

# CS 100: Section Assignment 5

## (For the week of March 1)

Section assignments are discussed in section and are not submitted for grading. They relate to recent lecture topics and usually to the current Programming Assignment. Prelim questions are based on Section Assignments, Programming Assignments, and Lecture examples.

This assignment involves the class `Disk` a listing of which is given below. Here is the relevant geometric background. If  $D_1$  has center  $(x_1, y_1)$  and radius  $r_1$  and  $D_2$  has center  $(x_2, y_2)$  and radius  $r_2$ , then

- $\text{Sqrt}((x_1 - x_2)^2 + (y_1 - y_2)^2)$  is their *center-to-center* distance
- $D_1$  and  $D_2$  *intersect* if  $d_{12} \leq r_1 + r_2$  where  $d_{12}$  is the center-to-center distance. If  $D_1$  and  $D_2$  do not intersect, then  $d_{12} - r_1 - r_2$  is their *separation*.
- $D_1$  *contains*  $D_2$  is every point in  $D_2$  is in  $D_1$ . This is the case if  $d_{12} + r_2 \leq r_1$  where  $d_{12}$  is the center-to-center distance.

Browse through the class `ShowDisk` to see examples of how the methods in `Disk` can be used.

1. Assume that `D1`, `D2`, and `D3` refer to initialized disk objects. (a) Write a fragment that assigns to a boolean variable `B` the value `true` if one of these disks contains the other two. Otherwise the value of `false` should be assigned to `B1`. (b) Write a fragment that assigns to a boolean variable `B2` the value `true` if each pair of disks has a positive separation. Otherwise the value of `false` should be assigned to `B2`.

2. Add a boolean-valued method `inQuadrant()` that returns `true` if the disk does not intersect the  $x$ -axis or the  $y$ -axis.

3. Write a `while` loop that generates random disks. The disks should have radii that are randomly selected from the interval  $[0,3)$  and their centers should be randomly selected from the square with vertices  $(10,10)$ ,  $(-10,10)$ ,  $(-10,-10)$ , and  $(10,-10)$ . The loop should print all random disks that have a positive separation with the unit radius disk that is centered at the origin. The loop should terminate after five such disks have been printed.

4. If a disk has center  $(a,b)$ , then its *reflection* is a disk with the same radius but with center  $(-a,-b)$ . Assume that `D1` refers to an initialized disk object. Write a fragment that creates a new disk object referenced by `D2` that represents its reflection. The fragment should also print the separation between these two disks.