Homework 1, Problem 2

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=> LL = \{\ ab \mid a \in L \ and \ b \in L\} Let a = \epsilon \{\ \epsilon b \mid b \in L\} \subseteq LL \{b \mid b \in L\} \subseteq LL Let L \subseteq LL Let L \subseteq LL Assume by contradiction that \epsilon \not\in L. Let L \subseteq LL Let L \subseteq LL Let L \subseteq LL Assume the shortest string in L \subseteq LL of length L \subseteq LL Then L \subseteq LL Then L \subseteq LL Let L \subseteq L Let L
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~ ...

Common Mistakes:

- 1. Iff necessitates that you must prove the statement two ways forwards and backwards. Many people proved the more difficult backwards part, but forgot to prove the forwards statement.
- 2. Many went the following route:

For any string x in L, xy is in LL, therefore x = xy. and y equals \in . The correct statement, however is for any string x in L and yz in LL, x = yz

Notes:

- -Formalism. The solutions ranged from very formal to pretty informal. This time we accepted all kinds of solution, but in the future we probably want more formal results.
- -Empty string vs. Empty set. Some people used the notions interchangeably, though not too many people.