

CS412/CS413

Introduction to Compilers

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Lecture 32: More Instruction Selection

11 Apr 08

Near Optimal Instruction Selection on DAGs

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CGO '08 Boston, MA ([April 7, 2008](#))

Please read paper (found on Koes web page)

Optimal Tiling for Trees

- Pass 1. Ignore common subexpressions and find optimal covering for fully duplicated DAG

procedure Select

fixedNodes := { }

BottomUpDP()

TopDownSelect()

ImproveCSEDecisions()

BottomUpDP()

TopDownSelect()

procedure BottomUpDP

for $n \in \text{reverseTopologicalSort}(\text{DAG})$ **do**

$\text{bestChoiceForNode}[n].\text{cost} := \infty$

for $t_n \in \text{matchingTiles}(n)$ **do**

if not $\text{hasInteriorFixedNode}(t_n, \text{fixedNodes})$ **then**

$\text{val} := \text{cost}(t_n) +$

$\sum_{n' \in \text{edgeNodes}(t_n)} \text{bestChoiceForNode}[n'].\text{cost}$

if $\text{val} < \text{bestChoiceForNode}[n].\text{cost}$ **then**

$\text{bestChoiceForNode}[n].\text{cost} := \text{val}$

$\text{bestChoiceForNode}[n].\text{tile} := t_n$

procedure TopDownSelect

```
matchedTiles.clear()
```

```
coveringTiles.clear()
```

```
q.push(roots(DAG))
```

```
while not q.empty() do
```

```
    n := q.pop()
```

```
    bestTile := bestChoiceForNode[n].tile
```

```
    matchedTiles.add(bestTile)
```

```
    for every node  $n_t$  covered by bestTile do
```

```
        coveringTiles[ $n_t$ ].add(bestTile)
```

```
    for  $n' \in$  edgeNodes(bestTile) do
```

```
        q.push( $n'$ )
```

Optimal Tiling for Trees

- Pass 1. Ignore common sub-expressions and find optimal covering for fully duplicated DAG
- `fixedNodes` := set of shared nodes not allowed in interiors of tiles, i.e., nodes required to match roots of tiles and therefore represent common sub-expressions for which instruction selection can be done in a decomposed manner.
- Pass 2. Find optimal covering for decomposed DAG defined by `fixedNodes`

procedure Select

fixedNodes := { }

BottomUpDP()

TopDownSelect()

ImproveCSEDecisions()

BottomUpDP()

TopDownSelect()

procedure BottomUpDP [revised]

for $n \in \text{reverseTopologicalSort}(\text{DAG})$ **do**

$\text{bestChoiceForNode}[n].\text{cost} := \infty$

for $t_n \in \text{matchingTiles}(n)$ **do**

if not $\text{hasInteriorFixedNode}(t_n, \text{fixedNodes})$ **then**

$\text{val} := \text{cost}(t_n) +$

$\sum_{n' \in \text{edgeNodes}(t_n)} \text{bestChoiceForNode}[n'].\text{cost}$

if $\text{val} < \text{bestChoiceForNode}[n].\text{cost}$ **then**

$\text{bestChoiceForNode}[n].\text{cost} := \text{val}$

$\text{bestChoiceForNode}[n].\text{tile} := t_n$

procedure TopDownSelect [revised]

matchedTiles.clear()

coveringTiles.clear()

q.push(roots(DAG))

while not q.empty() **do**

 n := q.pop()

 bestTile := bestChoiceForNode[n].tile

 matchedTiles.add(bestTile)

for every node n_t covered by bestTile **do**

 coveringTiles[n_t].add(bestTile)

for $n' \in$ edgeNodes(bestTile) **do**

 q.push(n')

procedure ImproveCSEDecision

for $n \in \text{sharedNodes}(\text{DAG})$ **do**

if $\text{coveringTiles}[n].\text{size}() > 1$ **then**

$\text{overlapCost} := \text{getOverlapCost}(n, \text{coveringTiles})$

$\text{cseCost} := \text{bestChoiceForNode}[n].\text{cost}$

for $t_n \in \text{coveringTiles}[n]$ **do**

$\text{cseCost} := \text{cseCost} + \text{getTileCutCost}(t_n, n)$

if $\text{cseCost} < \text{overlapCost}$ **then**

$\text{fixedNodes.add}(n)$

/ I.e., if the cost of the CSE + the cost of cutting the overlapping tiles < cost of the overlapping computation, decompose DAG at CSE. */*

function GetOverlapCost(n)

```
cost := 0; seen := { }  
for t ∈ coveringTiles[n] do q.push(t); seen.add(t)  
while not q.empty() do  
    t := q.pop()  
    cost := cost + cost(t)  
    for n' ∈ edgeNodes(t) do  
        if n' is reachable from n then  
            t' := bestChoiceForNode[t].tile  
            if coveringTiles[n'].size() = 1 then  
                cost := cost + bestChoiceForNode[n'].cost  
            else if t' ∉ seen then  
                seen.add(t')  
                q.push(t')  
    return cost
```

function GetTileCutCost(t,n)

bestCost := ∞

r := root(t)

for t' \in matchingTiles(r) **do**

if n \in edgeNodes(t') **then**

 cost := cost(t')

for n' \in edgeNodes(t') \wedge n' \neq n **do**

 cost := cost + bestChoiceForNode[n'].cost

if cost < bestCost **then**

 bestCost := cost

for n' \in edgeNodes(t) **do** //Subtract edge costs of original tile

if path r \rightarrow n' \in t does not contain n **then**

 bestCost := bestCost - bestChoiceForNode[n'].cost

return bestCost

Problems with Model

- Modern processors:
 - execution time not sum of tile times
 - instruction order matters
 - Processors pipeline instructions and execute different pieces of instructions in parallel
 - bad ordering (e.g. too many memory operations in sequence) stalls processor pipeline
 - processor can execute some instructions in parallel (super-scalar)
 - cost is merely an approximation
 - instruction scheduling needed

Summary

- Can specify code generation process as a set of tiles that relate low IR trees (DAGs) to instruction sequences
- Instructions using fixed registers problematic but can be handled using extra temporaries
- Maximal Munch algorithm implemented simply as recursive traversal
- Dynamic programming algorithm generates better code, can be implemented recursively using memoization
- Real optimization will also require instruction scheduling