## for-loops: Beyond Sequences

- Work on iterable objects
- Object with an ordered collection of data
- This includes sequences
- But also much more
- Examples:
- Text Files (built-in)
- Web pages (urllib\%)
- 2110: learn to design custom iterable objects
def blanklines(fname):
""Return: \# blank lines in file fname
Precondition: fname is a string"'"
\# open makes a file object file = open('myfile.ttt')
\# Accumulator
count $=0$
for line in file: \# line is a string if len(line) $==0$ : \# line is blank | count = count+1
f.close() \# close file when done return count


## Important Concept in CS: Doing Things Repeatedly

1. Process each item in a sequence

- Compute aggregate statistics fo for $x$ in sequence: such as the mean, median, stan process $x$
- Send everyone in a Facebook group air appomment unte

2. Perform $n$ trials or get $n$ samples.

- A4: draw a triangle six times to $n$ for $x$ in range( $n$ ):
- Run a protein-folding simuram do next thing

3. Do something an unknown number of times
CUAUV ???? moving until reached its goal


While-Loops and Flow

| print 'Before while' | Output: |
| :--- | :--- |
| count = 0 | Before while |
| $\mathrm{i}=0$ | Start loop 0 |
| while i < 3: | End loop |
| print 'Start loop '+str(i) | Start loop 1 |
| count = count + i | End loop |
| $\mathrm{i}=\mathrm{i}+1$ | Start loop 2 |
| print 'End loop ' | End loop |
| print 'After while' | After while |


| while Versus for |  |
| :---: | :---: |
| \# process range b..c-1 <br> for $k$ in range(b,c) process k | $\begin{aligned} & \text { \# process range b..c-1 } \\ & \mathrm{k}=\mathrm{b} \\ & \text { while } \mathrm{k}<\mathrm{c} \text { : } \end{aligned}$ |
| Must remember to increment $\triangle \mathrm{k}=\mathrm{k}+\mathrm{l}$ |  |
| \# process range b..c <br> for $k$ in range(b,c+l) process k | $\begin{aligned} & \text { \# process range b..c } \\ & \mathrm{k}=\mathrm{b} \\ & \text { while } \mathrm{k}<=\mathrm{c} \text { : } \\ & \quad \text { process } \mathrm{k} \\ & \mathrm{k}=\mathrm{k}+1 \end{aligned}$ |

## Note on Ranges

- m..n is a range containing $\mathrm{n}+1-\mathrm{m}$ values
- $2 . .5$ contains $2,3,4,5$ Contains $5+1-2=4$ values
- $2 . .4$ contains $2,3,4$. Contains $4+1-2=3$ values
- $2 . .3$ contains 2,3 Contains $3+1-2=2$ values
- 2.2 contains 2 . Contains $2+1-2=1$ values
- $2 . .1$ contains ???
- The notation m..n, always implies that $\mathrm{m}<=\mathrm{n}+1$
- So you can assume that even if we do not say it
- If $\mathrm{m}=\mathrm{n}+1$, the range has 0 values


