CS/ENGRI 172, Fall 2003: Computation, Information, and Intelligence 9/8/03: Solving Problems - Path Trees and Search

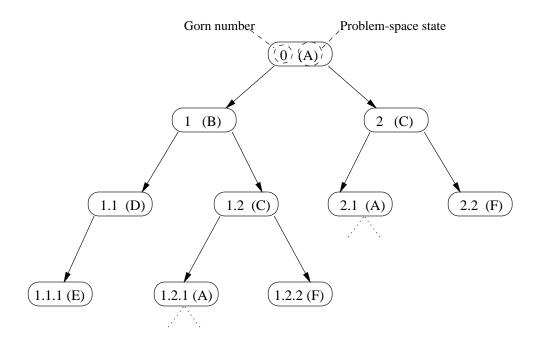
Problem Solving: Find a valid, finite path in the problem space leading from the initial state to a goal state.

Example problem space

Let our states be A, B, C, D, E, F, R, and S. The initial state is A, and for now we will not specify a goal state. The operators are as follows:

$$\begin{array}{lll} \alpha_1 \colon A \to B & \gamma_1 \colon C \to A \\ \alpha_2 \colon A \to C & \gamma_2 \colon C \to F \\ \beta_1 \colon B \to D & \delta_1 \colon D \to E \\ \beta_2 \colon B \to C & \rho_1 \colon R \to S \end{array}$$

This problem specification induces the following path tree (with goal state and operator labels omitted):



"Systematic" Search Algorithms

Depth-first Search (DFS):

- 1. Mark node 0 visited.
- 2. Choose the deepest visited node n.
 - (a) If *n* corresponds to a problem-space goal state, declare success and **stop**;
 - (b) otherwise, if *n* corresponds to a repeated problem-space state or is childless, remove it and all its descendants;
 - (c) otherwise, mark n's least-Gornnumbered unvisited child as visited.
- 3. If the tree still has nodes, repeat step 2.
- 4. If the entire tree has been removed, declare failure.

Breadth-first Search (BFS):

- 1. Mark node 0 touched.
- 2. Choose the *highest* touched node n with untouched children.
 - (a) If *n* corresponds to a problem-space goal state, declare success and **stop**;
 - **(b)** otherwise, if *n* corresponds to a repeated problem-space state or is childless, delete it and all its descendants:
 - (c) otherwise, mark n's least-Gornnumbered untouched child as touched.
- 3. If the tree still has nodes, repeat step 2.
- 4. If the entire tree has been deleted, declare failure.

Note: we're using "visited" and "removed" for DFS and "touched" and "deleted" for BFS to faciliate lecture notation.

Both DFS and BFS will visit all of the nodes in a (finite) tree, just in different orders.

