



# CS 3110

## Data Types

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# Review

Previously in 3110:

- Functions
- Lists

Today:

- Let expressions
- Ways to define your own data types: variants, records, tuples

# LET EXPRESSIONS

# Let expressions

- Slightly different than the *let definitions* we've been using at the toplevel
- Enable *binding* of variables to values inside another expression
- Since they are expressions, they evaluate to values

```
let x = 2 in x+x    (* ==> 4 *)
```

```
let inc x = x+1 in inc 10    (* ==> 11 *)
```

```
let y = "big" in  
let z = "red" in  
y^z    (* ==> "bigred" *)
```

# let expressions

Syntax:

**let** **x** = **e1** **in** **e2**

**x** is an *identifier*

**e1** is the *binding expression*

**e2** is the *body expression*

**let** **x** = **e1** **in** **e2** is itself an expression

# let expressions

**let** **x** = **e1** **in** **e2**

## Evaluation:

- Evaluate **e1** to a value **v1**
- Substitute **v1** for **x** in **e2**, yielding a new expression **e2'**
- Evaluate **e2'** to **v2**
- Result of evaluation is **v2**

# Let expressions

**let x = 1+4 in x\*3**

--> Evaluate **e1** to a value **v1**

**let x = 5 in x\*3**

--> Substitute **v1** for **x** in **e2**, yielding a new expression **e2'**

**5\*3**

--> Evaluate **e2'** to **v2**

**15**

Result of evaluation is **v2**

# let expressions

**let x = e1 in e2**

Type-checking:

If **e1 : t1**,

and if **e2 : t2** (assuming that **x : t1**),

then **(let x = e1 in e2) : t2**



# Question

Which of these does not evaluate to **3**?

A. `let x = 3`

B. `let x = 2 in x+1`

C. `(fun x -> x+1) 2`

D. `let f x = x+1 in f 2`

E. `let f = fun x -> x+1 in f 2`

# Question

Which of these does not evaluate to 3?

A. `let x = 3`

B. `let x = 2 in x+1`

C. `(fun x -> x+1) 2`

D. `let f x = x+1 in f 2`

E. `let f = fun x -> x+1 in f 2`

# Anonymous functions

These two expressions are **syntactically different** but **semantically equivalent**:

```
let x = 2 in x+1
```

```
(fun x -> x+1) 2
```

Let expressions are syntactic sugar for anonymous function application

# Let definitions in toplevel

Syntax:

**let** **x** = **e**

Implicitly, “**in** *rest of what you type*”

E.g., you type:

```
let a="big";;  
let b="red";;  
let c=a^b;;
```

Toplevel understands as

```
let a="big" in  
let b="red" in  
let c=a^b in...
```

**VARIANTS**

# Variant

```
type day = Sun | Mon | Tue | Wed  
          | Thu | Fri | Sat
```

```
let int_of_day d =  
    match d with  
    | Sun -> 1  
    | Mon -> 2  
    | Tue -> 3  
    | Wed -> 4  
    | Thu -> 5  
    | Fri -> 6  
    | Sat -> 7
```

# Building and accessing variants

Syntax:  $\text{type } t = C_1 \mid \dots \mid C_n$

the  $C_i$  are called *constructors*

Evaluation: a constructor is already a value

Type checking:  $C_i : t$

Accessing: use pattern matching; constructor name is a pattern

# Pokémon variant



DEFENSE → ATTACK ↓	NOR	FIR	WAT	E
NORMAL				
FIRE		$\frac{1}{2}$	$\frac{1}{2}$	
WATER		2	$\frac{1}{2}$	



# Pokémon variant



```
type ptype =  
  TNormal | TFire | TWater
```

```
type peff =  
  ENormal | ENotVery | ESuper
```

```
let eff_to_float = function  
  | ENormal    -> 1.0  
  | ENotVery  -> 0.5  
  | ESuper    -> 2.0
```

# **RECORDS AND TUPLES**

# Records

- Several pieces of data glued together
- A **record** contains several named **fields**
- Before you can use a record, must **define** a record type: *Why? Clean type inference.*

```
type mon = {name: string; hp : int; ptype: ptype}
```



# Records

- To *build* a record:
  - Write a record expression:  
`{name="Charmander"; hp=39; ptype=TFire}`
  - Order of fields doesn't matter:  
`{name="Charmander"; ptype=Tfire; hp=39}`  
is equivalent
- To *access* a record's field: **`r.hp`**
- Or can use pattern matching with **record patterns**:  
**`{f1=p1; ...; fn=pn}`** *I guess you could call that record breaking*

# Pattern matching records

```
(* OK *)
```

```
let get_hp m =  
  match m with  
  | {name=n; hp=h; ptype=t} -> h
```

```
(* better *)
```

```
let get_hp m =  
  match m with  
  | {name=_; hp=h; ptype=_} -> h
```

# Advanced pattern matching records

```
(* better *)  
let get_hp m =  
  match m with  
  | {name; hp; ptype} -> hp
```

```
(* better *)  
let get_hp m =  
  match m with  
  | {hp} -> hp
```

```
(* best *)  
let get_hp m = m.hp
```

# By name vs. by position

- Fields of record are identified **by name**
  - order we write fields in expression is irrelevant
- Opposite choice: identify **by position**

# Tuples

- Several pieces of data glued together
- A **tuple** contains several **components**
- (Don't have to define tuple type before use)

e.g.,

- (1, 2, 10)
- 1, 2, 10
- (true, "Hello")
- ([1; 2; 3], (0.5, 'x'))



# Tuple types

- `(1, 2, 10) : int*int*int`
- `1, 2, 10 : int*int*int`
- `(true, "Hello") : bool*string`
- `([1; 2; 3], (0.5, 'X'))  
: int list * (float*char)`

# Tuples

- 2-tuple: pair
- 3-tuple: triple
- beyond that: maybe better to use records

We need language constructs to *build* tuples and to *access* the components

- Building is easy: just write the tuple, as before
- Accessing uses pattern matching...

# Accessing tuples

New kind of pattern, the **tuple pattern**:  $(p_1, \dots, p_n)$

```
match (1,2,3) with  
| (x,y,z) -> x+y+z
```

```
(* ==> 6 *)
```

```
let thrd t =  
  match t with  
  | (x,y,z) -> z
```

```
(* thrd : 'a*'b*'c -> 'c *)
```

Note: we never needed more than one branch in the match expression...

# Pattern matching without match

```
(* OK *)  
let thrd t =  
  match t with  
  | (x,y,z) -> z
```

```
(* good *)  
let thrd t =  
  let (x,y,z) = t in z
```

```
(* better *)  
let thrd t =  
  let (_,_,z) = t in z
```

```
(* best *)  
let thrd (_,_,z) = z
```

# Extended syntax for let

- Previously we had this syntax:
  - **let** *x* = *e1* **in** *e2*
  - **let** [**rec**] *f* *x1* ... *xn* = *e1* **in** *e2*
- Everywhere we had a variable identifier *x*, we can really use a pattern!
  - **let** *p* = *e1* **in** *e2*
  - **let** [**rec**] *f* *p1* ... *pn* = *e1* **in** *e2*
- Old syntax is just a **special case** of new syntax, since a variable identifier is a pattern

# Pattern matching arguments

```
(* OK *)  
let sum_triple t =  
    let (x,y,z) = t  
    in x+y+z
```

```
(* better *)  
let sum_triple (x,y,z) = x+y+z
```

Note how that last version looks syntactically like a function in C/Java!

# Accessing pairs

Built-in *projection functions* for first and second components:

```
let fst (x, _) = x
```

```
let snd (_, y) = y
```

# Question

What is the type of this expression?

```
let (x,y) = snd("big", ("red", 42))  
in (42,y)
```

- A. {x:string; y:int}
- B. int\*int
- C. string\*int
- D. int\*string
- E. string\*(string\*int)



# Question

What is the type of this expression?

```
let (x,y) = snd("big", ("red", 42))  
in (42,y)
```

- A. {x:string; y:int}
- B. int\*int
- C. string\*int
- D. int\*string
- E. string\*(string\*int)

# Pokémon effectiveness

DEFENSE → ATTACK ↓	NOR	FIR	WAT	E
NORMAL				
FIRE		$\frac{1}{2}$	$\frac{1}{2}$	
WATER		2	$\frac{1}{2}$	

# Pokémon effectiveness

```
let eff = function  
  | (TFire,TFire)    -> ENotVery  
  | (TWater,TWater) -> ENotVery  
  | (TFire,TWater)  -> ENotVery  
  | (TWater,TFire)  -> ESuper  
  | _                -> ENormal
```

# Semantics of tuples and records

Straightforward: see the notes, and slides at the end of this lecture

# Upcoming events

- [Wed] A0 due

**FOR RECITATION**

# Record expressions

- **Syntax:**  $\{f1 = e1; \dots; fn = en\}$
- **Evaluation:**
  - If  $e1$  evaluates to  $v1$ , and ...  $en$  evaluates to  $vn$
  - Then  $\{f1 = e1; \dots; fn = en\}$  evaluates to  $\{f1 = v1, \dots, fn = vn\}$
  - Result is a *record value*
- **Type-checking:**
  - If  $e1 : t1$  and  $e2 : t2$  and ...  $en : tn$ ,
  - and if  $\tau$  is a defined type of the form  $\{f1 : t1, \dots, fn : tn\}$
  - then  $\{f1 = e1; \dots; fn = en\} : \tau$

# Record field access

- **Syntax:**  $e.f$
- **Evaluation:**
  - If  $e$  evaluates to  $\{f = v, \dots\}$
  - Then  $e.f$  evaluates to  $v$
- **Type-checking:**
  - If  $e : t_1$
  - and if  $t_1$  is a defined type of the form  $\{f : t_2, \dots\}$
  - then  $e.f : t_2$



# Evaluation notation

We keep writing statements like:

If  $e$  evaluates to  $\{f = v, \dots\}$  then  $e.f$  evaluates to  $v$

Let's introduce a shorthand notation:

- Instead of " $e$  evaluates to  $v$ "
- write " $e \implies v$ "

So we can now write:

If  $e \implies \{f = v, \dots\}$  then  $e.f \implies v$

# Building tuples

- Syntax:  $(e_1, e_2, \dots, e_n)$ 
  - parens are optional
- Evaluation:
  - If  $e_i \Rightarrow v_i$
  - Then  $(e_1, \dots, e_n) \Rightarrow (v_1, \dots, v_n)$
  - A tuple of values is itself a value
- Type-checking:
  - If  $e_i : t_i$
  - then  $(e_1, \dots, e_n) : t_1 * \dots * t_n$