

To clear up:

- lateness to class?
- late on assignments?
- ~~not showing~~ missed class?  $\rightarrow$  tell me what's going on.
- missed assignment? { min. completion  
contract for a week. } (LL-need to assign grades)

To day: question genre: "what makes two types of lang. different?"

altruistic vs. not, funny v. not, in one t. before an event vs. after an event, dem. vs. repub.

(note)

- many approaches; today, an example ~~Bayesian~~ statistical approach from a Bayesian perspective (as opposed to a classification perspective)
- $\rightarrow$  goal: inspire you to develop new tests.

Desiderata:

refinement: we want significant differences:

... where diffs ~~are~~  
(probably) not due  
to chance?

- (explained: avg N = 60K  
 $\Rightarrow$  # possible 5-grams =  $(60K)^5$   
that's not enough docs to contain them all  
 $\Rightarrow$  need a way to talk about things being due to chance
- will want to be able to estimate variance of our estimate
  - want estimates of the variance of our 'difference' statistics.
  - (a) in lang, generally never enough data. (related this is a related point)
  - (b) and this will certainly be the case for your settings, where you're generally looking at sthg "tricky" / restricted

bc of our new domains,  
want to preserve,  
not pre-filter features,  
as far as computationally  
possible - how do you know  
what will be distinguishing

ext: untl for gender  
"still" for punctuation!  
keep punctuation!  
it's in Twitter!

2/4 circuit  $\langle$  foreshadowing: we know an estimate of the variance of the ~~posterior~~ log-odds ratio  
for a multinomial distribution, in particular for the MLE multinomial given a (posterior) Dirichlet

$\Rightarrow$  that's when we're gonna be headed

main idea of Monroe/Hetland/Qiu et al

distinguished political scientists  
who also collaborated w/  
computer scientists...

"Fightin' Words: Lexical Feature Selection and Evaluation for Identifying  
the Content of Political Conflict", Political Analysis 2008

contrasts: {  
statistical  $\begin{cases} \text{logistic regression coefficients (e.g., Mishra & Gilbert '11)} \\ \text{stat.-based coin-flipping for burstiness detection (Klemburg '02)} \\ \text{[statistical but no explicit prior or estimate of variance]} \end{cases}$   $\rightarrow$  although these turn out to be log-odds ratios  
= change in log-odds.  
expected  
for a one-unit change in  
corresponding standardized var.  
other variables constant  
 $\rightarrow$  ex: ref: FAQ: how do I interpret odds ratios in logistic regression?  
underlying Markov model

(c) in "real" research: use held-out set for exploring diffs, if want to be proper  
and plan to do classification experiments.  
(True, it's sad that you lose even more data this way)

Setting: ~~From two different~~ + data = lang seg 1:  $S = s_1, s_2, \dots, s_n$   
two samples, one from one language and the other from the other, say Dem. Repub.  
~~on topic of abortion~~

$S' = s'_1, s'_2, \dots, s'_{n'}$   $\rightarrow$  the "vocabulary"  
[can generalize to features, like pos tags, but want some notion of plausible independence]  
like to be able to see that, say, a word like 'pro-life' has diff. prob of occ.  
w.r.t. the two ~~word~~ generation processes.

Assume words ~~were~~ drawn ~~into~~, i.i.d. from a multinomial ~~w.~~ w. params

$$\theta^D = (\theta_1^D, \dots, \theta_{|V|}^D)$$

$$\theta^R = (\theta_1^R, \dots, \theta_{|V|}^R)$$

consider the count histograms: - our observed evidence:  $c_i^D, c_i^R$  summary of the stream - concatenate the docs >

$$(c_1^D, c_2^D, \dots, c_{|V|}^D) \text{ vs. } (c_1^R, c_2^R, \dots, c_{|V|}^R)$$

and establish notation

<following> MCQ: 1st gather intuitions by looking @ single statistics.

[3.2.1: diff. in frequencies] rank  $v_i$  by  $c_i^D - c_i^R$   $\xrightarrow{?}$  give away.

- what if one side speaks more?

- be careful about cherry-picking (pg. 376)

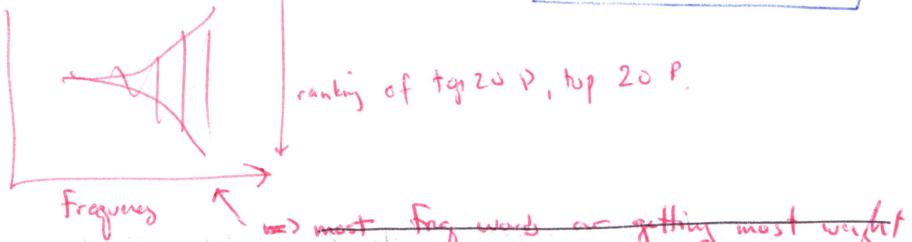
- ranking makes given in paper more clear ~~more clear~~: "the", "of", "so", "pris"

3.2.2 diff. in proportions: normalize:

$$rf_i^D = \frac{c_i^D}{\sum_j c_j^D} \quad rf_i^R = \frac{c_i^R}{\sum_j c_j^R}$$

"rf<sup>R</sup> (rel. freq.)"  
See Fig 1, pg 377

great visualization idea by MCQ!



most freq words are getting most weight  
most weight words are all high-freq.

claim: variation in high-freq words not accounted for:

$$\text{low freq diffs: } \frac{2}{N_D} - \frac{1}{N} = \frac{1}{N} \quad ; \text{ high-freq diffs: } \frac{2000}{N} - \frac{1990}{N} = \frac{10}{N} \gg \frac{1}{N}$$

not needed, but build intuition for reinforce  
<note restricted range, actually, not >

b/c we know we're gonna want to get to a log-odds ratio:  
 (foreshadow: research drama — this won't go well, but is leading to sthg good)

Let's consider odds ~~ratio~~

$$\frac{rf_i^D}{1-rf_i^D}$$

scale is ~~on~~ outside  $(0, 1)$ . — more extreme give bigger #.  
 Consider "4:1" odds: so that the word will appear for Dem.

log-odds-ratio

$$\text{log-odds-ratio} = \log \left( \frac{rf_i^D / (1 - rf_i^D)}{rf_i^R / (1 - rf_i^R)} \right)$$

see fig 2 — high-freq words are

all low-freq, b/c ratios  
are more extreme for low counts  
(same "noodling" /N example  
as before)

~~let's go back to model-based approach:~~

~~use notation from previous page that was deferred~~

- Should we keep trying ad hoc fixes? Or trying more "principled"?
- Let's try to explicitly take variance into acct: if we see a big log-odds ratio, is that just by chance?

need: what is the variance of the log-odds ratio?

↳ what is its distribution?

} why? We then  
can do a  
Z-score test:  
Remember 1.96??

model: multinomial generation (use notation that was deferred from previous page).  
 - natural, ~~for~~ for ~~independent rolls of dies or draws of~~  
 of words.  
 (altho' not true (Noriega), Ken Church)

what do we know about  $\vec{\theta}^D, \vec{\theta}^R$ .

express prior: Dirichlet is very convenient: conjugate prior for multinomial.  
 (not that we know any other priors on multinomials).

parameters  $\alpha_1, \alpha_2, \dots, \alpha_{\text{tot}}$ ; call  $\alpha_0 = \sum \alpha_i$ , require  $\alpha_i > 0$ .  
 (maybe don't need to introduce)

priors multinomial where the  $\theta_i$ 's are roughly normalized

$$\text{mode: } \theta_i = \frac{\alpha_i - 1}{\sum (\alpha_j - 1)}$$

- so, like multinomials like this,

(Note: the "pts" being drawn here represent multinomials "an urn of urns",  
Matthew's site!)

probably better to have just talked about the mean.

described as the "normalization" trick.

Variance  $\propto \frac{1}{\alpha_0}$  as  $\alpha_i$ 's increase.

$$\text{mean: } \theta_i = \frac{\alpha_i}{\alpha_0}$$

already guessed use Google ngram corpus

Showed fig 4-uninformative prior

posterior  $P(\vec{\theta} | c) \propto P(c | \vec{\theta}) P(\vec{\theta})$  → "concentration" rel. diff. specify expected value.

: fig 5-informative prior.  
 (very definitely made an impression)

is Dir w/  $\alpha_i = \alpha_i + c_i$ !