

- **Today**

- Part-of-speech tagging

- HMM' s for p-o-s tagging

## HMM p-o-s Tagger

Given  $W = w_1, \dots, w_n$ , find  $T = t_1, \dots, t_n$  that maximizes

$$P(t_1, \dots, t_n | w_1, \dots, w_n)$$

Restate using Bayes' rule:

$$(P(t_1, \dots, t_n) * P(w_1, \dots, w_n | t_1, \dots, t_n)) / P(w_1, \dots, w_n)$$

Ignore denominator...

Make independence assumptions...

$P(t_1, \dots, t_n)$ : approximate using n-gram model

bigram  $\prod_{i=1, n} P(t_i | t_{i-1})$

trigram  $\prod_{i=1, n} P(t_i | t_{i-2}t_{i-1})$

$P(w_1, \dots, w_n | t_1, \dots, t_n)$ : approximate by assuming that a word appears in a category independent of its neighbors

$$\prod_{i=1, n} P(w_i | t_i)$$

Assuming bigram model:

$$P(t_1, \dots, t_n) * P(w_1, \dots, w_n | t_1, \dots, t_n) \approx$$

$$\prod_{i=1, n} P(t_i | t_{i-1}) * P(w_i | t_i)$$

transition  
probabilities

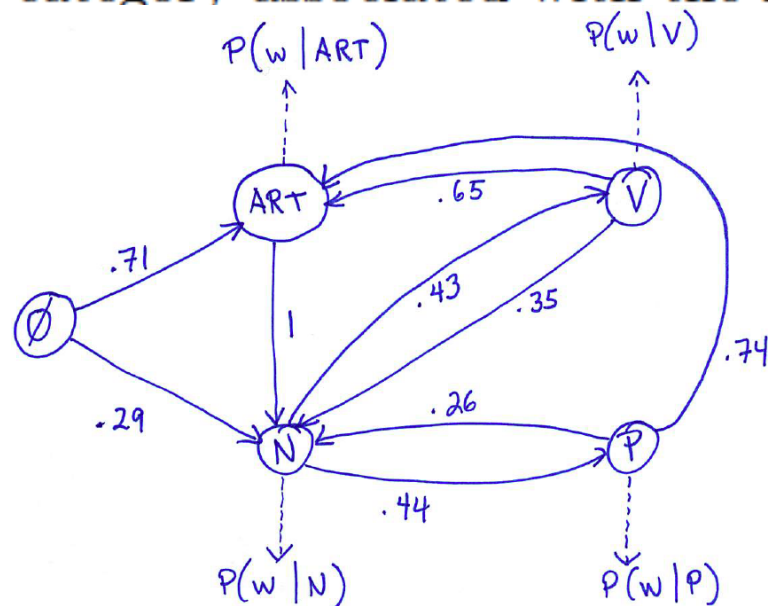
lexical generation  
probabilities



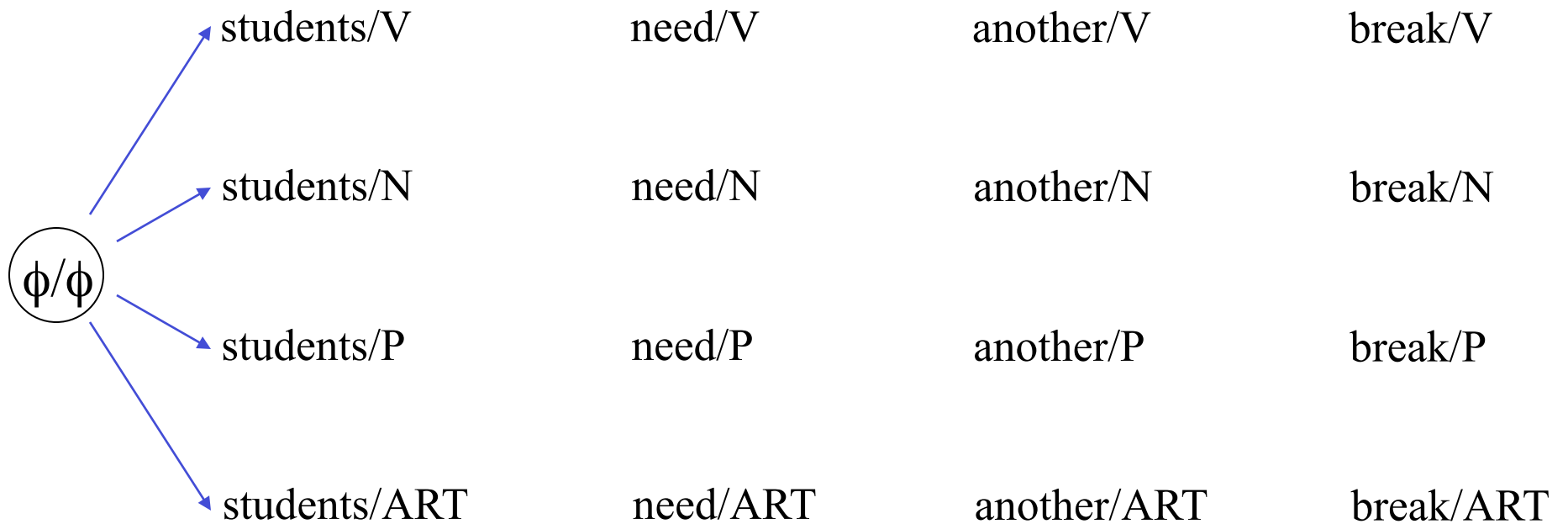
## Hidden Markov Models

Equation can be modeled by an HMM.

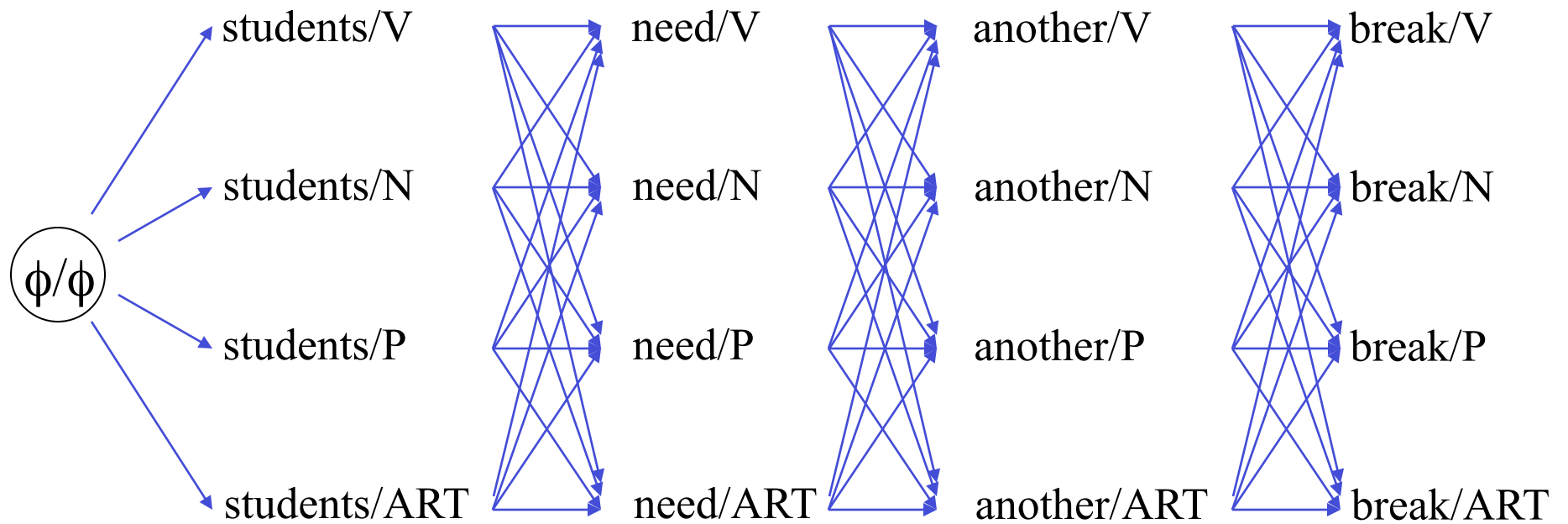
- **states:** represent a possible lexical category
- **transition probabilities:** bigram probabilities
- **observation probabilities, lexical generation probabilities:** indicate, for each word, how likely that word is to be selected if we randomly select the category associated with the node.



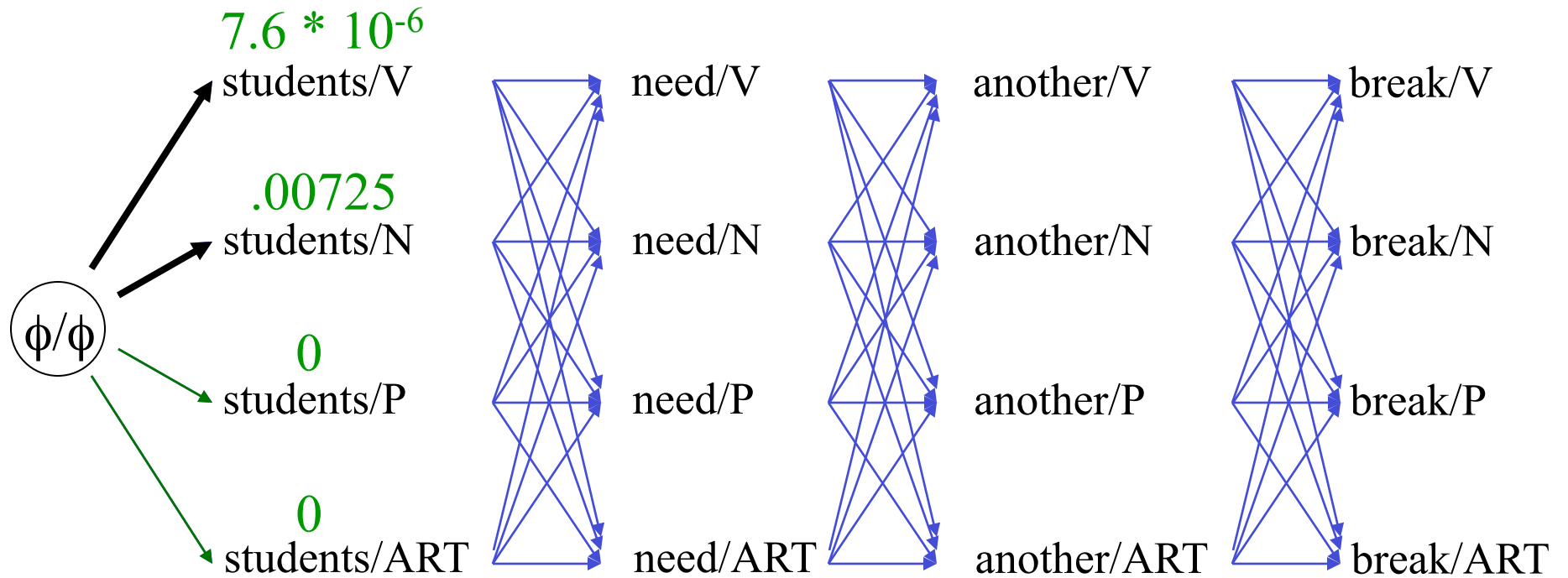
# Viterbi Algorithm



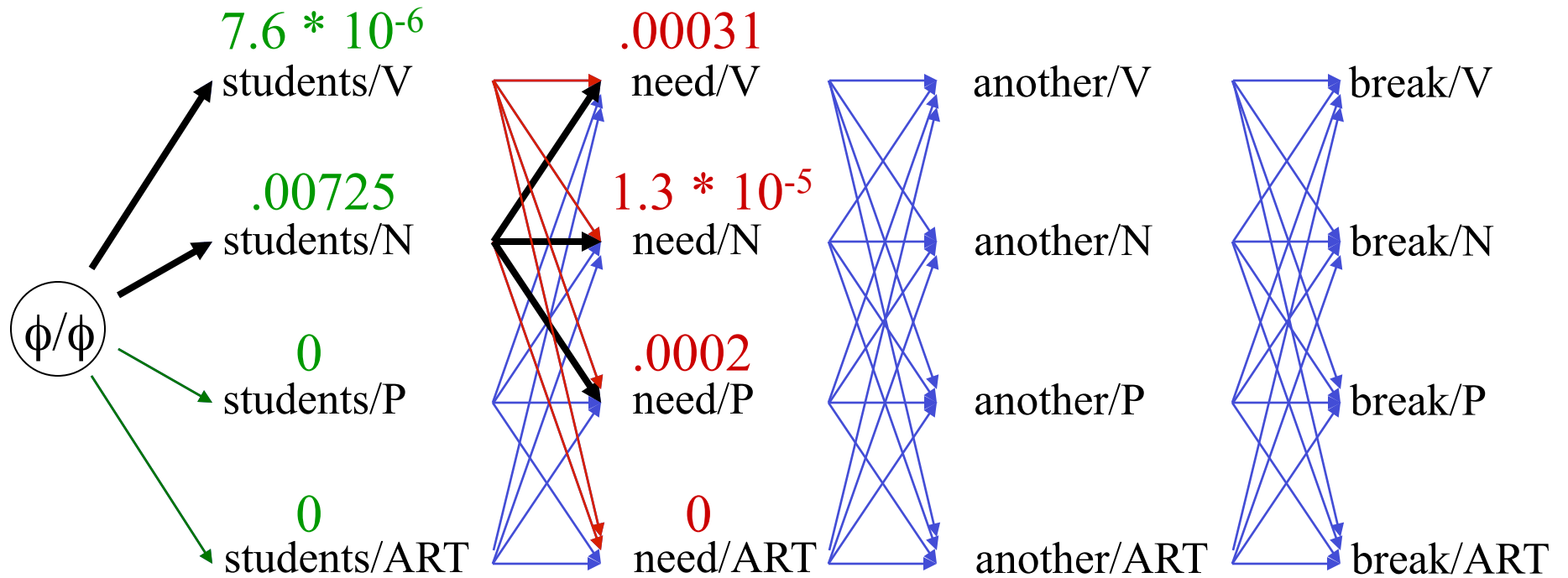
# Viterbi Algorithm



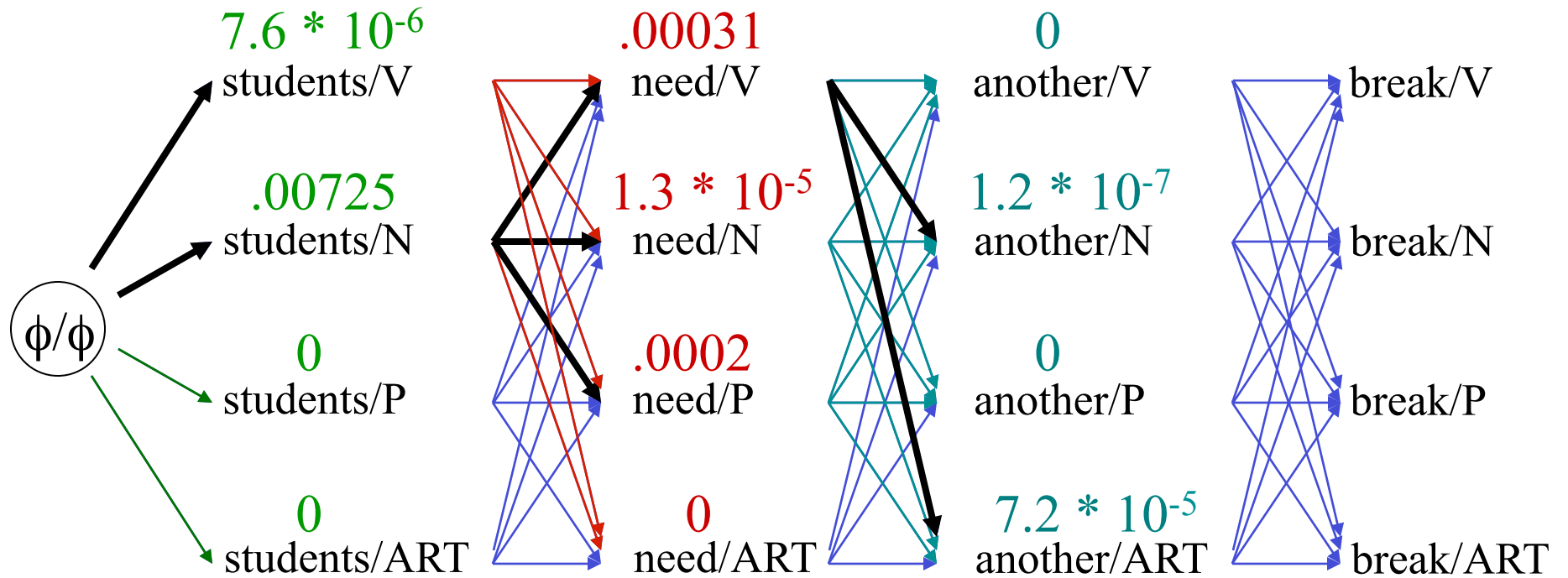
# Viterbi Algorithm



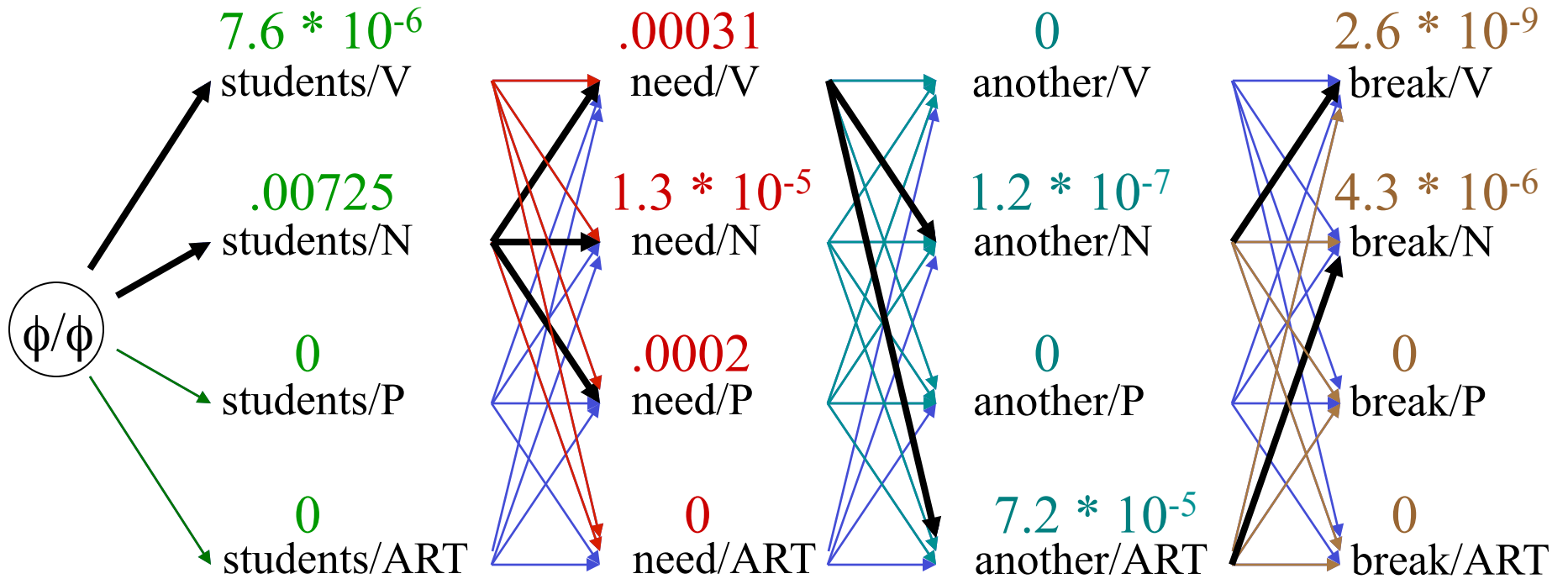
# Viterbi Algorithm



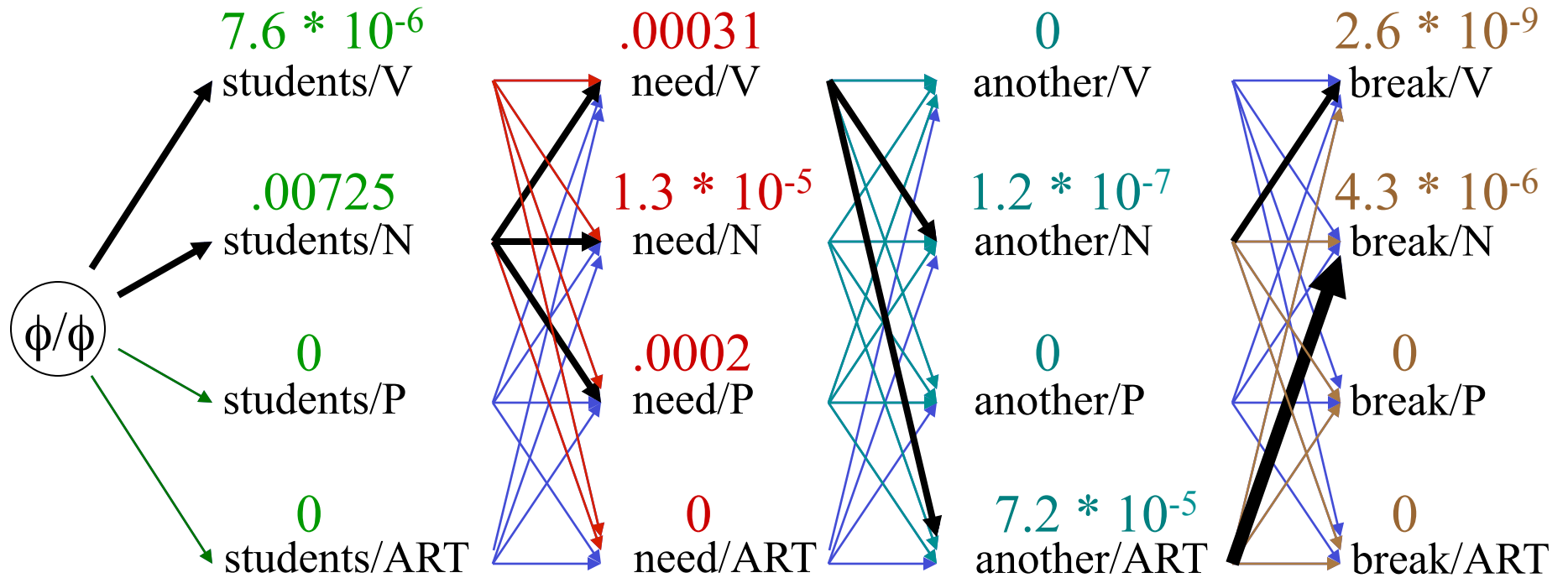
# Viterbi Algorithm



# Viterbi Algorithm

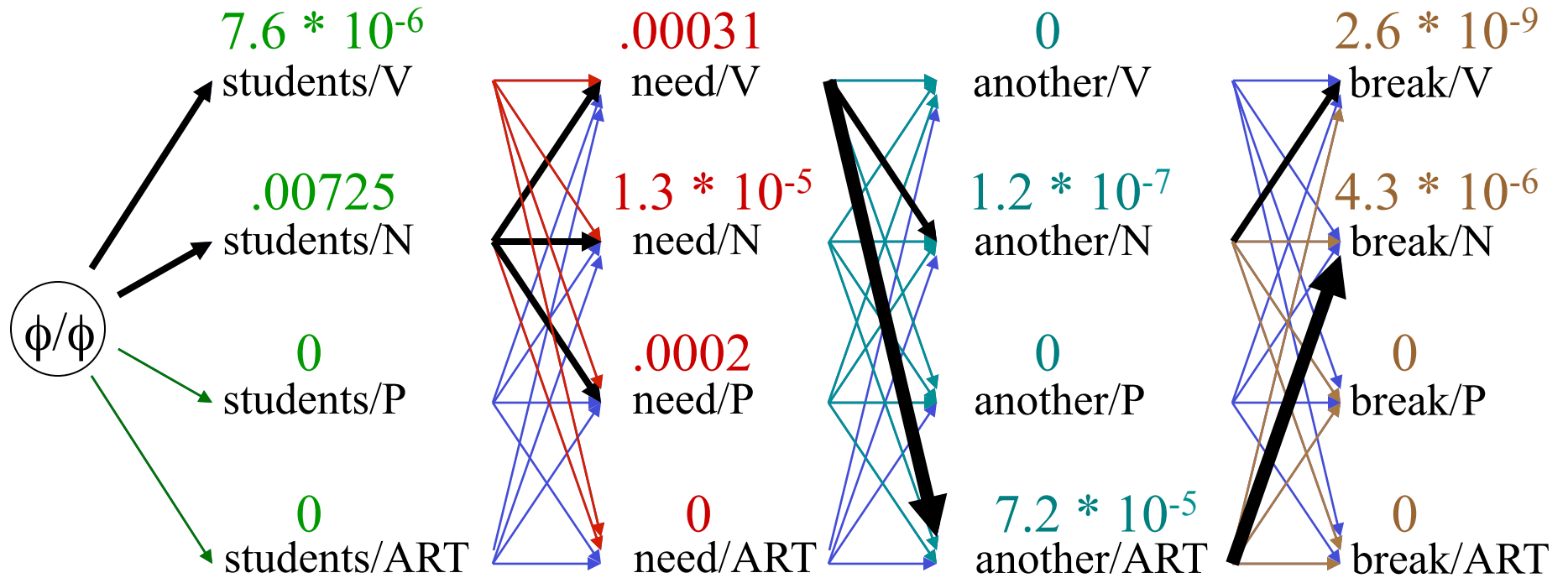


# Viterbi Algorithm

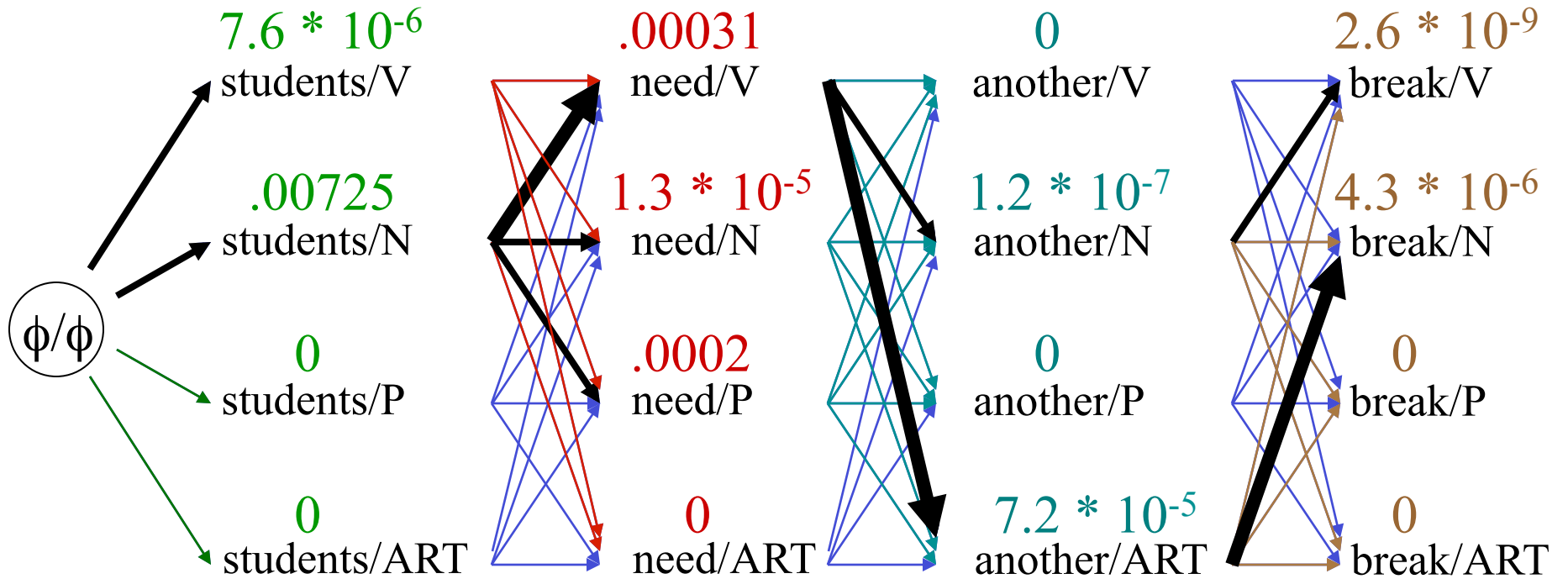




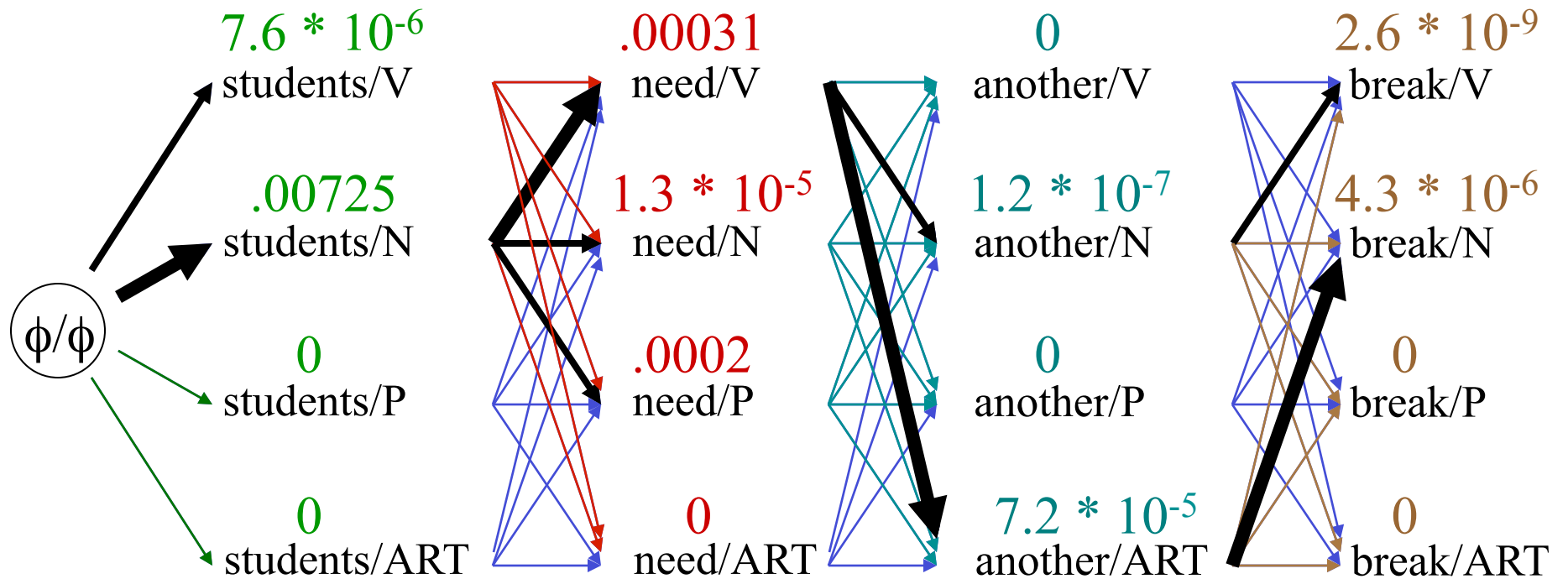
# Viterbi Algorithm



# Viterbi Algorithm



# Viterbi Algorithm



## Viterbi Algorithm

$c$ : number of lexical categories

$P(w_t|t_i)$ : lexical generation probabilities

$P(t_i|t_j)$ : bigram probabilities

Find most likely sequence of lexical categories  $T_1, \dots, T_n$  for word sequence.

### Initialization

For  $i = 1$  to  $c$  do

$$\text{SCORE}(i,1) = P(t_i|\phi) * P(w_1|t_i)$$

$$\text{BPTR}(i,1) = 0$$

## Iteration

For  $t = 2$  to  $n$

For  $i = 1$  to  $c$

SCORE( $i,t$ ) =

$$\text{MAX}_{j=1..c}(\text{SCORE}(j, t - 1) * P(t_i|t_j)) * P(w_t|t_i)$$

BPTR( $i,t$ ) = index of  $j$  that gave max

## Identify Sequence

$T(n) = i$  that maximizes SCORE( $i,n$ )

For  $i = n-1$  to  $1$  do

$T(i) = \text{BPTR}( T(i+1), i+1 )$

## Results

- Effective if probability estimates are computed from a large corpus
- Effective if corpus is of the same style as the input to be classified
- Consistently achieve accuracies of 97% or better using trigram model
- Cuts error rate in half vs. naive algorithm (90% accuracy rate)
- Can be smoothed using backoff or interpolation or discounting...

## Extensions

- Can train HMM tagger on unlabeled data using the EM algorithm, starting with a dictionary that lists which tags can be assigned to which words.
- EM then learns the word likelihood function for each tag, and the tag transition probabilities.
- Merialdo (1994) showed, however, that a tagger trained on even a small amount hand-tagged data works better than one trained via EM.



# Marseille at Newman Overlook

