- Previous Lecture:
- File I/O, use of cell array
- Today's Lecture:
- Structures
- Structure array (i.e., an array of structures)
- A structure with array fields
- Announcements:
- Project 5 due Thurs $11 / 6$ at 11 pm . Reduced late penalty of $5 \%$ applies to submission made up to II/7 at IIpm
- Prelim 2 on Thurs II/I3 at 7:30pm. Email Randy Hess (rbh27) now if you have an exam conflict (include the course and instructor info of the conflicting exam)

Data are often related

- A point in the plane has an $x$ coordinate and a $y$ coordinate.
- If a program manipulates lots of points, there will be lots of $x$ 's and $y$ 's.
- Anticipate clutter. Is there a way to "package" the two coordinate values?


## Packaging affects thinking

Our Reasoning Level:
P and Q are points.
Compute the midpoint M
of the connecting line segment.

Behind the scenes we do this:

$$
\begin{aligned}
& M_{x}=\left(P_{x}+Q_{x}\right) / 2 \\
& M_{y}=\left(P_{y}+Q_{y}\right) / 2
\end{aligned}
$$

We've seen this before: functions are used to "package" calculations.

This packaging (a type of abstraction) elevates the level of our reasoning and is critical for problem solving.

```
Working with Point structures
p1.x=3; p1.y=4;
p2.x=-1; p2.y=7;
```



```
% Distance between points p1 and p2
D= sqrt((p1.x-p2.x ^^2 + (p1.y-p2.y)^2);
    Note that p1.x, p1.y, p2.x, p2.y
    participate in the calculation as
    variables-because they are.
```

Different ways to create a structure
\% Create a struct by assigning field values
p1. $x=3$;
p1. $y=4$;
\% Create a struct with built-in function
p2 $=$ struct ('x', -1, 'y', 7);
p2 is a structure.
The structure has two fields.
Their names are $\mathbf{X}$ and $\mathbf{y}$.
They are assigned the values $-I$ and 7.



A structure can have fields of different types
A = struct('sname', ‘New York',...
'capital', ‘Albany',...
'pop', 15.5)

- Can have combinations of string fields and numeric fields
- Arguments are given in pairs: a field name, followed by the value


## Structures in functions

function d = dist(P, Q)
$\% \mathrm{P}$ and Q are points (structure).
\% d is the distance between them.
$d=\operatorname{sqrt}\left((P \cdot x-Q \cdot x)^{\wedge 2}+\ldots\right.$
(P.y-Q.y)^2);

p1. $\mathbf{x}=\mathbf{p 1} \cdot \mathbf{y}^{\wedge} \mathbf{2} ; \quad$ Assigns the value 16 to $p 1 . x$ Leture 20

$$
\begin{aligned}
& \text { Legal/Illegal maneuvers } \\
& Q=\operatorname{struct}\left({ }^{\prime} x^{\prime}, 5, ' y \prime, 6\right) \\
& \mathbf{R}=\mathbf{Q} \quad \text { \% Legal. } \mathbf{R} \text { is a copy of } \mathbf{Q} \\
& \mathbf{S}=(\mathbf{Q}+\mathbf{R}) / 2 \text { \% Illegal. Must access the } \\
& \text { \% fields to do calculations } \\
& \mathbf{P}=\text { struct (' } \mathbf{x}^{\prime}, \mathbf{3},{ }^{\prime} \mathbf{y}^{\prime} \text { ) \% Illegal. Args must be } \\
& \text { \% in pairs (field name } \\
& \text { \% followed by field } \\
& \text { \% value) } \\
& \mathbf{P}=\text { struct('x',3,'y',[]) \% Legal. Use [] as } \\
& \text { P.y = } 4 \text { \% place holder }
\end{aligned}
$$

$$
\begin{aligned}
& \text { function } P=\text { MakePoint }(x, y) \\
& \% P \text { is a point with } P . x \text { and } P . y \\
& \% \text { assigned the values } x \text { and } y . \\
& P=\operatorname{struct}\left('^{\prime}, x, y^{\prime}, y\right) \text {; }
\end{aligned}
$$

Then in a script or some other function...
$a=10 ; b=$ rand;
Pt= MakePoint(a,b); \% create a point struct \% according to definition \% in MakePoint function

```
Another function that has structure parameters
function DrawLine(P,Q,c)
% P and Q are points (structure).
% Draws a line segment connecting
% P and Q. Color is specified by c.
plot([P.x Q.x],[P.y Q.y],c)

\section*{Structure Arrays}
- An array whose components are structures
- All the structures must be the same (have the same fields) in the array
- Example: an array of points (point structures)

```

Function returning an array of points (point structures)
function P = CirclePoints(n)
%P is array of n point structs; the
%points are evenly spaced on unit circle
theta = 2*pi/n;
for k=1:n
c = cos(theta*k);
s = sin(theta*k);
P(k) = MakePoint(c,s);
end

```

Pick Up Sticks
s = 'rgbmcy';
for \(k=1\) : 100
P = MakePoint(randn, randn);
Q = MakePoint(randn, randn);
c = s(ceil(6*rand));
DrawLine ( \(\mathrm{P}, \mathrm{Q}, \mathrm{c}\) )
end
Generates two random points and connect them using one of six colors chosen randomly.


Example: all possible triangles
- Place \(n\) points uniformly around the unit circle.
- Draw all possible unique triangles obtained by connecting these points 3 -at-a-time.

```

function DrawTriangle(U,V,W,c)
% Draw c-colored triangle;
% triangle vertices are points U,
% V, and W.
fill([U.x V.x W.x], ...
[U.y V.y W.y], c)

```
```

```
Bad! i, j, and k should be different, and
```

```
Bad! i, j, and k should be different, and
            there should be no duplicates
            there should be no duplicates
% Given P, an array of point structures
% Given P, an array of point structures
for i=1:n
for i=1:n
    for j=1:n
    for j=1:n
        for k=1:n
        for k=1:n
            DrawTriangle(P(i),P(j),P(k),'m')
            DrawTriangle(P(i),P(j),P(k),'m')
            pause
            pause
            DrawTriangle(P(i),P(j),P(k),'k')
            DrawTriangle(P(i),P(j),P(k),'k')
        end
        end
    end
    end
end
```

```
end
```

```

All possible (i,j,k) combinations but avoid duplicates.
Loop index values have this relationship \(\mathrm{i}<\mathrm{j}<\mathrm{k}\)



The following triangles are the same: \((1,3,6),(1,6,3)\), (3, I, 6), (3,6, I), (6, I, 3), (6,3, I)

Leture 20

\(\qquad\)

Both versions print all possible, unique combinations of ( \(\mathrm{i}, \mathrm{j}, \mathrm{k}\) ), but the left fragment is far more efficient
All possible (i,j,k) combinations but avoid duplicates.
Loop index values have this relationship \(\mathrm{i}<\mathrm{j}<\mathrm{k}\)

```

All possible unique triangles
All possible unique triangles

```
```

% Drawing on a black background

```
% Drawing on a black background
for i=1:n-2
for i=1:n-2
    for j=i+1:n-1
    for j=i+1:n-1
            for k=j+1:n
            for k=j+1:n
                DrawTriangle( P(i),P(j),P(k),'m')
                DrawTriangle( P(i),P(j),P(k),'m')
                DrawPoints(P)
                DrawPoints(P)
                pause
                pause
            DrawTriangle(P(i),P(j),P(k),'k')
            DrawTriangle(P(i),P(j),P(k),'k')
        end
        end
    end
    end
end
```

end

```

Still get the same result if all three loop indices end


Lecture 20

Structures with array fields
Let's develop a structure that can be used to represent a colored disk. It has four fields:
```

xc: x-coordinate of center
yc: y-coordinate of center
r: radius
c: rgb color vector

```

Examples:
\[
\begin{aligned}
& \text { D1 = struct('xc',1,'yc',2,'r',3,... } \\
& \text { 'c',[1101]); } \\
& \text { D2 = struct('xc',4,'yc',0,'r',1,... } \\
& \text { 'c',[.2 .5 .3]); }
\end{aligned}
\]
```

Example: compute "average" of two disks
\% D1 and D2 are disk structures.
\% Average is:
$r=(D 1 . r+D 2 . r) / 2 ;$
xc = (D1.xc + D2.xc)/2;
$\mathrm{yc}=(\mathrm{D} 1 . \mathrm{yc}+\mathrm{D} 2 . \mathrm{yc}) / 2 ;$
$\mathrm{c}=(\mathrm{D} 1 . \mathrm{C}+\mathrm{D} 2 . \mathrm{C}) / 2$;
\% The average is also a disk
D = struct('xc', $x c, ' y c ' y c, ' r \prime, r, ' c ', c)$

```

Different kinds of abstraction
- Packaging procedures (program instructions) into a function
- A program is a set of functions executed in the specified order
- Data is passed to (and from) each function
- Packaging data into a structure
- Elevates thinking
- Reduces the number of variables being passed to and from functions
- Packaging data, and the instructions that work on those data, into an object
- A program is the interaction among objects
- Object-oriented programming (OOP) focuses on the design of data-instructions groupings```

