

# CS 1110:

## Introduction to Computing Using Python

Lecture 20

# **isinstance and While Loops**

[Andersen, Gries, Lee, Marschner, Van Loan, White]

# Announcements

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- A4: Due 4/20 at 11:59pm
  - Should only use our `str` method to test `__init__`
  - Testing of all other methods should be done as usual
- Thursday 4/20: Review session in lecture
- Prelim 2 on Tuesday 4/25, 7:30pm – 9pm
  - Covers material up through Tuesday 4/18
  - Lecture: Professor office hours
  - Labs: TA/consultant office hours
- No labs on 4/26

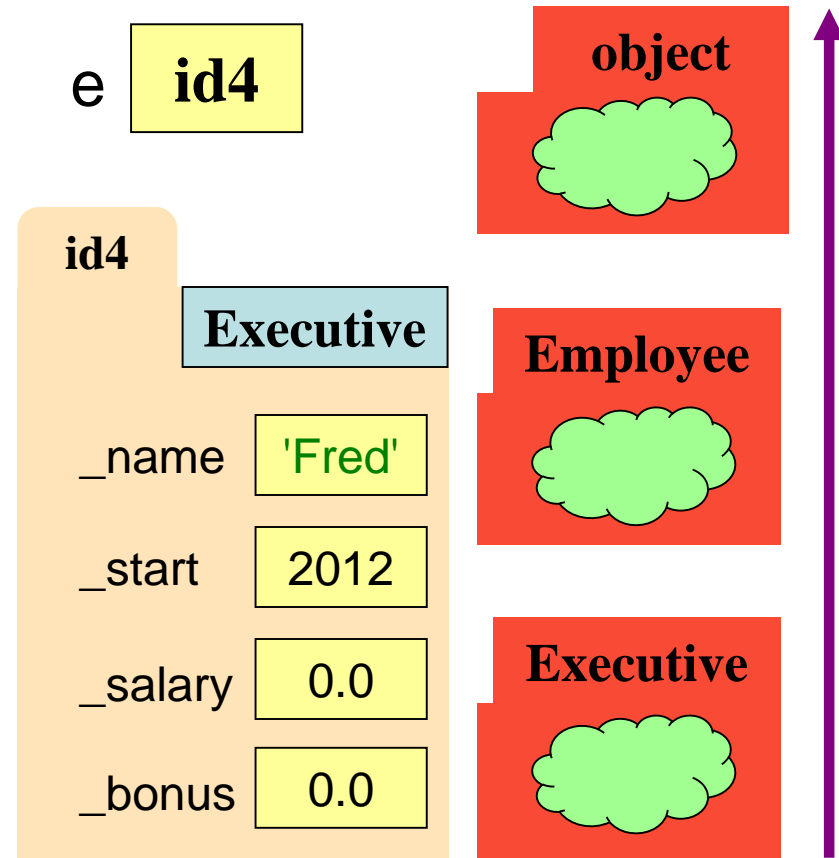
# More Mixed Number Example

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- What if we want to add mixed numbers and fractions?

# The isinstance Function

- `isinstance(<obj>, <class>)`
  - True if `<obj>`'s class is same as or a subclass of `<class>`
  - False otherwise
- **Example:**
  - `isinstance(e, Executive)` is True
  - `isinstance(e, Employee)` is True
  - `isinstance(e, object)` is True
  - `isinstance(e, str)` is False
- Generally preferable to `type`
  - Works with base types too!

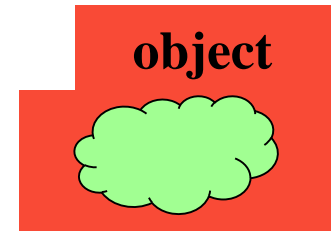
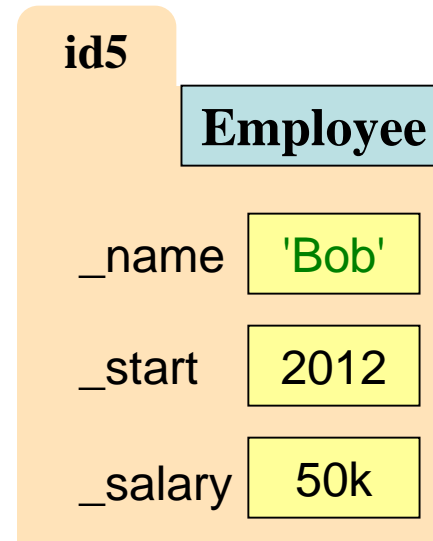


# isinstance and Subclasses

```
>>> e = Employee('Bob',2011)
>>> isinstance(e,Executive)
???
```

FALSE

e **id5**



# More Mixed Number Example

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- What if we want to add mixed numbers and fractions?

# Review: For Loops

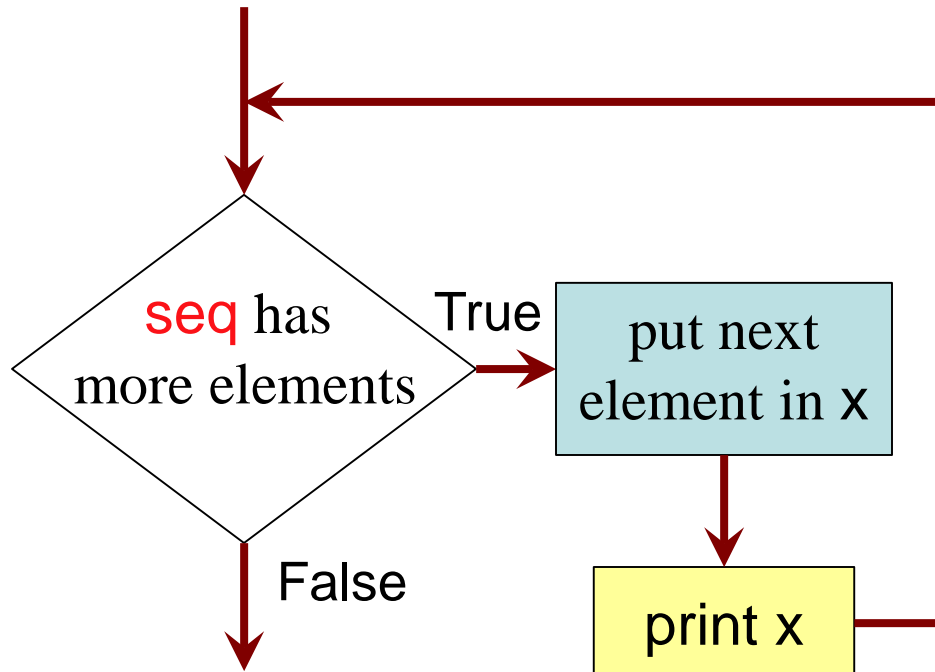
The for-loop:

```
for x in seq:  
    print x
```

- loop sequence: **seq**
- loop variable: **x**
- body: **print x**

To execute the for-loop:

1. Check if there is a “next” element of **loop sequence**
2. If not, terminate execution
3. Otherwise, *assign* element to the **loop variable**
4. Execute all of **the body**
5. Repeat as long as **1** is true



# Beyond Sequences: The while-loop

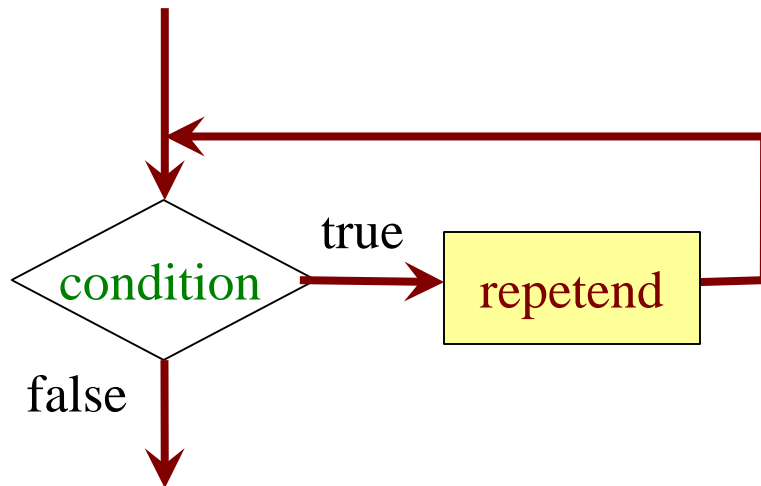
**while** <condition>:

statement 1

...

statement n

**repetend** or **body**



- Relationship to for-loop
  - Must explicitly ensure condition becomes false
  - *You* explicitly manage what changes per iteration



# While-Loops and Flow

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```
print 'Before while'  
count = 0  
i = 0  
while i < 3:  
    print 'Start loop '+str(i)  
    count = count + i  
    i = i + 1  
    print 'End loop '  
print 'After while'
```

Output:

```
Before while  
Start loop 0  
End loop  
Start loop 1  
End loop  
Start loop 2  
End loop  
After while
```

# What gets printed?

---

a = 0

while a < 1:

    a = a + 1

prints 1

print a

# What gets printed?

---

a = 0

while a < 2:

    a = a + 1

prints 2

print a

# What gets printed?

---

a = 0

while a > 2:

    a = a + 1

prints 0

print a

# What gets printed?

---

a = 0

while a < 3:

    if a < 2:

        a = a + 1

**INFINITE LOOP**

print a

# What gets printed?

---

a = 4

while a > 0:

    a = a - 1

prints 0

print a

# What gets printed?

```
a = 8
b = 12
while a != b:
    if a > b:
        a = a - b
    else:
        b = b - a
print a
```

A: **INFINITE LOOP**

B: 8

C: 12

D: 4     **CORRECT**

E: I don't know

This is Euclid's Algorithm for finding the greatest common factor of two positive integers.

**Trivia:** It is one of the *oldest* recorded algorithms (~300 B.C.)

# More Mixed Number Example

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- Adding with greatest common factor, finally!
- Reducing



# Note on Ranges

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- $m..n$  is a range containing  $n+1-m$  values
  - $2..5$  contains 2, 3, 4, 5.      Contains  $5+1 - 2 = 4$  values
  - $2..4$  contains 2, 3, 4.      Contains  $4+1 - 2 = 3$  values
  - $2..3$  contains 2, 3.      Contains  $3+1 - 2 = 2$  values
  - $2..2$  contains 2.      Contains  $2+1 - 2 = 1$  values
- Notation  $m..n$  always implies that  $m \leq n+1$ 
  - If  $m = n+1$ , the range has 0 values

# while Versus for

---

# process range b..c-1  
**for** k in range(b,c)  
    # code involving k

Must remember to increment

# process range b..c  
**for** k in range(b,c+1)  
    # code involving k

# process range b..c-1  
k = b  
**while** k < c:  
    # code involving k  
    k = k+1

# process range b..c  
k = b  
**while** k <= c:  
    # code involving k  
    k = k+1

# while Versus for

---

# incr seq elements

```
for k in range(len(seq)):
    seq[k] = seq[k]+1
```

# incr seq elements

```
k = 0
while k < len(seq):
    seq[k] = seq[k]+1
    k = k+1
```

while is more flexible, but  
often requires more code

# Patterns for Processing Integers

## range a..b-1

`i = a`

`while i < b:`

    # process integer i

*i* = *i* + 1

# store in count # of '/'s in string s

count = 0

*i* = 0

`while i < len(s):`

**if** s[*i*] == '/':

        count = count + 1

*i* = *i* + 1

# count is # of '/'s in s[0..s.length()-1]

## range c..d

`i = c`

`while i <= d:`

    # process integer i

*i* = *i* + 1

# Store in v the sum 1/1 + 1/2 +  
    ...+ 1/n

v = 0

*i* = 0

`while i <= n:`

    v = v + 1.0 / i

*i* = *i* + 1

# v= 1/1 + 1/2 + ...+ 1/n

# while Versus for

---

```
# list of squares to N
seq = []
n = floor(sqrt(N)) + 1
for k in range(n):
    seq.append(k*k)
```

```
# list of squares to N
seq = []
k = 0
while k*k <= N:
    seq.append(k*k)
    k = k+1
```

A for-loop requires that you know where to stop the loop **ahead of time**

A while loop can use complex expressions to check if the loop is done

# while Versus for

Fibonacci numbers:

$$F_0 = 1$$

$$F_1 = 1$$

$$F_n = F_{n-1} + F_{n-2}$$

# List of n Fibonacci numbers

```
fib = [1, 1]
```

```
for k in range(2,n):
```

gets last element

```
    fib.append(fib[-1] + fib[-2])
```

gets second-to-last element

Sometimes you do not use the loop variable at all

# List of n Fibonacci numbers

```
fib = [1, 1]
```

```
while len(fib) < n:
```

```
    fib.append(fib[-1] + fib[-2])
```

Do not need to have a loop variable if you don't need one

# Cases to Use while

Great for when you must **modify** the loop variable

```
# Remove all 3's from list t
```

```
i = 0
```

```
while i < len(t):
```

```
    # no 3's in t[0..i-1]
```

```
    if t[i] == 3:
```

```
        | del t[i]
```

```
    else:
```

```
        | i += 1
```

```
# Remove all 3's from list t
```

```
while 3 in t:
```

```
    | t.remove(3)
```

# Cases to Use **while**

---

Great for when you must **modify** the loop variable



# But first, +=

---

- Can shorten  $i = i + 1$  as:
  - $i += 1$
- Also works for  $-=$ ,  $*=$ ,  $/=$ ,  $\%=$

# Cases to Use while

Great for when you must **modify** the loop variable

```
# Remove all 3's from list t
```

```
i = 0
```

```
while i < len(t):
```

```
    # no 3's in t[0..i-1]
```

```
    if t[i] == 3:
```

```
        del t[i]
```

```
    else:
```

```
        i += 1
```

Stopping point keeps changing.

```
# Remove all 3's from list t
```

```
while 3 in t:
```

```
    t.remove(3)
```

The stopping condition is not a numerical counter this time. Simplifies code a lot.

# Collatz Conjecture

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- Does this loop terminate for all  $x$ ?

```
while x != 1:
```

```
    if x % 2 == 0:    # if x is even
```

```
        x /= 2
```

```
    else:            # if x is odd
```

```
        x = 3 * x + 1
```

WHILE LOOPS CAN BE HARD. Must think formally.

# Some Important Terminology

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- **assertion**: true-false statement placed in a program to *assert* that it is true at that point
  - Can either be a **comment**, or an **assert** command
- **invariant**: assertion supposed to "always" be true
  - If temporarily invalidated, must make it true again
  - **Example**: class invariants and class methods
- **loop invariant**: assertion supposed to be true before and after each iteration of the loop
- **iteration of a loop**: one execution of its body

# Preconditions & Postconditions

precondition

```
# x = sum of 1..n-1
x = x + n
n = n + 1
# x = sum of 1..n-1
```

postcondition

- **Precondition:** assertion placed before a segment
- **Postcondition:** assertion placed after a segment

1 2 3 4 5 6 7 8  
          n  
          └

x contains the sum of these (6)

1 2 3 4 5 6 7 8  
          n  
          └

x contains the sum of these (10)

## Relationship Between Two

If **precondition** is true, then **postcondition** will be true