

Lecture 22

While Loops

Announcements for This Lecture

Assignments

- A5 is now graded
 - Will be returned in lab
 - **Mean:** 51 **Median:** 53
 - **Std Dev:** 5.4
 - **Passing Grade:** 30
- A6 due next Thursday
 - Dataset should be done
 - Cluster hopefully started
 - Delay all else to weekend

Prelim 2

- Thursday, 7:30-9pm
 - A–J (Uris G01)
 - K–Z (Statler Aud)
 - SDS received e-mail
- **Make-up** still up in air
 - Only if submitted conflict
 - Will receive e-mail from us
- Graded by the weekend
 - Returned early next week

Recall: For Loops

```
# Print contents of seq
x = seq[0]
print x
x = seq[1]
print x
...
x = seq[len(seq)-1]
print x
```

The for-loop:

```
for x in seq:
    print x
```

- Key Concepts
 - **loop sequence:** seq
 - **loop variable:** x
 - **body:** print x
 - Also called **repetend**

for-loops: Beyond Sequences

- Work on *iterable* objects
 - Object with an *ordered collection* of data
 - This includes sequences
 - But also much more
- **Examples:**
 - Text Files (built-in)
 - Web pages (urllib2)
- **2110:** learn to design custom iterable objects

```
def blanklines(fname):  
    """Return: # blank lines in file fname  
    Precondition: fname is a string"""  
    # open makes a file object  
    file = open('myfile.txt')  
  
    # Accumulator  
    count = 0  
    for line in file: # line is a string  
        | if len(line) == 0: # line is blank  
        | | count = count+1  
  
    f.close() # close file when done  
    return count
```

Important Concept in CS: Doing Things Repeatedly

1. Process each item in a sequence

- Compute aggregate statistics for a sequence of numbers, such as the mean, median, standard deviation, etc.
- Send everyone in a Facebook group an appointment time

```
for x in sequence:  
    process x
```

2. Perform n trials or get n samples.

- A4: draw a triangle six times to make a hexagon
- Run a protein-folding simulation 1000 times

```
for x in range(n):  
    do next thing
```

3. Do something an unknown number of times

- CUAUV team, vehicle keeps moving until reached its goal

????



Beyond Sequences: The **while**-loop

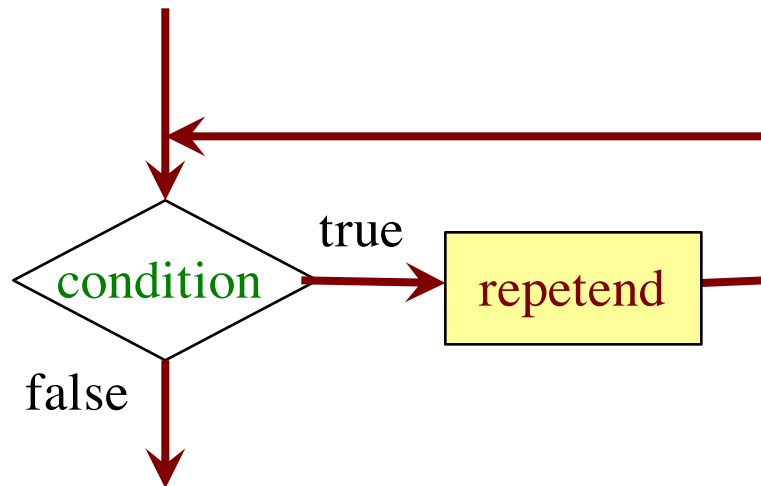
while *<condition>*:

statement 1

...

statement n

repetend or **body**



- Relationship to for-loop
 - Broader notion of “still stuff to do”
 - Must explicitly ensure condition becomes false
 - *You* explicitly manage what changes per iteration

While-Loops and Flow

```
print 'Before while'
```

```
count = 0
```

```
i = 0
```

```
while i < 3:
```

```
    print 'Start loop '+str(i)
```

```
    count = count + i
```

```
    i = i + 1
```

```
    print 'End loop '
```

```
print 'After while'
```

Output:

Before while

Start loop 0

End loop

Start loop 1

End loop

Start loop 2

End loop

After while

while Versus for

```
# process range b..c-1  
for k in range(b,c)  
    process k
```

Must remember to increment

```
# process range b..c  
for k in range(b,c+1)  
    process k
```

```
# process range b..c-1  
k = b  
while k < c:  
    process k  
    k = k+1
```

```
# process range b..c  
k = b  
while k <= c:  
    process k  
    k = k+1
```


Range Notation

- $m..n$ is a range containing $n+1-m$ values
 - $2..5$ contains 2, 3, 4, 5. Contains $5+1 - 2 = 4$ values
 - $2..4$ contains 2, 3, 4. Contains $4+1 - 2 = 3$ values
 - $2..3$ contains 2, 3. Contains $3+1 - 2 = 2$ values
 - $2..2$ contains 2. Contains $2+1 - 2 = 1$ values
 - $2..1$ contains ???

What does $2..1$ contain?

A: nothing

B: 2,1

C: 1

D: 2

E: something else

Range Notation

- $m..n$ is a range containing $n+1-m$ values
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 - $2..4$ contains 2, 3, 4. Contains $4+1 - 2 = 3$ values
 - $2..3$ contains 2, 3. Contains $3+1 - 2 = 2$ values
 - $2..2$ contains 2. Contains $2+1 - 2 = 1$ values
 - $2..1$ contains ???
- The notation $m..n$, always implies that $m \leq n+1$
 - So you can assume that even if we do not say it
 - If $m = n+1$, the range has 0 values

while Versus for

incr seq elements

for k in range(len(seq)):

seq[k] = seq[k]+1

Makes a **second** list.

incr seq elements

k = 0

while k < len(seq):

seq[k] = seq[k]+1

k = k+1

while is more flexible, but
requires more code to use

Patterns for Processing Integers

range a..b-1

`i = a`

`while i < b:`

 | process integer i

 | `i = i + 1`

```
# store in count # of '/'s in String s
```

```
count = 0
```

```
i = 0
```

```
while i < len(s):
```

```
    | if s[i] == '/':
```

```
        | count = count + 1
```

```
    | i = i + 1
```

```
# count is # of '/'s in s[0..s.length()-1]
```

range c..d

`i = c`

`while i <= d:`

 | process integer i

 | `i = i + 1`

```
# Store in double var. v the sum
```

```
# 1/1 + 1/2 + ... + 1/n
```

```
v = 0; # call this 1/0 for today
```

```
i = 1
```

```
while i <= n:
```

```
    | v = v + 1.0 / i
```

```
    | i = i + 1
```

```
# v = 1/1 + 1/2 + ... + 1/n
```

while Versus for

```
# table of squares to N
seq = []
n = floor(sqrt(N)) + 1
for k in range(n):
    seq.append(k*k)
```

```
# table of squares to N
seq = []
k = 0
while k*k < N:
    seq.append(k*k)
    k = k+1
```

A for-loop requires that you know where to stop the loop **ahead of time**

A while loop can use complex expressions to check if the loop is done

while Versus for

Fibonacci numbers:

$$F_0 = 1$$

$$F_1 = 1$$

$$F_n = F_{n-1} + F_{n-2}$$

Table of n Fibonacci nums

```
fib = [1, 1]
```

```
for k in range(2,n):
```

```
    fib.append(fib[-1] + fib[-2])
```

Sometimes you do not use
the loop variable at all

Table of n Fibonacci nums

```
fib = [1, 1]
```

```
while len(fib) < n:
```

```
    fib.append(fib[-1] + fib[-2])
```

Do not need to have a loop
variable if you don't need one

Cases to Use **while**

Great for when you must **modify** the loop variable

```
# Remove all 3's from list t
```

```
i = 0
```

```
while i < len(t):
```

```
    # no 3's in t[0..i-1]
```

```
    if t[i] == 3:
```

```
        | del t[i]
```

```
    else:
```

```
        | i = i+1
```

```
# Remove all 3's from list t
```

```
while 3 in t:
```

```
    | t.remove(3)
```

Cases to Use while

Great for when you must **modify** the loop variable

```
# Remove all 3's from list t
```

```
i = 0
```

```
while i < len(t):
```

```
    # no 3's in t[0..i-1]
```

```
    if t[i] == 3:
```

```
        | del t[i]
```

```
    else:
```

```
        | i += 1
```

Stopping point keeps changing.

```
# Remove all 3's from list t
```

```
while 3 in t:
```

```
    | t.remove(3)
```

The stopping condition is not a numerical counter this time. Simplifies code a lot.

Cases to Use while

- Want square root of c
 - Make poly $f(x) = x^2 - c$
 - Want root of the poly (x such that $f(x)$ is 0)
- Use **Newton's Method**
 - $x_0 = \text{GUESS}$ ($c/2??$)
 - $x_{n+1} = x_n - f(x_n)/f'(x_n)$
 $= x_n - (x_n x_n - c)/(2x_n)$
 $= x_n - x_n/2 + c/2x_n$
 $= x_n/2 + c/2x_n$
 - Stop when x_n good enough

def sqrt(c):

```
"""Return: square root of c
Uses Newton's method
Pre: c >= 0 (int or float)"""
```

```
x = c/2
```

```
# Check for convergence
```

```
while abs(x*x - c) > 1e-6:
```

```
    # Get  $x_{n+1}$  from  $x_n$ 
```

```
    x = x / 2 + c / (2*x)
```

```
return x
```

Cases to Use while

- Want square root of c
 - Make poly $f(x) = x^2 - c$
 - Want root of the poly (x such that $f(x)$ is 0)

- Use **Newton's method**

ClusterGroup of A6 uses a similar idea.

$$\begin{aligned}x_{n+1} &= x_n - (x_n^2 - c) / (2x_n) \\ &= x_n - x_n/2 + c/2x_n \\ &= x_n/2 + c/2x_n\end{aligned}$$

- Stop when x_n good enough

```
def sqrt(c):
```

```
    """Return: square root of c
    Uses Newton's method
    Pre: c > 0"""
```

```
    while abs(x*x - c) > 1e-6:
```

```
        # Get  $x_{n+1}$  from  $x_n$ 
        x = x / 2 + c / (2*x)
```

```
    return x
```

Recall Lab 9

Welcome to CS 1110 Blackjack.

Rules: Face cards are 10 points. Aces are 11 points.
All other cards are at face value.

Your hand:

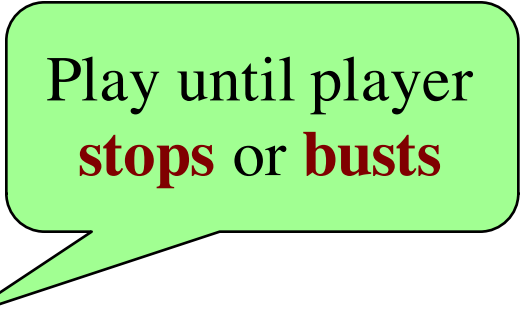
2 of Spades

10 of Clubs

Dealer's hand:

5 of Clubs

Type h for new card, s to stop:



Play until player
stops or **busts**

Recall Lab 9

Welcome to CS 1110 Blackjack.

Rules: Face cards are 10 points. Aces are 11 points.
All other cards are at face value.

Your hand:
2 of Spades
10 of Clubs

How do we design a complex
while-loop like this one?

Dealer's hand:
5 of Clubs

Play until player
stops or **busts**

Type h for new card, s to stop:

Some Important Terminology

- **assertion**: true-false statement placed in a program to *assert* that it is true at that point
 - Can either be a **comment**, or an **assert** command
- **invariant**: assertion supposed to "always" be true
 - If temporarily invalidated, must make it true again
 - **Example**: class invariants and class methods
- **loop invariant**: assertion supposed to be true before and after each iteration of the loop
- **iteration of a loop**: one execution of its body

Assertions versus Asserts

- **Assertions prevent bugs**

- Help you keep track of what you are doing

- **Also track down bugs**

- Make it easier to check belief/code mismatches

- The **assert** statement is a (type of) assertion

- One you are **enforcing**
- Cannot always convert a comment to an assert

x is the sum of 1..n

The root of all bugs!

Comment form of the assertion.

x	?	n	1
x	?	n	3
x	?	n	0

Preconditions & Postconditions

precondition

```
# x = sum of 1..n-1
x = x + n
n = n + 1
# x = sum of 1..n-1
```

postcondition

- **Precondition:** assertion placed before a segment
- **Postcondition:** assertion placed after a segment

1 2 3 4 5 6 7 8
 n
 └

x contains the sum of these (6)

1 2 3 4 5 6 7 8
 n
 └

x contains the sum of these (10)

Relationship Between Two

If **precondition** is true, then **postcondition** will be true

Preconditions & Postconditions

precondition

```
# x = sum of 1..n-1
x = x + n
n = n + 1
# x = sum of 1..n-1
```

n
1 2 3 4 5 6 7 8
└───┘

x contains the sum of these (6)

Next Time: Using these to Design Loop

1 2 3 4 5 6 7 8
└───┘

x contains the sum of these (10)

- **Precondition:** assertion placed before a segment
- **Postcondition:** assertion placed after a segment

Relationship Between Two

If **precondition** is true, then **postcondition** will be true