CS 5740: Natural Language Processing

Transformers

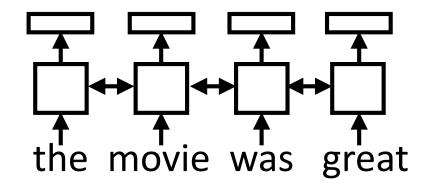
Instructor: Yoav Artzi

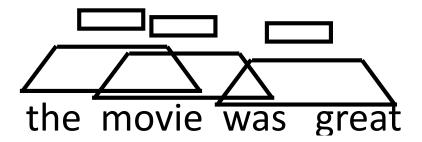
Overview

- Motivation
- Transformers and self-attention

Encoders

- RNN: map each token vector a new context-aware token using a autoregressive sequential process
- CNN: similar outcome, but with local context using filters
- Attention can be an alternative method to generate context-dependent embeddings





LSTM/CNN Context

What context do we want token embeddings to take into account?

The ballerina is very excited that she will dance in the show.

- What words need to be used as context here?
 - Pronouns context should be the antecedents (i.e., what they refer to)
 - Ambiguous words should consider local context
 - Words should look at syntactic parents/children
- Problem: RNNs (i.e., LSTMs) and CNNs fail to do this

LSTM/CNN Context

Want:

The ballerina is very excited that she will dance in the show.

LSTMs/CNNs: tend to be local



The ballerina is very excited that she will dance in the show.

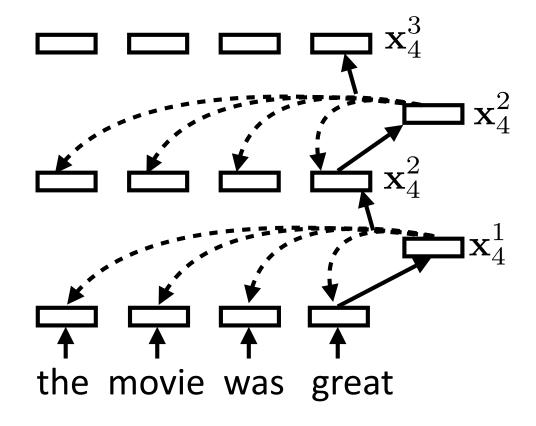
 To appropriately contextualize, need to pass information over long distances for each word

Self-attention

- Each word is a query to form attention over all tokens
- This generates a context-dependent representation of each token: a weighted sum of all tokens
- The attention weights dynamically mix how much is taken from each token
- Can run this process iteratively, at each step computing self-attention on the output of the previous level

Self-attention

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Self-attention

k: level number

X: input vectors

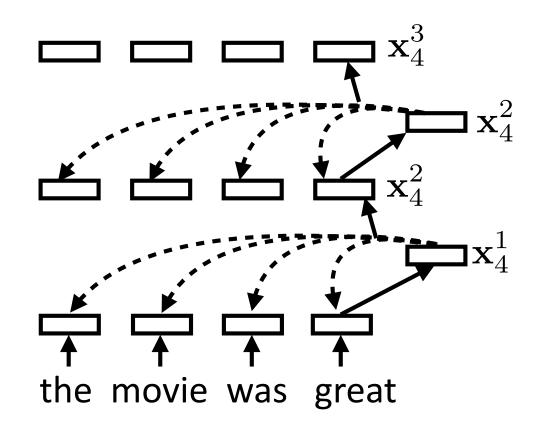
$$X = \mathbf{x}_1, \dots, \mathbf{x}_n$$

$$\mathbf{x}_i^1 = \mathbf{x}_i$$

$$\bar{\alpha}_{i,j}^k = \mathbf{x}_i^{k-1} \cdot \mathbf{x}_j^{k-1}$$

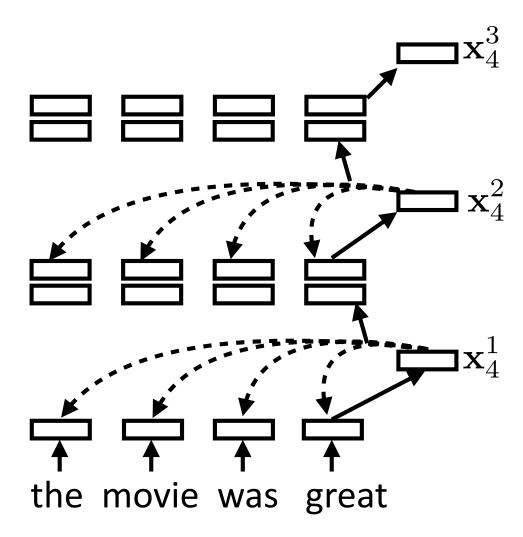
$$\alpha_i^k = \operatorname{softmax}(\bar{\alpha}_{i,1}^k, \dots, \bar{\alpha}_{i,n}^k)$$

$$\mathbf{x}_i^k = \sum_{i=1}^n \alpha_{i,j}^k \mathbf{x}_j^{k-1}$$



Multiple Attention Heads

- Multiple attention heads can learn to attend in different ways
- Why multiple heads? Softmax operations often end up peaky, making it hard to put weight on multiple items
- Requires additional parameters to compute different attention values and transform vectors
- Analogous to multiple convolutional filters



Multiple Attention Heads

k: level number

L: number of heads

X: input vectors

$$X = \mathbf{x}_1, \dots, \mathbf{x}_n$$

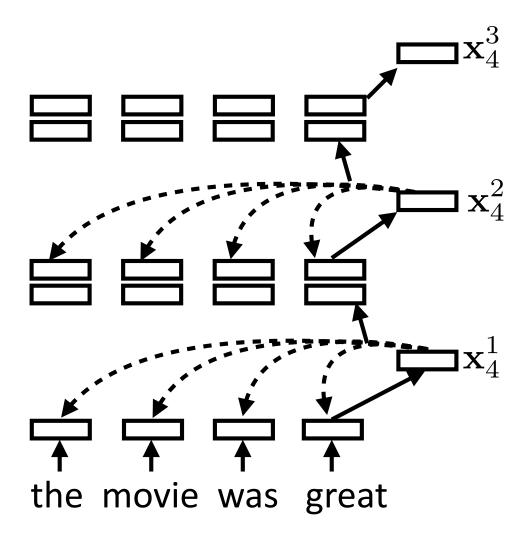
$$\mathbf{x}_i^1 = \mathbf{x}_i$$

$$\bar{\alpha}_{i,j}^{k,l} = \mathbf{x}_i^{k-1} \mathbf{W}^{k,l} \mathbf{x}_j^{k-1}$$

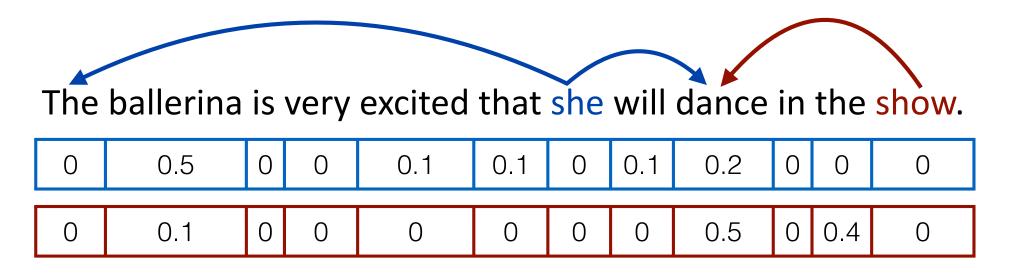
$$\alpha_i^{k,l} = \operatorname{softmax}(\bar{\alpha}_{i,1}^{k,l}, \dots, \bar{\alpha}_{i,n}^{k,l})$$

$$\mathbf{x}_{i}^{k,l} = \sum_{i=1}^{n} \alpha_{i,j}^{k,l} \mathbf{x}_{j}^{k-1}$$

$$\mathbf{x}_i^k = \mathbf{V}^k[\mathbf{x}_i^{k,1}; \dots; \mathbf{x}_i^{k,L}]$$



What Can Self-attention do?



- Attend to nearby related terms
- But just the same to far semantically related terms

Details Details

- This is the basic building block of an architecture called Transformers
- There are many details to get it to work, see Vaswani et al. 2017, later work, and available implementations
- Significant improvements for many tasks, including machine translation (Vaswani et al. 2017) and context-dependent pre-trained embeddings (BERT; Devlin et al. 2018)