

	Using statement-comments
3	
	<pre>// (b) Base case. For b[mn] of size 0, do nothing. // For b[mn] of size 1, store a new block if (m > n) return; if (n == m) { Color color= new Color(0, 0, 127); b.get(m).block= new Block(bbox, color); return; }</pre>
	<pre>// (c) Store in k the smallest value that satisfies Wrapper2 wrapper= getSplit(b, m, n); int k= wrapper.k;</pre>

	Using statem	ent-comments	
4			
	// parts –spl BoundingBox h	o BoundingBoxes for the left and right it bbox along its longer side. nead= new BoundingBox(bbox); ail= new BoundingBox(bbox);	
	if () { } else { }	Can read at two levels. Read series of green statement-comments to see <i>what</i> is being done. Read the code under a statement-comment, to see <i>how</i> it is done.	
	sliceAndDice(b	ely allocate nodes b[mk] and b[k+1n] , m, k, head, w, h); , k + 1, n, tail, w, h);	

Shortest Paths in Graphs

Problem of finding shortest (min-cost) path in a graph occurs often Find shortest route between Ithaca and West Lafayette, IN

Result depends on notion of cost

5

- Least mileage... or least time... or cheapest
- Perhaps, expends the least power in the butterfly while flying fastest
- Many "costs" can be represented as edge weights

Every time you use googlemaps to find directions you are using a shortest-path algorithm



Edsger Dijkstra, in an interview in 2010 (CACM):

... the algorithm for the shortest path, which I designed in about 20 minutes. One morning I was shopping in Amsterdam with my young fiance, and tired, we sat down on the cafe terrace to drink a cup of coffee, and I was just thinking about whether I could do this, and I then designed the algorithm for the shortest path. As I said, it was a 20-minute invention. [Took place in 1956]

Dijkstra, E.W. A note on two problems in Connexion with graphs. *Numerische Mathematik* 1, 269–271 (1959).

Visit <u>http://www.dijkstrasery.com</u> for all sorts of information on Dijkstra and his contributions. As a historical record, this is a gold mine.

Dijkstra's shortest-path algorithm

Dijsktra describes the algorithm in English:

- □ When he designed it in 1956 (he was 26 years old), most people were programming in assembly language!
- Only one high-level language: Fortran, developed by John Backus at IBM and not quite finished.
- No theory of order-of-execution time -topic yet to be developed. In paper, Dijkstra says, "my solution is preferred to another one
- ... "the amount of work to be done seems considerably less."

Dijkstra, E.W. A note on two problems in Connexion with graphs. Numerische Mathematik 1, 269–271 (1959).

1968 NATO Conference on Software Engineering, Garmisch, Germany

Term "software engineering" coined for this conference

1968 NATO Conference on Software Engineering

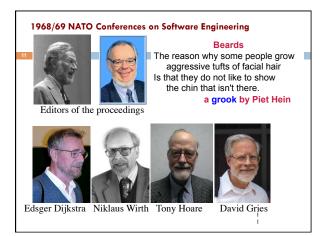
In Garmisch, Germany .

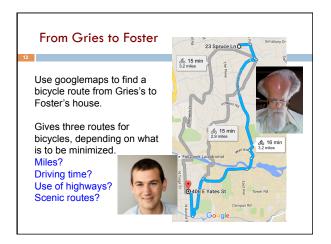
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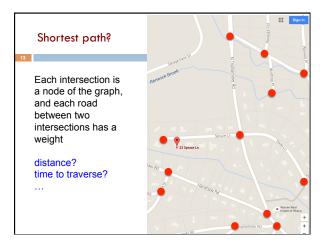
- Academicians and industry people attended
- For first time, people admitted they did not know what they were doing when developing/testing software. Concepts, methodologies, tools were inadequate, missing
- The term software engineering was born at this conference.
- The NATO Software Engineering Conferences: http://homepages.cs.ncl.ac.uk/brian.randell/NATO/index.html Get a good sense of the times by reading these reports!













Shortest path?

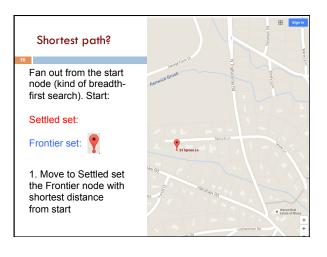
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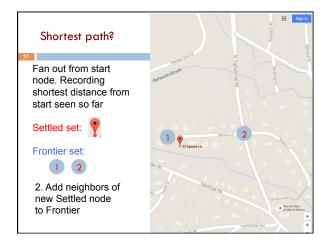
Settled set: we know their shortest paths Frontier set: We know some but not all information

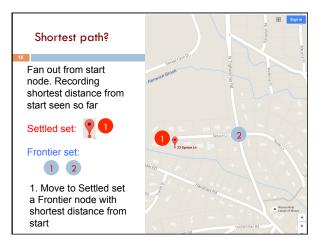
Each iteration:

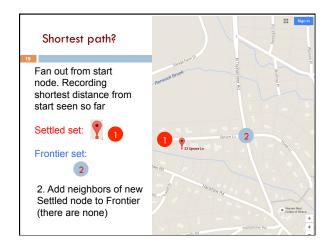
1. Move to the Settled set: a Frontier node with shortest distance from start node.

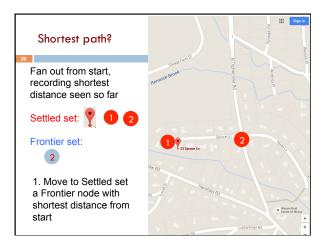
2. Add neighbors of the new Settled node to the Frontier set.

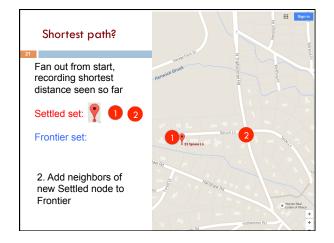


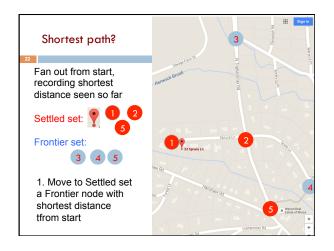


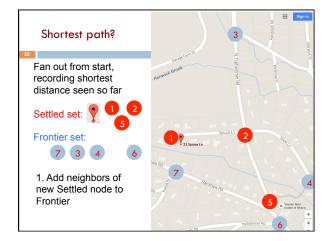


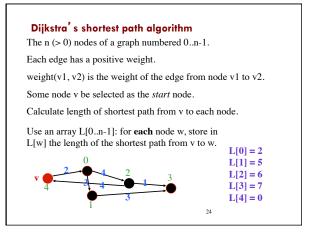




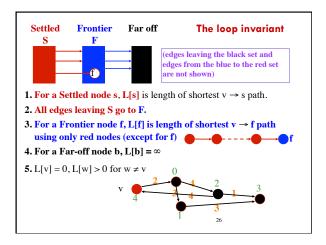


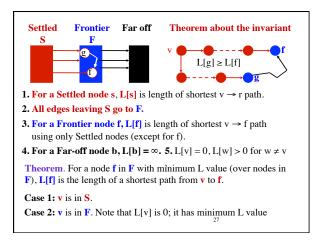


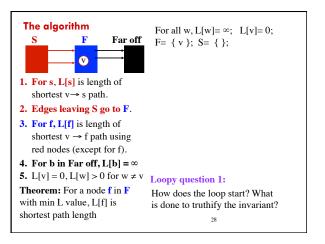


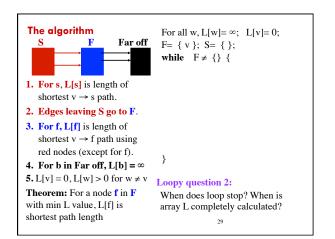


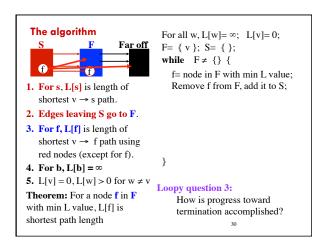
Dijkstra's shortest path algorithmDevelop algorithm, not just present it.Need to show you the state of affairs — the relation among all
variables — just before each node i is given its final value L[i].This relation among the variables is an *invariant*, because
it is always true.Because each node i (except the first) is given
its final value L[i] during an iteration of a loop,
the *invariant* is called a *loop invariant*.L[0] = 2
L[1] = 5
L[2] = 6
L[3] = 7
L[4] = 0

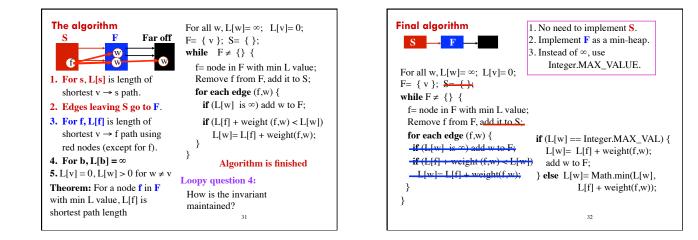












	n-	$-1 \le e \le n^*n$	
For all w, L[w]= ∞; L[v]= 0;	O (n)		
F= { v };	O(1)		
while F ≠ {} {	O(n)	outer loop:	
f= node in F with min L value;	O(n)	n iterations.	
Remove f from F;	O(n log n)	Condition	
for each edge (f,w) {	O (n + e)	evaluated	
if (L[w] == Integer.MAX_VAI	$(\mathbf{O}(\mathbf{e}))$	n+1 times.	
L[w] = L[f] + weight(f,w);	O(n-1)	inner loop:	
add w to F;	O(n log n)	e iterations.	
}		Condition	
else $L[w] = O(0)$	e-(n-1)) log n)	evaluated	
Math.min(L[w], L[f] + weighted which we have the matrix of the matrix	n + e times.		