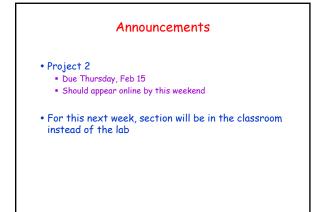


More Branching, More Conditionals, **Built-In Functions**

Lecture 4 (Feb 1) CS100M - Spring 2007

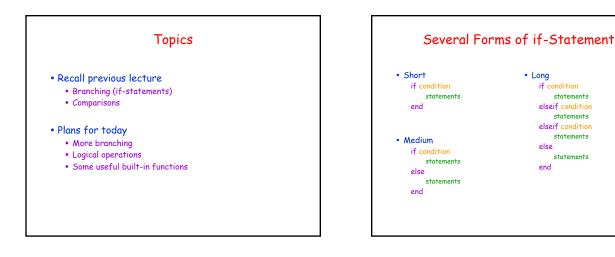


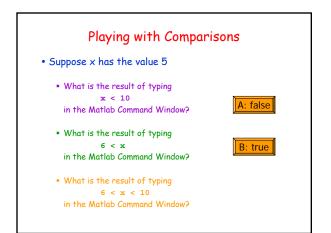
statements

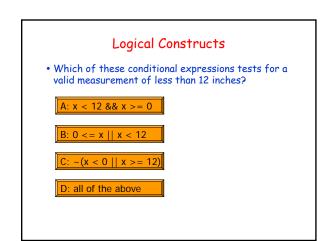
statements

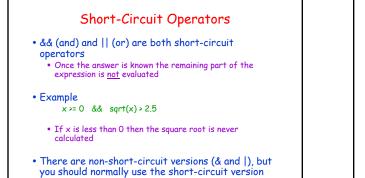
statements

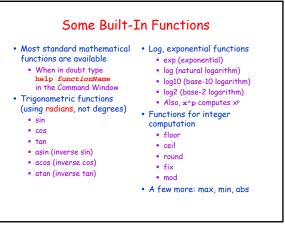
statements









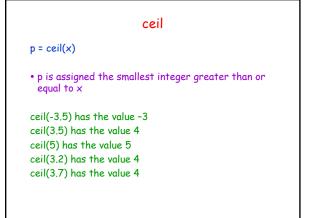


floor

p = floor(x)

- ${\bf p}$ is assigned the largest integer less than or equal to ${\bf x}$

floor(-3.5) has the value -4 floor(3.5) has the value 3 floor(5) has the value 5 floor(3.2) has the value 3 floor(3.7) has the value 3



round

p = round(x)

p is assigned the integer that is closest to x
In case of a tie, use the integer that is farther from 0

round(-3.5) has the value -4 round(3.5) has the value 4 round(5) has the value 5 round(3.2) has the value 3 round(3.7) has the value 4 fix

p = fix(x)

 \bullet p is assigned the closest integer between 0 and x (i.e., round toward 0)

fix(-3.5) has the value -3 fix(3.5) has the value 3 fix(5) has the value 5 fix(3.2) has the value 3 fix(3.7) has the value 3

mod

r = mod(p, q)

• r is assigned the remainder when we divide p by q

mod(5, 2) has the value 1 mod(704, 10) has the value 4 mod(30, 7) has the value 2



• To test if x is divisible by both 3 and 5

if (mod(x, 3) == 0 && mod(x, 5) == 0)
 disp('Divisible by both')
else
 disp('Not divisible by both')

end

Another Boolean Expression Example

• To test if integer y represents a Leap Year

- Year y is a Leap Year if
 - It is divisible by 4
 - Exception: century years are *not* Leap Years
 Exception: years divisible by 400 *are* Leap Years
- Write a program to determine if a given year is a Leap Year

Revisiting the Min-Finding Program

% Determine min value of q(x) = x² + b*x + c % in the interval [L, R] xc = - b/2; % Compute x_c if (L <= xc && xc <= R) minValue = xc² + b*xc + c; else % Compute min of q(L) and q(R) minValue = min(L² + b*L + c, R² + b*R + c); end fprintf('Min value is %f\n', minValue)

