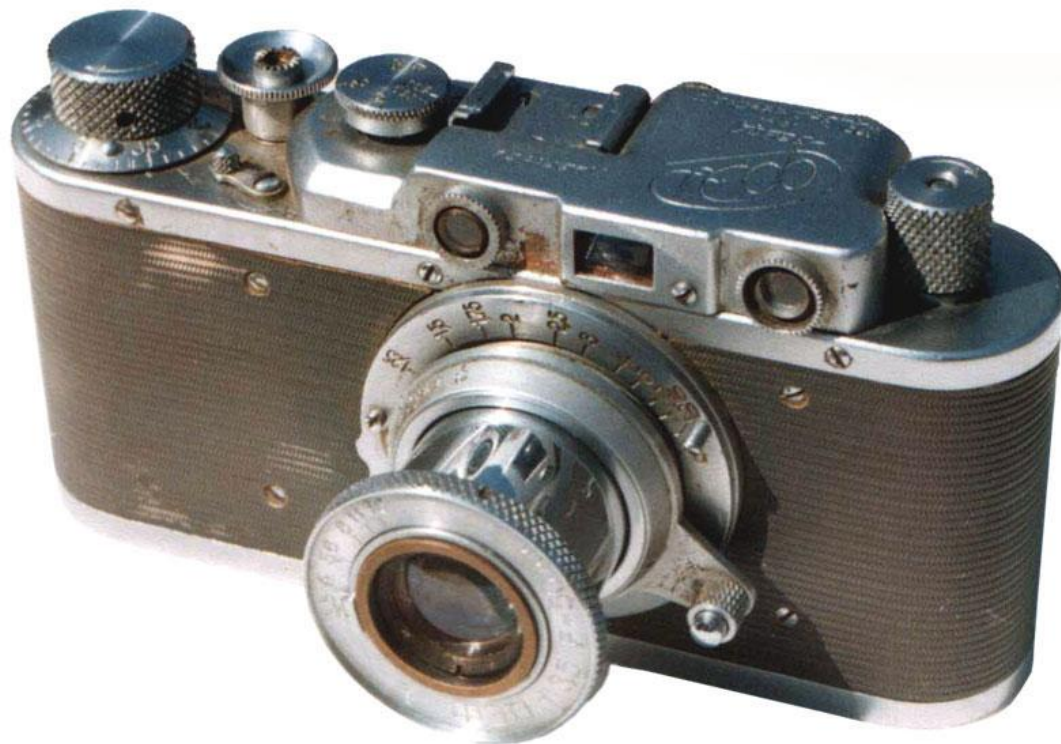


# CS4670: Computer Vision

Noah Snavely

## Lecture 10: Cameras



# Reading

- Szeliski 2.1.3-2.1.6

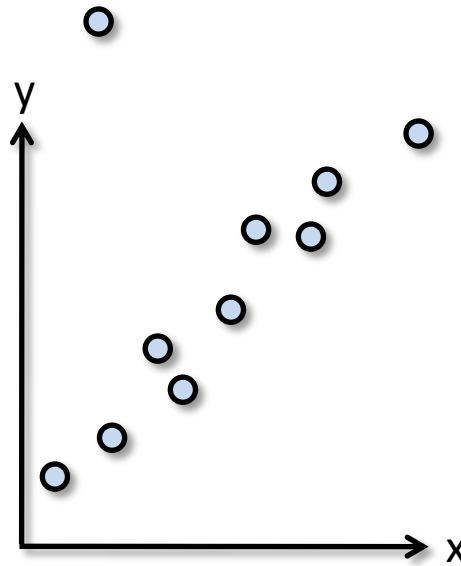
# Announcements

- Project 2a: extended to Wednesday, October 6, at 8:59pm
  - Dominant orientation: you can either compute the maximum eigenvector, or the smoothed gradient (as in the MOPs paper)
  - Scale-space detection not required
  - You can use any OpenCV routine that duplicates what you did for P1 (cvSmooth, cvSobel, cvFilter)
  - Black Harris images: you may need to multiply the image by some large constant to see the Harris values

# RANSAC



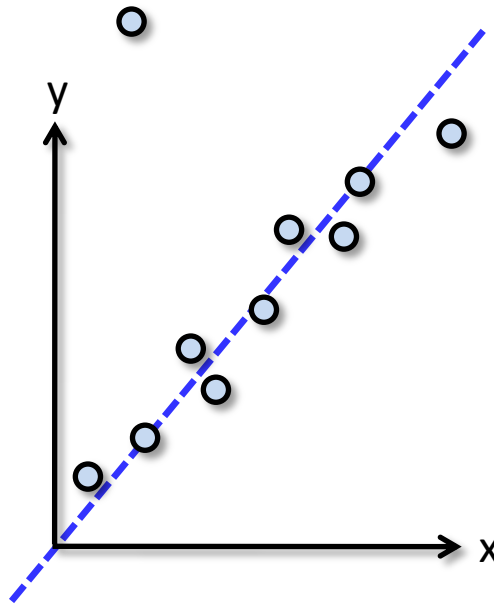
- Back to linear regression
- How do we generate a hypothesis?



# RANSAC



- Back to linear regression
- How do we generate a hypothesis?



# RANSAC

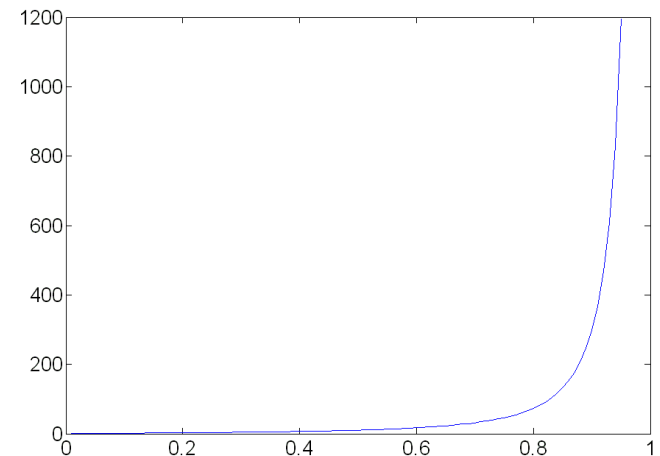
- General version:
  1. Randomly choose  $s$  samples
    - Typically  $s$  = minimum sample size that lets you fit a model
  2. Fit a model (e.g., line) to those samples
  3. Count the number of inliers that approximately fit the model
  4. Repeat  $N$  times
  5. Choose the model that has the largest set of inliers

# How many rounds?

- If we have to choose  $s$  samples each time
  - with an outlier ratio  $e$
  - and we want the right answer with probability  $p$

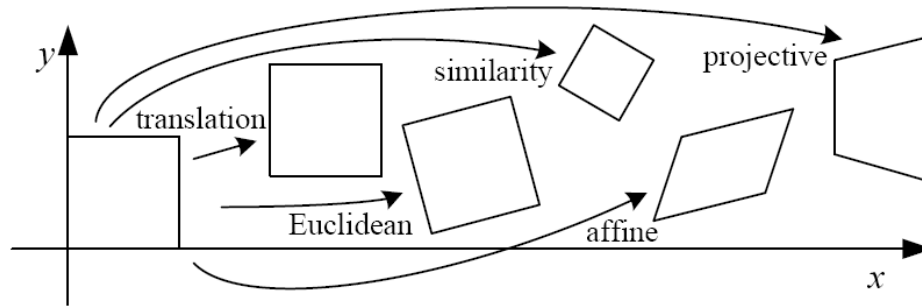
$s$	proportion of outliers $e$						
	5%	10%	20%	25%	30%	40%	50%
2	2	3	5	6	7	11	17
3	3	4	7	9	11	19	35
4	3	5	9	13	17	34	72
5	4	6	12	17	26	57	146
6	4	7	16	24	37	97	293
7	4	8	20	33	54	163	588
8	5	9	26	44	78	272	1177






$$p = 0.99$$



# How big is $s$ ?

- For alignment, depends on the motion model
  - Here, each sample is a correspondence (pair of matching points)



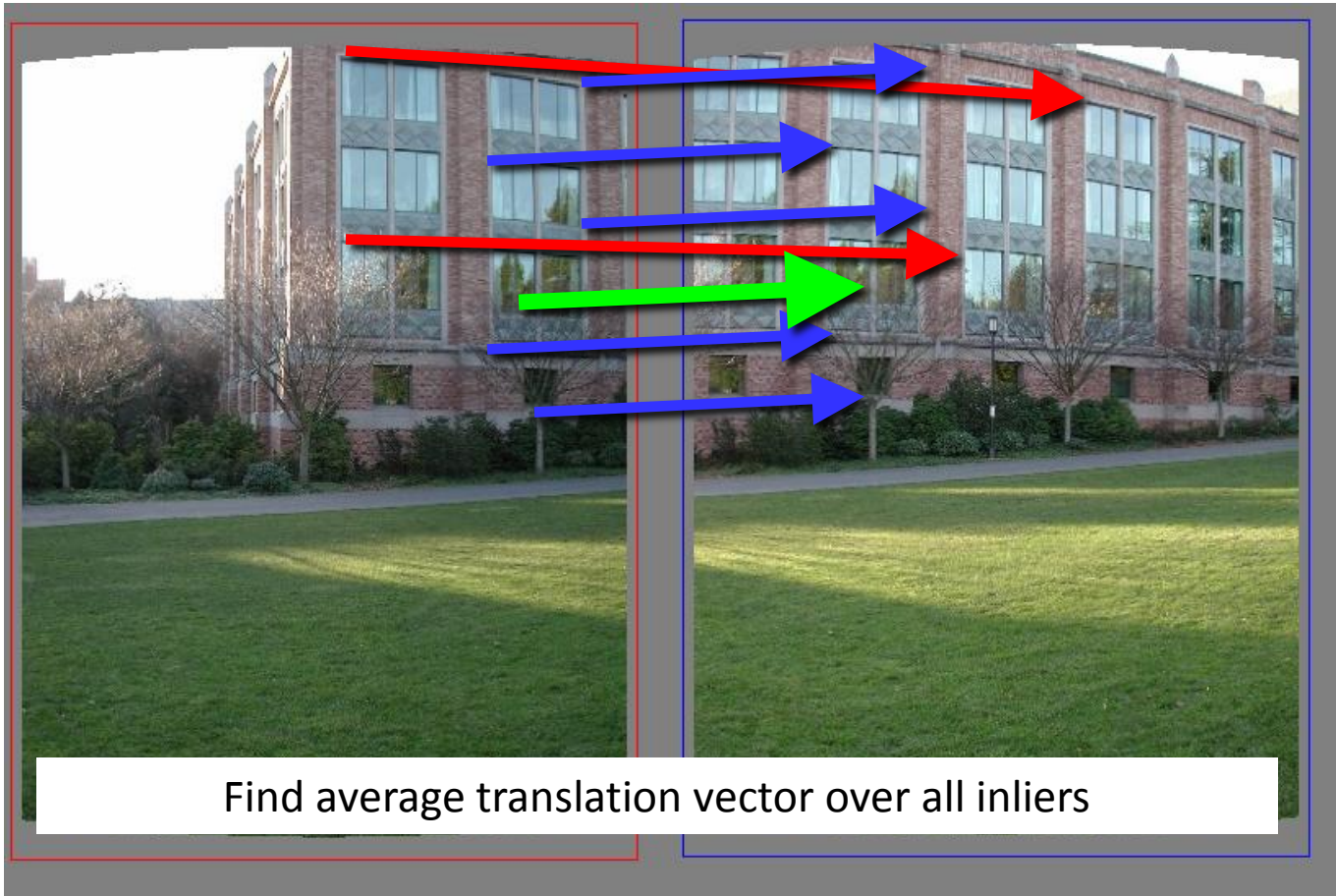
Name	Matrix	# D.O.F.	Preserves:	Icon
translation	$\begin{bmatrix} \mathbf{I} & \mathbf{t} \end{bmatrix}_{2 \times 3}$	2	orientation + ...	
rigid (Euclidean)	$\begin{bmatrix} \mathbf{R} & \mathbf{t} \end{bmatrix}_{2 \times 3}$	3	lengths + ...	
similarity	$\begin{bmatrix} s\mathbf{R} & \mathbf{t} \end{bmatrix}_{2 \times 3}$	4	angles + ...	
affine	$\begin{bmatrix} \mathbf{A} \end{bmatrix}_{2 \times 3}$	6	parallelism + ...	
projective	$\begin{bmatrix} \tilde{\mathbf{H}} \end{bmatrix}_{3 \times 3}$	8	straight lines	



# RANSAC pros and cons

- Pros
  - Simple and general
  - Applicable to many different problems
  - Often works well in practice
- Cons
  - Parameters to tune
  - Sometimes too many iterations are required
  - Can fail for extremely low inlier ratios
  - We can often do better than brute-force sampling

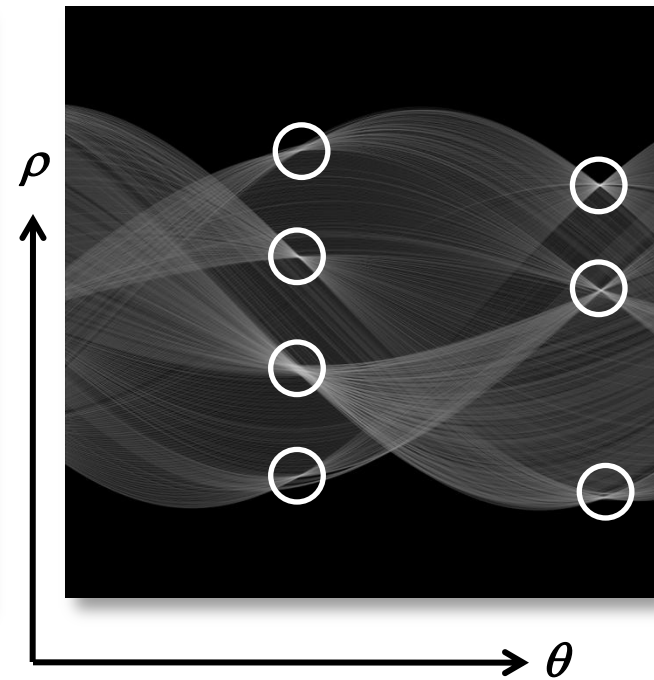
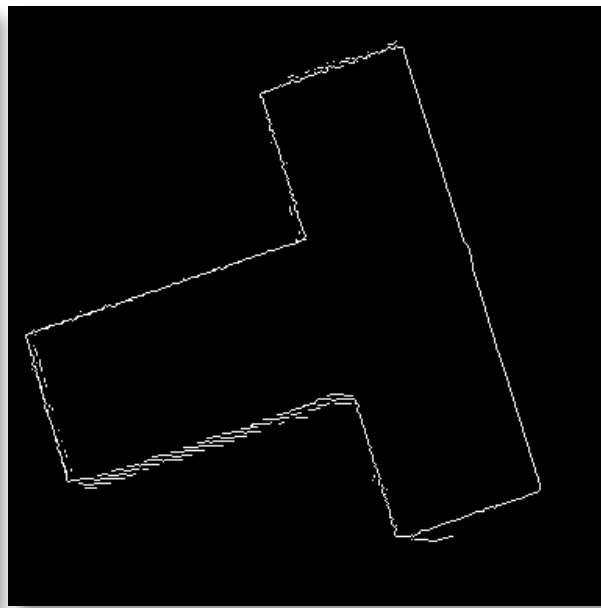
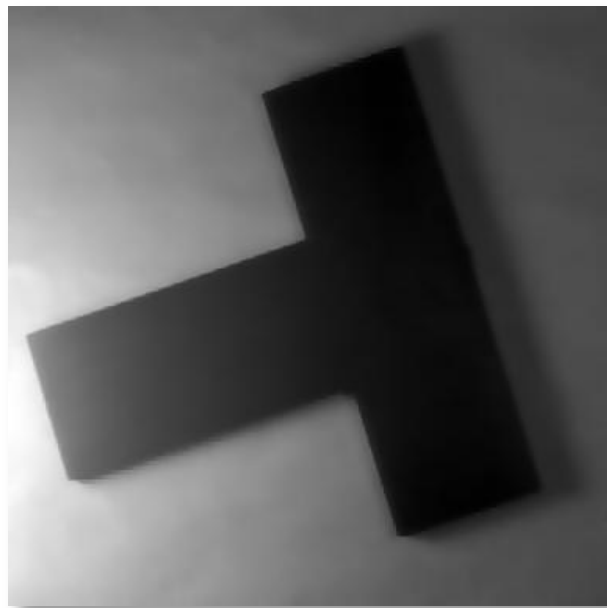
# Final step: least squares fit



# RANSAC

- An example of a “voting”-based fitting scheme
- Each hypothesis gets voted on by each data point, best hypothesis wins
- There are many other types of voting schemes
  - E.g., Hough transforms...

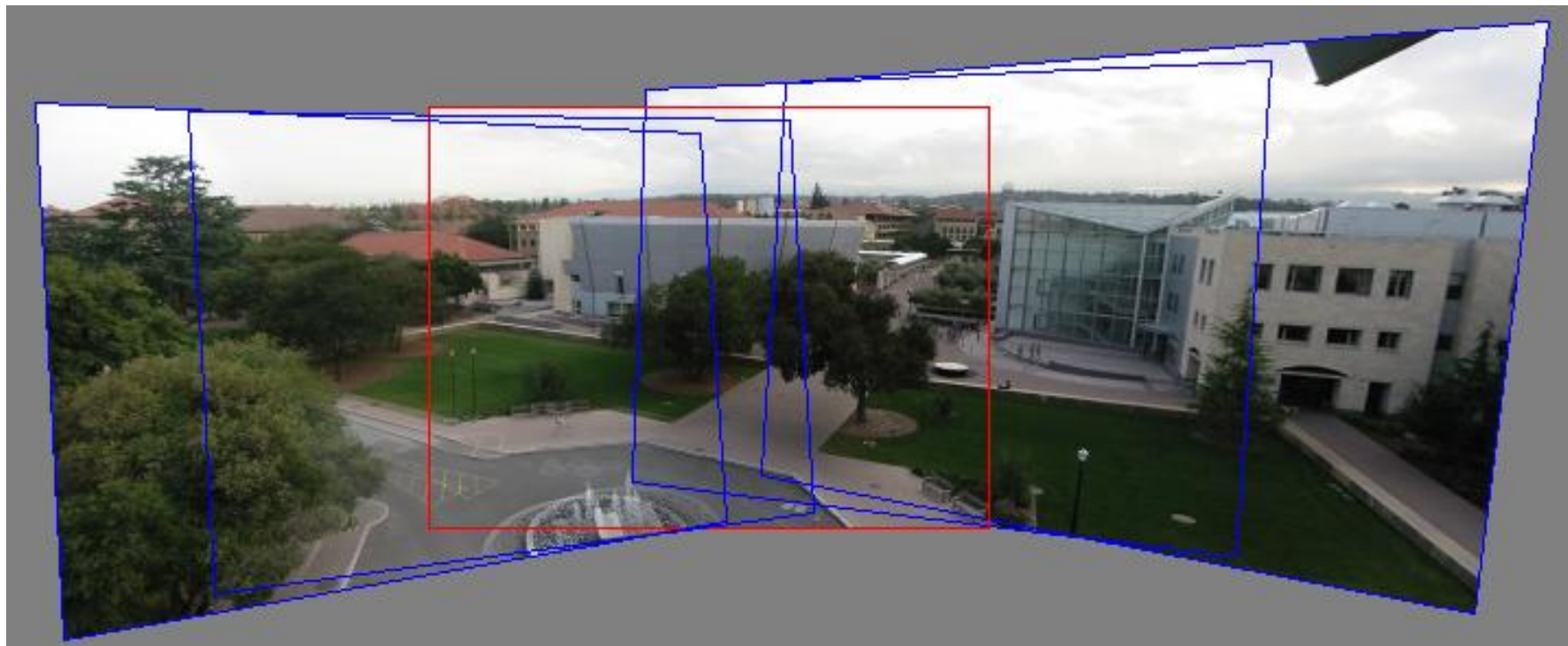
# Hough transform



# Panoramas

- Now we know how to create panoramas!
- Given two images:
  - Step 1: Detect features
  - Step 2: Match features
  - Step 3: Compute a homography using RANSAC
  - Step 4: Combine the images together (somehow)
- What if we have more than two images?

# Can we use homographies to create a 360 panorama?



- In order to figure this out, we need to learn what a **camera** is

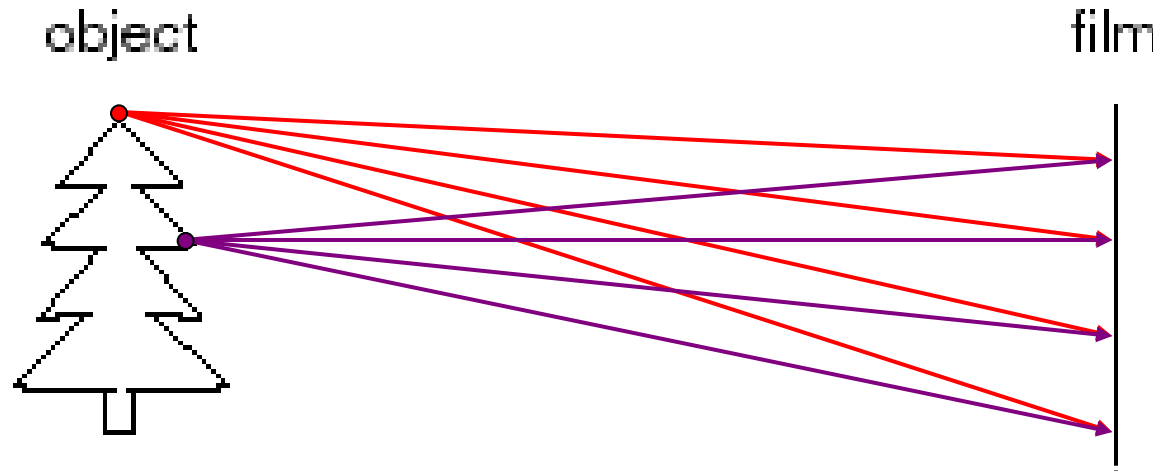
# 360 panorama



Questions?

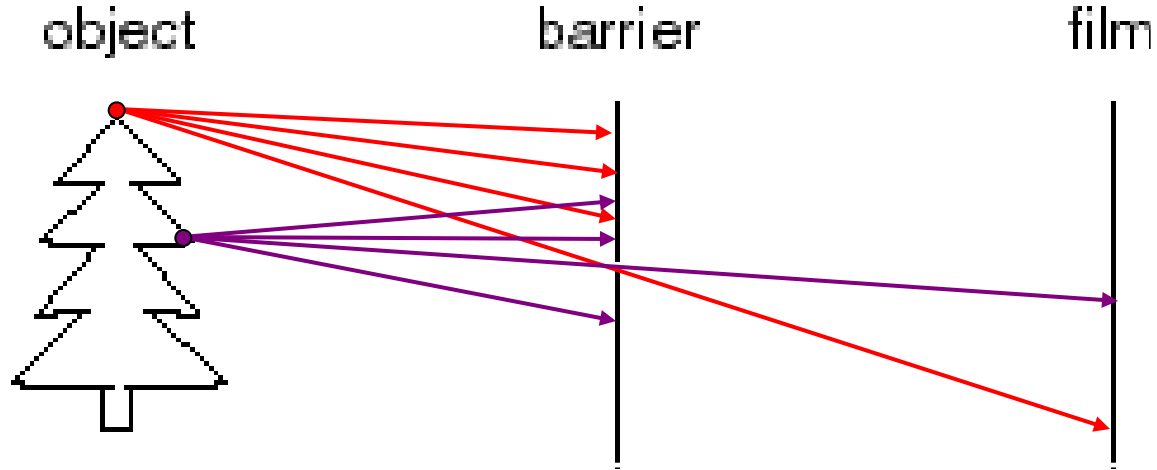


# Image formation



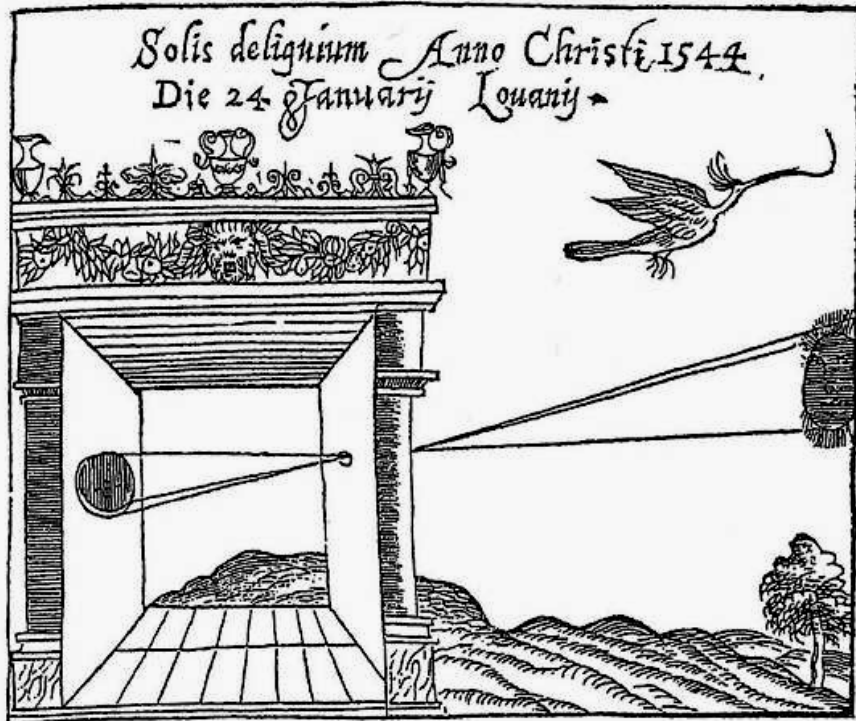
- Let's design a camera
  - Idea 1: put a piece of film in front of an object
  - Do we get a reasonable image?

# Pinhole camera



- Add a barrier to block off most of the rays
  - This reduces blurring
  - The opening known as the **aperture**
  - How does this transform the image?

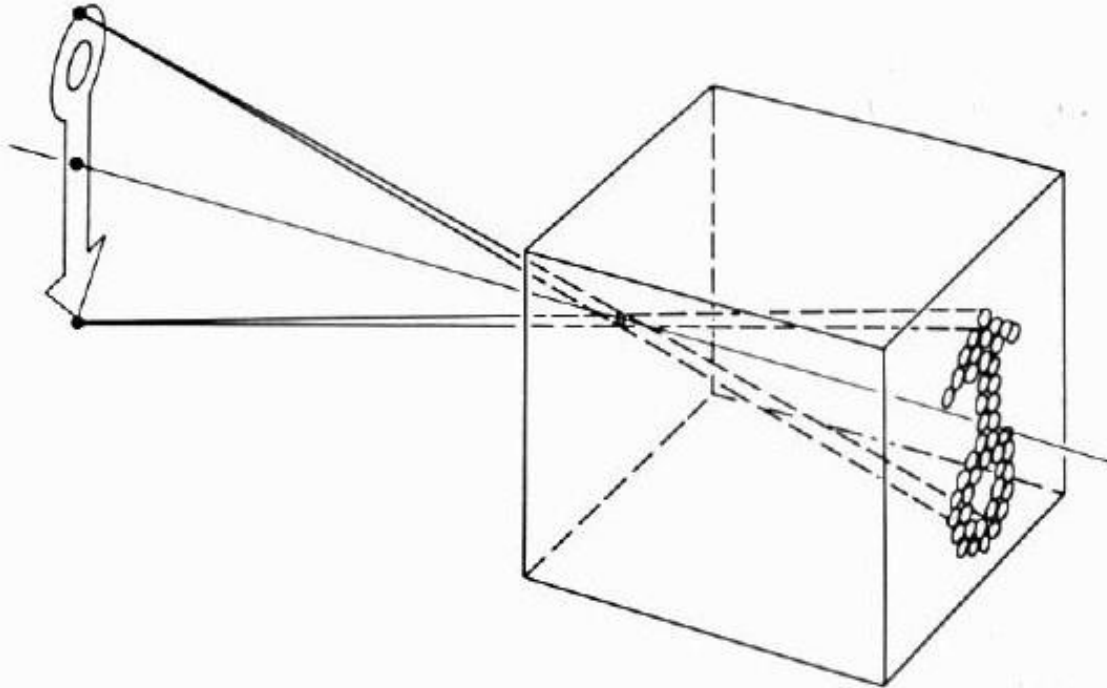
# Camera Obscura



Gemma Frisius, 1558

- Basic principle known to Mozi (470-390 BC), Aristotle (384-322 BC)
- Drawing aid for artists: described by Leonardo da Vinci (1452-1519)

# Camera Obscura



# Home-made pinhole camera



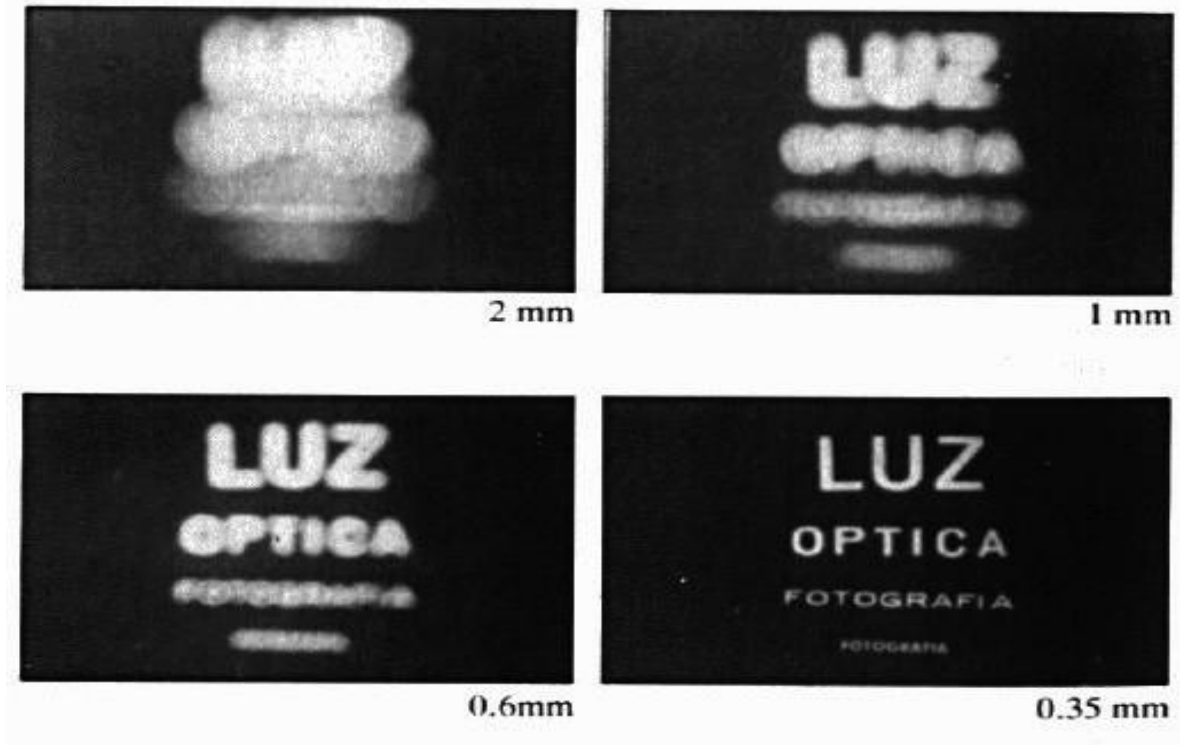
Why so blurry?

# Pinhole photography



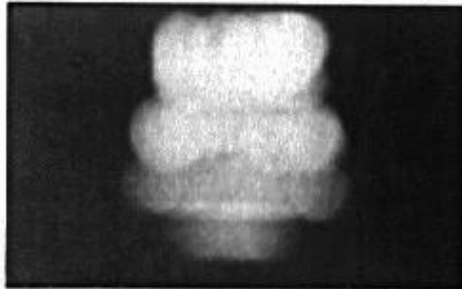
**Justin Quinnell, The Clifton Suspension Bridge. December 17th 2007 - June 21st 2008**  
***6-month exposure***

# Shrinking the aperture

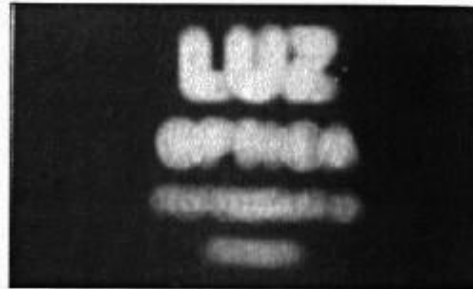


- Why not make the aperture as small as possible?
  - Less light gets through
  - *Diffraction* effects...

# Shrinking the aperture



2 mm



1 mm



0.6 mm



0.35 mm



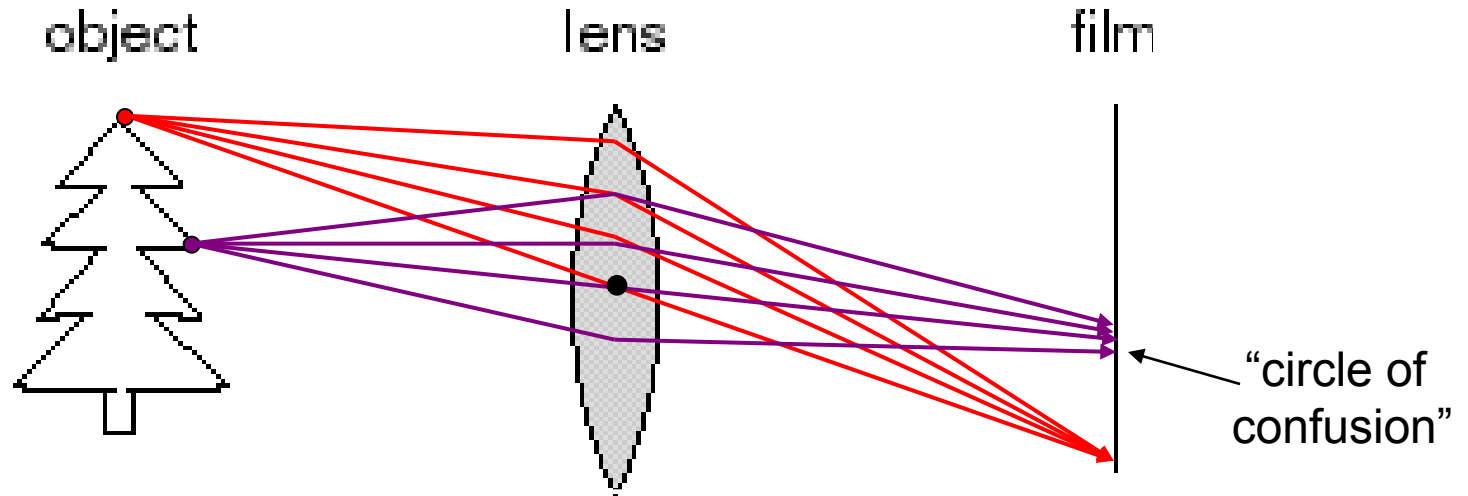
0.15 mm



0.07 mm



# Adding a lens



- A lens focuses light onto the film
  - There is a specific distance at which objects are “in focus”
    - other points project to a “circle of confusion” in the image
  - Changing the shape of the lens changes this distance