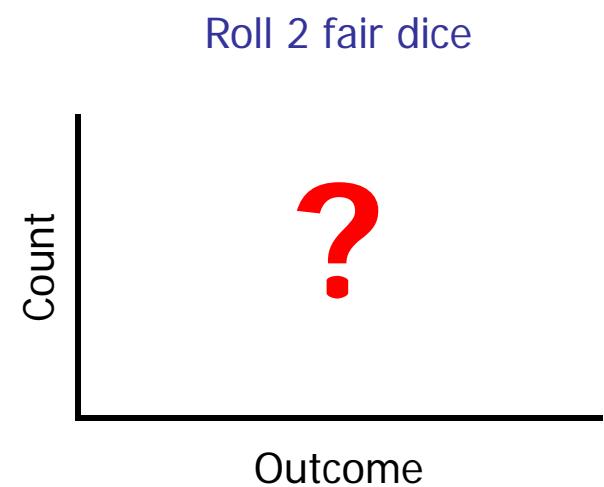
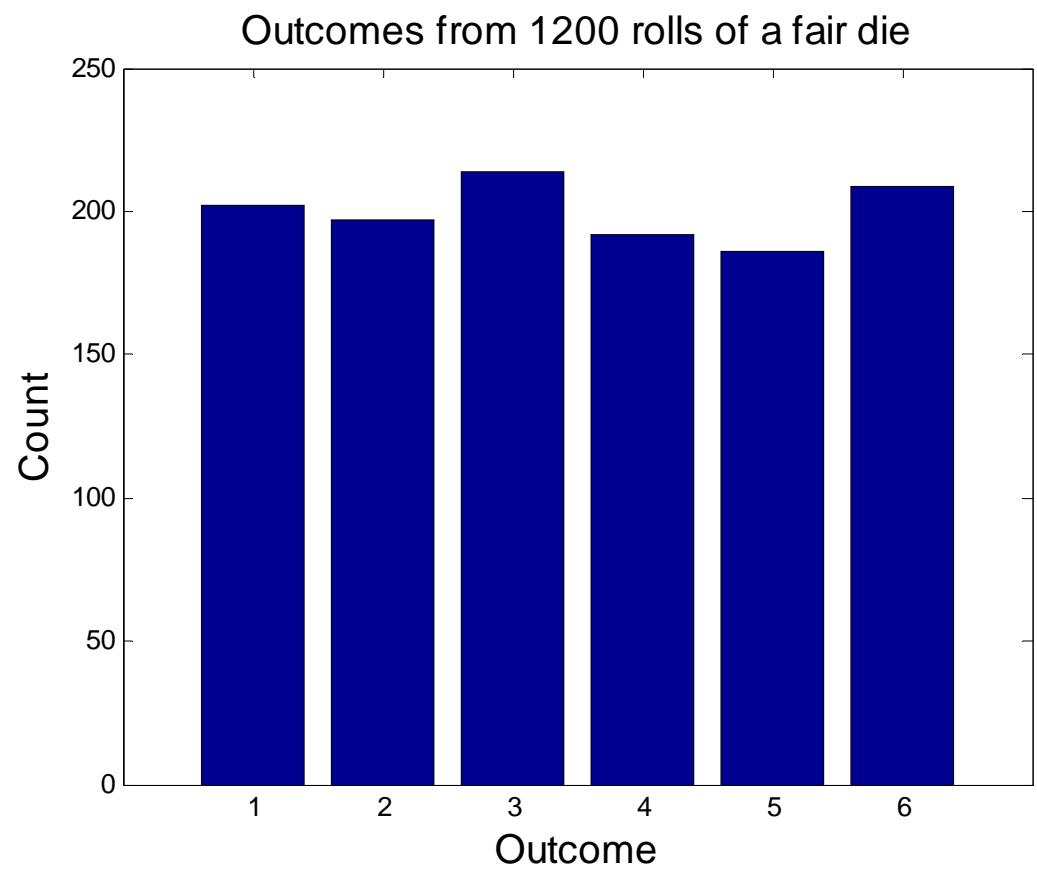
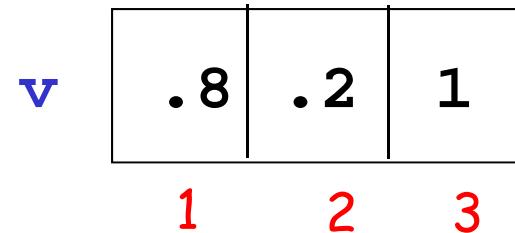


- Previous Lecture:
  - Executing a user-defined function
  - Function scope
- Today's Lecture:
  - Subfunction
  - 1-d array—vector
  - Probability and random numbers
  - Simulation using random numbers, vectors
- Announcement:
  - Project 3 due Friday 10/3 at 11pm



## 1-d array: **vector**

- An array is a **named** collection of **like** data organized into rows or columns
- A 1-d array is a row or a column, called a **vector**
- An **index** identifies the **position** of a value in a vector



# Here are a few different ways to create a vector

```
count= zeros(1,6)
```

count 

Similar functions: `ones`, `rand`

```
a= linspace(10,30,5)
```

a 

```
b= 7:-2:0
```

b 

```
c= [ 3  7  2  1 ]
```

c 

```
d= [ 3;  7;  2 ]
```

d 

```
e= d'
```

e 

## Start with drawing a single line segment

```
a= 0; % x-coord of pt 1  
b= 1; % y-coord of pt 1  
c= 5; % x-coord of pt 2  
d= 3; % y-coord of pt 2  
plot([a c], [b d], '-*')
```

x-values  
(a vector)

y-values  
(a vector)

Line/marker  
format

## Making an x-y plot

```
a= [ 0  4  3  8]; % x-coords
```

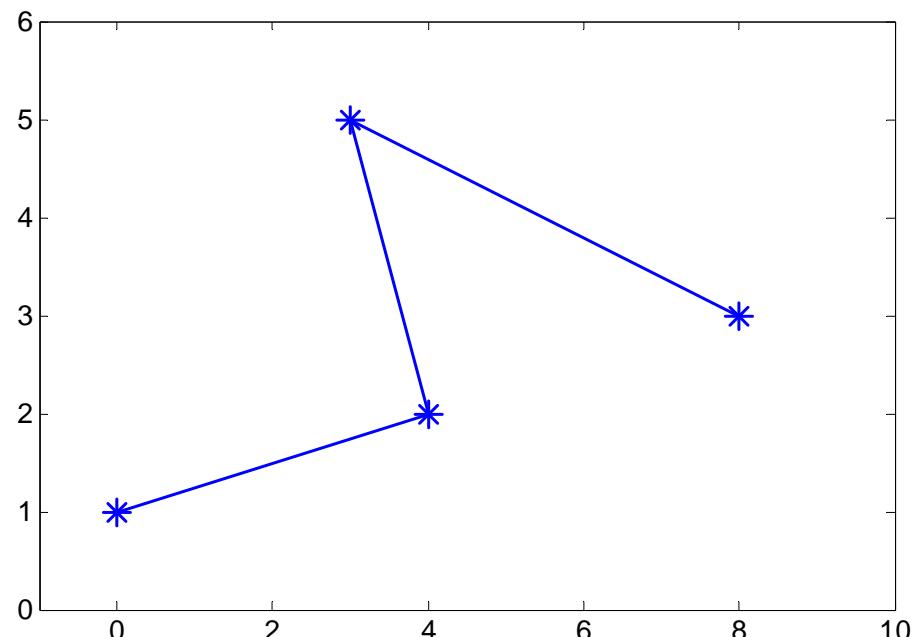
```
b= [1  2  5  3]; % y-coords
```

```
plot(a, b, '-*')
```

x-values  
(a vector)

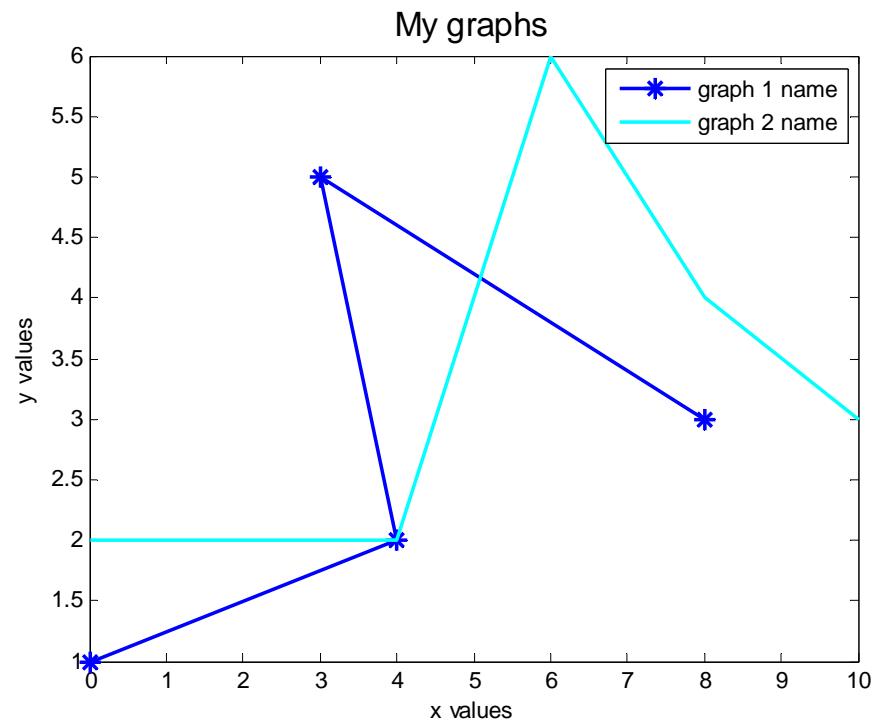
y-values  
(a vector)

Line/marker  
format



# Making an x-y plot with multiple graphs (lines)

```
a= [0 4 5 8];
b= [1 2 5 3];
f= [0 4 6 8 10];
g= [2 2 6 4 3];
plot(a,b,'-*',f,g,'c')
legend('graph 1 name', 'graph 2 name')
xlabel('x values')
ylabel('y values')
title('My graphs', 'Fontsize',14)
```



## Array index starts at 1



Let  $k$  be the index of vector  $x$ , then

- $k$  must be a positive integer
- $1 \leq k \leq \text{length}(x)$
- To access the  $k^{\text{th}}$  element:  $x(k)$

## Accessing values in a vector

score	93	92	87	0	90	82
1	93	92	87	0	90	82
2	93	92	87	0	90	82

Given the vector **score** ...

## Accessing values in a vector

score	93	99	87	80	85	82
	1	2	3	4	5	6

Given the vector **score** ...

**score(4)= 80;**

**score(5)= (score(4)+score(5))/2;**

**k= 1;**

**score(k+1)= 99;**

See **plotComparison2.m**

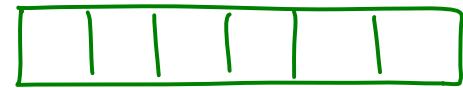
## Example

- Write a program fragment that calculates the **cumulative sums** of a given vector  $\mathbf{v}$ .
- The cumulative sums should be stored in a vector of the same length as  $\mathbf{v}$ .

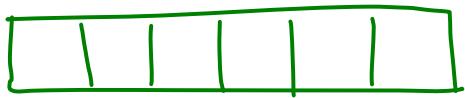
1, 3, 5, 0     $\mathbf{v}$

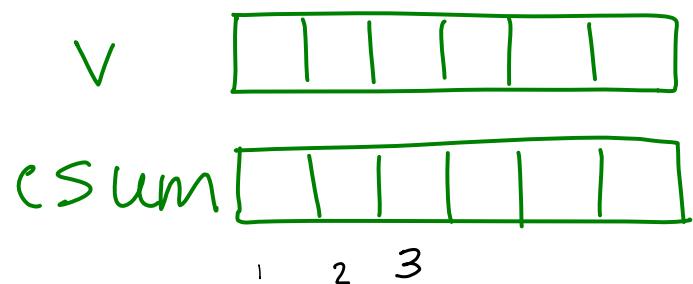
1, 4, 9, 9    cumulative sums of  $\mathbf{v}$

v



csum





$$csum(k) = csum(k-1) + v(k)$$

$$csum(3) = v(1) + v(2) + v(3)$$

$$csum(4) = v(1) + v(2) + v(3) + v(4)$$

$csum(3)$




---

$csum(1) = v(1);$

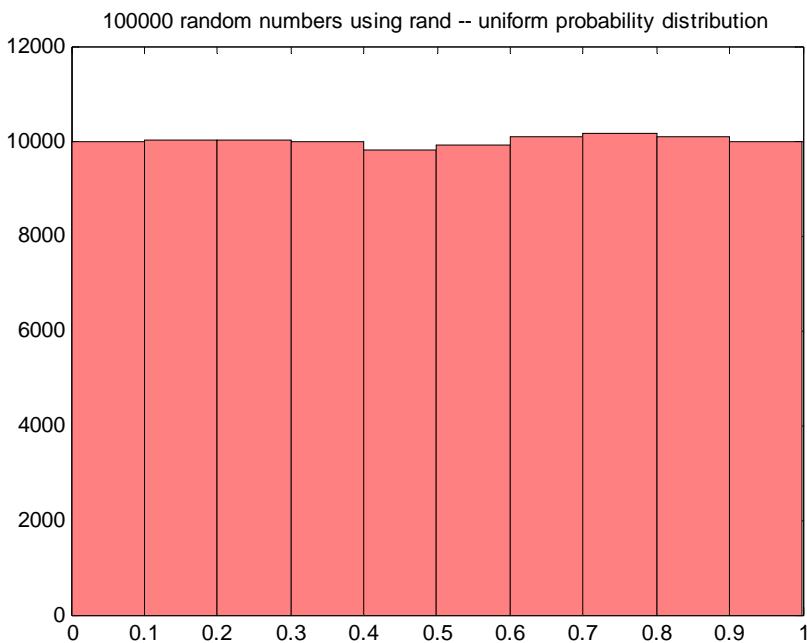
for  $k = 2 : \text{length}(v)$

$csum(k) = csum(k-1) + v(k);$

end

# Random numbers

- *Pseudorandom* numbers in programming
- Function `rand(...)` generates random real numbers in the interval  $(0,1)$ . All numbers in the interval  $(0,1)$  are equally likely to occur—**uniform** probability distribution.
- Examples:
  - `rand(1)` one random # in  $(0,1)$
  - `6*rand(1)` one random # in  $(0,6)$
  - `6*rand(1)+1` one random # in  $(1,7)$

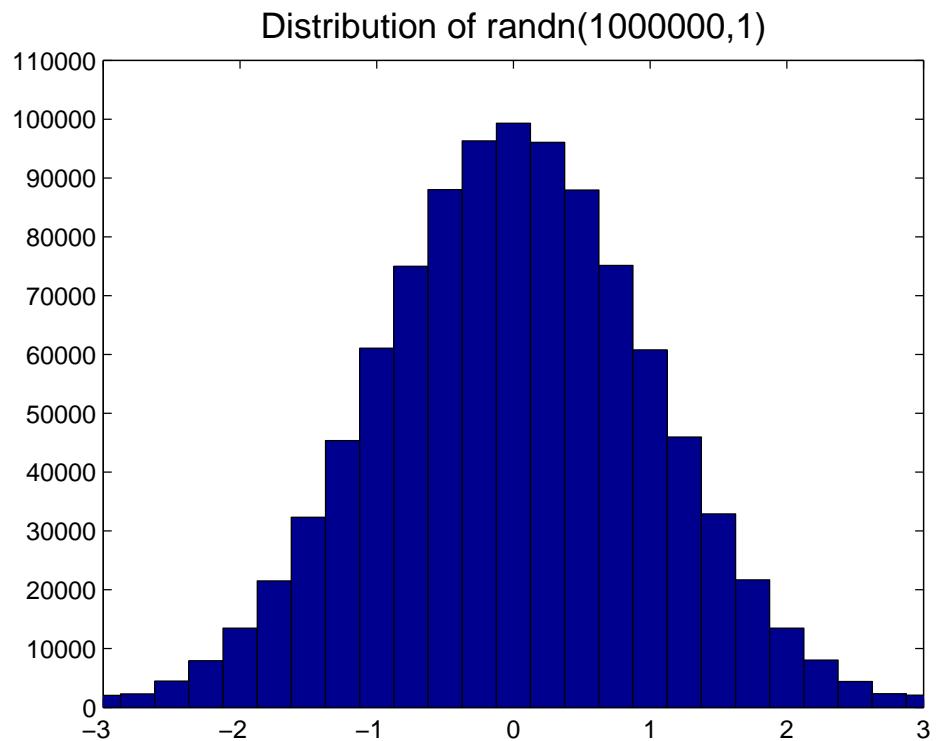


Uniform probability  
distribution in  $(0, 1)$

**rand**

Normal distribution with  
zero mean and unit  
standard deviation

**randn**

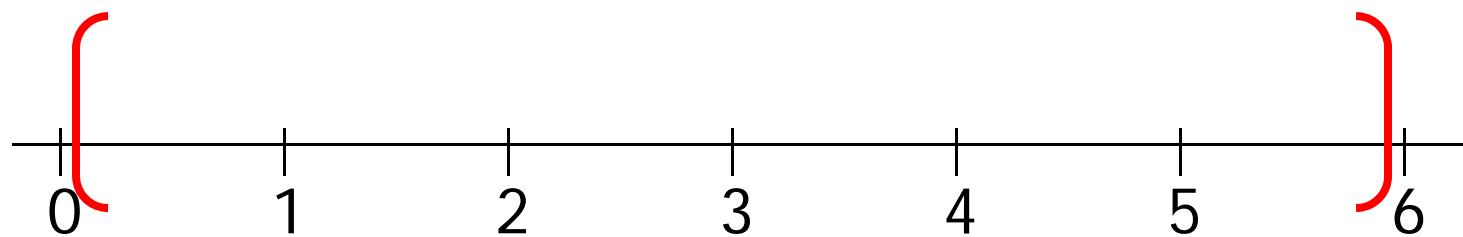


## Simulate a fair 6-sided die

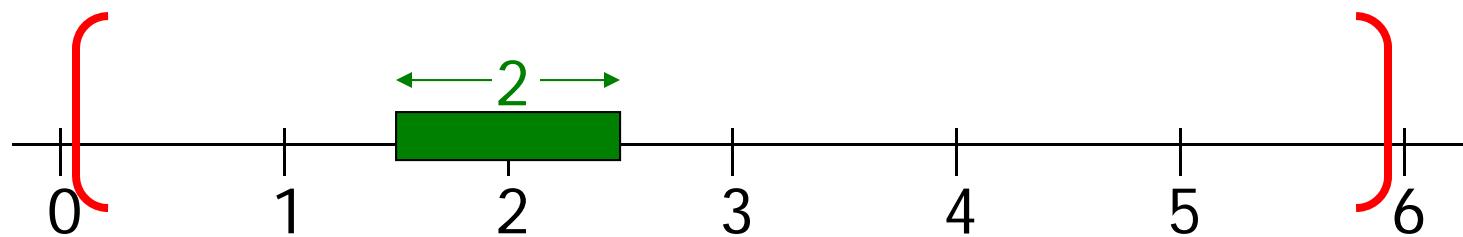
Which expression(s) below will give a random *integer* in [1..6] with equal likelihood?

- A `round(rand*6)`
- B `ceil(rand*6)`
- C *Both expressions above*

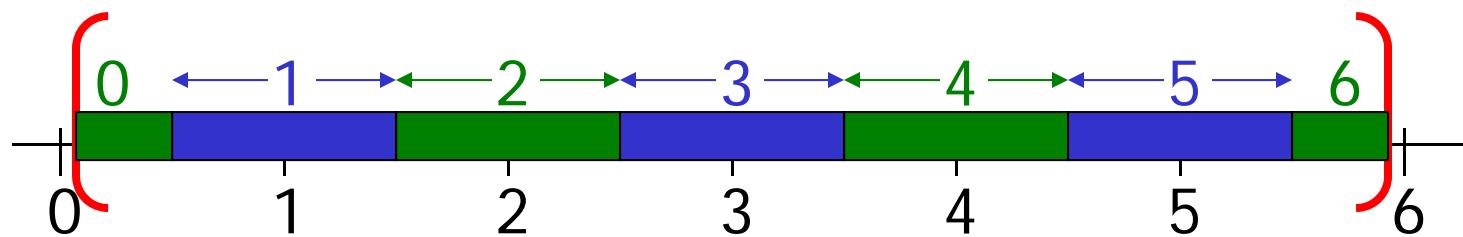
`(rand*6)`



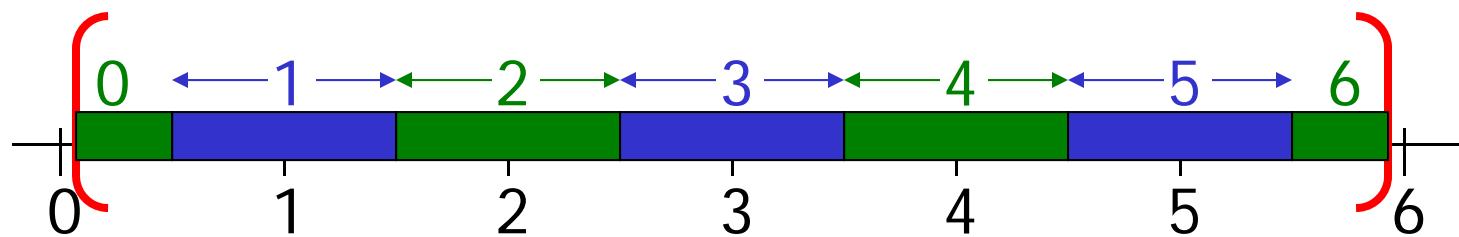
`round(rand*6)`



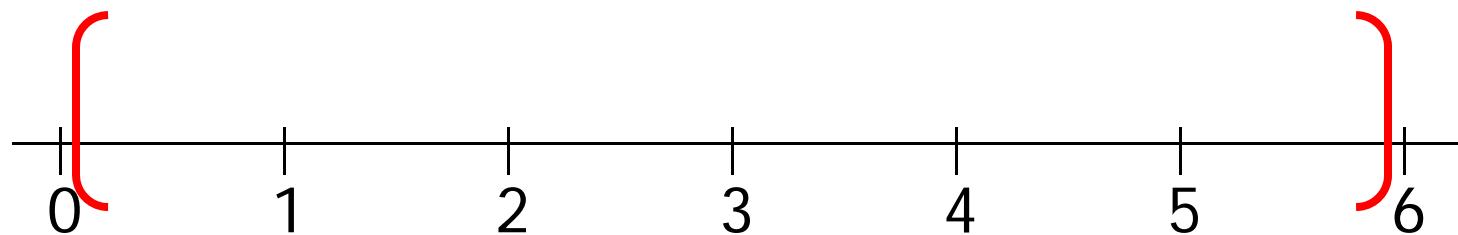
`round(rand*6)`



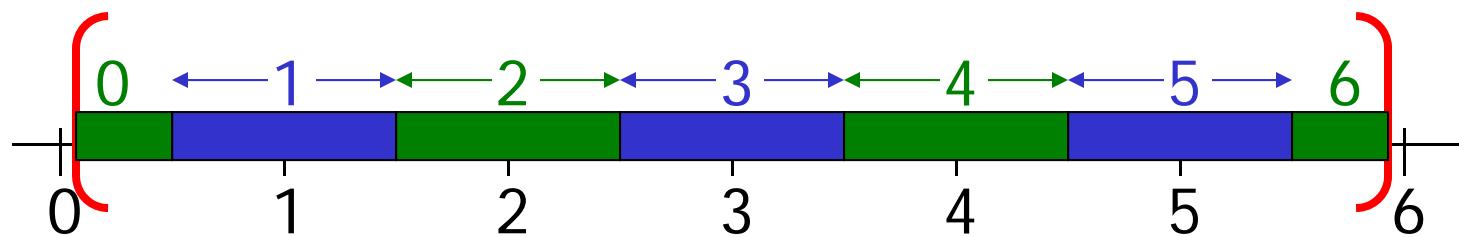
`round(rand*6)`



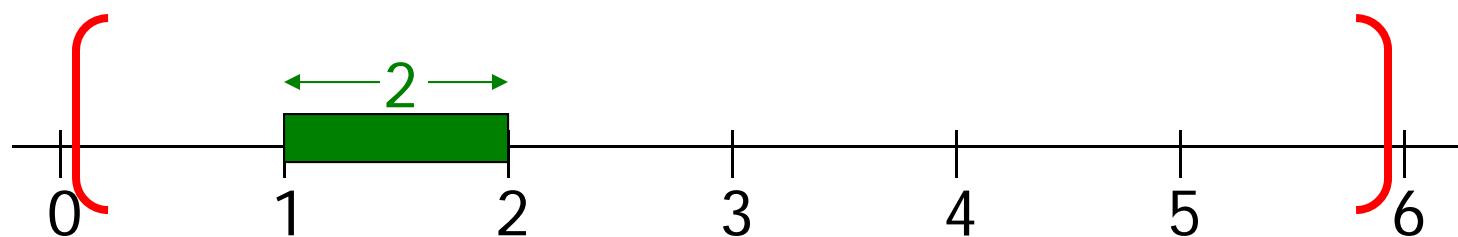
`(rand*6)`



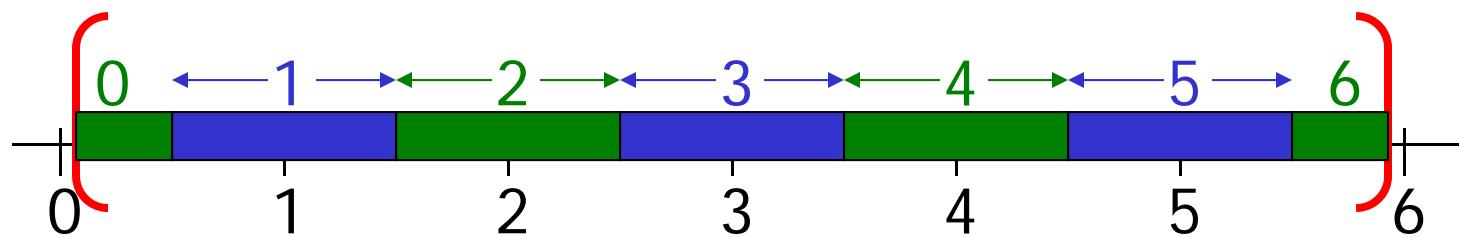
`round(rand*6)`



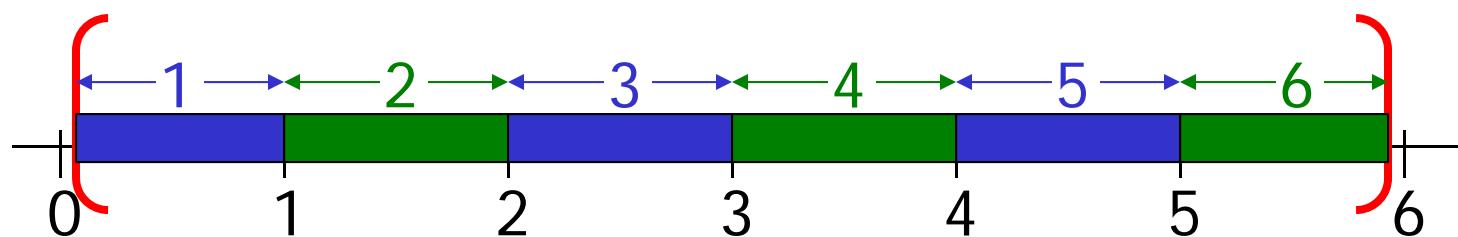
`ceil(rand*6)`



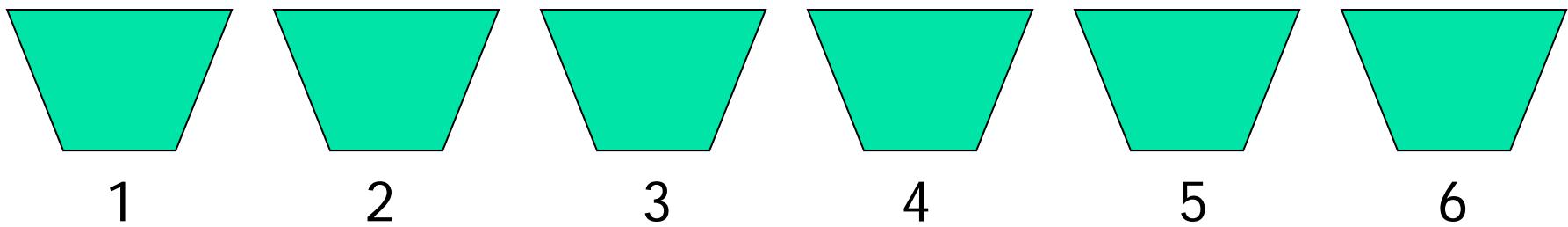
`round(rand*6)`



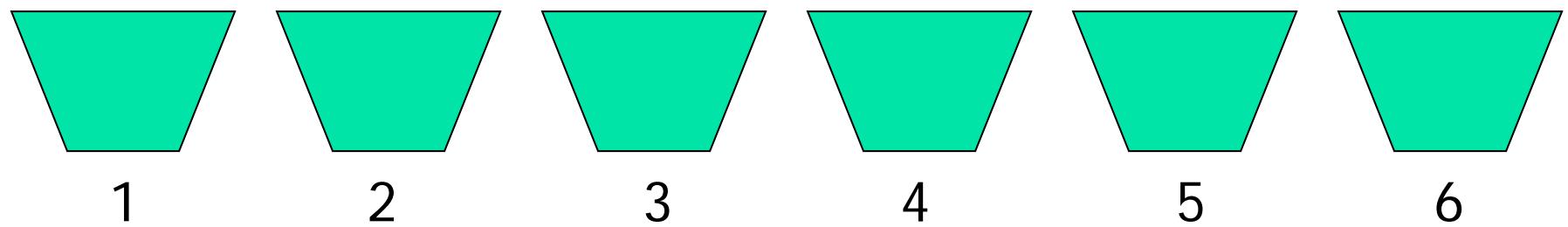
`ceil(rand*6)`



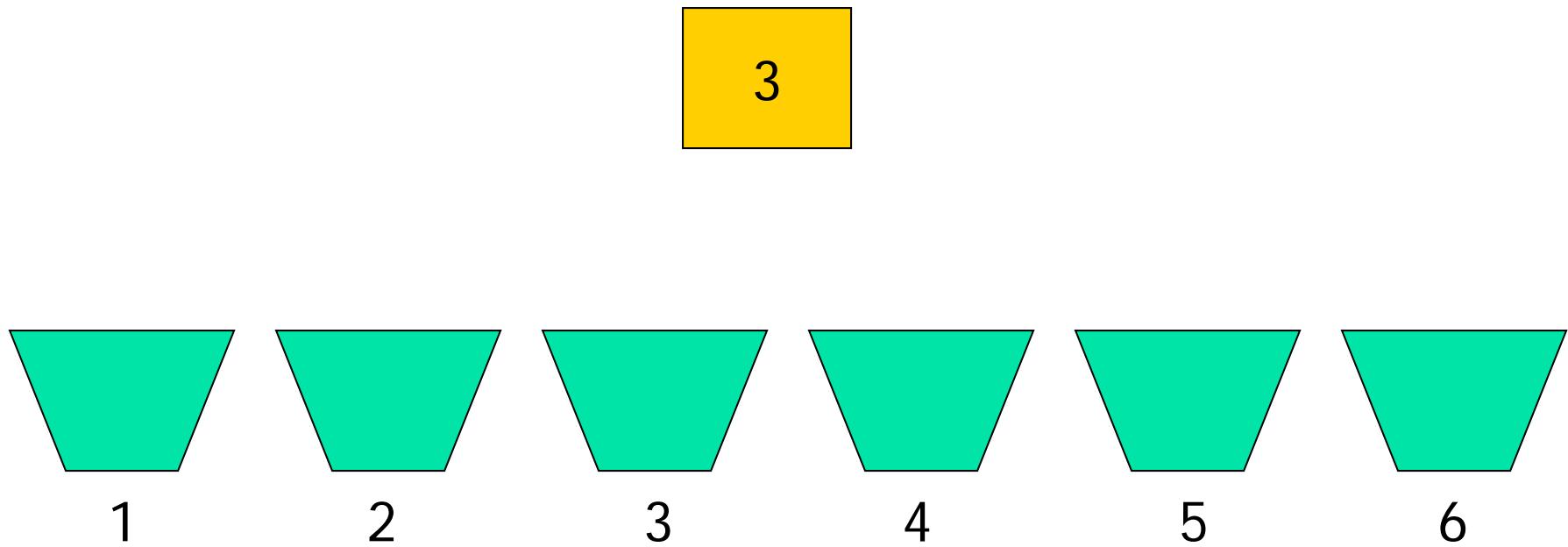
## Possible outcomes from rolling a fair 6-sided die



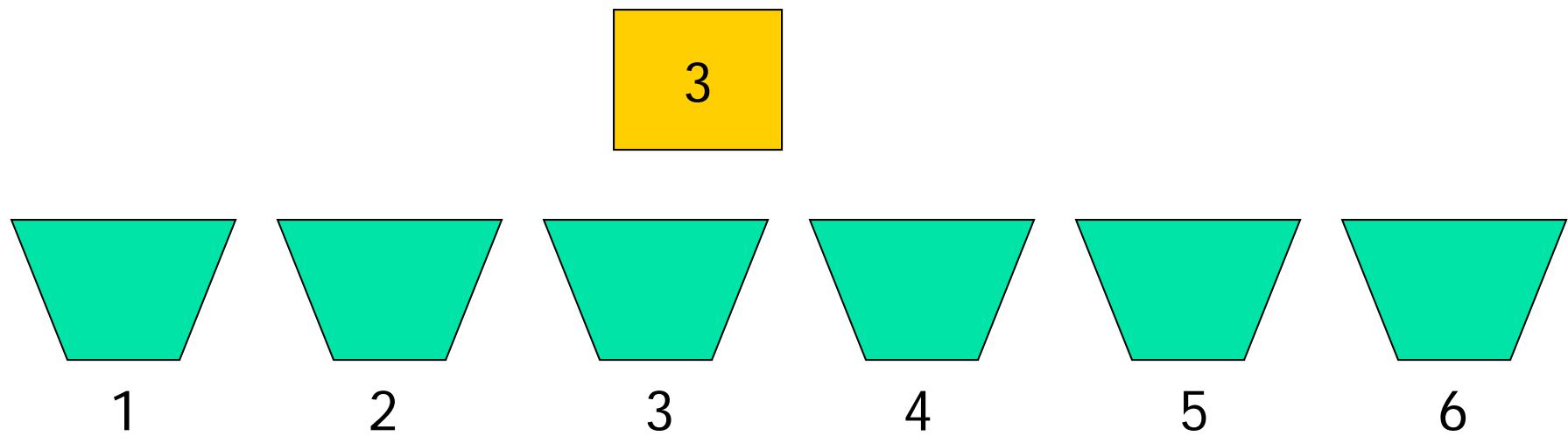
# Simulation



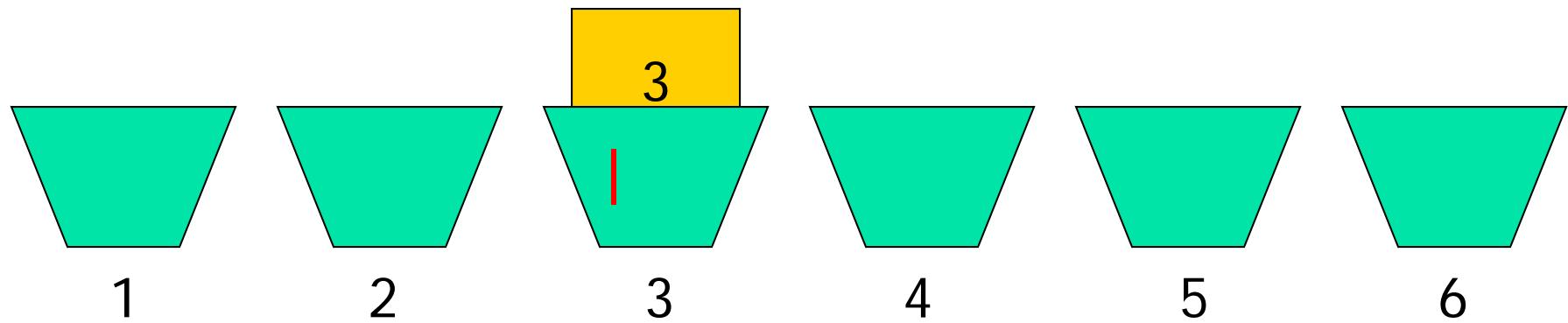
# Simulation



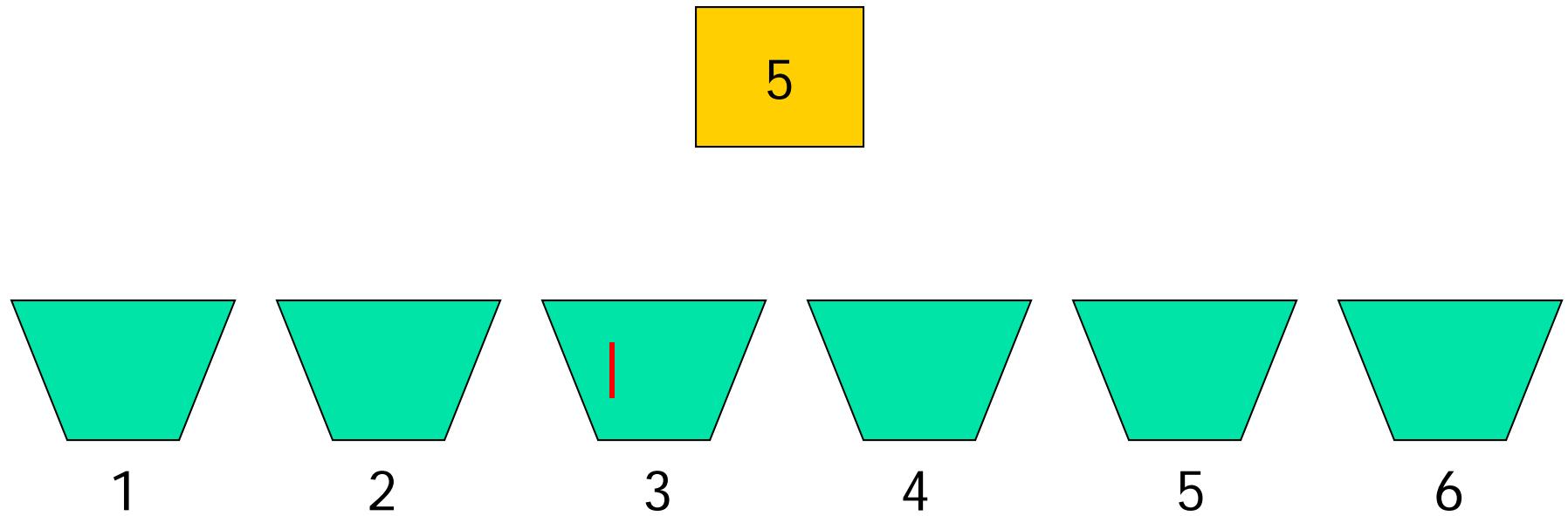
# Simulation



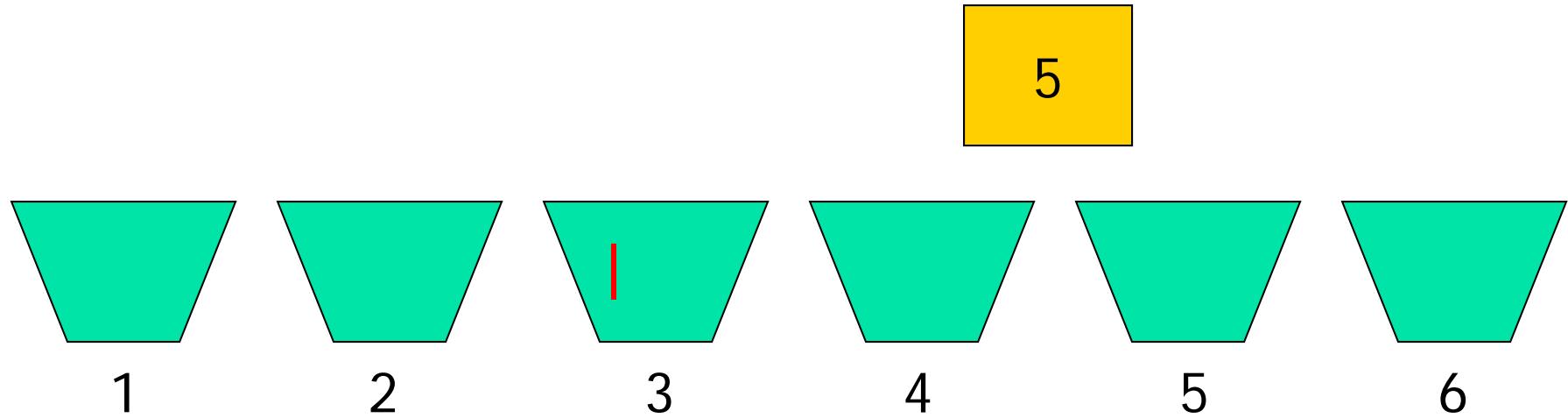
# Simulation



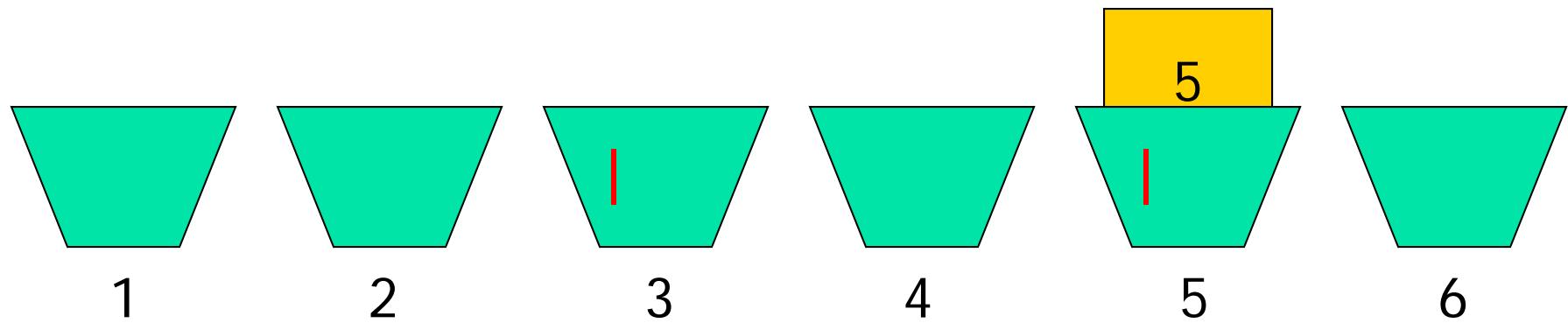
# Simulation



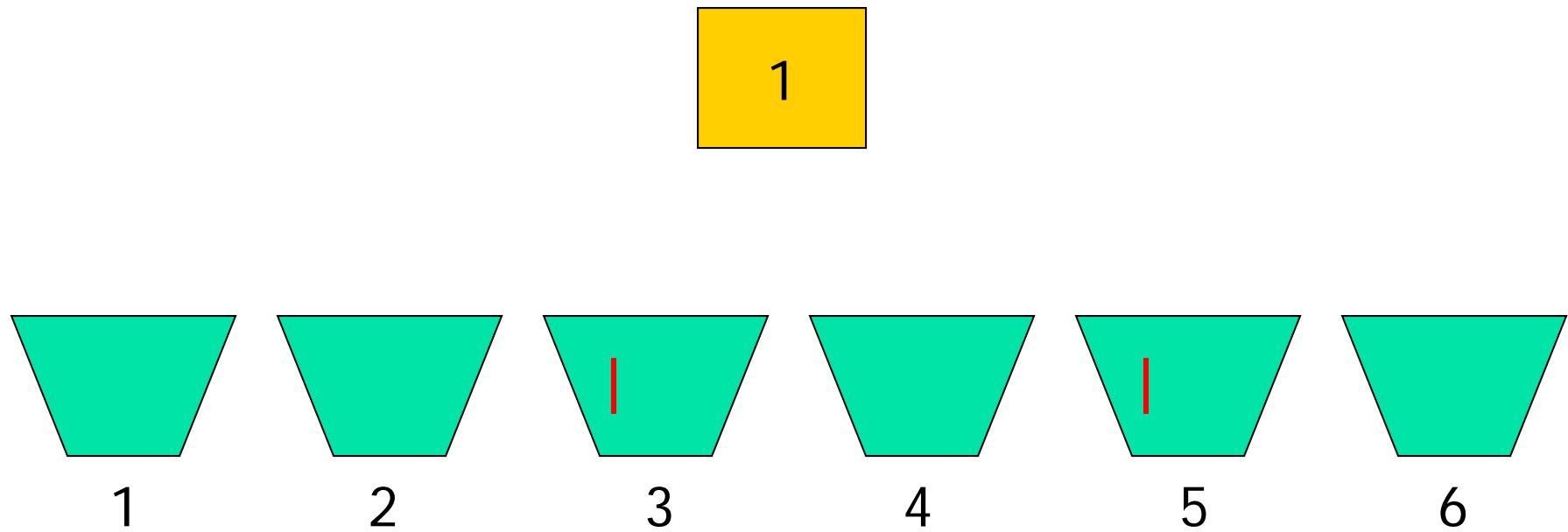
# Simulation



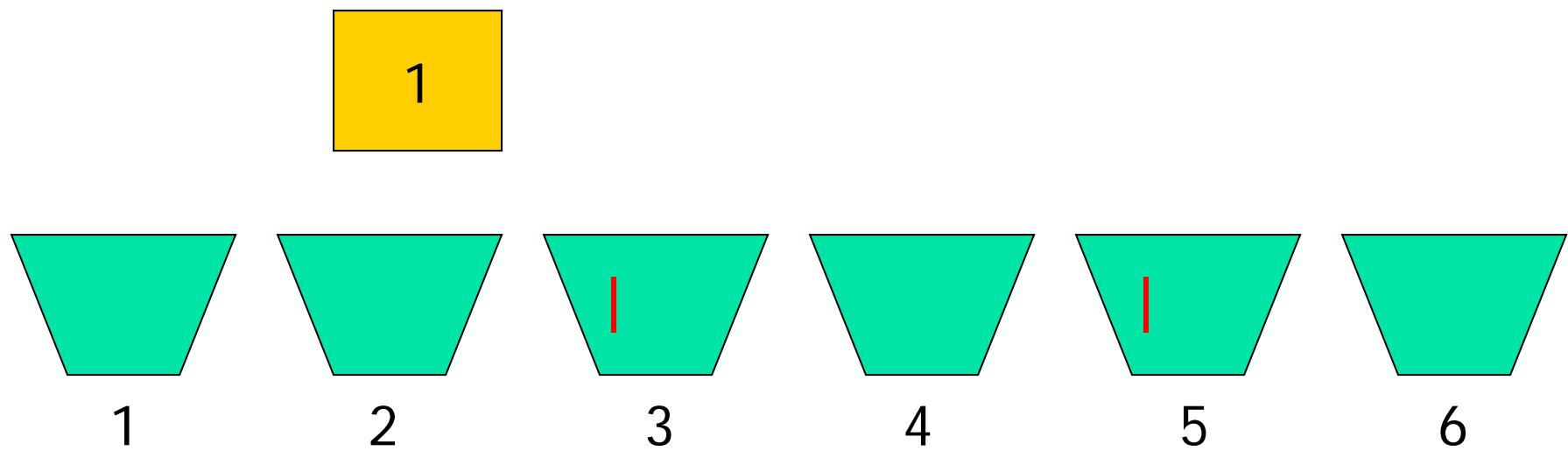
# Simulation



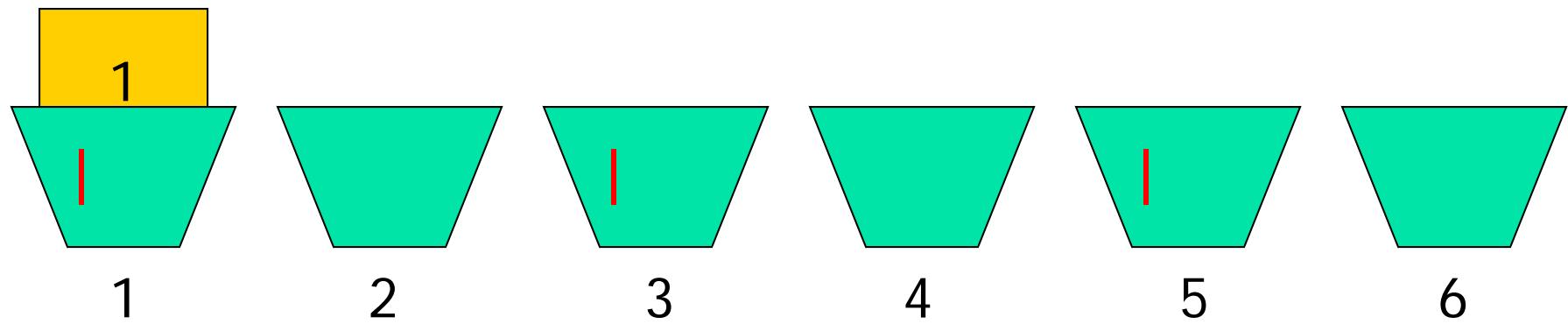
# Simulation



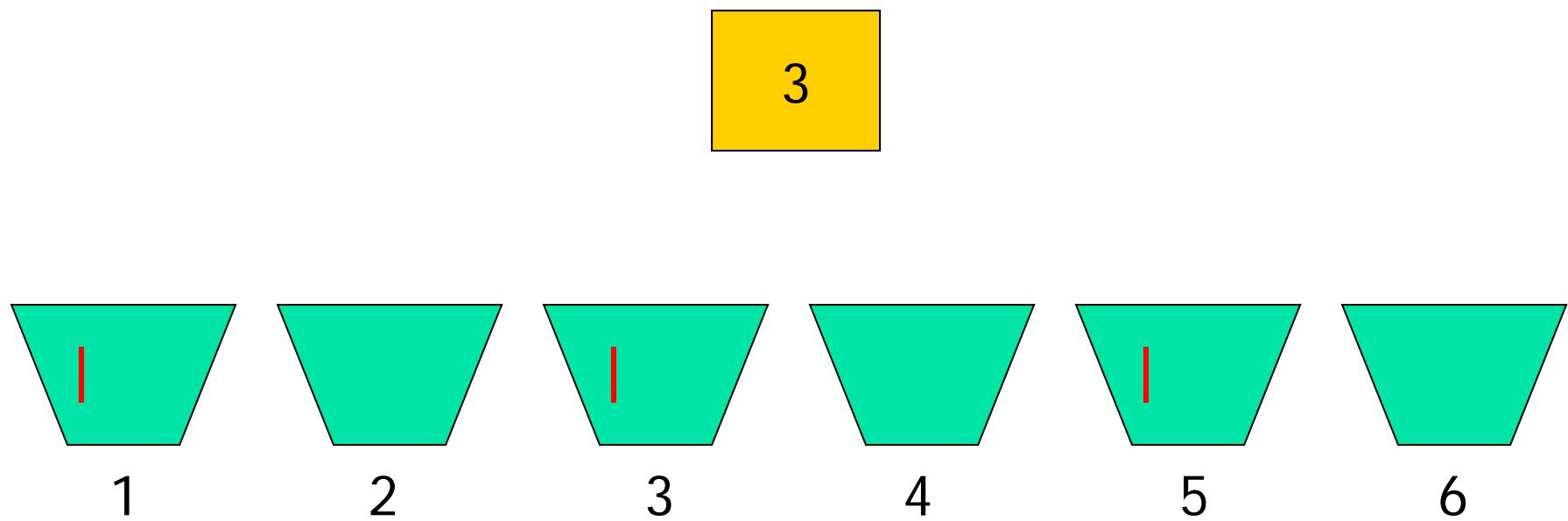
# Simulation



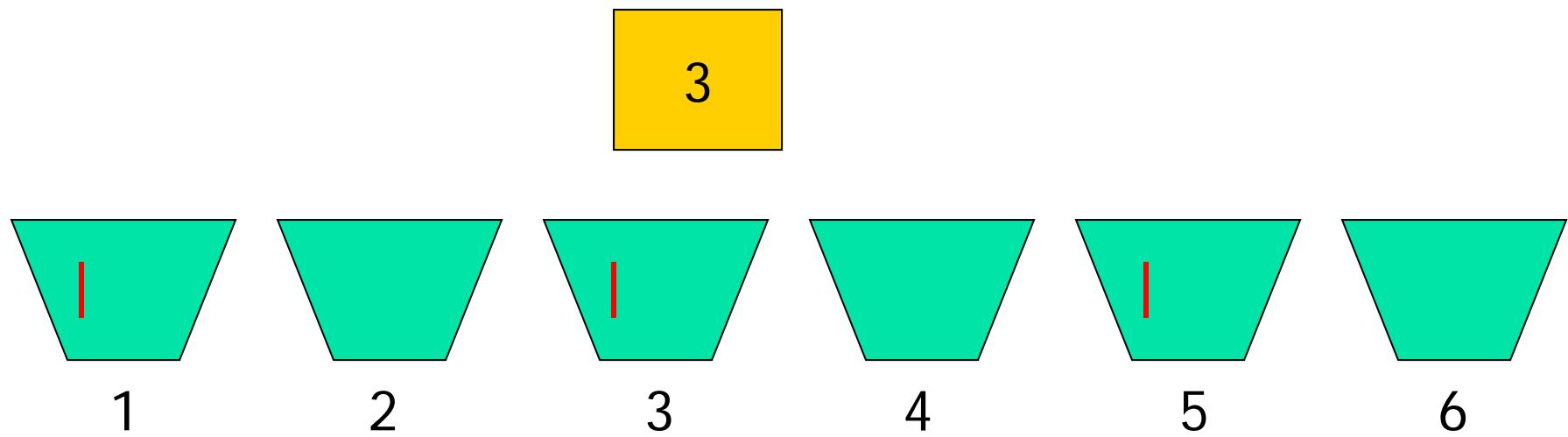
# Simulation



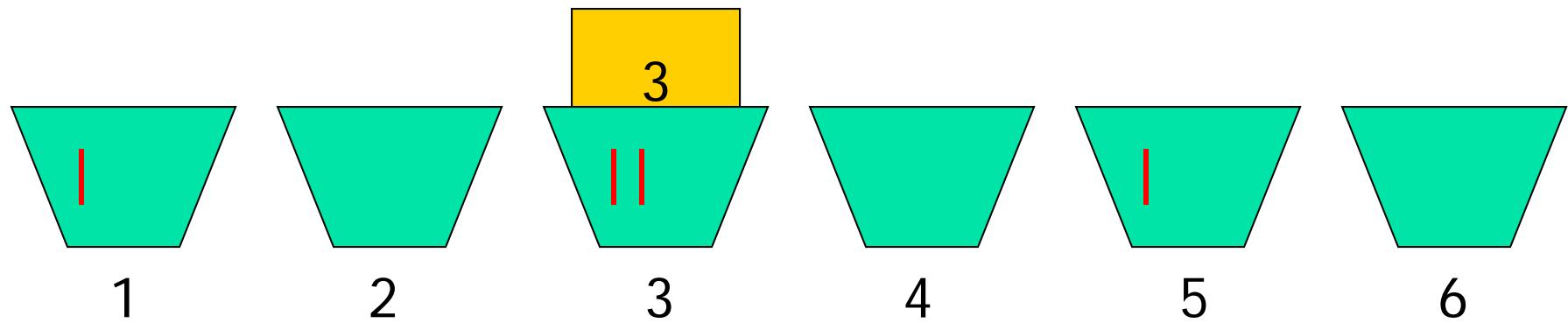
# Simulation



# Simulation



# Simulation



Keep tally on repeated rolls of a fair die

*Repeat the following:*

% roll the die

% increment correct “bin”

```

function count = rollDie(rolls)

FACES= 6; % #faces on die
count= zeros(1,FACES);

% Count outcomes of rolling a FAIR die
for k= 1:rolls
    % Roll the die
    % Increment the appropriate bin
end

% Show histogram of outcome

```

% #faces on die

	1	2	3	4	5	6
count	0	0	0	0	0	0

```

function count = rollDie(rolls)

FACES= 6; % #faces on die
count= zeros(1,FACES);

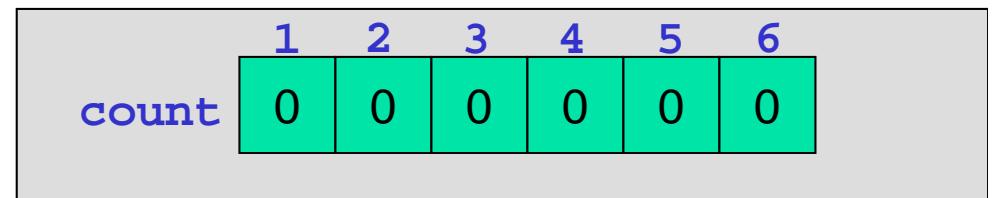
% Count outcomes of rolling a FAIR die
for k= 1:rolls
    % Roll the die
    face= ceil(rand*FACES);
    % Increment the appropriate bin
end

% Show histogram of outcome

```

% #faces on die

	1	2	3	4	5	6
count	0	0	0	0	0	0



(This diagram shows the initial state of the count vector before any rolls are made.)

# rollDieVI.m

```
% Count outcomes of rolling a FAIR die
```

```
count= zeros(1,6);
```

```
for k= 1:100
```

```
    face= ceil(rand*6);
```

```
    if face==1
```

```
        count(1)= count(1) + 1;
```

```
    elseif face==2
```

```
        count(2)= count(2) + 1;
```

```
:
```

```
    elseif face==5
```

```
        count(5)= count(5) + 1;
```

```
    else
```

```
        count(6)= count(6) + 1;
```

```
    end
```

```
end
```

	1	2	3	4	5	6
count	0	0	0	0	0	0

```

function count = rollDie(rolls)

FACES= 6; % #faces on die
count= zeros(1,FACES);

% Count outcomes of rolling a FAIR die
for k= 1:rolls
    % Roll the die
    face= ceil(rand*FACES);
    % Increment the appropriate bin
    count(face)= count(face) + 1;
end

% Show histogram of outcome

```

% #faces on die

	1	2	3	4	5	6
count	0	0	0	0	0	0

