CS4620/5620: Lecture 20

Texture Mapping

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#### **Announcements**

• Extra office hours

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# **Texture mapping**

• Objects have properties that vary across the surface



## **Texture Mapping**

- Cannot model every single change using primitives
- Instead we make the shading parameters (and other properties) vary across the surface



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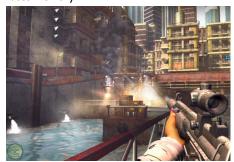
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## **Texture mapping**

- Textures increase apparent visual complexity of geometry and material
  - Diffuse material properties
  - -Specular properties
  - -Normals
  - -Positions
  - -Lighting....
- · Increases realism

# **Texture Mapping: applications**

· Surprisingly simple idea but with big results -Again uses memory



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### **Texture mapping**

- Material properties are not the same everywhere on a
- · Want a function that assigns a color (or some other material/geometry) to each point
  - -the surface is a 2D domain
  - -can represent using any image representation
  - raster texture images are very popular

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#### A definition

Texture mapping: a technique of defining surface properties\* in such a way that they vary as a function of position on the surface.

\*= actually, surface, normal, geometry, lighting,...

- This is very simple!
  - -but it produces complex-looking effects

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#### **Examples**

- · Wood floor with smooth finish
  - -diffuse color  $k_D$  varies with position (specular properties  $k_S$ , nare constant)
- Glazed pot with finger prints
  - specular exponent n varies with position (diffuse and specular colors  $k_D$ ,  $k_S$  are constant)
- · Adding dirt to painted surfaces
- Simulating stone, fabric, ...
  - to approximate effects of small-scale geometry
    - they look flat but are a lot better than nothing

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### Mapping textures to surfaces

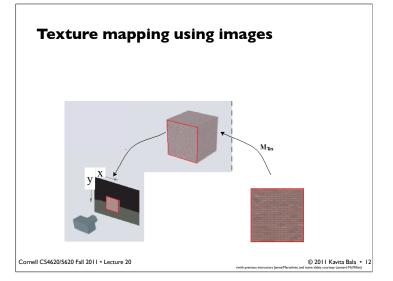
- Usually the texture is an image (function of u, v)
  - -the big question of texture mapping: where on the surface does the image go?
  - obvious only for a flat rectangle the same shape as the image
  - otherwise more interesting
- Note that 3D textures also exist
  - -texture is a function of (u, v, w)
  - -can just evaluate texture at 3D surface point
  - -good for solid materials
  - often defined procedurally



# **Aisde: Types of Textures**

- 3D Textures
- 2D Textures
  - -The most common
- · Procedural texturing
  - -Write a piece of code

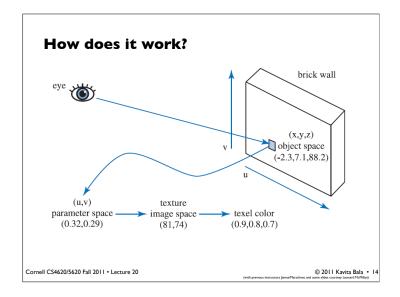
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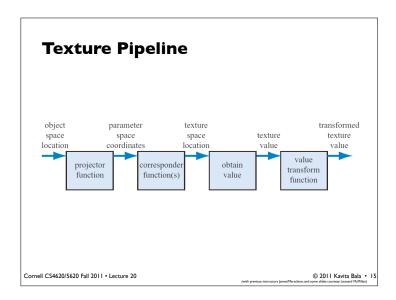


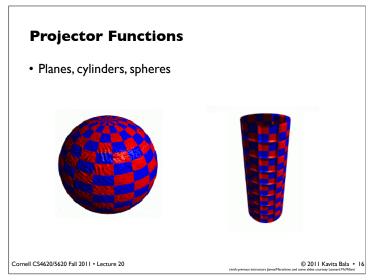
## **Texture Mapping using Images**

- · Most common form of texturing
- · Map an image onto a surface
- Assume (u,v) coordinates in texture
- Mapping  $M_{Tex}^{-1}(x,y,z) \rightarrow (u,v)$ 
  - -Between object space and texture space

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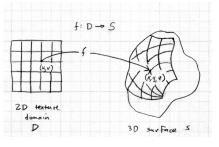






# Mapping textures to surfaces

- "Putting the image on the surface"
  - this means we need a function f that tells where each point on the image goes
  - this looks a lot like a parametric surface function
  - -for parametric surfaces you get f for free



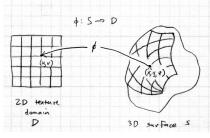
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# **Projector functions**

- · Non-parametrically defined surfaces: more to do
  - $-\operatorname{can}\mbox{'} t$  assign texture coordinates as we generate the surface
  - need to have the *inverse* of the function f
- Texture coordinate fn.





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# Example: texture mapping for diffuse color

• Define texture image as a function

$$T:D\to C$$

- where *C* is the set of colors for the diffuse component
- Diffuse color (for example) at point **p** is then

$$k_D(\mathbf{p}) = T(\phi(\mathbf{p}))$$

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# **Examples of projector functions**

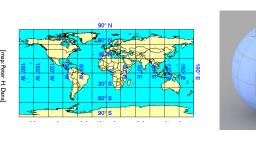
- A square/rectangle
  - -image can be mapped directly, unchanged
- An arbitrary plane
  - simple affine transformation (rotate, scale, translate)
- A triangle



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# Examples of projector functions

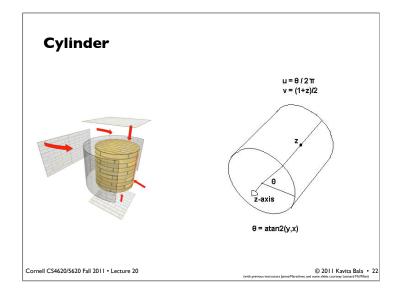
- For a sphere: latitude-longitude coordinates
  - $\phi$  maps point to its latitude and longitude





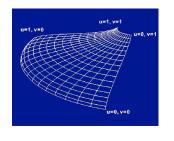
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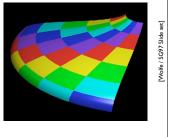
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# **Examples of projector functions**

- A parametric surface (e.g. spline patch)
  - surface parameterization gives mapping function directly (well, the inverse of the projector function)





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# Arbitrary Meshes

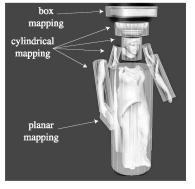
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# Projector Function: Arbitrary Surfaces

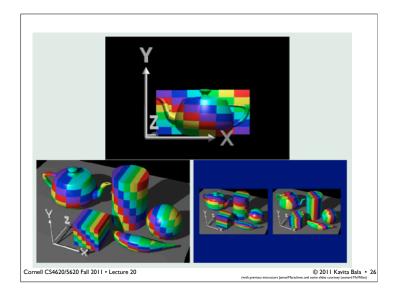
• Non-parametric surfaces: project to parametric surface

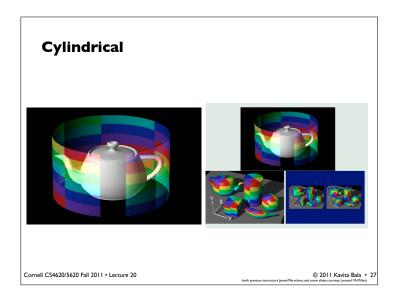


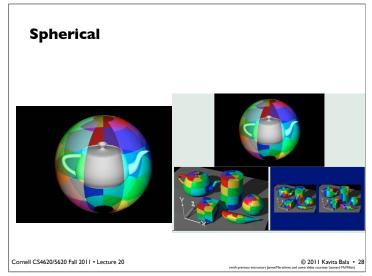


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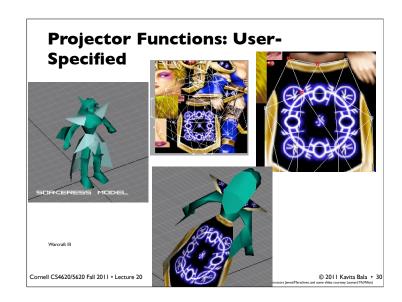
# **Projector Functions: User- Specified**

- Distortion in direction perpendicular to projection
- Approach
  - -Unwrap mesh
    - Set of planar projections
    - Minimize the distortion
  - -Smaller textures for each of the projections
  - -Pack it into a larger texture

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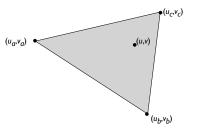
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(with previous interactions joints Plantalmer, and down sides coursus; Learner (Mollin)



# **Examples of projector functions**

- Triangles
  - -specify (u,v) for each vertex
  - -define (u,v) for interior by linear interpolation



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#### **Texture coordinates on meshes**

- Texture coordinates become per-vertex data like vertex positions
  - can think of them as a second position: each vertex has a position in 3D space and in 2D texure space
- How to come up with vertex (u,v)s?
  - -use any or all of the methods just discussed
    - in practice this is how you implement those for curved surfaces approximated with triangles
  - -use some kind of optimization
    - try to choose vertex (u,v)s to result in a smooth, low distortion map

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