15. Lists are Objects

Topics:

- References
- Alias
- More on Slicing

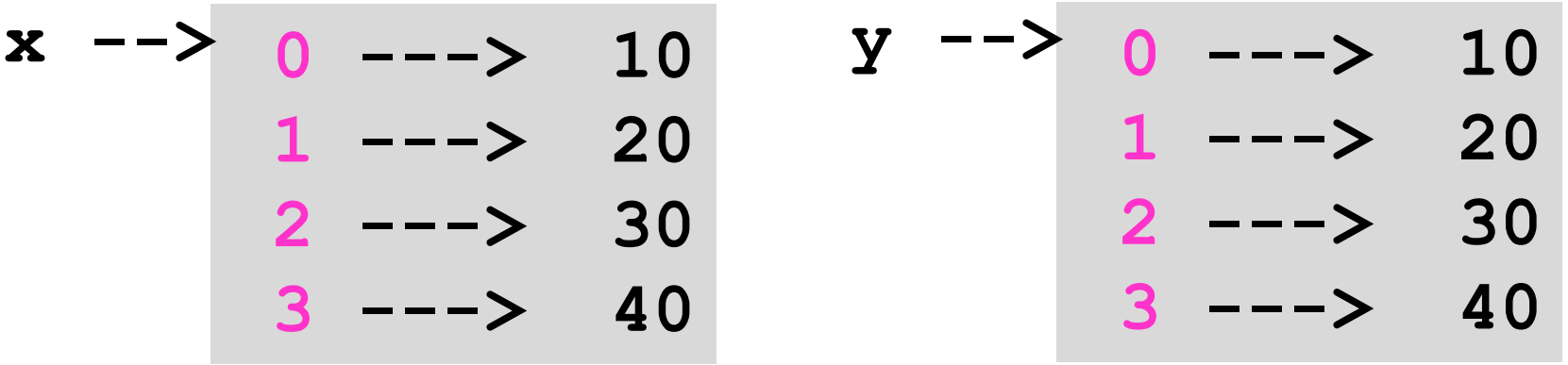
Comparing Lists

You can use == to compare two lists

```
>>> x = [10,20,30,40]
>>> y = [10,20,30,40]
>>> x==y
True
```

Comparing Lists

You can use == to compare two lists



The Boolean expression x==y is True because x and y have the same length and identical values in each element

Comparing Lists

You can use == to compare two lists

```
>>> x = [1,2,3]
>>> y = [1.0,2.0,3.0]
>>> x==y
True
```

If there are ints and floats, convert everything to float then compare

Comparing Lists

Do not use <, <= , > , >= to compare two lists

```
>>> x = [10,20,30,40]
>>> y = [11,21,31,41]
>>> x<y
True
>>> y<x
True
```

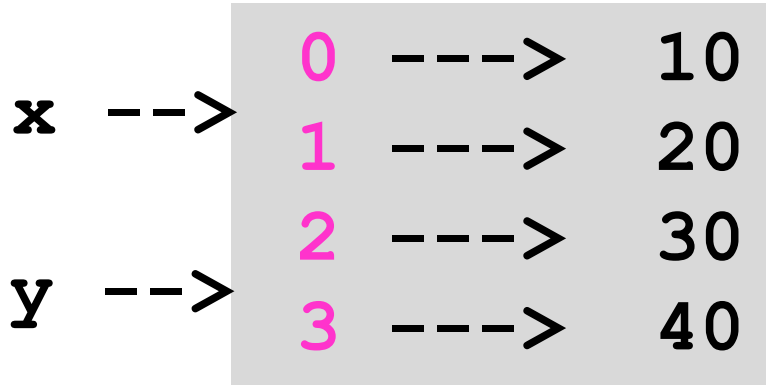
Unpredictable

Aliasing

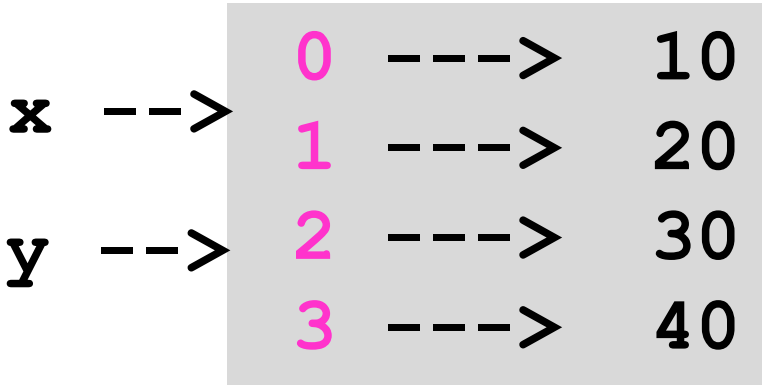
This:

```
x = [10,20,30,40]
y = x
```

Results in this:



Aliasing



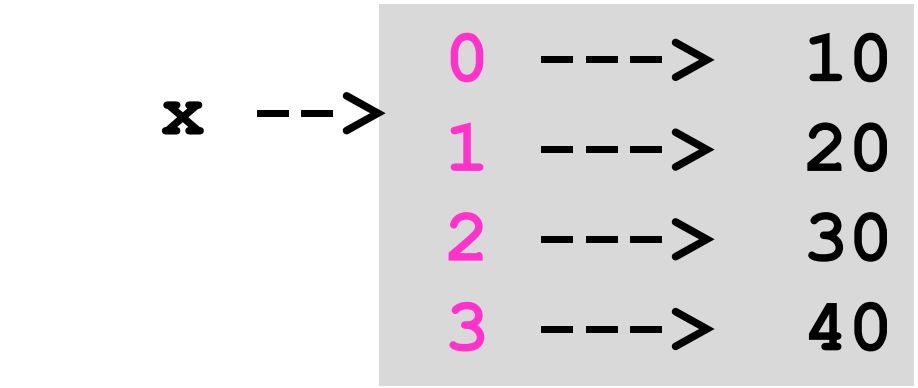
Things to say:

x and y are variables that refer to the same list object.

The object is aliased because it has more than one name.

Tracking Changes

```
x = [10,20,30,40]
y = x
y = [1,2,3]
```



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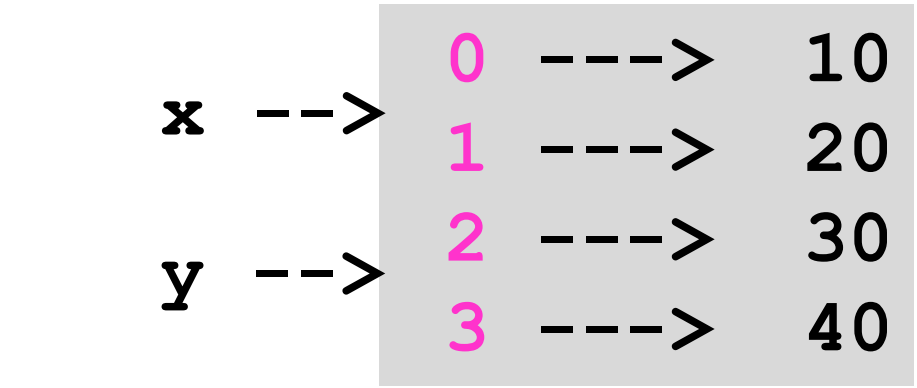

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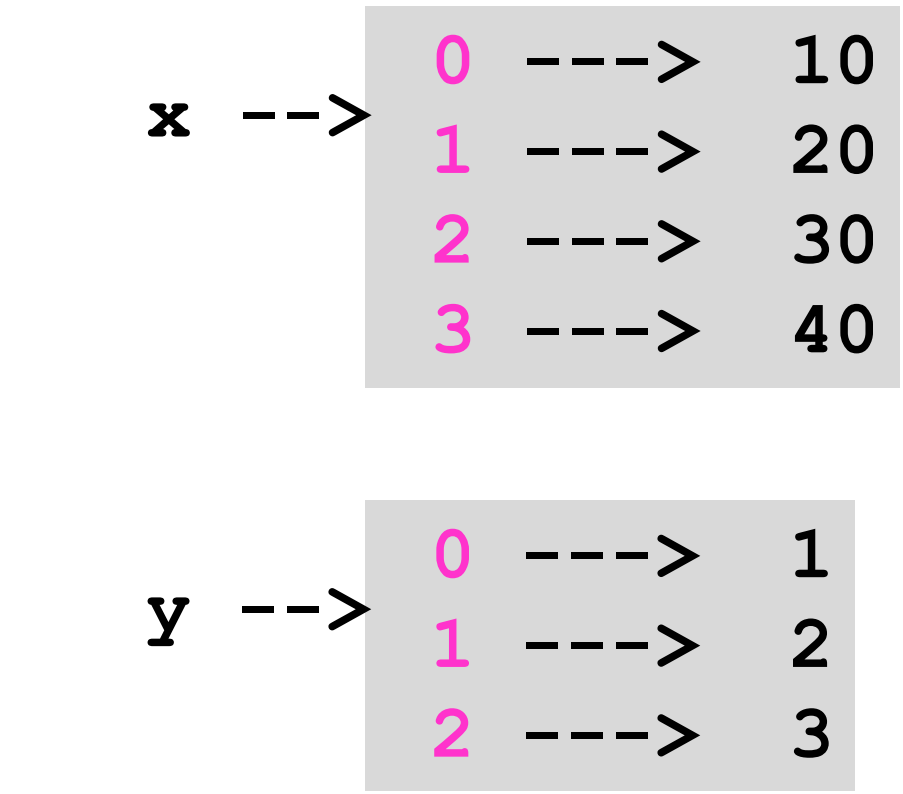
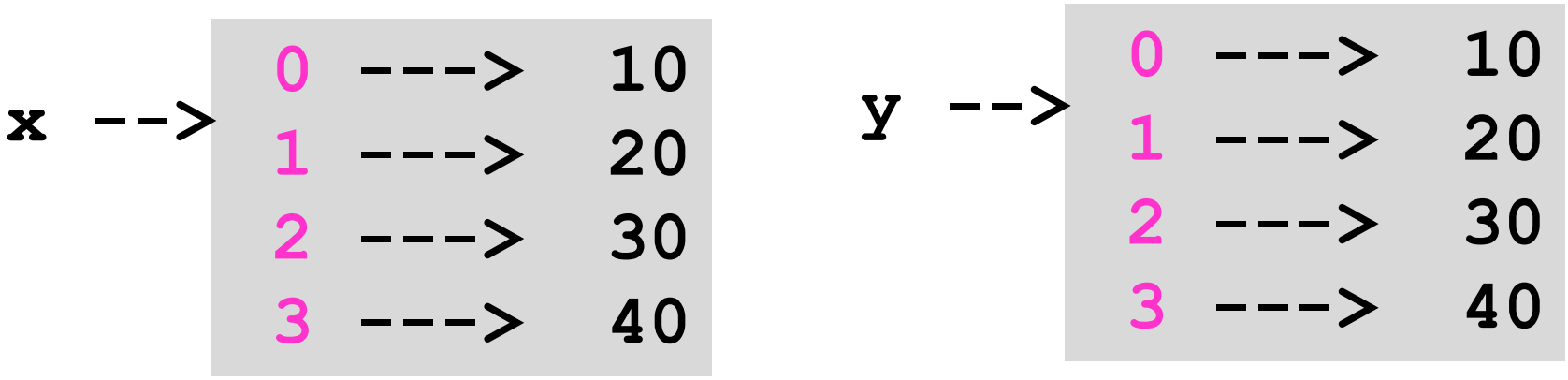


The is Operator

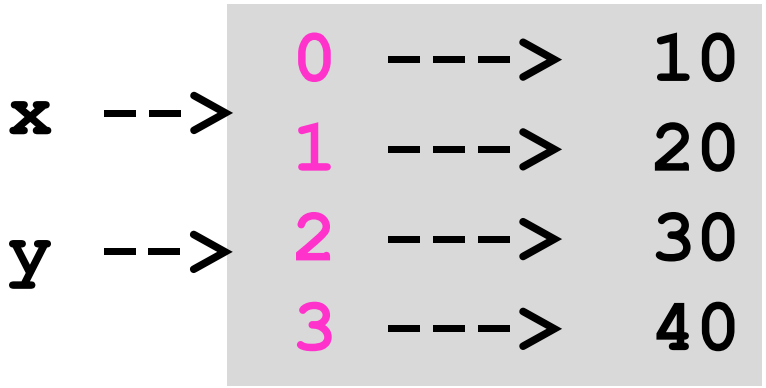
```
>>> x = [10,20,30,40]
>>> y = [10,20,30,40]
>>> x is y
False
```



Even though the two lists have the same component values. x and y do not refer to the same object.

The is Operator

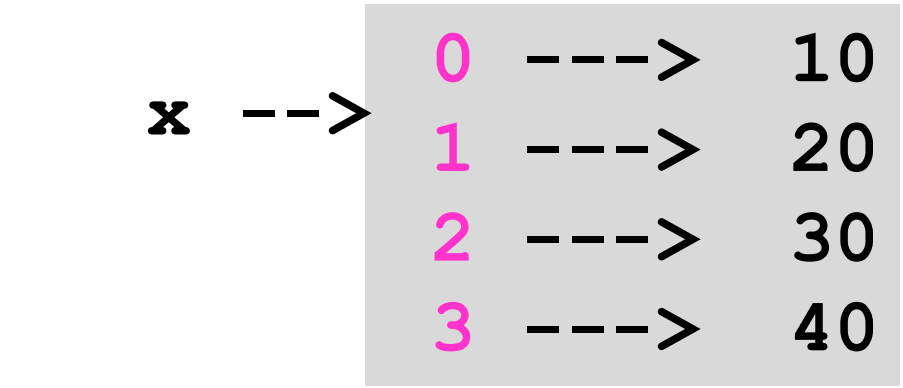
```
>>> x = [10,20,30,40]
>>> y = x
>>> x is y
True
```



x and y refer to the same object

Making a Copy of a List

```
x = [10,20,30,40]
y = list(x)
```



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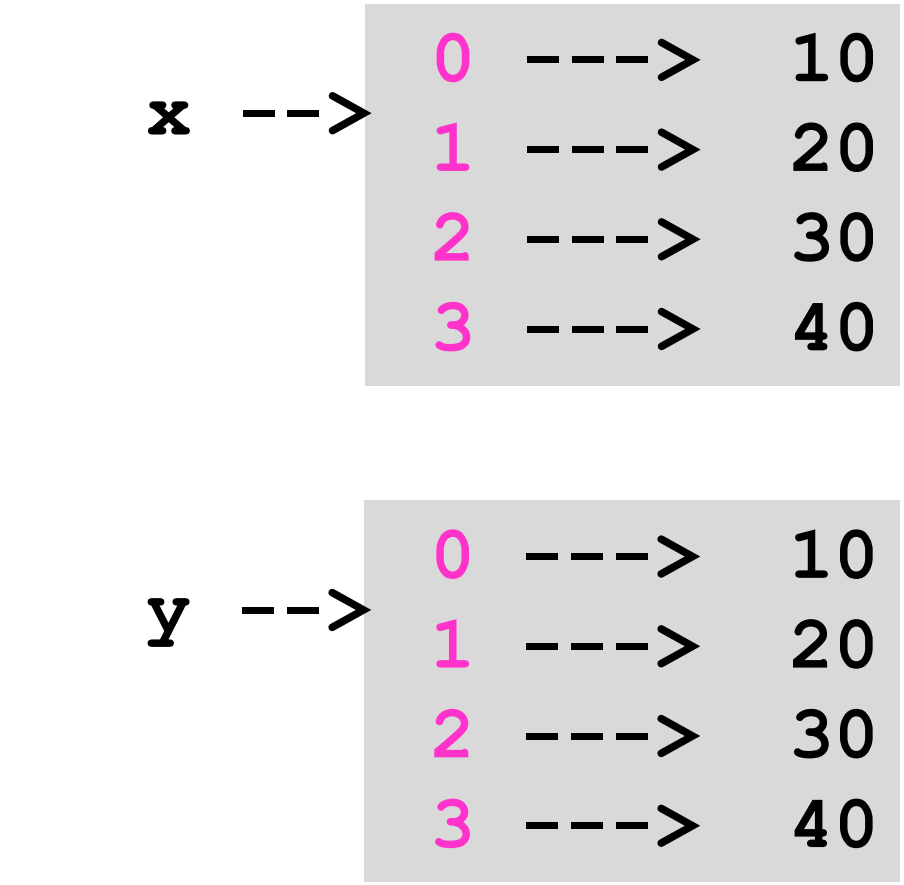
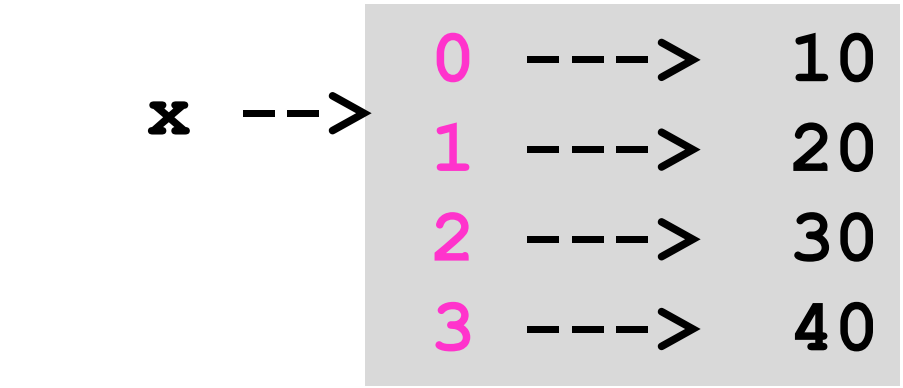


Slices Create new Objects

- `x = [10,20,30,40]`
  `y = x[1:]`



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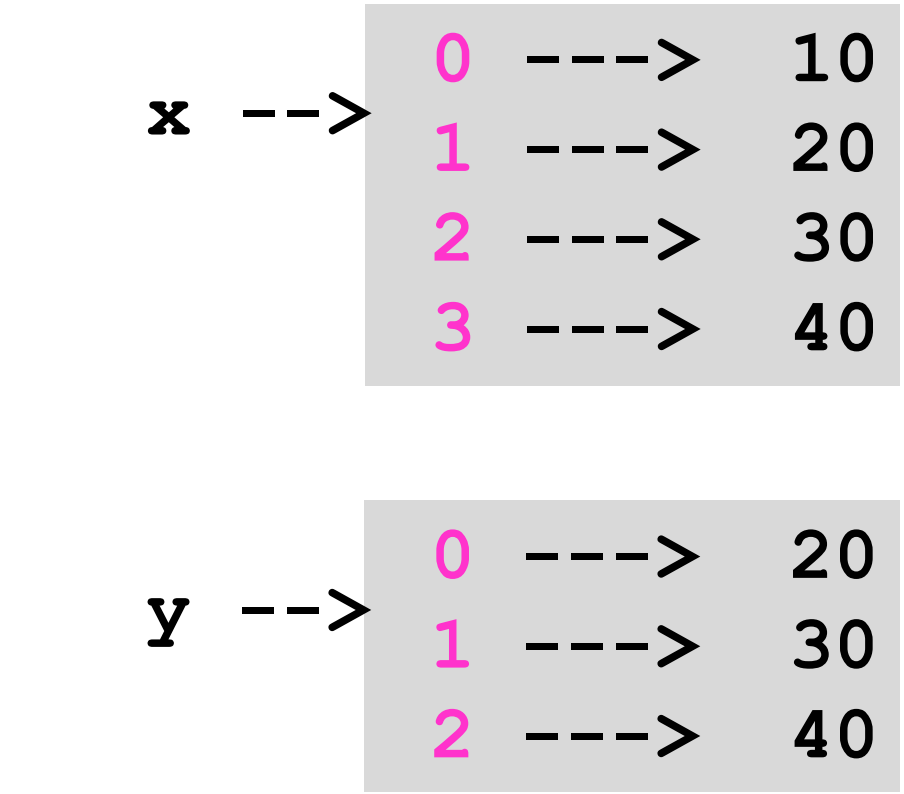
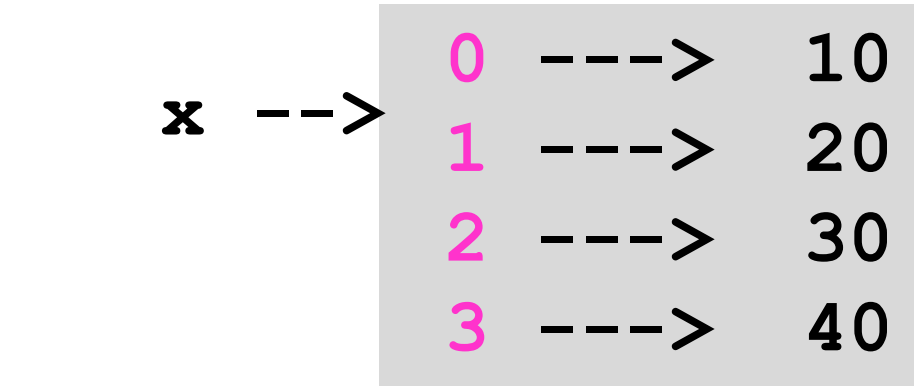


Careful!

```
x = [10,20,30,40]
y = x
y = x[1:]
```



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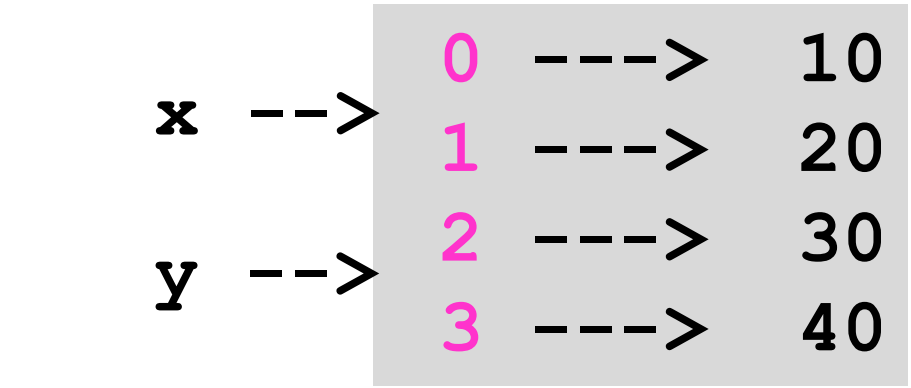

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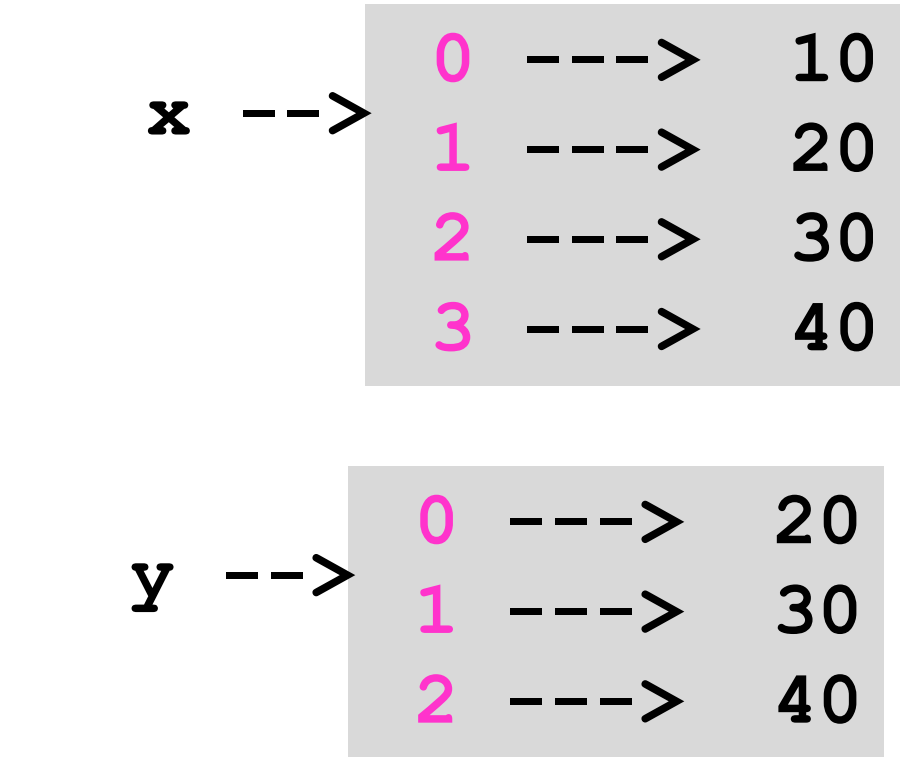
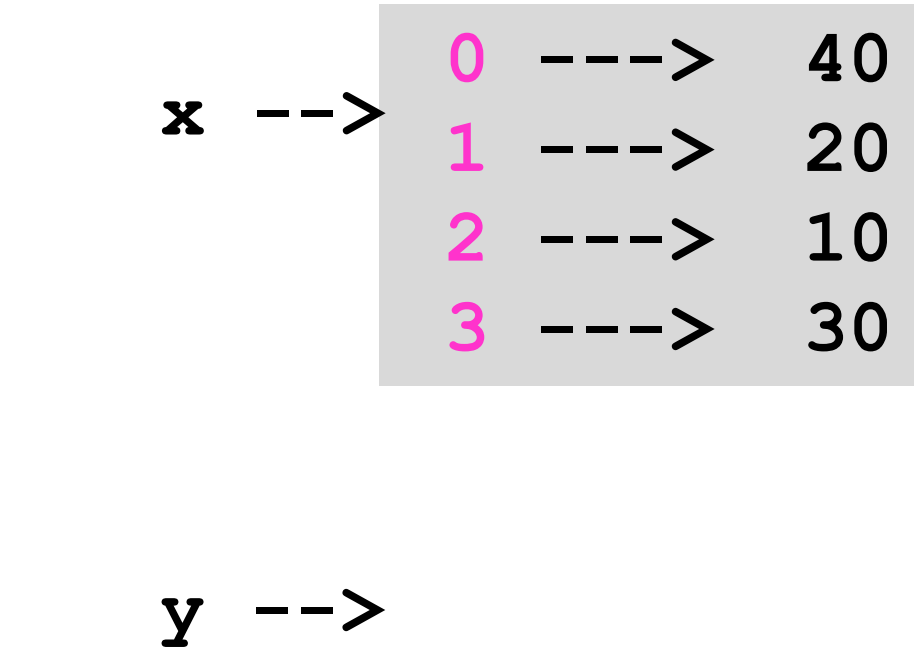
x = [10,20,30,40]
y = x
y = x[1:]
```



Void Functions

```
x = [40,20,10,30]
y = x.sort()
```



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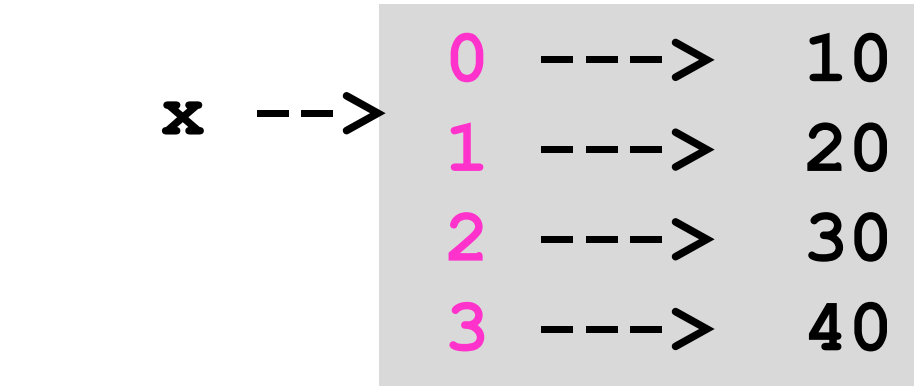
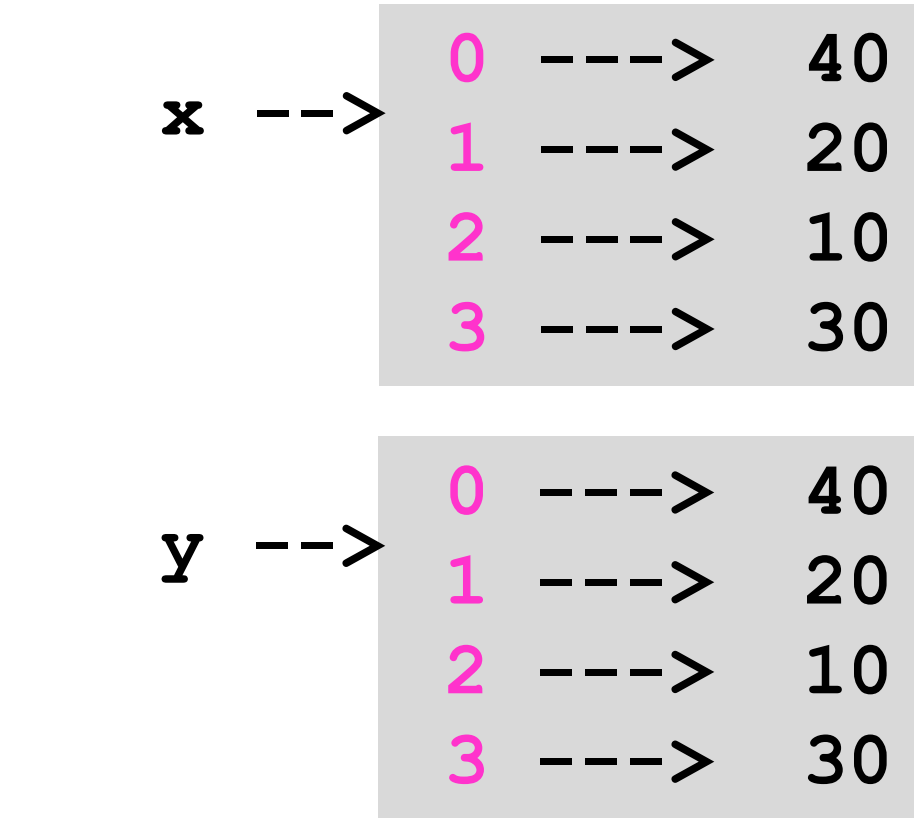



```
y --> None
```

Void Functions return None, a special type

Void Functions

```
x = [40,20,10,30]
y = list(x)
y.sort()
```



Void Functions return None, a special type

Void Functions

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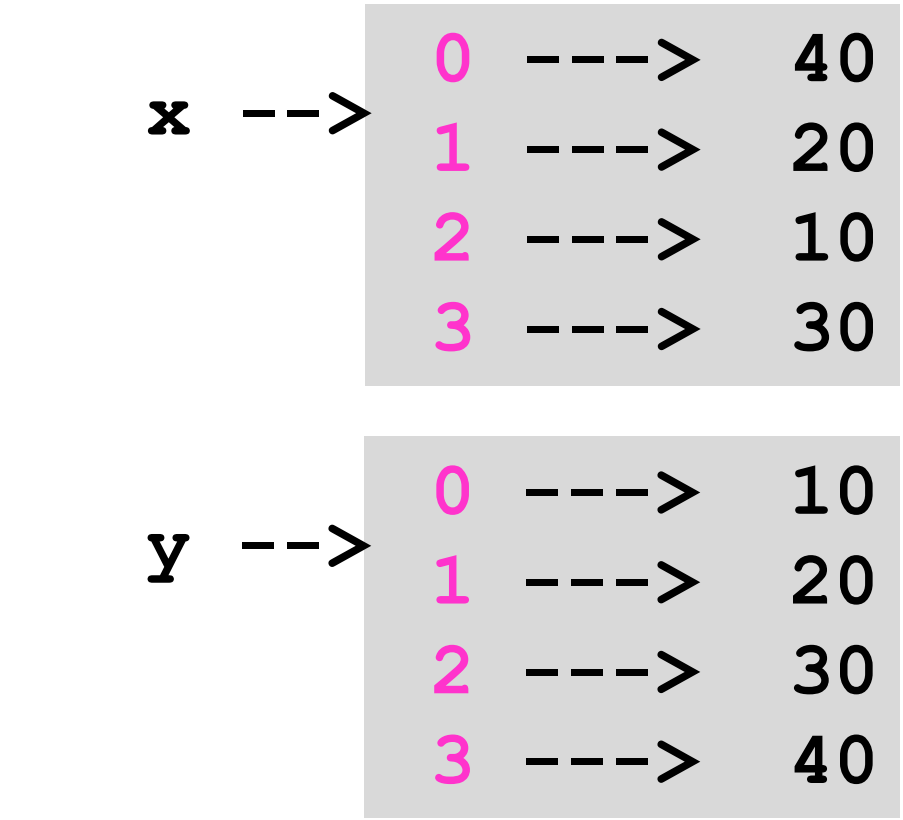
x = [40,20,10,30]
y = list(x)
y.sort()
```



Void Functions return None, a special type

Understanding Function Calls

```
def f(x):
    x = x[1:]
    print x

if __name__ == '__main__':
    u = [1,2,3,4]
    f(u)
    print u
```

Looks like f deletes the 0-th character in x

Understanding Function Calls

```
def f(x):
    x = x[1:]
    print x

if __name__ blabla
    u = [1,2,3,4]
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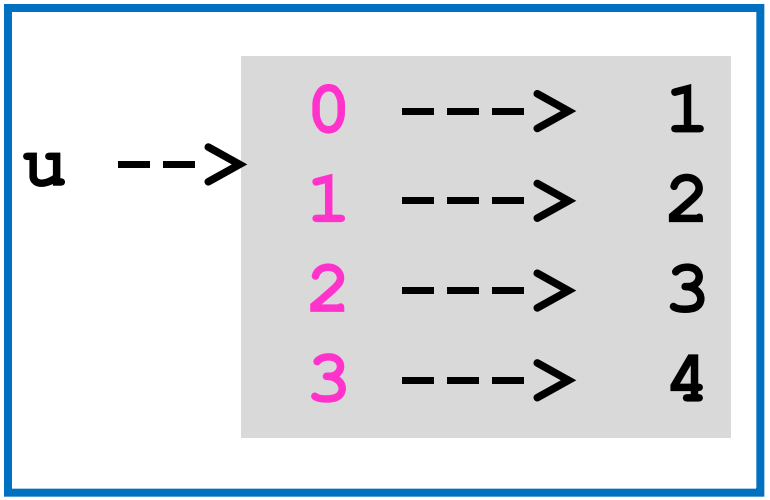

Follow the red dot and watch for impact…

Understanding Function Calls

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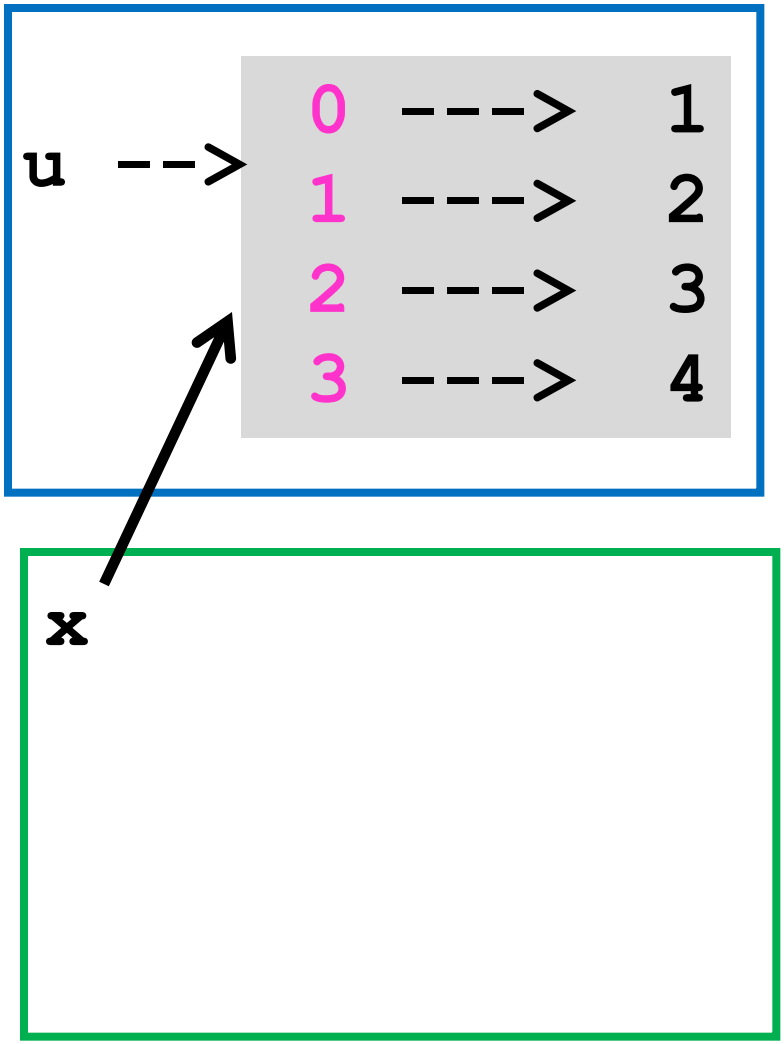

Parameter x initially refers to the same object as u

Understanding Function Calls

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    print x

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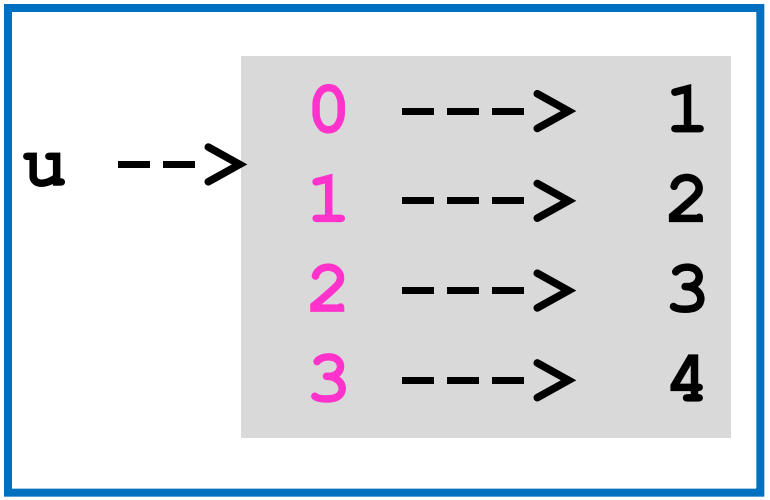

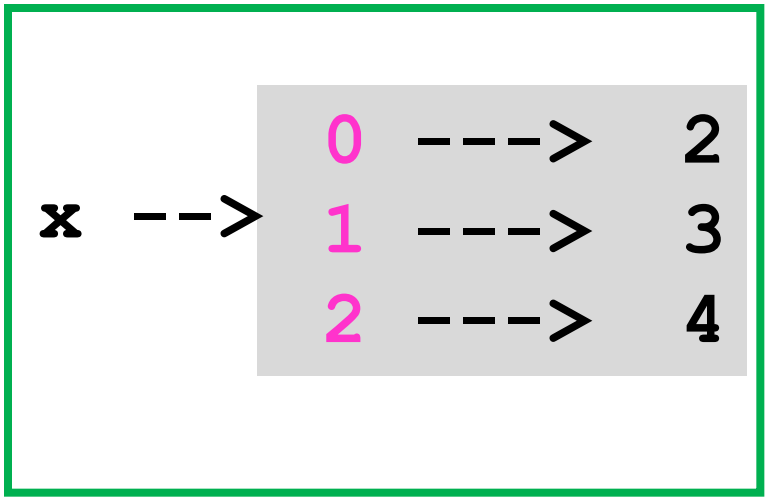

x[1:] creates a new object and x will refer to it

Understanding Function Calls

```
def f(x):
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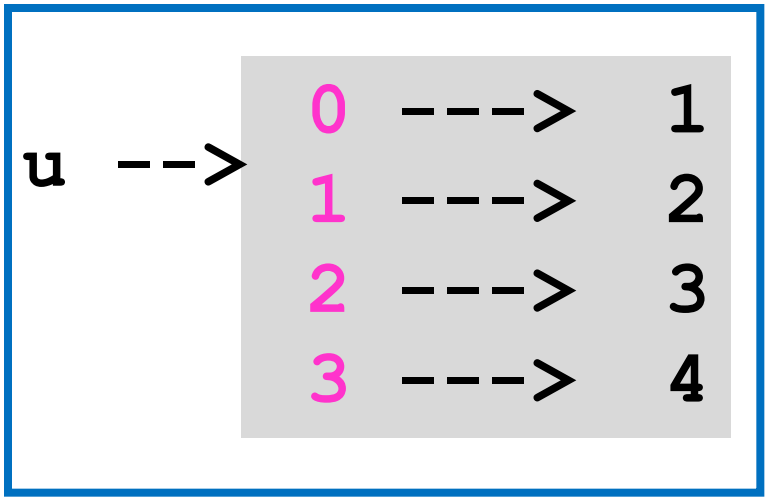
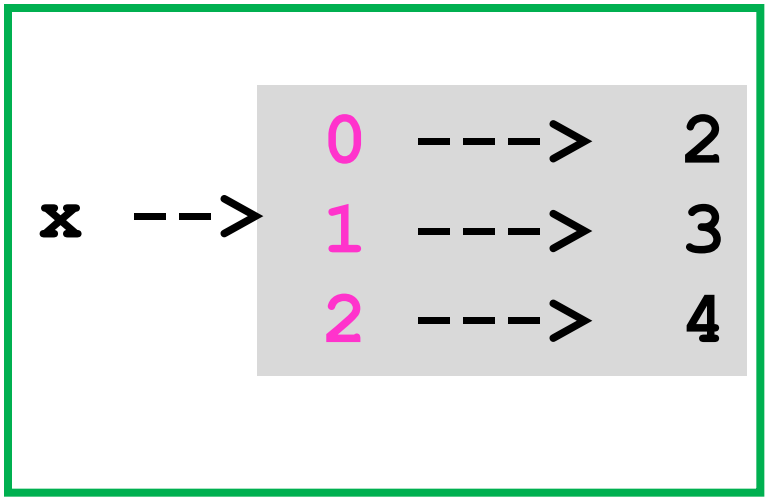
    print x

if __name__ blabla
    u = [1,2,3,4]
    f(u)
    print u
```

2 3 4 is printed





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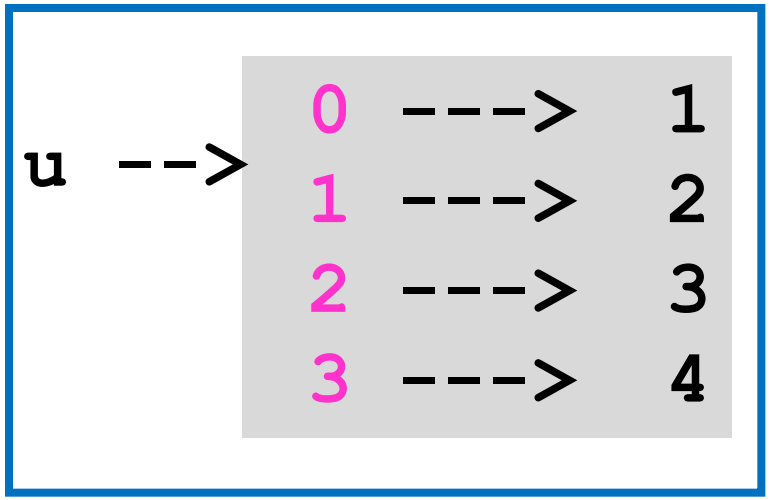
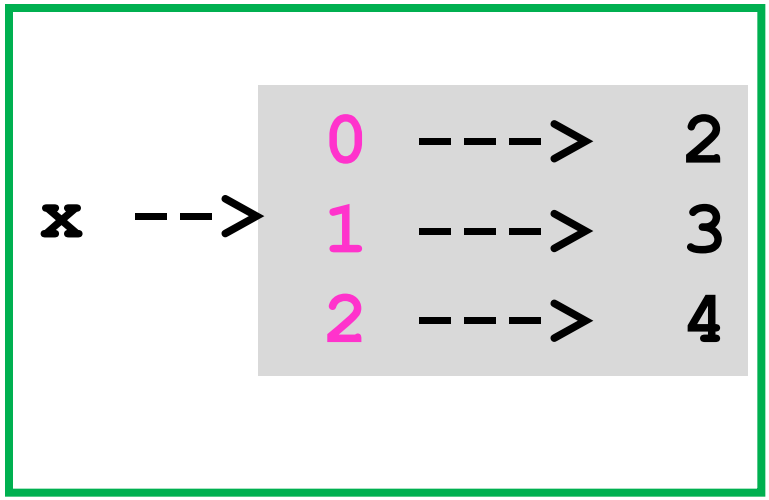
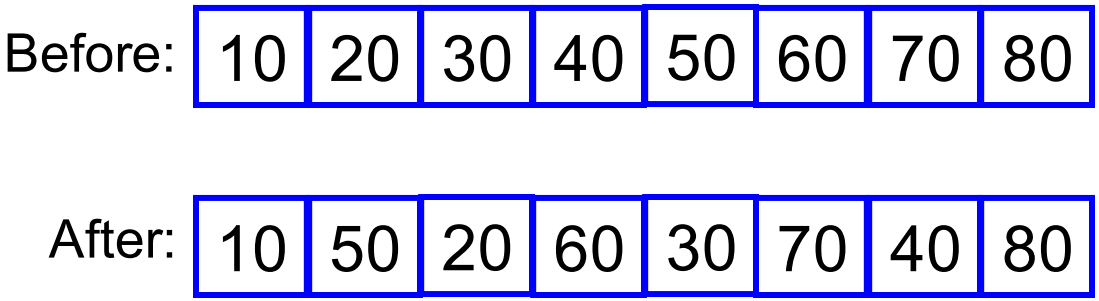




Example: The Perfect Shuffle

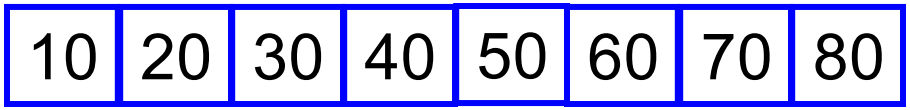
Permuting the items in a list comes up a lot.

Here is a famous example called the perfect shuffle:



Executing the Perfect Shuffle

The given list:



Cut it in half:

The Re-assemble Process:

Alternately choose from the "half" lists.

Executing the Perfect Shuffle

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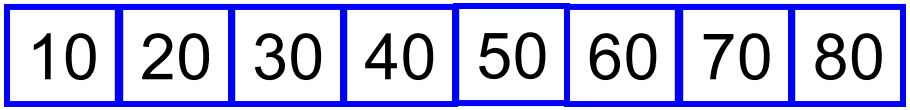

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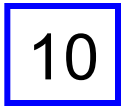

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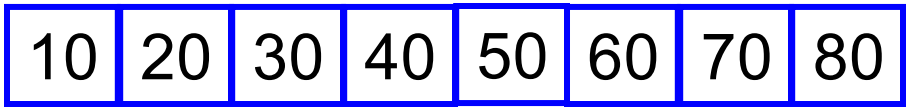

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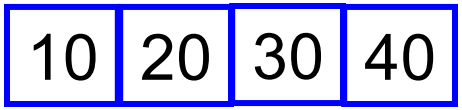

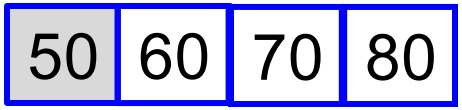

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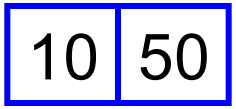

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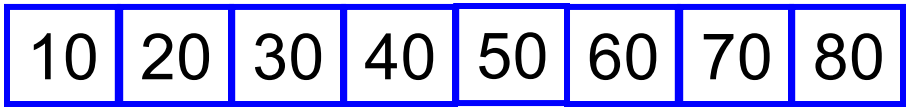

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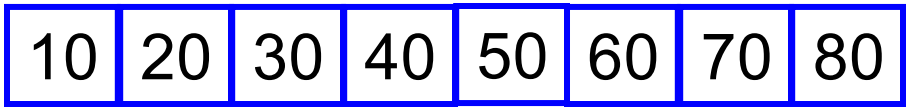

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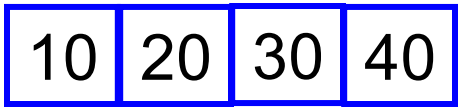

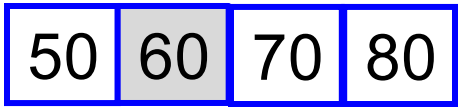

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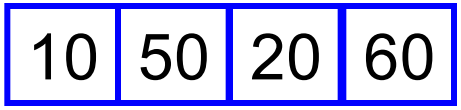

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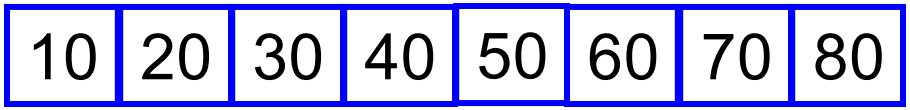

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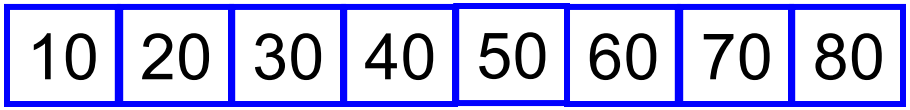

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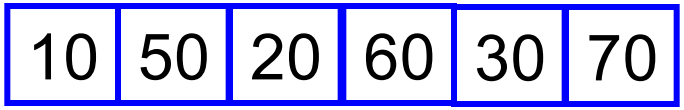

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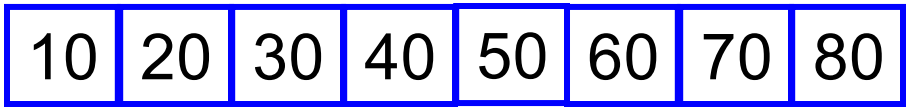

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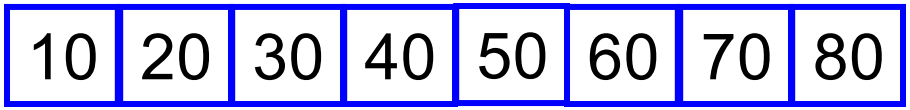

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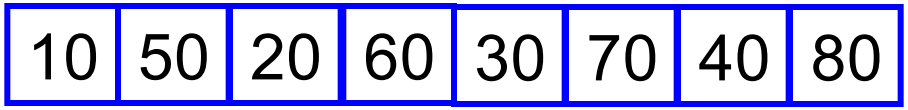

Alternately choose from the "half" lists.

Implementation 1

```
def PF1(x):
    n = len(x)
    m = n/2
    top = list(x[:m])
    bot = list(x[m:])
    for k in range(m):
        x[2*k]   = top[k]
        x[2*k+1] = bot[k]
```

Make a copy of the top and bottom halves

They become the even-indexed and odd-indexed entries

This is a Void function. It returns None.
However, it permutes the values in the list referenced by x according to the perfect shuffle.

Implementation 2

```
def PF2(x):
    n = len(x)
    m = n/2
    y = []
    for k in range(m):
        y.append(x[k])
        y.append(x[k+m])
    return y
```

Build y up through repeated appending

x[k] comes from the top half of the list, x[k+m] comes from the bottom half.

This is a fruitful function. It returns a reference to a list that is the perfect shuffle of the list referenced by x

Perfect Shuffle Cycles

Question:

Given a length-n list x where n is even, how many perfect shuffle updates are required before we cycle back to the original x?

Perfect Shuffle Cycles

Solution Using the Void function PF1:

```
# Assume x0 is a given list
x = list(x0)
PF1(x)
numPFs = 1
while x!=x0:
    PF1(x)
    numPFs+=1
print numPFs
```

Perfect Shuffle Cycles

Solution Using the Fruitful function PF2:

```
# Assume x0 is a given list
 x = PF2(x0)
numPFs = 1
while x!=x0:
    x = PF2(x)
    numPFs+=1
print numPFs
```

Sample Outputs

n	numPFs
8	3
52	8
444	442
1000	36
10000	300
100000	540