## CS4410 Homework 1

Copyright © 2021 CS 4410 course staff


#### Abstract

This material is property of the Cornell CS4410 course staff. You are not allowed to share this material unless the Cornell CS4410 course staff has granted explicit permission. To view and fill out this PDF, we recommend using Adobe Acrobat or Apple Preview. Other PDF browsers we tried do not always produce correctly filled PDF forms. Make sure you do not "flatten" the PDF (export to PDF, print to PDF), but submit a saved form that is still editable, otherwise our autograder will not be able to extract your answers.


$$
===\text { Questions }===
$$

## Generated for cs4410

## Friday, February 12, 6pm ET

| Question | \#Points | Percentage |
| :--- | ---: | ---: |
| 1. Tell us about yourself | 8 | $14.3 \%$ |
| 2. Computer Arithmetic | 24 | $42.9 \%$ |
| 3. Architecture | 16 | $28.6 \%$ |
| 4. Harmony | 8 | $14.3 \%$ |
| Total | 56 | $100.0 \%$ |

## Question 1: [8 points] Tell us about yourself

1.1) What is your NetID?

1.2) What is the time difference with Cornell (e.g., -3 if in San Francisco, 0 in Ithaca, 5 if in London, 12 if in China)? $\square$
1.3) Would you like to opt out from study groups?

1.4) (Optional) What are your preferred pronouns?

(Optional) We would like to get to know you better. Tell us a few more things about yourself below:
$\square$

## Question 2: [24 points] Computer Arithmetic

Read https://www.cs.cornell.edu/courses/cs4410/2021sp/resources/background.pdf and answer the following questions:
2.1) What is $2^{3} \times 2^{4}$ ? Only provide the exponent

2.3) What is the binary number 111111 in hexadecimal? $\square$
2.4) What is $2^{9}$ in hexadecimal?
2.5) What is $2^{18}$ in hexadecimal?
2.6) What is $2^{18}-1$ in hexadecimal?
2.7) The PDP-11 had a 22-bit physical address. How many hexadecimal digits are needed to represent such an address?
2.8) How many physical 4-byte words are there on a PDP11 in $2^{x}$ notation?


0x $\square$
2.10) What is the physical address of the last 4-byte word on a PDP-11? $\square$
2.11) If the stack pointer is 0xFFEA3010 and the code pushes three 8-byte words onto the stack, what is the resulting value of the stack pointer (assuming the stack grows down)?
2.12) How many 512 -byte blocks are there on a 2 TB disk in
$\square$
2 $2^{x}$ notation?

## Question 3: [16 points] Architecture

Select one for each of the following questions. You get 4 points for each correct answer, 0 points for each wrong answer, and 1 point for a question left open.
(3.1) In a memory-mapped disk device, a core can read a word from the disk using a load machine instruction just like it can read a word from RAM. Select one:

$\square$| True |
| :--- |
| False |

(3.2) When a processor executes an instruction, the PC is always increased. Select one:

$\square$| True |
| :--- |
| False |

(3.3) Divide-by-zero is an example of an asynchronous, maskable signal. Select one:

(3.4) For efficiency, different cores of the same CPU can share the same registers and their stack. Select one:
$\square$ True
False

## Question 4: [8 points] Harmony

Read Chapters 1 and 2 of the Harmony book (available at harmony.cs.cornell.edu). This question is designed just to make sure that you are able to enter and run Harmony programs.

Consider the following Harmony program (which you can download from www.cs.cornell.edu/courses/cs4410/2021sp/resources/pascal.hny):

```
const N = 2
def factorial(n):
    result = 1 if n == 0 else (n * factorial(n - 1))
def C(n, k):
    result = factorial(n) / (factorial(k) * factorial(n - k))
def pascal(x, n, k):
    result = 0
    while x > 0:
        if k == n:
            k, n = 0, n + 1
        else:
            k += 1
        result += C(n, k)
        x -= 1
x = choose({0..N})
assert pascal(x, 0, 0) == x
```

It asserts that pascal $(x, 0,0)==x$ for all $x$ from 0 to $N$ (inclusive). However, the program only tests for $N \in\{0,1,2\}$.
4.1) What is the lowest non-negative integer $N$ for which the assertion fails? Enter 'inf' if you think there is no such $N$ (no proof required). $\square$
4.2) Same question, but replace the assertion with $\operatorname{pascal}((x *(x+1)) / 2,0,0)==((2 * * x)-1)$ $\square$

