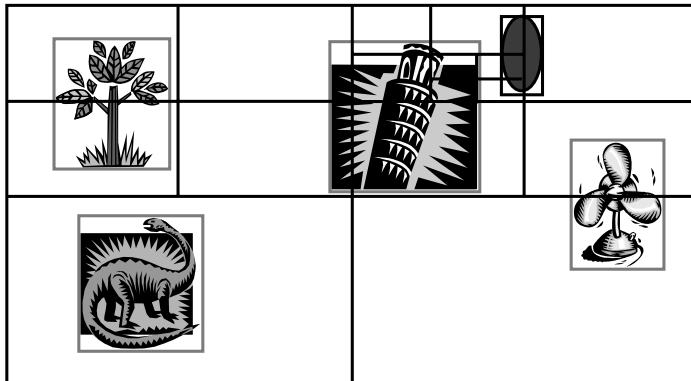
- Hierarchical spatial subdivision
 - Divides up space
- Children are distinct and cover parent



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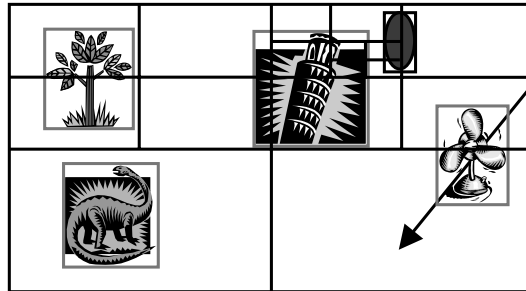
Construction

- Maximum depth
- Maximum number of elements in leaf



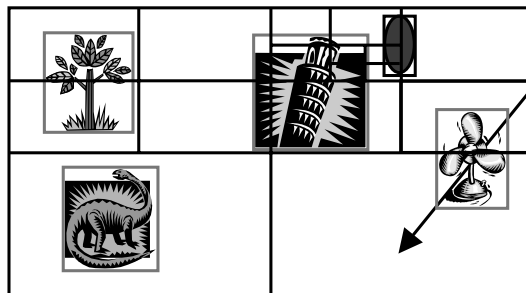
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Intersection Acceleration



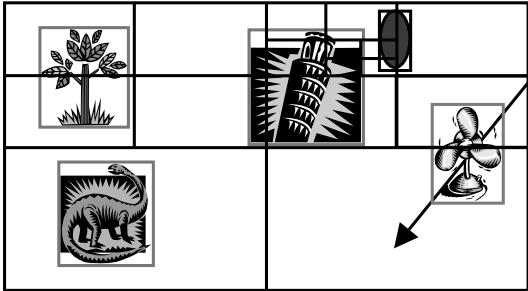
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Intersection Acceleration



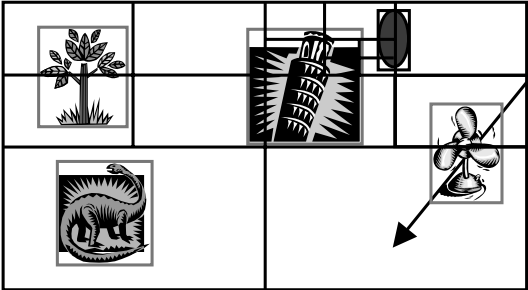
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Intersection Acceleration



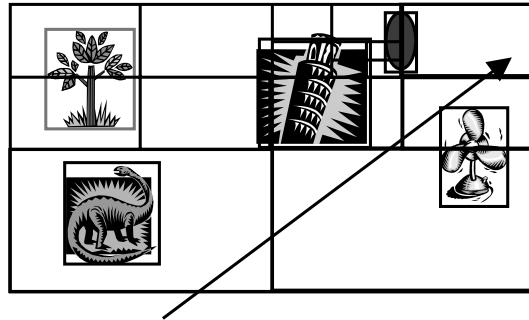
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Intersection Acceleration



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Intersection Acceleration



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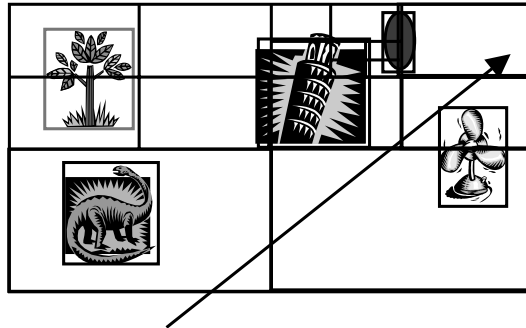
Intersection Acceleration

1. Intersect ray with root: $p = \text{root.intersect}(\text{ray})$
 - If no intersection, done
2. Find p in tree (node $j = \text{root.find}(p)$)
3. Test ray against elements in node j
 - If intersection found, done
 - Else find exit point (q) from node j , $p = q$, goto 2

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Octree Properties

- Front to back traversal
- Problem: Same object in multiple cells
 - Split object
 - Could repeatedly intersect: use mailboxes



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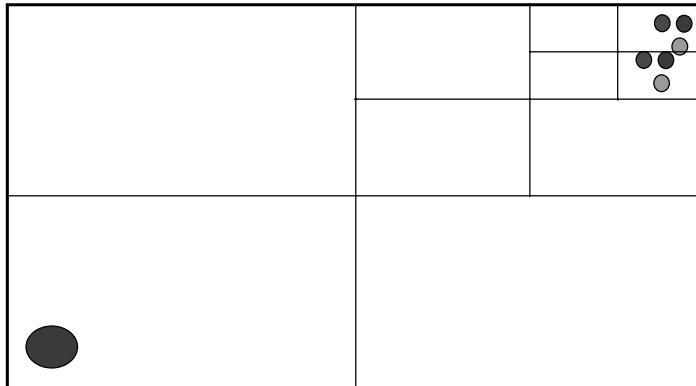
Solutions

- Split object
 - No repeated intersections and correct
 - But, could create lots of little objects
- Use mailboxes
 - Store intersection in the object: avoids repeated intersection
 - What about correctness?
 - Need to check that intersection is in “current” bounding box

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Octree Problems

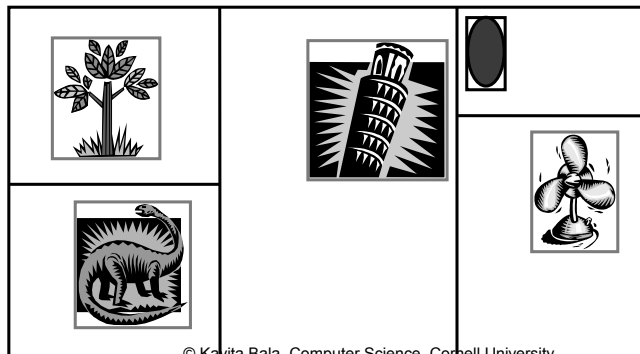
- Distribution of objects
- Chops up objects



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K-dimensional (kd) Tree

- Spatial subdivision
 - Subdivide only 1 dimension
 - Do not subdivide at the center
- Tracing with kd-tree unchanged



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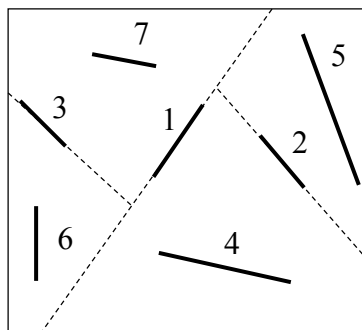
Construction

- Which axis to pick?
- What point on the axis to pick?
- One heuristic:
 - Sort objects on each axis
 - Pick point corresponding to “middle” object
 - Pick axis that has “best” distribution of objects
 - $L = n/2$, $R = n/2$ (ideal)
 - Realistically,
 - minimize $(L-R)$ and
 - L approx. $n/2$, R approx. $n/2$

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BSP Tree

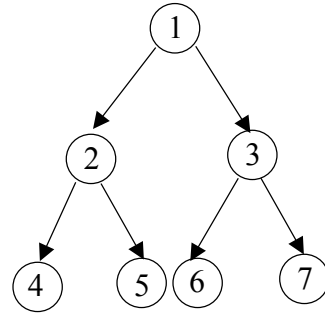
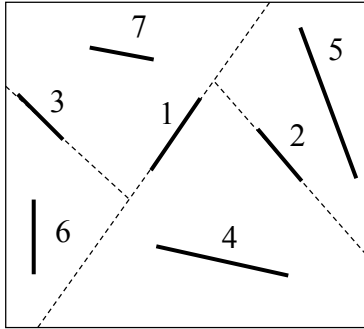
- Generalization of kd-trees
- Splitting plane is not axis aligned
- Used in games: DOOM



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BSP Construction

- Use a polygon to define the splitting plane
- Other objects either split or stored high up



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How to construct?

- Least-crossed criterion (random selection of polygons)
 - Do not split many polygons
- Try to make it balanced

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BSP Traversal

- Front to back ordering
- Strict occlusion order (not closest object)

