CS4780

ML Setup

prodiction making:

Model you meed to build from stuff Le know feature extraction X Feature 7 X Feature 7 X Feature 7 X stuff we don't how - <sup>2</sup> >y Output prediction making Program What we ore trying to predict. Every thing in the world describes the part of the world relevant to prodicting y. Feature extraction and the actual prediction making are both important components, and both incur error. Exercise: What could & consist of when you are trying to predict ... ... if an email is span or not-span (=ham) ... if the Coca (ale stock will go up tomorrow? ... where Jupiter will be tomorrow? ... if a picture that you just took contains a Moose? How do we obtain h? - Traditional CS approach: Pay CS Major to implement a program (somehow) - Supervised Learning approach: Learn h from poist data! lo learn ve need four things: 1. Data { (I, y), 1, (V, y)} 2. A hypothesis class H 3. Aloss hunction litter Ro for which we know both I and y of candidate models (het) that tells us how good het is. 4. An optimization algorithm to find h = argmin l(h) h \in H

Intro to Machine Learning Supervised Learning Learn to make predictions from data.  $\frac{Setup:}{Data} = \left\{ \left( \vec{x}_{1}, y_{1} \right), \left( \vec{x}_{2}, y_{2} \right) \right\} \cdots \left( \vec{x}_{n}, y_{n} \right) \right\} \leq I R^{4} \times C$ IR<sup>d</sup>: d-dimensional feature spoce  $\vec{x}_i$ : input vector of i-th input sample  $y_i$ : label of i-th sample C: lobel space Multiple scenarios for C: - binary classification C={0,1} or C={-1,+1} example: Span filtering. An emovil is either spam (+1) or not spam (-1) - <u>multi-class classification</u>: C= {1,..., K} 10/2 example: face classification. A person can be exactly one of K identifies exactly one of K identifies (e.g. 1= "Barach Obama", Z="George U. Bush") - <u>Regression</u> C=IR C=IR example: predict temperature or height of a person The goal of supervised learning is to find a function hild =such that  $h(x_i) = y_i$  for  $(x_i^2, y_i) \in D$  (training) and  $h(x_t) = y_t$  for  $(x_{t+1}y_t) \notin D$  (testing)

Ve call is a feature vector and the d dimensions the features describing the i-th sample. 2 Examples of leature vectors: - Patient data in a hospital (de 100) dense)  $\frac{1}{X_{i}} = \begin{array}{c} 1 \\ 1 \\ 183 \\ 183 \\ 67 \\ 67 \\ 67 \\ 183$ - Text document in bag-of-words format: (d=100000-101 (we call a frature vector sparse if it consists of mostly zeros.)  $\frac{-1maye}{(dense)} = \frac{(d \sim $00.000 - 10 m)}{(dense)}$   $\frac{(a) - red value}{\gamma_i} = \frac{(a) - red value}{(a) - red value}$ A 7MP comera pic results in 7x3 = 21 million fatures.

Loss functions (aka visk function) We want to find the best h() for a data set D. How do we guantify "best"? There are many choices. Famous cramples: th Z (h(Fi)-4;)<sup>2</sup> Typically used for - squared loss J Z (b(xi) - yi) Vegresion - absolute loss Generaliz ution If you find a function h() with low loss on your data D, how do you know it will still get examples right that are not in D?  $h(x) = \begin{cases} y_{i} & i \\ 0 & 0 \\ y_{i} & y_{i} \\ 0 & 0 \\ y_{i} & y_{i} \\ y_{i} &$ Bad mample "memorizer" hl): Gets perfect O's error on training data D, byt does horribly with samples not in D. Train /test splits: Split your date into train, validation and test splits. DTR DVA DTE QUIZ: D TRAIN VALIDATION TEST Why do we Exomple: 80% 10% 10% 10% mered DVA? Choose 4(1 on TRAIN (DIR) and evaluate on DIF.

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How should you split the data? 4 - By time if there is a temporal component - uniformly at random if data is i.i.d. The test error (or test loss) approximates the true generalization error/loss. Let's put it all together: Evaluation Learning Generalization  $\begin{array}{c} h= \alpha rymin + \sum_{k \in \mathcal{I}_{i}} \mathcal{L}(\vec{x}, \gamma) \\ h\in \mathcal{H} \end{array} \xrightarrow{} \left[ D_{\mathsf{T}} \mathcal{R} \right] \left( \vec{x}, \gamma \right) \in \mathcal{D}_{\mathsf{T}} \mathcal{R} \end{array} \xrightarrow{} \left( \vec{x}, \gamma \right) \\ \mathcal{L}(\vec{x}, \gamma) \in \mathcal{D}_{\mathsf{T}} \mathcal{R} \end{array} \xrightarrow{} \left( \vec{x}, \gamma \right) = \sum_{k \in \mathcal{H}} \left( \vec{x}, \gamma \right) \mathcal{L}(\vec{x}, \gamma) = \sum_{k \in \mathcal{H}} \left( \vec{x}, \gamma \right) \mathcal{L}(\vec{x}, \gamma) = \sum_{k \in \mathcal{H}} \left( \vec{x}, \gamma \right) \mathcal{L}(\vec{x}, \gamma) = \sum_{k \in \mathcal{H}} \left( \vec{x}, \gamma \right) \mathcal{L}(\vec{x}, \gamma) = \sum_{k \in \mathcal{H}} \left( \vec{x}, \gamma \right) \mathcal{L}(\vec{x}, \gamma) = \sum_{k \in \mathcal{H}} \left( \vec{x}, \gamma \right) \mathcal{L}(\vec{x}, \gamma) = \sum_{k \in \mathcal{H}} \left( \vec{x}, \gamma \right) \mathcal{L}(\vec{x}, \gamma) = \sum_{k \in \mathcal{H}} \left( \vec{x}, \gamma \right) \mathcal{L}(\vec{x}, \gamma) = \sum_{k \in \mathcal{H}} \left( \vec{x}, \gamma \right) \mathcal{L}(\vec{x}, \gamma) = \sum_{k \in \mathcal{H}} \left( \vec{x}, \gamma \right) \mathcal{L}(\vec{x}, \gamma) = \sum_{k \in \mathcal{H}} \left( \vec{x}, \gamma \right) \mathcal{L}(\vec{x}, \gamma) = \sum_{k \in \mathcal{H}} \left( \vec{x}, \gamma \right) \mathcal{L}(\vec{x}, \gamma) = \sum_{k \in \mathcal{H}} \left( \vec{x}, \gamma \right) \mathcal{L}(\vec{x}, \gamma) = \sum_{k \in \mathcal{H}} \left( \vec{x}, \gamma \right) \mathcal{L}(\vec{x}, \gamma) = \sum_{k \in \mathcal{H}} \left( \vec{x}, \gamma \right) \mathcal{L}(\vec{x}, \gamma) = \sum_{k \in \mathcal{H}} \left( \vec{x}, \gamma \right) \mathcal{L}(\vec{x}, \gamma) = \sum_{k \in \mathcal{H}} \left( \vec{x}, \gamma \right) \mathcal{L}(\vec{x}, \gamma) = \sum_{k \in \mathcal{H}} \left( \vec{x}, \gamma \right) \mathcal{L}(\vec{x}, \gamma) = \sum_{k \in \mathcal{H}} \left( \vec{x}, \gamma \right) \mathcal{L}(\vec{x}, \gamma) = \sum_{k \in \mathcal{H}} \left( \vec{x}, \gamma \right) \mathcal{L}(\vec{x}, \gamma) = \sum_{k \in \mathcal{H}} \left( \vec{x}, \gamma \right) \mathcal{L}(\vec{x}, \gamma) = \sum_{k \in \mathcal{H}} \left( \vec{x}, \gamma \right) \mathcal{L}(\vec{x}, \gamma) = \sum_{k \in \mathcal{H}} \left( \vec{x}, \gamma \right) \mathcal{L}(\vec{x}, \gamma) = \sum_{k \in \mathcal{H}} \left( \vec{x}, \gamma \right) \mathcal{L}(\vec{x}, \gamma) = \sum_{k \in \mathcal{H}} \left( \vec{x}, \gamma \right) \mathcal{L}(\vec{x}, \gamma) = \sum_{k \in \mathcal{H}} \left( \vec{x}, \gamma \right) \mathcal{L}(\vec{x}, \gamma) = \sum_{k \in \mathcal{H}} \left( \vec{x}, \gamma \right) \mathcal{L}(\vec{x}, \gamma) = \sum_{k \in \mathcal{H}} \left( \vec{x}, \gamma \right) \mathcal{L}(\vec{x}, \gamma) = \sum_{k \in \mathcal{H}} \left( \vec{x}, \gamma \right) \mathcal{L}(\vec{x}, \gamma) = \sum_{k \in \mathcal{H}} \left( \vec{x}, \gamma \right) \mathcal{L}(\vec{x}, \gamma) = \sum_{k \in \mathcal{H}} \left( \vec{x}, \gamma \right)$ hypothisis training loss testing loss generalization loss (unotainable) (set of all possibly classippersh) Quiz: Why dops ETF ?? No Free Lunch (Every ML alyorithm makes assumptions. Always thow) Which hypothesis class H should you choose? It depends on the data H encodes your assumptions about the data set / distribution P. There is no perfect H for all problems (no preplunch theorem) 7 Xr