

# CS5670: Computer Vision

## Convolutional neural networks

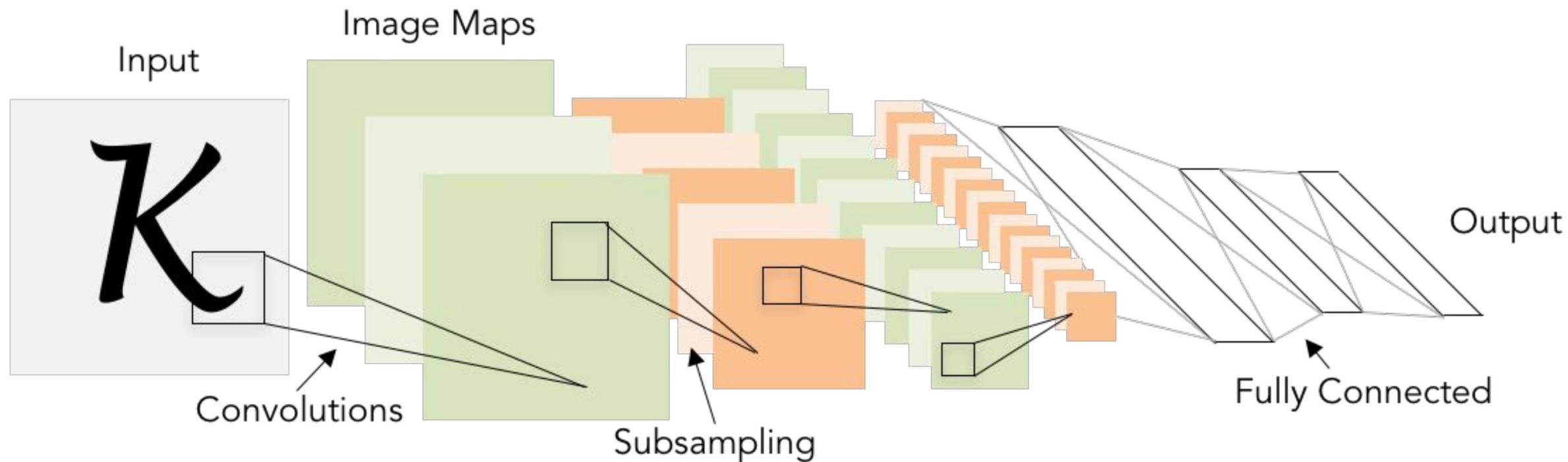


Illustration of LeCun et al. 1998 from CS231n 2017 Lecture 1

# Announcements

- Monday is a Wellness Day
- Project 5: **\*New\*** To be assigned Wednesday, April 28, due Tuesday, May 11
- By a large majority, respondents preferred original final exam time: assigned Wednesday, May 12, 2021; due Monday, May 17, 2021
- Sample final exam to be released soon

# Readings

- Neural networks
  - <http://cs231n.github.io/neural-networks-1/>
  - <http://cs231n.github.io/neural-networks-2/>
  - <http://cs231n.github.io/neural-networks-3/>
  - <http://cs231n.github.io/neural-networks-case-study/>
- Convolutional neural networks
  - <http://cs231n.github.io/convolutional-networks/>

# Image Classification: a core task in computer vision

- Assume given set of discrete labels, e.g.  
{cat, dog, cow, apple, tomato, truck, ... }

$f(\text{apple image}) = \text{"apple"}$

$f(\text{tomato image}) = \text{"tomato"}$

$f(\text{cow image}) = \text{"cow"}$

# Recap: linear classification

- Have score function and loss function
  - Score function maps an input data instance (e.g., an image) to a vector of scores, one for each category
  - Last time, our score function is based on linear classifier

$$f(\mathbf{x}, \mathbf{W}) = \mathbf{W}\mathbf{x} + \mathbf{b}$$

$\mathbf{f}$ : score function

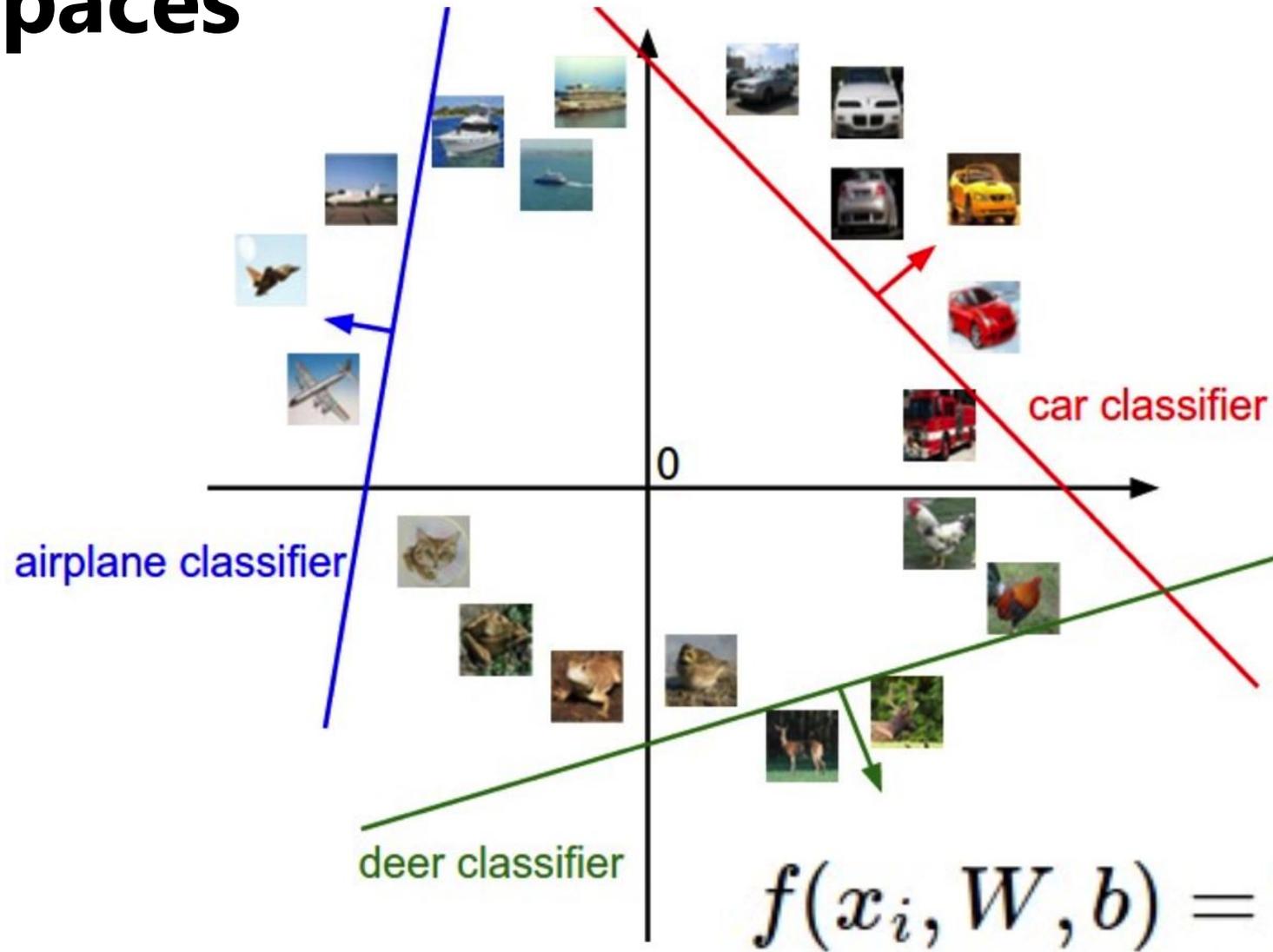
$\mathbf{x}$ : input instance

$\mathbf{W}, \mathbf{b}$ : parameters of a linear (actually affine) function

- Find  $\mathbf{W}$  and  $\mathbf{b}$  to minimize a *loss*, e.g. cross-entropy loss

$$L = \frac{1}{N} \sum_i -\log \left( \frac{e^{f_{y_i}}}{\sum_j e^{f_j}} \right)$$

# Linear classifiers separate features space into half-spaces



$$f(x_i, W, b) = Wx_i + b$$

# Neural networks

(**Before**) Linear score function:  $f = Wx$

# Neural networks

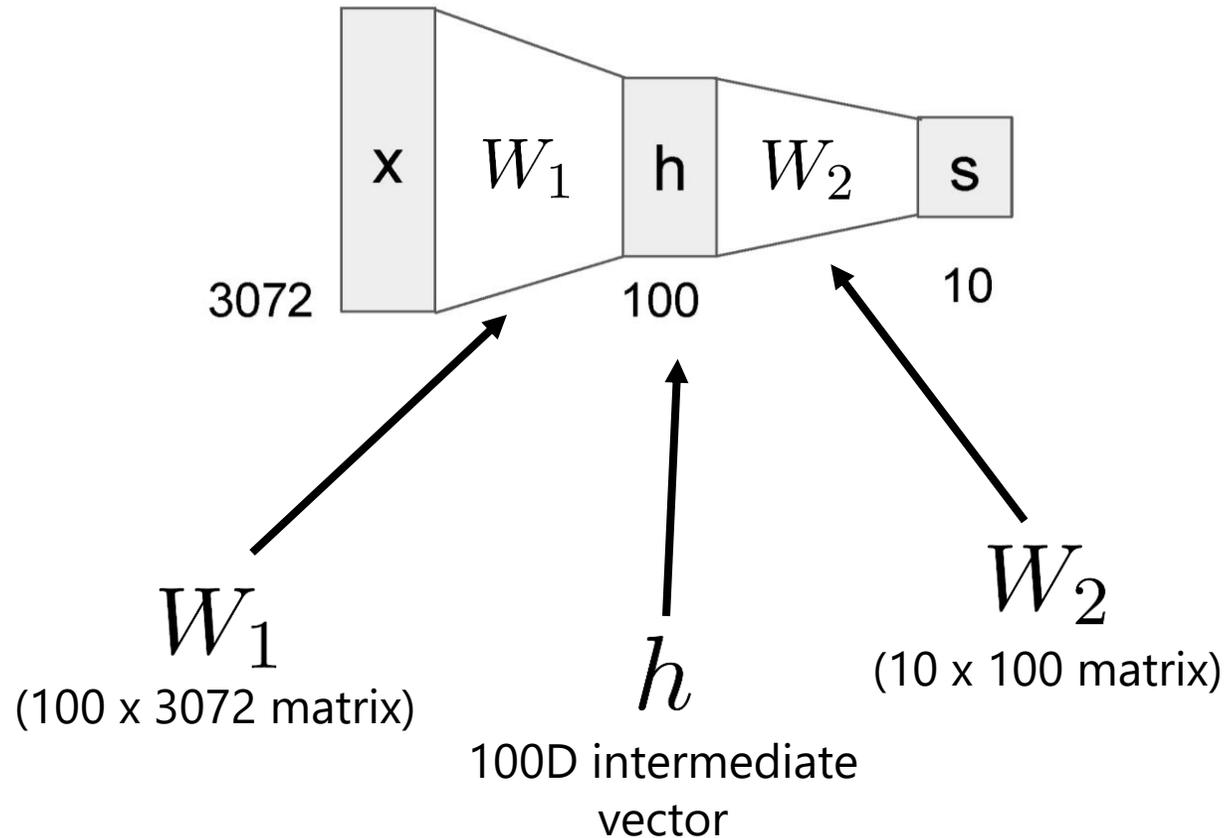
(**Before**) Linear score function:  $f = Wx$

(**Now**) 2-layer Neural Network  $f = W_2 \max(0, W_1 x)$

# Neural networks

(Before) Linear score function:  $f = Wx$

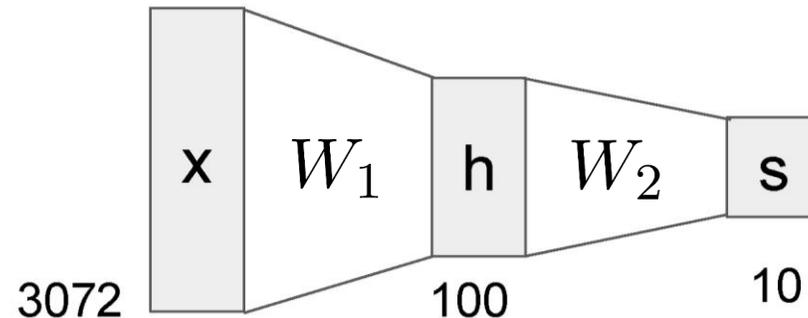
(Now) 2-layer Neural Network  $f = W_2 \max(0, W_1x)$



# Neural networks

(Before) Linear score function:  $f = Wx$

(Now) 2-layer Neural Network  $f = W_2 \max(0, W_1 x)$



- Total number of weights to learn:  
 $3,072 \times 100 + 100 \times 10 = 308,200$

# Recap: linear classification

- Have score function and loss function
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$$f(\mathbf{x}, \mathbf{W}) = \mathbf{W}\mathbf{x} + \mathbf{b}$$

$f$ : score function

$\mathbf{x}$ : input instance

$\mathbf{W}, \mathbf{b}$ : parameters of a linear (actually affine) function

- Find  $\mathbf{W}$  and  $\mathbf{b}$  to minimize a *loss*, e.g. cross-entropy loss

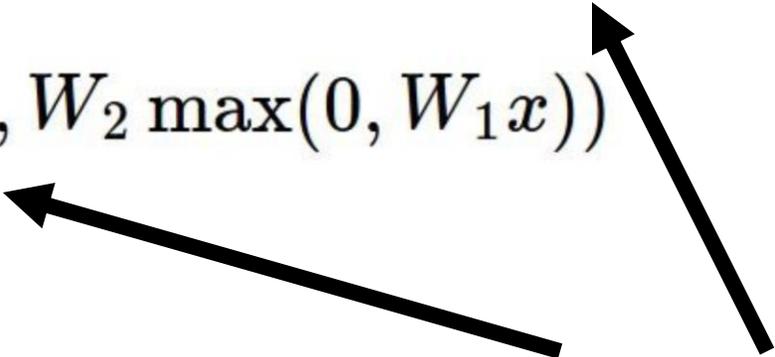
$$L = \frac{1}{N} \sum_i -\log \left( \frac{e^{f_{y_i}}}{\sum_j e^{f_j}} \right)$$

# Neural networks

(**Before**) Linear score function:  $f = Wx$

(**Now**) 2-layer Neural Network  
or 3-layer Neural Network  $f = W_2 \max(0, W_1 x)$

$$f = W_3 \max(0, W_2 \max(0, W_1 x))$$



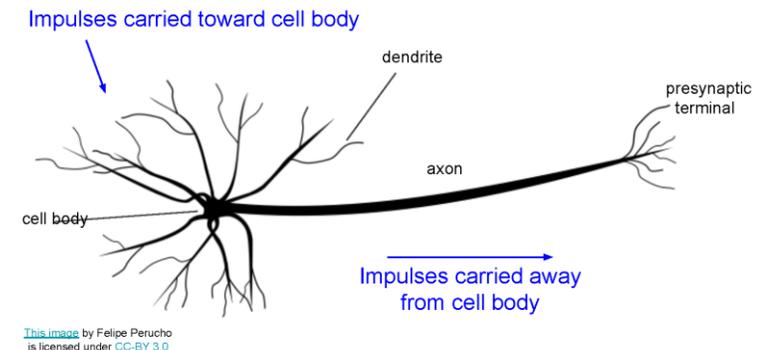
also called "Multi-Layer  
Perceptrons" (MLPs)

# Neural networks

- Very coarse generalization of neural networks:
  - Linear functions chained together and separated by non-linearities (*activation functions*), e.g. "max"

$$f = W_3 \max(0, W_2 \max(0, W_1 x))$$

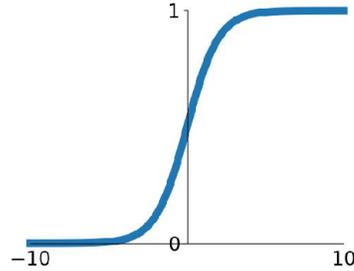
- Why separate linear functions with non-linear functions?
- *Very roughly* inspired by real neurons



# Activation functions

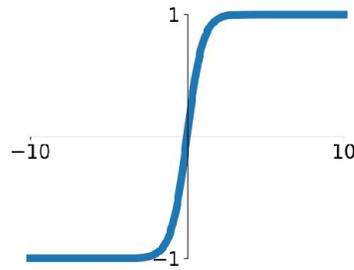
## Sigmoid

$$\sigma(x) = \frac{1}{1+e^{-x}}$$



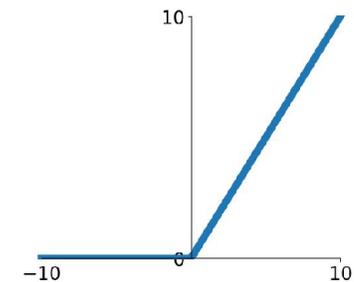
## tanh

$$\tanh(x)$$



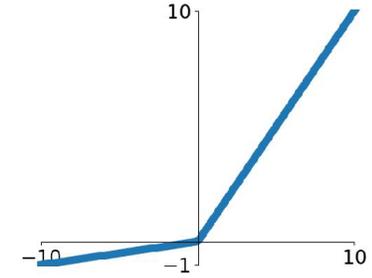
## ReLU

$$\max(0, x)$$



## Leaky ReLU

$$\max(0.1x, x)$$

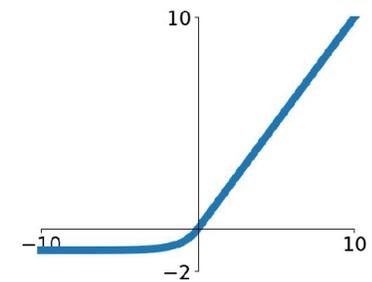


## Maxout

$$\max(w_1^T x + b_1, w_2^T x + b_2)$$

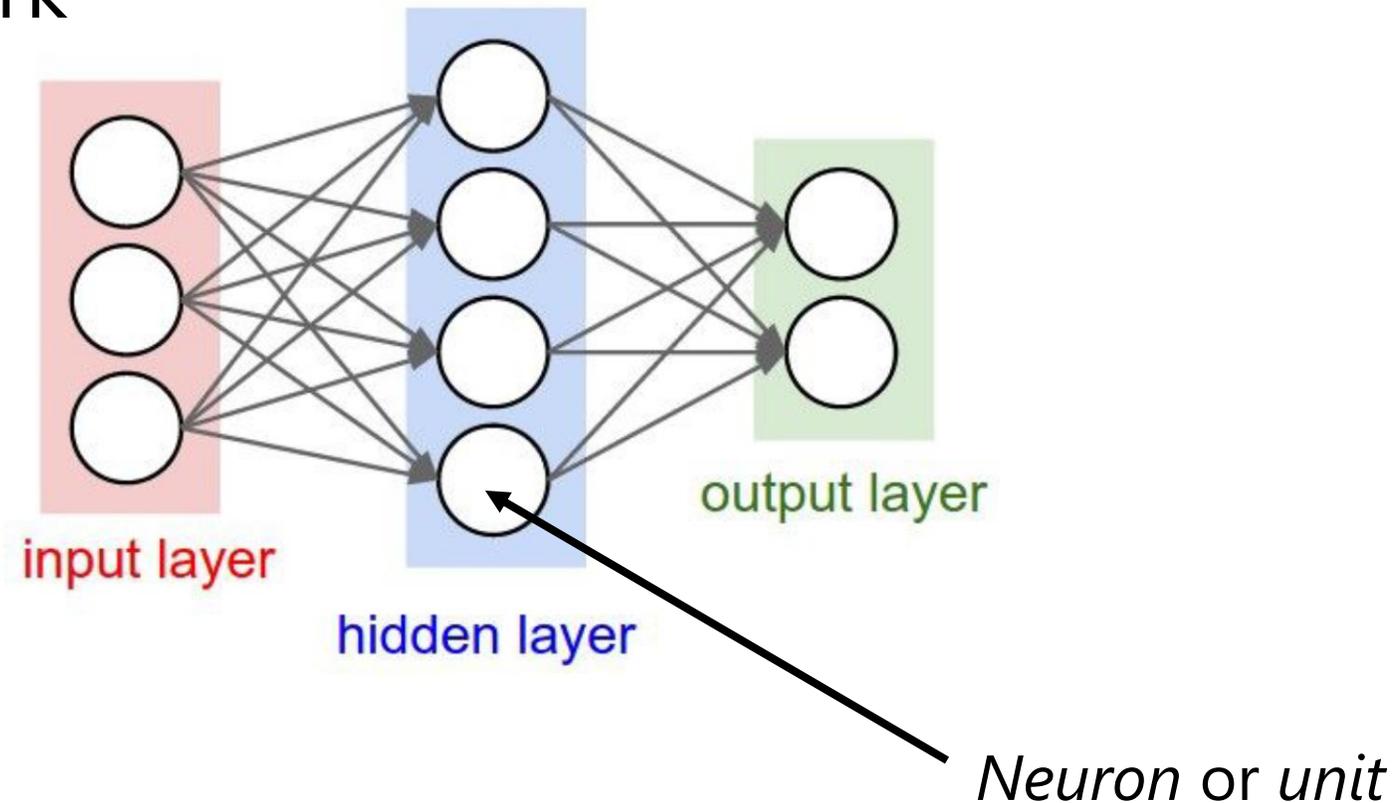
## ELU

$$\begin{cases} x & x \geq 0 \\ \alpha(e^x - 1) & x < 0 \end{cases}$$

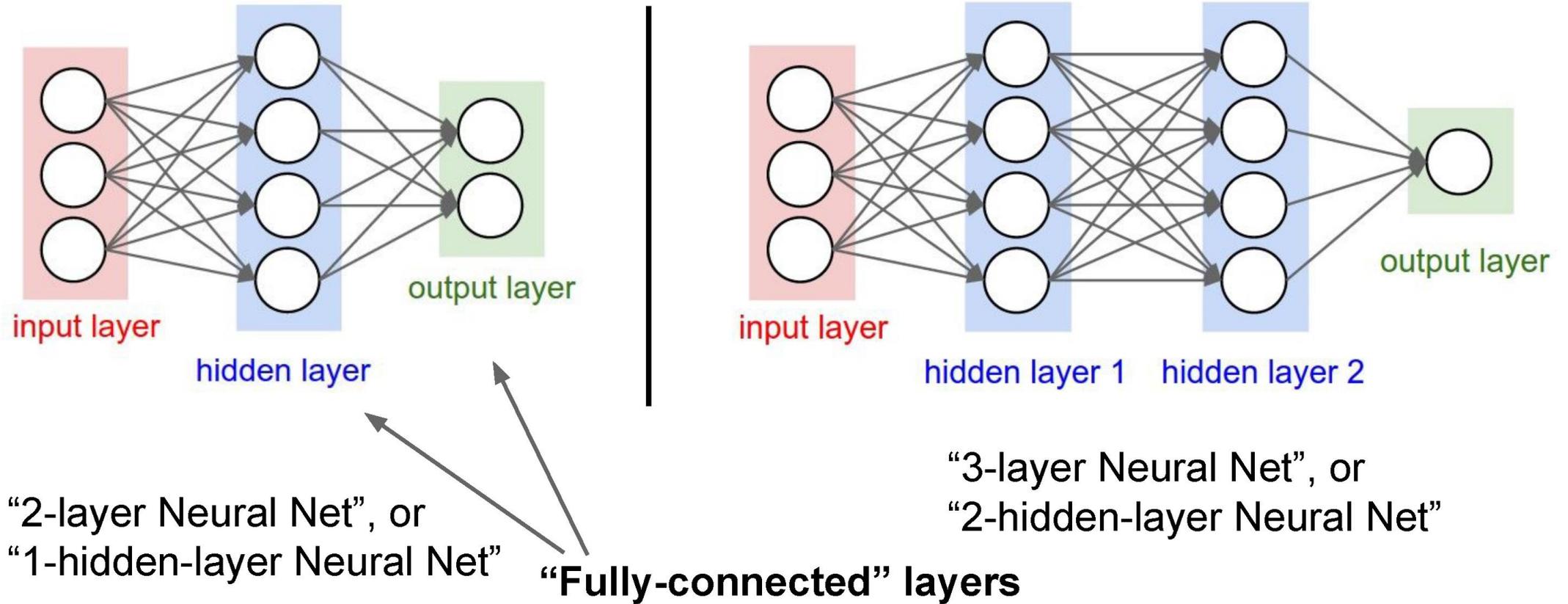


# Neural network architecture

- Computation graph for a 2-layer neural network

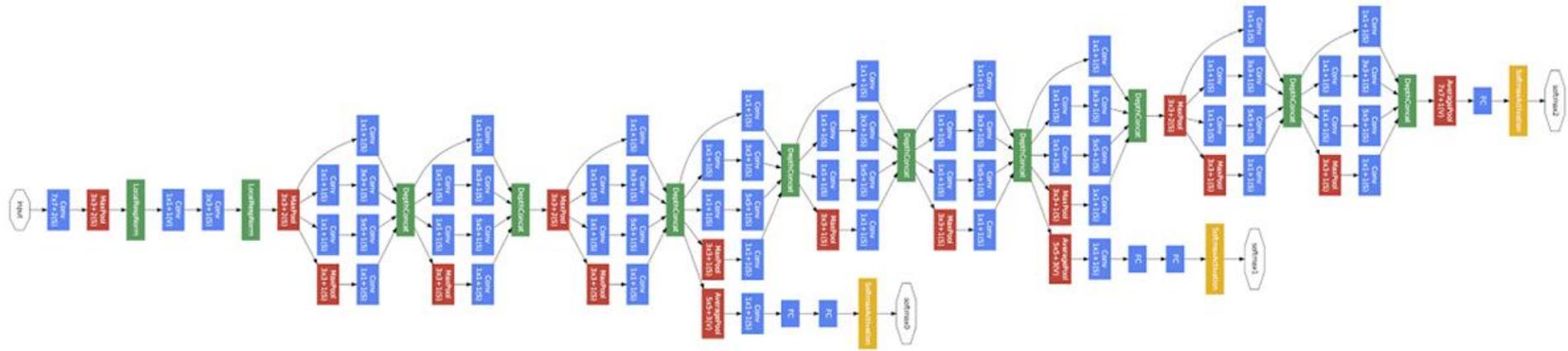


# Neural networks: Architectures



- **Deep** networks typically have many layers and potentially millions of parameters

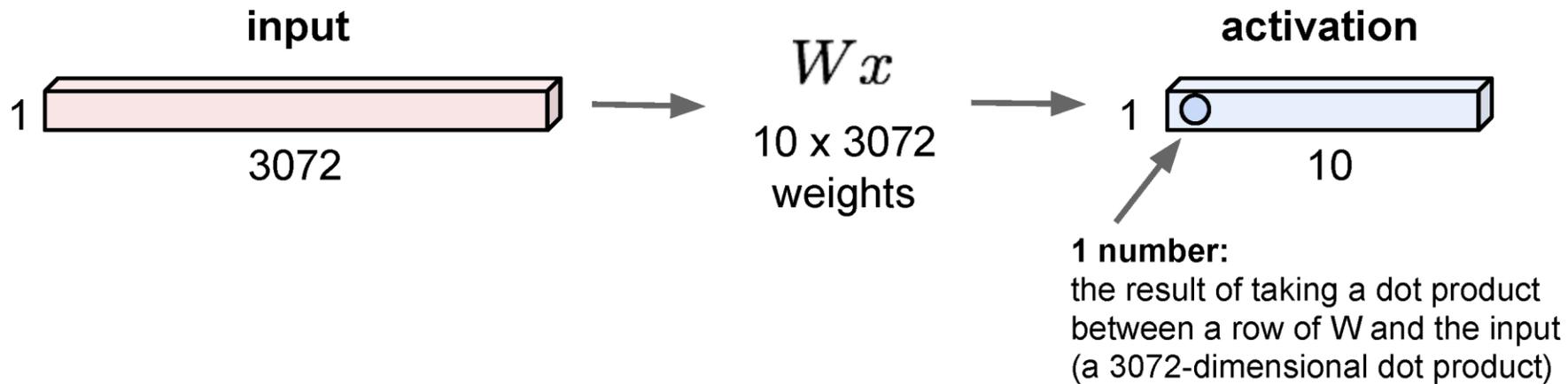
# Deep neural network



- *Inception* network (Szegedy et al, 2015)
- 22 layers

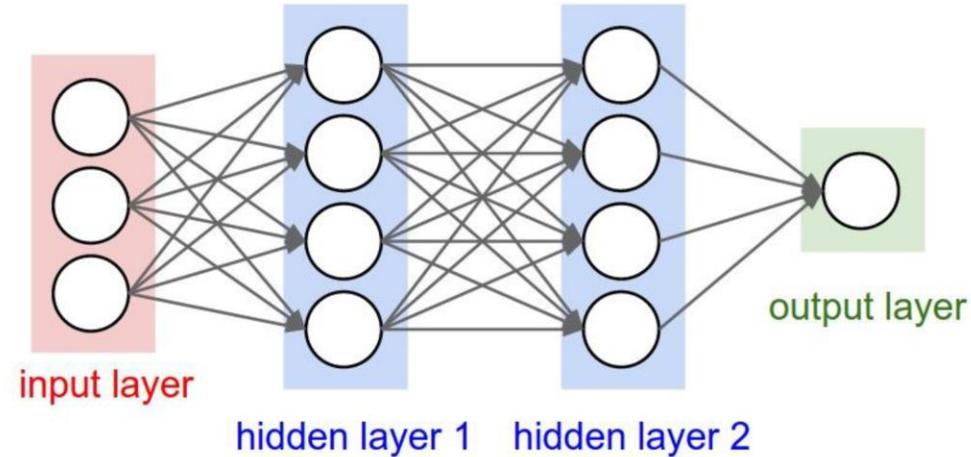
# Fully Connected Layer

32x32x3 image -> stretch to 3072 x 1



- Just like a linear classifier – but in this case, just one layer of a larger *network*

# Example feed-forward computation of a neural network



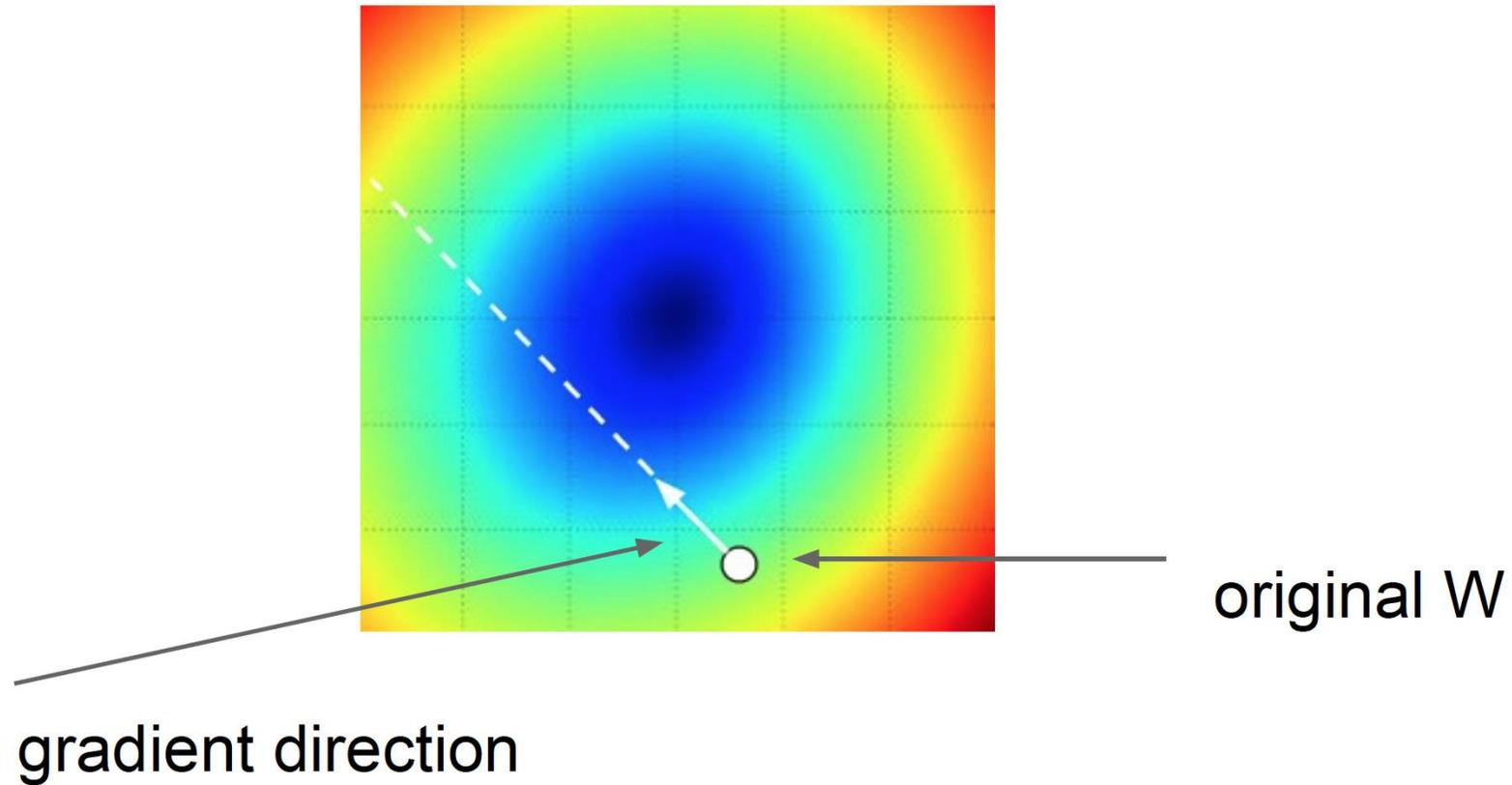
```
# forward-pass of a 3-layer neural network:  
f = lambda x: 1.0/(1.0 + np.exp(-x)) # activation function (use sigmoid)  
x = np.random.randn(3, 1) # random input vector of three numbers (3x1)  
h1 = f(np.dot(W1, x) + b1) # calculate first hidden layer activations (4x1)  
h2 = f(np.dot(W2, h1) + b2) # calculate second hidden layer activations (4x1)  
out = np.dot(W3, h2) + b3 # output neuron (1x1)
```

# Summary

- We arrange neurons into fully-connected layers
- The abstraction of a **layer** has the nice property that it allows us to use efficient vectorized code (e.g. matrix multiplies)
- Neural networks are not really *neural*

# Optimizing parameters with gradient descent

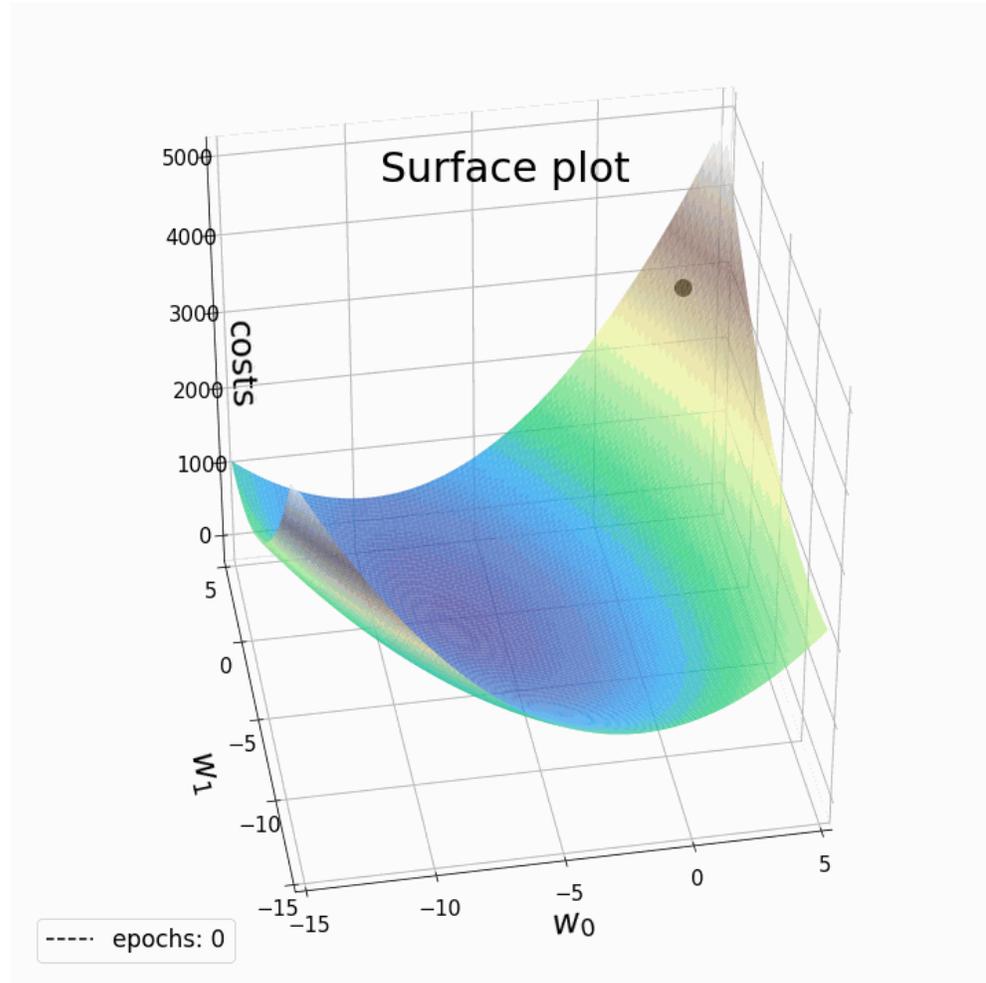
- How do we find the best **W** and **b** parameters?
- In general: *gradient descent*
  1. Start with a guess of a good **W** and **b** (or randomly initialize them)
  2. Compute the loss function for this initial guess and the *gradient* of the loss function
  3. Step some distance in the negative gradient direction (direction of steepest descent)
  4. Repeat steps 2 & 3
- Note: efficiently performing step 2 for deep networks is called *backpropagation*



**Gradient descent:** walk in the direction opposite gradient

- **Q:** How far?
- **A:** Step size: *learning rate*
- Too big: will miss the minimum
- Too small: slow convergence

# 2D example of gradient descent



- In reality, in deep learning we are optimizing a highly complex loss function with millions of variables (or more)
- More on this later...

# 2D example: TensorFlow Playground

Tinker With a **Neural Network** Right Here in Your Browser.  
Don't Worry, You Can't Break It. We Promise.

Epoch: 000,000 | Learning rate: 0.03 | Activation: Tanh | Regularization: None | Regularization rate: 0 | Problem type: Classification

**DATA**  
Which dataset do you want to use?  
Ratio of training to test data: 50%  
Noise: 0  
Batch size: 10

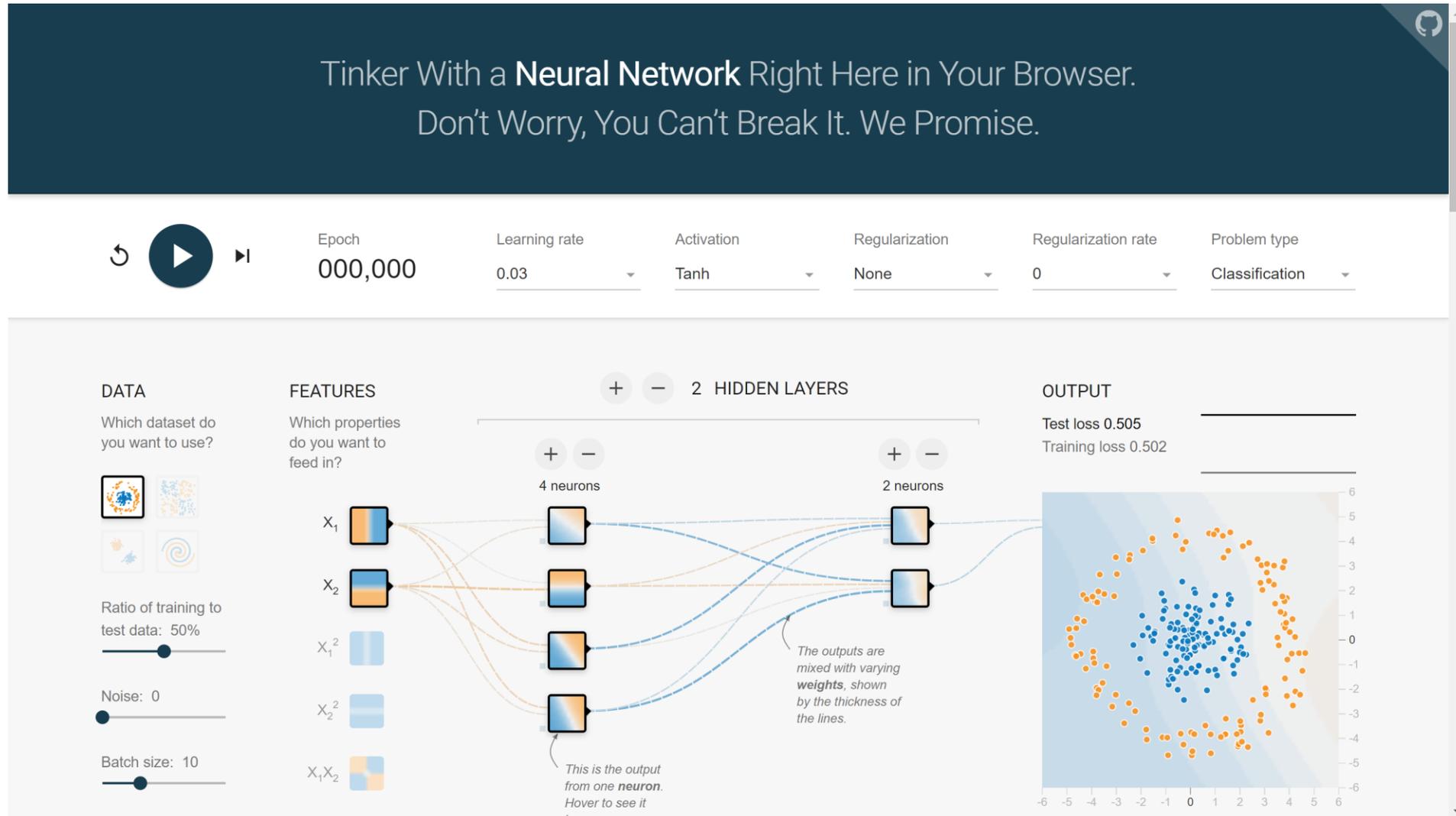
**FEATURES**  
Which properties do you want to feed in?  
 $X_1$   
 $X_2$   
 $X_1^2$   
 $X_2^2$   
 $X_1X_2$

**2 HIDDEN LAYERS**  
4 neurons | 2 neurons

**OUTPUT**  
Test loss 0.505  
Training loss 0.502

The outputs are mixed with varying weights, shown by the thickness of the lines.

This is the output from one neuron. Hover to see it larger.



The screenshot displays the TensorFlow Playground interface. At the top, a dark blue banner contains the text 'Tinker With a Neural Network Right Here in Your Browser. Don't Worry, You Can't Break It. We Promise.' Below this is a control bar with a play button, a refresh button, and several settings: Epoch (000,000), Learning rate (0.03), Activation (Tanh), Regularization (None), Regularization rate (0), and Problem type (Classification). The main area is divided into three sections: DATA, FEATURES, and OUTPUT. The DATA section has four dataset icons and sliders for training/test ratio (50%), noise (0), and batch size (10). The FEATURES section shows a list of input features:  $X_1$ ,  $X_2$ ,  $X_1^2$ ,  $X_2^2$ , and  $X_1X_2$ . The central part shows a neural network diagram with two hidden layers: the first has 4 neurons and the second has 2 neurons. Lines of varying thickness connect the input features to the neurons, representing weights. The OUTPUT section shows a 2D scatter plot with orange and blue data points and a decision boundary. Text annotations explain that line thickness represents weights and that hovering over a neuron shows its output.

<https://playground.tensorflow.org>

**Questions?**

# Convolutional neural networks

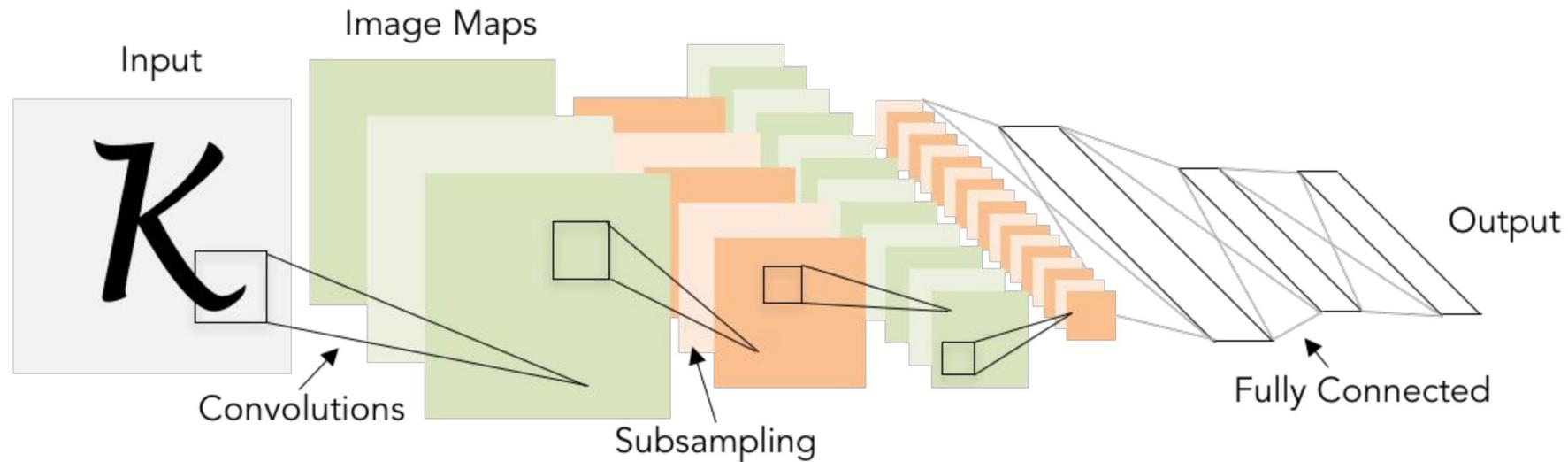


Illustration of LeCun et al. 1998 from CS231n 2017 Lecture 1

# A bit of history...

The **Mark I Perceptron** machine was the first implementation of the perceptron algorithm.

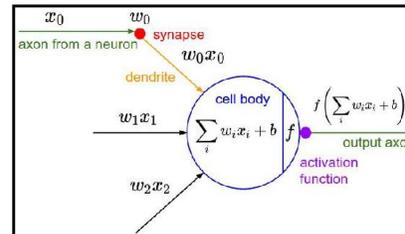
The machine was connected to a camera that used 20×20 cadmium sulfide photocells to produce a 400-pixel image.

recognized  
letters of the alphabet

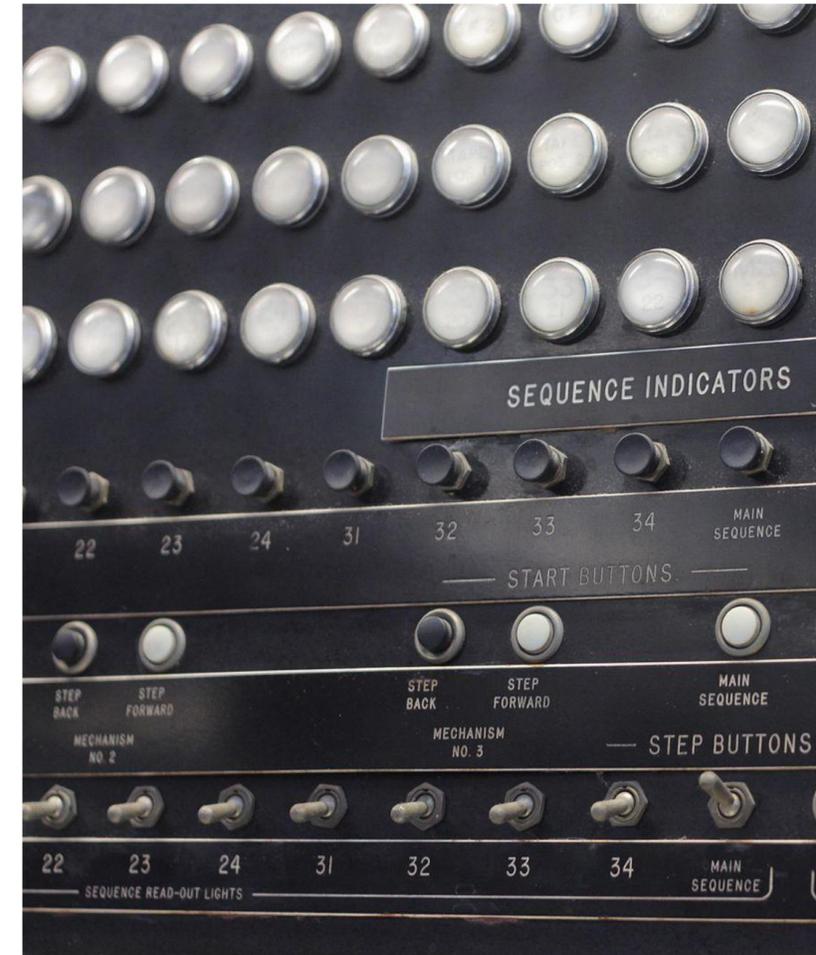
update rule:

$$w_i(t + 1) = w_i(t) + \alpha(d_j - y_j(t))x_{j,i}$$

$$f(x) = \begin{cases} 1 & \text{if } w \cdot x + b > 0 \\ 0 & \text{otherwise} \end{cases}$$



Frank Rosenblatt, ~1957: Perceptron



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# A bit of history...

[Hinton and Salakhutdinov 2006]

## Reinvigorated research in Deep Learning

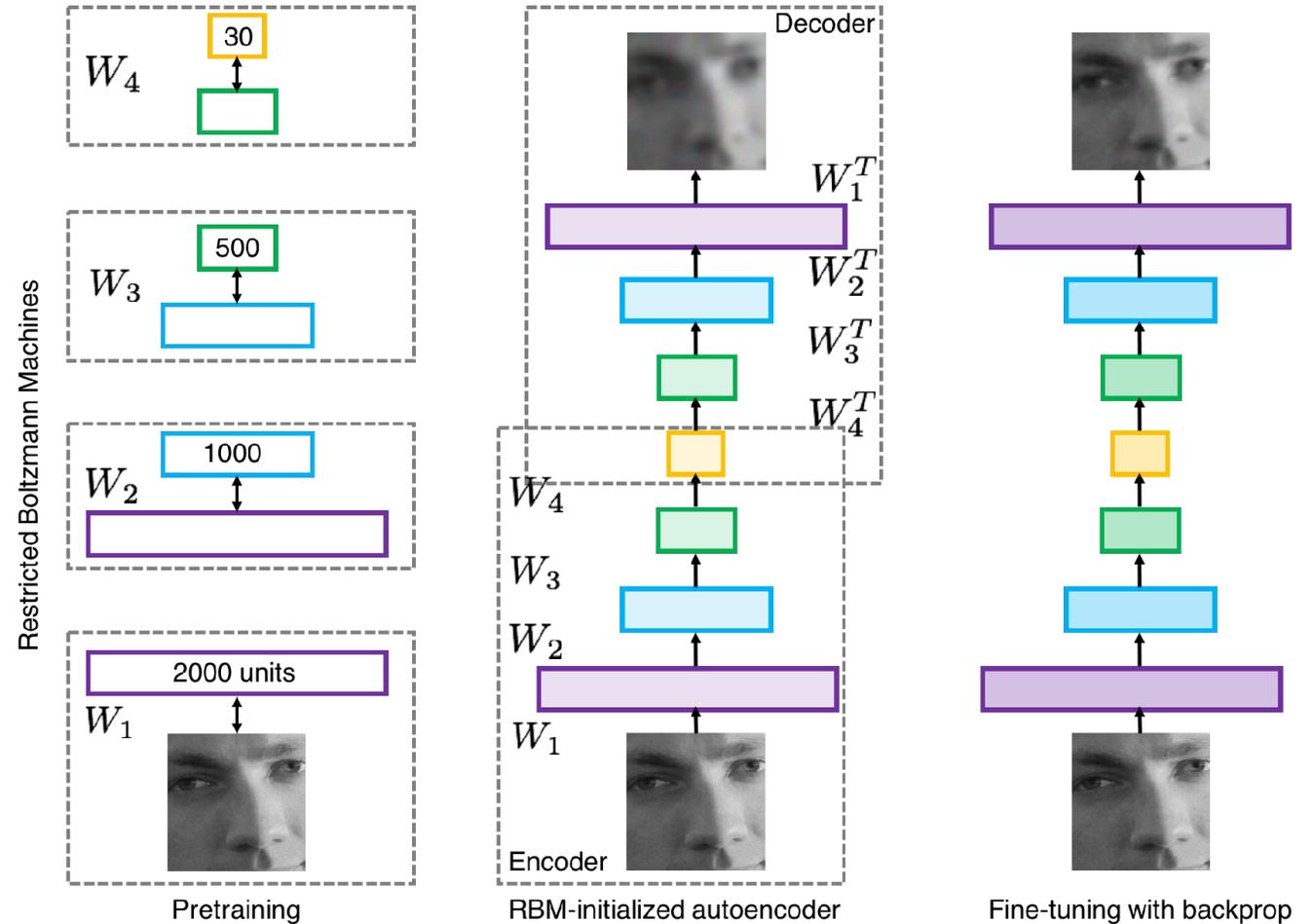
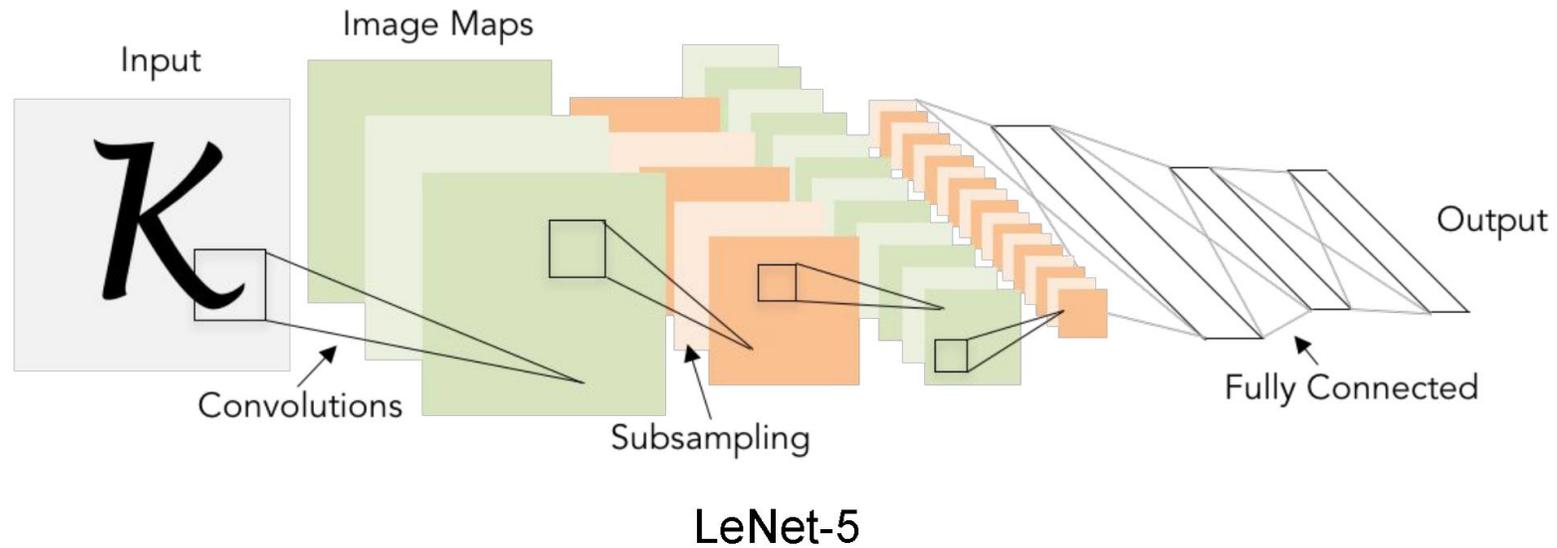


Illustration of Hinton and Salakhutdinov 2006 by Lane McIntosh, copyright CS231n 2017

Hinton and Salakhutdinov. Reducing the Dimensionality of Data with Neural Networks. *Science*, 2016.

A bit of history:  
**Gradient-based learning applied to  
document recognition**  
*[LeCun, Bottou, Bengio, Haffner 1998]*



# First strong results

**Acoustic Modeling using Deep Belief Networks**  
Abdel-rahman Mohamed, George Dahl, Geoffrey Hinton, 2010

**Context-Dependent Pre-trained Deep Neural Networks for Large Vocabulary Speech Recognition**  
George Dahl, Dong Yu, Li Deng, Alex Acero, 2012

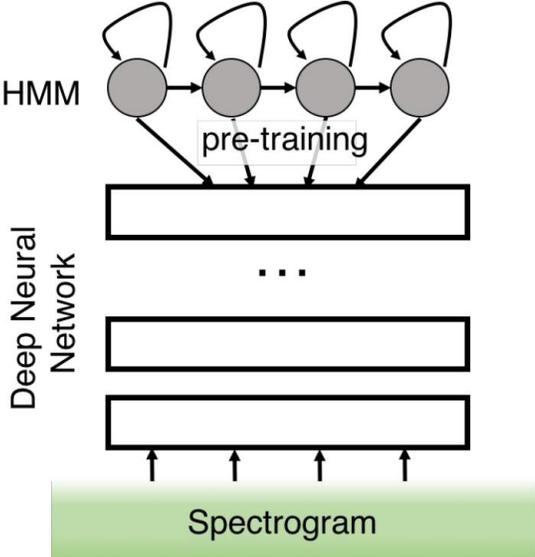
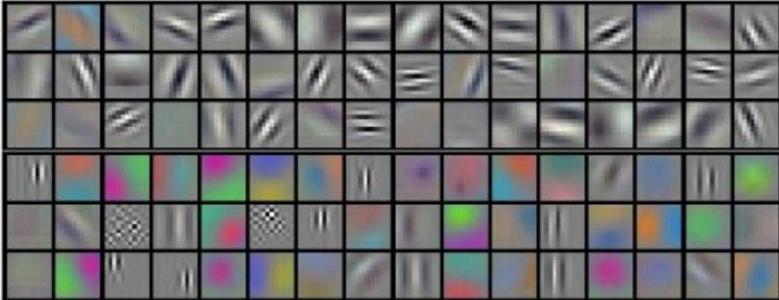
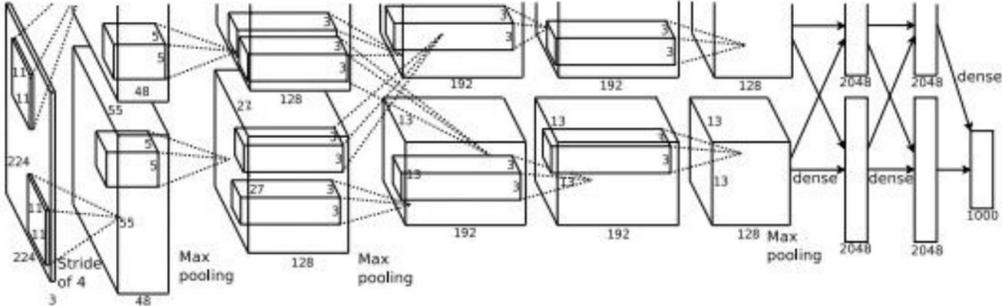


Illustration of Dahl et al. 2012 by Lane McIntosh, copyright CS231n 2017

**Imagenet classification with deep convolutional neural networks**  
Alex Krizhevsky, Ilya Sutskever, Geoffrey E Hinton, 2012



Figures copyright Alex Krizhevsky, Ilya Sutskever, and Geoffrey Hinton, 2012. Reproduced with permission.

# A bit of history:

## ImageNet Classification with Deep Convolutional Neural Networks

*[Krizhevsky, Sutskever, Hinton, 2012]*

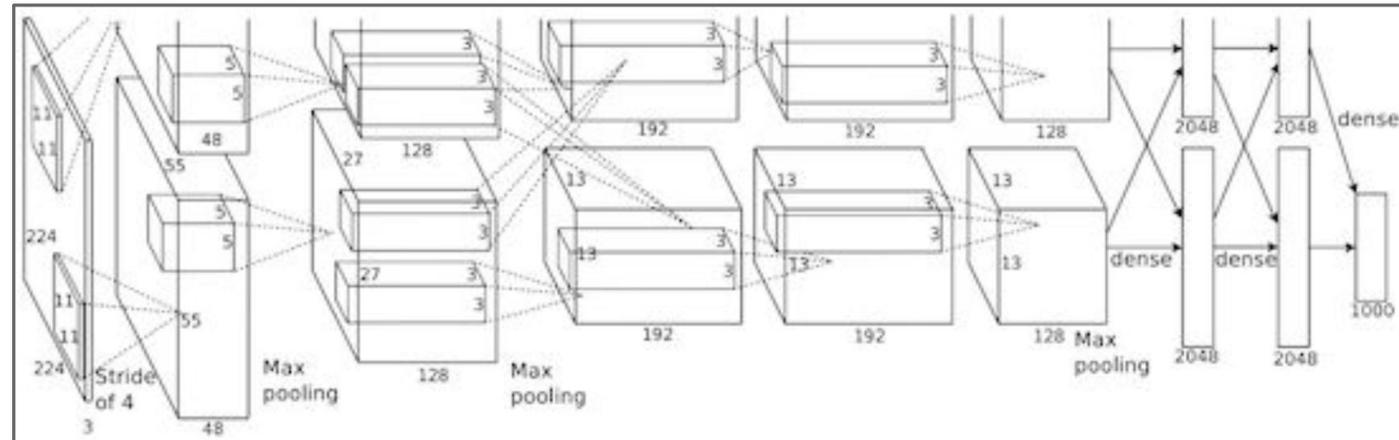


Figure copyright Alex Krizhevsky, Ilya Sutskever, and Geoffrey Hinton, 2012. Reproduced with permission.

“AlexNet”

# Fast-forward to today: ConvNets are everywhere

Classification



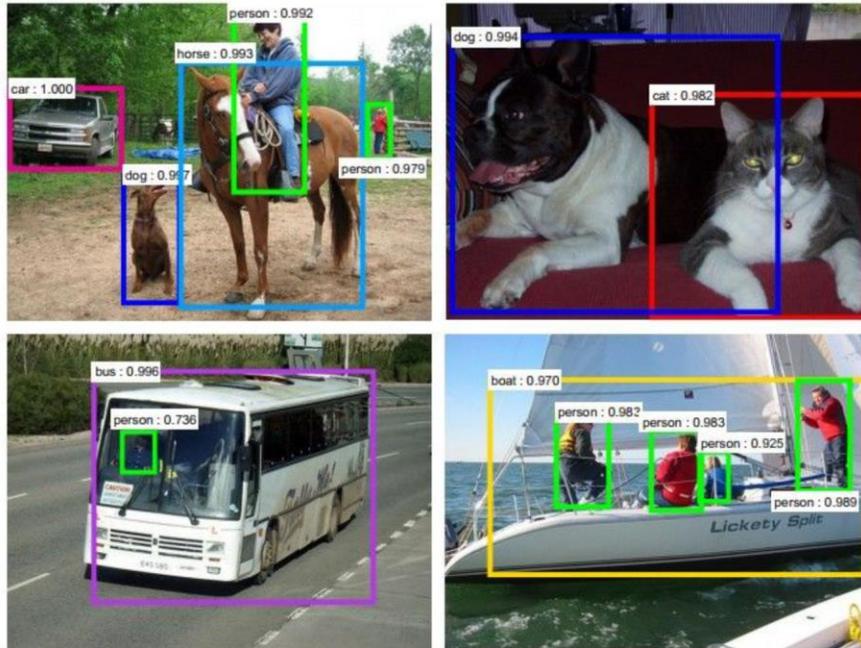
Retrieval



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# Fast-forward to today: ConvNets are everywhere

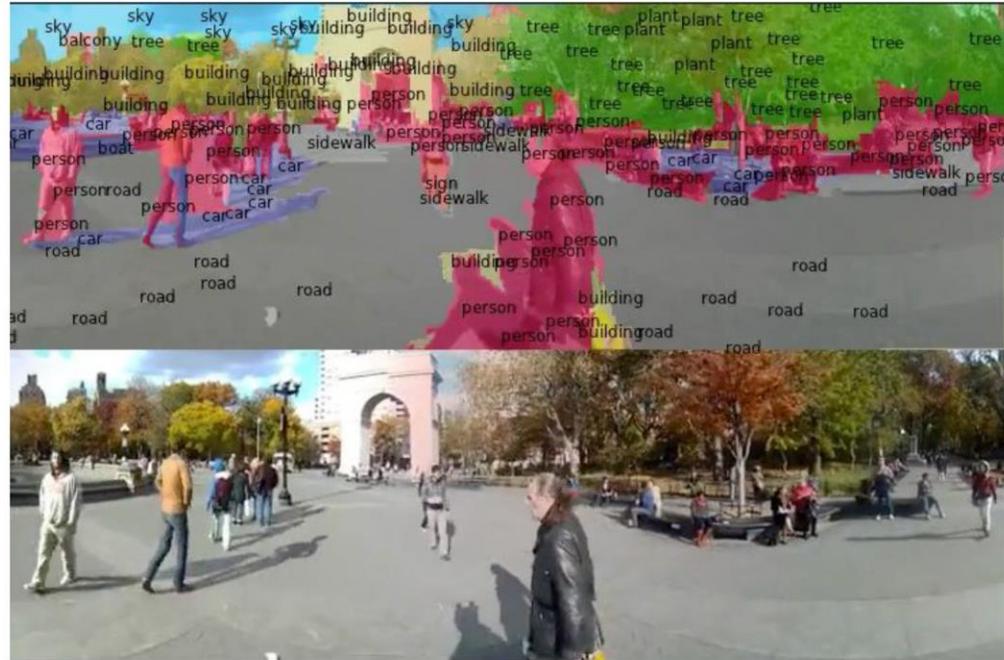
## Detection



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*[Faster R-CNN: Ren, He, Girshick, Sun 2015]*

## Segmentation



Figures copyright Clement Farabet, 2012.

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*[Farabet et al., 2012]*

# Fast-forward to today: ConvNets are everywhere



self-driving cars

Photo by Lane McIntosh. Copyright CS231n 2017.



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## NVIDIA Tesla line

(these are the GPUs on rye01.stanford.edu)

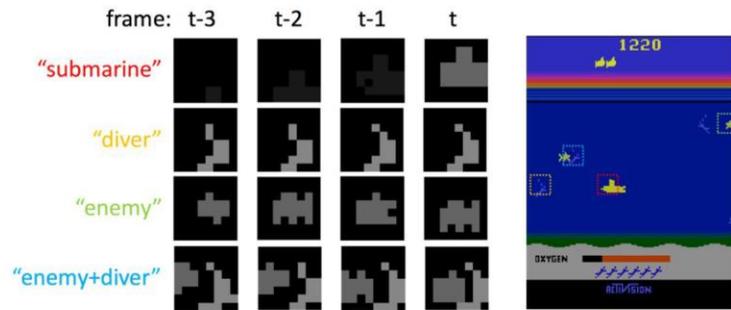
Note that for embedded systems a typical setup would involve NVIDIA Tegras, with integrated GPU and ARM-based CPU cores.

# Fast-forward to today: ConvNets are everywhere



Images are examples of pose estimation, not actually from Toshev & Szegedy 2014. Copyright Lane McIntosh.

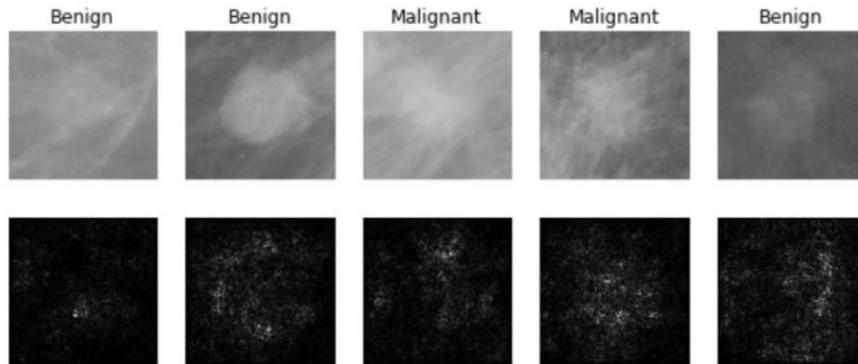
[Toshev, Szegedy 2014]



[Guo et al. 2014]

Figures copyright Xiaoxiao Guo, Satinder Singh, Honglak Lee, Richard Lewis, and Xiaoshi Wang, 2014. Reproduced with permission.

# Fast-forward to today: ConvNets are everywhere



[Levy et al. 2016]

Figure copyright Levy et al. 2016.  
Reproduced with permission.



[Dieleman et al. 2014]

From left to right: [public domain by NASA](#), usage [permitted](#) by ESA/Hubble, [public domain by NASA](#), and [public domain](#).



[Sermanet et al. 2011]  
[Ciresan et al.]

Photos by Lane McIntosh.  
Copyright CS231n 2017.

No errors



*A white teddy bear sitting in the grass*

Minor errors



*A man in a baseball uniform throwing a ball*

Somewhat related



*A woman is holding a cat in her hand*

## Image Captioning

*[Vinyals et al., 2015]  
[Karpathy and Fei-Fei, 2015]*



*A man riding a wave on top of a surfboard*



*A cat sitting on a suitcase on the floor*



*A woman standing on a beach holding a surfboard*

All images are CC0 Public domain:

<https://pixabay.com/en/luggage-antique-cat-1643010/>  
<https://pixabay.com/en/teddy-plush-bears-cute-teddy-bear-1623436/>  
<https://pixabay.com/en/surf-wave-summer-sport-litoral-1668716/>  
<https://pixabay.com/en/woman-female-model-porrait-adult-983967/>  
<https://pixabay.com/en/handstand-lake-meditation-496008/>  
<https://pixabay.com/en/baseball-player-shortstop-infield-1045263/>

Captions generated by Justin Johnson using [NeuralTalk2](#)

# Caption-to-text

TEXT PROMPT

an illustration of a baby daikon radish in a tutu walking a dog

AI-GENERATED IMAGES



Edit prompt or view more images ↓

TEXT PROMPT

an armchair in the shape of an avocado [...]

AI-GENERATED IMAGES



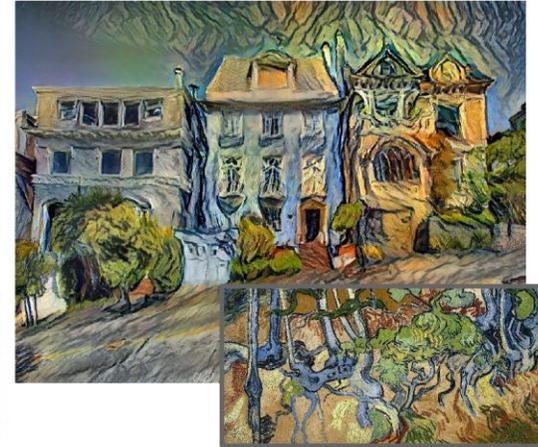
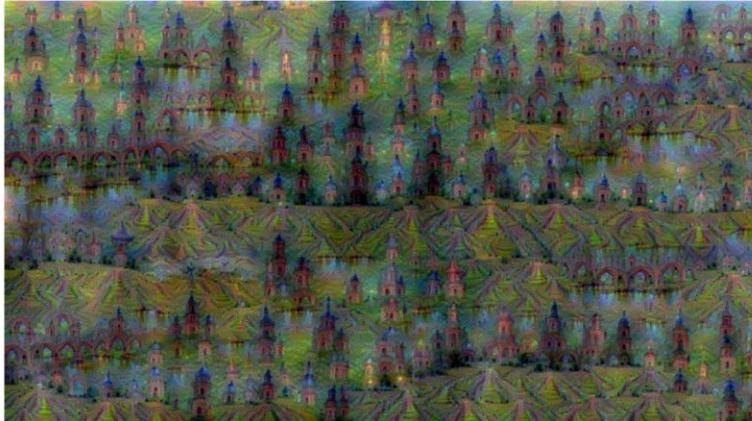
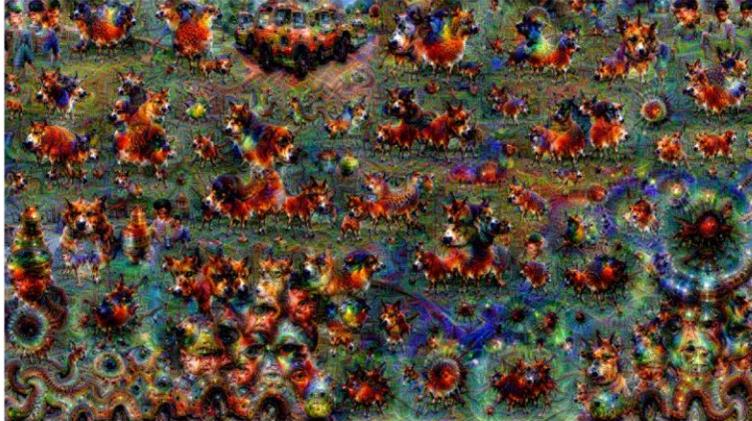
Edit prompt or view more images ↓

TEXT PROMPT

a store front that has the word 'openai' written on it [...]

AI-GENERATED IMAGES





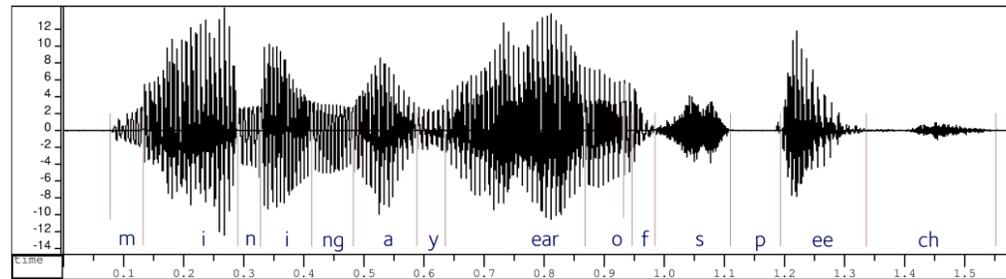
Figures copyright Justin Johnson, 2015. Reproduced with permission. Generated using the Inceptionism approach from a [blog post](#) by Google Research.

[Original image](#) is CC0 public domain  
[Starry Night](#) and [Tree Roots](#) by Van Gogh are in the public domain  
[Bokeh image](#) is in the public domain  
Stylized Images copyright Justin Johnson, 2017; reproduced with permission

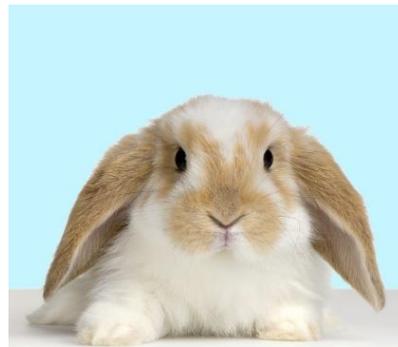
Gatys et al, "Image Style Transfer using Convolutional Neural Networks", CVPR 2016  
Gatys et al, "Controlling Perceptual Factors in Neural Style Transfer", CVPR 2017

# Convolutional neural networks

- Version of deep neural networks designed for signals
  - 1D signals (e.g., speech waveforms)

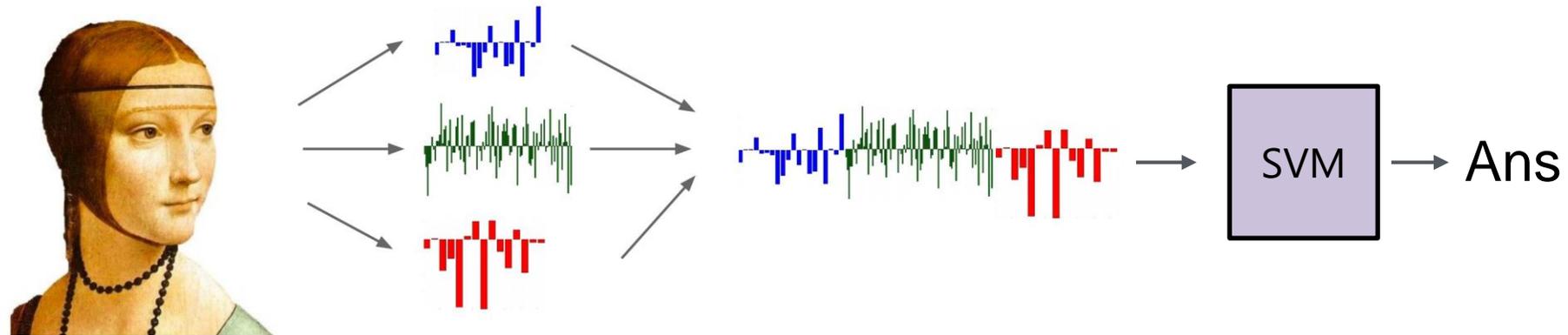


- 2D signals (e.g., images)



# Motivation – Feature Learning

# Life Before Deep Learning



*Input  
Pixels*

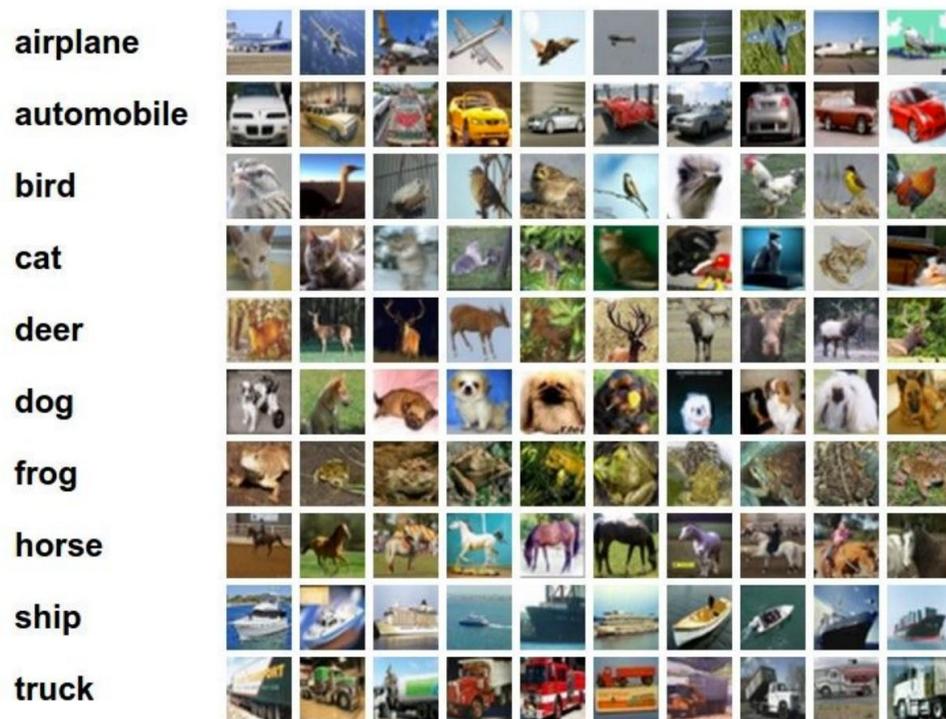
*Extract  
Hand-Crafted  
Features*

*Concatenate into  
a vector  $x$*

*Linear  
Classifier*

Ans

# Why use features? Why not pixels?

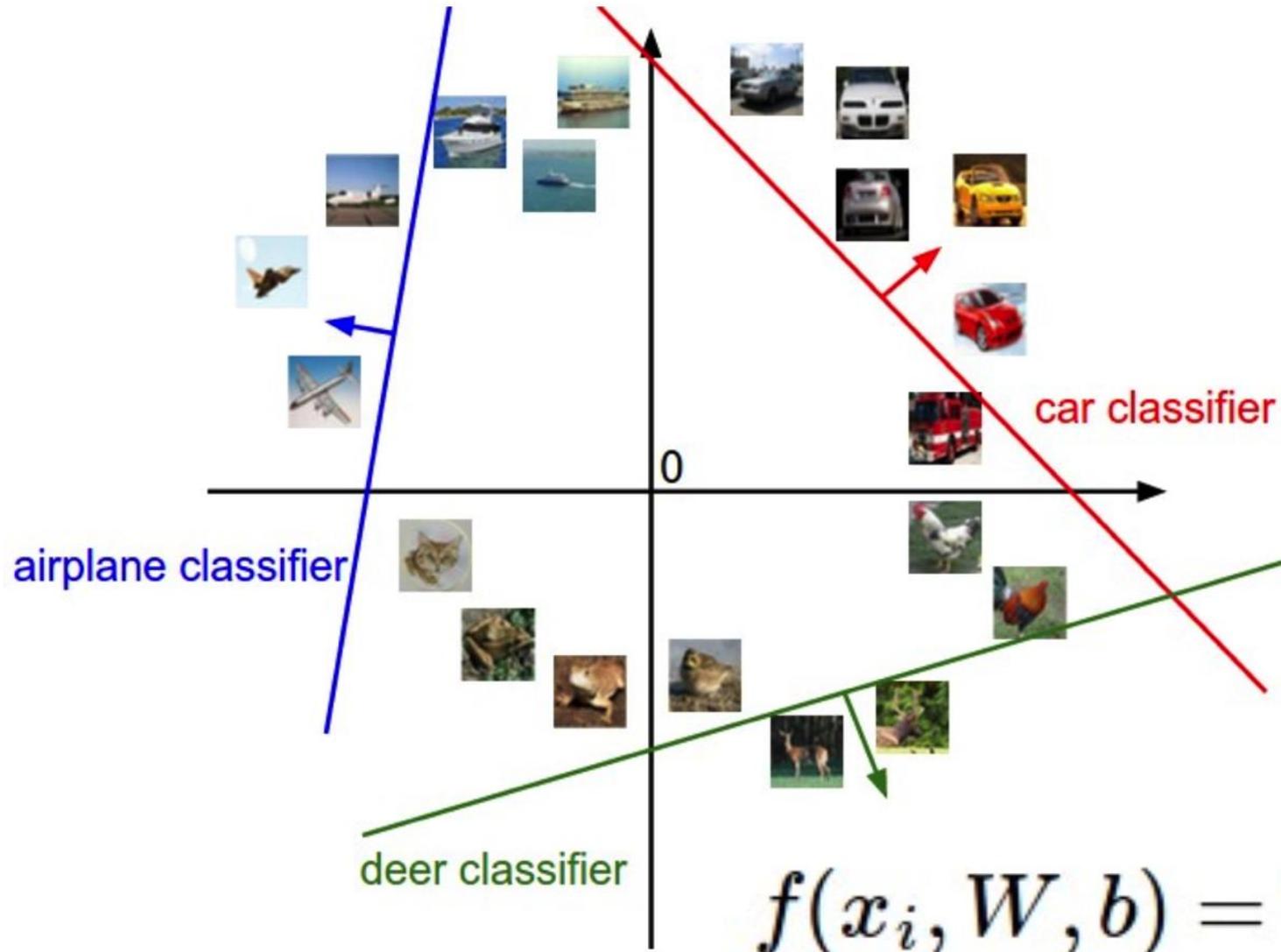


$$f(x_i, W, b) = Wx_i + b$$

Q: What would be a very hard set of classes for a linear classifier to distinguish?

(assuming  $x$  = pixels)

# Linearly separable classes



## Aside: Image Features

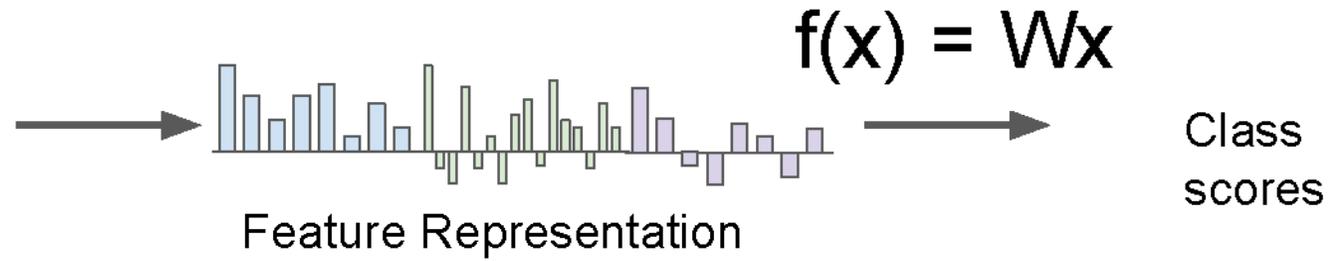


Class  
scores

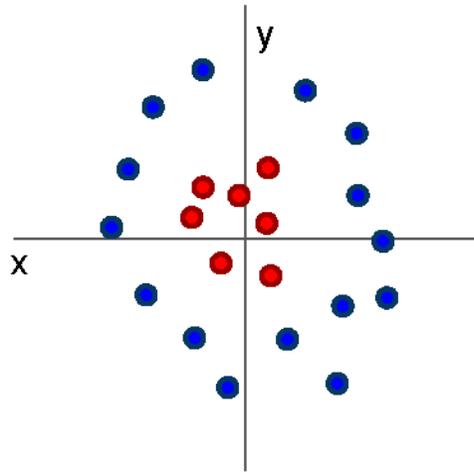
$$f(x) = Wx$$



## Aside: Image Features

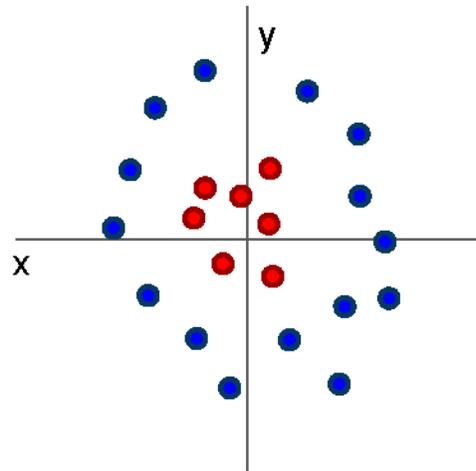


# Image Features: Motivation



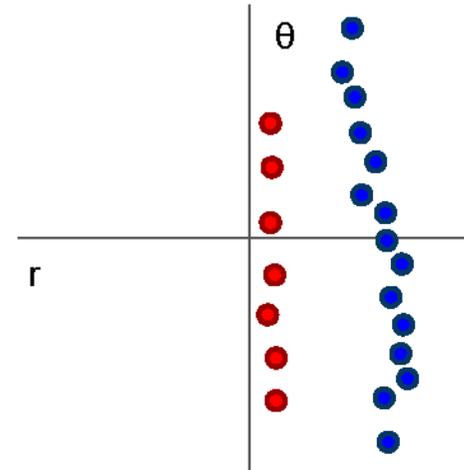
Cannot separate red  
and blue points with  
linear classifier

# Image Features: Motivation



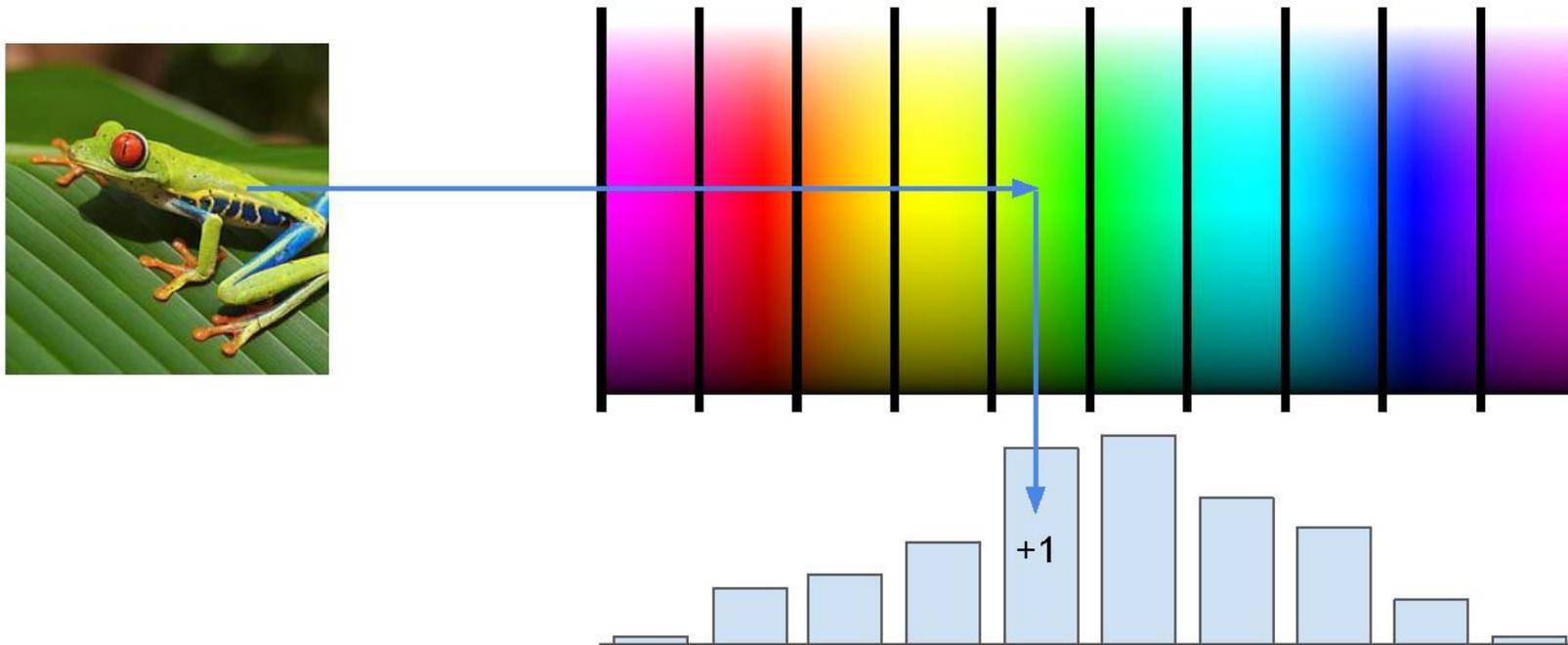
Cannot separate red and blue points with linear classifier

$$f(x, y) = (r(x, y), \theta(x, y))$$



After applying feature transform, points can be separated by linear classifier

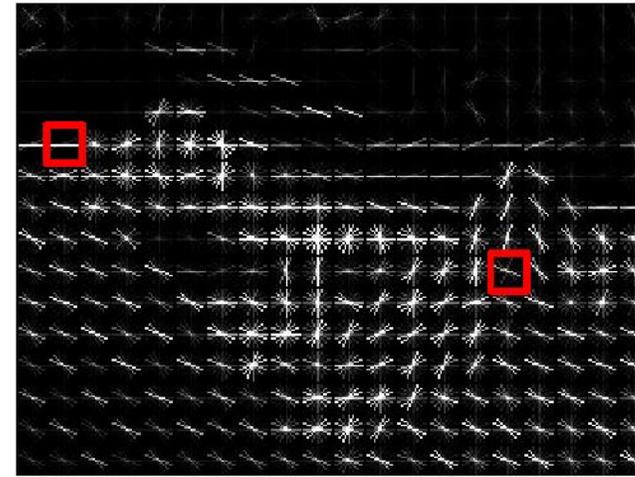
# Example: Color Histogram



# Example: Histogram of Oriented Gradients (HoG)

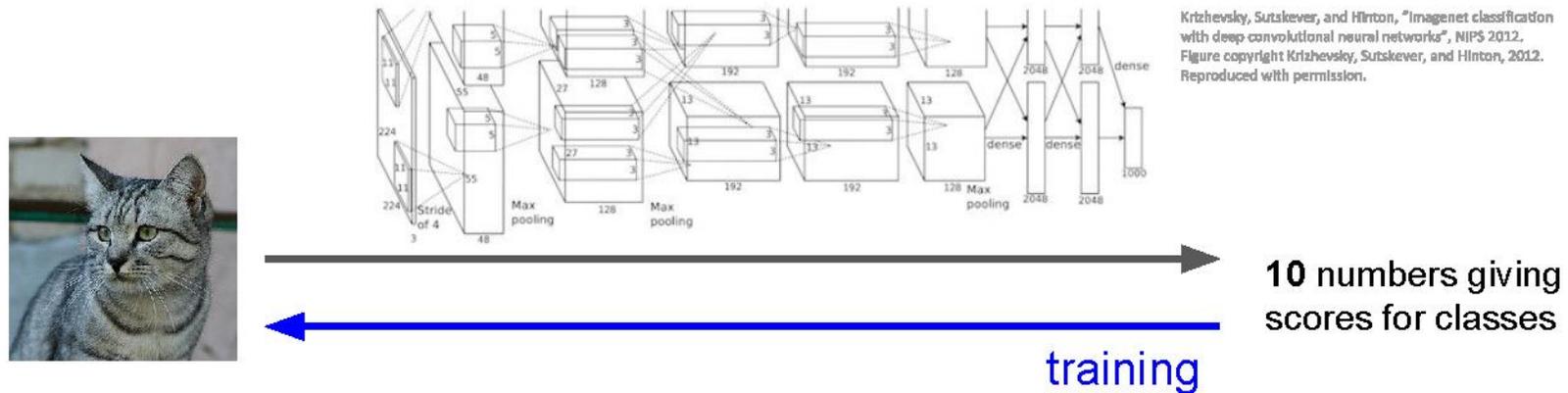
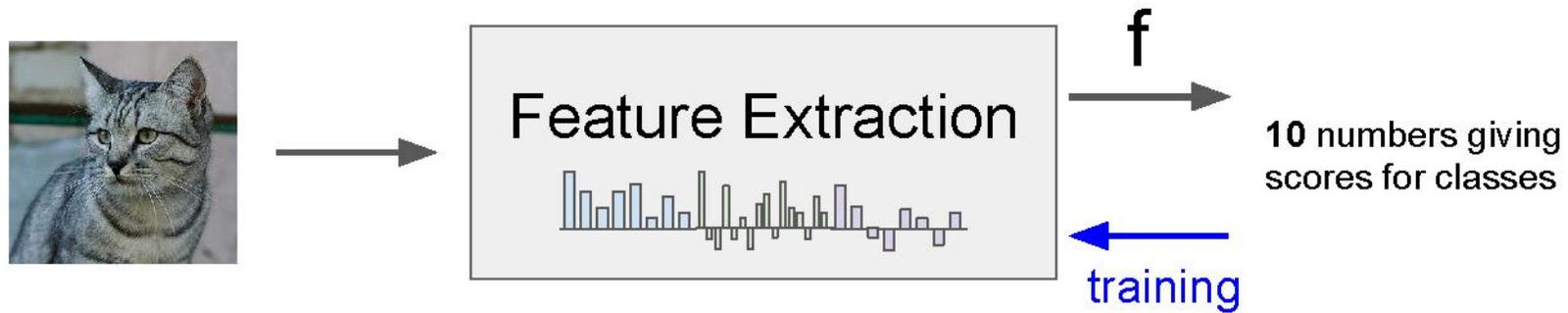


Divide image into 8x8 pixel regions  
Within each region quantize edge  
direction into 9 bins



Example: 320x240 image gets divided  
into 40x30 bins; in each bin there are  
9 numbers so feature vector has  
 $30 \times 40 \times 9 = 10,800$  numbers

# Image features vs ConvNets



# Last layer of most CNNs is a linear classifier

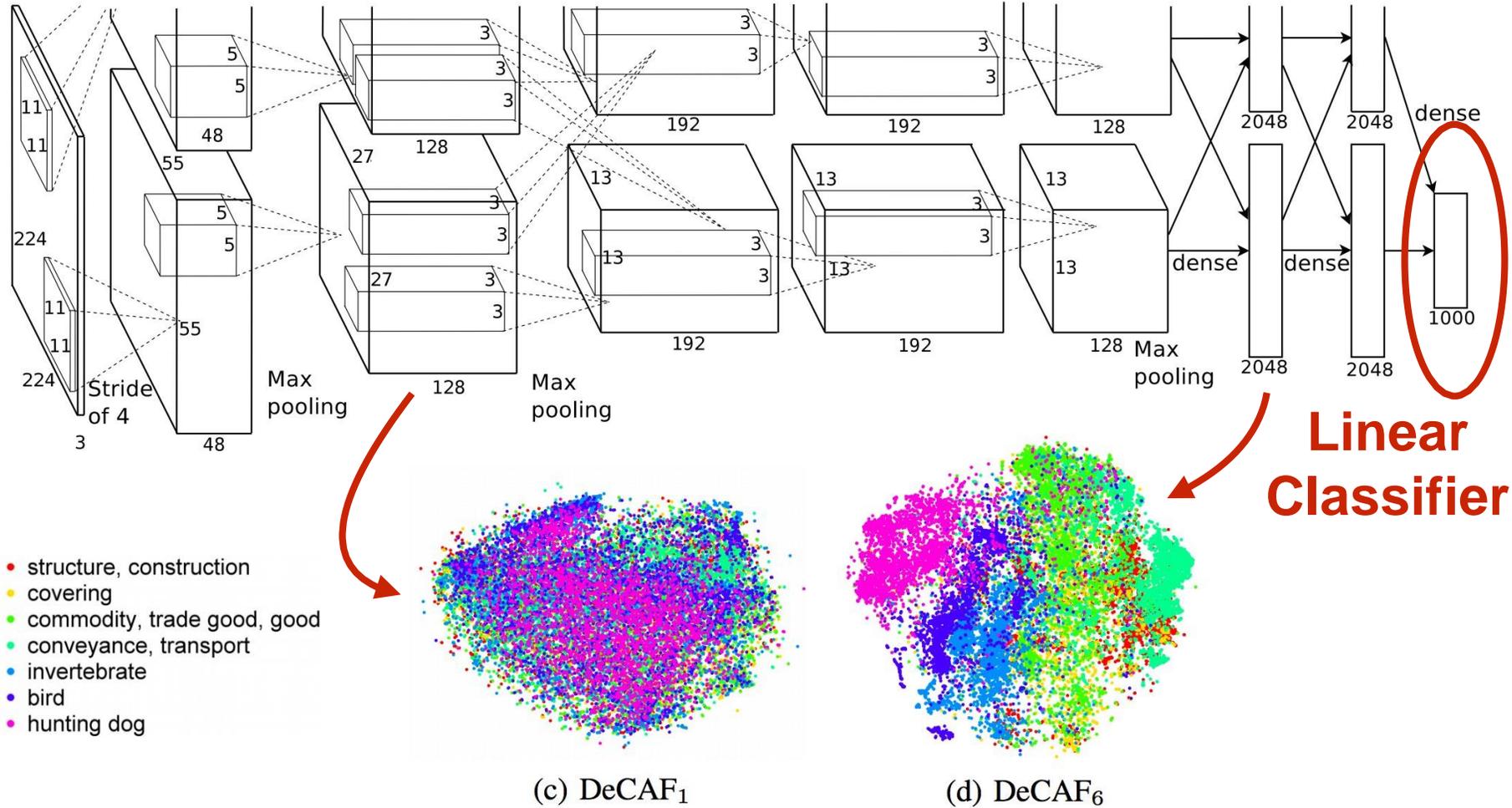


*Input  
Pixels*

*Perform everything with a big neural  
network, trained end-to-end*

**Key:** perform enough processing so that by the time you get to the end of the network, the classes are linearly separable

# Visualizing AlexNet in 2D with t-SNE



(2D visualization using t-SNE)

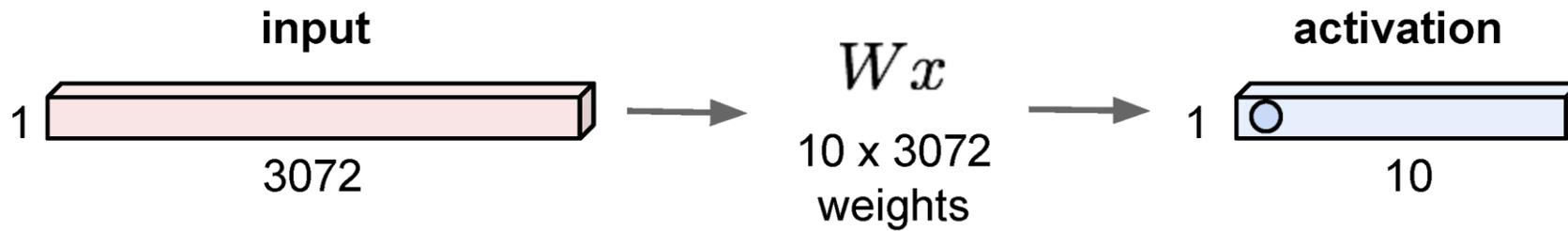
[Donahue, "DeCAF: DeCAF: A Deep Convolutional ...", arXiv 2013]

# Convolutional neural networks

- Layer types:
  - Fully-connected layer
  - *Convolutional layer*
  - Pooling layer

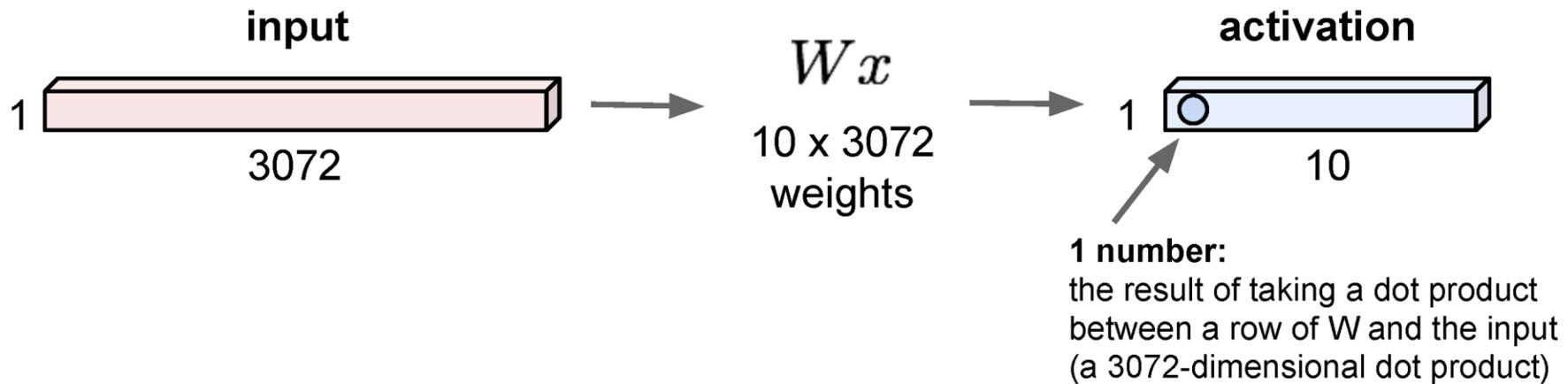
# Fully Connected Layer

32x32x3 image -> stretch to 3072 x 1



# Fully Connected Layer

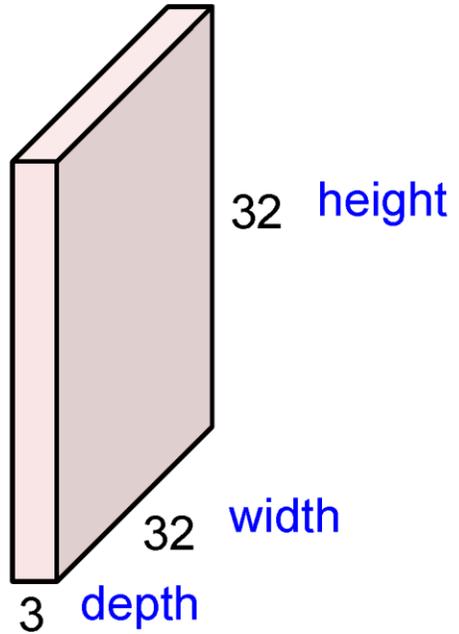
32x32x3 image -> stretch to 3072 x 1



Same as a linear classifier!

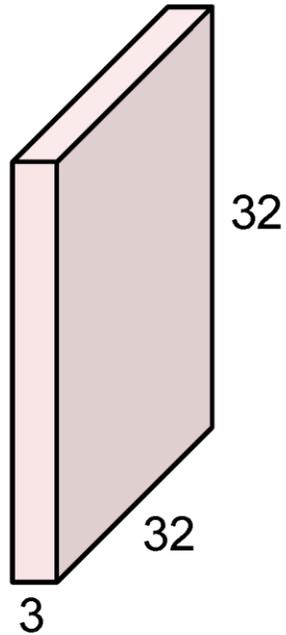
# Convolution Layer

32x32x3 image -> preserve spatial structure

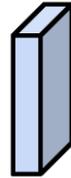


# Convolution Layer

32x32x3 image



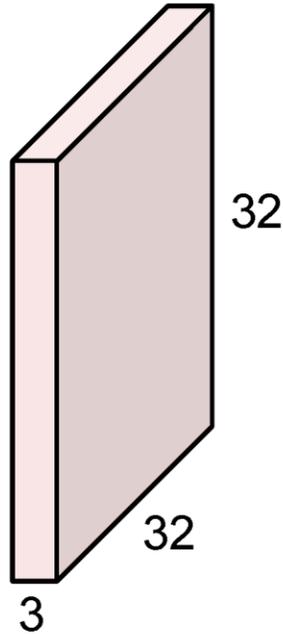
5x5x3 filter



**Convolve** the filter with the image  
i.e. “slide over the image spatially,  
computing dot products”

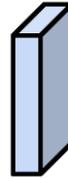
# Convolution Layer

32x32x3 image



Filters always extend the full depth of the input volume

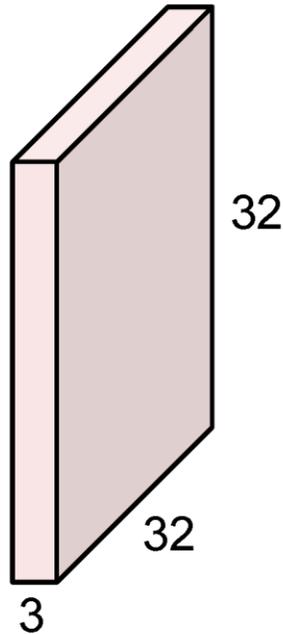
5x5x3 filter



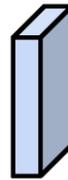
**Convolve** the filter with the image  
i.e. “slide over the image spatially,  
computing dot products”

# Convolution Layer

32x32x3 image



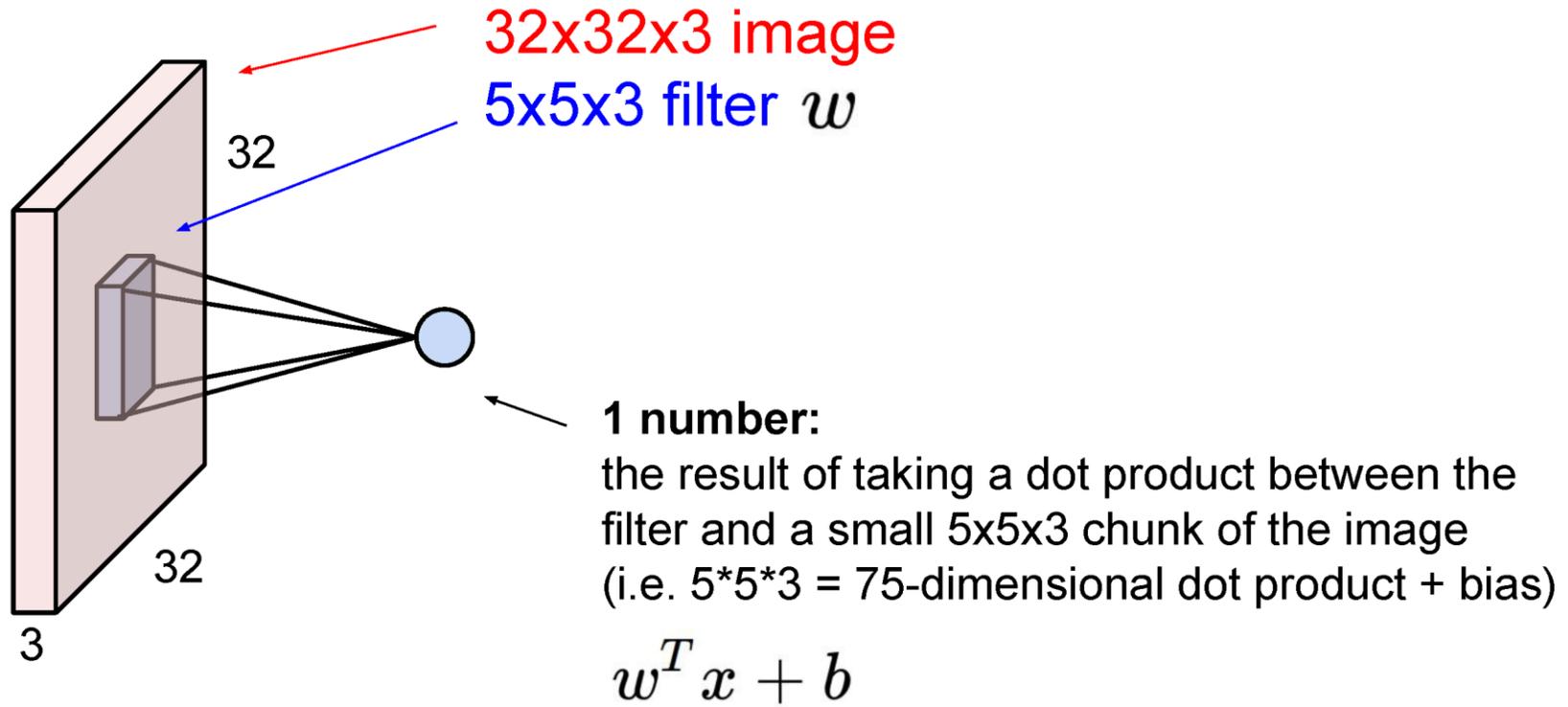
5x5x3 filter



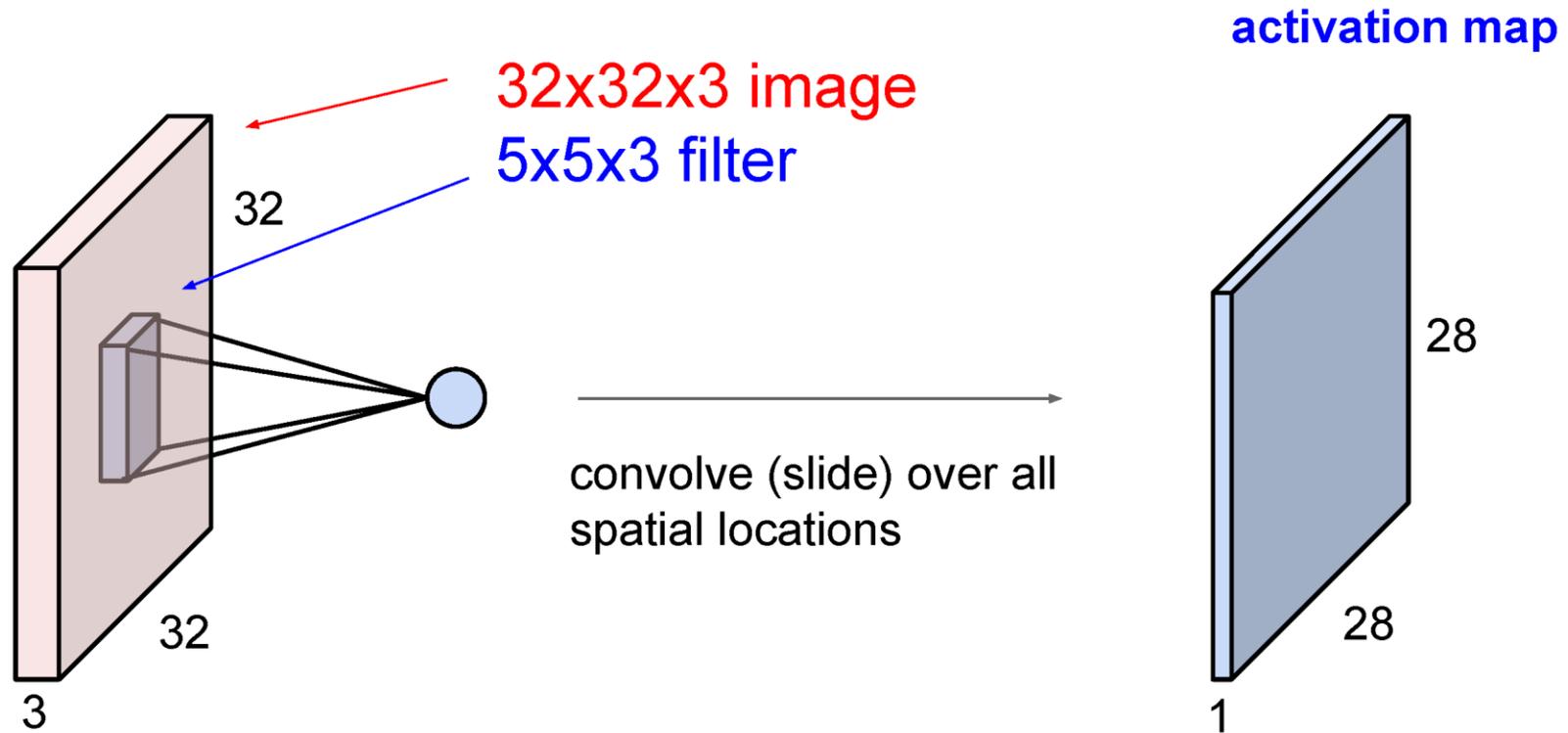
**Convolve** the filter with the image  
i.e. “slide over the image spatially,  
computing dot products”

Number of weights:  $5 \times 5 \times 3 + 1 = \mathbf{76}$   
(vs. 3072 for a fully-connected layer)  
(+1 for bias)

# Convolution Layer

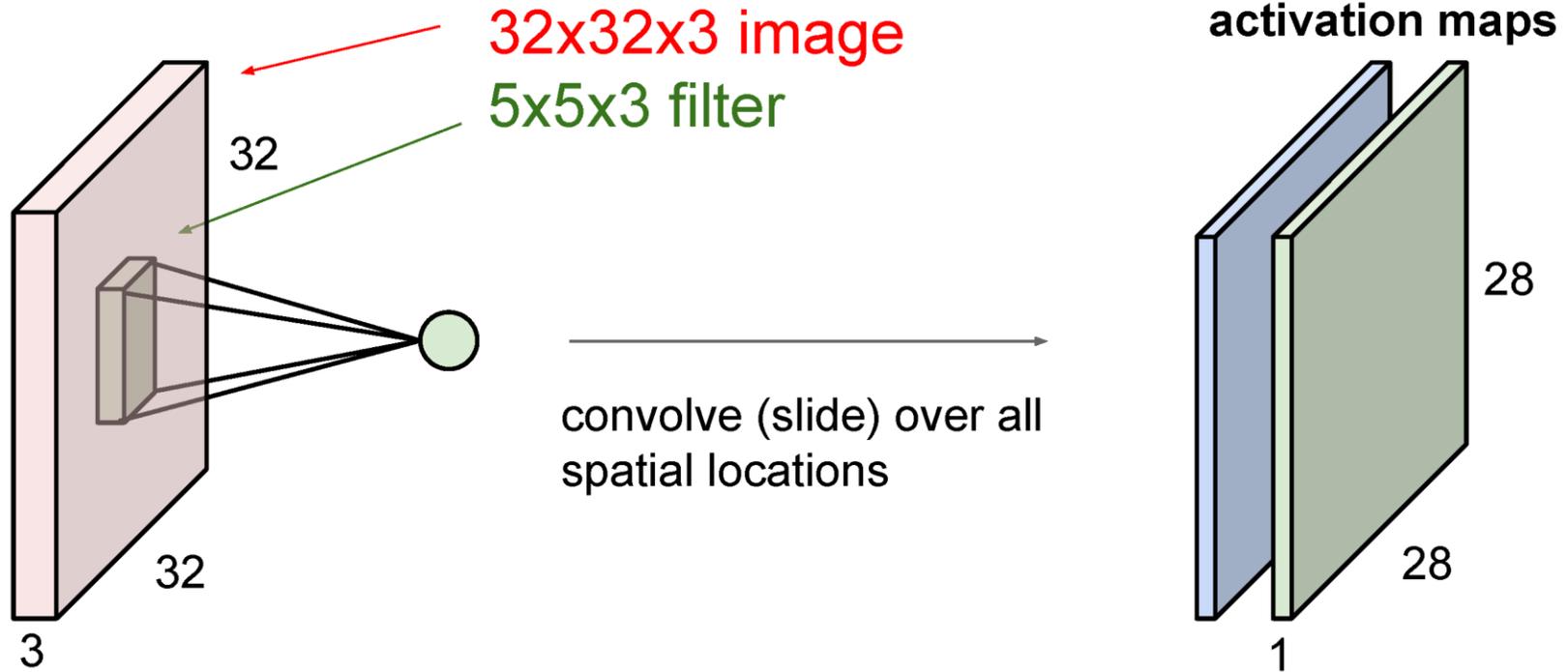


# Convolution Layer

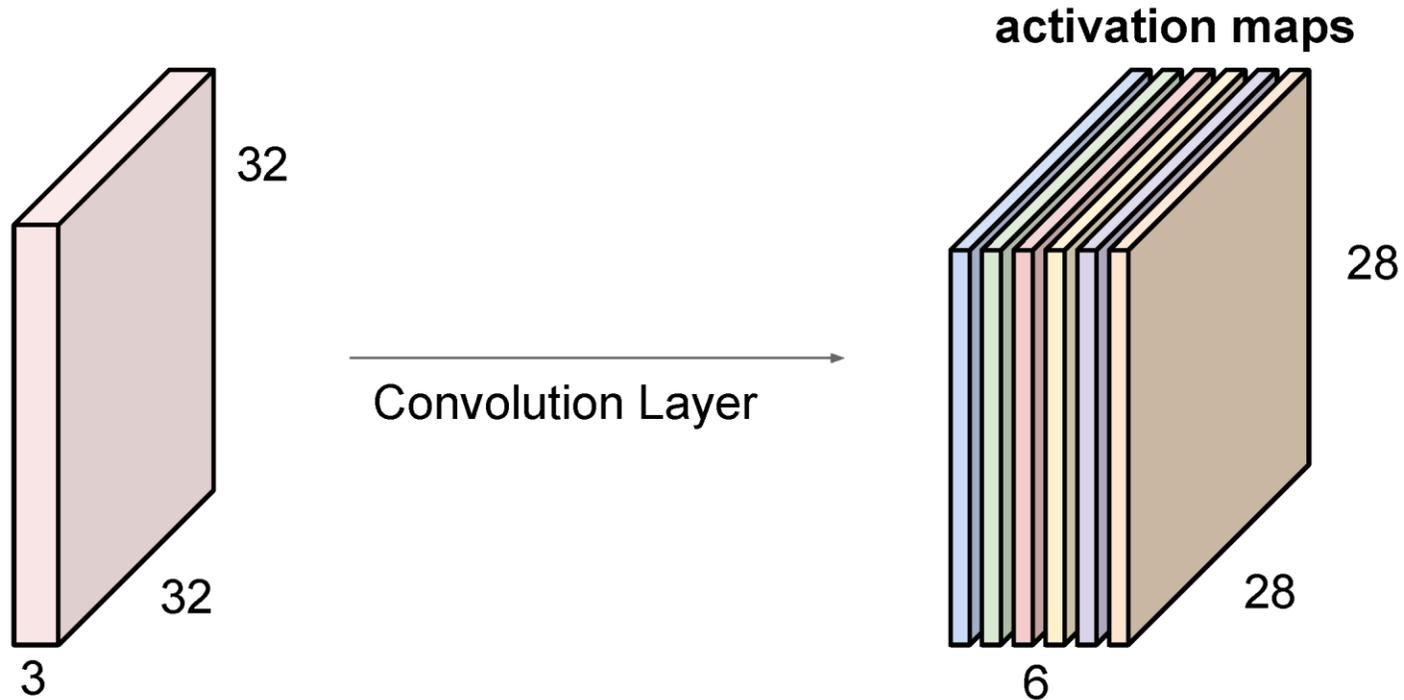


# Convolution Layer

consider a second, **green** filter



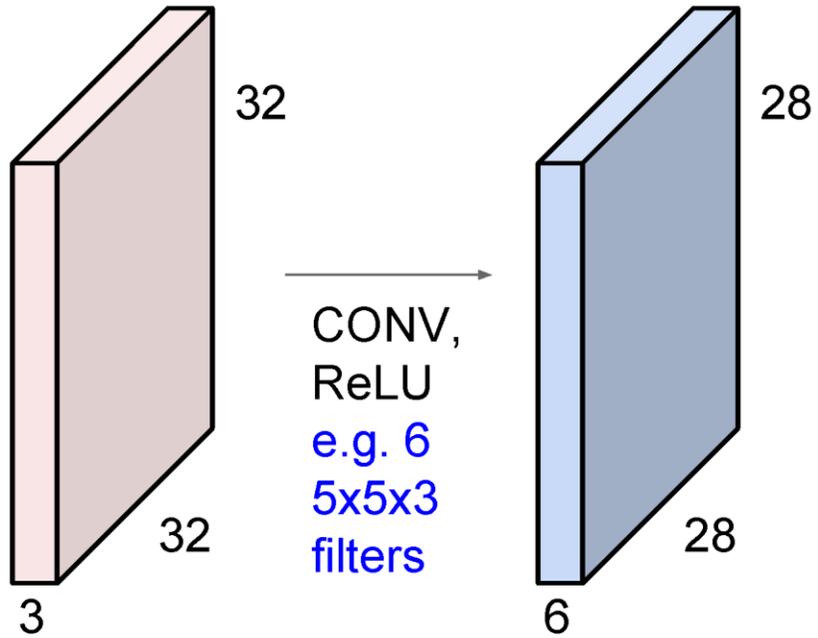
For example, if we had 6 5x5 filters, we'll get 6 separate activation maps:



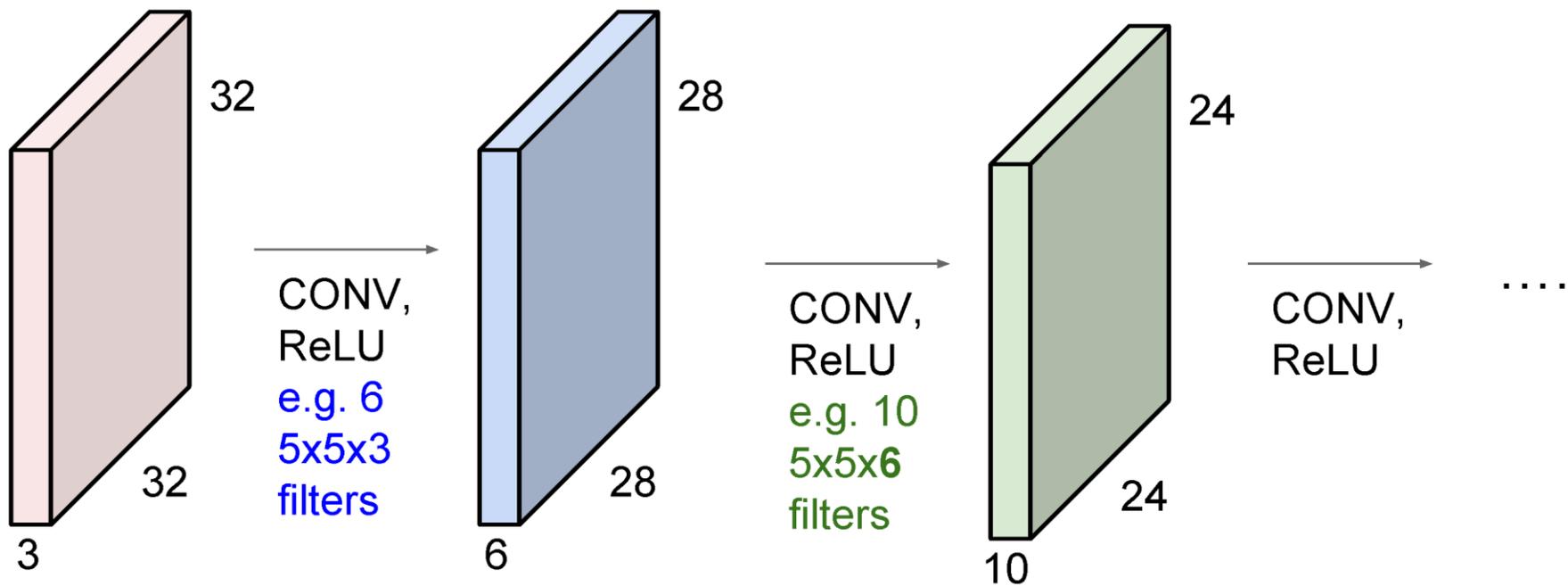
We stack these up to get a “new image” of size 28x28x6!

(total number of parameters:  $6 \times (75 + 1) = \mathbf{456}$ )

**Preview:** ConvNet is a sequence of Convolution Layers, interspersed with activation functions



**Preview:** ConvNet is a sequence of Convolution Layers, interspersed with activation functions



# Preview

[Zeiler and Fergus 2013]

Visualization of VGG-16 by Lane McIntosh. VGG-16 architecture from [Simonyan and Zisserman 2014].

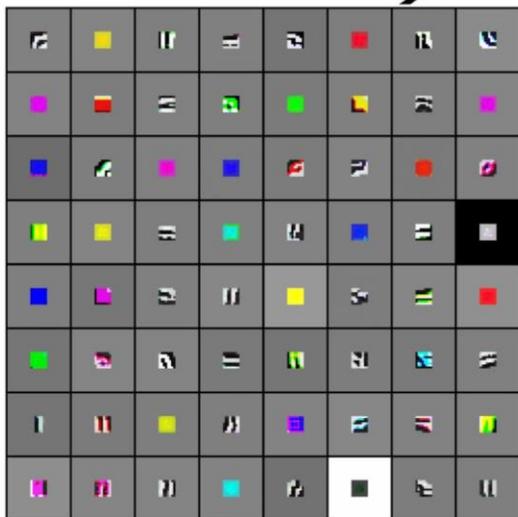


Low-level features

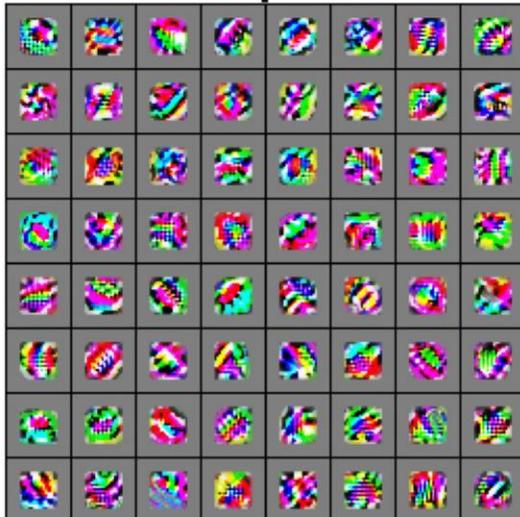
Mid-level features

High-level features

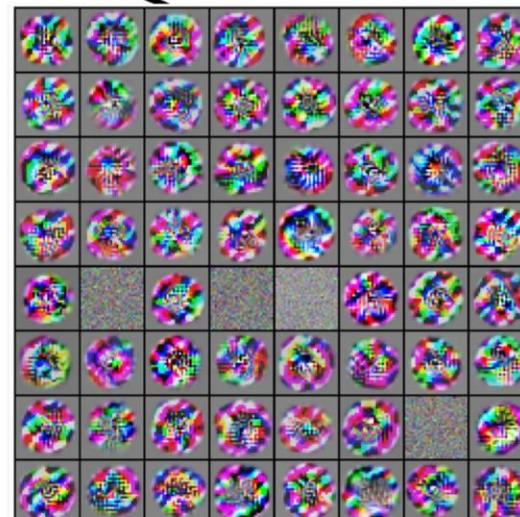
Linearly separable classifier



VGG-16 Conv1\_1

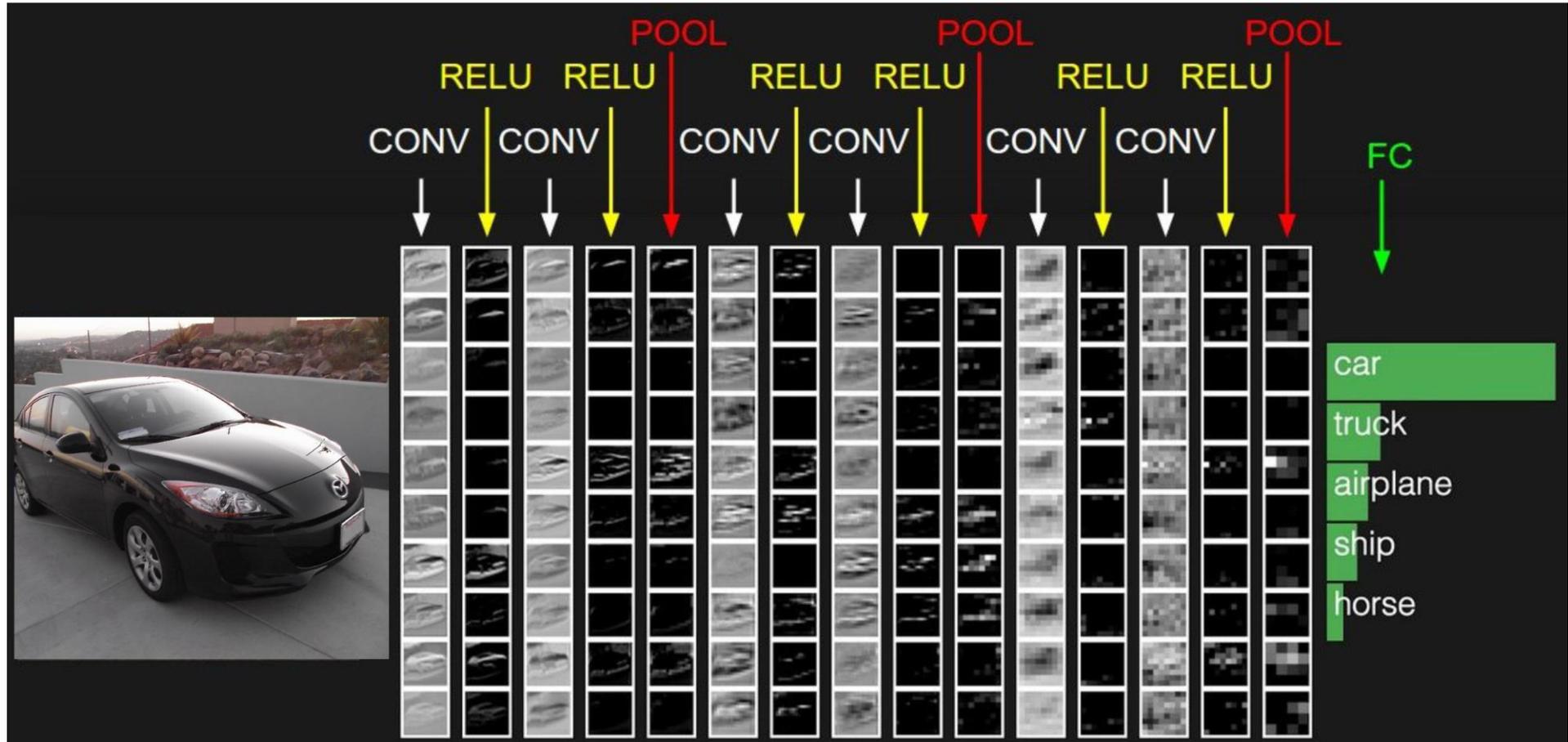


VGG-16 Conv3\_2

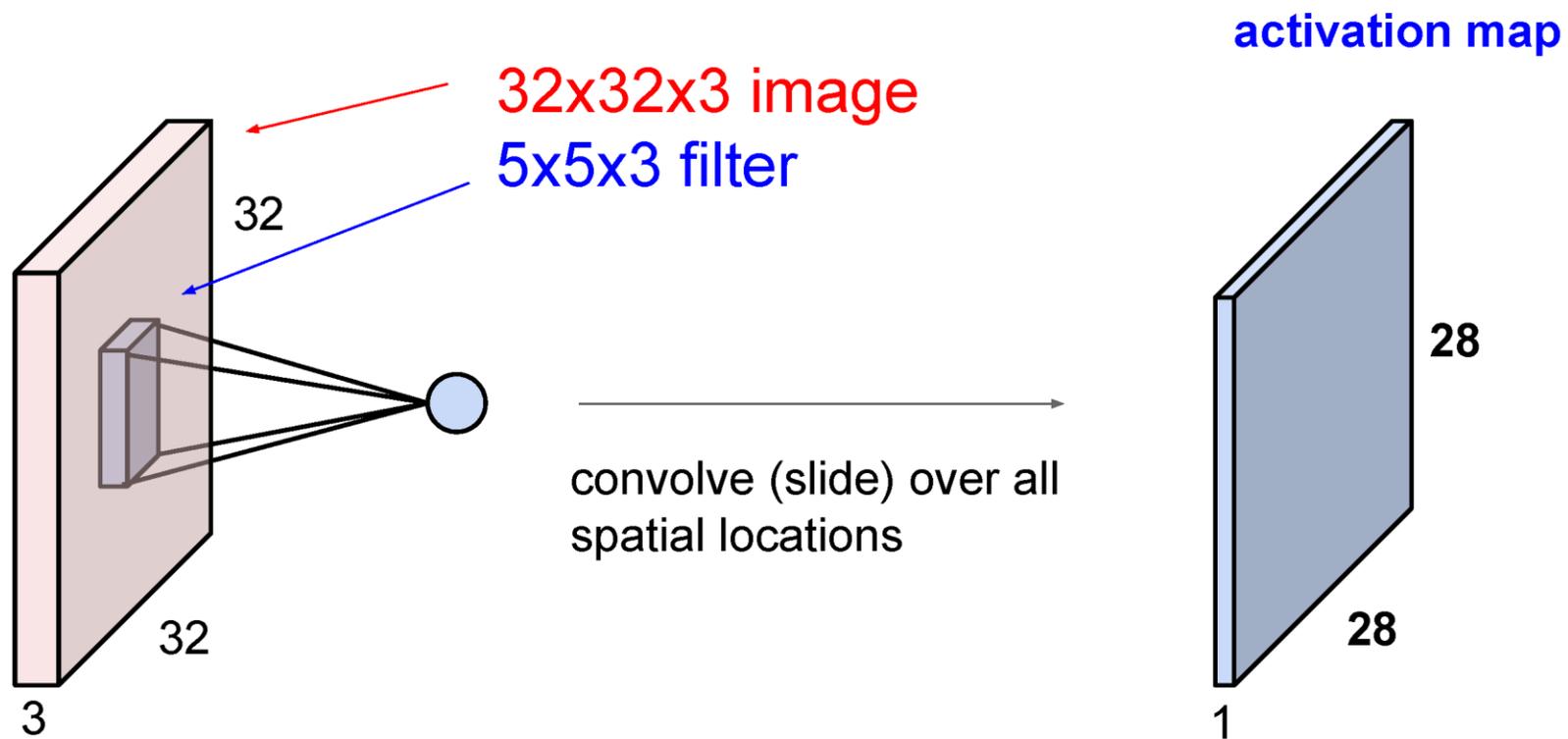


VGG-16 Conv5\_3

preview:

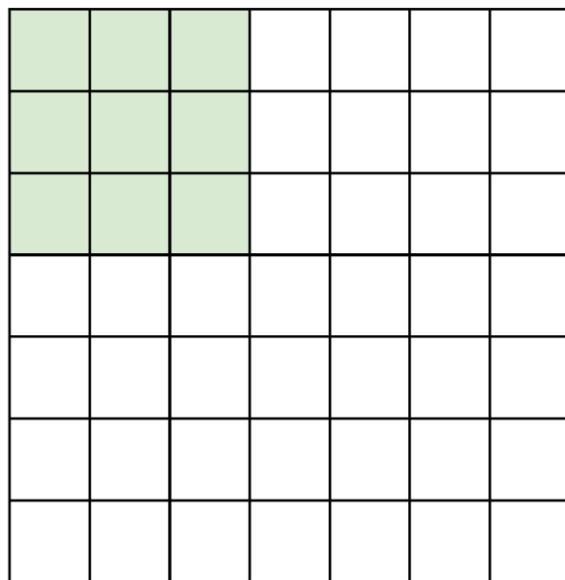


A closer look at spatial dimensions:



A closer look at spatial dimensions:

7

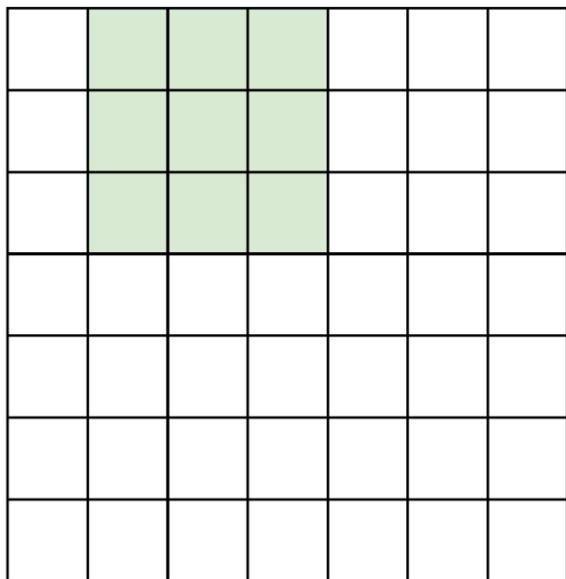


7x7 input (spatially)  
assume 3x3 filter

7

A closer look at spatial dimensions:

7

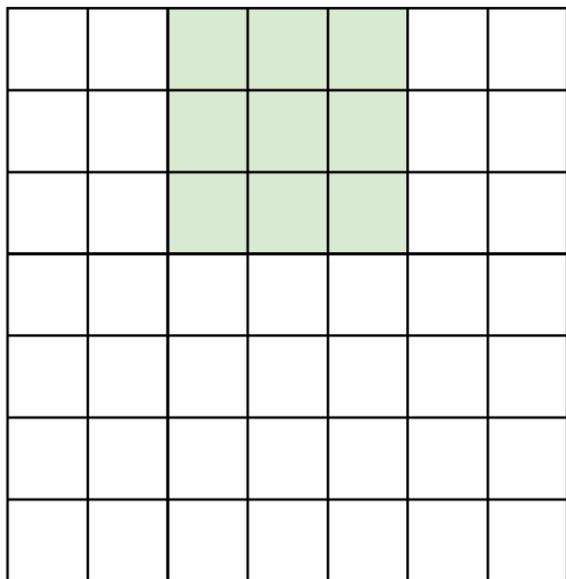


7x7 input (spatially)  
assume 3x3 filter

7

A closer look at spatial dimensions:

7

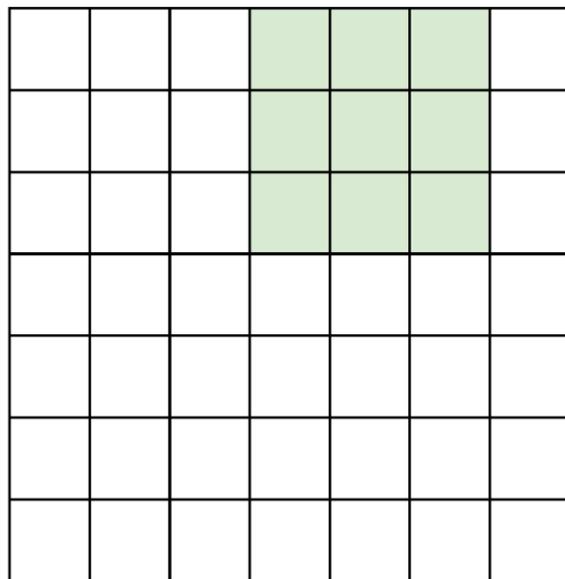


7x7 input (spatially)  
assume 3x3 filter

7

A closer look at spatial dimensions:

7

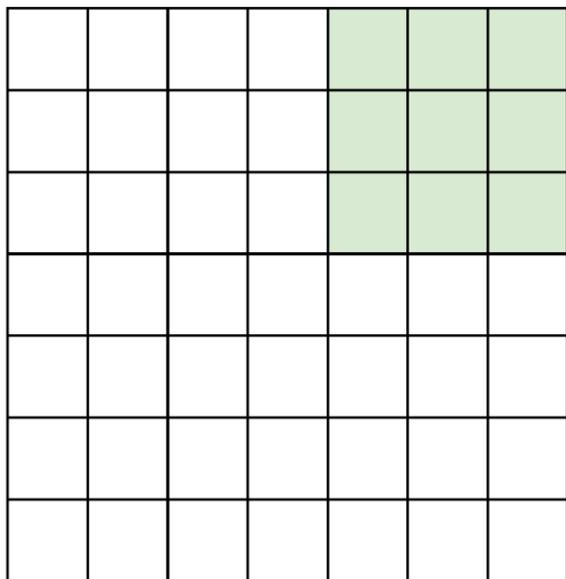


7x7 input (spatially)  
assume 3x3 filter

7

A closer look at spatial dimensions:

7

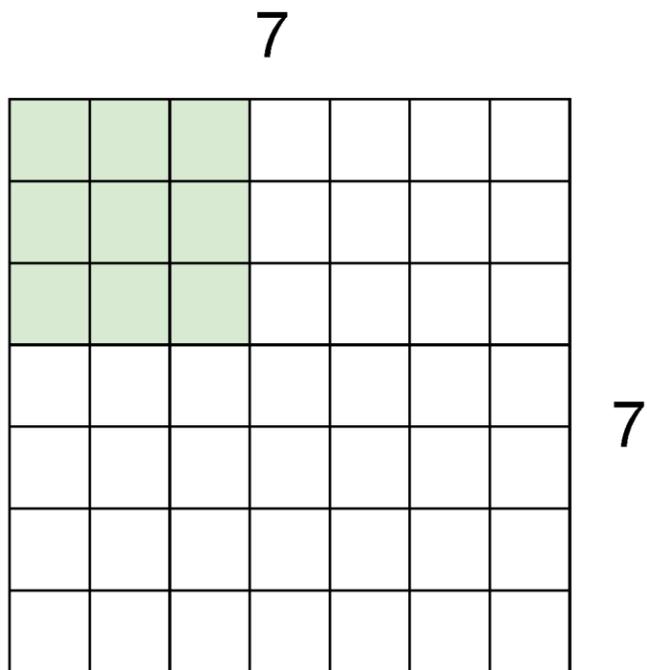


7

7x7 input (spatially)  
assume 3x3 filter

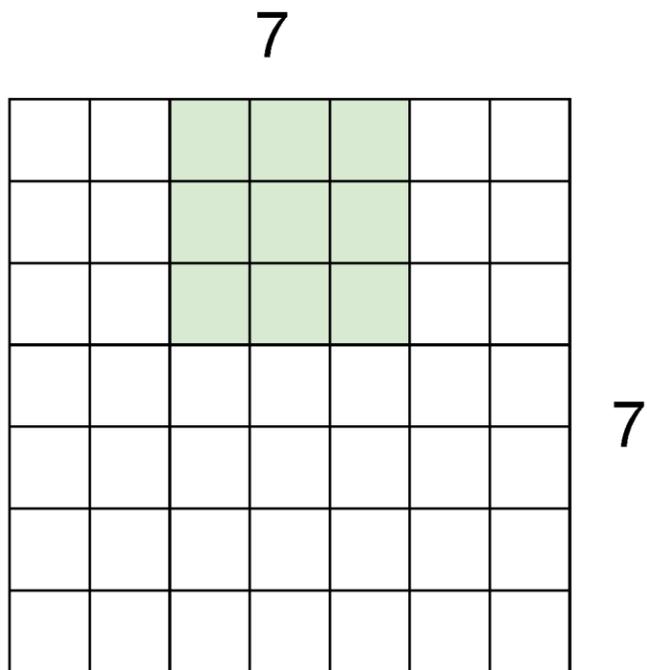
**=> 5x5 output**

A closer look at spatial dimensions:



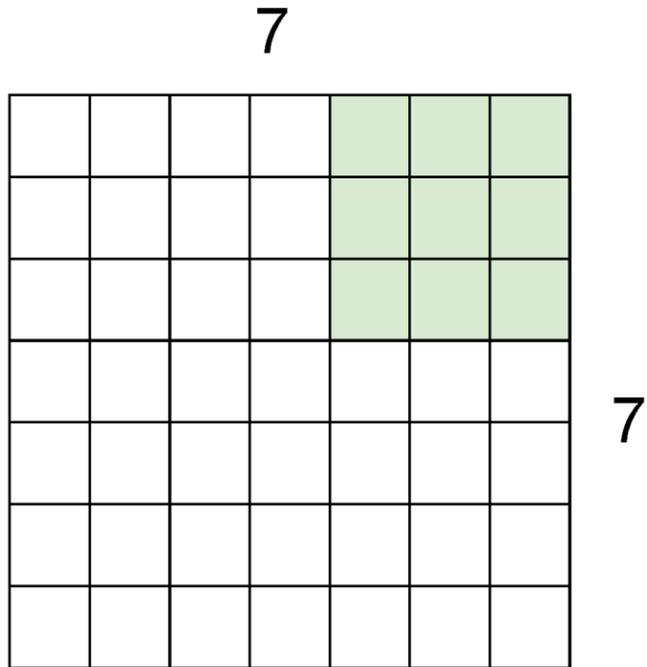
7x7 input (spatially)  
assume 3x3 filter  
applied **with stride 2**

A closer look at spatial dimensions:



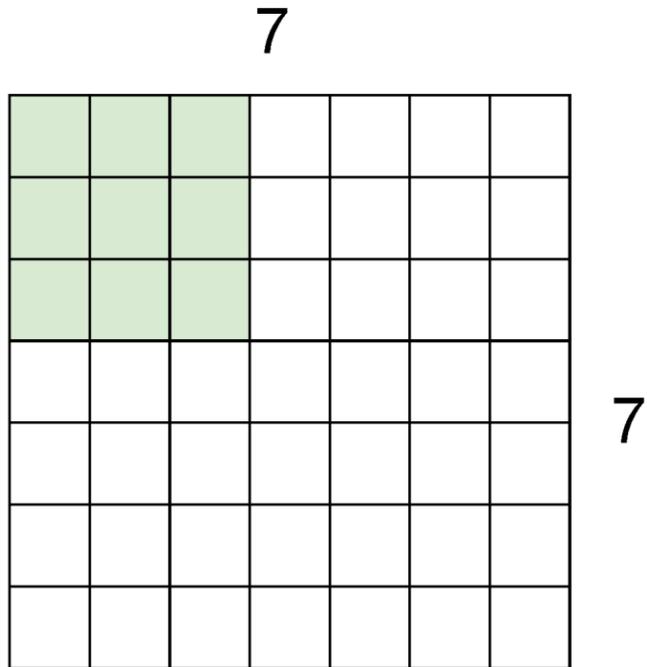
7x7 input (spatially)  
assume 3x3 filter  
applied **with stride 2**

A closer look at spatial dimensions:



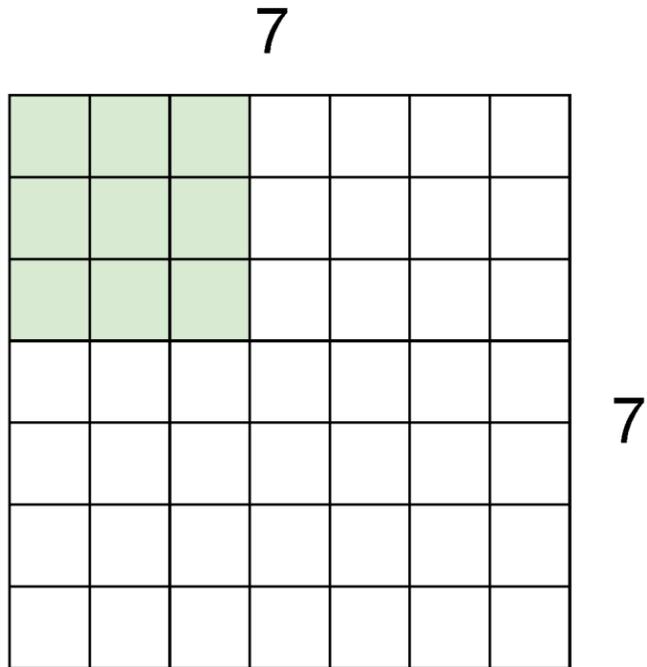
7x7 input (spatially)  
assume 3x3 filter  
applied **with stride 2**  
**=> 3x3 output!**

A closer look at spatial dimensions:



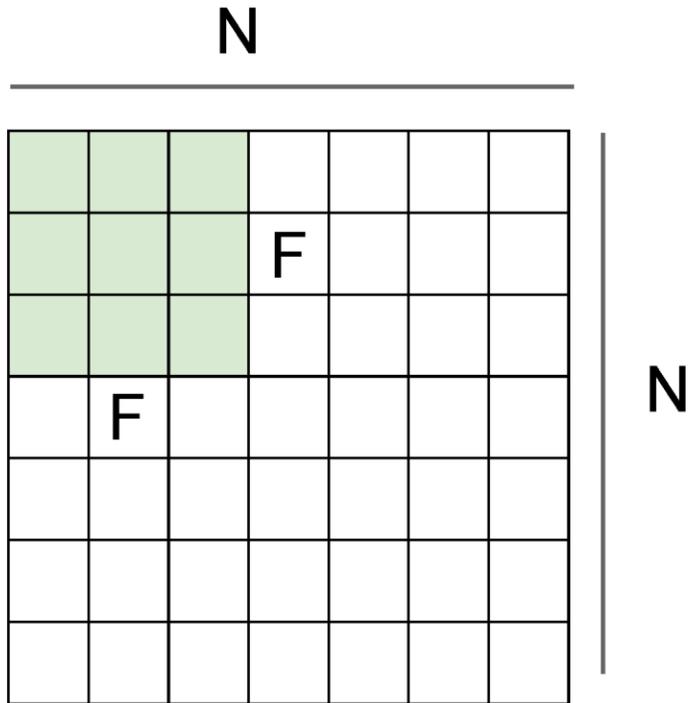
7x7 input (spatially)  
assume 3x3 filter  
applied **with stride 3?**

A closer look at spatial dimensions:



7x7 input (spatially)  
assume 3x3 filter  
applied **with stride 3?**

**doesn't fit!**  
cannot apply 3x3 filter on  
7x7 input with stride 3.



Output size:  
 **$(N - F) / \text{stride} + 1$**

e.g.  $N = 7, F = 3$ :

stride 1  $\Rightarrow (7 - 3) / 1 + 1 = 5$

stride 2  $\Rightarrow (7 - 3) / 2 + 1 = 3$

stride 3  $\Rightarrow (7 - 3) / 3 + 1 = 2.33 \setminus$

## In practice: Common to zero pad the border

0	0	0	0	0	0			
0								
0								
0								
0								

e.g. input 7x7

**3x3** filter, applied with **stride 1**

**pad with 1 pixel** border => what is the output?

(recall:)

$(N - F) / \text{stride} + 1$

## In practice: Common to zero pad the border

0	0	0	0	0	0			
0								
0								
0								
0								

e.g. input 7x7

**3x3** filter, applied with **stride 1**

**pad with 1 pixel** border => what is the output?

**7x7 output!**

## In practice: Common to zero pad the border

0	0	0	0	0	0			
0								
0								
0								
0								

e.g. input 7x7

**3x3** filter, applied with **stride 1**

**pad with 1 pixel** border => what is the output?

**7x7 output!**

in general, common to see CONV layers with stride 1, filters of size  $F \times F$ , and zero-padding with  $(F-1)/2$ . (will preserve size spatially)

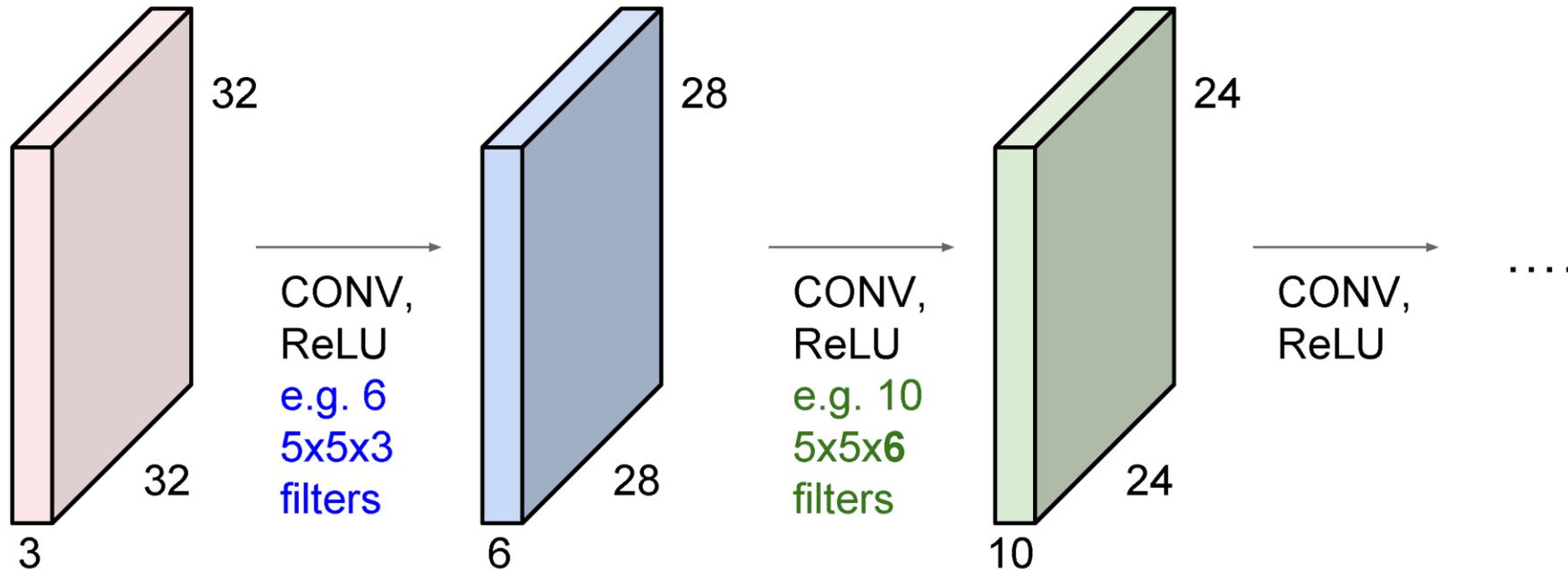
e.g.  $F = 3 \Rightarrow$  zero pad with 1

$F = 5 \Rightarrow$  zero pad with 2

$F = 7 \Rightarrow$  zero pad with 3

## Remember back to...

E.g. 32x32 input convolved repeatedly with 5x5 filters shrinks volumes spatially!  
(32 -> 28 -> 24 ...). Shrinking too fast is not good, doesn't work well.

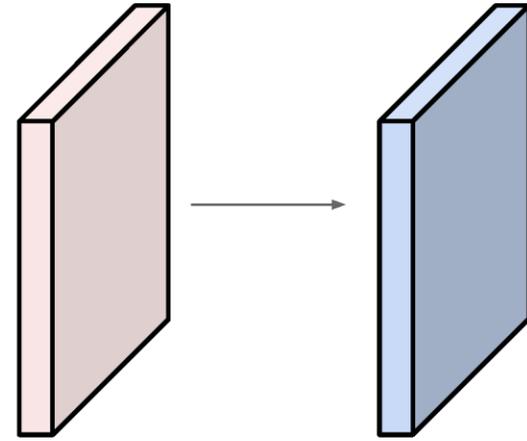


Examples time:

Input volume: **32x32x3**

10 5x5 filters with stride 1, pad 2

Output volume size: ?



Examples time:

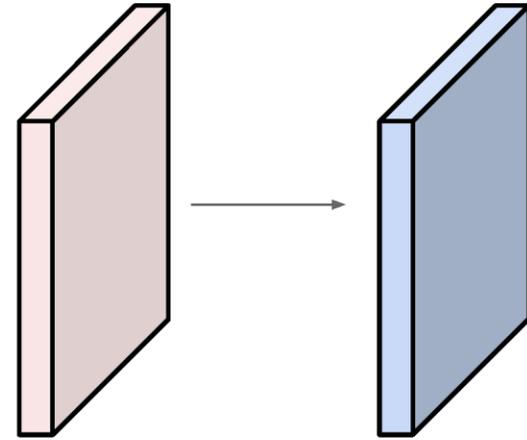
Input volume: **32x32x3**

**10** **5x5** filters with stride **1**, pad **2**

Output volume size:

$(32+2*2-5)/1+1 = 32$  spatially, so

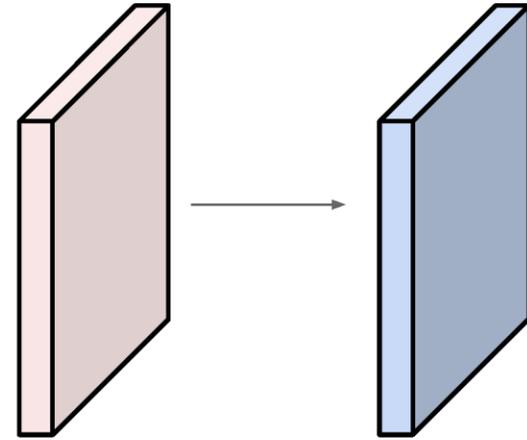
**32x32x10**



Examples time:

Input volume: **32x32x3**

10 5x5 filters with stride 1, pad 2

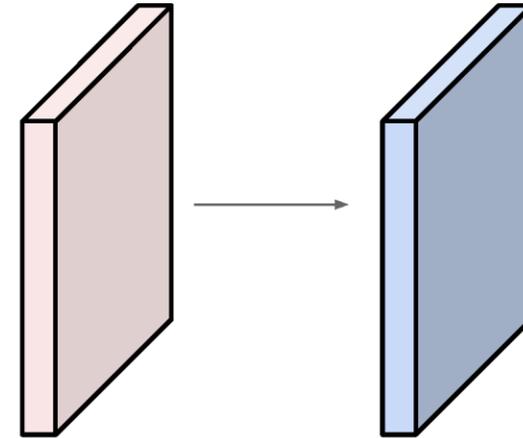


Number of parameters in this layer?

Examples time:

Input volume: **32x32x3**

**10** **5x5** filters with stride 1, pad 2

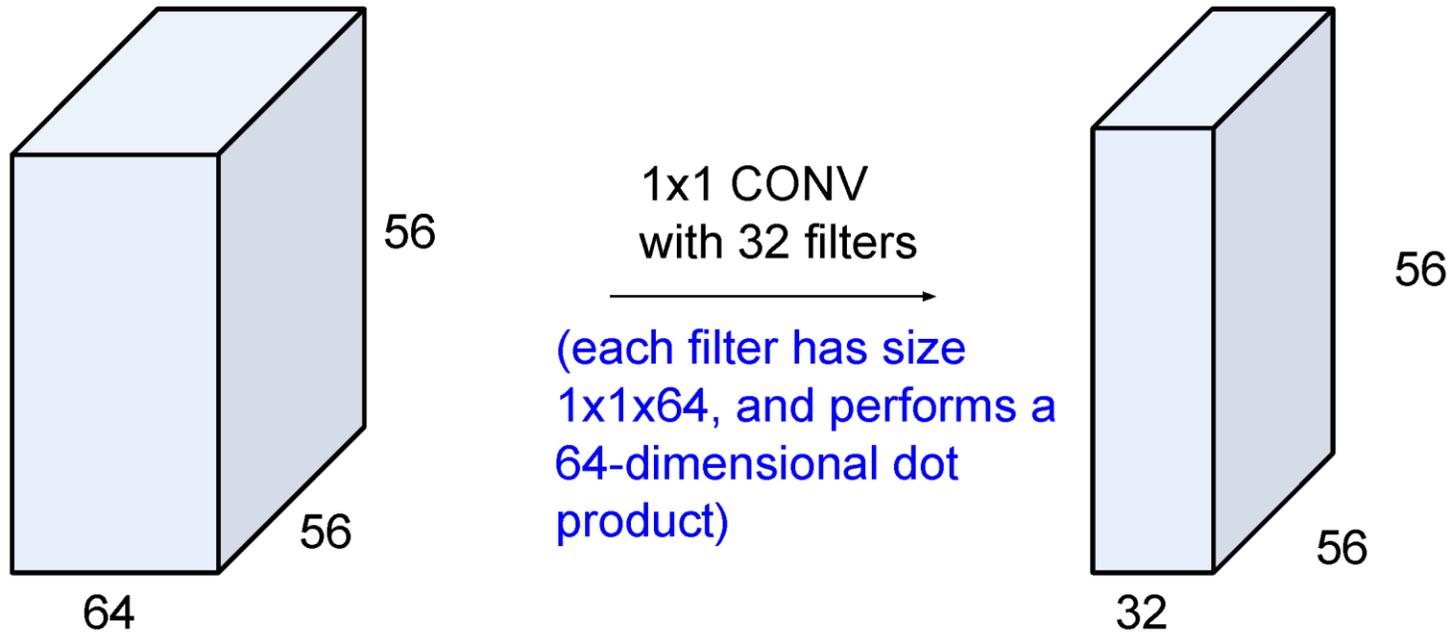


Number of parameters in this layer?

each filter has  $5*5*3 + 1 = 76$  params (+1 for bias)

$\Rightarrow 76*10 = 760$

(btw, 1x1 convolution layers make perfect sense)

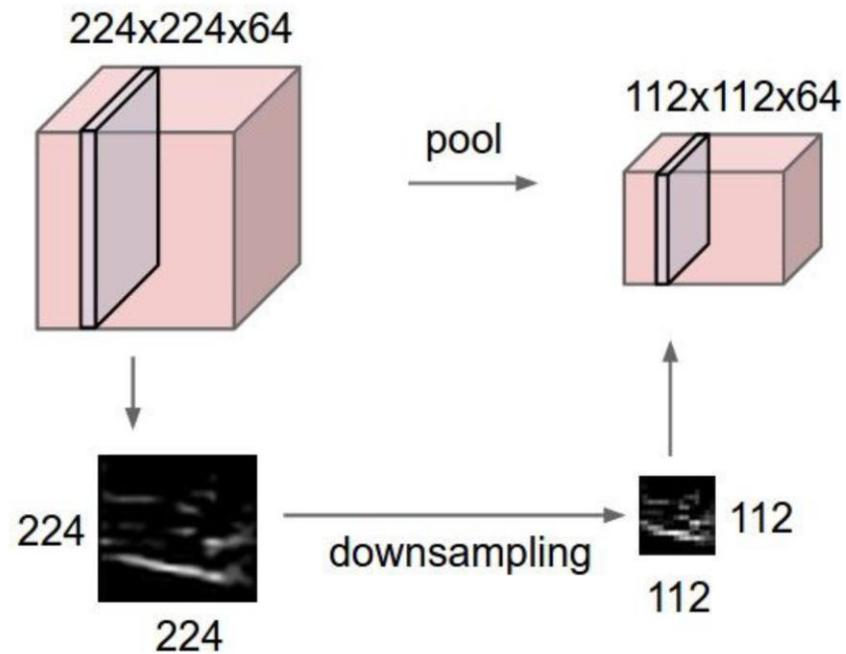


# Convolutional layer—properties

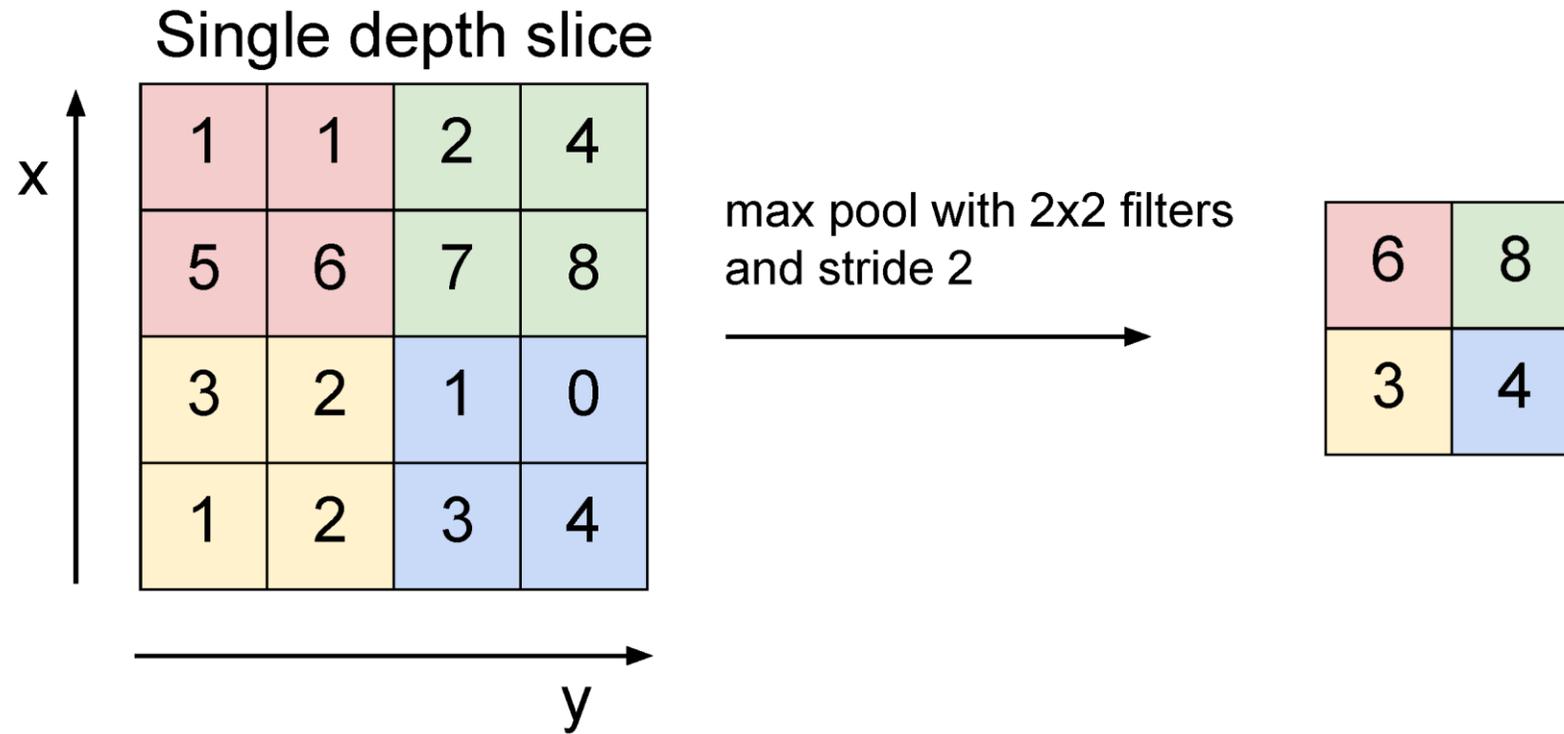
- Small number of parameters to learn compared to a fully connected layer
- Preserves spatial structure—output of a convolutional layer is shaped like an image
- **Translation equivariant:** passing a translated image through a convolutional layer is (almost) equivalent to translating the convolution output (but be careful of image boundaries)

# Pooling layer

- makes the representations smaller and more manageable
- operates over each activation map independently:

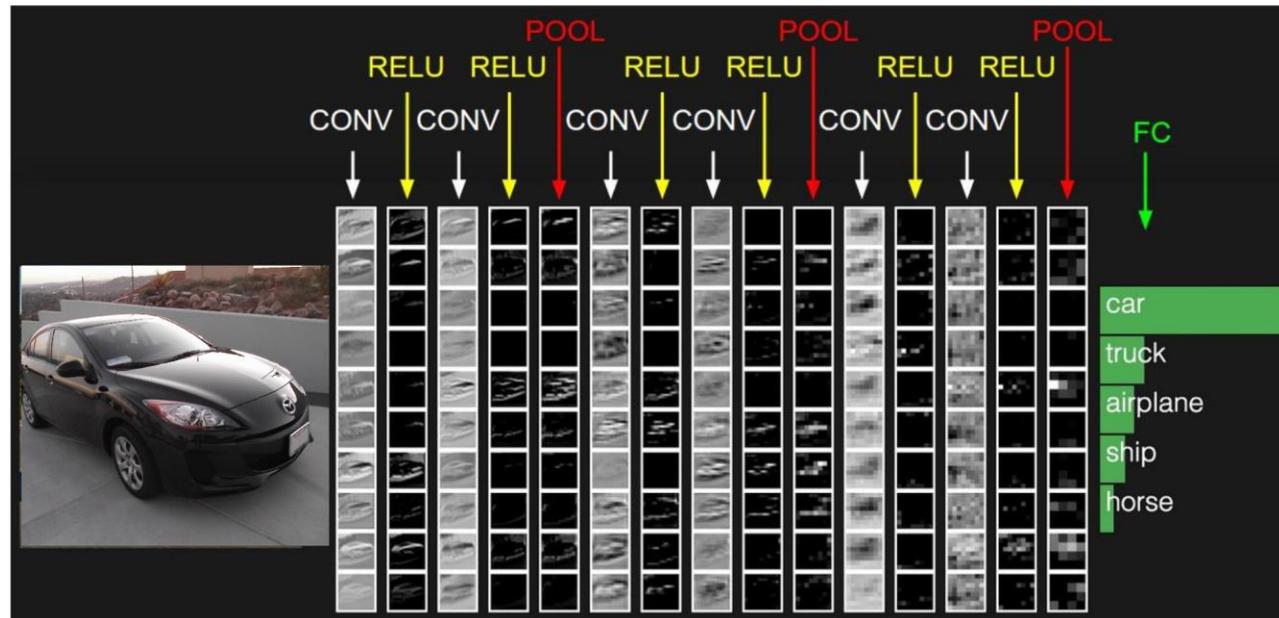


# MAX POOLING



# Fully Connected Layer (FC layer)

- Contains neurons that connect to the entire input volume, as in ordinary Neural Networks



# [ConvNetJS demo: training on CIFAR-10]

## [ConvNetJS](#) CIFAR-10 demo

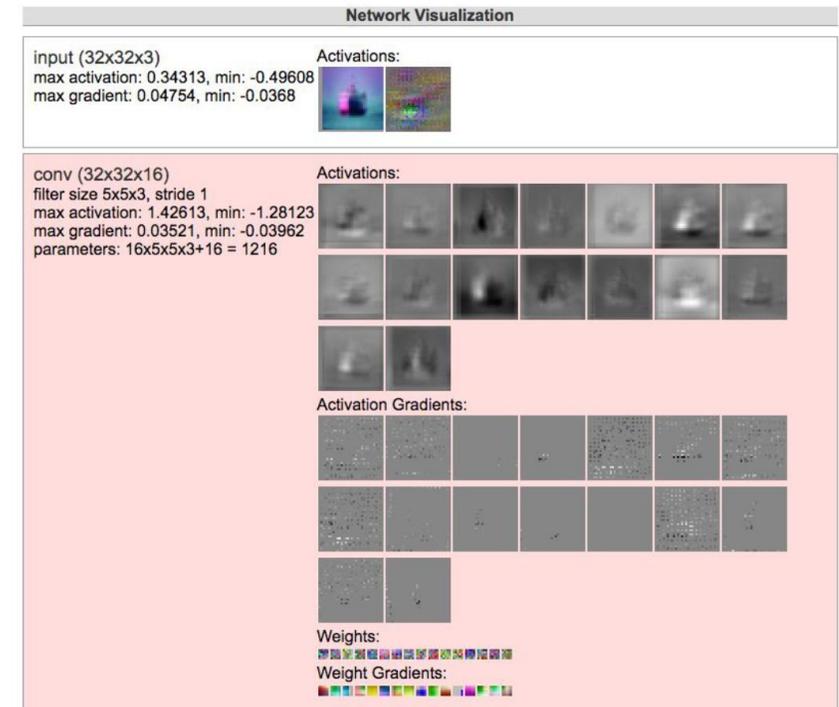
### Description

This demo trains a Convolutional Neural Network on the [CIFAR-10 dataset](#) in your browser, with nothing but Javascript. The state of the art on this dataset is about 90% accuracy and human performance is at about 94% (not perfect as the dataset can be a bit ambiguous). I used [this python script](#) to parse the [original files](#) (python version) into batches of images that can be easily loaded into page DOM with img tags.

This dataset is more difficult and it takes longer to train a network. Data augmentation includes random flipping and random image shifts by up to 2px horizontally and vertically.

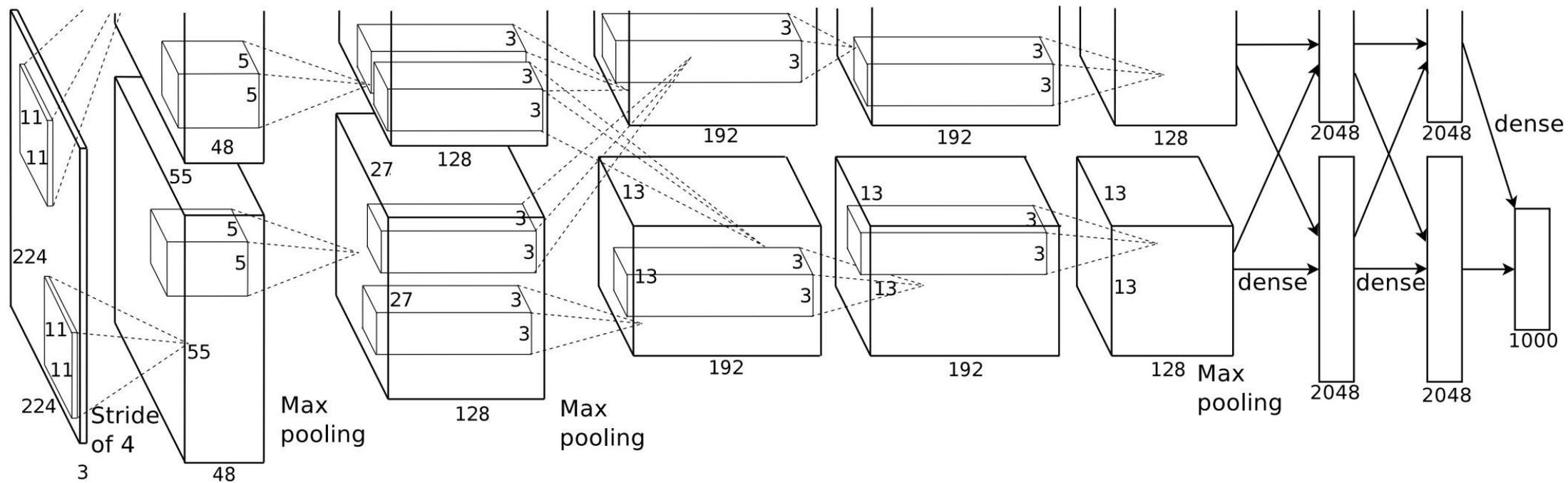
By default, in this demo we're using Adadelta which is one of per-parameter adaptive step size methods, so we don't have to worry about changing learning rates or momentum over time. However, I still included the text fields for changing these if you'd like to play around with SGD+Momentum trainer.

Report questions/bugs/suggestions to [@karpathy](#).

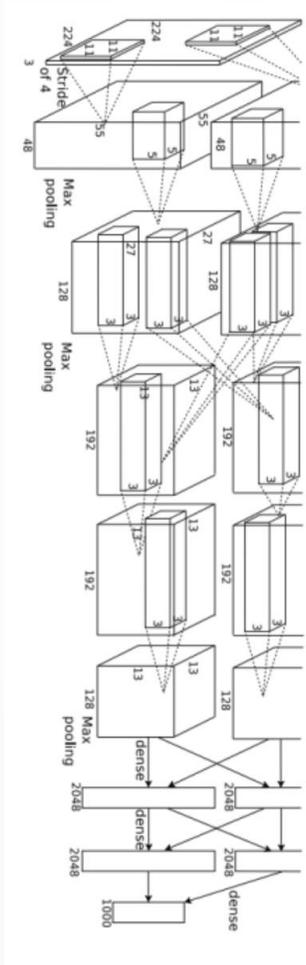


<https://cs.stanford.edu/people/karpathy/convnetjs/demo/cifar10.html>

# AlexNet

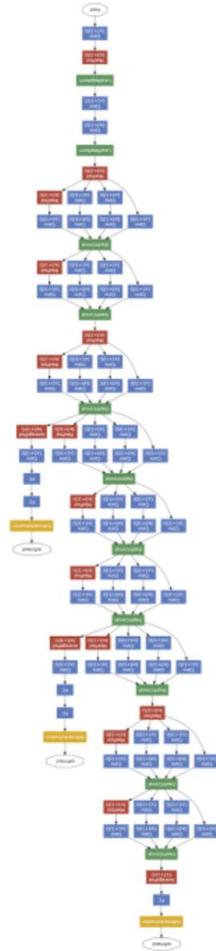


# “AlexNet”



[Krizhevsky et al. NIPS 2012]

# “GoogLeNet”



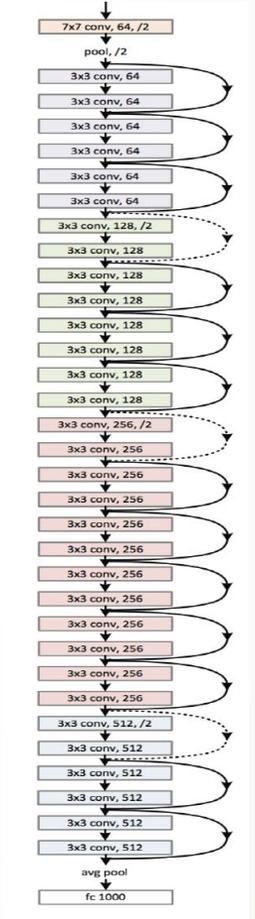
[Szegedy et al. CVPR 2015]

# “VGG Net”



[Simonyan & Zisserman, ICLR 2015]

# “ResNet”



[He et al. CVPR 2016]

# Big picture

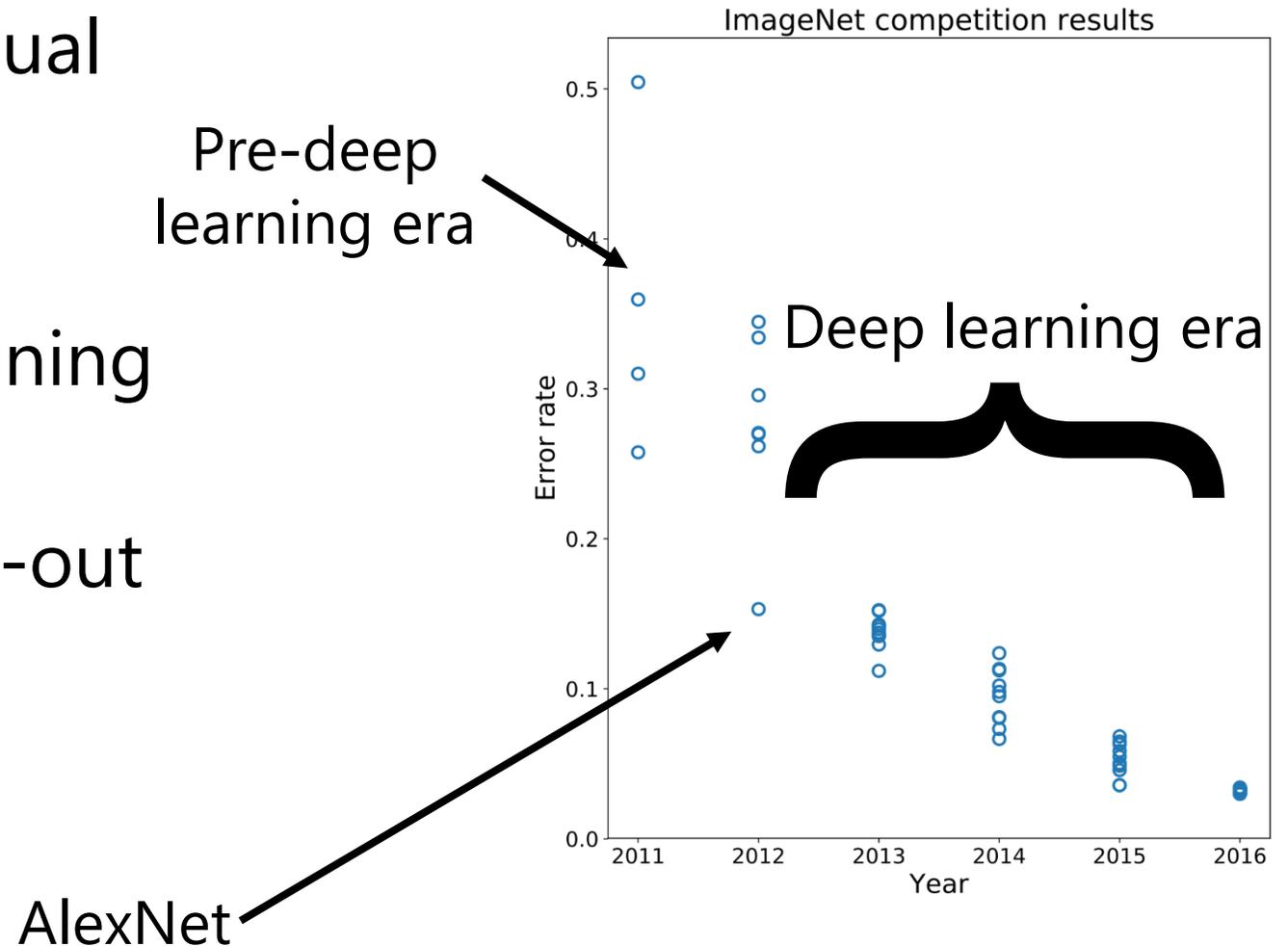
- A convolutional neural network can be thought of as a function from images to class scores
  - With millions of adjustable weights...
  - ... leading to a very non-linear mapping from images to features / class scores.
  - We will set these weights based on classification accuracy on training data...
  - ... and hopefully our network will generalize to new images at test time

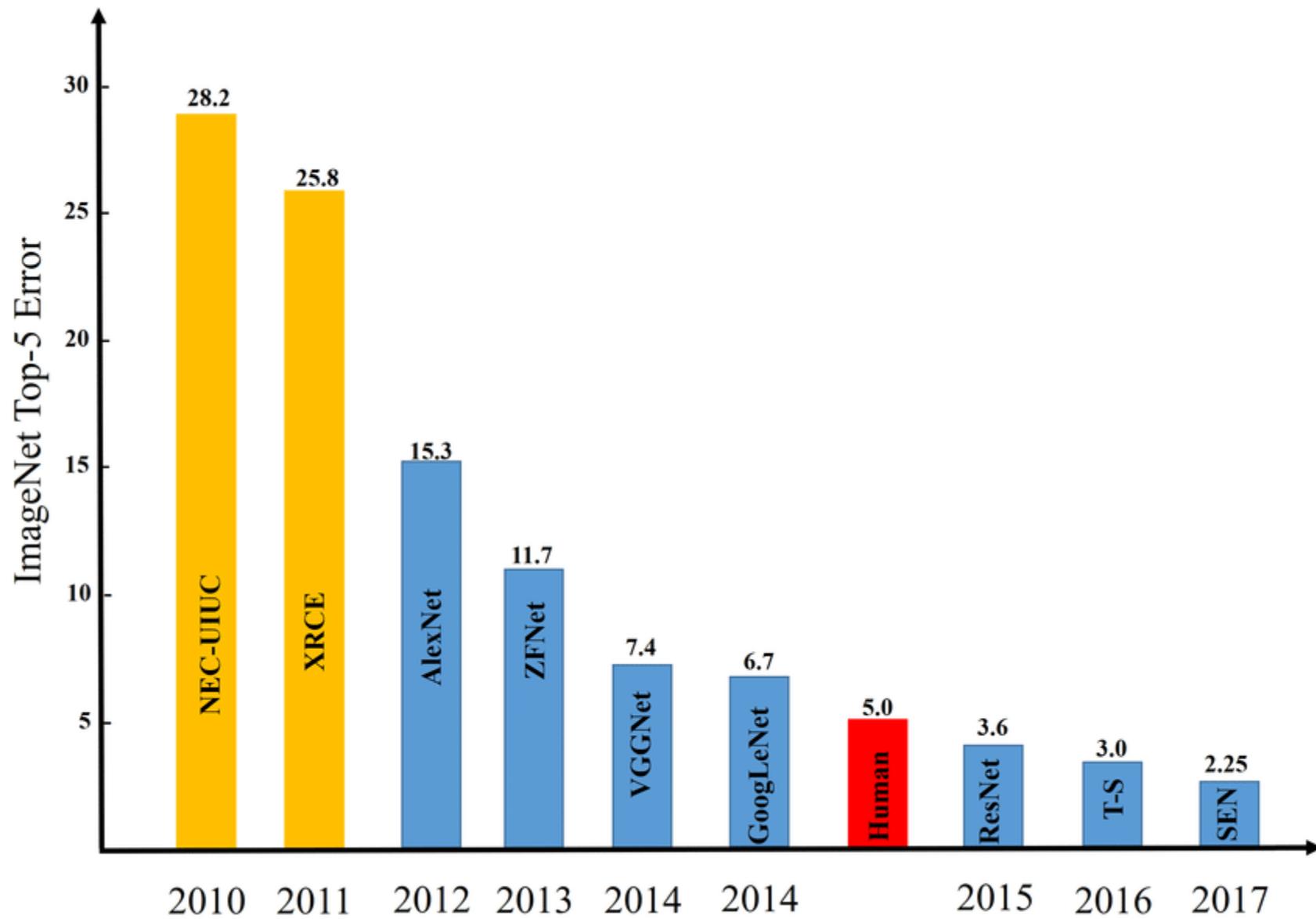
# Data is key—enter ImageNet

- ImageNet (and the ImageNet Large-Scale Visual Recognition Challenge, aka **ILSVRC**) has been key to training deep learning methods
  - J. Deng, W. Dong, R. Socher, L.-J. Li, K. Li and L. Fei-Fei, **ImageNet: A Large-Scale Hierarchical Image Database**. *CVPR*, 2009.
- **ILSVRC**: 1,000 object categories, each with ~700-1300 training images. Test set has 100 images per categories (100,000 total).
- Standard ILSVRC error metric: top-5 error
  - if the correct answer for a given test image is in the top 5 categories, your answer is judged to be correct

# Performance improvements on ILSVRC

- ImageNet Large-Scale Visual Recognition Challenge
- Held from 2011-2017
- 1000 categories, 1000 training images per category
- Test performance on held-out test set of images





**Questions?**