# Feedback to HW9 

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In this solution, denote Int1 with $i_{1}$ and Int2 with $i_{2}$.

## 1 Semaphore

1.1 How many threads will exit from wait (c)
$i_{1} \bmod 4+4$

### 1.2 Most blocks accessed

$i_{1} \bmod 4+3$

### 1.3 Filling the blanks in 2nd version

In init: $c . h=$ Semaphore(0)
In wait: $\mathrm{V}(c . h)$
In signal: $\mathrm{P}(c . h)$
In broadcast: $\mathrm{P}(c . h)$

## 2 Stable Network

### 2.1 Stable solution?

Yes, A: ABE, B: BE, C: CDE, D: DE

### 2.2 Stable solution 2?

No. Consider the following case:
A: AE

B: BAE (AE is found to be valid)
D: DE
C: CDE
$\mathrm{A}: \mathrm{ADE}$ ( DE is found to be valid and ADE is preferred to AE )
$\mathrm{B}: \mathrm{BE}$ ( AE is found to be invalid)
$\mathrm{C}: \mathrm{CBE}$ ( BE is found to be valid and CBE is preferred to CDE )
D: DCBE (CBE is found to be valid and DCBE is preferred to DE)
A : AE ( DE is found to be invalid)
... (infinitely loop)
Any initialization is acceptable. All will fall into this loop.

### 2.3 Temporary forwarding loop

$i_{1}=0$ : A and D will see temporary forwarding loop.
$i_{1}=1$ : A and D will see temporary forwarding loop. or $\mathrm{A}, \mathrm{B}, \mathrm{D}$
$i_{1} \geq 2: \mathrm{A}, \mathrm{B}, \mathrm{D}$

## 3 New Product

Students are supposed to answer this question with one of following assumptions:

- Each block has only one bit i.e. all bits in a block flip at the same time

In this case each block only has two states: correct or failed.
The answer for this case is: Q3.1: 1, Q3.2: 1.
Analysis graph are shown in appendix.

## - Each block has a lot of bits, and each of them can be flipped independently

- 1 block fails: can be detected and (located + recovered);
- 2 blocks fail:
* in same line or same row: can be detected and (located + recovered);
* in different lines and different rows: can be detected, perhaps can be located and recovered by trail and error;
- 3 blocks fail: (If students are not considering case as detectable, i.e. giving answer 2, I think is also reasonable.)
* all in same line or same row: can be detected and located;
* $a$ and $b$ in same line, $b$ and $c$ in the same row: can be detected, perhaps can be located and recovered by trail and error;
* $a$ and $b$ in the same line/row, $c$ in another line/row and in the third row/line: can be detected (there is error), the number cannot be determined(there may be 3 to 6 failure), cannot be located, cannot be recovered;
* all three are in diff lines and rows: can be detected (there is error), the number cannot be determined(there may be 3 to 9 failure), cannot be located, cannot be recovered;
- more than 4 blocks fail: can be detected (the exact number may not be detected), cannot be recovered.


## 4 Appendix

## Case analysis: 1 bit per block

WLOG, assume the original state to be like this:

| 0 | 0 | 0 | $\sqrt{ }$ |
| :--- | :--- | :--- | :--- |
| 0 | 0 | 0 | $\sqrt{ }$ |
| 0 | 0 | 0 | $\sqrt{ }$ |
| $\sqrt{ }$ | $\sqrt{ }$ | $\sqrt{ }$ |  |

- One block failure

| $\mathbf{1}$ | 0 | 0 | $\times$ |
| :---: | :---: | :---: | :---: |
| 0 | 0 | 0 | $\sqrt{ }$ |
| 0 | 0 | 0 | $\sqrt{ }$ |
| $\times$ | $\sqrt{ }$ | $\sqrt{ }$ |  |

Table 1: 1 failure - detectable and recoverable

- Two block failure

|  |  | 1 | 0 | $\checkmark$ | 0 | 0 | 0 | $\sqrt{ }$ | 0 | 0 | 0 | $\checkmark$ | $\sqrt{ }$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | 0 | 0 | $\sqrt{ }$ | 1 | 1 | 0 | $\sqrt{ }$ | 0 | 0 | 0 | $\checkmark$ | $\sqrt{ }$ |
|  |  | 0 | 0 | $\sqrt{ }$ | 0 | 0 | 0 | $\sqrt{ }$ | 1 | 1 | 0 | $\checkmark$ | , |
|  |  |  | $\sqrt{ }$ |  |  | $\times$ | $\sqrt{ }$ |  |  | $\times$ | $\checkmark$ |  |  |

Table 2: 2 failures - indistinguishable

- Three block failures
- Four failures

You can do this for 5 or more than 5 failures.

| 1 | 0 | 0 | $\times$ |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 0 | 1 | 0 | $\times$ |  |  |
| 0 | 0 | 0 | $\sqrt{ }$ |  |  |
| $\times$ | $\times$ | $\sqrt{ }$ |  | 0 1 0 <br> 1 $\times$  <br> 1 0 0 <br> 0 0 0 | $\times$ |
| $\times$ | $\times$ | $\sqrt{ }$ |  |  |  |

Table 3: 2 failures - indistinguishable

| $\mathbf{1}$ | $\mathbf{1}$ | $\mathbf{1}$ | $\times$ |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 0 | 0 | 0 | $\sqrt{ }$ |  |
| 0 | 0 | 0 | $\sqrt{ }$ |  |
| $\times$ | $\times$ | $\times$ |  | 0 0 1 <br> 1 1 0 <br> 1 $\sqrt{ }$  <br> 0 0 0 |
| $\times$ | $\times$ | $\times$ |  |  |

Table 4: 3 failures - indistinguishable

| $\mathbf{1}$ | 0 | 0 | $\times$ |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | 1 | 0 | $\sqrt{ }$ |  |  |
| 0 | 0 | 0 | $\sqrt{ }$ |  |  |
| $\times$ | $\sqrt{ }$ | $\sqrt{ }$ |  | 1 0 0 <br> 0 0 0 | $\times \sqrt{ }$ |
| 0 | 0 | 0 | $\sqrt{ }$ |  |  |
| $\times$ | $\sqrt{ }$ | $\sqrt{ }$ |  |  |  |

Table 5: 3 failures - indistinguishable from 1 failure case

| $\mathbf{1}$ | $\mathbf{1}$ | 0 | $\sqrt{ }$ |
| :---: | :---: | :---: | :---: |
| $\mathbf{1}$ | 1 | 0 | $\sqrt{ }$ |
| 0 | 0 | 0 | $\sqrt{ }$ |
| $\sqrt{ }$ | $\sqrt{ }$ | $\sqrt{ }$ |  |

Table 6: 4 failures - indistinguishable from original case

| $\mathbf{1}$ | $\mathbf{1}$ | $\mathbf{1}$ | $\times$ |
| :---: | :---: | :---: | :---: |
| 1 | 0 | 0 | $\times$ |
| 0 | 0 | 0 | $\sqrt{ }$ |
| $\sqrt{ }$ | $\times$ | $\times$ |  |


| 0 | 0 | 1 | $\times$ |
| :---: | :---: | :---: | :---: |
| 1 | 0 | 0 | $\times$ |
| 1 | 1 | 0 | $\sqrt{ }$ |
| $\sqrt{ }$ | $\times$ | $\times$ |  |

Table 7: 4 failures - indistinguishable

|  |  |  | $\sqrt{ }$ |  | 1 | 1 | V$\sqrt{ }$$\sqrt{ }$ |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | $\sqrt{ }$ |  | 0 | 0 |  |  |
|  |  |  | $\sqrt{ }$ | 0 | 0 | 0 |  |  |
|  |  |  |  | $\sqrt{ }$ | $\times$ |  |  |  |

Table 8: 4 failures - indistinguishable from 2-failure case

