## CS514: Intermediate Course in Operating Systems

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## Recap

- We've started a process of isolating questions that arise in big systems
- Tease out an abstract issue
- Treat it separate from the original messy context
- Try and understand what can and cannot be done, and how to solve when something can be done


## This and upcoming lectures?

- We'll focus on concepts relating to time
- Time as it can be "used" in systems
- Systems that present behaviors best understood in terms of temporal models (notably the transactional model)
- Event ordering used to ensure consistency in distributed systems (multicasts that update replicated data or program state)


## But what does time "mean"?

- Time on a global clock?
- E.g. with GPS receiver
- ... or on a machine's local clock
- But was it set accurately?
- And could it drift, e.g. run fast or slow?
- What about faults, like stuck bits?
- ... or could try to agree on time


## Lamport's approach

- Leslie Lamport suggested that we should reduce time to its basics
- Time lets a system ask "Which came first: event A or event B?"
- In effect: time is a means of labeling events so that...
- If A happened before $B, \operatorname{TIME}(A)<\operatorname{TIME}(B)$
- If $\operatorname{TIME}(A)<\operatorname{TIME}(B)$, $A$ happened before $B$

Drawing time-line pictures:


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$\operatorname{snd}_{p}(m)$ also happens before $\mathrm{rcv}_{\mathrm{q}}(\mathrm{m})$

- "Distributed ordering" introduced by a message
- Write $\operatorname{snd}_{d_{l}(m)}{ }^{\mu r c v_{4}(m)}$


## Drawing time-line pictures:



- A happens before D
- Transitivity: A happens before $\operatorname{snd}_{p}(m)$, which happens before $\mathrm{rcv}_{\mathrm{q}}(\mathrm{m})$, which happens before $D$


## Drawing time-line pictures:



- B and $D$ are concurrent
- Looks like B happens first, but D has no way to know. No information flowed...


## Happens before "relation"

- We'll say that "A happens before B", written $A \rightarrow B$, if

1. $A \rightarrow{ }^{P} B$ according to the local ordering, or
2. $A$ is a snd and $B$ is a rev and $A \rightarrow{ }^{M} B$, or
3. $A$ and $B$ are related under the transitive closure of rules (1) and (2)

- So far, this is just a mathematical notation, not a "systems tool"


## Logical clocks

- A simple tool that can capture parts of the happens before relation
- First version: uses just a single integer
- Designed for big ( 64 -bit or more) counters
- Each process p maintains $L T_{p}$, a local counter
- A message m will carry $L T_{m}$


## Rules for managing logical clocks

- When an event happens at a process p it increments $L T_{p}$.
- Any event that matters to $p$
- Normally, also snd and rcv events (since we want receive to occur "after" the matching send)
- When $p$ sends $m$, set
- $\mathrm{LT} \mathrm{T}_{\mathrm{m}}=\mathrm{LT} \mathrm{T}_{\mathrm{p}}$
- When $q$ receives $m$, set
- $L T_{q}=\max \left(L T_{q}, L T_{m}\right)+1$

Time-line with LT annotations


- $\operatorname{LT}(A)=1, \operatorname{LT}\left(\operatorname{snd}_{p}(m)\right)=2, \operatorname{LT}(m)=2$
- $\operatorname{LT}\left(\mathrm{rcv}_{\mathrm{q}}(\mathrm{m})\right)=\max (1,2)+1=3$, etc...


## Logical clocks

- If $A$ happens before $B, A \rightarrow B$, then $\operatorname{LT}(A)<L T(B)$
- But converse might not be true:
- If $\operatorname{LT}(A)<L T(B)$ can't be sure that $A \rightarrow B$
- This is because processes that don't communicate still assign timestamps and hence events will "seem" to have an order


## Can we do better?

- One option is to use vector clocks
- Here we treat timestamps as a list
- One counter for each process
- Rules for managing vector times differ from what did with logical clocks


## Vector clocks

- Clock is a vector: e.g. $\operatorname{VT}(A)=[1,0]$
- We'll just assign p index 0 and $q$ index 1
- Vector clocks require either agreement on the numbering, or that the actual process id's be included with the vector
- Rules for managing vector clock
- When event happens at $p$, increment $\vee T_{p}$ [index ${ }_{p}$ ] - Normally, also increment for snd and rcv events
- When sending a message, set $\mathrm{VT}(\mathrm{m})=\mathrm{VT}_{\mathrm{p}}$
- When receiving, set $\mathrm{VT}_{\mathrm{q}}=\max \left(\mathrm{VT}_{\mathrm{q}}, \mathrm{VT}(\mathrm{m})\right)$



## Rules for comparison of VTs

- We'll say that $\mathrm{VT}_{\mathrm{A}}=\mathrm{VT}_{\mathrm{B}}$ if
- $\forall_{1}, \mathrm{VT}_{\mathrm{A}}[\mathrm{i}]=\mathrm{VT}_{\mathrm{B}}[\mathrm{i}]$
- And we'll say that $\mathrm{VT}_{\mathrm{A}}<\mathrm{VT}_{\mathrm{B}}$ if
- $\mathrm{VT}_{\mathrm{A}}=\mathrm{VT}_{\mathrm{B}}$ but $\mathrm{VT}_{\mathrm{A}}$ ? $\mathrm{VT}_{\mathrm{B}}$
- That is, for some $\mathrm{i}, \mathrm{VT}_{\mathrm{A}}[\mathrm{i}]<\mathrm{VT}_{\mathrm{B}}[\mathrm{i}]$
- Examples?
- $[2,4]=[2,4]$
- $[1,3]<[7,3]$
- [1,3] is "incomparable" to [3,1]


## Introducing "wall clock time"

- There are several options
- "Extend" a logical clock or vector clock with the clock time and use it to break ties
- Makes meaningful statements like "B and D were concurrent, although B occurred first"
- But unless clocks are closely synchronized such statements could be erroneous!
- We use a clock synchronization algorithm to reconcile differences between clocks on various computers in the network



## Synchronizing clocks

- Without help, clocks will often differ by many milliseconds
- Problem is that when a machine downloads time from a network clock it can't be sure what the delay was
- This is because the "uplink" and "downlink" delays are often very different in a network
- Outright failures of clocks are rare...


## Synchronizing clocks

- Options?
- P could guess that the delay was evenly split, but this is rarely the case in WAN settings (downlink speeds are higher)
- P could ignore the delay
- P could factor in only "certain" delay, e.g. if we know that the link takes at least 5 ms in each direction. Works best with GPS time sources!
- In general can't do better than uncertainty in the link delay from the time source down to $p$



## Thought question

- We want them to agree on the time but it isn't important whether they are accurate with respect to "true" time
. "Precision" matters more than "accuracy"
- Although for this, a GPS time source would be the way to go
- Might achieve higher precision than we can with an "internal" synchronization protocol!
- Typically, some "master clock" owner periodically broadcasts the time
- Processes then update their clocks
- But they can drift between updates
- Hence we generally treat time as having fairly low accuracy
- Often precision will be poor compared to message round-trip times


## Clock synchronization

- To optimize for precision we can
- Set all clocks from a GPS source or some other time "broadcast" source
- Limited by uncertainty in downlink times
- Or run a protocol between the machines
- Many have been reported in the literature
- Precision limited by uncertainty in message delays
- Some can even overcome arbitrary failures in a subset of the machines!

