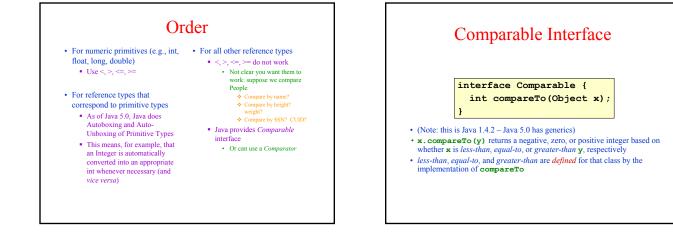


Identity vs. Equality

- For primitive types (e.g., int, long, float, double, boolean)
 == and != are equality tests
- For reference types (i.e., objects)
 - = and != are identity tests
 - In other words, they test if the references indicate the *same address* in the Heap
- For equality of objects: use the equals() method
 - equals() is defined in class Object
 - Any class you create inherits equals from its parent class, but you can override it (and probably want to)

Identity vs. Equality for Strings

- Quiz: What are the results of the following tests?
 - "hello".equals("hello") true
 - "hello" == "hello" true
 - "hello" == new String("hello") false

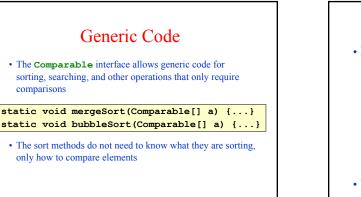


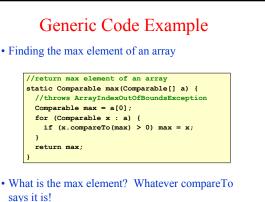
Example

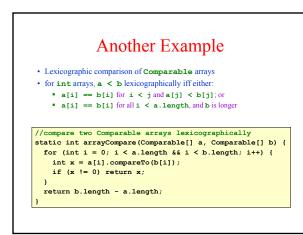
· To compare people by weight:

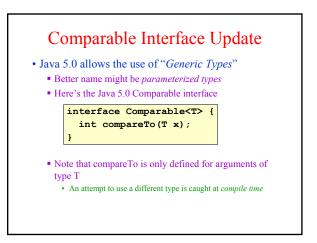
```
class Person implements Comparable {
    private int weight;
    ...
    public int compareTo(Object obj) {
        return ((Person)obj).weight - weight;
    }
    public boolean equals(Object obj) {
        return obj instanceof Person &&
        ((Person)obj).weight == weight;
    }
}
```

Consistency If a class has an equals method and also implements Comparable, then it is advisable (*but not enforced*) that a.equals(b) exactly when a.compareTo(b) == 0 Odd behavior can result if this is violated









Example

 In the Java source code, class String looks sort of (other interfaces are also implemented) like this: public final class String implements Comparable<String>{ public int compareTo (String s) {...} ...}

- Code such as "hello".compareTo(new Integer(3)) generates a compile-time error
 - This implies that the runtime code can be more efficient

Using Comparable for Sorting • Sorting of an array is provided as part of the Java

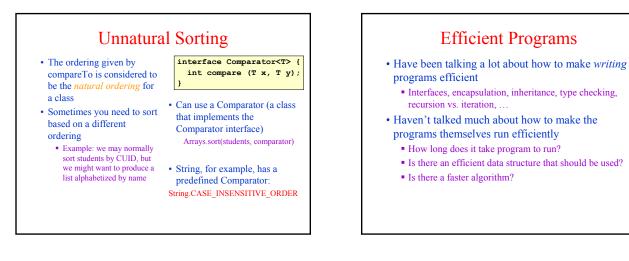
Collections Framework

Import Java.t

String[] names;

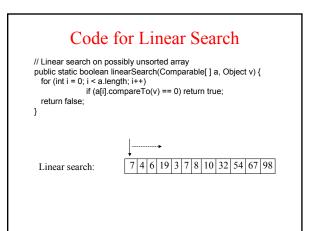
Arrays.sort(names)

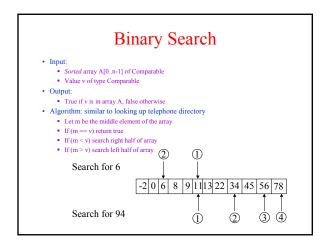
- This works for arrays of type *comparableType*[] (i.e., the base type must implement the Comparable interface)
- (Class java.util.Arrays also contains sort methods for arrays of type *primType*[] for each of the primitive types)

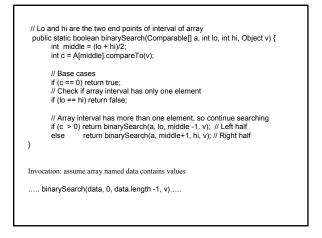


Linear Search

- Input:
 - Unsorted array A of Comparables
 - Value v of type Comparable
- Output:
 - True if **v** is in array **A**, false otherwise
- Algorithm: examine the elements of A in some order until you either
 - Find **v**: return true, or
 - You have unsuccessfully examined all the elements of the array: return false







Comparing Algorithms

- If you run binary search and linear search on a computer, you will find that binary search runs much faster than linear search
- Stating this precisely can be quite subtle
- One approach: asymptotic complexity of programs
- Big-O analysisTwo steps:
 - Compute running time of program
 - Running time \Rightarrow asymptotic running time

Running Time of an Algorithm

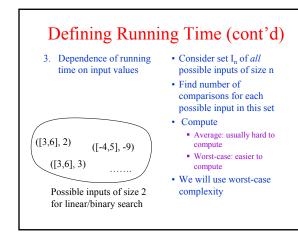
- In general, running time of a program such as linear search depends on many factors
 - Machine on which program is executed
 Laptop vs. supercomputer
 - Size of input (array A)
 - · Big array vs. small array
 - Values in array and value we search for
 v is first element examined in array vs. v is not in array
- To talk precisely about running times of programs, we must specify all three factors above

Defining an Algorithm's Running Time

- 1. Machine on which algorithm (i.e., program) is executed
 - Random-access Memory (RAM) model of computing
 - Measure of running time: number of operations executed
 Other models used in CPs. Threft, and the Detter of the Detter o
 - Other models used in CS: Turing machine, Parallel RAM model,
 - Simplified RAM model for now:
 - Each data comparison is one operation.
 - All other operations are free.
 - Evaluate searching/sorting algorithms by estimating number of comparisons they execute
 - It can be shown that, for comparison-based searching and sorting algorithms, the total number of operations executed on RAM model is proportional to number of data comparisons executed

Defining Running Time (cont'd)

- 2. Dependence on size of input
 - Rather than compute a single number, we will compute a function from problem size to number of comparisons
 - E.g., f(n) = 32n2 2n + 23 where n is problem size
 - Each program has its own measure of problem size
 - For searching/sorting, natural measure is size of array on which you are searching/sorting



Computing Running Times

Linear search:

7 4 6 19 3 7 8 10 32 54 67 98

Assume array is of size n. Worst-case number of comparisons: v is not in array. Number of comparisons = n. Running time of linear search: $T_L(n) = n$

Binary search: sorted array of size n

-2 0 6 8 9 1113 22 34 45 56 78

Worst-case number of comparisons: v is not in array.

 $T_{B}(n) = \lfloor \log_{2}(n) \rfloor + 1$