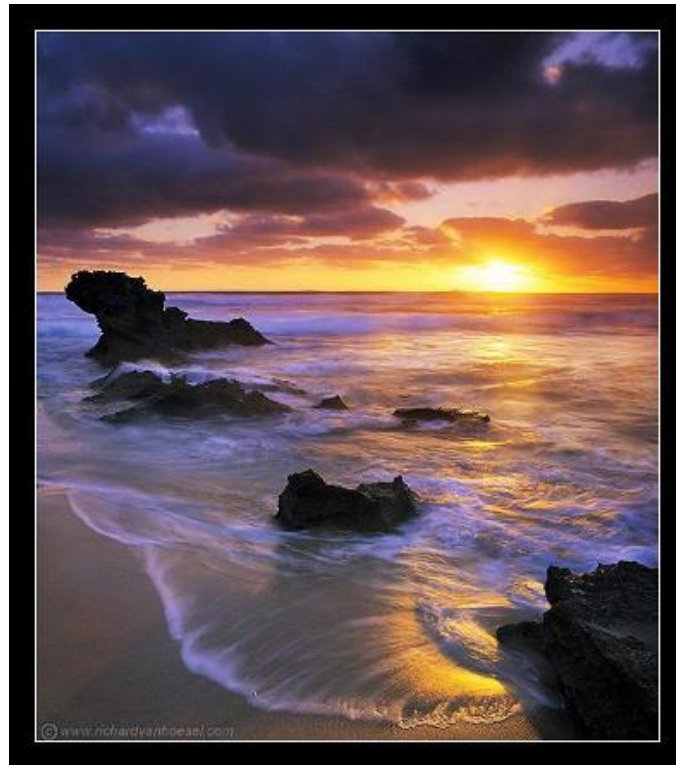


# CS5670: Computer Vision

Noah Snavely

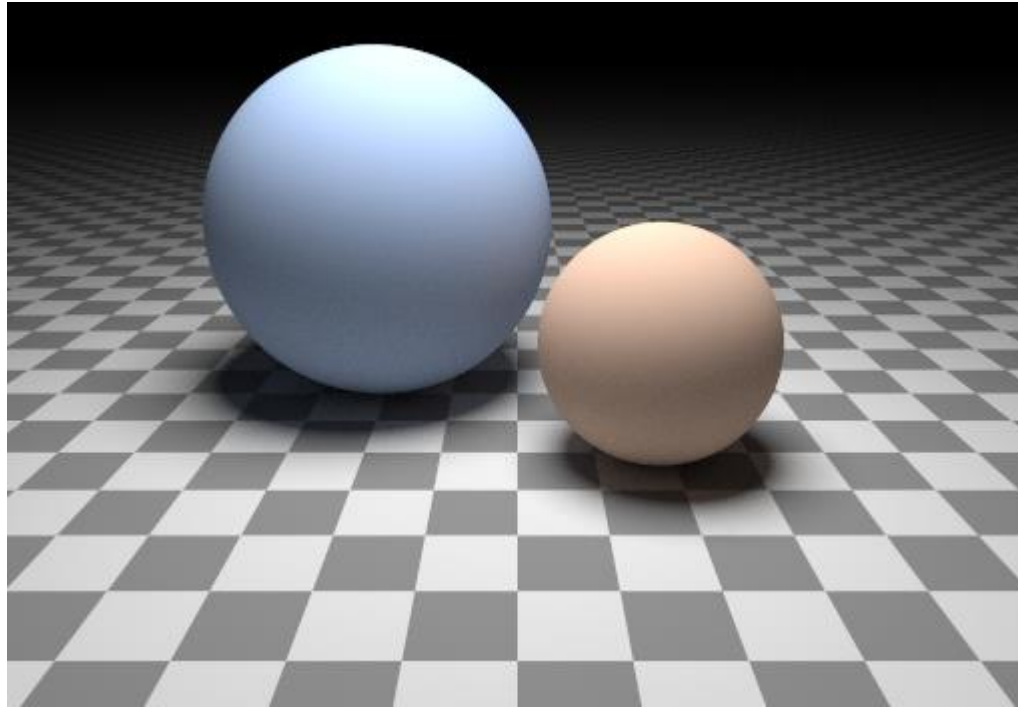
## Light & Perception



# Announcements

- Quiz on Tuesday
- Project 3
  - code due Monday, April 17, by 11:59pm
  - artifact due Wednesday, April 19, by 11:59pm

# Can we determine shape from lighting?



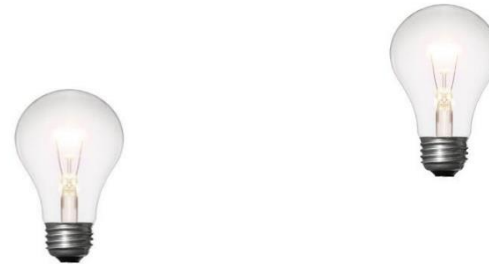
- Are these spheres?
  - Or just flat discs painted with varying albedo?
  - There is ambiguity between *shading* and *reflectance*
  - But still, as humans we can understand the shapes of these objects

# What we know: Stereo



Key Idea: use feature motion to understand shape

# Next: Photometric Stereo



Key Idea: use pixel brightness to understand shape

# Next: Photometric Stereo



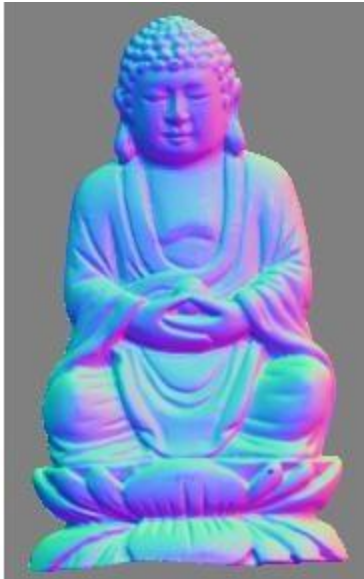
Key Idea: use pixel brightness to understand shape

# Photometric Stereo

What results can you get?



Input  
(1 of 12)



Normals (RGB  
colormap)



Normals (vectors)



Shaded 3D  
rendering



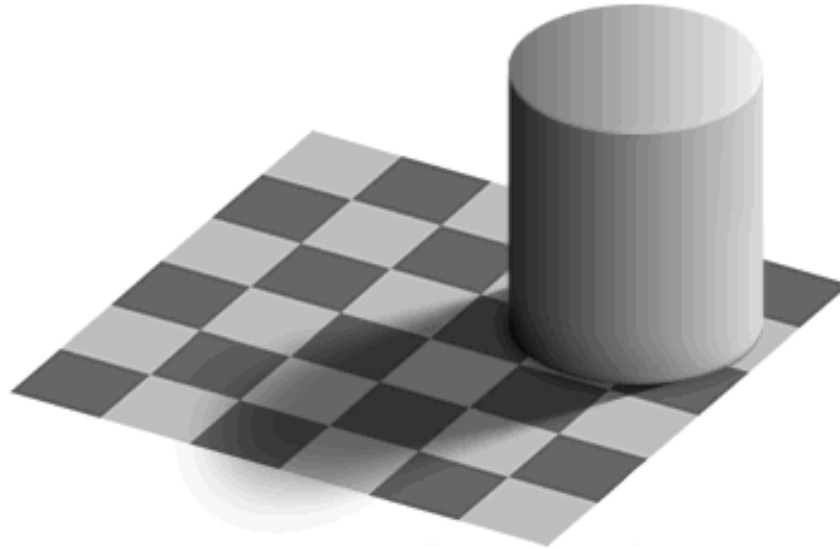
Textured 3D  
rendering





# Light

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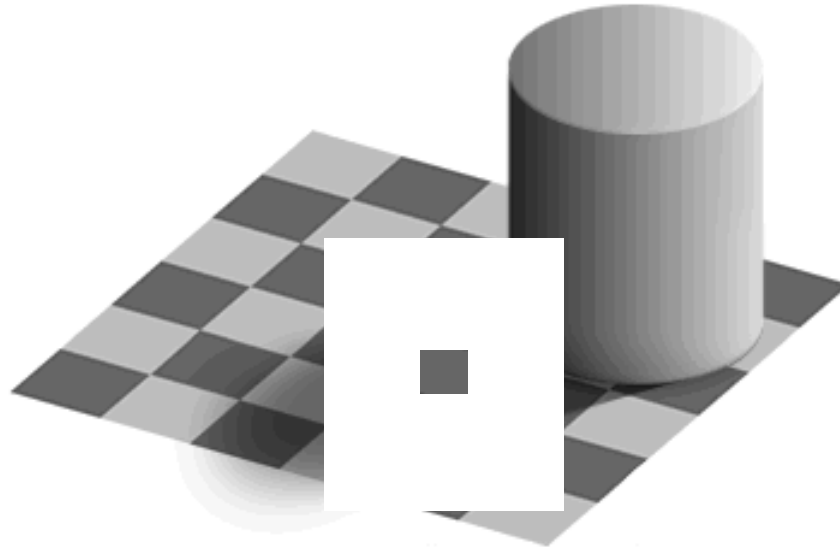
by Ted Adelson

## Readings

- Szeliski, 2.2, 2.3.2

# Light

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by Ted Adelson

## Readings

- Szeliski, 2.2, 2.3.2

# Properties of light

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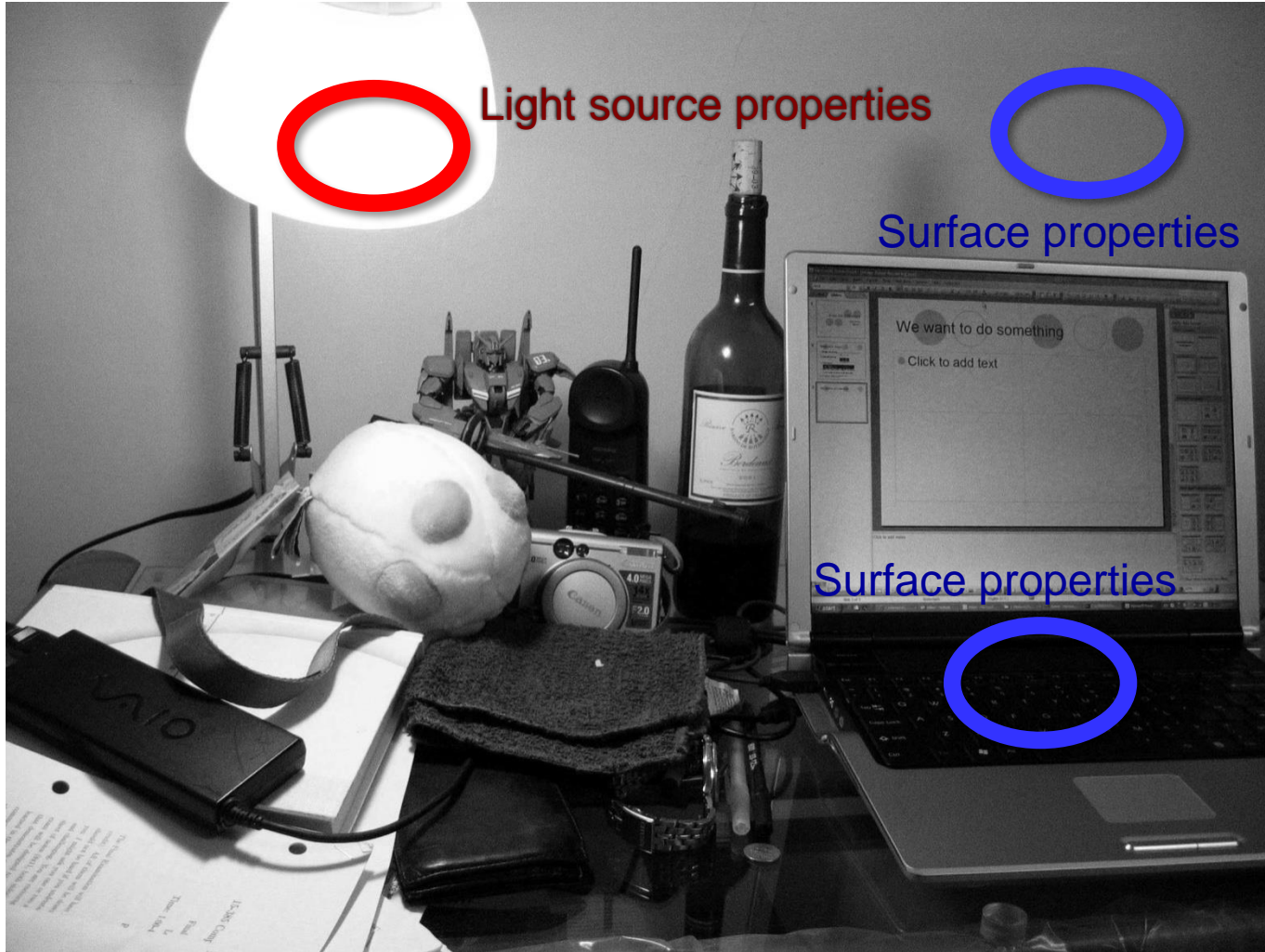
## Today

- What is light?
- How do we measure it?
- How does light propagate?
- How does light interact with matter?

# Radiometry

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What determines the brightness of a pixel?



# Radiometry

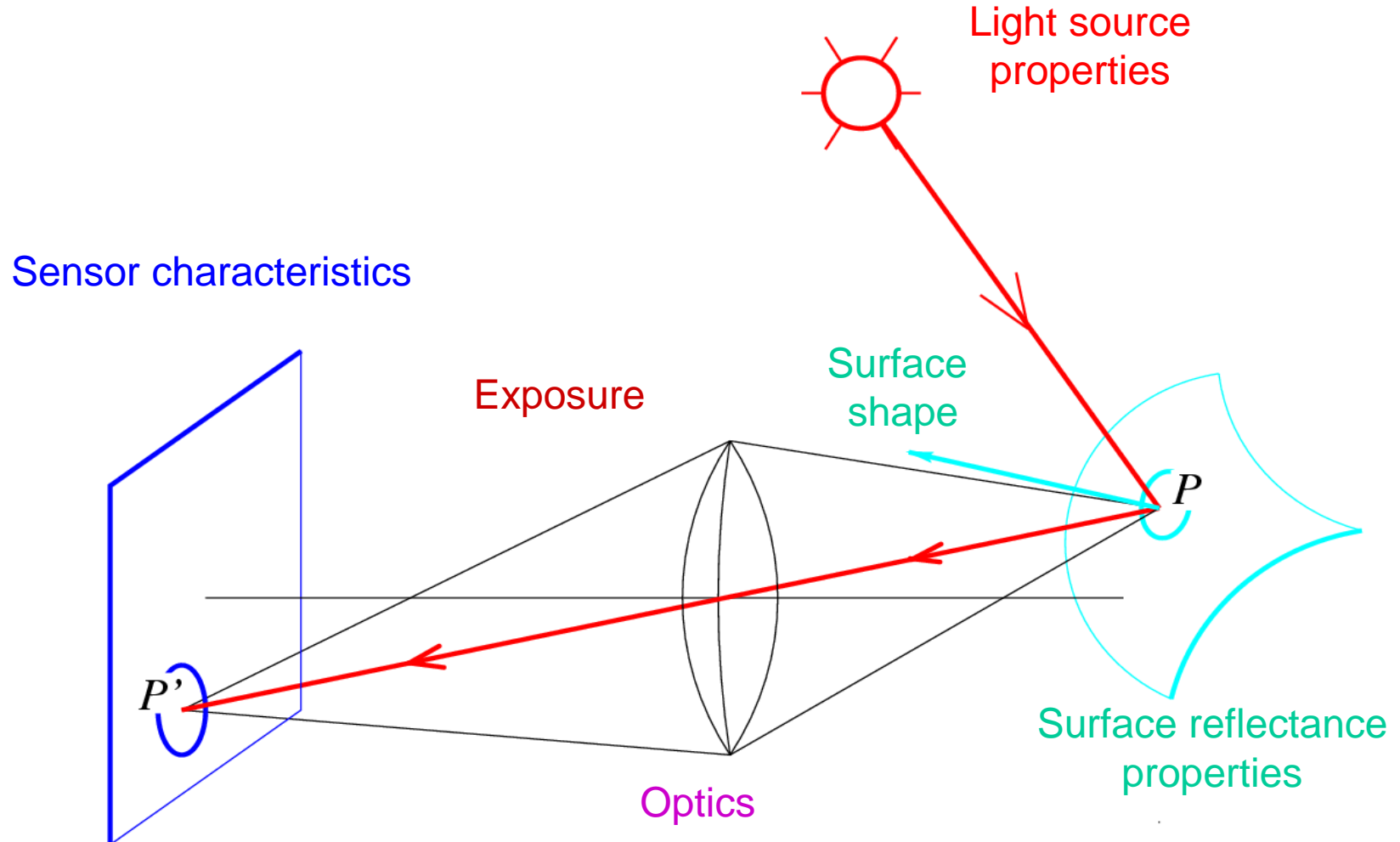
---

What determines the brightness of a pixel?



# Radiometry

What determines the brightness of an image pixel?

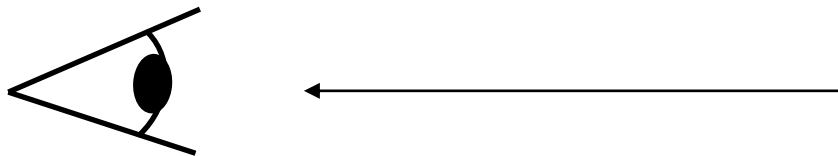


# What is light?

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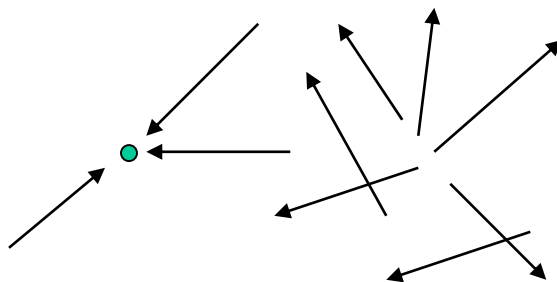
Electromagnetic radiation (EMR) moving along rays in space

- $R(\lambda)$  is EMR, measured in units of power (watts)
  - $\lambda$  is wavelength



Light field

- We can describe all of the light in the scene by specifying the radiation (or “**radiance**” along all light rays) arriving at every point in space and from every direction



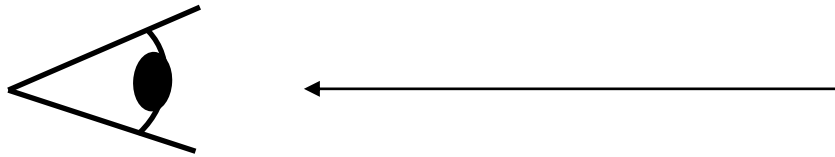
$$R(X, Y, Z, \theta, \phi, \lambda, t)$$

# Color perception

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Electromagnetic radiation (EMR) moving along rays in space

- $R(\lambda)$  is EMR, measured in units of power (watts)
  - $\lambda$  is wavelength



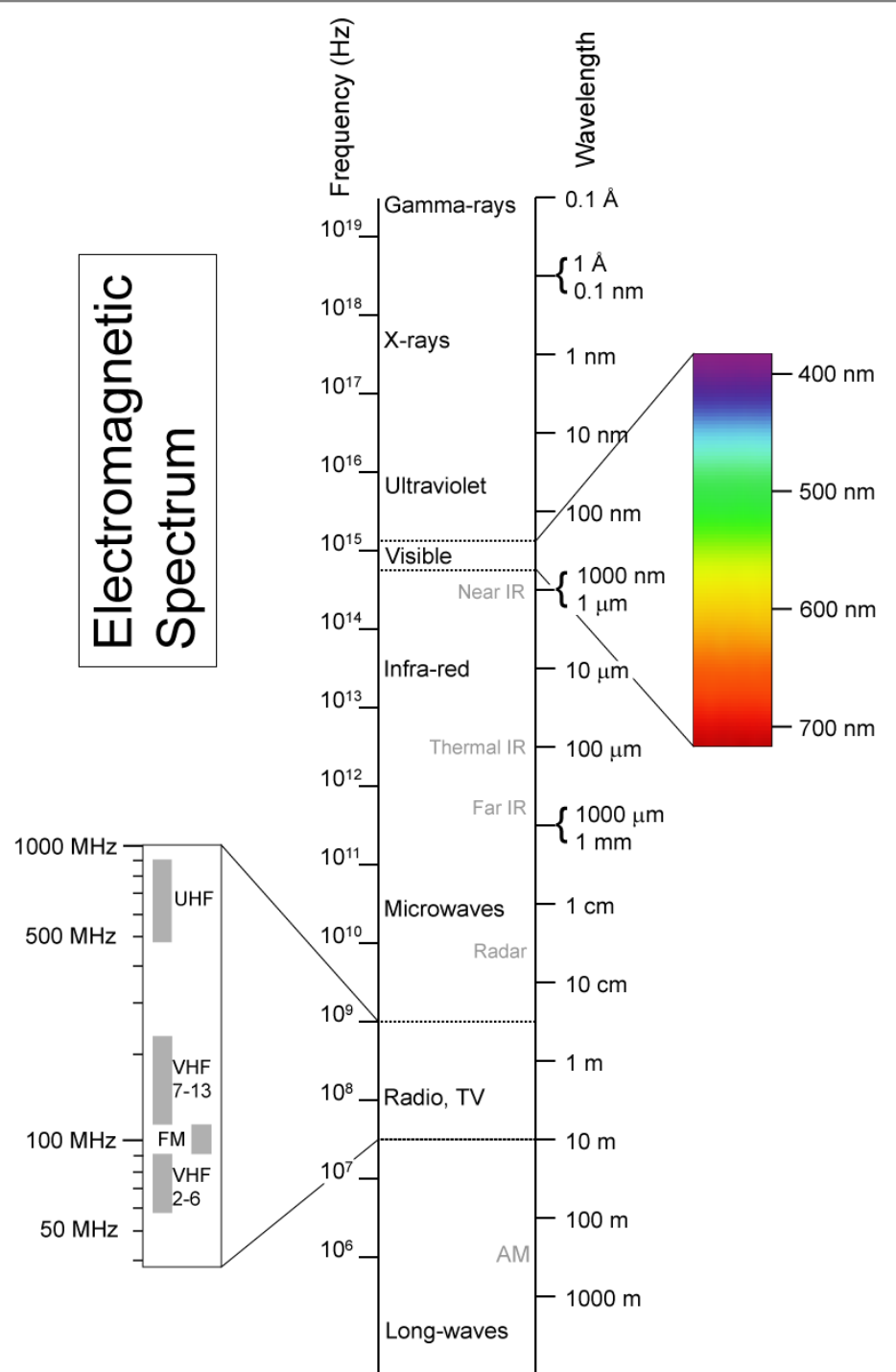
Perceiving light

- How do we convert radiation into “color”?
- What part of the spectrum do we see?



# Visible light

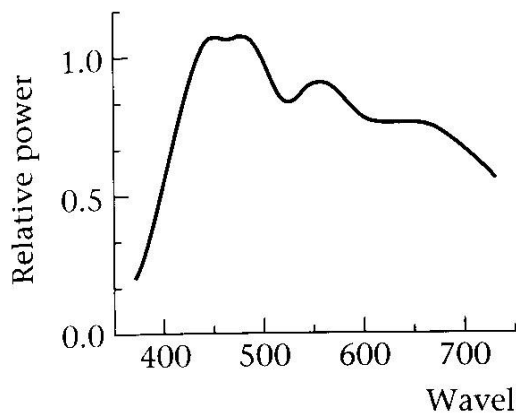
We “see” electromagnetic radiation in a range of wavelengths



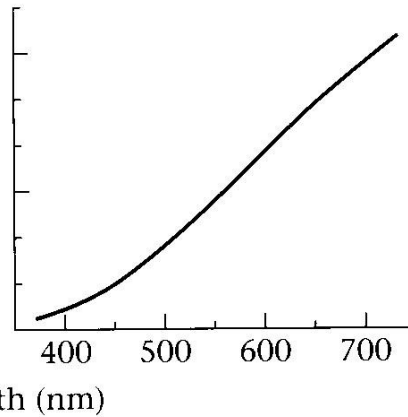
# Light spectrum

The appearance of light depends on its power **spectrum**

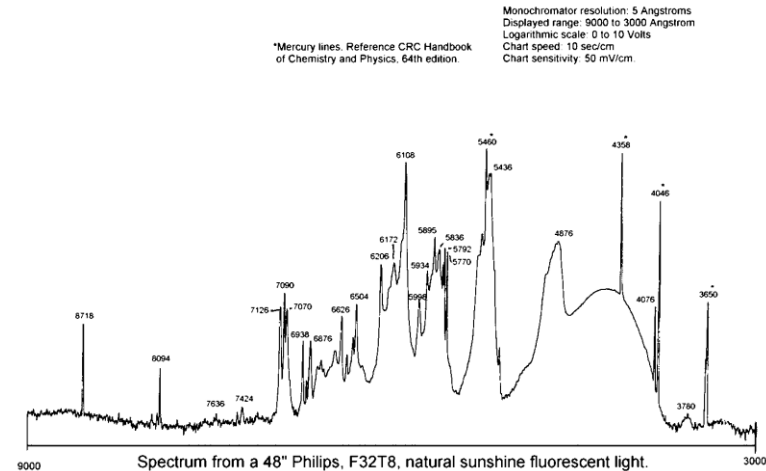
- How much power (or energy) at each wavelength



daylight



tungsten bulb



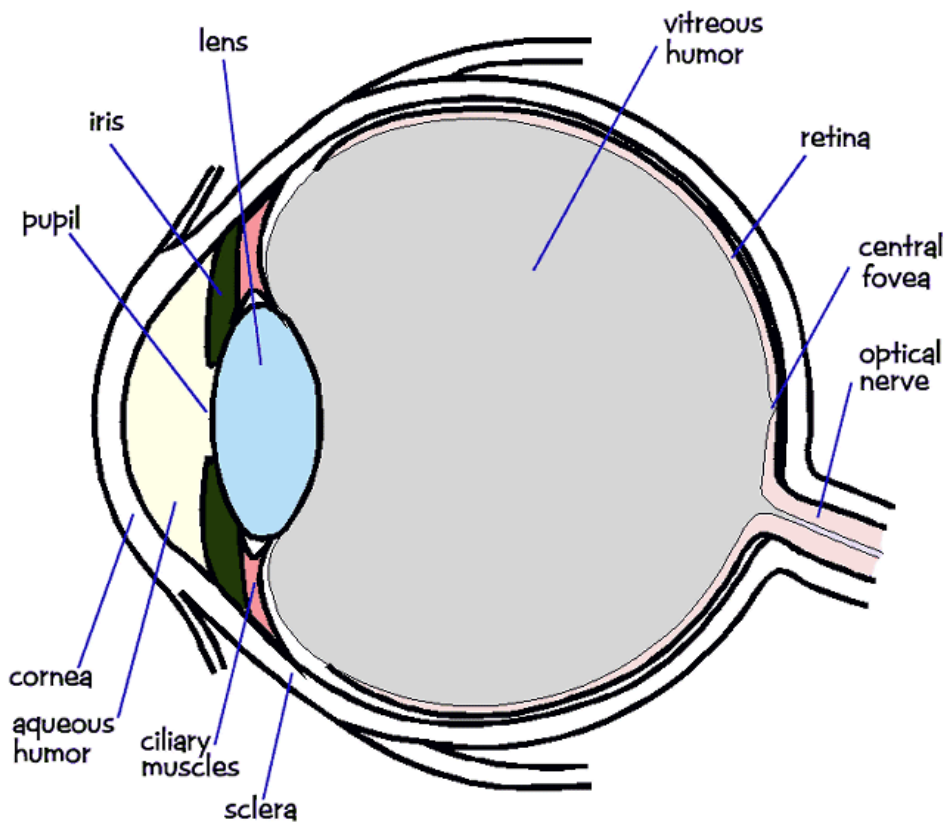
fluorescent bulb

Our visual system converts a light spectrum into “color”

- This is a rather complex transformation

# The human visual system

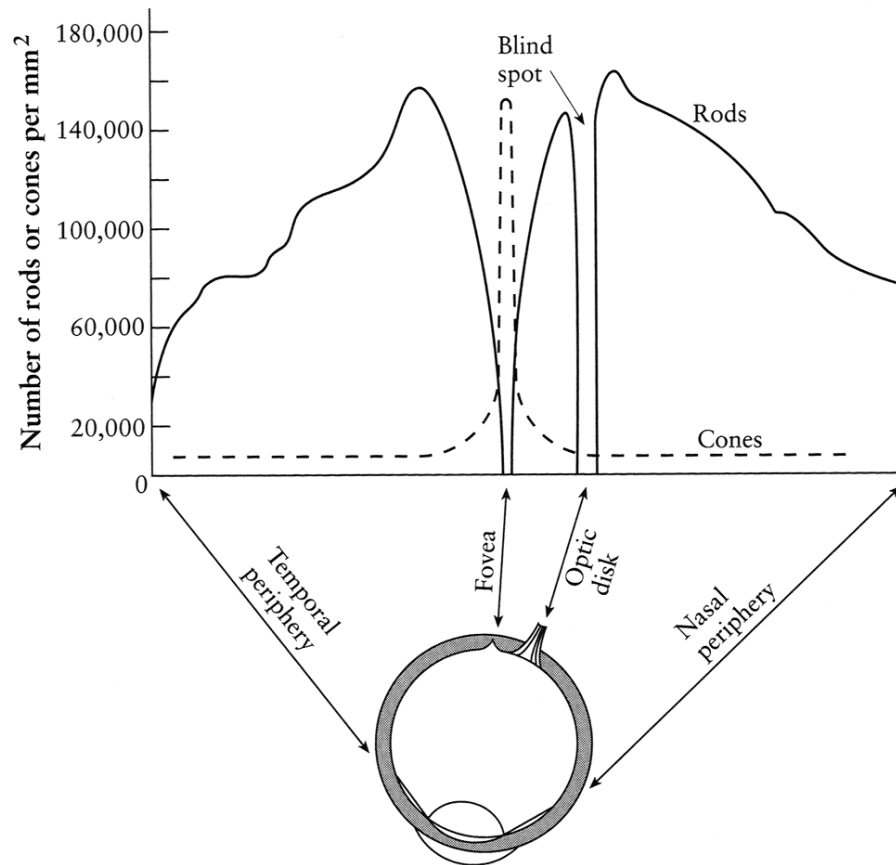
---



## Color perception

- Light hits the retina, which contains photosensitive cells
  - rods and cones
- These cells convert the spectrum into a few discrete values

# Density of rods and cones

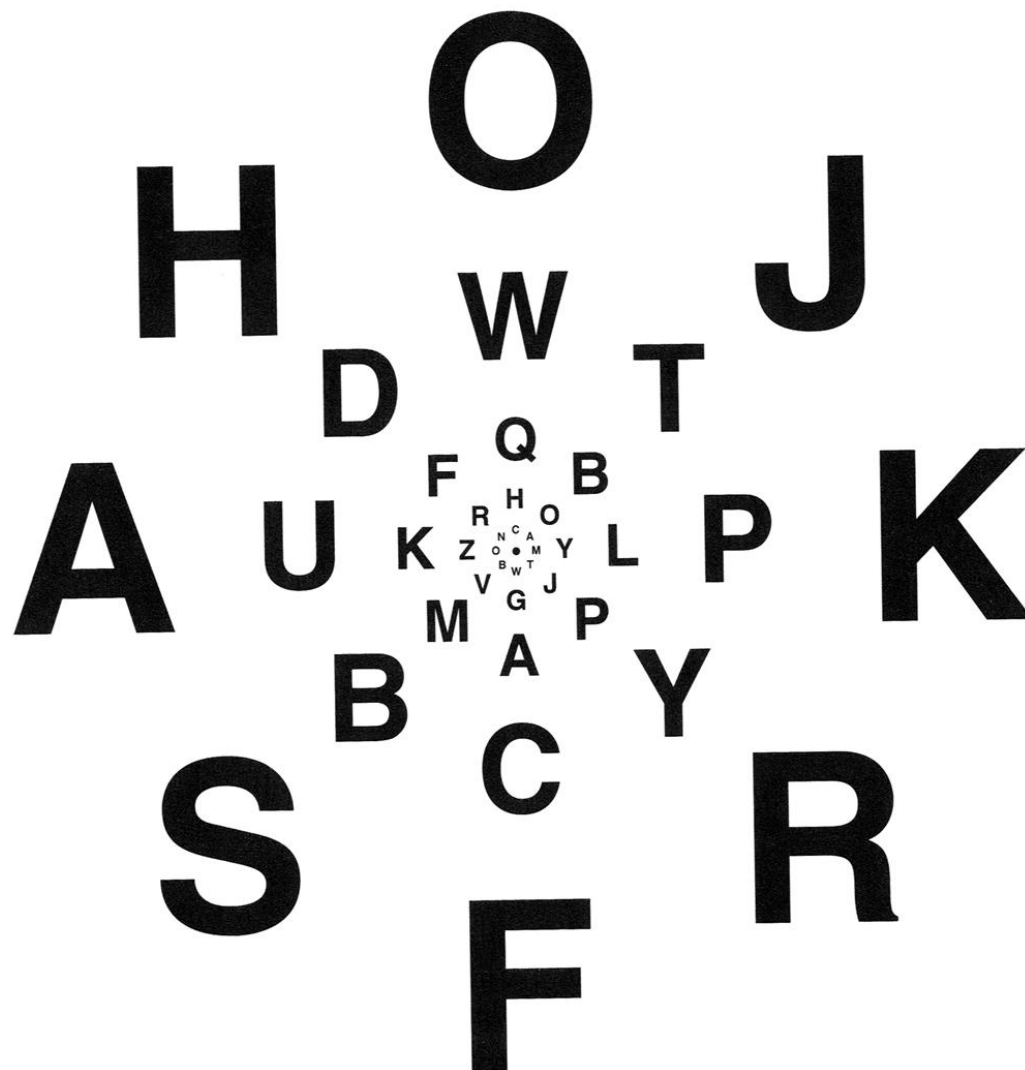


Rods and cones are *non-uniformly* distributed on the retina

- Rods responsible for intensity, cones responsible for color
- **Fovea** - Small region (1 or 2°) at the center of the visual field containing the highest density of cones (and no rods).
- Less visual acuity in the periphery—many rods wired to the same neuron

# Demonstrations of visual acuity

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*With one eye shut, at the right distance, all of these letters should appear equally legible (Glassner, 1.7).*

# Demonstrations of visual acuity

---



*With left eye shut, look at the cross on the left. At the right distance, the circle on the right should disappear (Glassner, 1.8).*

# Brightness contrast and constancy

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The apparent brightness depends on the surrounding region

- **brightness contrast:** a constant colored region seems lighter or darker depending on the surrounding intensity:



– [http://www.sandlotscience.com/Contrast/Checker\\_Board\\_2.htm](http://www.sandlotscience.com/Contrast/Checker_Board_2.htm)

- **brightness constancy:** a surface looks the same under widely varying lighting conditions.

# Light response is nonlinear

---

Our visual system has a large *dynamic range*

- We can resolve both light and dark things at the same time
- One mechanism for achieving this is that we sense light intensity on a *logarithmic scale*
  - an exponential intensity ramp will be seen as a linear ramp
- Another mechanism is *adaptation*
  - rods and cones adapt to be more sensitive in low light, less sensitive in bright light.



# Visual dynamic range

---

Background	Luminance (candelas per square meter)
Horizon sky	
Moonless overcast night	0.00003
Moonless clear night	0.0003
Moonlit overcast night	0.003
Moonlit clear night	0.03
Deep twilight	0.3
Twilight	3
Very dark day	30
Overcast day	300
Clear day	3,000
Day with sunlit clouds	30,000
Daylight fog	
Dull	300–1,000
Typical	1,000–3,000
Bright	3,000–16,000
Ground	
Overcast day	30–100
Sunny day	300
Snow in full sunlight	16,000

A piece of white paper can be 1,000,000,000 times brighter in outdoor sunlight than in a moonless night.

BUT in a given lighting condition, light ranges over only about two orders of magnitude.

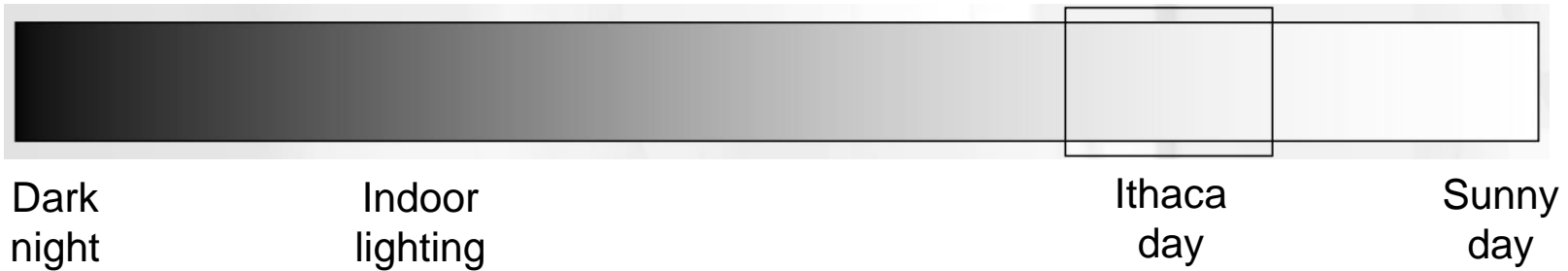
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**FIGURE 1.13**

Luminance of everyday backgrounds. Source: Data from Rea, ed., *Lighting Handbook 1984 Reference and Application*, fig. 3-44, p. 3-24.

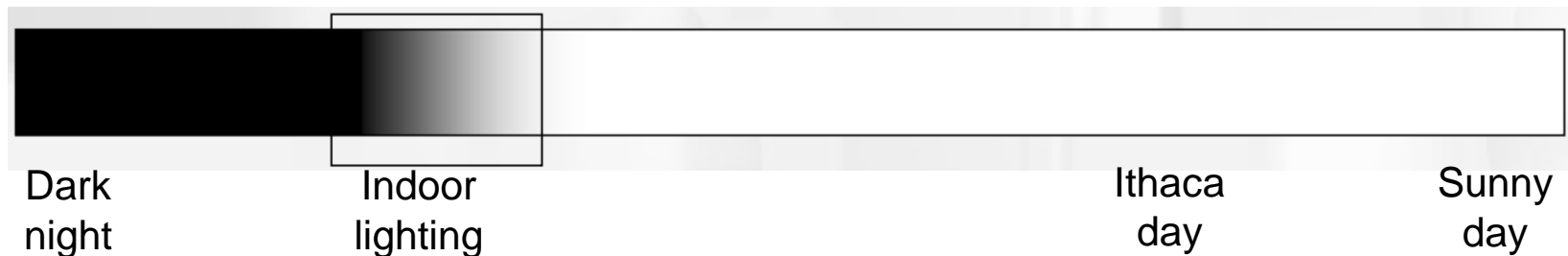
# Visual dynamic range

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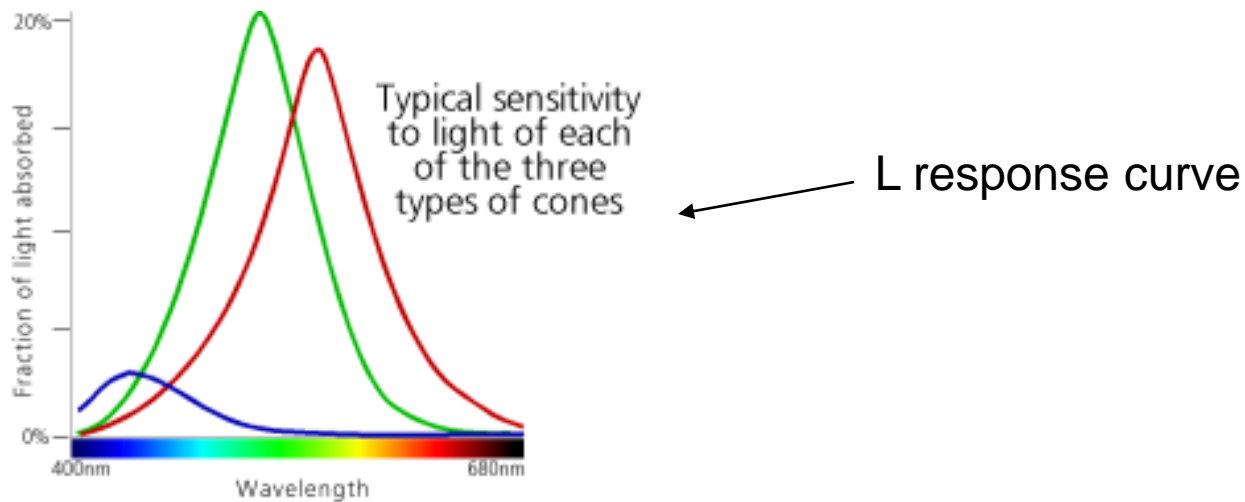
If we were sensitive to this whole range all the time, we wouldn't be able to discriminate lightness levels in a typical scene.

The visual system solves this problem by restricting the 'dynamic range' of its response to match the current overall or 'ambient' light level.



# Color perception

---

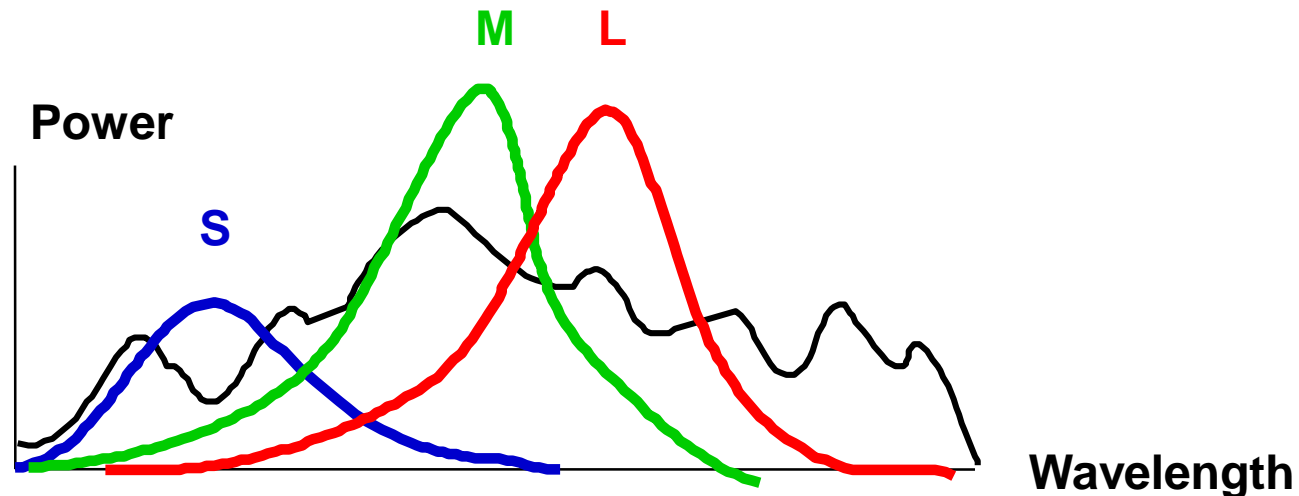


## Three types of cones

- Each is sensitive in a different region of the spectrum
  - but regions overlap
  - Short (S) corresponds to blue
  - Medium (M) corresponds to green
  - Long (L) corresponds to red
- Different sensitivities: we are more sensitive to green than red
  - varies from person to person (and with age)
- Colorblindness—deficiency in at least one type of cone

# Color perception

---



## Rods and cones act as filters on the spectrum

- To get the output of a filter, multiply its response curve by the spectrum, integrate over all wavelengths
  - Each cone yields one number
- Q: How can we represent an entire spectrum with 3 numbers?
- A: We can't! Most of the information is lost.
  - As a result, two different spectra may appear indistinguishable
    - » such spectra are known as **metamers**
    - » [http://www.cs.brown.edu/exploratories/freeSoftware/repository/edu/brown/cs/exploratories/applets/spectrum/metamers\\_guide.html](http://www.cs.brown.edu/exploratories/freeSoftware/repository/edu/brown/cs/exploratories/applets/spectrum/metamers_guide.html)

# Perception summary

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The mapping from radiance to perceived color is quite complex!

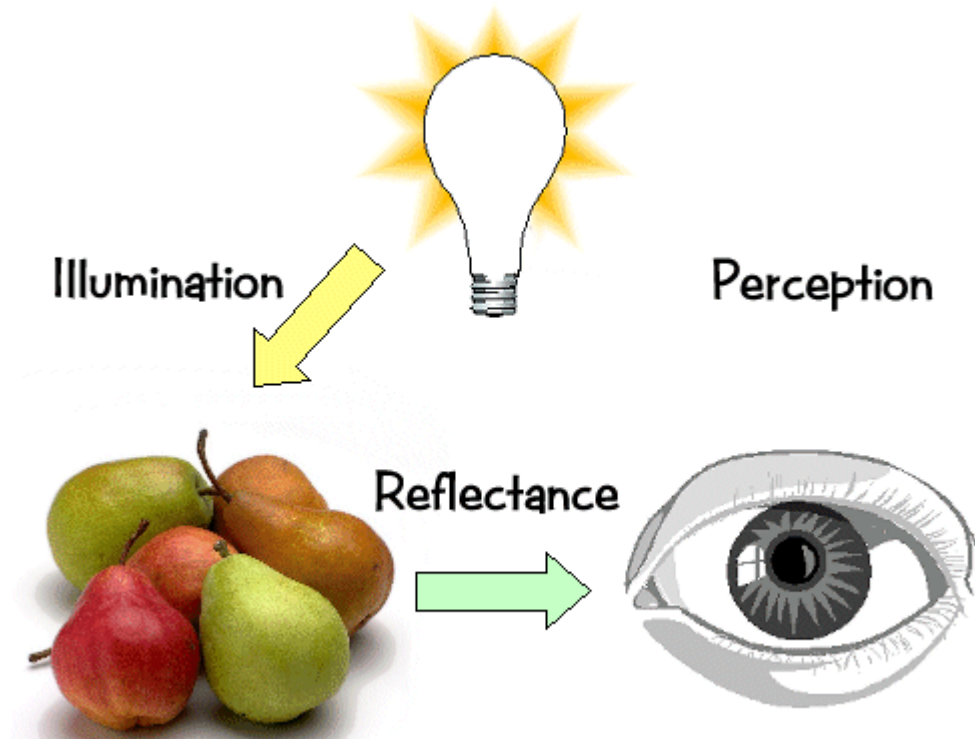
- We throw away most of the data
- We apply a logarithm
- Brightness affected by pupil size
- Brightness contrast and constancy effects

The same is true for cameras

- But we have tools to correct for these effects
  - (Computational Photography)

# Light transport

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# Light sources

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## Basic types

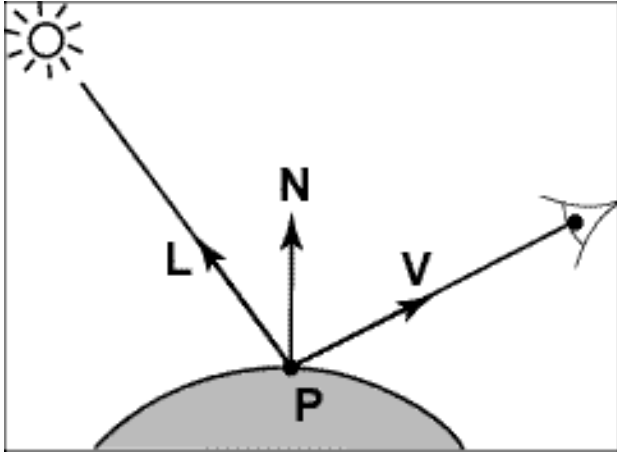
- point source
- directional source
  - a point source that is infinitely far away
- area source
  - a union of point sources

## More generally

- a light field can describe \*any\* distribution of light sources

What happens when light hits an object?

# Modeling Image Formation



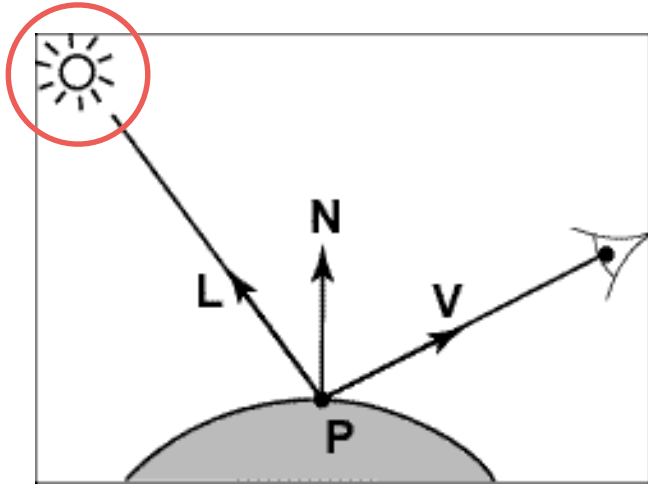
We need to reason about:

- How light interacts with the scene
- How a pixel value is related to light energy in the world

Track a “ray” of light all the way from light source to the sensor

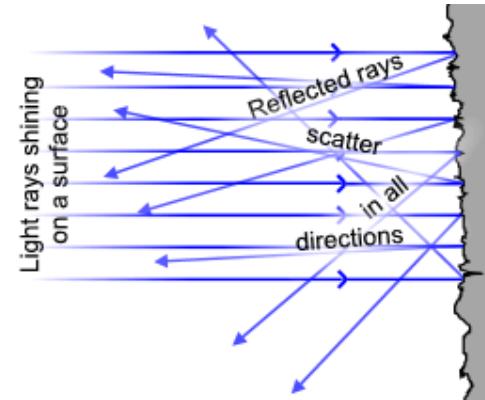
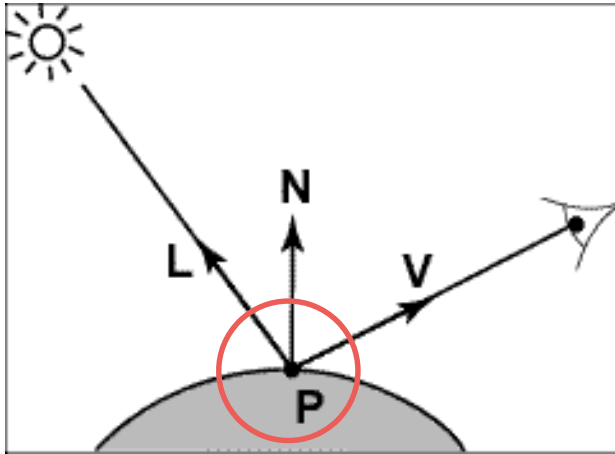


# Directional Lighting



- Key property: all rays are parallel
- Equivalent to an infinitely distant point source

# Lambertian Reflectance



$$I = N \cdot L$$

Image  
intensity

$=$

Surface  
normal

$\cdot$

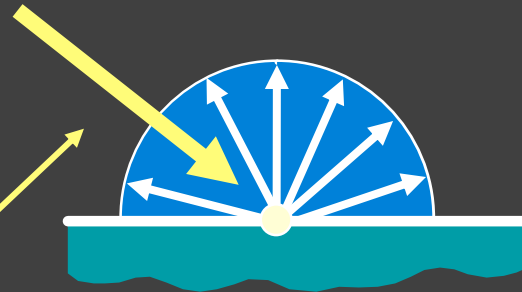
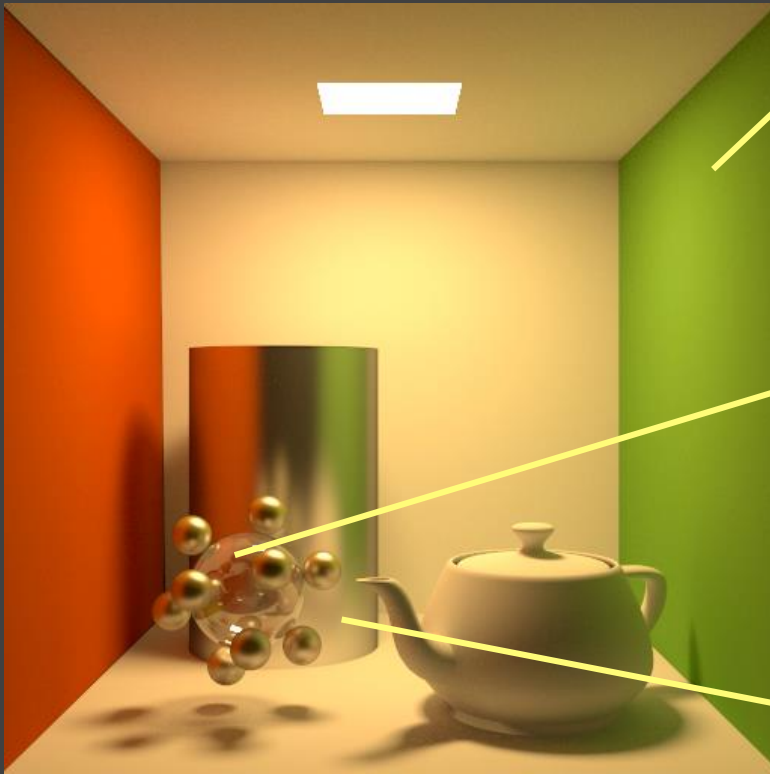
Light  
direction

Image  
intensity

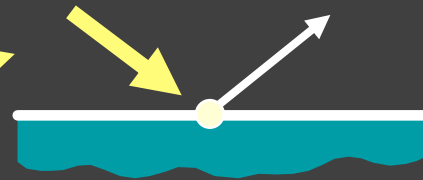
$\propto$

$\cos(\text{angle between } N \text{ and } L)$

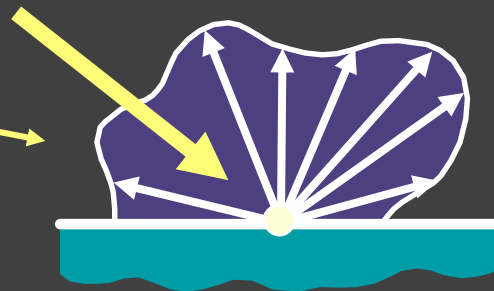
# Materials - Three Forms



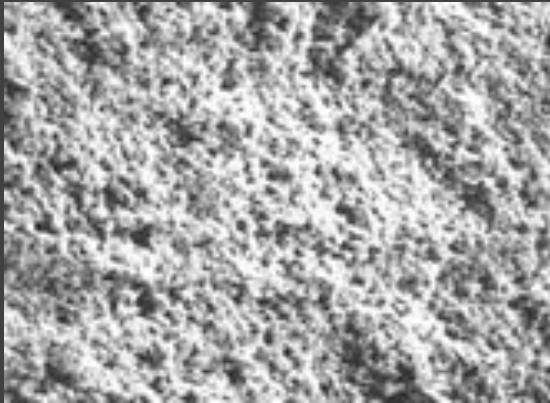
Ideal diffuse  
(Lambertian)



Ideal  
specular



Directional  
diffuse



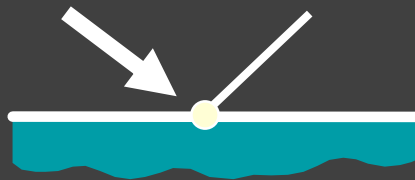
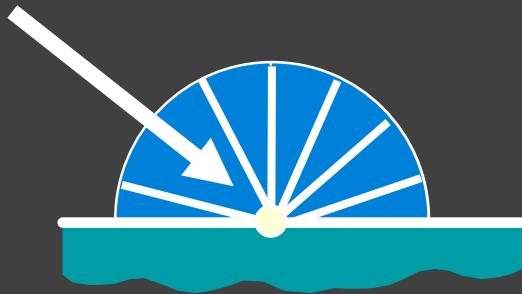
Ideal diffuse  
(Lambertian)



Ideal  
specular

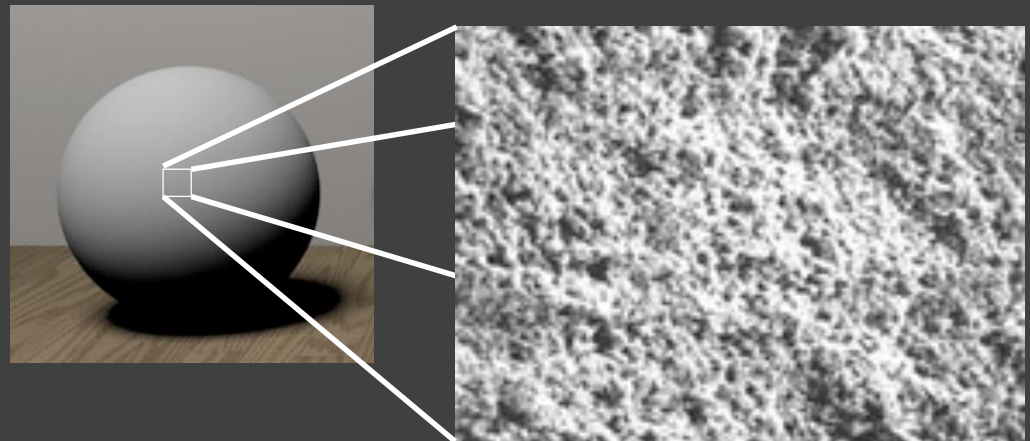


Directional  
diffuse

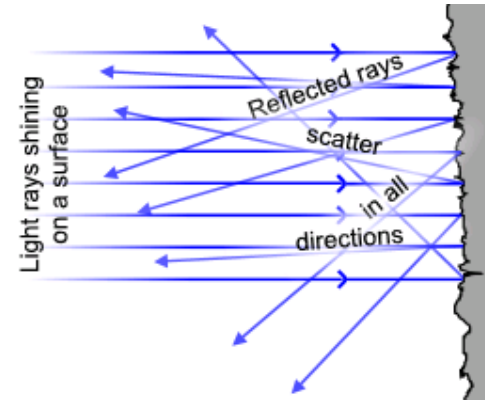
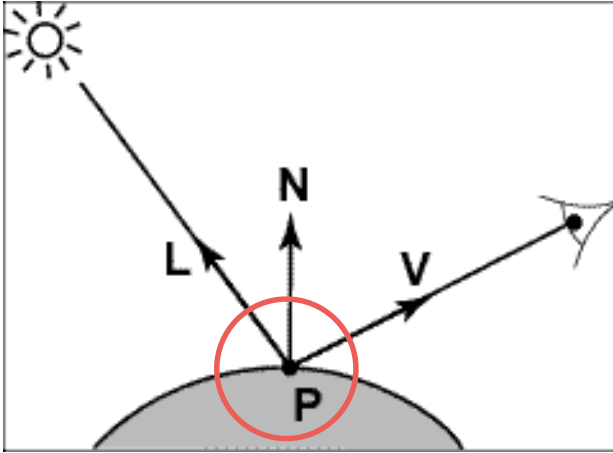


# Ideal Diffuse Reflection

- Characteristic of multiple scattering materials
- An idealization but reasonable for matte surfaces



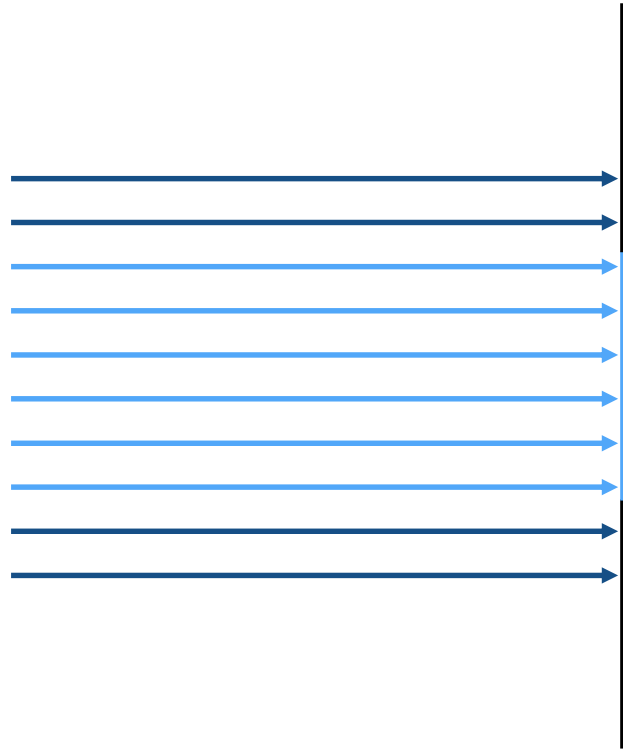
# Lambertian Reflectance



1. Reflected energy is proportional to cosine of angle between L and N (**incoming**)
2. Measured intensity is viewpoint-independent (**outgoing**)

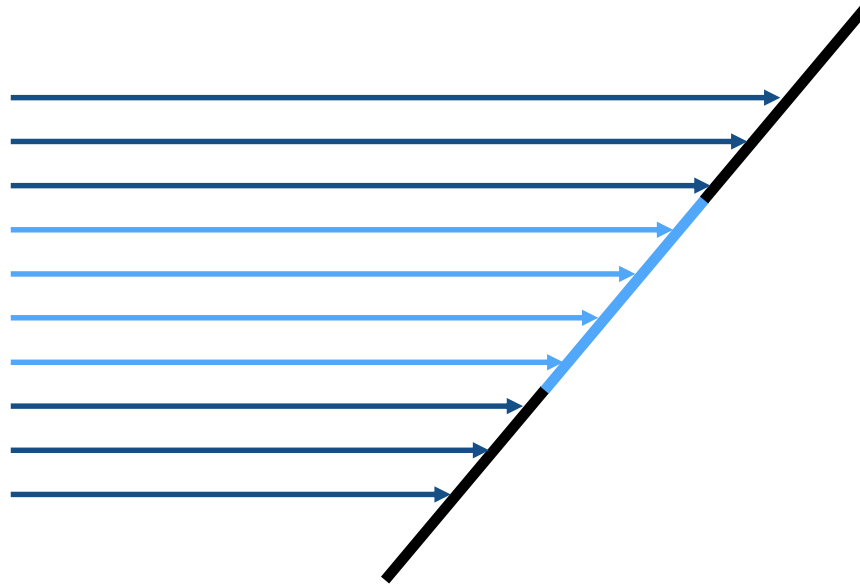
# Lambertian Reflectance: Incoming

1. Reflected energy is proportional to cosine of angle between L and N



# Lambertian Reflectance: Incoming

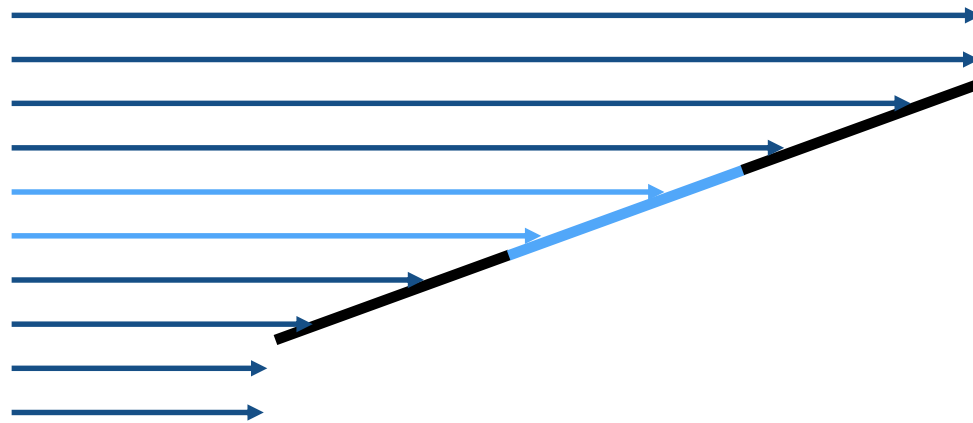
1. Reflected energy is proportional to cosine of angle between L and N





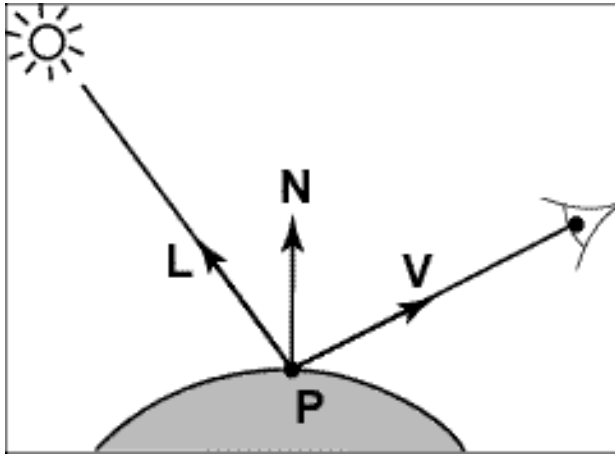
# Lambertian Reflectance: Incoming

1. Reflected energy is proportional to cosine of angle between L and N



Light hitting surface is proportional to the **cosine**

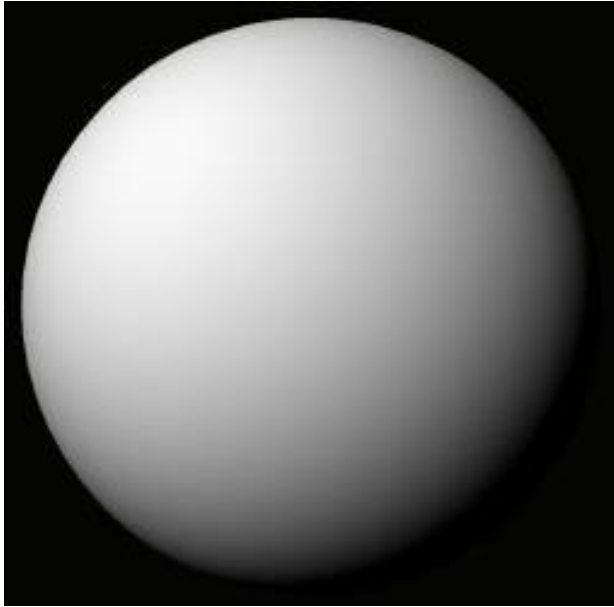
# Image Formation Model: Final



$$I = k_d \mathbf{N} \cdot \mathbf{L}$$

1. Diffuse albedo: what fraction of incoming light is reflected?
  - Introduce scale factor  $k_d$
2. Light intensity: how much light is arriving?
  - Compensate with camera exposure (global scale factor)
3. Camera response function
  - Assume pixel value is linearly proportional to incoming energy (perform radiometric calibration if not)

# A Single Image: Shape from Shading



$$I = k_d \mathbf{N} \cdot \mathbf{L}$$

Assume  $k_d$  is 1 for now.

What can we measure from one image?

- $\cos^{-1}(I)$  is the angle between  $\mathbf{N}$  and  $\mathbf{L}$
- Add assumptions:
  - Constant albedo
  - A few known normals (e.g. silhouettes)
  - Smoothness of normals

In practice, SFS doesn't work very well:  
assumptions are too restrictive,  
too much ambiguity in nontrivial scenes.

# Application: Detecting composite photos

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Real photo



Fake photo



# Questions?

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