

Serialization and Bit Operations

CS 2022: Introduction to C

Instructor: Hussam Abu-Libdeh

Cornell University
(based on slides by Renato Paes Leme)

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Serialization

- ▶ Sending data between programs
 - ▶ Disk
 - ▶ Network
 - ▶ Pipes
- ▶ Between programs on multiple hosts
 - ▶ Different endianness
 - ▶ Different architectures

Binary vs. Text

Binary...

- ▶ Compact
- ▶ Easy to encode/decode
- ▶ Faster

e.g. IP, TCP, AIM, ...

Text...

- ▶ Easily debugged
- ▶ (Can be) self-documenting
- ▶ Arch/Endian independent

e.g. HTTP, SMTP, MSN

Ok, but how?

What serialization solution to use?

- ▶ tpl library
- ▶ c11n library
- ▶ Google protocol buffers
- ▶ Customized solution

Which standard to use?

- ▶ XML, XDR, protocol buffer, ...
- ▶ Network protocol standards

Handling Endianness

Decimal: 3735928559

Binary: 11011110101011011011111011101111

Hex: 0xdeadbeef

Big Endian: 0xde 0xad 0xbe 0xef

Little Endian: 0xef 0xbe 0xad 0xde

Always in big-endian form when loaded into the CPU

Bit-Operations

AND-Mask (clear bits)

a & b

1101111010101101**10111110**11101111

&

0000000000000000**11111111**00000000

=

0000000000000000**10111110**00000000

0xdead**beef**

&

0x0000**FF00**

=

0x0000**be00**

Bit-Operations

OR-Mask (sets bits)

a		b	
1101111010101101		1011111011101111	0xdeadbeef
0000000000000000		0101010100000000	0x0005500
		=	=
1101111010101101		1111111111101111	0xdeadFFef

Bit-Operations

Left-Shift

$a \ll b$

1101111010101101101111011101111

\ll

8

=

1010110110111110111011110000000

0xdeadbeef

\ll

8

=

0xadbeef00

Bit-Operations

Right-Shift

a >> b

11011110101011011011111011101111

>>

8

=

00000000110111101010110110111110

0xdeadbeef

>>

8

=

0x00deadbe¹

¹for unsigned ints only. For signed ints, the instead of zero-padding, the top-most bit is repeated

Bit-Operations

Compliment (flips bits)

$\sim a$

$\sim 11011110101011011011111011101111$

=

00100001010100100100000100010000

$\sim 0xdeadbeef$

=

0x21524110

2's compliment representation for negative numbers:

$$-x = \sim x + 1$$

Exercise 1

```
int htonl(int x) {
    int b1, b2, b3, b4, y;

    b1 = (x _____) ____;
    b2 = (x _____) ____;
    b3 = (x _____) ____;
    b4 = (x _____) ____;

    y = (b1 _____) __ (b2 _____)
        __ (b3 _____) __ (b4 _____);

    return y;
}
```

Serialization

- ▶ Use structures for data-types
- ▶ Copy data in one-go
`memcpy(dst, src, numbytes)`
- ▶ Use standard (big) endianness for multi-byte variables
- ▶ **NEVER** serialize pointer values. Why?

Tricks with bits

- ▶ How to iterate over all sets $S \subseteq \{0, 1, 2, \dots, k-1\}$?
- ▶ There are 2^k such sets. I just need one **for** to do that.
- ▶ Think of a number $0 \leq n < 2^k$ in binary. It represents a subset of S .
- ▶ Given a subset S , let $a_i = \begin{cases} 1, & i \in S \\ 0, & i \notin S \end{cases}$, then we represent S by $\sum_{i=0}^{k-1} a_i 2^i$.

Tricks with bits

How to iterate over all sets $S \subseteq \{1, \dots, n\}$?

```
int S;  
for (S = 0; S < (1<<n); ++S) {  
    // process subset S  
}
```

Set Operations

Given two sets A and B represented as binary strings:

- ▶ Union:

$$A \mid B$$

- ▶ Intersection:

$$A \& B$$

- ▶ Single element set $\{1\}$:

$$1 \ll i$$

- ▶ Testing $i \in A$:

$$A \& (1 \ll i) \neq 0$$

Set Operations

Given two sets A and B represented as binary strings:

- ▶ Adding element i to A :

$$A = A | (1 \ll i)$$

- ▶ Removing element i from A :

$$A = A \& \sim(1 \ll i)$$

- ▶ Toggle element i in A :

$$A = A \hat{\ } (1 \ll i)$$

Set Operations

Given S a string representation of a set, how to iterate over all its subsets $T \subseteq S$:

```
int T;  
for (T = S; T >= 0; T = (T-1)&S) {  
    // process subset T  
}
```

Set Operations

More complicated exercise: how to iterate over all subsets of $\{1, \dots, n\}$ of size k .

```
int s = (1 << k) - 1;
while (!(s & 1 << N))
{
    // do stuff with s
    int lo = s & ~(s - 1);           // lowest one bit
    int lz = (s + lo) & ~s;         // lowest zero bit above lo
    s |= lz;                         // add lz to the set
    s &= ~(lz - 1);                 // reset bits below lz
    s |= (lz / lo / 2) - 1;         // put back right number of bits at end
}
```

Source of bit tricks

A bit of fun, fun with bits:

<http://www.topcoder.com/tc?module=Static&d1=tutorials&d2=bitManipulation>

Other iteration exercises

1. Write a code that iterates over $\{0, \dots, n-1\}^k$, i.e., all k -uples (t_1, \dots, t_k) where $0 \leq t_i < n$.
2. Write a code that iterates over $\{0, \dots, n-1\}^k$, i.e., all k -uples (t_1, \dots, t_k) where $0 \leq t_i < n$ and $t_1 \geq t_2 \geq \dots \geq t_k$.
3. Write a code that iterates over all the permutations of $\{1, \dots, n\}$ and writes them on the screen.