CS 1110, LAB 11: WHILE-LOOPS<br>http://www.cs.cornell.edu/courses/cs1110/2016fa/labs/lab11/

First Name: $\qquad$ Last Name: $\qquad$ NetID: $\qquad$
This lab is designed to give you practice with using while-loops. It includes both loops over ranges of integers and over more complicated conditions. With both the exam and the assignment due in the next week, we have tried to keep the demands of this lab reasonable.
Lab Materials. You will notice two files on the labs section of the course web page:

- lab11.py (the primary module for the lab)
- test11.py (a unit test for lab11.py)

Create a new directory on your hard drive and download all of the files into that directory. You can also get the files bundled in a single ZIP file called lab11.zip from the course web page.
Getting Credit for the Lab. Once again, you have a choice between getting credit through the online system or your instructor. The online lab is available at the web page

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http://www.cs.cornell.edu/courses/cs1110/2016fa/labs/lab11/
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As with the last lab, you should be modifying the file lab12.py directly, and not typing all of your answers into the online system directly.

As with the previous lab, if you do not finish during the lab, you have until the beginning of lab next week to finish it. You should always do your best to finish during lab hours. Remember that labs are graded on effort, not correctness.

## Written Exercises

Ranges of Integers. What values are in the following ranges? We have answered one of them for you so that you can see how to structure your answer. The last few require an answer in terms of the variable h . Remember that in the notation $\mathrm{h} . \mathrm{k}$, we require $\mathrm{k} \geq \mathrm{h}-1$. For example, $5 . .4$ is OK but 5. . 3 is not allowed.

| Given Range | Contents | Given Range | Contents |
| :---: | :---: | :---: | :---: |
| $5 . .7$ | $5,6,7$ | $\mathrm{~h} . \mathrm{h}+1$ |  |
| $5 \ldots 6$ |  | $\mathrm{~h} . . \mathrm{h}$ |  |
| $5 . .5$ |  | $\mathrm{~h} . . \mathrm{h}-1$ |  |
| $5 . .4$ |  | $\mathrm{~h}-1 \ldots \mathrm{~h}$ |  |
| $4 \ldots 4$ |  | $\mathrm{~h}-1 \ldots \mathrm{~h}+1$ |  |

Course authors: D. Gries, L. Lee, S. Marschner, W. White

Assigning to Range Variables. Each line below asks you to write an assignment. We have done the first one for you to give you an idea of what we are looking for.

| Range | Want | Assignment Statement |
| :---: | :--- | :--- |
| $\mathrm{h} . \mathrm{k}$ | Assign to k so that the range has 1 element | $\mathrm{k}=\mathrm{h}$ |
| $\mathrm{h} . \mathrm{k}$ | Assign to h so that the range has 1 element |  |
| $\mathrm{h} . \mathrm{k}$ | Assign to k so that the range has 0 elements |  |
| $\mathrm{h} . \mathrm{k}$ | Assign to h so that the range has 0 elements |  |
| $0 \ldots \mathrm{n}-1$ | Assign to n so that the range has 1 element |  |
| $0 \ldots \mathrm{n}-1$ | Assign to n so that the range has 0 elements |  |
| $\mathrm{h}-1 \ldots 10$ | Assign to h so that the range has 1 element |  |
| $\mathrm{h}+1 \ldots 10$ | Assign to h to that the range has 0 elements |  |

## Coding While-Loops

Inside of lab11.py you will see the specifications of four functions. Implement the first three of the functions in this module. The last function exp is optional. Each implementation must contain a while-loop. You will notice that the first two functions are from Lab 8, the recursion lab. This is not a mistake; we want you to implement them differently using recursion. The third function is a variation on the second, and is easier to implement with a while-loop than recursion.

The optional function (which you do not have to implement) is the trickiest, as assumes some knowlege of Calculus. It is an approximation of $e^{x}$ using Power Series. The Power Series for $e^{x}$ is

$$
e^{x}=\sum_{n=0}^{\infty} \frac{x^{n}}{n!}=1+x+\frac{x^{2}}{2}+\ldots+\frac{x^{n}}{n!}+\ldots
$$

The values $\frac{x^{n}}{n!}$ are the terms of this Power Series. To approximate this sum, we just stop:

$$
e^{x} \approx \sum_{k=0}^{n} \frac{x^{k}}{k!}=1+x+\frac{x^{2}}{2}+\ldots+\frac{x^{n}}{n!}
$$

The error of this approximation is the absolute value of the next term, $\left|\left(x^{n+1}\right) /(n+1)!\right|$. You should write a while-loop that computes each term and adds it to the accumulator for $e^{x}$. It stops adding terms when they are greater than the error value.

For all of these functions, we have provided a unit test. You do not need to add any new tests. Simply use it to check you answers. When you are convinced that everything is working correctly, show your instructor what you have.

