| Data Structure Building Blocks |  |
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## Data Structure Building Blocks

These are implementation "building blocks" that are often used to build more-complicated data structures

- Arrays
- Linked Lists
- Singly linked
- Doubly linked
- Binary Trees
- Graphs
$\triangle$ Adjacency matrix
$\triangle$ Adjacency list

| Arrays |  |
| :---: | :---: |
| Declaration/Initialization <br> String[ ] s = new String[3]; <br> $s[0]=$ "jan"; s[1] = "feb"; s[2] = "mar"; <br> or <br> String[ ] s; <br> $\mathrm{s}=$ new String[] \{"jan","feb","mar"\}; <br> Iteration <br> for (int $\mathrm{i}=0 ; \mathrm{i}<$ s.length; $\mathrm{i}+\mathrm{+}$ ) $\{$ // Do something using s[i] \} | Advantages <br> - Fast access to each element <br> $\Delta \mathrm{O}(1)$ time <br> - Space efficient <br> Disadvantages <br> - Hard to insert an element in the middle <br> - Size must be known when created |


| Singly-Linked List |  |
| :---: | :---: |
| Declaration <br> static class Node \{ Object data; <br> Node next; Node (Object d, Node n) $\{d a t a=d ; n e x t=n ;\}$ | Advantages <br> - Grows as needed <br> - Efficient insertion <br> Disadvantages <br> - Element access can be expensive $\Delta$ generally, O(n) <br> - Uses extra space for pointers <br> - Can go forward, but not backward |



| What do we mean by | ' $\mathrm{List}^{\prime \prime}$ ? |
| :---: | :---: |

## Terminology for (Rooted) Trees

- Each tree has a distinguished root, there is a unique path from the root to each node (i.e., no loops)
- Each node, except the root, has one parent


A node can have multiple children

- A node with no children is called a leaf
- The height of a tree is the length of its longest root-to-leaf path
- Ancestor and descendent are based on analogy to family trees

| Binary Trees |  |
| :---: | :---: |
| Declaration <br> class Node \{ <br> Object data; <br> Node Ichild,rchild; <br> Node (Node Ic, Object d, Node rc) \{data = d; lchild = lc; rchild = rc; \} <br> \} <br> Initialization <br> Node root = new Node(null," "jan",null); <br> root.lchild = new Node(null,"feb",null); <br> root.rchild = new Node(null,"mar",null); <br> Iteration (next slide) | Advantages <br> - Grows as needed <br> - Efficient access to elements <br> $\Delta$ generally, O(logn) <br> requires balanced tree <br> - Efficient insertion <br> Disadvantages <br> - Uses extra space for pointers |
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## Binary Tree Iteration: Tree Traversals

| ■ Preorder Traversal static void preorder (Node node) \{ | - Postorder Traversal static void postorder (Node node) \{ |
| :---: | :---: |
| if (node == null) return; | if (node == null) return; |
| // Process node | postorder(node.lchild); |
| preorder(node.Ichild); | postorder(node.rchild); |
| preorder(node.rchild); | // Process node |
| \} | \} |
|  | - Level-Order Traversal |
| - Inorder Traversal | static void levelOrder (Node root) \{ |
| static void inorder (Node node) \{ | Queue $\mathrm{q}=$ new Queue( ); q.put(root); |
| if (node $==$ null) return; | while (!q.isEmpty( )) \{ |
| inorder(node.lchild); | Node node $=($ Node ) q.get() ; |
| // Process node | // Process node |
| inorder(node.rchild); | if (node.lchild != null) q.put(node.lchild); |
| \} | if (node.rchild != null) q.put(node.rchild); |
|  | \} \} |



## Implementing Weighted Digraphs

- Adjacency Matrix $\mathrm{g}[\mathrm{u}][\mathrm{v}]$ is c iff there is an edge of cost $c$ from $u$ to $v$

| 0 | 1 | 2 | 3 |
| :--- | :--- | :--- | :--- |
|  | 15 |  | 11 |



- Adjacency List The list for $u$ contains $v, c$ iff there is an edge from $u$ to $v$ that has cost c



Adjacency Matrix or Adjacency List?
$v=$ number of vertices
$\mathrm{e}=$ number of edges
$e_{u}=$ number of edges leaving $u$

- Adjacency Matrix
- Uses space $O\left(v^{2}\right)$
- Can iterate over all edges in time $\mathrm{O}\left(\mathrm{v}^{2}\right)$
- Can answer "Is there an edge from $u$ to $v$ ?" in $\mathrm{O}(1)$ time
- Better for dense (i.e., lots of edges) graphs
- Adjacency List
- Uses space $\mathrm{O}(\mathrm{e}+\mathrm{v})$
- Can iterate over all edges in time $\mathrm{O}(\mathrm{e}+\mathrm{v})$
- Can answer "Is there an edge from $u$ to $v$ ?" in $\mathrm{O}\left(\mathrm{e}_{\mathrm{u}}\right)$ time
- Better for sparse (i.e., fewer edges) graphs

