Testing a Concurrent Queue?

1	import queue
2	
3	def sender (q, v) :
4	queue.put(q, v)
5	
6	$\mathbf{def} \ \mathtt{receiver}(q)$:
7	let $v = \texttt{queue.get}(q)$:
8	$\mathbf{assert} \ v \ \mathbf{in} \ \{ \ \mathbf{None}, \ 1, \ 2 \ \}$
9	
10	demoq = queue.Queue()
11	$\mathbf{spawn} \ \mathbf{sender}(?\mathit{demoq}, 1)$
12	${f spawn}$ sender $(?demoq, 2)$
13	${f spawn}\ {f receiver}(?demoq)$
14	$\mathbf{spawn} \; \mathtt{receiver}(?demoq)$

Ad hoc

Unsystematic

Systematic Testing

Sequential case: Try all sequences consisting of 1 operation ▶ put or get Try all sequences consisting of 2 operations put+put, put+get, get+put, get+get Try all sequences consisting of 3 operations Π ...

How do we know if a sequence is correct?

- We run the test program against both the sequential specification and the implementation
- We check whether running the test program against the implementation produces the behaviors (e.g., returns the same values) as running it against the sequential specification

Systematic Testing

Soncurrent case:

- Can't run same sequence of operations on both
 - even if both are correct, nondeterminism of concurrency may have the two runs produce different results
- □ Instead:

...

- Try all interleavings of 1 operation
- Try all interleavings in a sequence of 2 ops
- Try all interleavings in a sequence of 3 ops

How do we know if an interleaving is correct?

We run the test program against both the concurrent specification and the implementation

this produces two DFAs, which capture all possible behaviors of the program

We then verify whether the DFA produced running against the specification is the same as the one produced running against the implementation

Queue test program

import queue

2	
3	$\mathbf{const} \ \mathtt{NOPS} = 4$
4	$q = {\tt queue.Queue}()$
5	
6	def $put_test(self)$:
7	$\mathbf{print}("call put", self)$
8	$\mathtt{queue.put}(?q, \mathit{self})$
9	$\mathbf{print}("done put", self)$
10	
11	def $get_test(self)$:
12	$\mathbf{print}("call get", self)$
13	let $v = \texttt{queue.get}(?q)$:
14	$\mathbf{print}("done get", self, v)$
15	
16	$nputs = choose \{1NOPS-1\}$
17	for i in $\{1nputs\}$:
18	${f spawn} \ put_test(i)$
19	for i in $\{1NOPS-nputs\}$:
20	$\mathbf{spawn} \ get_{-}test(i)$

* always at least one put and one get

NOPS threads, nondeterministically choosing* to execute put or get

But which behaviors of the implementation are correct?

process invokes operation

process continues

Time

The effect should be that of the operation happening instantaneously sometime in this interval

Time

operation happens atomically

operation happens atomically

Time

operation happens atomically

Time

Suppose the queue is initially empty

put (3)

get () ← 3



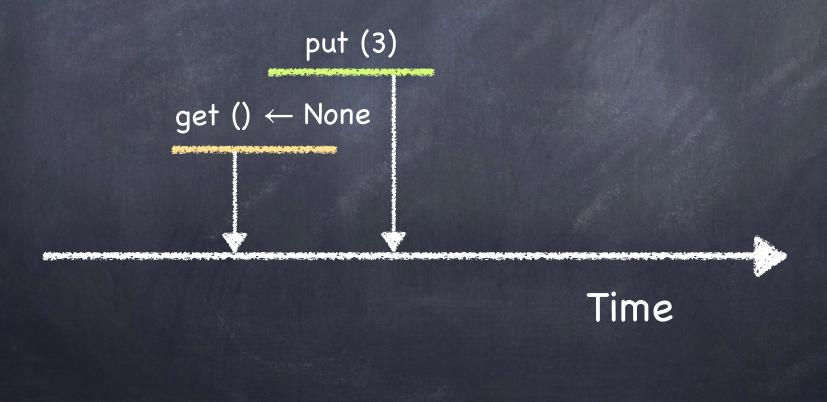
Suppose the queue is initially empty

put (3)

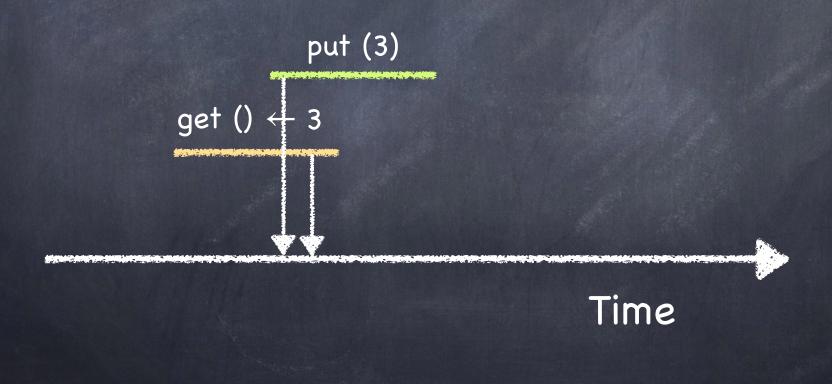
get () ← None



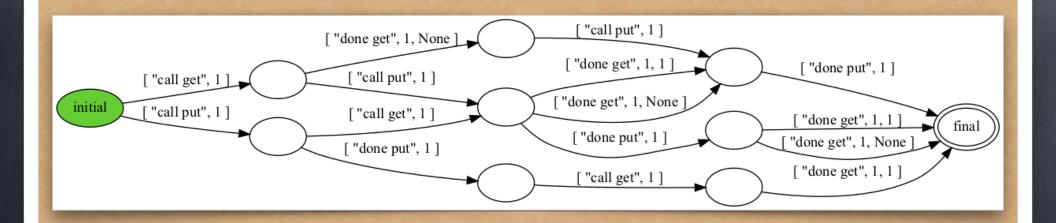
Suppose the queue is initially empty



Suppose the queue is initially empty



Queue test program



\$ harmony -c NOPS=2 -o spec.png code/qtestpar.hny

Testing: comparing behaviors

\$ harmony -o queue4.hfa code/qtestpar.hny

\$ harmony -B queue4.hfa -m queue=queueconc code/qtestpar.hny

The first command outputs the behavior of the running test program against the specification in file queue4.hfa

The second command runs the test program against the implementation and checks if its behavior matches that stored in queue4.hfa

Review

Concurrent programming is hard!
 Non-Determinism
 Non-Atomicity
 Critical Sections simplify things
 mutual exclusion
 progress

Critical Sections use a lock
 Threads need lock to enter the CS
 Only one thread can get the section's lock



Readers-Writers



Models access to an object (e.g., a database), shared among several threads
 some threads only read the object
 others only write it

Safety

 $(\#r \ge 0) \land (0 \le \#w \le 1) \land ((\#r > 0) \Rightarrow (\#w = 0))$

How to get more concurrency?

Idea: allow multiple read-only operations to execute concurrently

In many cases, reads are much more frequent than writes

Reader/Writer lock

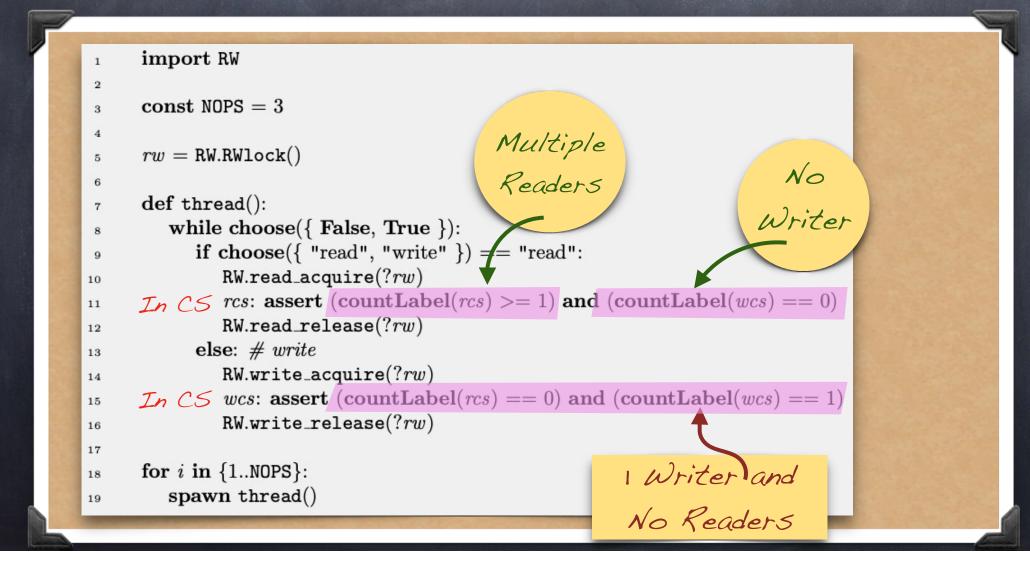
at most one writer, and, if no writer, any number of readers

 $(\#r \ge 0) \land (0 \le \#w \le 1) \land ((\#r > 0) \Rightarrow (\#w = 0))$

Reader/Writer Lock Specification

```
def RWlock() returns lock:
 1
           lock = \{ .nreaders: 0, .nwriters: 0 \}
 2
 3
       def read_acquire(rw):
 4
          atomically when rw \rightarrow nwriters == 0:
 \mathbf{5}
              rw \rightarrow nreaders += 1
 6
 7
       def read_release(rw):
 8
          atomically rw \rightarrow nreaders = 1
 9
10
       def write_acquire(rw):
11
          atomically when (rw \rightarrow nreaders + rw \rightarrow nwriters) == 0:
12
              rw \rightarrow nwriters = 1
13
14
       def write_release(rw):
15
          atomically rw \rightarrow nwriters = 0
16
```

R/W Locks: Test for Mutual Exclusion



Cheating R/W Lock Implementation

	F J
2	
3	def RWlock():
4	result = synch.Lock(
5	
6	$\mathbf{def} \ \mathtt{read_acquire}(rw)$:
7	$\texttt{synch}.\texttt{acquire}(\mathit{rw});$
8	
9	$def read_release(rw)$:
10	synch.release(rw);
11	
12	${f def}$ write_acquire (rw)
13	$\texttt{synch}.\texttt{acquire}(\mathit{rw});$
14	
15	${f def}$ write_release (rw)
16	synch.release(rw);

import synch

Only 1 Reader gets a lock at a time! h

Cheating R/W Lock Implementation

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15	$def write_release(rw)$:
16	synch.release(rw);

import synch

Only 1 Reader gets a lock at a time!

It is

missing behaviors

allowed by the specification

Cheating R/W Lock Implementation

\mathbf{import}	synch

1

3	def RWlock():
4	$\mathit{result} = \mathtt{synch}.\mathtt{Lock}()$
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6	$\operatorname{\mathbf{def}}$ read_acquire (rw) :
7	$\texttt{synch}.\texttt{acquire}(\mathit{rw});$
8	
9	$\operatorname{\mathbf{def}}$ read_release (rw) :
10	$\texttt{synch.release}(\mathit{rw});$
11	
12	$\operatorname{\mathbf{def}}$ write_acquire (rw) :
13	$\texttt{synch}.\texttt{acquire}(\mathit{rw});$
14	
15	def write_release (rw) :
16	$\texttt{synch.release}(\mathit{rw});$

Only 1 Reader gets a lock at a time!

It is missing behaviors allowed by the specification

But, at least, no bad behavior!

Busy-Waiting Implementation

```
from synch import Lock, acquire, release
 1
 2
       def RWlock() returns lock:
 3
           lock = \{ .lock: Lock(), .nreaders: 0, .nwriters: 0 \}
 5
       def read_acquire(rw):
 6
           acquire(?rw \rightarrow lock)
 7
           while rw \rightarrow nwriters > 0:
 8
                                                  BUSY
               release(?rw \rightarrow lock)
 9
               acquire(?rw \rightarrow lock)
                                               waiting
10
           rw \rightarrow nreaders += 1
11
           release(?rw \rightarrow lock)
12
13
       def read_release(rw):
14
           acquire(?rw \rightarrow lock)
15
           rw \rightarrow nreaders = 1
16
           release(?rw \rightarrow lock)
17
18
       def write_acquire(rw):
19
           acquire(?rw \rightarrow lock)
20
           while (rw \rightarrow nreaders + rw \rightarrow nwriters) > 0:
21
               release(?rw \rightarrow lock)
22
               acquire(?rw \rightarrow lock)
23
           rw \rightarrow nwriters = 1
24
           release(?rw \rightarrow lock)
25
26
       def write_release(rw):
27
           acquire(?rw \rightarrow lock)
28
           rw \rightarrow nwriters = 0
29
           release(?rw \rightarrow lock)
30
```

Acquire the lock Test the condition Release the lock Repeat protects nreaders and nuriters, critical section! It has the same behaviors as the implementation!

Busy-Waiting Implementation

```
from synch import Lock, acquire, release
 1
 2
       def RWlock() returns lock:
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           lock = \{ .lock: Lock(), .nreaders: 0, .nwriters: 0 \}
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               release(?rw \rightarrow lock)
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               acquire(?rw \rightarrow lock)
23
           rw \rightarrow nwriters = 1
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           release(?rw \rightarrow lock)
25
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       def write_release(rw):
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           acquire(?rw \rightarrow lock)
28
           rw \rightarrow nwriters = 0
29
           release(?rw \rightarrow lock)
30
```

```
It has the same
behaviors as the
implementation!
```

Process continuously scheduled to try to get the lock even if it is not available Conditional Waiting

Conditional Waiting

Threads wait for each other to prevent multiple threads in the CS

But there may be other reasons:

Wait until queue is not empty before executing get()

Wait until there are no readers (or writers) in a reader/writer block

Busy Waiting: not a good way

Ø Wait until queue is not empty:

done = False
while not done:
 next = get(q)
 done = next != None

Wastes CPU cyclesCreates unnecessary contention

Binary Semaphores

Dijkstra 1962





Binary Semaphore

Boolean variable (much like a lock)

Three operations

binsema = BinSema(False or True)

initializes binsema

🗆 acquire (?binsema)

waits until !binsema is False, then sets !binsema to True

release(?binsema)

- sets !binsema to False
- can only be called if !binsema = True

P & V

Ø Dijkstra was Dutch He said Probeer-te-verlagen instead of acquire - and shortened it to P He said Verhogen instead of release and shortened it to V □ Still very popular nomenclature \square To remember it: Procure (acquire)

Vacate (release)

Binary Semaphore Specification

```
def BinSema(acquired):
    result = acquired
```

```
def Lock():
    result = BinSema(False)
```

```
def acquire(binsema):
    atomically when not !binsema:
        !binsema = True
```

Semaphores v. Locks

5			
	Locks	Bínary Semaphores	
	Initially "unlocked" (False)	Can be initialized to False or True	
	Usually acquired and released by the same thread	Can be acquíred and released by dífferent threads	
	Mostly used to ímplement crítícal sectíons	Can be used to implement critical sections as well as waiting for special conditions	

Waiting with Semaphores

1	import synch		and the second
2	Encode condition as a		tion as a
3	<pre>condition = BinSema(True)</pre>		
4		Und y Sema	PIOIE
5 ~	<pre>v def T0(): Wait for condition to</pre>		
6	acquire(?condition)	come true	
7			
8 ~	8 v def T1() Signal condition has		on has
9	release(?condition)	become true	
10		Contraction of the local distances of the	
11		What	What
12	spawn(T0)	happens if	happens if
13	spawn(T1)	Toruns	TITUNS
		first?	first?
Contraction and the			

Semaphores can be locks too!

lk = BinSema(False)

acquire(?lk)

release(?lk)

Initialized to False

grab lock

release lock

What else can we do with binary semaphores?