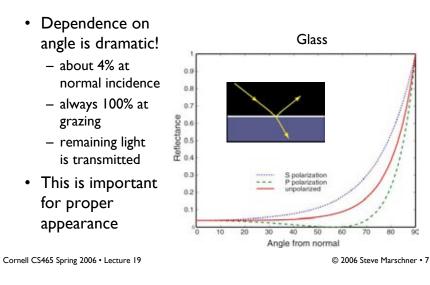


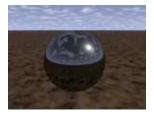
Ray tracing dielectrics Specular reflection from metal • Like a simple mirror surface, use recursive ray tracing Reflectance does Aluminum depend on angle • But we need two rays but not much - One reflects off the surface (same as mirror ray) n - safely ignored in - The other crosses the surface (computed using Snell's law) 0.8 olarizatio basic rendering 0.7 • Doesn't always exist (total internal reflection) 8 0.6 • Splitting into two rays, recursively, creates a ray tree 0.5 Q P 0.4 - Very many rays are traced per viewing ray 0.3 - Ways to prune the tree 0.2 • Limit on ray depth 0.1 • Limit on ray attenuation 70 Angle from normal Cornell CS465 Spring 2006 • Lecture 19 © 2006 Steve Marschner • 5 Cornell CS465 Spring 2006 • Lecture 19 © 2006 Steve Marschner • 6

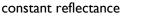
Specular reflection from glass/water



Fresnel reflection

- Black glazed sphere
 - reflection from glass surface
 - transmitted ray is discarded





Fresnel reflectance

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Fresnel's formulas

- They predict how much light reflects from a smooth interface between two materials
 - usually one material is empty space

$$F_p = \frac{\eta_2 \cos \theta_1 - \eta_1 \cos \theta_2}{\eta_2 \cos \theta_1 + \eta_1 \cos \theta_2}$$
$$F_s = \frac{\eta_1 \cos \theta_1 - \eta_2 \cos \theta_2}{\eta_1 \cos \theta_1 + \eta_2 \cos \theta_2}$$
$$R = \frac{1}{2} \left(F_p^2 + F_s^2 \right)$$

- R is the fraction that is reflected
- -(1-R) is the fraction that is transmitted

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Schlick's approximation

• For graphics, a quick hack to get close with less computation:

$$\tilde{R} = R_0 + (1 - R_0)(1 - \cos \theta)^{\xi}$$

• R₀ is easy to compute:

$$F_p = \frac{\eta_2 - \eta_1}{\eta_2 + \eta_1}$$
$$F_s = \frac{\eta_1 - \eta_2}{\eta_1 + \eta_2}$$
$$R_0 = \left(\frac{\eta_2 - \eta_1}{\eta_2 + \eta_1}\right)^2$$

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Fresnel reflection



Basic ray tracing

- Many advanced methods build on the basic ray tracing paradigm
- Basic ray tracer: one sample for everything
 - one ray per pixel
 - one shadow ray for every point light
 - one reflection ray, possibly one refraction ray, per intersection

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Discontinuities in basic RT

- Perfectly sharp object silhouettes in image

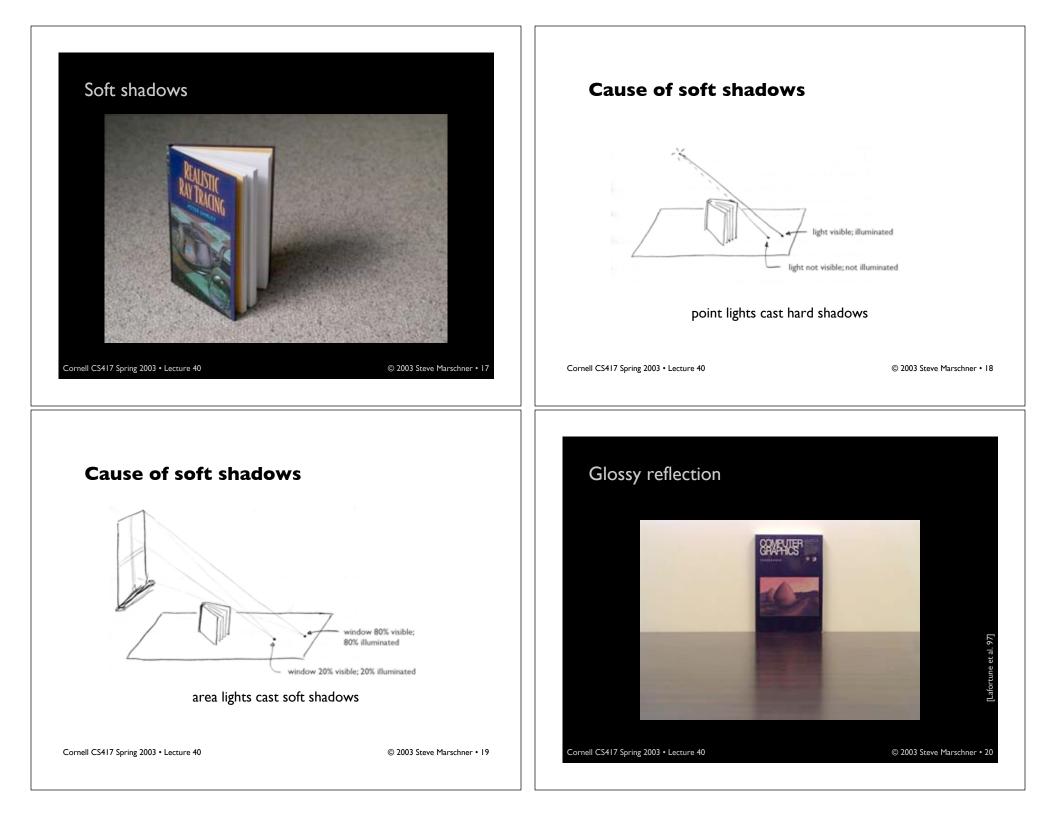
 leads to aliasing problems (stair steps)
- Perfectly sharp shadow edges
 - everything looks like it's in direct sun
- Perfectly clear mirror reflections
 - reflective surfaces are all highly polished
- Perfect focus at all distances
 - camera always has an infinitely tiny aperture
- Perfectly frozen instant in time (in animation)
 motion is frozen as if by strobe light

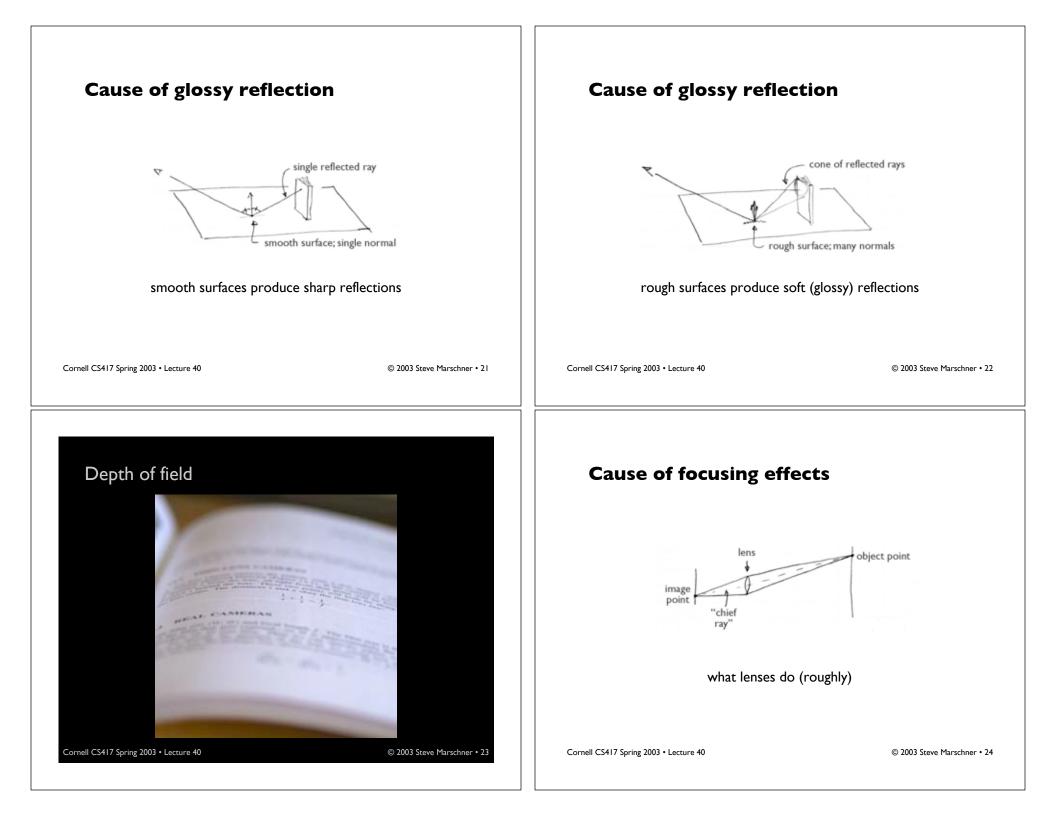
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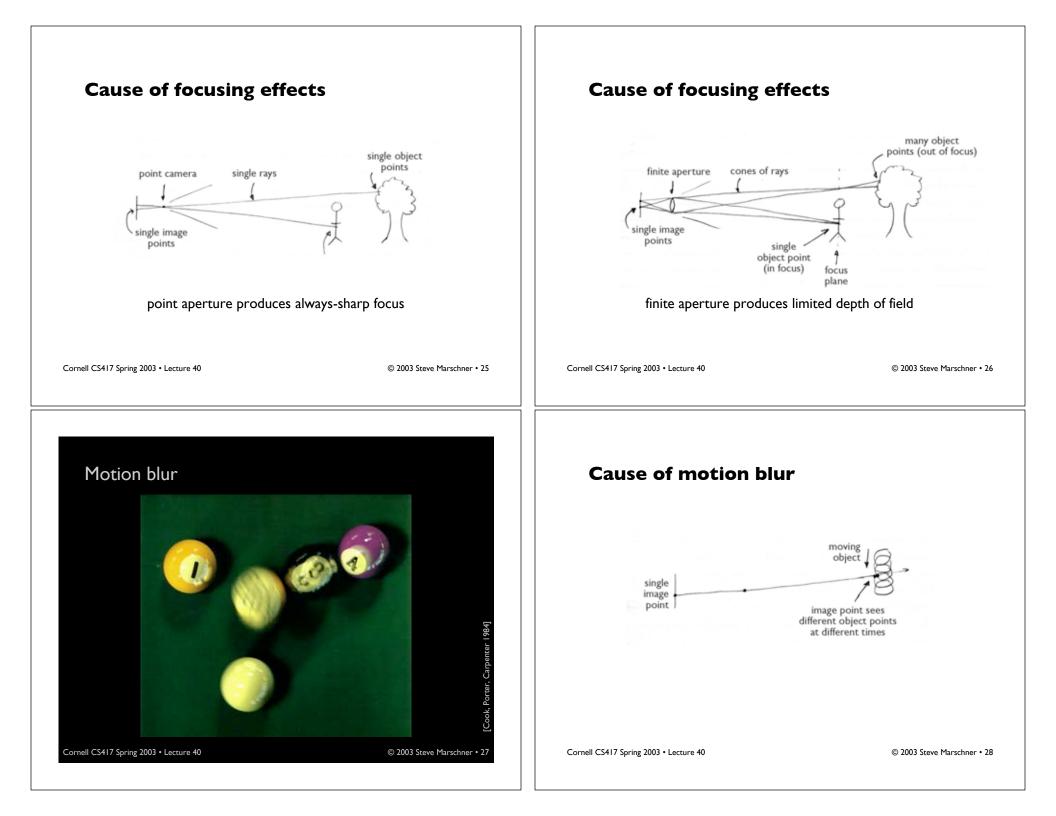
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Basic ray traced image



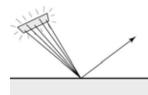






Creating soft shadows

- For area lights: use many shadow rays
 - and each shadow ray gets a different point on the light
- Choosing samples
 - general principle: start with uniform in square



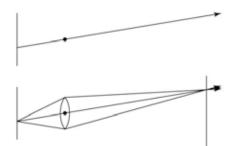
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Depth of field

Make eye rays start at random points on aperture

 always going toward a point on the focus plane

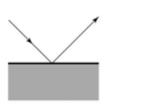


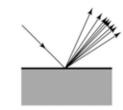
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Creating glossy reflections

- Jitter the reflected rays
 - Not exactly in mirror direction; add a random offset
 - Can work out math to match Phong exactly
 - Can do this by jittering the normal if you want





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Motion blur

- Caused by finite shutter times
 - strobing without blur
- Introduce time as a variable throughout the system
 - object are hit by rays according to their position at a given time
- Then generate rays with times distributed over shutter interval

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Generating samples

- A complicated question in general
- Basic idea: start with random points in a square
- Monte Carlo methods—CS 667

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